## An Overview of ASME V&V 20: Standard for Verification and Validation in Computational Fluid Dynamics and Heat Transfer

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# OUTLINE

- Origin of the approach; background
- ASME V&V 20 -- Overview

#### Origin of this V&V Approach

• US Office of Naval Research Program 1996-2000 – Produce a "documented solution"

• Could unsteady RANS research codes be implemented with confidence in the design of the next generation of naval vessels?

- Experiments on models in 3 towing tanks in U.S. (David Taylor, IIHR) and Italy (INSEAN)
- Two RANS codes used by (a) code developers and (b) other groups
- Classified program

• A quantitative V&V approach was proposed based on error and uncertainty concepts in experimental uncertainty analysis (ISO GUM, 1993, international standard).

•Hugh Coleman (UAHuntsville) and Fred Stern (Iowa) published initial version in ASME Journal of Fluids Engineering, Dec 1997.

## V&V 20 Development

ASME Performance Test Codes Committee PTC 61:

#### V&V 20: Standard for Verification and Validation in Computational Fluid Dynamics and Heat Transfer

Approach is based on experimental uncertainty analysis concepts of error and uncertainty. Committee formed in 2004; Draft document completed; peer review comments received early June 2008; publication probable in late 2008.

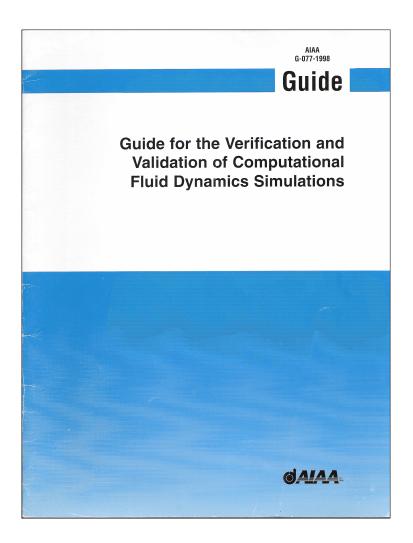
Hugh Coleman, UAHuntsville, Chair Chris Freitas, SwRI, Vice-Chair Glenn Steele, Miss. State Univ. Patrick Roache, Consultant Urmila Ghia, Univ. Cincinnati Ben Blackwell, Consultant (retired Sandia-ABQ) Kevin Dowding (Sandia-ABQ) Richard Hills, New Mexico State Univ. Roger Logan, Lawrence Livermore Nat'l Lab.

#### How Does V&V 20 Fit With Previously-Published V&V Guides ?

•AIAA CFD Standards Committee: <u>AIAA Guide G-077-1998</u> "Guide for the Verification and Validation of Computational Fluid Dynamics Simulations"

•ASME PTC 60: <u>V&V 10 (2006)</u> "Guide for Verification and Validation in Computational Solid Mechanics"

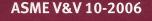
•ASME PTC 61: <u>V&V 20 (2008)</u> "Standard for Verification and Validation in Computational Fluid Dynamics and Heat Transfer"



•AIAA CFD Standards Committee: <u>AIAA</u> <u>Guide G-077-1998</u> "Guide for the Verification and Validation of Computational Fluid Dynamics Simulations"

-<u>Error</u>: A recognizable deficiency in any phase or activity of modeling and simulation that is not due to lack of knowledge.

-<u>Uncertainty</u>: A potential deficiency in any phase or activity of the modeling process that is due to lack of knowledge.



Guide for Verification and Validation in Computational Solid Mechanics

AN AMERICAN NATIONAL STANDARD

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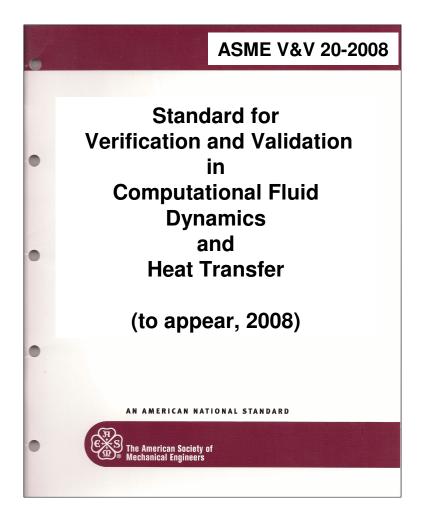
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•ASME PTC 60: <u>V&V 10 (2006)</u> "Guide for Verification and Validation in Computational Solid Mechanics"

> -<u>Error</u>: A recognizable deficiency in any phase or activity of modeling or experimentation that is not due to lack of knowledge.

-<u>Uncertainty</u>: A potential deficiency in any phase or activity of the modeling or experimentation process that is due to inherent variability or lack of knowledge.



• The objective of V&V 20:

the specification of an approach that quantifies the degree of accuracy inferred from the comparison of solution and data <u>for</u> <u>a specified variable at a specified</u> <u>validation point</u>.

• The scope of V&V 20:

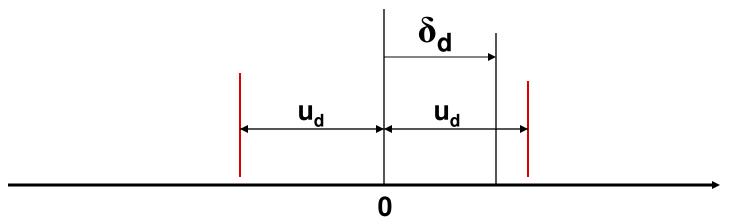
the quantification of the degree of accuracy for cases in which the conditions of the actual experiment are simulated.

"How good is the prediction? What is the modeling error?" --- at the validation point --- when the experiment itself is simulated.

#### **Experimental Uncertainty Concepts:** Error and Uncertainty

An error  $\delta$  is a quantity with a sign and magnitude. A specific error  $\delta_i$  is the difference (caused by error source *i*) between a quantity (measured or simulated) and its true value. (We assume there has been a correction made for any error whose sign and magnitude is known, so the errors that remain are of unknown sign and magnitude.)

An uncertainty  $u_i$  is an estimate of an interval  $\pm u_i$  that should contain  $\delta_i$ . (A <u>standard uncertainty</u> u is an estimate of the standard deviation of the parent distribution of  $\delta$ : ISO GUM)

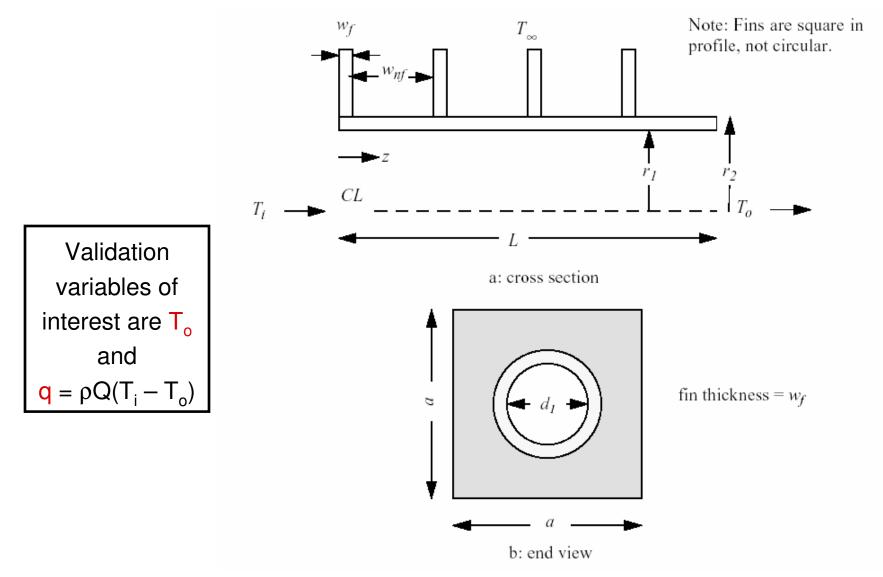


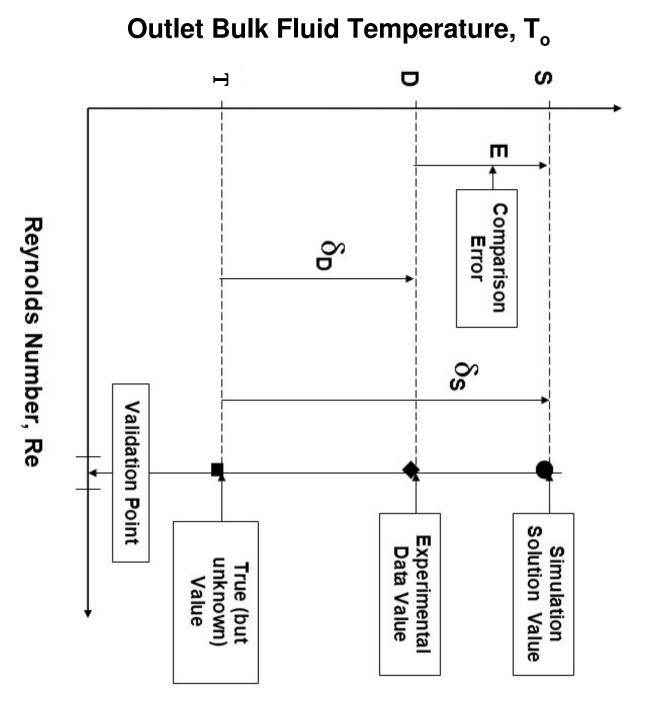
For example, for an (unknown) error  $\delta_{\rm d}$  in the data,  $u_{\rm d}$  would be the standard uncertainty estimate.

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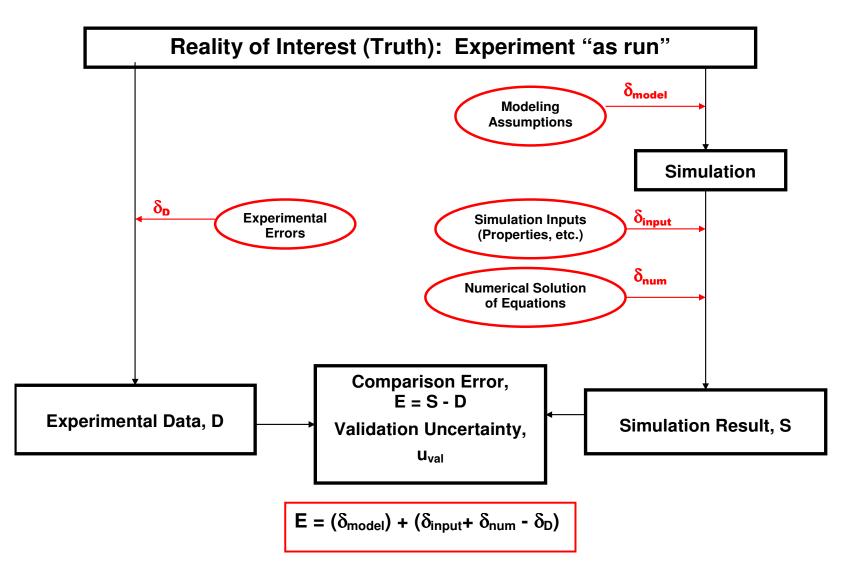
#### Example for V&V 20 Nomenclature and Approach





A Validation Comparison

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V&V Overview – Sources of Error Shown in Ovals

#### Strategy of the Approach

• Isolate the modeling error, having a value or uncertainty for everything else

 $E = \delta_{model} + (\delta_{input} + \delta_{num} - \delta_D) \longrightarrow \underbrace{E}_{\delta_{model}}$  $\delta_{model} = E - (\delta_{input} + \delta_{num} - \delta_D)$  $\bullet \text{ If } \pm u_{val} \text{ is an interval that includes } (\delta_{input} + \delta_{num} - \delta_D) \longrightarrow \underbrace{\pm u_{val}}_{\bullet \bullet \bullet \bullet \bullet \bullet \bullet \bullet \bullet \bullet}$ 

then  $\delta_{\text{model}}$  lies within the interval

$$E \pm u_{val}$$

#### **Uncertainty Estimates Necessary to Obtain the** Validation Uncertainty u<sub>val</sub>

$$U_{val} = \left(U_D^2 + U_{num}^2 + U_{input}^2\right)^{1/2}$$

- Uncertainty in simulation result due to numerical solution of the equations, u<sub>num</sub> (code and solution verification)
- Uncertainty in experimental result, u<sub>D</sub>
  Uncertainty in simulation result due to
  Propagation by (A) Taylor Series (B) Monte Carlo uncertainties in code inputs, u<sub>input</sub>

#### Uncertainty Estimates Necessary to Obtain the Validation Uncertainty u<sub>val</sub>

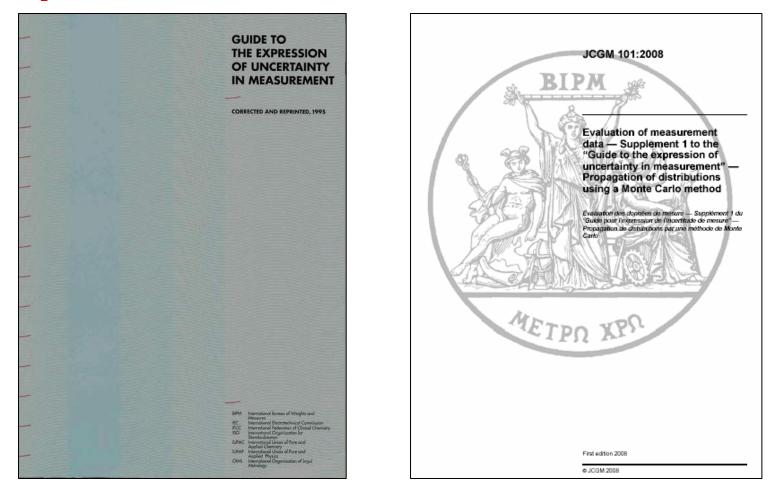
$$U_{val} = \left(U_{D}^{2} + U_{num}^{2} + U_{input}^{2}\right)^{1/2}$$

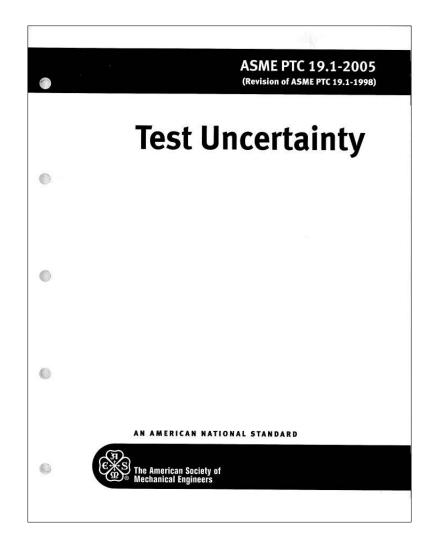
- Code verification: establishes that the code accurately solves the conceptual model incorporated in the code, i.e. that the code is free of mistakes for the simulations of interest. (MMS, ....)
- Solution verification: estimates the numerical accuracy of a particular calculation, i.e., u<sub>num</sub>. (RE, GCI, ....)
- Eça, L., Hoekstra, M., and Roache, P. J. (2007), "Verification of Calculations: an Overview of the Second Lisbon Workshop," AIAA Paper 2007-4089.

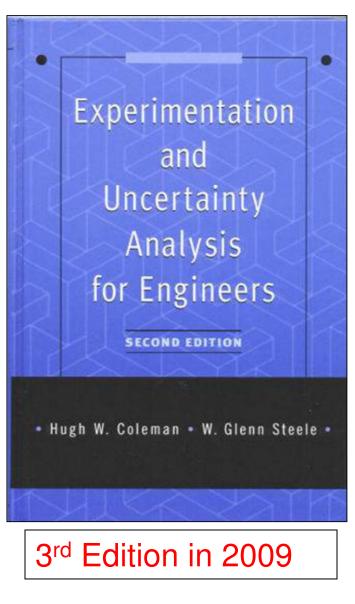
#### Uncertainty Estimates Necessary to Obtain the Validation Uncertainty u<sub>val</sub>

$$U_{val} = \left(U_{D}^{2} + U_{num}^{2} + U_{input}^{2}\right)^{1/2}$$

• U<sub>D</sub> can be estimated using experimental uncertainty analysis techniques







#### Uncertainty Estimates Necessary to Obtain the Validation Uncertainty u<sub>val</sub>

$$U_{val} = \left(U_D^2 + U_{num}^2 + U_{input}^2\right)^{1/2}$$

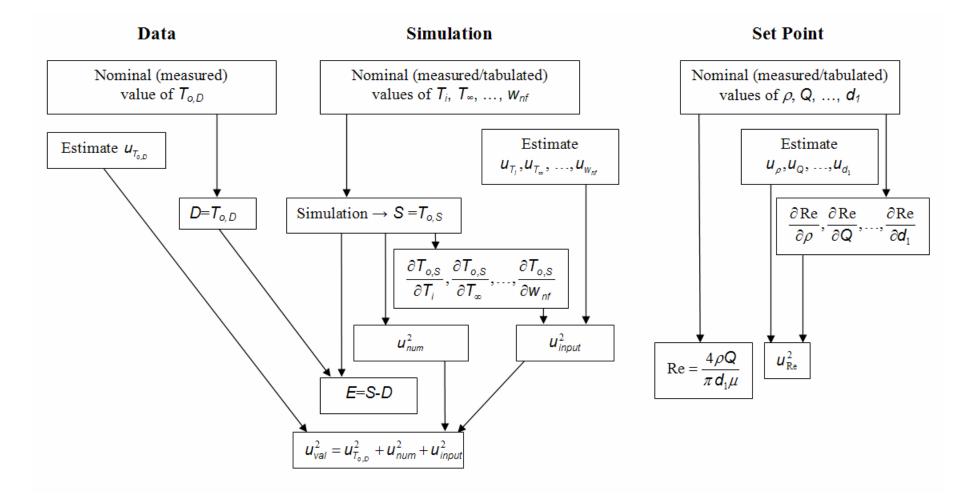
Taylor Series propagation approach to estimating uinput

$$u_{input}^{2} = \sum_{i=1}^{m} \left(\frac{\partial S}{\partial X_{i}}\right)^{2} (u_{X_{i}})^{2}$$

and the  $U_{X_i}$  are the uncertainties in the m simulation inputs  $X_i$ 

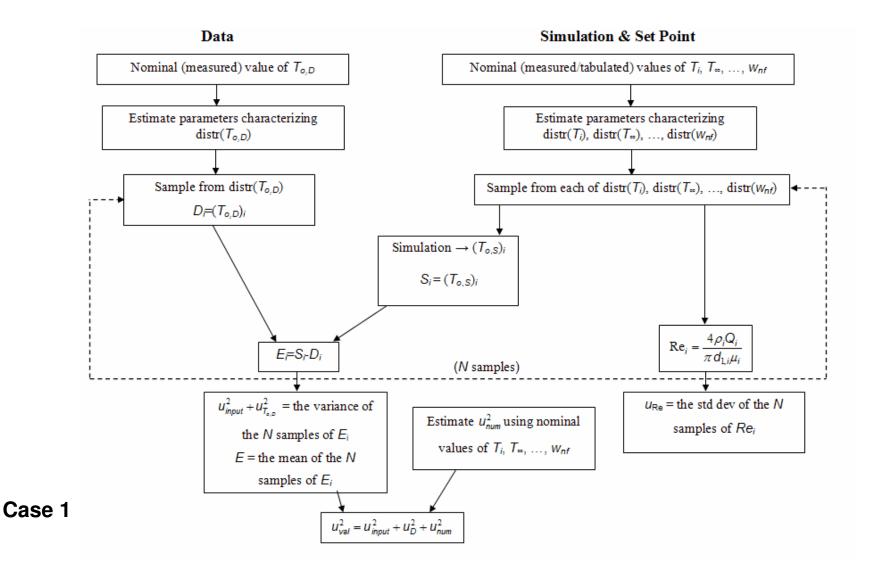
(This expression for  $u_{input}$  is strictly true only when there are no shared variables in S and D. A more complex form is necessary if S and D contain shared variables, and is presented in detail in V&V 20)

**Taylor Series approach** for estimating  $u_{val}$  when the validation variable  $T_o$  is directly-measured  $(T_{o,D})$  and predicted with the simulation  $(T_{o,S})$  as  $T_{o,S} = T_{o,S}(T_i, T_{\infty}, Q, \rho, \mu, C_P, h_1, h_2, h_f, h_c, k_f, k_t, d_1, d_2, L, a, w_f, w_{nf})$ 



Case 1

**Monte Carlo approach** for estimating  $u_{val}$  when the validation variable  $T_o$  is directly-measured  $(T_{o,D})$  and predicted with the simulation  $(T_{o,S})$  as  $T_{o,S} = T_{o,S}(T_i, T_{\infty}, Q, \rho, \mu, C_P, h_1, h_2, h_f, h_c, k_f, k_t, d_1, d_2, L, a, w_f, w_{nf})$ 



#### Additional Cases Covered in V&V 20

• The experimental value D of the validation variable is determined from a data reduction equation

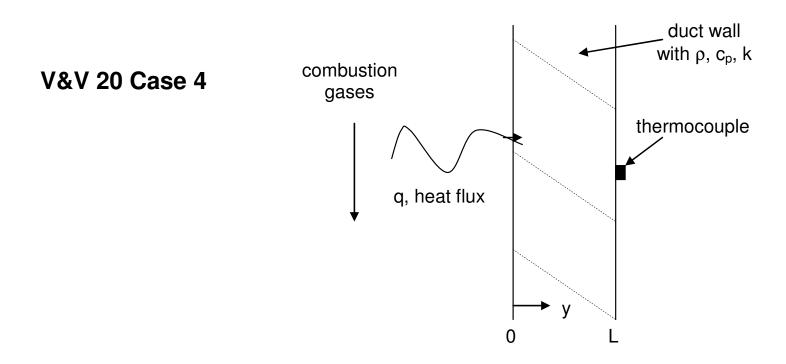
$$q_{D} = \rho Q C_{P} \left( T_{i,D} - T_{o,D} \right)$$

and the simulation value predicted as

$$q_{S} = \rho Q C_{P} \left[ T_{i,D} - T_{o,S} (T_{i}, T_{\infty}, Q, \rho, \mu, C_{P}, h_{1}, h_{2}, h_{f}, h_{c}, k_{f}, k_{t}, d_{1}, d_{2}, L, a, w_{f}, w_{nf}) \right]$$

- **V&V 20 Case 2**: T<sub>i,D</sub> and T<sub>o,D</sub> share no error sources, so there are no correlated systematic errors
- **V&V 20 Case 3**:  $T_{i,D}$  and  $T_{o,D}$  are measured with transducers calibrated against the same standard, so there are correlated systematic errors

### **Additional Cases Covered in V&V 20**



Case 4 considers a combustion flow with the validation variable being duct wall heat flux **q** at a given location. The experimental **q** is inferred from temperature-time measurements at the outside combustor duct wall using a data reduction equation that is itself a model. The predicted **q** is from a simulation using a turbulent chemically-reacting flow code to model the flow through the duct.

#### Interpretation of Validation Results with No Assumptions Made about the Error Distributions

 $\delta_{\text{model}} = E - (\delta_{\text{input}} + \delta_{\text{num}} - \delta_{\text{D}})$ 

If  $|E| >> u_{val}$ then probably  $\delta_{model} \approx E$ .

If  $|E| \le u_{val}$ then probably  $\delta_{model}$  is of the same order as or less than  $(\delta_{num} + \delta_{input} - \delta_D)$ .

. . . . . . .

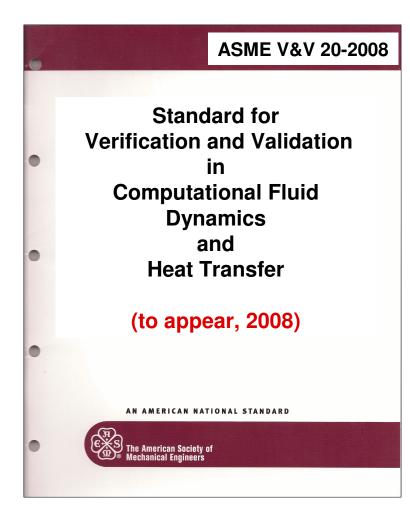
#### Interpretation of Validation Results with Assumptions Made about the Error Distributions

$$\delta_{\text{model}} = \mathbf{E} - (\delta_{\text{input}} + \delta_{\text{num}} - \delta_{\text{D}})$$

In order to estimate an interval within which  $\delta_{model}$  falls with a given probability or degree of confidence, an assumption about the probability distribution of the error combination ( $\delta_{input} + \delta_{num} - \delta_{D}$ ) must be made. This then allows the choice of a coverage factor *k* such that

$$U_{\%} = k_{\%} u_{val}$$

One can say, for instance, that  $(E \pm k_{95}u_{val})$  then defines an interval within which  $\delta_{model}$  falls about 95 times out of 100 (i.e., with 95% confidence) when the coverage factor has been chosen for a level of confidence of 95%.



# **Questions?**