

# Automatic Parameter Prediction for Image Denoising Algorithms using Perceptual Quality Features

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## ABSTRACT

A natural scene statistics (NSS) based blind image denoising approach is proposed, where denoising is performed without knowledge of the noise variance present in the image. We show how such a parameter estimation can be used to perform blind denoising by combining blind parameter estimation with a state-of-the-art denoising algorithm.<sup>1</sup> Our experiments show that for all noise variances simulated on a varied image content, our approach is almost always statistically superior to the reference BM3D implementation in terms of perceived visual quality at the 95% confidence level.

## 1. INTRODUCTION

Image denoising has long been an interesting problem in the image processing community. This is natural owing to the way images are captured by the sensor and since noise is an integral part of the process. Hence, the problem has been well addressed in literature.<sup>1-21</sup> The recent significant improvements achieved in denoising helped camera manufacturers to deploy mega pixel image sensors in small handheld devices and smart phones. This has also pushed the foot print of sensors to upper limits increasing the amount of sensor noise, consequently making problem more salient and interesting for image processing researchers.

Although recent denoising algorithms perform remarkably well, most of them require certain parameters to be set a priori, usually in an ad hoc fashion. Some empirical methods have been proposed in this direction that make use of L-curve methods,<sup>22-25</sup> discrepancy principle<sup>26</sup> and cross validation<sup>26-31</sup> for parameter optimization. While these methods have led to better denoising performance, simply accounting for nature of visual content has led to better progress. Efforts have been directed towards optimizing the quality of estimated signals using the mean squared error. The *pristine reference* generally unavailable a priori, it must be replaced by other estimates not requiring the use of reference image, for example Stein's unbiased risk estimate.<sup>32-36</sup> Given that the mean squared error is a poor measure of visual quality,<sup>37</sup> where performance is defined in terms of human judgements of image quality, a systematic perception based quality assessment approach would lead to improved performance. Towards this end, SSIM<sup>38</sup> based estimator was used for image denoising.<sup>39</sup>

Here we propose a natural scene statistics (NSS) based blind image denoising approach that seeks to reduce the amount of noise in a corrupted image without knowledge of the noise variance. We demonstrate how NSS-based parameter estimation may be used to create a blind denoising algorithm by combining blind parameter estimation with a state-of-the-art denoising algorithm.<sup>1</sup> Even though the current work discusses the estimation of the noise variance parameter only, the approach can be used to estimate other parameters, depending on the unknown parameters of the image denoising approach it is used with.

We show that our blind parameter estimation procedure results in higher quality denoised images than the baseline for a wide range of noise variance values. The closest method in concept to our work is the one in,<sup>21</sup> where the content of the image was used to predict noise variance. While the work in<sup>21</sup> is interesting, the approach is exhaustive and computationally intensive. In,<sup>21</sup> the image is denoised multiple times using different values of the noise variance and the quality of each denoised image is estimated using their proposed no reference content-evaluation algorithm. The best image from this set is finally selected as the denoised image. Further, the limited evaluation presented in<sup>21</sup> makes it difficult to judge the algorithm performance in a general-case scenario.

The paper is structured as follows: we first give details about the dataset used for our experiments and then explain a learning based blind parameter estimation approach that we use to create a blind image denoising approach. We then report experimental results and conclude with ideas about future work.

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## 2. DATABASE

A total of 300 reference images from the Berkley image segmentation database<sup>40</sup> were randomly selected. Dataset has both portrait and landscape images of size  $321 \times 481$  and  $481 \times 321$  respectively.

Ten different levels of Gaussian noise were simulated using MATLAB’s `imnoise` command resulting in 3000 distorted images. The distortion level represented by noise variance was uniformly sampled on a log-scale between 0.001 and 0.05. 1000 images were used for training phase and 2000 for testing phase. Train and test split was done to ensure that the content is disjoint among the two classes. Figure 1 shows sample images and their noisy versions with  $\sigma = 0.0316$  and  $\sigma = 0.2507$ .

## 3. APPROACH

Our approach to blind parameter estimation is learning-based, where the input parameter is estimated using natural scene statistic based features proposed elsewhere for the purpose of blind image quality assessment<sup>41</sup>. During the training phase, our model resembles the approach in<sup>21</sup>. The algorithm that we use to denoise the image<sup>1</sup> requires that the user provide the noise variance as an input parameter. However, we have observed that the denoised image produced when the algorithm is provided with the correct noise variance often has lower perceived quality than one is produced using a different (although incorrect) noise variance. For example, in Fig. 2, we plot a noisy image and two denoised versions of it, using the correct noise variance to generate as the result in<sup>1</sup> and the denoised result from our approach which predicts a different input noise variance parameter. Notice that the latter has better quality, as supported by the improved multi-scale structural similarity index (MS-SSIM)<sup>42</sup> scores.

In order to account for this discrepancy and to ensure that the denoised image has the highest visual quality, the training stage proceeds as follows. Given a large set of noisy images, we denoise each image with various values of the input (noise variance) parameter using<sup>1</sup> and evaluate its visual quality using MS-SSIM.<sup>42</sup> Amongst the denoised set, we pick the image having the highest perceptual quality as gauged by MS-SSIM,<sup>42</sup> and use the corresponding input parameter as training input to the blind parameter estimation algorithm. Notice how this procedure, apart from producing images with high visual quality, also does not require knowledge of the actual noise variance in the training set. These estimated input parameters act as target values for our regressor which maps our features onto the input parameter using the training set.

The statistical features used to estimate the input parameter are the same as those that we have previously used in developing a blind image quality assessment algorithm named Blind/Referenceless Image Spatial QUality Evaluator (BRISQUE).<sup>41</sup> The features are based on pointwise statistics of locally normalized luminance signals and distribution of pairwise products of neighbouring locally normalized luminance signals. An AGGD (Asymmetric Generalized Gaussian Model) distribution is utilized to fit the coefficients of both point wise and pairwise product distributions. Parameters of the distribution are used as features. The approach computes features at two scales.

During the training phase, we learn a regression from these statistical features to the input parameter as described above, and use the trained regressor in the testing phase to predict the input parameter given an unseen noisy image. This is followed by denoising using the algorithm in<sup>1</sup> (BM3D).

## 4. EXPERIMENTS AND RESULTS

We used an online available MATLAB implementation of BM3D algorithm.<sup>43</sup> To map statistical features to noise variance, any good regressor can be used. In our current implementation, we used a support vector machine regressor (SVR).<sup>44</sup> This has previously been shown to perform well for quality assessment.<sup>41</sup> In our implementation, we used the LIBSVM package<sup>45</sup> and the radial basis function (RBF) kernel.

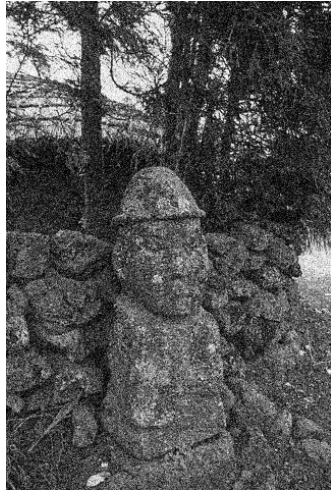
We compare the quality of the resulting denoised image against the one obtained using the default implementation of the BM3D algorithm where quality of denoising is measured using MS-SSIM. In Fig. 3, we plot the mean quality and the associated errors at each noise level across the 2000 test images for our approach, as well as for the reference implementation of BM3D.



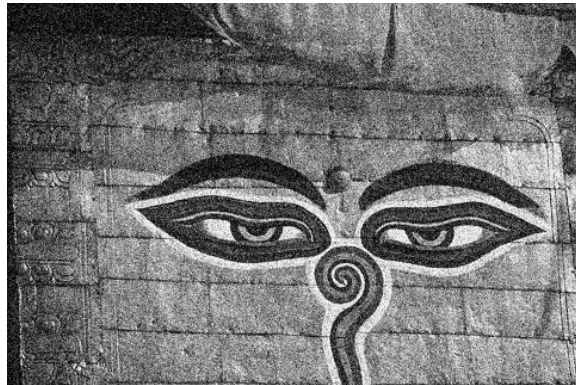
(a)



(b)



(c)



(d)



(e)



(f)

Figure 1. (a) and (b) show sample portrait and landscape images, (c) and (d) shows noisy versions of them with  $\sigma = 0.0316$  and (e) and (f) with  $\sigma = 0.2507$  respectively

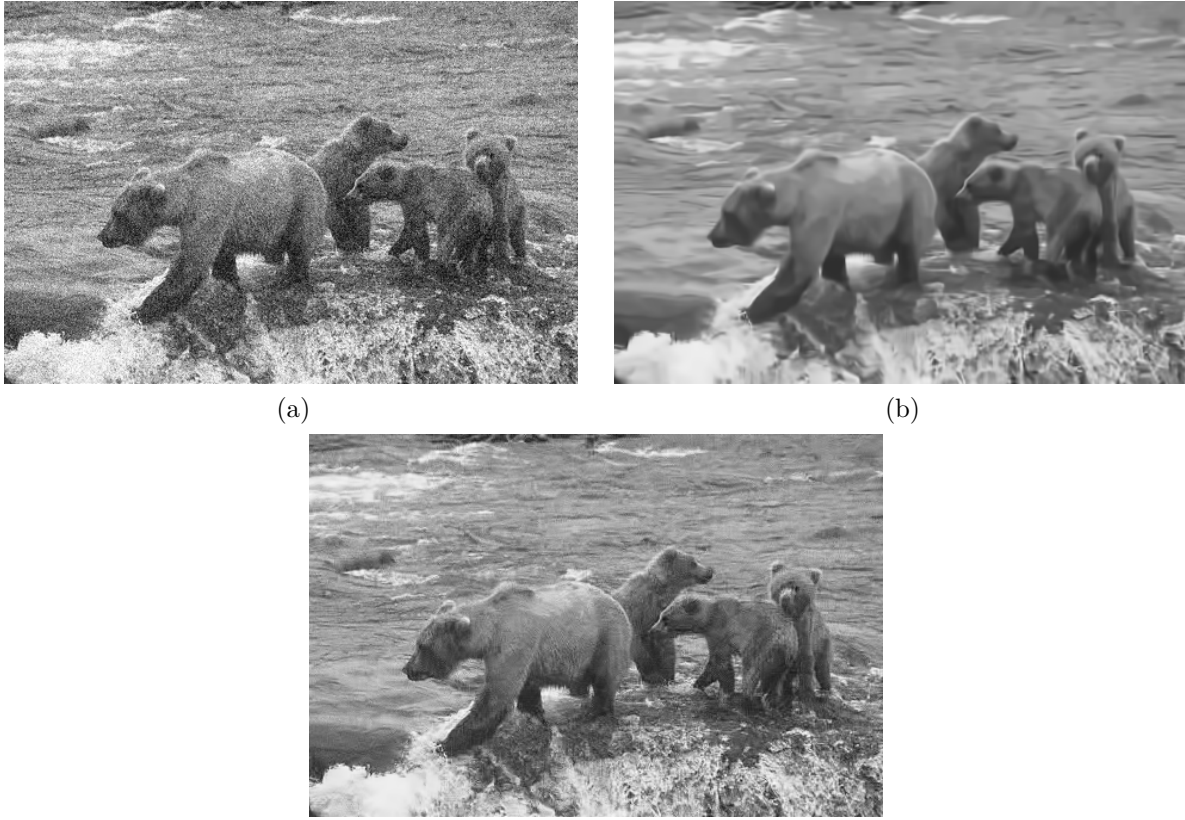


Figure 2. Accurate noise variance as input to the algorithm in<sup>21</sup> produces poorer quality denoised images: (a) Noisy Image ( $\sigma = 0.0158$ , MS-SSIM = 0.9063 ), (b) Denoised with  $\sigma = 0.0158$  (MS-SSIM = 0.9176 ) and (c) Denoised with  $\sigma = 0.0040$  (MS-SSIM = 0.9480)

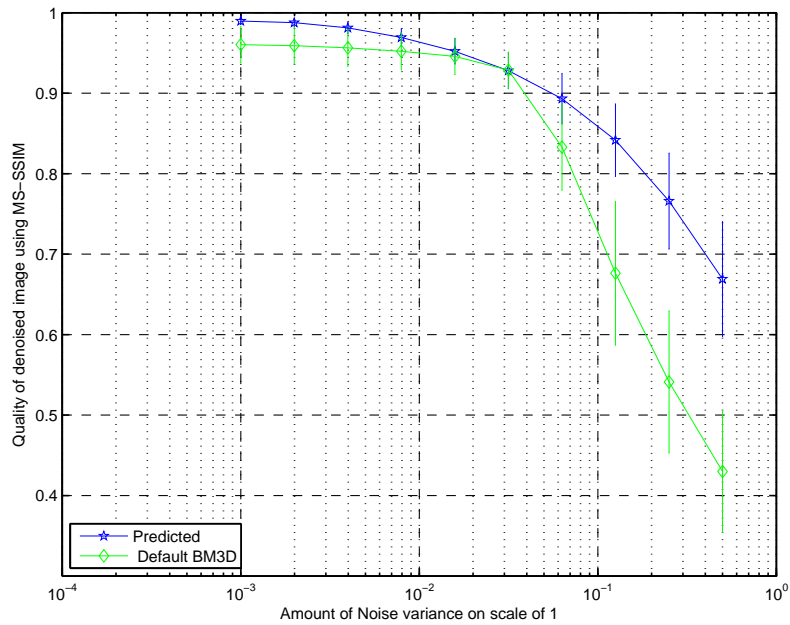


Figure 3. Figure shows the mean quality and associated errors at each noise level across 2000 test images for our approach as well as the reference implementation of BM3D

We also analyzed whether the differences observed in the quality of the denoised images between our approach and the reference BM3D implementation are statistically significant using the t-test.<sup>46</sup> Our analysis indicates that for all noise variances simulated in this study, our approach is statistically superior to the reference BM3D implementation in terms of perceived visual quality at the 95% confidence level, excepting when the noise variance is at 0.0316 – where the two approaches are statistically indistinguishable.

## 5. CONCLUSION AND FUTURE WORK

A natural scene statistics (NSS) based blind image denoising approach was proposed by combining blind parameter estimation with a state-of-the-art denoising algorithm.<sup>1</sup> It was shown to perform statistically superior to the reference BM3D implementation, where performance was defined in terms of perceived visual quality at the 95% confidence level, excepting when the noise variance is at 0.0316 – where the two approaches are statistically indistinguishable.

Current work has addressed estimation of noise variance parameter but our approach is generic enough to be used for any parameter estimation depending on the input required by image denoising approach it is used with. Future work would involve parameter estimation for other denoising algorithms. Also, we have only used images afflicted with gaussian noise for our present analysis. It would be of interest to discover how well BRISQUE features<sup>41</sup> would perform when estimating parameters representative of other distortions, for instance JPEG quantization distortion, and subsequently using it for blind image deblocking.

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