
CHAPTER 5

STORMWATER DRAINAGE SYSTEM DESIGN

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5.1 STORMWATER DRAINAGE DESIGN OVERVIEW

5.1.1 Stormwater Drainage System Design

5.1.1.1 Introduction

Stormwater drainage design is an integral component of both site and overall stormwater management design. Good drainage design must strive to maintain compatibility and minimize interference with existing drainage patterns; control flooding of property, structures and roadways for design flood events; and minimize potential environmental impacts on stormwater runoff.

Stormwater collection systems must be designed to provide adequate surface drainage while at the same time meeting other stormwater management goals such as water quality, streambank channel protection, habitat protection and groundwater recharge.

5.1.1.2 Drainage System Components

In every location there are two stormwater drainage systems, the minor system and the major system. Three considerations largely shape the design of these systems: flooding, public safety and water quality.

The minor drainage system is designed to remove stormwater from areas such as streets and sidewalks for public safety reasons. The minor drainage system consists of inlets, street and roadway gutters, roadside ditches, small channels and swales, and small underground pipe systems which collect stormwater runoff and transport it to structural control facilities, pervious areas and/or the major drainage system (i.e., natural waterways, large man-made conduits, and large water impoundments).

Paths taken by runoff from very large storms are called major systems. The major system (designed for the less frequent storm up to the 100-yr level) consists of natural waterways, large man-made conduits, and large water impoundments. In addition, the major system includes some less obvious drainageways such as overload relief swales and infrequent temporary ponding areas. The major system includes not only the trunk line system that receives the water from the minor system, but also the natural backup system which functions in case of overflow from or failure of the minor system. Overland relief must not flood or damage houses, buildings or other property.

The major/minor concept may be described as a 'system within a system' for it comprises two distinct but conjunctive drainage networks. The major and minor systems are closely interrelated, and their design needs to be done in tandem and in conjunction with the design of structural stormwater controls and the overall stormwater management concept and plan ~~(see Section 1.5)~~.

This chapter is intended to provide design criteria and guidance on several drainage system components, including street and roadway gutters, inlets and storm drain pipe systems (Section 45.2); culverts (Section 45.3); vegetated and lined open channels (Section 45.4); and energy dissipation devices for outlet protection (Section 45.5). The rest of this section covers important considerations to keep in mind in the planning and design of stormwater drainage facilities.

5.1.1.3 Checklist for Drainage Planning and Design

The following is a general procedure for drainage system design on a development site.

- (1) Analyze topography
 - a) Check off-site drainage pattern. Where is water coming onto the site? Where is water leaving the site?
 - b) Check on-site topography for surface runoff and storage, and infiltration
 1. Determine runoff pattern; high points, ridges, valleys, streams, and swales. Where is the water going?
 2. Overlay the grading plan and indicate watershed areas; calculate square footage (acreage), points of concentration, low points, etc.
 - c) Check potential drainage outlets and methods
 1. On-site (structural control, receiving water)
 2. Off-site (highway, storm drain, receiving water, regional control)
 3. Natural drainage system (swales)
 4. Existing drainage system (drain pipe)
- (2) Analyze other site conditions.
 - a) Land use and physical obstructions such as walks, drives, parking, patios, landscape edging, fencing, grassed area, landscaped area, tree roots, etc.
 - b) Soil type determines the amount of water that can be absorbed by the soil.
 - c) Vegetative cover will determine the amount of slope possible without erosion.
- (3) Analyze areas for probable location of drainage structures and facilities.
- (4) Identify the type and size of drainage system components that are required. Design the drainage system and integrate with the overall stormwater management system and plan.

5.1.2 Key Issues in Stormwater Drainage Design

5.1.2.1 Introduction

The traditional design of stormwater drainage systems has been to collect and convey stormwater runoff as rapidly as possible to a suitable location where it can be discharged. This Manual takes a different approach wherein the design methodologies and concepts of drainage design are to be integrated with the objectives for water quantity and quality control in the stormwater management minimum standards. This means that:

- Stormwater conveyance systems are to remove water efficiently enough to meet flood protection criteria and level of service requirements, and
- These systems are to complement the ability of the site design and structural stormwater controls to mitigate the major impacts of urban development.

The following are some of the key issues in integrating water quantity and quality control consideration in stormwater drainage design.

5.1.2.2 General Drainage Design Considerations

- Stormwater systems should be planned and designed so as to generally conform to natural drainage patterns and discharge to natural drainage paths within a drainage basin. These natural drainage paths should be modified as necessary to contain and safely convey the peak flows generated by the development.
- Runoff must be discharged in a manner that will not cause adverse impacts on downstream properties or stormwater systems. In general, runoff from development sites within a drainage basin should be discharged at the existing natural drainage outlet or outlets. If the developer wishes to change discharge points he or she must demonstrate that the change will not have any adverse impacts on downstream properties or stormwater systems.
- It is important to ensure that the combined minor and major system can handle blockages and flows in excess of the design capacity to minimize the likelihood of nuisance flooding or damage to private properties. If failure of minor systems and/or major structures occurs during these periods, the risk to life and property could be significantly increased.
- In establishing the layout of stormwater networks, it is essential to ensure that flows will not discharge onto private property during flows up to the major system design capacity.

5.1.2.3 Street and Roadway Gutters

- Gutters are efficient flow conveyance structures. This is not always an advantage if removal of pollutants and reduction of runoff is an objective. Therefore, impervious surfaces should be disconnected hydrologically where possible and runoff should be allowed to flow across pervious surfaces or through grass channels. Gutters should be used only after other options have been investigated and only after runoff has had as much chance as possible to infiltrate and filter through vegetated areas.
- It may be possible not to use gutters at all, or to modify them to channel runoff to off-road pervious areas or open channels. For example, curb opening type designs take roadway runoff to smaller feeder grass channels. Care should be taken not to create erosion problems in off-road areas. Protection during construction, establishment of strong stands of grass, and active maintenance may be necessary in some areas.
- Use road cross sections that include grass channels or swales instead of gutters to provide for pollution reduction and reduce the impervious area required. Figure 45.1-1 illustrates a roadway cross section that eliminates gutters for residential neighborhoods. Flow can also be directed to center median strips in divided roadway designs. To protect the edge of pavement, ribbons of concrete can be used along the outer edges of asphalt roads.

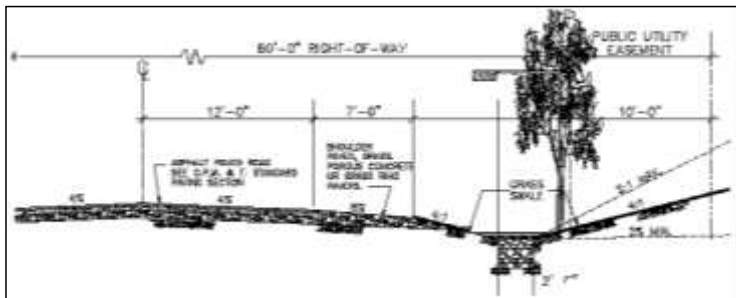


Figure 45.1-1 Alternate Roadway Section without Gutters
 (Source: Prince George's County, MD, 1999)

5.1.2.4 Inlets and Drains

- Inlets should be located to maximize overland flow path, take advantage of pervious areas, and seek to maximize vegetative filtering and infiltration. For example, it might be possible to design a parking lot so that water flows into vegetated areas prior to entering the nearest inlet.
- Inlet location should not compromise safety or aesthetics. It should not allow for standing water in areas of vehicular or pedestrian traffic, but should take advantage of natural depression storage where possible.
- Inlets should be located to serve as overflows for structural stormwater controls. For example, a bioretention device in a commercial area could be designed to overflow to a catch basin for larger storm events.
- The choice of inlet type should match its intended use. A sumped inlet may be more effective supporting water quality objectives.
- Use several smaller inlets instead of one large inlet in order to:
 - (1) Prevent erosion on steep landscapes by intercepting water before it accumulates too much volume and velocity.
 - (2) Provide a safety factor. If a drain inlet clogs, the other surface drains may pick up the water.
 - (3) Improve aesthetics. Several smaller drains will be less obvious than one large drain.
 - (4) Spacing smaller drain inlets will give surface runoff a better chance of reaching the drain. Water will have farther to travel to reach one large drain inlet.

5.1.2.5 Storm Drain Pipe Systems (Storm Sewers)

- The use of better site design practices (and corresponding site design credits) should be considered to reduce the overall length of a piped stormwater conveyance system.

- Shorter and smaller conveyances can be designed to carry runoff to nearby holding areas, natural conservation areas, or filter strips (with spreaders at the end of the pipe).
- Ensure that storms in excess of pipe design flows can be safely conveyed through a development without damaging structures or flooding major roadways. This is often done through design of both a major and minor drainage system. The minor (piped) system carries the mid-frequency design flows while larger runoff events may flow across lots and along streets as long as it will not cause property damage or impact public safety.

5.1.2.6 Culverts

- Culverts can serve double duty as flow retarding structures in grass channel design. Care should be taken to design them as storage control structures if depths exceed several feet, and to ensure safety during flows.
- Improved inlet designs can absorb considerable slope and energy for steeper sloped designs, thus helping to protect channels.

5.1.2.7 Open Channels

- Open channels provide opportunities for reduction of flow peaks and pollution loads. They may be designed as wet or dry enhanced swales or grass channels.
- Channels can be designed with natural meanders improving both aesthetics and pollution removal through increase of contact time.
- Grass channels generally provide better habitat than hardened channel sections, though studies have shown that riprap interstices provide significant habitat as well. Velocities should be carefully checked at design flows and the outer banks at bends should be specifically designed for increased shear stress.
- Compound sections can be developed that carry the annual flow in the lower section and higher flows above them. Figure 45.1-2 illustrates a compound section that carries the 2-year and 10-year flows within banks. This reduces channel erosion at lower flows, and meandering, self-forming low flow channels that attack banks. The shelf in the compound section should have a minimum 1:12 slope to ensure drainage.

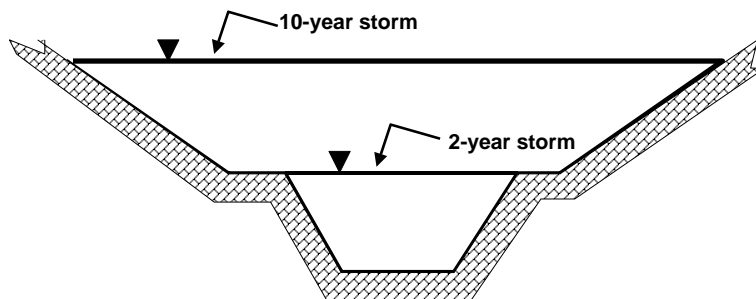


Figure 45.1-2 Compound Channel

-
- Flow control structures can be placed in the channels to increase residence time. Higher flows should be calculated using a channel slope that goes from the top of the cross piece to the next one if it is significantly different from the channel bottom for normal depth calculations. Channel slope stability can also be ensured through the use of grade control structures that can serve as pollution reduction enhancements if they are set above the channel bottom. Regular maintenance is necessary to remove sediment and keep the channels from aggrading and losing capacity for larger flows.

5.1.2.8 Energy Dissipators

- Energy dissipators should be designed to return flows to non-eroding velocities to protect downstream channels.
- Care must be taken during construction that design criteria are followed exactly. The designs presented in this Manual have been carefully developed through model and full-scale tests. Each part of the criteria is important to the proper function.

5.1.3 Design Storm Recommendations

Listed below are the design storm recommendations for various stormwater drainage system components to be designed and constructed in accordance with the minimum stormwater management standards. Some jurisdictions may require the design of both a minor and major stormwater conveyance system, sized for two different storm frequencies. Please consult your local review authority to determine the local requirements. It is recommended that the full build-out conditions be used to calculate flows for the design storm frequencies below.

Storm Drainage Systems

Includes storm drainage systems and pipes that do not convey runoff under public roadways, sometimes called lateral closed systems.

- 10- to 25-year design storm (for pipe and culvert design)
- 10- to 25-year design storm (for inlet design)
- 50-year design storm (for sumped inlets, unless overflow facilities are provided)

Roadway Culvert Design

Cross drainage facilities that transport storm runoff under roadways.

- 25- to 100-year design storm, or in accordance with GaDOT requirements, whichever is more stringent. (Criteria to be taken into consideration when selecting design flow include roadway type, depth of flow over road, structures and property subject to flooding, emergency access, and road replacement costs)

Open Channel Design

Open channels include all channels, swales, etc.

- 25-year design storm

Channels may be designed with multiple stages (e.g., a low flow channel section containing the 2-year to 5-year flows, and a high flow section that contains the design discharge) to improve stability and better mimic natural channel dimensions. Where flow easements can be obtained and structures kept clear, overbank areas may also be designed as part of a conveyance system wherein floodplain areas are designed for storage and/or conveyance of larger storms.

Energy Dissipation Design

Includes all outlet protection facilities.

- 25-year design storm

Check Storm

Used to estimate the runoff that is routed through the drainage system and stormwater management facilities to determine the effects on the facilities, adjacent property, floodplain encroachment and downstream areas.

- 100-year design storm, or as required by the Georgia Safe Dams Act.

5.2 MINOR DRAINAGE SYSTEM DESIGN

5.2.1 Overview

5.2.1.1 Introduction

Minor stormwater drainage systems, also known as convenience systems, quickly remove runoff from areas such as streets and sidewalks for public safety purposes. The minor drainage system consists of inlets, street and roadway gutters, roadside ditches, small channels and swales, and small underground pipe systems which collect stormwater runoff and transport it to structural control facilities, pervious areas and/or the major drainage system (i.e., natural waterways, large man-made conduits, and large water impoundments).

This section is intended to provide criteria and guidance for the design of minor drainage system components including:

- Street and roadway gutters
- Stormwater inlets
- Storm drain pipe systems

Ditch, channel and swale design criteria and guidance are covered in Section 45.4, *Open Channel Design*.

Procedures for performing gutter flow calculations are based on a modification of Manning's Equation. Inlet capacity calculations for grate, curb and combination inlets are based on information contained in HEC-12 (USDOT, FHWA, 1984). Storm drain system design is based on the use of the Rational Formula.

5.2.1.2 General Criteria

Design Frequency

See Section 45.1 or the local review authority for design storm requirements for the sizing of minor storm drainage system components.

Flow Spread Limits

Catch basins shall be spaced so that the spread in the street for the 25-year design flow shall not exceed the following, as measured from the face of the curb:

- 8 feet if the street is classified as a Collector or Arterial street (for 2-lane streets spread may extend to one-half of the travel lane; for 4-lane streets spread may extend across one travel lane)
- 16 feet at any given section, but in no case greater than 10 feet on one side of the street, if the street is classified as a Local or Sub-Collector street

5.2.2 Symbols and Definitions

To provide consistency within this section as well as throughout this Manual, the symbols listed in Table 45.2-1 will be used. These symbols were selected because of their wide use. In some cases, the same symbol is used in existing publications for more than one definition. Where this occurs in this section, the symbol will be defined where it occurs in the text or equations.

Table 45.2-1 Symbols and Definitions

<u>Symbol</u>	<u>Definition</u>	<u>Units</u>
a	Gutter depression	in
A	Area of cross section	ft ²
d or D	Depth of gutter flow at the curb line	ft
D	Diameter of pipe	ft
E _O	Ratio of frontal flow to total gutter flow Q_w/Q	-
g	Acceleration due to gravity (32.2 ft/s ²)	ft/s ²
h	Height of curb opening inlet	ft
H	Head loss	ft
K	Loss coefficient	-
L or L _T	Length of curb opening inlet	ft
L	Pipe length	ft
n	Roughness coefficient in the modified Manning's formula for triangular gutter flow	-
P	Perimeter of grate opening, neglecting bars and side against curb	ft
Q	Rate of discharge in gutter	cfs
Q _i	Intercepted flow	cfs
Q _S	Gutter capacity above the depressed section	cfs
S or S _x	Cross Slope - Traverse slope	ft/ft
S or S _L	Longitudinal slope of pavement	ft/ft
S _f	Friction slope	ft/ft
S' _w	Depression section slope	ft/ft
T	Top width of water surface (spread on pavement)	ft
T _S	Spread above depressed section	ft
V	Velocity of flow	ft/s
W	Width of depression for curb opening inlets	ft
Z	T/d, reciprocal of the cross slope	-

5.2.3 Street and Roadway Gutters

Effective drainage of street and roadway pavements is essential to the maintenance of the roadway service level and to traffic safety. Water on the pavement can interrupt traffic flow, reduce skid resistance, increase potential for hydroplaning, limit visibility due to splash and spray, and cause difficulty in steering a vehicle when the front wheels encounter puddles. Surface drainage is a function of transverse and longitudinal pavement slope, pavement roughness, inlet spacing, and inlet capacity. The design of these elements is dependent on storm frequency and the allowable spread of stormwater on the pavement surface.

This section presents design guidance for gutter flow hydraulics originally published in HEC-12, Drainage of Highway Pavements and AASHTO's Model Drainage Manual.

5.2.3.1 Formula

The following form of Manning's Equation should be used to evaluate gutter flow hydraulics:

$$Q = [0.56 / n] S_x^{5/3} S^{1/2} T^{8/3}$$

(45.2.1)

Where: Q= gutter flow rate, cfs
 n = Manning's roughness coefficient
 T = width of flow or spread, ft
 S_x =pavement cross slope, ft/ft
 S = longitudinal slope, ft/ft

5.2.3.2 Nomograph

Figure 45.2-1 is a nomograph for solving Equation 45.2.1. Manning's n values for various pavement surfaces are presented in Table 45.2-2 below.

5.2.3.3 Manning's n Table

Table 45.2-2 Manning's n Values for Street and Pavement Gutters

Type of Gutter or Pavement	Range of Manning's n
Concrete gutter, troweled finish	0.012
Asphalt pavement:	
Smooth texture	0.013
Rough texture	0.016
Concrete gutter with asphalt pavement:	
Smooth	0.013
Rough	0.015
Concrete pavement:	
Float finish	0.014
Broom finish	0.016
For gutters with small slopes, where sediment may accumulate, increase above values of n by	0.002

Note: Estimates are by the Federal Highway Administration
 Source: USDOT, FHWA, HDS-3 (1961).

5.2.3.4 Uniform Cross Slope

The nomograph in Figure 45.2-1 is used with the following procedures to find gutter capacity for uniform cross slopes:

Condition 1: Find spread, given gutter flow.

-
- (Step 1) Determine input parameters, including longitudinal slope (S), cross slope (S_x), gutter flow (Q), and Manning's n.
 - (Step 2) Draw a line between the S and S_x scales and note where it intersects the turning line.
 - (Step 3) Draw a line between the intersection point from Step 2 and the appropriate gutter flow value on the capacity scale. If Manning's n is 0.016, use Q from Step 1; if not, use the product of Q and n.
 - (Step 4) Read the value of the spread (T) at the intersection of the line from Step 3 and the spread scale.

Condition 2: Find gutter flow, given spread.

- (Step 1) Determine input parameters, including longitudinal slope (S), cross slope (S_x), spread (T), and Manning's n.
- (Step 2) Draw a line between the S and S_x scales and note where it intersects the turning line.
- (Step 3) Draw a line between the intersection point from Step 2 and the appropriate value on the T scale. Read the value of Q or Qn from the intersection of that line on the capacity scale.
- (Step 4) For Manning's n values of 0.016, the gutter capacity (Q) from Step 3 is selected. For other Manning's n values, the gutter capacity times n (Qn) is selected from Step 3 and divided by the appropriate n value to give the gutter capacity.

5.2.3.5 Composite Gutter Sections

Figure 45.2-2 in combination with Figure 45.2-1 can be used to find the flow in a gutter with width (W) less than the total spread (T). Such calculations are generally used for evaluating composite gutter sections or frontal flow for grate inlets.

Figure 45.2-3 provides a direct solution of gutter flow in a composite gutter section. The flow rate at a given spread or the spread at a known flow rate can be found from this figure. Figure 45.2-3 involves a complex graphical solution of the equation for flow in a composite gutter section. Typical of graphical solutions, extreme care in using the figure is necessary to obtain accurate results.

Condition 1: Find spread, given gutter flow.

- (Step 1) Determine input parameters, including longitudinal slope (S), cross slope (S_x), depressed section slope (S_w), depressed section width (W), Manning's n, gutter flow (Q), and a trial value of gutter capacity above the depressed section (Q_s).
- (Step 2) Calculate the gutter flow in W (Q_w), using the equation: $Q_w = Q - Q_s$
(45.2.2)

(Step 3) Calculate the ratios Q_W/Q or E_O and S_W/S_X and use Figure 45.2-2 to find an appropriate value of W/T .

(Step 4) Calculate the spread (T) by dividing the depressed section width (W) by the value of W/T from Step 3.

(Step 5) Find the spread above the depressed section (T_S) by subtracting W from the value of T obtained in Step 4.

(Step 6) Use the value of T_S from Step 5 along with Manning's n , S , and S_X to find the actual value of Q_S from Figure 45.2-1.

(Step 7) Compare the value of Q_S from Step 6 to the trial value from Step 1. If values are not comparable, select a new value of Q_S and return to Step 1.

Condition 2: Find gutter flow, given spread.

(Step 1) Determine input parameters, including spread (T), spread above the depressed section (T_S), cross slope (S_X), longitudinal slope (S), depressed section slope (S_W), depressed section width (W), Manning's n , and depth of gutter flow (d).

(Step 2) Use Figure 45.2-1 to determine the capacity of the gutter section above the depressed section (Q_S). Use the procedure for uniform cross slopes, substituting T_S for T .

(Step 3) Calculate the ratios W/T and S_W/S_X , and, from Figure 45.2-2, find the appropriate value of E_O (the ratio of Q_W/Q).

(Step 4) Calculate the total gutter flow using the equation:

$$Q = Q_S / (1 - E_O) \quad (45.2.3)$$

Where: Q = gutter flow rate, cfs
 Q_S = flow capacity of the gutter section above the depressed section, cfs
 E_O = ratio of frontal flow to total gutter flow (Q_W/Q)

(Step 5) Calculate the gutter flow in width (W), using Equation 45.2.2.

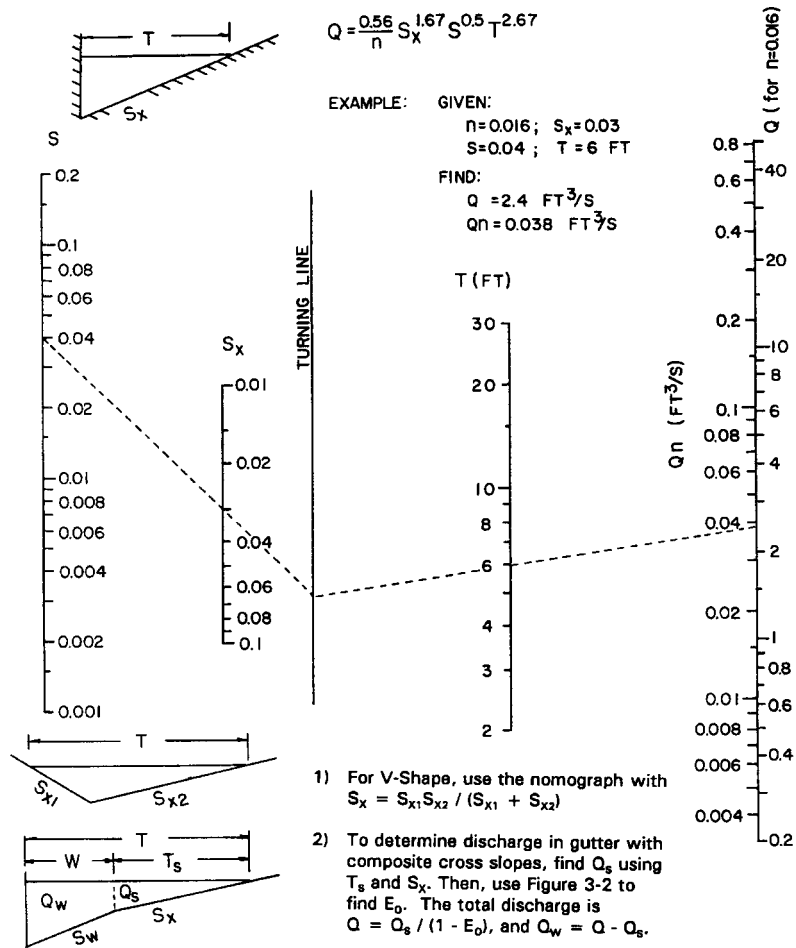


Figure 45.2-1 Flow in Triangular Gutter Sections
 (Source: AASHTO Model Drainage Manual, 1991)

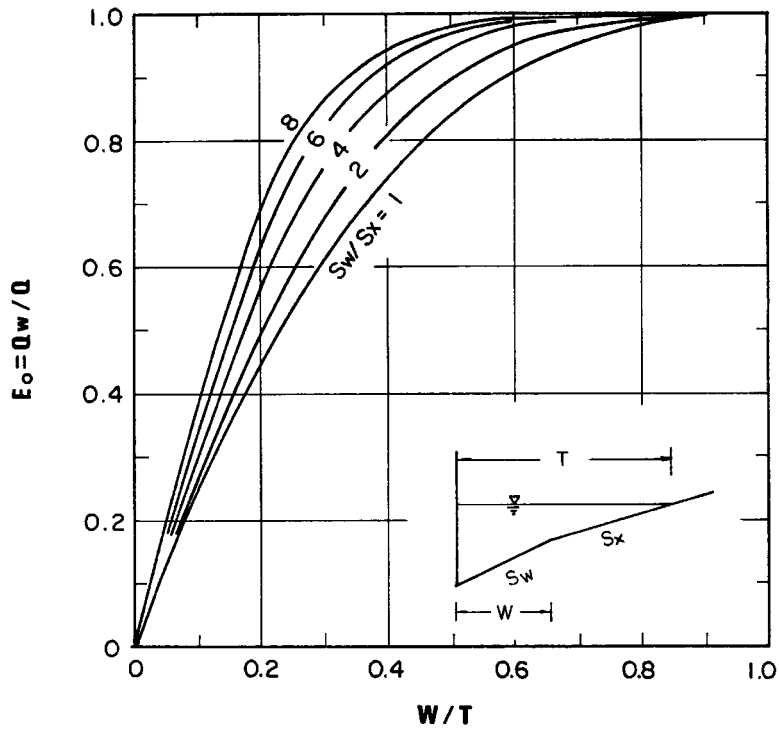


Figure 45.2-2 Ratio of Frontal Flow to Total Gutter Flow
 (Source: AASHTO Model Drainage Manual, 1991)

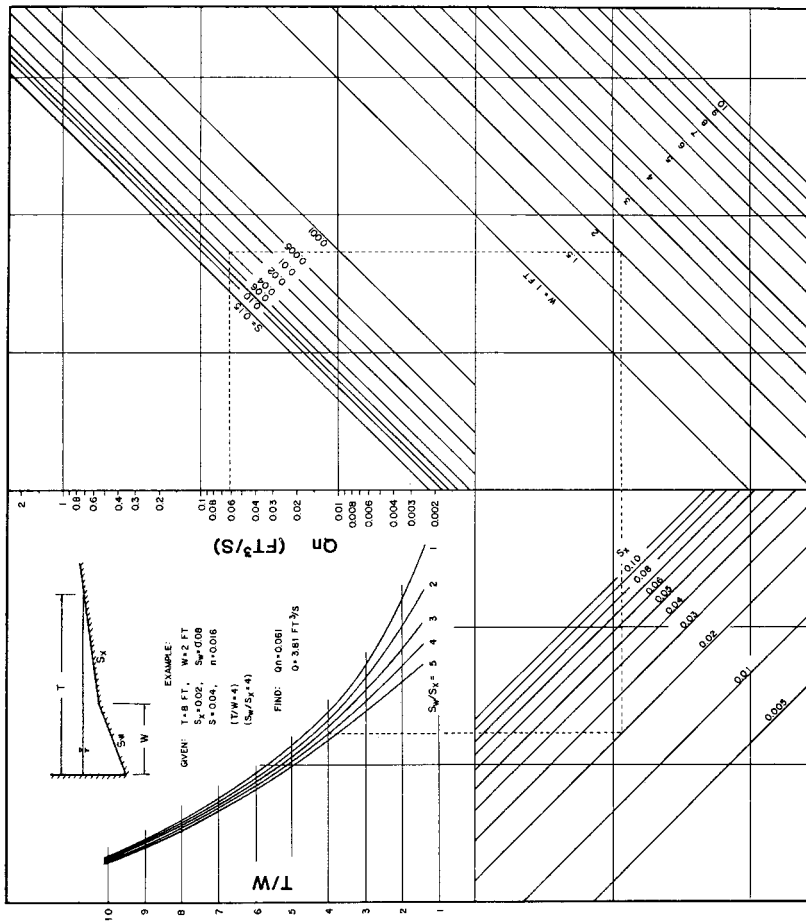


Figure 45.2-3 Flow in Composite Gutter Sections
 (Source: AASHTO Model Drainage Manual, 1991)

5.2.3.6 Examples

Example 1

Given: $T = 8$ ft $S_x = 0.025$ ft/ft
 $n = 0.015$ $S = 0.01$ ft/ft

Find: (a) Flow in gutter at design spread
(b) Flow in width ($W = 2$ ft) adjacent to the curb

Solution: (a) From Figure 45.2-1, $Q_n = 0.03$
 $Q = Q_n/n = 0.03/0.015 = 2.0$ cfs

(b) $T = 8 - 2 = 6$ ft
 $(Q_n)_2 = 0.014$ (Figure 45.2-1) (flow in 6-foot width outside of width (W))
 $Q = 0.014/0.015 = 0.9$ cfs
 $Q_W = 2.0 - 0.9 = 1.1$ cfs

Flow in the first 2 ft adjacent to the curb is 1.1 cfs and 0.9 cfs in the remainder of the gutter.

Example 2

Given: $T = 6$ ft $S_W = 0.0833$ ft/ft
 $T_S = 6 - 1.5 = 4.5$ ft $W = 1.5$ ft
 $S_x = 0.03$ ft/ft $n = 0.014$
 $S = 0.04$ ft/ft

Find: Flow in the composite gutter

Solution: (1) Use Figure 45.2-1 to find the gutter section capacity above the depressed section.
 $Q_S n = 0.038$
 $Q_S = 0.038/0.014 = 2.7$ cfs

(2) Calculate $W/T = 1.5/6 = 0.25$ and
 $S_W/S_x = 0.0833/0.03 = 2.78$
Use Figure 45.2-2 to find $E_o = 0.64$

(3) Calculate the gutter flow using Equation 54.2.3
 $Q = 2.7/(1 - 0.64) = 7.5$ cfs

(4) Calculate the gutter flow in width, W , using Equation 45.2.2
 $Q_W = 7.5 - 2.7 = 4.8$ cfs

5.2.4 Stormwater Inlets

Inlets are drainage structures used to collect surface water through grate or curb openings and convey it to storm drains or direct outlet to culverts. Grate inlets subject to traffic should be bicycle safe and be load-bearing adequate. Appropriate frames should be provided.

Inlets used for the drainage of highway surfaces can be divided into three major classes:

- **Grate Inlets** – These inlets include grate inlets consisting of an opening in the gutter covered by one or more grates, and slotted inlets consisting of a pipe cut along the longitudinal axis with a grate or spacer bars to form slot openings.
- **Curb-Opening Inlets** – These inlets are vertical openings in the curb covered by a top slab.
- **Combination Inlets** – These inlets usually consist of both a curb-opening inlet and a grate inlet placed in a side-by-side configuration, but the curb opening may be located in part upstream of the grate.

Inlets may be classified as being on a continuous grade or in a sump. The term "continuous grade" refers to an inlet located on the street with a continuous slope past the inlet with water entering from one direction. The "sump" condition exists when the inlet is located at a low point and water enters from both directions.

Where significant ponding can occur, in locations such as underpasses and in sag vertical curves in depressed sections, it is good engineering practice to place flanking inlets on each side of the inlet at the low point in the sag. The flanking inlets should be placed so that they will limit spread on low gradient approaches to the level point and act in relief of the inlet at the low point if it should become clogged or if the design spread is exceeded.

The design of grate inlets will be discussed in subsection [45.2.5](#), curb inlet design in Section [45.2.6](#), and combination inlets in Section [45.2.7](#).

5.2.5 Grate Inlet Design

5.2.5.1 Grate Inlets on Grade

The capacity of an inlet depends upon its geometry and the cross slope, longitudinal slope, total gutter flow, depth of flow and pavement roughness. The depth of water next to the curb is the major factor in the interception capacity of both gutter inlets and curb opening inlets. At low velocities, all of the water flowing in the section of gutter occupied by the grate, called frontal flow, is intercepted by grate inlets, and a small portion of the flow along the length of the grate, termed side flow, is intercepted. On steep slopes, only a portion of the frontal flow will be intercepted if the velocity is high or the grate is short and splash-over occurs. For grates less than 2 feet long, intercepted flow is small.

A parallel bar grate is the most efficient type of gutter inlet; however, when crossbars are added for bicycle safety, the efficiency is greatly reduced. Where bicycle traffic is a design consideration, the curved vane grate and the tilt bar grate are recommended for both their hydraulic capacity and bicycle safety features. They also handle debris better

than other grate inlets but the vanes of the grate must be turned in the proper direction. Where debris is a problem, consideration should be given to debris handling efficiency rankings of grate inlets from laboratory tests in which an attempt was made to qualitatively simulate field conditions. Table 45.2-3 presents the results of debris handling efficiencies of several grates.

The ratio of frontal flow to total gutter flow, E_o , for straight cross slope is expressed by the following equation:

$$E_o = Q_w/Q = 1 - (1 - W/T)^{2.67} \quad (45.2.4)$$

Where: Q = total gutter flow, cfs
 Q_w = flow in width W , cfs
 W = width of depressed gutter or grate, ft
 T = total spread of water in the gutter, ft

Table 45.2-3 Grate Debris Handling Efficiencies

Rank	Grate	Longitudinal Slope	
		(0.005)	(0.04)
1	CV - 3-1/4 - 4-1/4	46	61
2	30 - 3-1/4 - 4	44	55
3	45 - 3-1/4 - 4	43	48
4	P - 1-7/8	32	32
5	P - 1-7/8 - 4	18	28
6	45 - 2-1/4 - 4	16	23
7	Recticuline	12	16
8	P - 1-1/8	9	20

Source: "Drainage of Highway Pavements" (HEC-12), Federal Highway Administration, 1984.

Figure 45.2-2 provides a graphical solution of E_o for either depressed gutter sections or straight cross slopes. The ratio of side flow, Q_s , to total gutter flow is:

$$Q_s/Q = 1 - Q_w/Q = 1 - E_o \quad (45.2.5)$$

The ratio of frontal flow intercepted to total frontal flow, R_f , is expressed by the following equation:

$$R_f = 1 - 0.09 (V - V_o) \quad (45.2.6)$$

Where: V = velocity of flow in the gutter, ft/s (using Q from Figure 45.2-1)
 V_o = gutter velocity where splash-over first occurs, ft/s (from Figure 45.2-4)

This ratio is equivalent to frontal flow interception efficiency. Figure 45.2-4 provides a solution of equation 45.2.6, which takes into account grate length, bar configuration and gutter velocity at which splash-over occurs. The gutter velocity needed to use Figure 45.2-4 is total gutter flow divided by the area of flow. The ratio of side flow intercepted to total side flow, R_s , or side flow interception efficiency, is expressed by:

$$R_s = 1 / [1 + (0.15V^{1.8}/S_x L^{2.3})] \quad (45.2.7)$$

Where: L = length of the grate, ft

Figure 45.2-5 provides a solution to equation 45.2.7.

The efficiency, E, of a grate is expressed as:

$$E = R_f E_o + R_s (1 - E_o) \quad (45.2.8)$$

The interception capacity of a grate inlet on grade is equal to the efficiency of the grate multiplied by the total gutter flow:

$$Q_i = EQ = Q[R_f E_o + R_s (1 - E_o)] \quad (45.2.9)$$

The following example illustrates the use of this procedure.

Given: W = 2 ft T = 8 ft
 $S_x = 0.025$ ft/ft S = 0.01 ft/ft
 $E_o = 0.69$ Q = 3.0 cfs
 V = 3.1 ft/s Gutter depression = 2 in

Find: Interception capacity of:
 (1) a curved vane grate, and
 (2) a reticuline grate 2-ft long and 2-ft wide

Solution:

From Figure 45.2-4 for Curved Vane Grate, $R_f = 1.0$

From Figure 45.2-4 for Reticuline Grate, $R_f = 1.0$

From Figure 45.2-5 $R_s = 0.1$ for both grates

From Equation 45.2.9:

$$Q_i = 3.0[1.0 \times 0.69 + 0.1(1 - 0.69)] = 2.2 \text{ cfs}$$

For this example, the interception capacity of a curved vane grate is the same as that for a reticuline grate for the sited conditions.

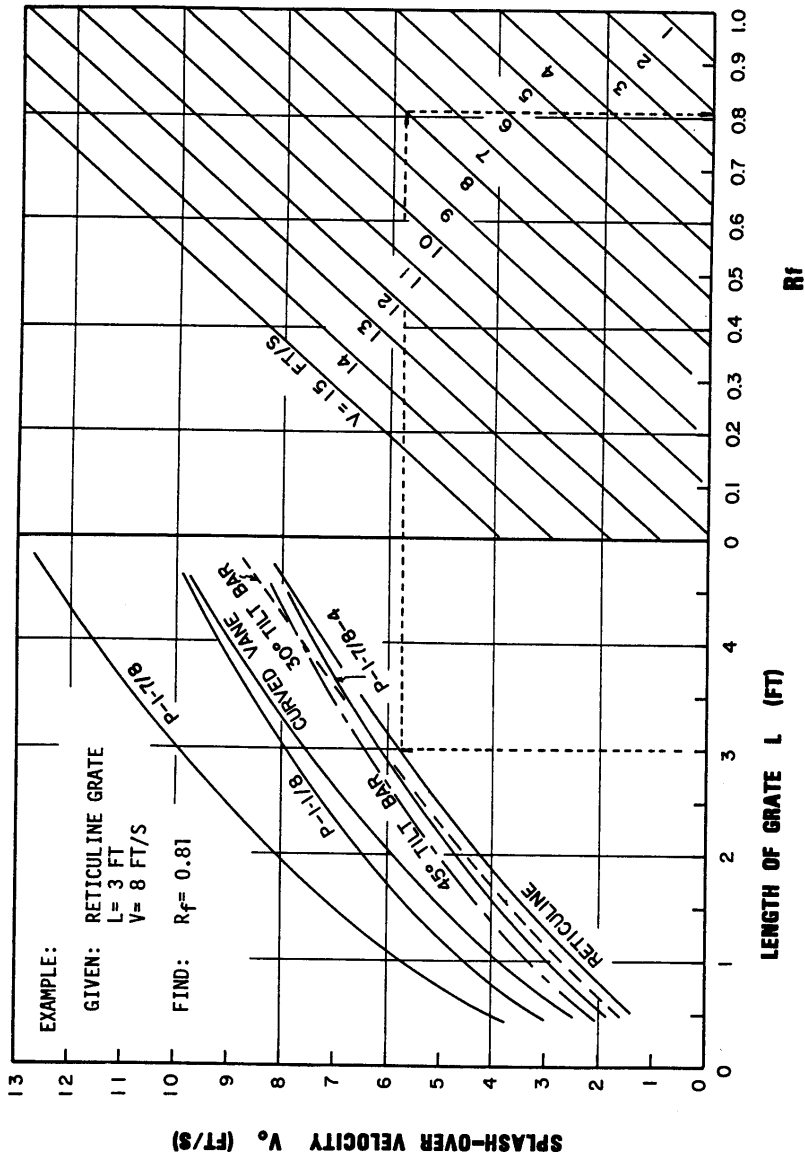


Figure 45.2-4 Grate Inlet Frontal Flow Interception Efficiency
 (Source: HEC-12, 1984)

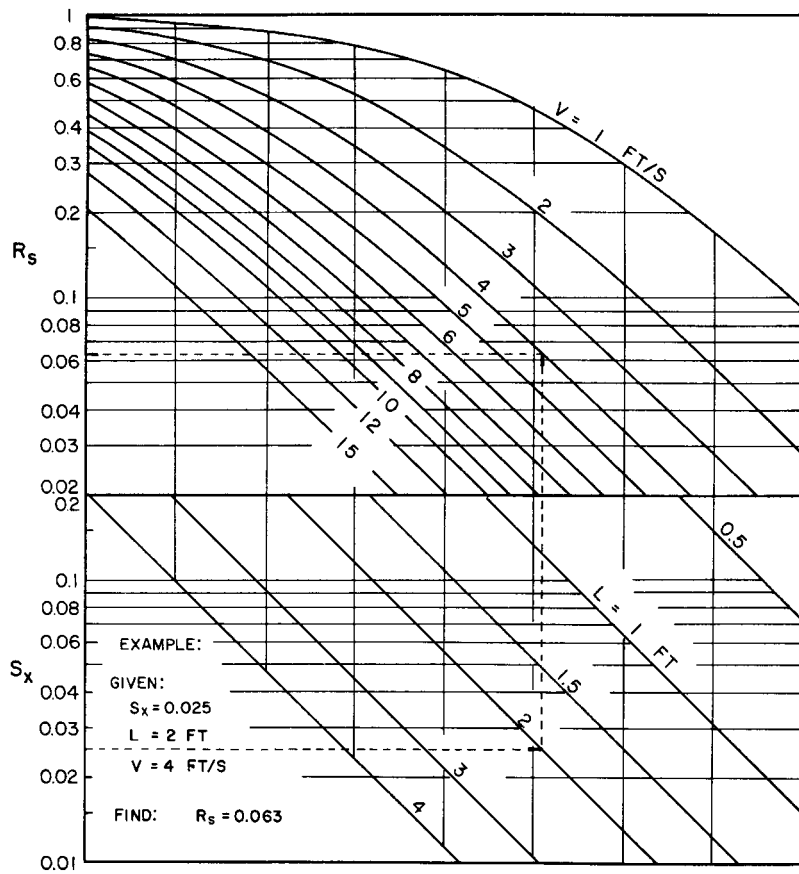


Figure 45.2-5 Grate Inlet Side Flow Interception Efficiency
 (Source: HEC-12, 1984)

5.2.5.2 Grate Inlets in Sag

A grate inlet in a sag operates as a weir up to a certain depth, depending on the bar configuration and size of the grate, and as an orifice at greater depths. For a standard gutter inlet grate, weir operation continues to a depth of about 0.4 feet above the top of grate and when depth of water exceeds about 1.4 feet, the grate begins to operate as an orifice. Between depths of about 0.4 feet and about 1.4 feet, a transition from weir to orifice flow occurs.

The capacity of grate inlets operating as a weir is:

$$Q_i = CPd^{1.5} \quad (45.2.10)$$

Where: P = perimeter of grate excluding bar widths and the side against the curb, ft
C = 3.0
d = depth of water above grate, ft

and as an orifice is:

$$Q_i = CA(2gd)^{0.5} \quad (45.2.11)$$

Where: C = 0.67 orifice coefficient
A = clear opening area of the grate, ft²
g = 32.2 ft/s²

Figure 45.2-6 is a plot of equations 45.2.10 and 45.2.11 for various grate sizes. The effects of grate size on the depth at which a grate operates as an orifice is apparent from the chart. Transition from weir to orifice flow results in interception capacity less than that computed by either weir or the orifice equation. This capacity can be approximated by drawing in a curve between the lines representing the perimeter and net area of the grate to be used. The following example illustrates the use of this figure.

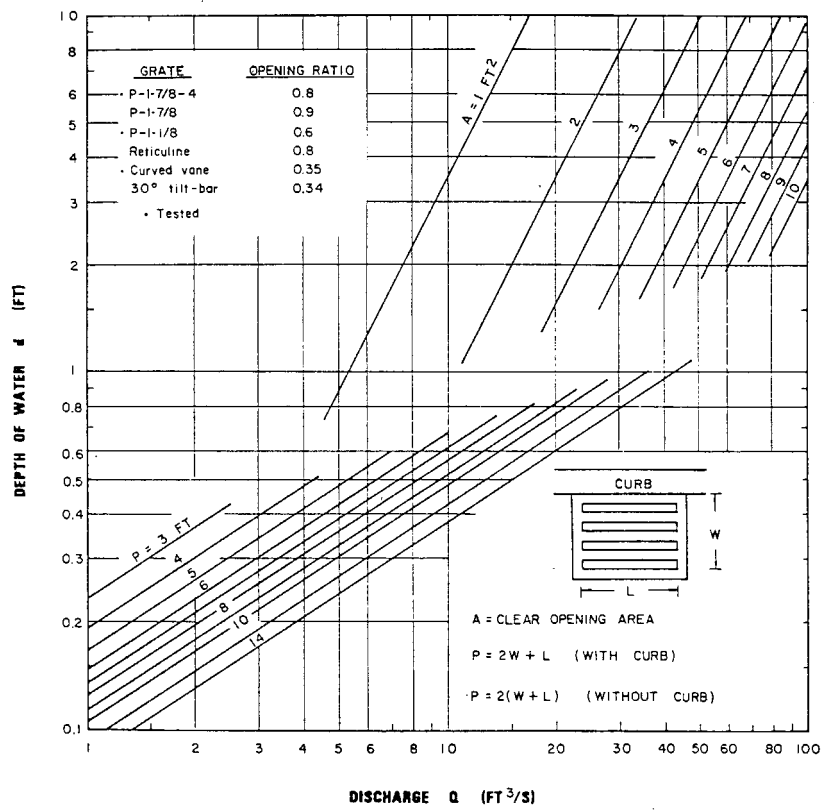
Given: A symmetrical sag vertical curve with equal bypass from inlets upgrade of the low point; allow for 50% clogging of the grate.

$$\begin{array}{lll} Q_b = 3.6 \text{ cfs} & Q = 8 \text{ cfs, 25-year storm} & \\ T = 10 \text{ ft, design} & S_x = 0.05 \text{ ft/ft} & d = TS_x = 0.5 \text{ ft} \end{array}$$

Find: Grate size for design Q. Check spread at S = 0.003 on approaches to the low point.

Solution: From Figure 45.2-6, a grate must have a perimeter of 8 ft to intercept 8 cfs at a depth of 0.5 ft.

Some assumptions must be made regarding the nature of the clogging in order to compute the capacity of a partially clogged grate. If the area of a grate is 50% covered by debris so that the debris-covered portion does not contribute to interception, the effective perimeter will be reduced by a lesser amount than 50%. For example if a 2-ft x 4-ft grate is clogged so that the effective width is 1 ft, then the perimeter, $P = 1 + 4 + 1 = 6$ ft, rather than 8 ft, the total perimeter, or 4 ft, half of the total perimeter. The area of the opening would be reduced by 50% and the perimeter by 25%.



Reference: USDOT, FHWA, HEC-12 (1984).

Figure 45.2-6 Grate Inlet Capacity in Sag Conditions
 (Source: HEC-12, 1984)

Therefore, assuming 50% clogging along the length of the grate, a 4 x 4, a 2 x 6, or a 3 x 5 grate would meet requirements of an 8-ft perimeter 50% clogged.

Assuming that the installation chosen to meet design conditions is a double 2 x 3 ft grate, for 50% clogged conditions: $P = 1 + 6 + 1 = 8$ ft

For 25-year flow: $d = 0.5$ ft (from Figure 45.2-6)

The American Society of State Highway and Transportation Officials (AASHTO) geometric policy recommends a gradient of 0.3% within 50 ft of the level point in a sag vertical curve.

Check T at $S = 0.003$ for the design and check flow:

$Q = 3.6$ cfs, $T = 8.2$ ft (25-year storm) (from Figure 45.2-1)

Thus a double 2 x 3-ft grate 50% clogged is adequate to intercept the design flow at a spread that does not exceed design spread, and spread on the approaches to the low point will not exceed design spread. However, the tendency of grate inlets to clog completely warrants consideration of a combination inlet, or curb-opening inlet in a sag where ponding can occur, and flanking inlets on the low gradient approaches.

5.2.6 Curb Inlet Design

5.2.6.1 Curb Inlets on Grade

Following is a discussion of the procedures for the design of curb inlets on grade. Curb-opening inlets are effective in the drainage of highway pavements where flow depth at the curb is sufficient for the inlet to perform efficiently. Curb openings are relatively free of clogging tendencies and offer little interference to traffic operation. They are a viable alternative to grates in many locations where grates would be in traffic lanes or would be hazardous for pedestrians or bicyclists.

The length of curb-opening inlet required for total interception of gutter flow on a pavement section with a straight cross slope is determined using Figure 45.2-7. The efficiency of curb-opening inlets shorter than the length required for total interception is determined using Figure 45.2-8.

The length of inlet required for total interception by depressed curb-opening inlets or curb-openings in depressed gutter sections can be found by the use of an equivalent cross slope, S_e , in the following equation:

$$S_e = S_x + S'_w E_o \quad (45.2.12)$$

Where: E_o = ratio of flow in the depressed section to total gutter flow
 S'_w = cross slope of gutter measured from the cross slope of the pavement, S_x
 $S'_w = (a/12W)$
Where: a = gutter depression, in
 W = width of depressed gutter, ft

It is apparent from examination of Figure 45.2-7 that the length of curb opening required for total interception can be significantly reduced by increasing the cross slope or the equivalent cross slope. The equivalent cross slope can be increased by use of a continuously depressed gutter section or a locally depressed gutter section.

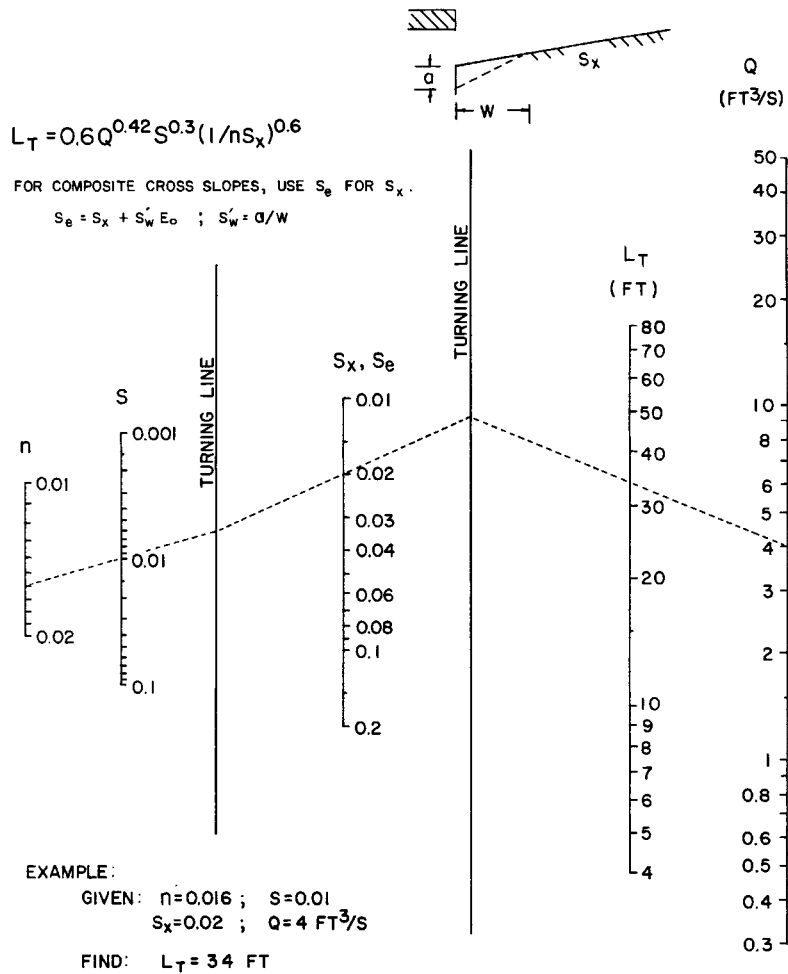


Figure 45.2-7 Curb-Opening and Slotted Drain Inlet Length for Total Interception | (Source: HEC-12, 1984)

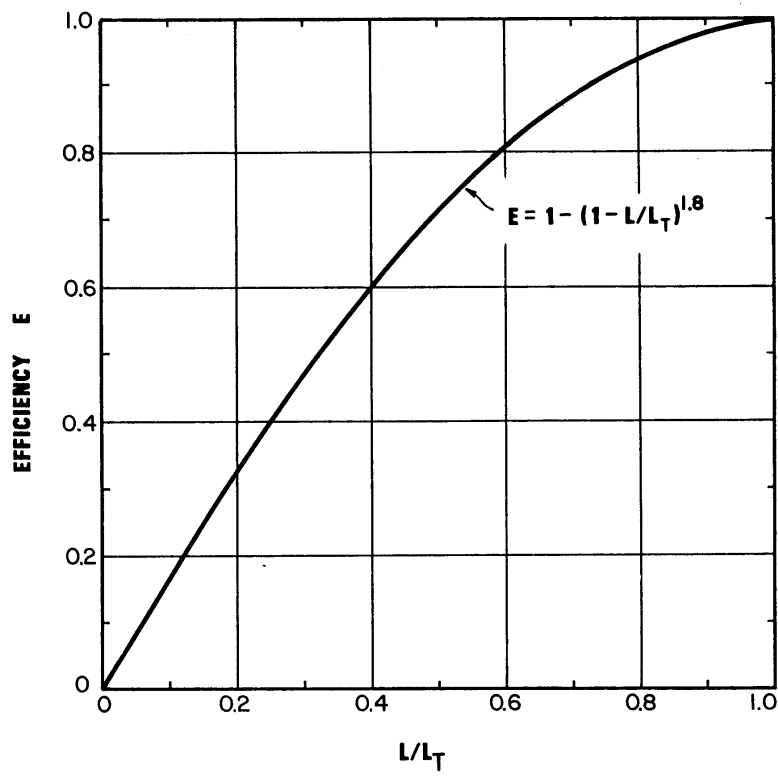


Figure 45.2-8 Curb-Opening and Slotted Drain Inlet Interception Efficiency
 (Source: HEC-12, 1984)

Design Steps

Steps for using Figures 45.2-7 and 45.2-8 in the design of curb inlets on grade are given below.

(Step 1) Determine the following input parameters:

Cross slope = S_x (ft/ft) Longitudinal slope = S (ft/ft)
Gutter flow rate = Q (cfs) Manning's $n = n$
Spread of water on pavement = T (ft) from Figure 45.2-1

(Step 2) Enter Figure 45.2-7 using the two vertical lines on the left side labeled n and S . Locate the value for Manning's n and longitudinal slope and draw a line connecting these points and extend this line to the first turning line.

(Step 3) Locate the value for the cross slope (or equivalent cross slope) and draw a line from the point on the first turning line through the cross slope value and extend this line to the second turning line.

(Step 4) Using the far right vertical line labeled Q locate the gutter flow rate. Draw a line from this value to the point on the second turning line. Read the length required from the vertical line labeled L_T .

(Step 5) If the curb-opening inlet is shorter than the value obtained in Step 4, Figure 45.2-8 can be used to calculate the efficiency. Enter the x-axis with the L/L_T ratio and draw a vertical line upward to the E curve. From the point of intersection, draw a line horizontally to the intersection with the y-axis and read the efficiency value.

Example

Given: $S_x = 0.03$ ft/ft $n = 0.016$
 $S = 0.035$ ft/ft $Q = 5$ cfs
 $S'_w = 0.083$ ($a = 2$ in, $W = 2$ ft)

Find: (1) Q_i for a 10-ft curb-opening inlet
(2) Q_i for a depressed 10-ft curb-opening inlet with $a = 2$ in, $W = 2$ ft,
 $T = 8$ ft (Figure 45.2-1)

Solution:

- (1) From Figure 45.2-7, $L_T = 41$ ft, $L/L_T = 10/41 = 0.24$
From Figure 45.2-8, $E = 0.39$, $Q_i = EQ = 0.39 \times 5 = 2$ cfs
- (2) $Qn = 5.0 \times 0.016 = 0.08$ cfs
 $S_w/S_x = (0.03 + 0.083)/0.03 = 3.77$
 $T/W = 3.5$ (from Figure 45.2-3)
 $T = 3.5 \times 2 = 7$ ft
 $W/T = 2/7 = 0.29$ ft
 $E_o = 0.72$ (from Figure 45.2-2)
Therefore, $S_e = S_x + S'_w E_o = 0.03 + 0.083(0.72) = 0.09$
- From Figure 45.2-7, $L_T = 23$ ft, $L/L_T = 10/23 = 0.4$
From Figure 45.2-8, $E = 0.64$, $Q_i = 0.64 \times 5 = 3.2$ cfs

The depressed curb-opening inlet will intercept 1.6 times the flow intercepted by the undeepressed curb opening and over 60% of the total flow.

5.2.6.2 Curb Inlets in Sump

For the design of a curb-opening inlet in a sump location, the inlet operates as a weir to depths equal to the curb opening height and as an orifice at depths greater than 1.4 times the opening height. At depths between 1.0 and 1.4 times the opening height, flow is in a transition stage.

The capacity of curb-opening inlets in a sump location can be determined from Figure 45.2-9, which accounts for the operation of the inlet as a weir and as an orifice at depths greater than 1.4h. This figure is applicable to depressed curb-opening inlets and the depth at the inlet includes any gutter depression. The height (h) in the figure assumes a vertical orifice opening (see sketch on Figure 45.2-9). The weir portion of Figure 45.2-9 is valid for a depressed curb-opening inlet when $d \leq (h + a/12)$.

The capacity of curb-opening inlets in a sump location with a vertical orifice opening but without any depression can be determined from Figure 45.2-10. The capacity of curb-opening inlets in a sump location with other than vertical orifice openings can be determined by using Figure 45.2-11.

Design Steps

Steps for using Figures 45.2-9, 45.2-10, and 45.2-11 in the design of curb-opening inlets in sump locations are given below.

(Step 1) Determine the following input parameters:

Cross slope = S_x (ft/ft)

Spread of water on pavement = T (ft) from Figure 45.2-1

Gutter flow rate = Q (cfs) or dimensions of curb-opening inlet [L (ft) and H (in)]

Dimensions of depression if any [a (in) and W (ft)]

(Step 2) To determine discharge given the other input parameters, select the appropriate figure (45.2-9, 45.2-10, or 45.2-11 depending on whether the inlet is in a depression and if the orifice opening is vertical).

(Step 3) To determine the discharge (Q), given the water depth (d), locate the water depth value on the y-axis and draw a horizontal line to the appropriate perimeter (p), height (h), length (L), or width x length (hL) line. At this intersection draw a vertical line down to the x-axis and read the discharge value.

(Step 4) To determine the water depth given the discharge, use the procedure described in Step 3 except enter the figure at the value for the discharge on the x-axis.

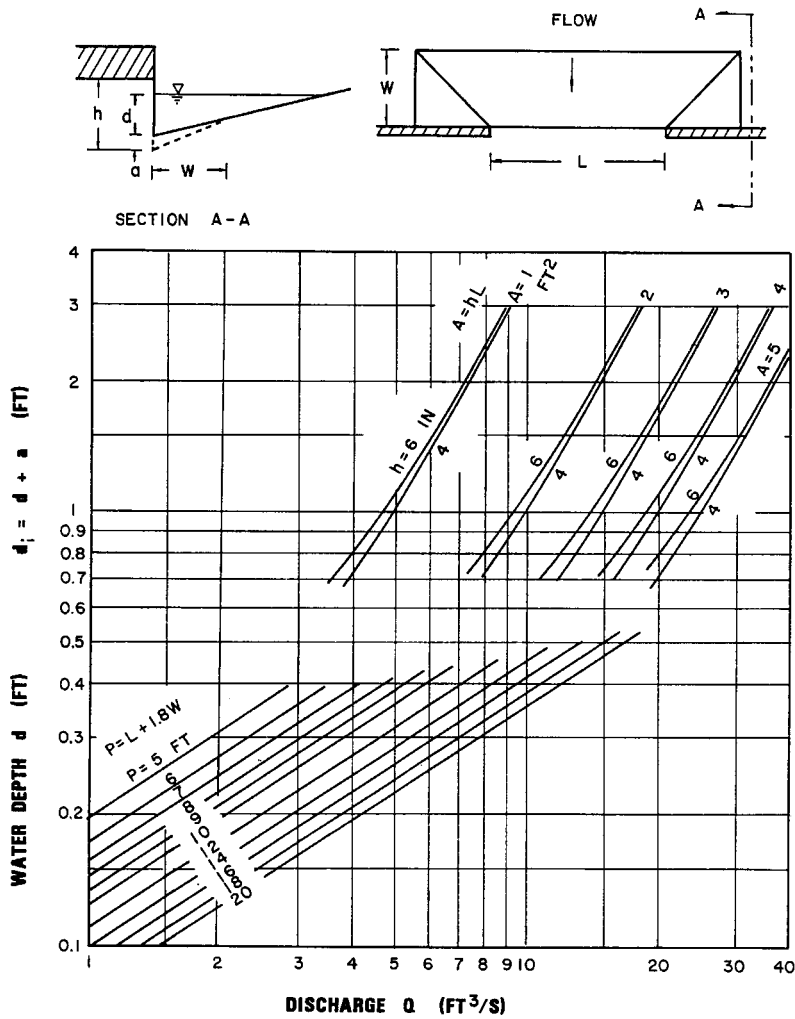


Figure 45.2-9 Depressed Curb-Opening Inlet Capacity in Sump Locations
 (Source: AASHTO Model Drainage Manual, 1991)

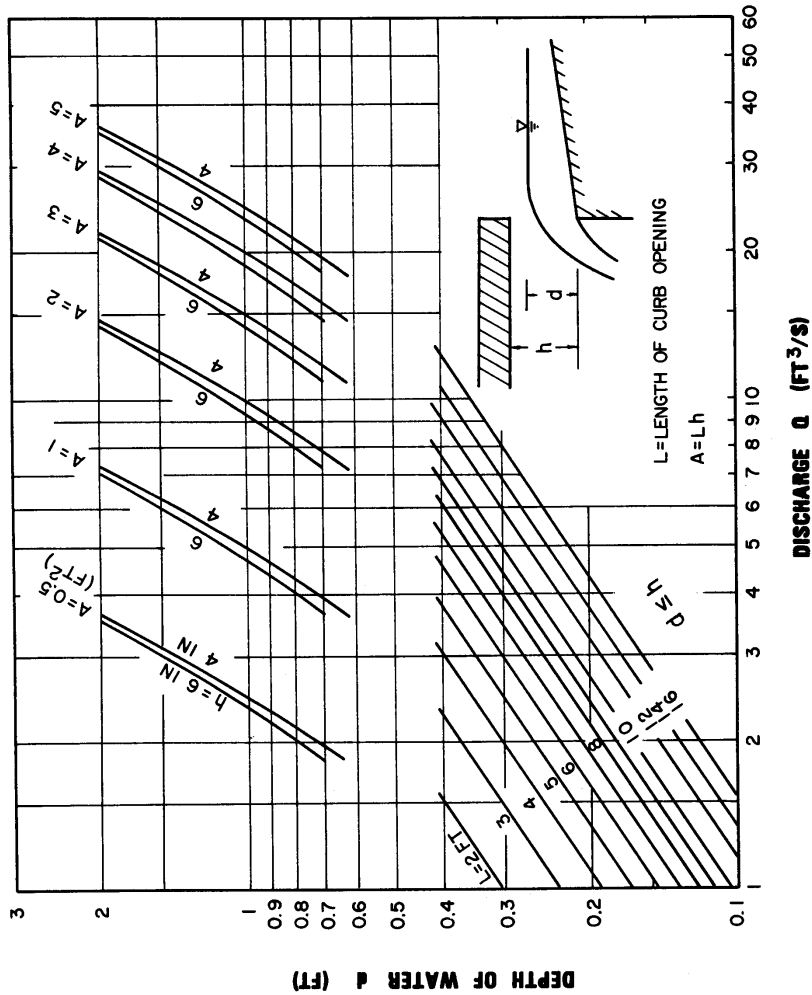


Figure 45.2-10 Curb-Opening Inlet Capacity in Sump Locations
 (Source: AASHTO Model Drainage Manual, 1991)

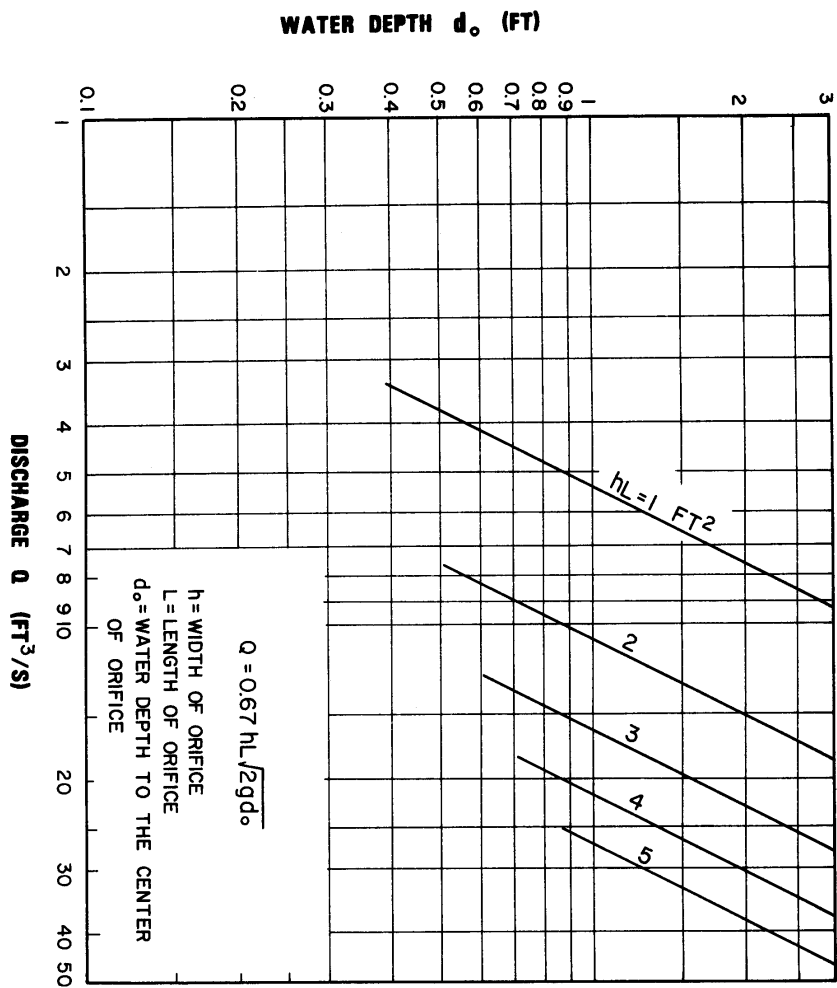


Figure 45.2-11 Curb-Opening Inlet Orifice Capacity for Inclined and Vertical Orifice Throats

(Source: AASHTO Model Drainage Manual, 1991)

Example

Given: Curb-opening inlet in a sump location

$$L = 5 \text{ ft}$$
$$h = 5 \text{ in}$$

- (1) Undepressed curb opening
 $S_x = 0.05 \text{ ft/ft}$
 $T = 8 \text{ ft}$
- (2) Depressed curb opening
 $S_x = 0.05 \text{ ft/ft}$
 $a = 2 \text{ in}$
 $W = 2 \text{ ft}$
 $T = 8 \text{ ft}$

Find: Discharge Q_i

Solution:

- (1) $d = TS_x = 8 \times 0.05 = 0.4 \text{ ft}$
 $d < h$
From Figure 45.2-10, $Q_i = 3.8 \text{ cfs}$

- (2) $d = 0.4 \text{ ft}$
 $h + a/12 = (5 + 2/12)/12 = 0.43 \text{ ft}$

since $d < 0.43$ the weir portion of Figure 45.2-9 is applicable (lower portion of the figure).

$$P = L + 1.8W = 5 + 3.6 = 8.6 \text{ ft}$$

From Figure 45.2-9, $Q_i = 5 \text{ cfs}$

At $d = 0.4 \text{ ft}$, the depressed curb-opening inlet has about 30% more capacity than an inlet without depression.

5.2.7 Combination Inlets

5.2.7.1 Combination Inlets On Grade

On a continuous grade, the capacity of an unclogged combination inlet with the curb opening located adjacent to the grate is approximately equal to the capacity of the grate inlet alone. Thus capacity is computed by neglecting the curb opening inlet and the design procedures should be followed based on the use of Figures 45.2-4, 45.2-5 and 45.2-6.

5.2.7.2 Combination Inlets In Sump

All debris carried by stormwater runoff that is not intercepted by upstream inlets will be concentrated at the inlet located at the low point, or sump. Because this will increase the probability of clogging for grated inlets, it is generally appropriate to estimate the capacity of a combination inlet at a sump by neglecting the grate inlet capacity. Assuming complete clogging of the grate, Figures 45.2-9, 45.2-10, and 45.2-11 for curb-opening inlets should be used for design.

5.2.8 Storm Drain Pipe Systems

5.2.8.1 Introduction

Storm drain pipe systems, also known as *storm sewers*, are pipe conveyances used in the minor stormwater drainage system for transporting runoff from roadway and other inlets to outfalls at structural stormwater controls and receiving waters. Pipe drain systems are suitable mainly for medium to high-density residential and commercial/industrial development where the use of natural drainageways and/or vegetated open channels is not feasible.

5.2.8.2 General Design Procedure

The design of storm drain systems generally follows these steps:

- (Step 1) Determine inlet location and spacing as outlined earlier in this section.
- (Step 2) Prepare a tentative plan layout of the storm sewer drainage system including:
 - a. Location of storm drains
 - b. Direction of flow
 - c. Location of manholes
 - d. Location of existing facilities such as water, gas, or underground cables
- (Step 3) Determine drainage areas and compute runoff using the Rational Method
- (Step 4) After the tentative locations of inlets, drain pipes, and outfalls (including tailwaters) have been determined and the inlets sized, compute of the rate of discharge to be carried by each storm drain pipe and determine the size and gradient of pipe required to care for this discharge. This is done by proceeding in steps from upstream of a line to downstream to the point at which the line connects with other lines or the outfall, whichever is applicable. The discharge for a run is calculated, the pipe serving that discharge is sized, and the process is repeated for the next run downstream. The storm drain system design computation form (Figure 45.2-12) can be used to summarize hydrologic, hydraulic and design computations.
- (Step 5) Examine assumptions to determine if any adjustments are needed to the final design.

It should be recognized that the rate of discharge to be carried by any particular section of storm drain pipe is not necessarily the sum of the inlet design discharge rates of all inlets above that section of pipe, but as a general rule is somewhat less than this total. It is useful to understand that the time of concentration is most influential and as the time of concentration grows larger, the proper rainfall intensity to be used in the design grows smaller.

5.2.8.3 Design Criteria

Storm drain pipe systems should conform to the following criteria:

- For ordinary conditions, storm drain pipes should be sized on the assumption that they will flow full or practically full under the design discharge but will not be placed under pressure head. The Manning Formula is recommended for capacity calculations.
- The maximum hydraulic gradient should not produce a velocity that exceeds 15 ft/s.

-
- The minimum desirable physical slope should be 0.5% or the slope that will produce a velocity of 2.5 feet per second when the storm sewer is flowing full, whichever is greater.
 - If the potential water surface elevation exceeds 1 foot below ground elevation for the design flow, the top of the pipe, or the gutter flow line, whichever is lowest, adjustments are needed in the system to reduce the elevation of the hydraulic grade line.

STORM DRAIN COMPUTATION SHEET

COMPUTED _____	DATE _____	ROUTE _____	SECTION _____	COUNTY _____
CHECKED _____	DATE _____			
STATION	FROM			
	TO			
LENGTH FEET				
DRAINAGE AREA "A" (ACRES)		INCREMENT		
		TOTAL		
RUNOFF COEFFICIENT		"C"		
"A" • "C"		INCREMENT		
		TOTAL		
FLOW TIME MIN.		TO UPPER		
		IN SECTION		
RAINFALL INTENSITY		"I" in/hour		
TOTAL RUNOFF (c.f.s.)		C.I.A. = 0		
DIAMETER PIPE inches				
CAPACITY FULL c.f.s.				
VELOCITY f.p.s.		FLOWING		
		DESIGN FLOW		
INVERT ELEV		UPPER END		
		LOWER END		
MANHOLE				
INVERT DROP				
SLOPE OF DRAIN				

Figure 45.2-12 Storm Drain System Computation Form
 (Source: AASHTO Model Drainage Manual, 1991)

5.2.8.4 Capacity Calculations

Formulas for Gravity and Pressure Flow

The most widely used formula for determining the hydraulic capacity of storm drain pipes for gravity and pressure flows is the Manning's Formula, expressed by the following equation:

$$V = [1.486 R^{2/3} S^{1/2}] / n \quad (45.2.13)$$

Where: V = mean velocity of flow, ft/s
 R = the hydraulic radius, ft - defined as the area of flow divided by the wetted flow surface or wetted perimeter (A/WP)
 S = the slope of hydraulic grade line, ft/ft
 n = Manning's roughness coefficient

In terms of discharge, the above formula becomes:

$$Q = [1.486 A R^{2/3} S^{1/2}] / n \quad (45.2.14)$$

Where: Q = rate of flow, cfs
 A = cross sectional area of flow, ft²

For pipes flowing full, the above equations become:

$$\begin{aligned} V &= [0.590 D^{2/3} S^{1/2}] / n \\ Q &= [0.463 D^{8/3} S^{1/2}] / n \end{aligned} \quad (45.2.15)$$

(45.2.16)

Where: D = diameter of pipe, ft

The Manning's equation can be written to determine friction losses for storm drain pipes as:

$$H_f = [2.87 n^2 V^2 L] / [S^{4/3}] \quad (45.2.17)$$

$$H_f = [29 n^2 V^2 L] / [(R^{4/3}) (2g)] \quad (45.2.18)$$

Where: H_f = total head loss due to friction, ft
 n = Manning's roughness coefficient
 D = diameter of pipe, ft
 L = length of pipe, ft
 V = mean velocity, ft/s
 R = hydraulic radius, ft
 g = acceleration of gravity = 32.2 ft/sec²

5.2.8.5 Nomographs and Table

The nomograph solution of Manning's formula for full flow in circular storm drain pipes is shown in Figures 45.2-13, 45.2-14, and 45.2-15. Figure 45.2-16 has been provided to solve the Manning's equation for partially full flow in storm drains.

5.2.8.6 Hydraulic Grade Lines

All head losses in a storm sewer system are considered in computing the hydraulic grade line to determine the water surface elevations, under design conditions in the various inlets, catch basins, manholes, junction boxes, etc.

Hydraulic control is a set water surface elevation from which the hydraulic calculations are begun. All hydraulic controls along the alignment are established. If the control is at a main line upstream inlet (inlet control), the hydraulic grade line is the water surface elevation minus the entrance loss minus the difference in velocity head. If the control is at the outlet, the water surface is the outlet pipe hydraulic grade line.

Design Procedure - Outlet Control

The head losses are calculated beginning from the control point upstream to the first junction and the procedure is repeated for the next junction. The computation for an outlet control may be tabulated on Figure 45.2-17 using the following procedure:

- (Step 1) Enter in Column 1 the station for the junction immediately upstream of the outflow pipe. Hydraulic grade line computations begin at the outfall and are worked upstream taking each junction into consideration.
- (Step 2) Enter in Column 2 the outlet water surface elevation if the outlet will be submerged during the design storm or 0.8 diameter plus invert elevation of the outflow pipe, whichever is greater.
- (Step 3) Enter in Column 3 the diameter (D_o) of the outflow pipe.
- (Step 4) Enter in Column 4 the design discharge (Q_o) for the outflow pipe.
- (Step 5) Enter in Column 5 the length (L_o) of the outflow pipe.
- (Step 6) Enter in Column 6 the friction slope (S_f) in ft/ft of the outflow pipe. This can be determined by using the following formula:
$$S_f = (Q^2)/K \quad (45.2.19)$$

Where: S_f = friction slope
 $K = [1.486 AR^{2/3}]/n$
- (Step 7) Multiply the friction slope (S_f) in Column 6 by the length (L_o) in Column 5 and enter the friction loss (H_f) in Column 7. On curved alignments, calculate curve losses by using the formula $H_c = 0.002 (\Delta)(V_o^2/2g)$, where Δ = angle of curvature in degrees and add to the friction loss.
- (Step 8) Enter in Column 8 the velocity of the flow (V_o) of the outflow pipe.
- (Step 9) Enter in Column 9 the contraction loss (H_o) by using the formula:

$$H_o = [0.25 V_o^2]/2g, \text{ where } g = 32.2 \text{ ft/s}^2$$

(Step 10) Enter in Column 10 the design discharge (Q_i) for each pipe flowing into the junction. Neglect lateral pipes with inflows of less than 10% of the mainline outflow. Inflow must be adjusted to the mainline outflow duration time before a comparison is made.

(Step 11) Enter in Column 11 the velocity of flow (V_i) for each pipe flowing into the junction (for exception see Step 10).

(Step 12) Enter in Column 12 the product of $Q_i \times V_i$ for each inflowing pipe. When several pipes inflow into a junction, the line producing the greatest $Q_i \times V_i$ product is the one that should be used for expansion loss calculations.

(Step 13) Enter in Column 13 the controlling expansion loss (H_i) using the formula:

$$H_i = [0.35 (V_i^2)]/2g$$

(Step 14) Enter in Column 14 the angle of skew of each inflowing pipe to the outflow pipe (for exception, see Step 10).

(Step 15) Enter in Column 15 the greatest bend loss (H_b) calculated by using the formula $H_b = [KV_i^2]/2g$ where K = the bend loss coefficient corresponding to the various angles of skew of the inflowing pipes.

(Step 16) Enter in Column 16 the total head loss (H_t) by summing the values in Column 9 (H_o), Column 13 (H_i), and Column 15 (H_b).

(Step 17) If the junction incorporates adjusted surface inflow of 10% or more of the mainline outflow, i.e., drop inlet, increase H_t by 30% and enter the adjusted H_t in Column 17.

(Step 18) If the junction incorporates full diameter inlet shaping, such as standard man-holes, reduce the value of H_t by 50% and enter the adjusted value in Column 18.

(Step 19) Enter in Column 19 the FINAL H , the sum of H_f and H_t , where H_t is the final adjusted value of the H_t .

(Step 20) Enter in Column 20 the sum of the elevation in Column 2 and the Final H in Column 19. This elevation is the potential water surface elevation for the junction under design conditions.

(Step 21) Enter in Column 21 the rim elevation or the gutter flow line, whichever is lowest, of the junction under consideration in Column 20. If the potential water surface elevation exceeds 1 foot below ground elevation for the design flow, the top of the pipe or the gutter flow line, whichever is lowest, adjustments are needed in the system to reduce the elevation of the Hydraulic Grade Line (H.G.L.).

(Step 22) Repeat the procedure starting with Step 1 for the next junction upstream.

(Step 23) At last upstream entrance, add $V_1^2/2g$ to get upstream water surface elevation.

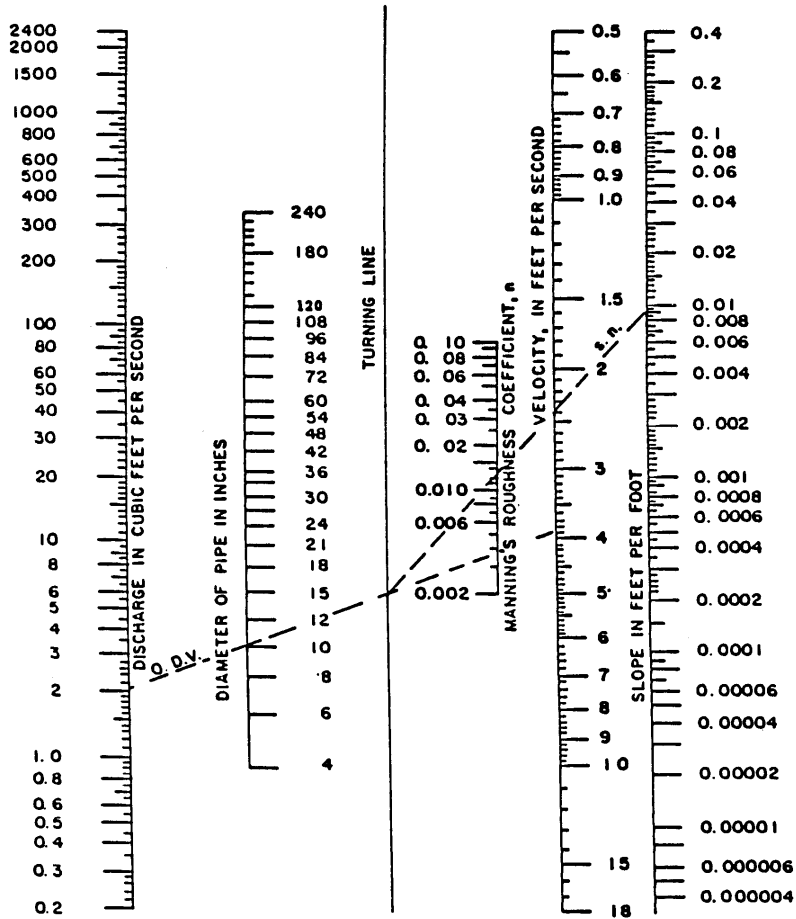


Figure 45.2-13 Nomograph for Solution of Manning's Formula for Flow in Storm Sewers

(Source: AASHTO Model Drainage Manual, 1991)

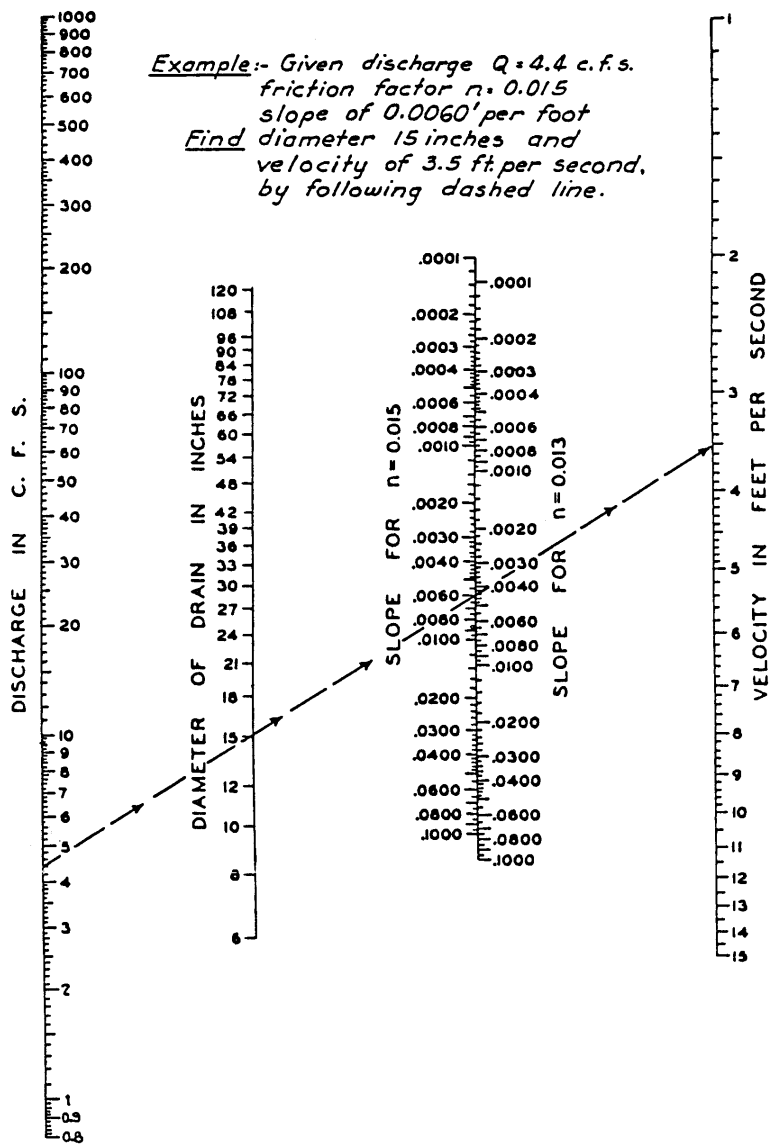


Figure 45.2-14 Nomograph for Computing Required Size of Circular Drain,
Flowing Full $n = 0.013$ or 0.015
(Source: AASHTO Model Drainage Manual, 1991)

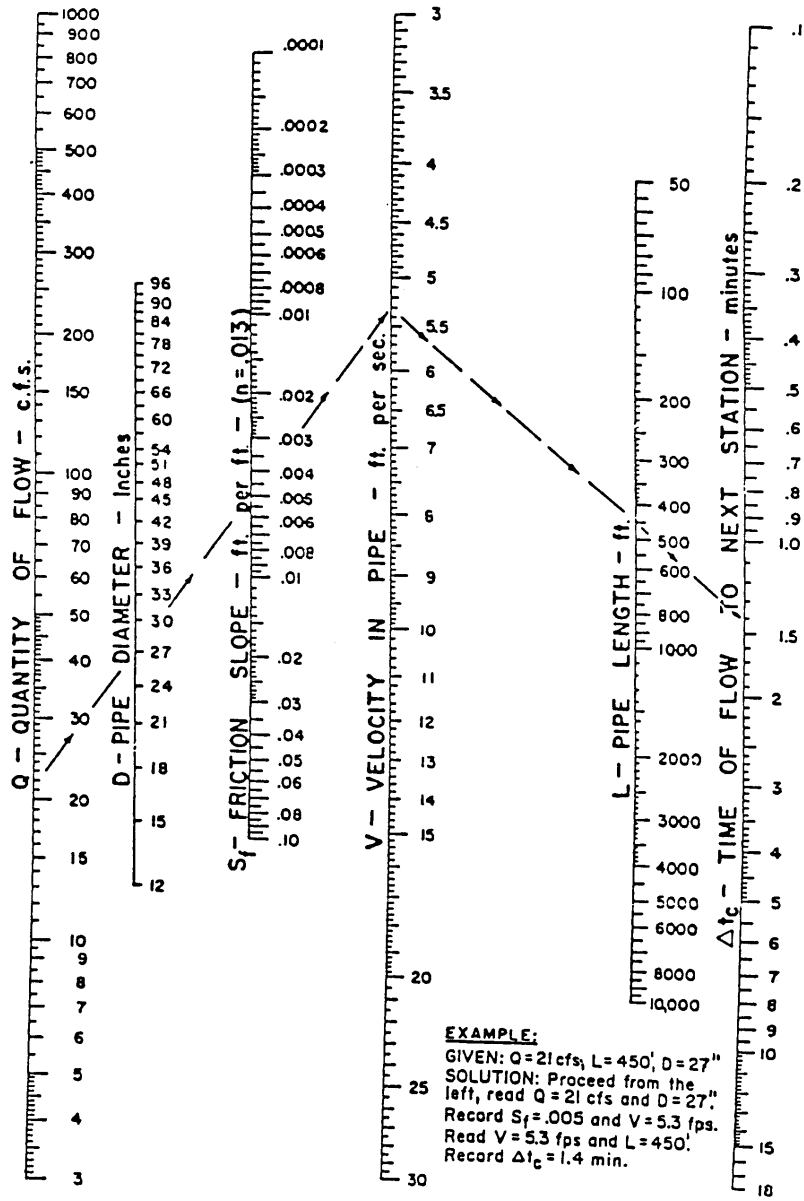
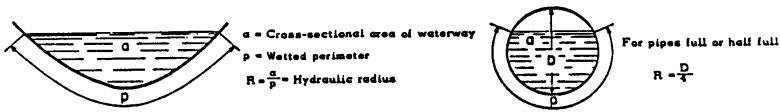


Figure 45.2-15 Concrete Pipe Flow Nomograph

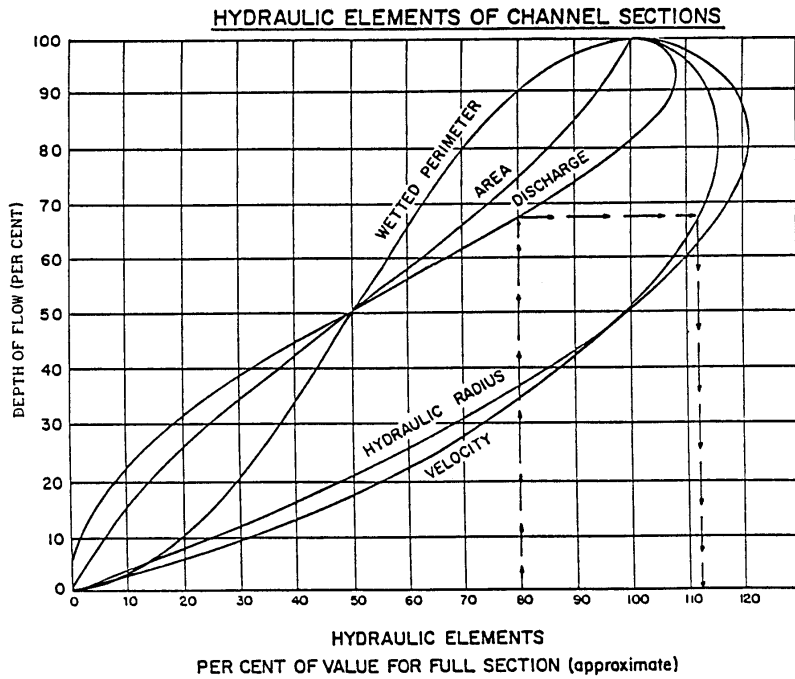
(Source: AASHTO Model Drainage Manual, 1991)



SECTION OF ANY CHANNEL

SECTION OF CIRCULAR PIPE

- V = Average or mean velocity in feet per second
- Q = $a \cdot V$ = Discharge of pipe or channel in cubic feet per second (cfs)
- n = Coefficient of roughness of pipe or channel surface
- S = Slope of Hydraulic Gradient (water surface in open channels or pipes not under pressure, same as slope of channel or pipe invert only when flow is uniform in constant section).



- V = Average of mean velocity in feet per second
- Q = Discharge of pipe or channel in cubic feet per second
- S = Slope of hydraulic grade line

Figure 45.2-16 Values of Various Elements of Circular Section for Various Depths of Flow

(Source: AASHTO Model Drainage Manual, 1991)

5.2.8.7 Minimum Grade

All storm drains should be designed such that velocities of flow will not be less than 2.5 feet per second at design flow or lower, with a minimum slope of 0.5%. For very flat flow lines the general practice is to design components so that flow velocities will increase progressively throughout the length of the pipe system. Upper reaches of a storm drain system should have flatter slopes than slopes of lower reaches. Progressively increasing slopes keep solids moving toward the outlet and deter settling of particles due to steadily increasing flow streams.

The minimum slopes are calculated by the modified Manning's formula:

$$S = [(nV)^2]/[2.208R^{4/3}] \quad (45.2.20)$$

Where: S = the slope of the hydraulic grade line, ft/ft
n = Manning's roughness coefficient
V = mean velocity of flow, ft/s
R = hydraulic radius, ft (area divided by wetted perimeter)

5.2.8.8 Storm Drain Storage

If downstream drainage facilities are undersized for the design flow, a structural stormwater control may be needed to reduce the possibility of flooding. The required storage volume can also be provided by using larger than needed storm drain pipe sizes and restrictors to control the release rates at manholes and/or junction boxes in the storm drain system. The same design criteria for sizing structural control storage facilities are used to determine the storage volume required in the system (see Section [2-23.3](#) for more information).

5.3 CULVERT DESIGN

5.3.1 Overview

A *culvert* is a short, closed (covered) conduit that conveys stormwater runoff under an embankment, usually a roadway. The primary purpose of a culvert is to convey surface water, but properly designed it may also be used to restrict flow and reduce downstream peak flows. In addition to the hydraulic function, a culvert must also support the embankment and/or roadway, and protect traffic and adjacent property owners from flood hazards to the extent practicable.

Most culvert design is empirical and relies on nomographs and “cookbook procedures.” The purpose of the section is to provide an overview of culvert design criteria and procedures.

5.3.2 Symbols and Definitions

To provide consistency within this section as well as throughout this Manual the symbols listed in Table 45.3-1 will be used. These symbols were selected because of their wide use.

Table 45.3-1 Symbols and Definitions

<u>Symbol</u>	<u>Definition</u>	<u>Units</u>
A	Area of cross section of flow	ft ²
B	Barrel width	ft
C _d	Overtopping discharge coefficient	-
D	Culvert diameter or barrel depth	in or ft
d	Depth of flow	ft
d _c	Critical depth of flow	ft
d _u	Uniform depth of flow	ft
g	Acceleration of gravity	ft/s
H _f	Depth of pool or head, above the face section of invert	ft
h _o	Height of hydraulic grade line above outlet invert	ft
HW	Headwater depth above invert of culvert (depth from inlet invert to upstream total energy grade line)	ft
K _e	Inlet loss coefficient	-
L	Length of culvert	ft
N	Number of barrels	-
Q	Rate of discharge	cfs
S	Slope of culvert	ft/f
TW	Tailwater depth above invert of culvert	ft
V	Mean velocity of flow	ft/s
V _c	Critical velocity	ft/s

5.3.3 Design Criteria

The design of a culvert should take into account many different engineering and technical aspects at the culvert site and adjacent areas. The following design criteria should be considered for all culvert designs as applicable.

5.3.3.1 Frequency Flood

See Section 45.1 or the local review authority for design storm requirements for the sizing of culverts.

The 100-year frequency storm shall be routed through all culverts to be sure building structures (e.g., houses, commercial buildings) are not flooded or increased damage does not occur to the highway or adjacent property for this design event.

5.3.3.2 Velocity Limitations

Both minimum and maximum velocities should be considered when designing a culvert. The maximum velocity should be consistent with channel stability requirements at the culvert outlet. The maximum allowable velocity for corrugated metal pipe is 15 feet per second. There is no specified maximum allowable velocity for reinforced concrete pipe, but outlet protection shall be provided where discharge velocities will cause erosion problems. To ensure self-cleaning during partial depth flow, a minimum velocity of 2.5 feet per second, for the 2-year flow, when the culvert is flowing partially full is required.

5.3.3.3 Buoyancy Protection

Headwalls, endwalls, slope paving or other means of anchoring to provide buoyancy protection should be considered for all flexible culverts.

5.3.3.4 Length and Slope

The culvert length and slope should be chosen to approximate existing topography and, to the degree practicable, the culvert invert should be aligned with the channel bottom and the skew angle of the stream, and the culvert entrance should match the geometry of the roadway embankment. The maximum slope using concrete pipe is 10% and for CMP is 14% before pipe-restraining methods must be taken. Maximum drop in a drainage structure is 10 feet.

5.3.3.5 Debris Control

In designing debris control structures it is recommended that the Hydraulic Engineering Circular No. 9 entitled *Debris Control Structures* be consulted.

5.3.3.6 Headwater Limitations

Headwater is water above the culvert invert at the entrance end of the culvert. The allowable headwater elevation is that elevation above which damage may be caused to adjacent property and/or the roadway and is determined from an evaluation of land use upstream of the culvert and the proposed or existing roadway elevation. It is this allowable headwater depth that is the primary basis for sizing a culvert.

The following criteria related to headwater should be considered:

- The *allowable headwater* is the depth of water that can be ponded at the upstream end of the culvert during the design flood, which will be limited by one or more of the following constraints or conditions:
 - (1) Headwater be nondamaging to upstream property
 - (2) Ponding depth be no greater than the low point in the road grade
 - (3) Ponding depth be no greater than the elevation where flow diverts around the culvert
 - (4) Elevations established to delineate floodplain zoning
 - (5) 18-inch (or applicable) freeboard requirements
- The following HW/D criteria:
 - (1) For drainage facilities with cross-sectional area equal to or less than 30 ft², HW/D should be equal to or less than 1.5
 - (2) For drainage facilities with cross-sectional area greater than 30 ft², HW/D should be equal to or less than 1.2
- The headwater should be checked for the 100-year flood to ensure compliance with flood plain management criteria and for most facilities the culvert should be sized to maintain flood-free conditions on major thoroughfares with 18-inch freeboard at the low-point of the road.
- The maximum acceptable outlet velocity should be identified (see subsection 45.4.3).
- Either the headwater should be set to produce acceptable velocities, or stabilization or energy dissipation should be provided where these velocities are exceeded.
- In general, the constraint that gives the lowest allowable headwater elevation establishes the criteria for the hydraulic calculations.
- Other site-specific design considerations should be addressed as required.

5.3.3.7 Tailwater Considerations

The hydraulic conditions downstream of the culvert site must be evaluated to determine a tailwater depth for a range of discharge. At times there may be a need for calculating backwater curves to establish the tailwater conditions. The following conditions must be considered:

- If the culvert outlet is operating with a free outfall, the critical depth and equivalent hydraulic grade line should be determined.
- For culverts that discharge to an open channel, the stage-discharge curve for the channel must be determined. See Section 45.4, *Open Channel Design*.
- If an upstream culvert outlet is located near a downstream culvert inlet, the headwater elevation of the downstream culvert may establish the design tailwater depth for the upstream culvert.
- If the culvert discharges to a lake, pond, or other major water body, the expected high water elevation of the particular water body may establish the culvert tailwater.

5.3.3.8 Storage

If storage is being assumed or will occur upstream of the culvert, refer to subsection [45.3.4.6](#) regarding storage routing as part of the culvert design.

5.3.3.9 Culvert Inlets

Hydraulic efficiency and cost can be significantly affected by inlet conditions. The inlet coefficient K_e , is a measure of the hydraulic efficiency of the inlet, with lower values indicating greater efficiency. Recommended inlet coefficients are given in Table [45.3-2](#).

5.3.3.10 Inlets with Headwalls

Headwalls may be used for a variety of reasons, including increasing the efficiency of the inlet, providing embankment stability, providing embankment protection against erosion, providing protection from buoyancy, and shortening the length of the required structure. Headwalls are required for all metal culverts and where buoyancy protection is necessary. If high headwater depths are to be encountered, or the approach velocity in the channel will cause scour, a short channel apron should be provided at the toe of the headwall.

This apron should extend at least one pipe diameter upstream from the entrance, and the top of the apron should not protrude above the normal streambed elevation.

5.3.3.11 Wingwalls and Aprons

Wingwalls are used where the side slopes of the channel adjacent to the entrance are unstable or where the culvert is skewed to the normal channel flow.

5.3.3.12 Improved Inlets

Where inlet conditions control the amount of flow that can pass through the culvert, improved inlets can greatly increase the hydraulic performance of the culvert.

5.3.3.13 Material Selection

Reinforced concrete pipe (RCP) is generally recommended for use (1) under a roadway, (2) when pipe slopes are less than 1%, or (3) for all flowing streams. RCP and any other Georgia Department of Transportation approved pipe material fully coated corrugated metal pipe can may be used as allowed by local regulations. in all other cases. High-density polyethylene (HDPE) pipe may also be used as specified in the municipal regulations. Table [45.3-3](#) gives recommended Manning's n values for different materials.

5.3.3.14 Culvert Skews

Culvert skews shall not exceed 45 degrees as measured from a line perpendicular to the roadway centerline without approval.

5.3.3.15 Culvert Sizes

The minimum allowable pipe diameter shall be 18 inches.

5.3.3.16 Weep Holes

Weep holes are sometimes used to relieve uplift pressure. Filter materials should be used in conjunction with the weep holes in order to intercept the flow and prevent the formation of piping channels. The filter materials should be designed as an underdrain filter so as not to become clogged and so that piping cannot occur through the pervious material and the weep hole.

Table 45.3-2 Inlet Coefficients

<u>Type of Structure and Design of Entrance</u>	<u>Coefficient K_e</u>
Pipe, Concrete	
Projecting from fill, socket end (groove-end)	0.2
Projecting from fill, square cut end	0.5
Headwall or headwall and wingwalls	
Socket end of pipe (groove-end)	0.2
Square-edge	0.5
Rounded [radius = $1/12(D)$]	0.2
Mitered to conform to fill slope	0.7
*End-Section conforming to fill slope	0.5
Beveled edges, 33.7° or 45° bevels	0.2
Side- or slope-tapered inlet	0.2
Pipe, or Pipe-Arch, Corrugated Metal¹	
Projecting from fill (no headwall)	0.9
Headwall or headwall and wingwalls square-edge	0.5
Mitered to fill slope, paved or unpaved slope	0.7
*End-Section conforming to fill slope	0.5
Beveled edges, 33.7° or 45° bevels	0.2
Side- or slope-tapered inlet	0.2
Box, Reinforced Concrete	
Headwall parallel to embankment (no wingwalls)	
Square-edged on 3 edges	0.5
Rounded on 3 edges to radius of $[1/12(D)]$ or beveled edges on 3 sides	0.2
Wingwalls at 30° to 75° to barrel	
Square-edged at crown	0.4
Crown edge rounded to radius of $[1/12(D)]$ or beveled top edge	0.2
Wingwalls at 10° or 25° to barrel	
Square-edged at crown	0.5
Wingwalls parallel (extension of sides)	
Square-edged at crown	0.7
Side- or slope-tapered inlet	0.2

¹ Although laboratory tests have not been completed on K_e values for High-Density Polyethylene (HDPE) pipes, the K_e values for corrugated metal pipes are recommended for HDPE pipes.

* Note: End Section conforming to fill slope, made of either metal or concrete, are the sections commonly available from manufacturers. From limited hydraulic tests they are equivalent in operation to a headwall in both inlet and outlet control.

Source: HDS No. 5, 1985

Table 45.3-3 Manning's n Values

Type of Conduit	Wall & Joint Description	Manning's n
Concrete Pipe	Good joints, smooth walls	0.012
	Good joints, rough walls	0.016
	Poor joints, rough walls	0.017
Concrete Box	Good joints, smooth finished walls	0.012
	Poor joints, rough, unfinished walls	0.018
Corrugated Metal Pipes and Boxes Annular Corrugations	2 2/3- by 1/2-inch corrugations	0.024
	6- by 1-inch corrugations	0.025
	5- by 1-inch corrugations	0.026
	3- by 1-inch corrugations	0.028
	6-by 2-inch structural plate	0.035
Corrugated Metal Pipes, Helical Corrugations, Full Circular Flow	9-by 2-1/2 inch structural plate	0.035
	2 2/3-by 1/2-inch corrugated 24-inch plate width	0.012
Spiral Rib Metal Pipe	3/4 by 3/4 in recesses at 12 inch spacing, good joints	0.013
High Density Polyethylene (HDPE)	Corrugated Smooth Liner	0.015
	Corrugated	0.020
Polyvinyl Chloride (PVC)		0.011

Source: HDS No. 5, 1985

Note: For further information concerning Manning n values for selected conduits consult Hydraulic Design of Highway Culverts, Federal Highway Administration, HDS No. 5, page 163

5.3.3.17 Outlet Protection

See Section 45.5 for information on the design of outlet protection. Outlet protection should be provided for the 25-year storm.

5.3.3.18 Erosion and Sediment Control

Erosion and sediment control shall be in accordance with the latest approved Soil Erosion and Sediment Control Ordinance for the municipality. See also the Manual for Erosion and Sediment Control in Georgia for design standards and details related to erosion and sediment control.

5.3.3.19 Environmental Considerations

Where compatible with good hydraulic engineering, a site should be selected that will permit the culvert to be constructed to cause the least impact on the stream or wetlands. This selection must consider the entire site, including any necessary lead channels.

5.3.4 Design Procedures

5.3.4.1 Types of Flow Control

There are two types of flow conditions for culverts that are based upon the location of the control section and the critical flow depth:

Inlet Control – Inlet control occurs when the culvert barrel is capable of conveying more flow than the inlet will accept. This typically happens when a culvert is operating on a steep slope. The control section of a culvert is located just inside the entrance. Critical depth occurs at or near this location, and the flow regime immediately downstream is supercritical.

Outlet Control – Outlet control flow occurs when the culvert barrel is not capable of conveying as much flow as the inlet opening will accept. The control section for outlet control flow in a culvert is located at the barrel exit or further downstream. Either subcritical or pressure flow exists in the culvert barrel under these conditions.

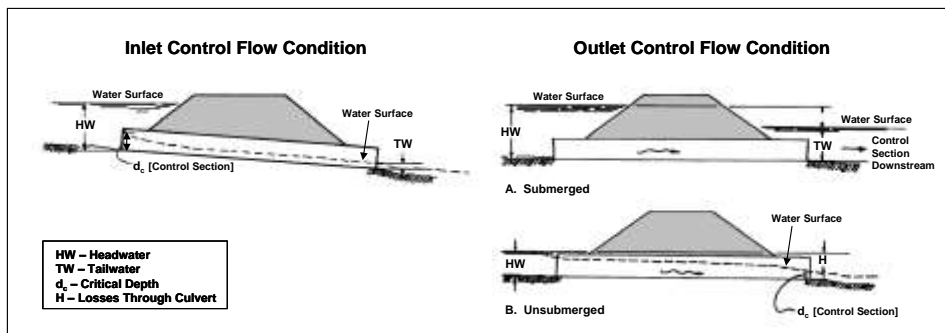


Figure 45.3-1 Culvert Flow Conditions

(Adapted from: HDS-5, 1985)

Proper culvert design and analysis requires checking for both inlet and outlet control to determine which will govern particular culvert designs. For more information on inlet and outlet control, see the FHWA [Hydraulic Design of Highway Culverts](#), HDS-5, 1985.

5.3.4.2 Procedures

There are two procedures for designing culverts: manual use of inlet and outlet control nomographs, and the use computer programs such as HY8. It is recommended that the HY8 computer model or equivalent be used for culvert design. The computer software package HYDRAIN, which includes HY8, uses the theoretical basis from the nomographs to size culverts. In addition, this software can evaluate improved inlets, route hydrographs, consider road overtopping, and evaluate outlet streambed scour. By using water surface profiles, this procedure is more accurate in predicting backwater effects and outlet scour.

5.3.4.3 Nomographs

The use of culvert design nomographs requires a trial and error solution. Nomograph solutions provide reliable designs for many applications. It should be remembered that

velocity, hydrograph routing, roadway overtopping, and outlet scour require additional, separate computations beyond what can be obtained from the nomographs. Figures 45.3-2(a) and (b) show examples of an inlet control and outlet control nomograph for the design of concrete pipe culverts. For other culvert designs, refer to the complete set of nomographs in [Appendix F subsection 45.3-8](#).

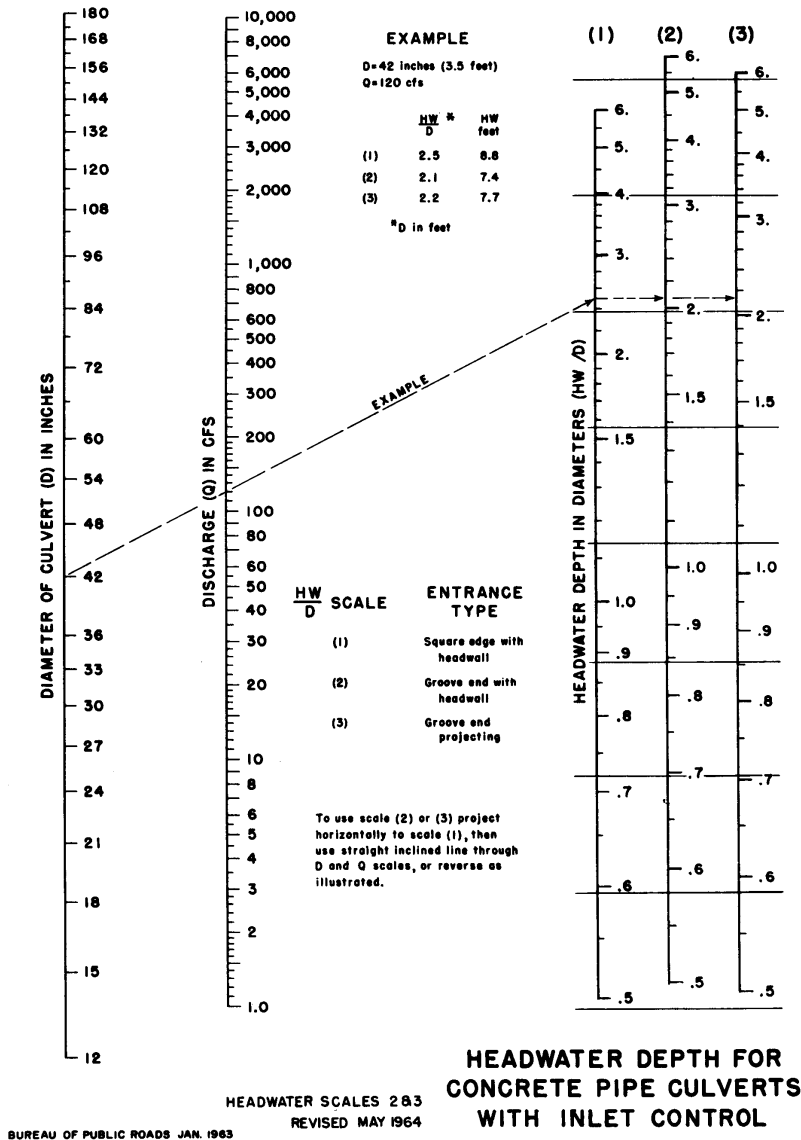
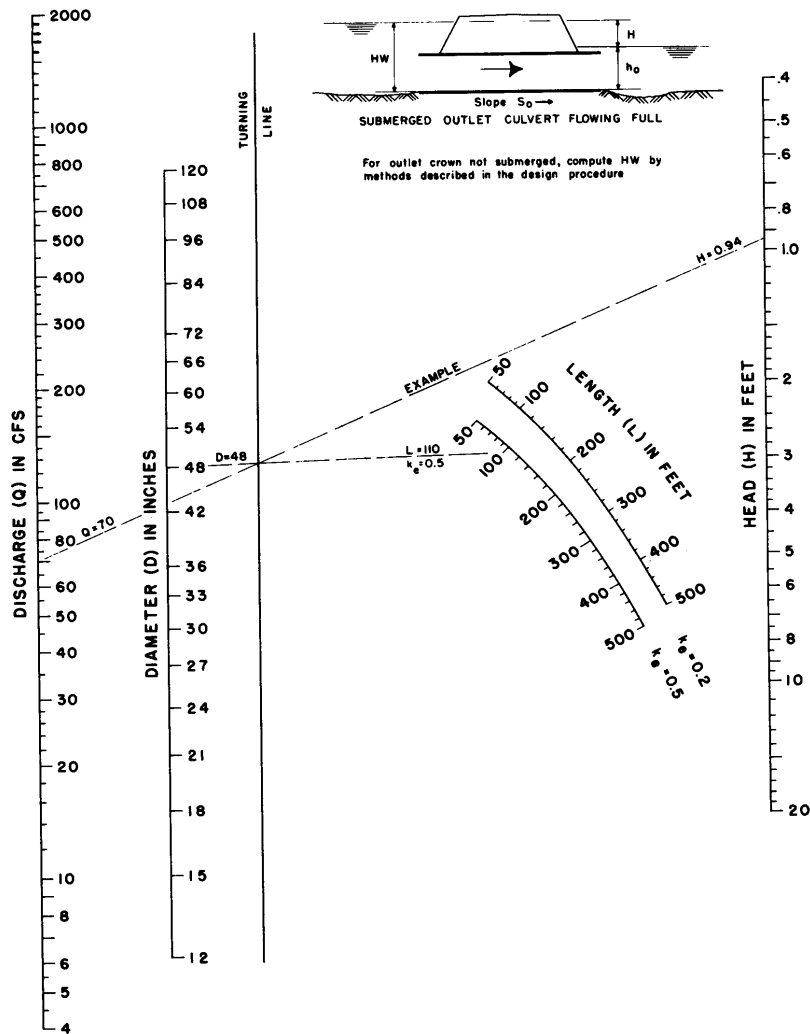


Figure 45.3-2(a) Headwater Depth for Concrete Pipe Culvert with Inlet Control



BUREAU OF PUBLIC ROADS JAN. 1963

Figure 45.3-2(b) Head for Concrete Pipe Culverts Flowing Full

5.3.4.4 Design Procedure

The following design procedure requires the use of inlet and outlet nomographs.

(Step 1) List design data:

Q = discharge (cfs) L = culvert length (ft)
S = culvert slope (ft/ft) TW = tailwater depth (ft)
V = velocity for trial diameter (ft/s) K_e = inlet loss coefficient
HW = allowable headwater depth for the design storm (ft)

(Step 2) Determine trial culvert size by assuming a trial velocity 3 to 5 ft/s and computing the culvert area, $A = Q/V$. Determine the culvert diameter (inches).

(Step 3) Find the actual HW for the trial size culvert for both inlet and outlet control.

- For inlet control, enter inlet control nomograph with D and Q and find HW/D for the proper entrance type.
- Compute HW and, if too large or too small, try another culvert size before computing HW for outlet control.
- For outlet control enter the outlet control nomograph with the culvert length, entrance loss coefficient, and trial culvert diameter.
- To compute HW, connect the length scale for the type of entrance condition and culvert diameter scale with a straight line, pivot on the turning line, and draw a straight line from the design discharge through the turning point to the head loss scale H. Compute the headwater elevation HW from the equation:

$$\text{HW} = H + h_o - LS$$

(45.3.1)

Where: $h_o = \frac{1}{2}$ (critical depth + D), or tailwater depth, whichever is greater
L = culvert length
S = culvert slope

(Step 4) Compare the computed headwaters and use the higher HW nomograph to determine if the culvert is under inlet or outlet control.

- If inlet control governs, then the design is complete and no further analysis is required.
- If outlet control governs and the HW is unacceptable, select a larger trial size and find another HW with the outlet control nomographs. Since the smaller size of culvert had been selected for allowable HW by the inlet control nomographs, the inlet control for the larger pipe need not be checked.

(Step 5) Calculate exit velocity and if erosion problems might be expected, refer to Section [45.5](#) for appropriate energy dissipation designs.

5.3.4.5 Performance Curves - Roadway Overtopping

A performance curve for any culvert can be obtained from the nomographs by repeating the steps outlined above for a range of discharges that are of interest for that particular culvert design. A graph is then plotted of headwater versus discharge with sufficient points so that a curve can be drawn through the range of interest. These curves are applicable through a range of headwater, velocities, and scour depths versus discharges for a length and type of culvert. Usually charts with length intervals of 25 to 50 feet are satisfactory for design purposes. Such computations are made much easier by the use

of computer programs.

To complete the culvert design, roadway overtopping should be analyzed. A performance curve showing the culvert flow as well as the flow across the roadway is a useful analysis tool. Rather than using a trial and error procedure to determine the flow division between the overtopping flow and the culvert flow, an overall performance curve can be developed.

The overall performance curve can be determined as follows:

- (Step 1) Select a range of flow rates and determine the corresponding headwater elevations for the culvert flow alone. The flow rates should fall above and below the design discharge and cover the entire flow range of interest. Both inlet and outlet control headwaters should be calculated.
- (Step 2) Combine the inlet and outlet control performance curves to define a single performance curve for the culvert.
- (Step 3) When the culvert headwater elevations exceed the roadway crest elevation, overtopping will begin. Calculate the equivalent upstream water surface depth above the roadway (crest of weir) for each selected flow rate. Use these water surface depths and equation 45.3.2 to calculate flow rates across the roadway.

$$Q = C_d L (HW)^{1.5}$$

(45.3.2)

Where: Q = overtopping flow rate (ft³/s)
C_d = overtopping discharge coefficient
L = length of roadway (ft)
HW = upstream depth, measured from the roadway crest to the water surface upstream of the weir drawdown (ft)

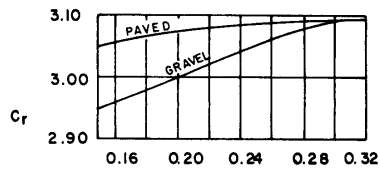
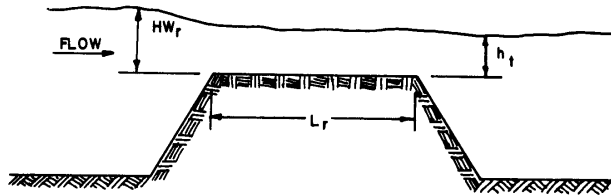
Note: See Figure 45.3-3 on the next page for guidance in determining a value for C_d. For more information on calculating overtopping flow rates see pages 39 - 42 in HDS No. 5.

- (Step 4) Add the culvert flow and the roadway overtopping flow at the corresponding headwater elevations to obtain the overall culvert performance curve.

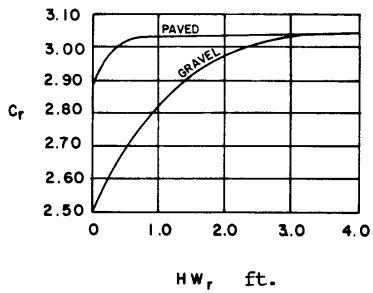
5.3.4.6 Storage Routing

A significant storage capacity behind a highway embankment attenuates a flood hydrograph. Because of the reduction of the peak discharge associated with this attenuation, the required capacity of the culvert, and its size, may be reduced considerably. If significant storage is anticipated behind a culvert, the design should be checked by routing the design hydrographs through the culvert to determine the discharge and stage behind the culvert. See subsection 45.3.7 and Section 2-23.3 for more information on routing. Additional routing procedures are outlined in Hydraulic Design of Highway Culverts, Section V - Storage Routing, HDS No. 5, Federal Highway Administration.

Note: Storage should be taken into consideration only if the storage area will remain available for the life of the culvert as a result of purchase of ownership or right-of-way or an easement has been acquired.



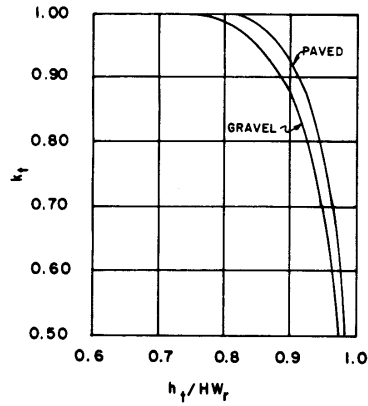
A) DISCHARGE COEFFICIENT FOR $H_{w_r}/L_r > 0.15$



B) DISCHARGE COEFFICIENT FOR $H_{w_r}/L_r \leq 0.15$

$$C_d = k_t C_r$$

$$Q_r = C_d L H W_r^{1.5}$$



C) SUBMERGENCE FACTOR

Figure 45.3-3 Discharge Coefficients for Roadway Overtopping
(Source: HDS No. 5, 1985)

5.3.5 Culvert Design Example

5.3.5.1 Introduction

The following example problem illustrates the procedures to be used in designing culverts using the nomographs.

5.3.5.2 Example

Size a culvert given the following example data, which were determined by physical limitations at the culvert site and hydraulic procedures described elsewhere in this handbook.

5.3.5.3 Example Data

Input Data

Discharge for 2-yr flood = 35 cfs
Discharge for 25-yr flood = 70 cfs
Allowable H_w for 25-yr discharge = 5.25 ft
Length of culvert = 100 ft
Natural channel invert elevations - inlet = 15.50 ft, outlet = 14.30 ft
Culvert slope = 0.012 ft/ft
Tailwater depth for 25-yr discharge = 3.5 ft
Tailwater depth is the normal depth in downstream channel
Entrance type = Groove end with headwall

5.3.5.4 Computations

- (1) Assume a culvert velocity of 5 ft/s. Required flow area = 70 cfs/5 ft/s = 14 ft² (for the 25-yr recurrence flood).
- (2) The corresponding culvert diameter is about 48 in. This can be calculated by using the formula for area of a circle: $Area = (3.14D^2)/4$ or $D = (Area \text{ times } 4/3.14)^{0.5}$.
Therefore: $D = ((14 \text{ sq ft} \times 4)/3.14)^{0.5} \times 12 \text{ in/ft} = 50.7 \text{ in}$
- (3) A grooved end culvert with a headwall is selected for the design. Using the inlet control nomograph (Figure 45.3-1), with a pipe diameter of 48 inches and a discharge of 70 cfs; read a HW/D value of 0.93.
- (4) The depth of headwater (HW) is $(0.93) \times (4) = 3.72 \text{ ft}$, which is less than the allowable headwater of 5.25 ft. Since 3.72 ft is considerably less than 5.25 try a small culvert.
- (5) Using the same procedures outlined in steps 4 and 5 the following results were obtained.

42-inch culvert – HW = 4.13 ft
36-inch culvert – HW = 4.98 ft

Select a 36-inch culvert to check for outlet control.
- (6) The culvert is checked for outlet control by using Figure 45.3-2.

With an entrance loss coefficient K_e of 0.20, a culvert length of 100 ft, and a pipe diameter of 36 in., an H value of 2.8 ft is determined. The headwater for outlet control is computed by the equation: $HW = H + h_o - LS$

Compute h_o

$h_o = T_w$ or $\frac{1}{2}$ (critical depth in culvert + D), whichever is greater.

$h_o = 3.5$ ft or $h_o = \frac{1}{2} (2.7 + 3.0) = 2.85$ ft

Note: critical depth is obtained from Chart 4 on page 45.3-24

Therefore: $h_o = 3.5$ ft

The headwater depth for outlet control is:

$HW = H + h_o - LS = 2.8 + 3.5 - (100) \times (0.012) = 5.10$ ft

- (7) Since HW for inlet outlet (5.10 ft) is greater than the HW for inlet control (4.98 ft), outlet control governs the culvert design. Thus, the maximum headwater expected for a 25-year recurrence flood is 5.10 ft, which is less than the allowable headwater of 5.25 ft.
- (8) Estimate outlet exit velocity. Since this culvert is on outlet control and discharges into an open channel downstream with tailwater above culvert, the culvert will be flowing full at the flow depth in the channel. Using the design peak discharge of 70 cfs and the area of a 36-inch or 3.0-foot diameter culvert the exit velocity will be:

$Q = VA$

Therefore: $V = 70 / (3.14(3.0)^2)/4 = 9.9$ ft/s

With this high velocity, consideration should be given to provide an energy dissipator at the culvert outlet. See Section 45.5 (*Energy Dissipation Design*).

- (9) Check for minimum velocity using the 2-year flow of 35 cfs.
Therefore: $V = 35 / (3.14(3.0)^2)/4 = 5.0$ ft/s > minimum of 2.5 - OK
- (10) The 100-year flow should be routed through the culvert to determine if any flooding problems will be associated with this flood.

Figure 45.3-4 provides a convenient form to organize culvert design calculations.

PROJECT: _____ STATION: _____ OF _____ SHEET _____ OF _____	CULVERT DESIGN FORM DESIGNER / DATE: _____ OF _____ REVIEWER / DATE: _____ OF _____ ROADWAY ELEVATION: _____ (ft)	HYDROLOGICAL DATA <input type="checkbox"/> METHOD: _____ <input type="checkbox"/> DRAINAGE AREA: _____ <input type="checkbox"/> STREAM SLOPE: _____ <input type="checkbox"/> CHANNEL SHAPE: _____ <input type="checkbox"/> ROUTING: _____ <input type="checkbox"/> OTHER: _____ DESIGN FLOWS/TAIWATER R.L. (YEARS) FLOW (cfs) T.W. (ft) _____ SEE ADJLT. SHTS																												
CULVERT DESCRIPTION: MATERIAL-SHAPE-SIZE-ENTRANCE TOTAL FLOW PER BARREL Q (cfs) (1)	<table border="1" style="width:100%; border-collapse: collapse;"> <thead> <tr> <th colspan="2">INLET CONTROL</th> <th colspan="3">OUTLET CONTROL</th> </tr> <tr> <th>HW/D</th> <th>HW</th> <th>EL_h</th> <th>FALL</th> <th>EL_o</th> </tr> </thead> <tbody> <tr> <td>(2)</td> <td>(3)</td> <td>(4)</td> <td>(5)</td> <td>(6)</td> </tr> </tbody> </table>	INLET CONTROL		OUTLET CONTROL			HW/D	HW	EL _h	FALL	EL _o	(2)	(3)	(4)	(5)	(6)	<table border="1" style="width:100%; border-collapse: collapse;"> <thead> <tr> <th colspan="2">HEADWATER CALCULATIONS</th> <th colspan="2">OUTLET CONTROL</th> </tr> <tr> <th>Q/NB</th> <th>EL_h</th> <th>EL_o</th> <th>H</th> </tr> </thead> <tbody> <tr> <td>(7)</td> <td>(8)</td> <td>(9)</td> <td>(10)</td> </tr> </tbody> </table>	HEADWATER CALCULATIONS		OUTLET CONTROL		Q/NB	EL _h	EL _o	H	(7)	(8)	(9)	(10)	COMMENTS
INLET CONTROL		OUTLET CONTROL																												
HW/D	HW	EL _h	FALL	EL _o																										
(2)	(3)	(4)	(5)	(6)																										
HEADWATER CALCULATIONS		OUTLET CONTROL																												
Q/NB	EL _h	EL _o	H																											
(7)	(8)	(9)	(10)																											
TECHNICAL FOOTNOTES: (1) USE Q/NB FOR BOX CULVERTS (2) HW/D = HW - (EL _h - EL _o); FALL IS ZERO FOR CULVERTS ON GRADE (3) FALL = HW - (EL _h - EL _o); FALL IS ZERO FOR CULVERTS ON GRADE (4) EL _h = HW + EL _o (INVERT OF INLET CONTROL SECTION) (5) TW BASED ON DOWN STREAM CONTROL OR FLOW DEPTH IN CHANNEL (6) EL _o = EL _o + H + h _s (7) H = [1 + k _e + (28 * mL) / R ^{1.35}] V ² / 2g (8) EL _h = EL _o + H + h _s				CULVERT BARREL SELECTED: SIZE: _____ SHAPE: _____ MATERIAL: _____ n _____ ENTRANCE: _____																										

Figure 45.3-4 Culvert Design Calculation Form
 (Source: HDS No. 5, 1985)

5.3.6 Design Procedures for Beveled-Edged Inlets

5.3.6.1 Introduction

Improved inlets include inlet geometry refinements beyond those normally used in conventional culvert design practice. Several degrees of improvements are possible, including bevel-edged, side-tapered, and slope-tapered inlets. Those designers interested in using side- and slope-tapered inlets should consult the detailed design criteria and example designs outlined in the U. S. Department of Transportation publication Hydraulic Engineering Circular No. 5 entitled, Hydraulic Design of Highway Culverts.

5.3.6.2 Design Figures

Four inlet control figures for culverts with beveled edges are included in [Appendix F subsection 45-3-8](#).

Chart	Page	Use for :
3	A-3	circular pipe culverts with beveled rings
10	A-10	90° headwalls (same for 90 ° wingwalls)
11	A-11	skewed headwalls
12	A-12	wingwalls with flare angles of 18 to 45 degrees

The following symbols are used in these figures:

- B - Width of culvert barrel or diameter of pipe culvert
- D - Height of box culvert or diameter of pipe culvert
- H_f - Depth of pool or head, above the face section of invert
- N - Number of barrels
- Q - Design discharge

5.3.6.3 Design Procedure

The figures for bevel-edged inlets are used for design in the same manner as the conventional inlet design nomographs discussed earlier. **Note** that Charts 10, 11, and 12 in [subsection 45-3-8 Appendix F](#) apply only to bevels having either a 33° angle (1.5:1) or a 45° angle (1:1).

For box culverts the dimensions of the bevels to be used are based on the culvert dimensions. The top bevel dimension is determined by multiplying the height of the culvert by a factor. The side bevel dimensions are determined by multiplying the width of the culvert by a factor. For a 1:1 bevel, the factor is 0.5 inch/ft. For a 1.5:1 bevel the factor is 1 inch/ft. For example, the minimum bevel dimensions for a 8 ft x 6 ft box culvert with 1:1 bevels would be:

$$\begin{aligned}\text{Top Bevel} &= d = 6 \text{ ft} \times 0.5 \text{ inch/ft} = 3 \text{ inches} \\ \text{Side Bevel} &= b = 8 \text{ ft} \times 0.5 \text{ inch/ft} = 4 \text{ inches}\end{aligned}$$

For a 1.5:1 bevel computations would result in $d = 6$ and $b = 8$ inches.

5.3.6.4 Design Figure Limits

The improved inlet design figures are based on research results from culvert models

with barrel width, B, to depth, D, ratios of from 0.5:1 to 2:1. For box culverts with more than one barrel, the figures are used in the same manner as for a single barrel, except that the bevels must be sized on the basis of the total clear opening rather than on individual barrel size.

For example, in a double 8 ft by 8 ft box culvert:

Top Bevel is proportioned based on the height of 8 feet which results in a bevel of 4 in. for the 1:1 bevel and 8 in. for the 1.5:1 bevel.

Side Bevel is proportioned based on the clear width of 16 feet, which results in a bevel of 8 in. for the 1:1 bevel and 16 in. for the 1.5:1 bevel.

5.3.6.5 Multibarrel Installations

For multibarrel installations exceeding a 3:1 width to depth ratio, the side bevels become excessively large when proportioned on the basis of the total clear width. For these structures, it is recommended that the side bevel be sized in proportion to the total clear width, B, or three times the height, whichever is smaller.

The top bevel dimension should always be based on the culvert height.

The shape of the upstream edge of the intermediate walls of multibarrel installations is not as important to the hydraulic performance of a culvert as the edge condition of the top and sides. Therefore, the edges of these walls may be square, rounded with a radius of one-half their thickness, chamfered, or beveled. The intermediate walls may also project from the face and slope downward to the channel bottom to help direct debris through the culvert.

Multibarrel pipe culverts should be designed as a series of single barrel installations since each pipe requires a separate bevel.

5.3.6.6 Skewed Inlets

It is recommended that Chart 11 for skewed inlets not be used for multiple barrel installations, as the intermediate wall could cause an extreme contraction in the downstream barrels. This would result in underdesign due to a greatly reduced capacity. Skewed inlets (at an angle with the centerline of the stream) should be avoided whenever possible and should not be used with side- or slope-tapered inlets. It is important to align culverts with streams in order to avoid erosion problems associated with changing the direction of the natural stream flow.

5.3.7 Flood Routing and Culvert Design

5.3.7.1 Introduction

Flood routing through a culvert is a practice that evaluates the effect of temporary upstream ponding caused by the culvert's backwater. By not considering flood routing it is possible that the findings from culvert analyses will be conservative. If the selected allowable headwater is accepted without flood routing, then costly overdesign of both the culvert and outlet protection may result, depending on the amount of temporary storage involved. However, if storage is used in the design of culverts, consideration should be

given to:

- The total area of flooding,
- The average time that bankfull stage is exceeded for the design flood up to 48 hours in rural areas or 6 hours in urban areas, and
- Ensuring that the storage area will remain available for the life of the culvert through the purchase of right-of-way or easement.

5.3.7.2 Design Procedure

The design procedure for flood routing through a culvert is the same as for reservoir routing. The site data and roadway geometry are obtained and the hydrology analysis completed to include estimating a hydrograph. Once this essential information is available, the culvert can be designed. Flood routing through a culvert can be time consuming. It is recommended that a computer program be used to perform routing calculations; however, an engineer should be familiar with the culvert flood routing design process.

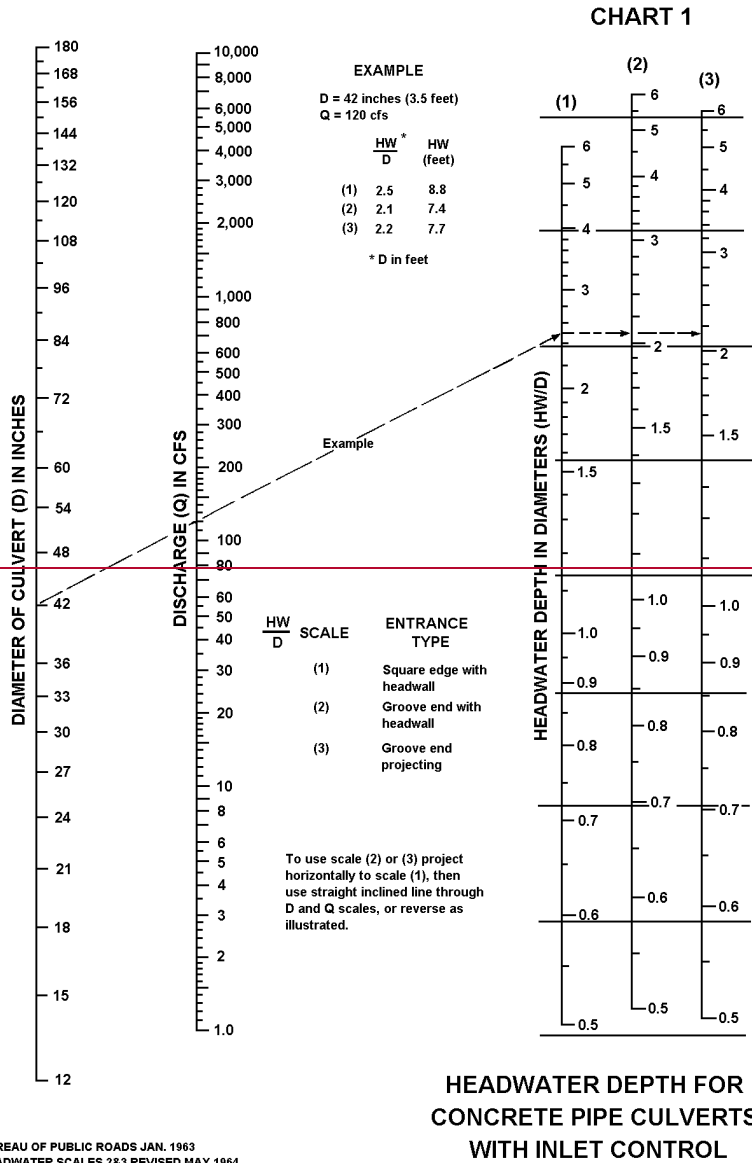
A multiple trial and error procedure is required for culvert flood routing. In general:

- (Step 1) A trial culvert(s) is selected
- (Step 2) A trial discharge for a particular hydrograph time increment (selected time increment to estimate discharge from the design hydrograph) is selected
- (Step 3) Flood routing computations are made with successive trial discharges until the flood routing equation is satisfied
- (Step 4) The hydraulic findings are compared to the selected site criteria
- (Step 5) If the selected site criteria are satisfied, then a trial discharge for the next time increment is selected and this procedure is repeated; if not, a new trial culvert is selected and the entire procedure is repeated.

5.3.8 Culvert Design Charts and Nomographs

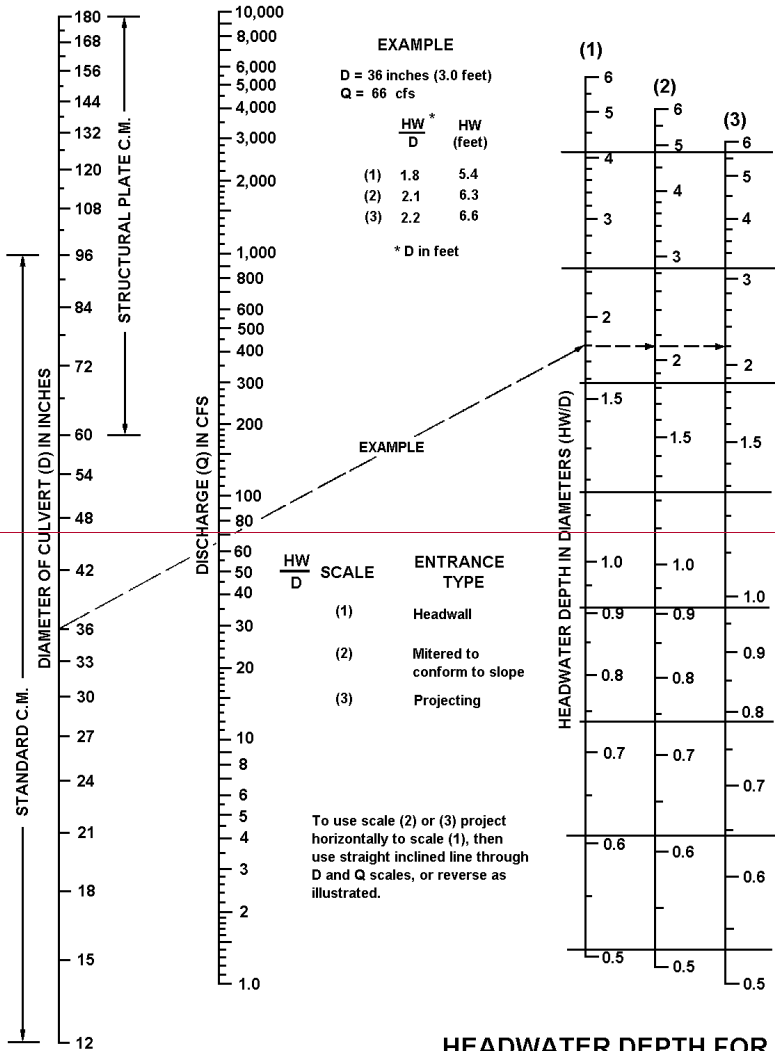
Commented [A4]: Moved this section to APP F

All of the figures in this section are from the AASHTO Model Drainage Manual, 1991.



BUREAU OF PUBLIC ROADS JAN. 1963
 HEADWATER SCALES 2&3 REVISED MAY 1964

CHART 2



HEADWATER DEPTH FOR C.M. PIPE CULVERTS WITH INLET CONTROL

BUREAU OF PUBLIC ROADS JAN. 1963

CHART 3

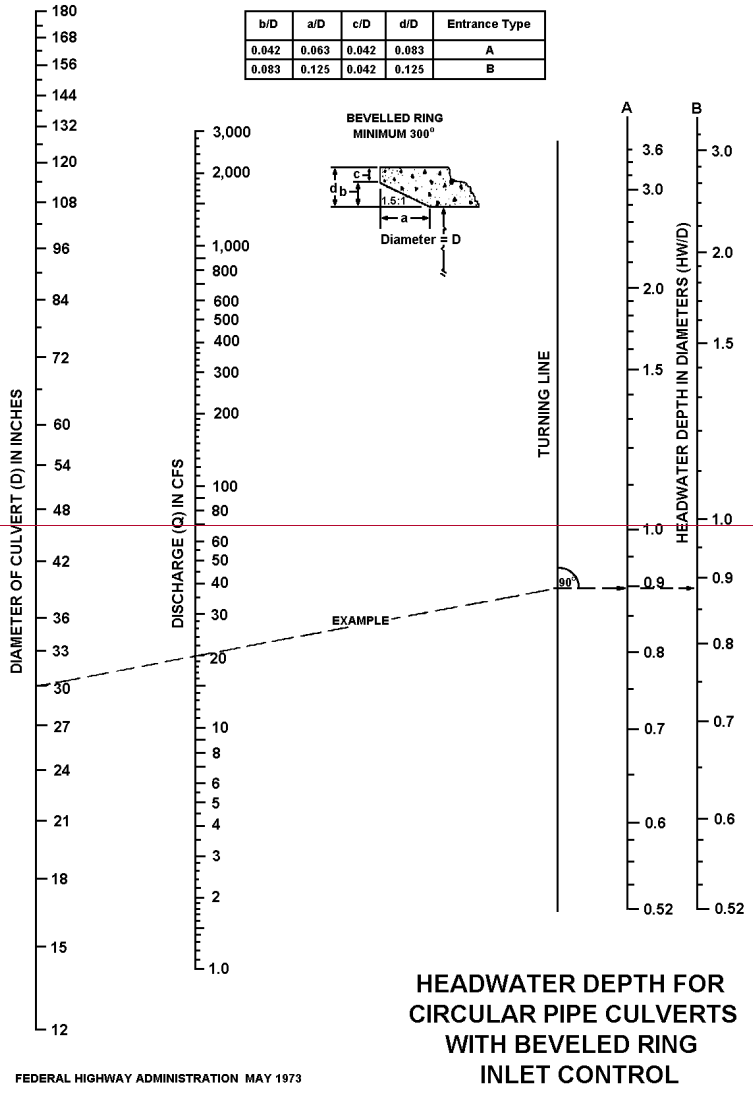
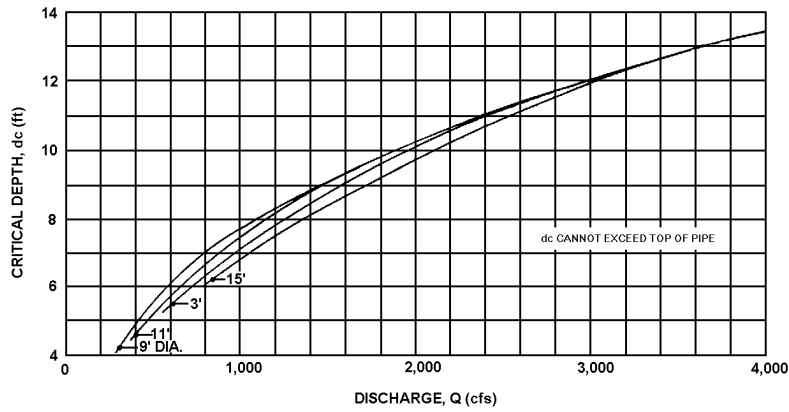
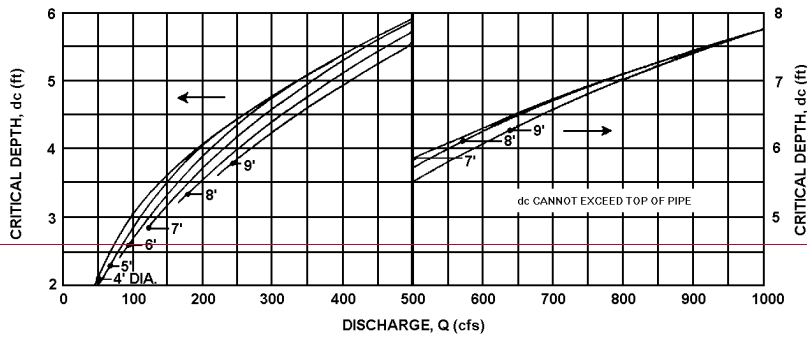
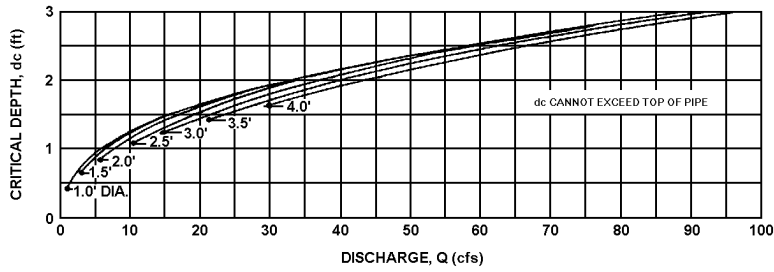


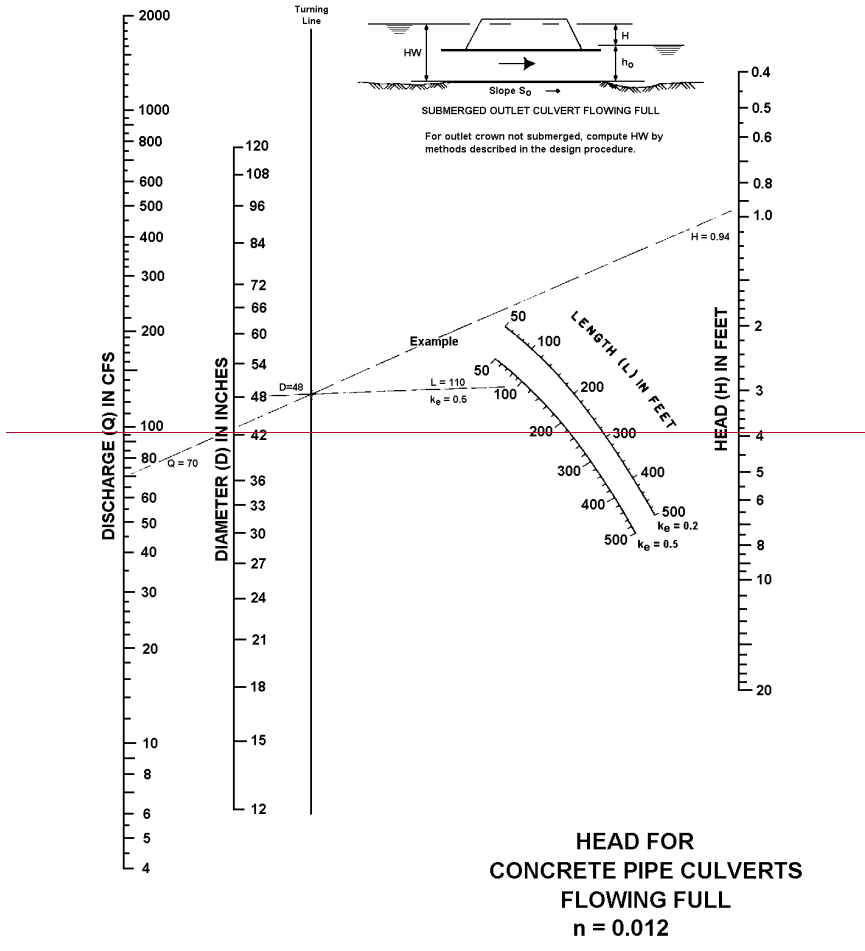
CHART 4



BUREAU OF PUBLIC ROADS JAN. 1964

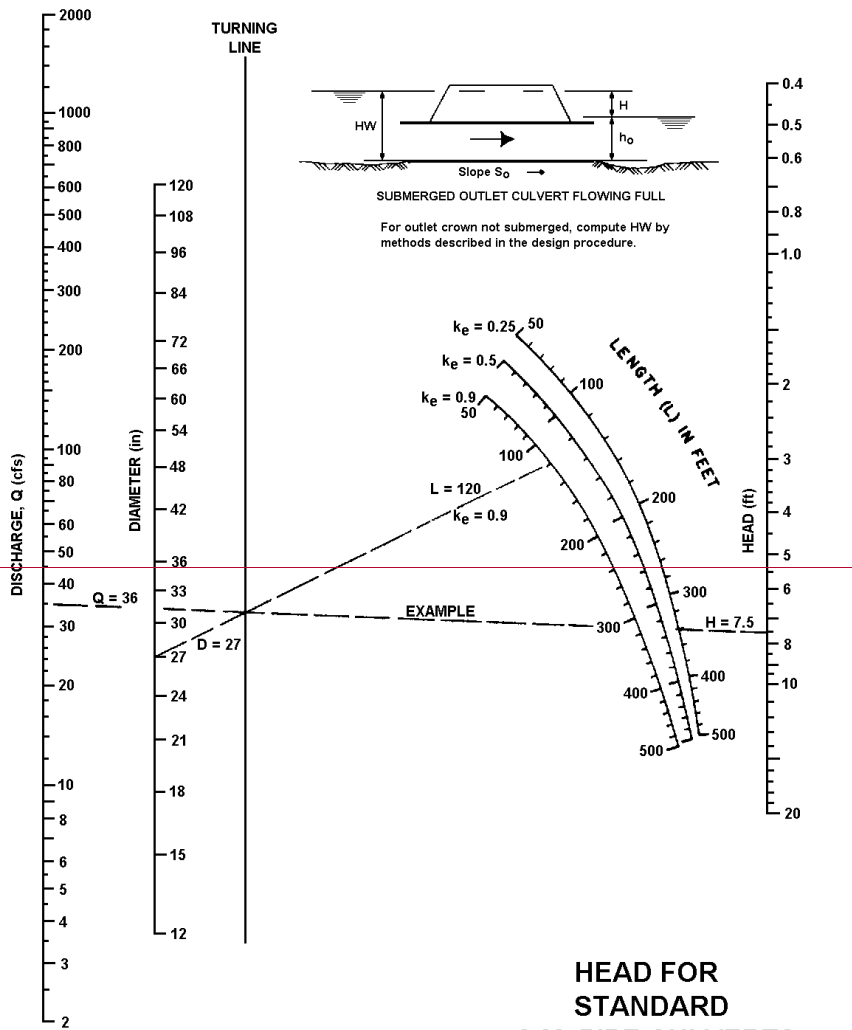
CRITICAL DEPTH CIRCULAR PIPE

CHART 5



BUREAU OF PUBLIC ROADS JAN. 1963

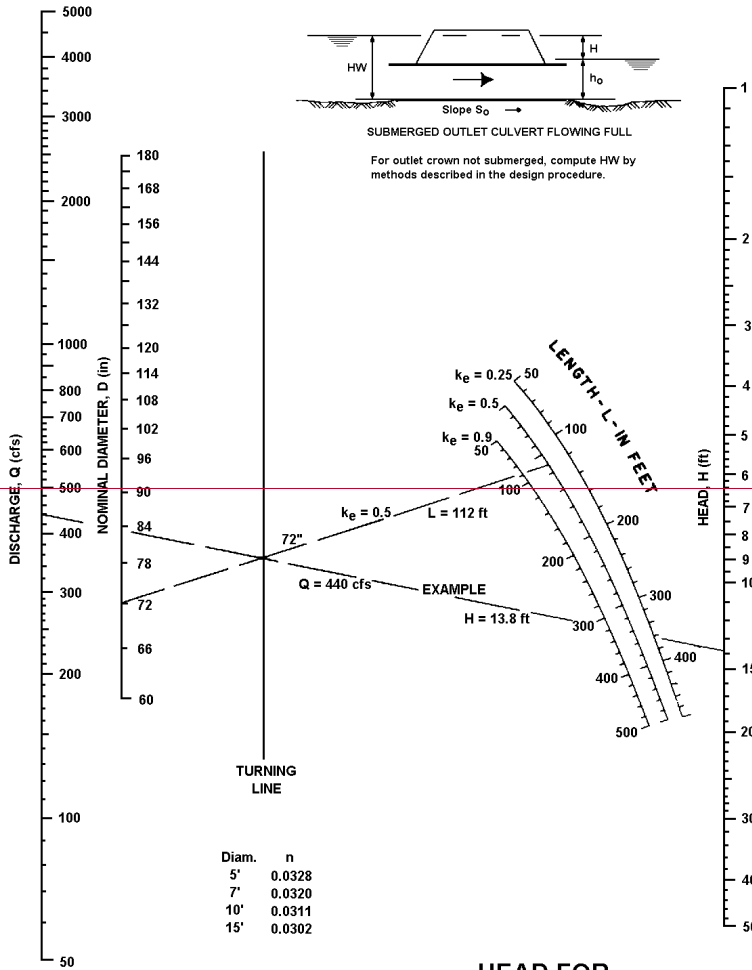
CHART 6



**HEAD FOR
STANDARD
C.M. PIPE CULVERTS
FLOWING FULL
n = 0.024**

BUREAU OF PUBLIC ROADS JAN. 1963

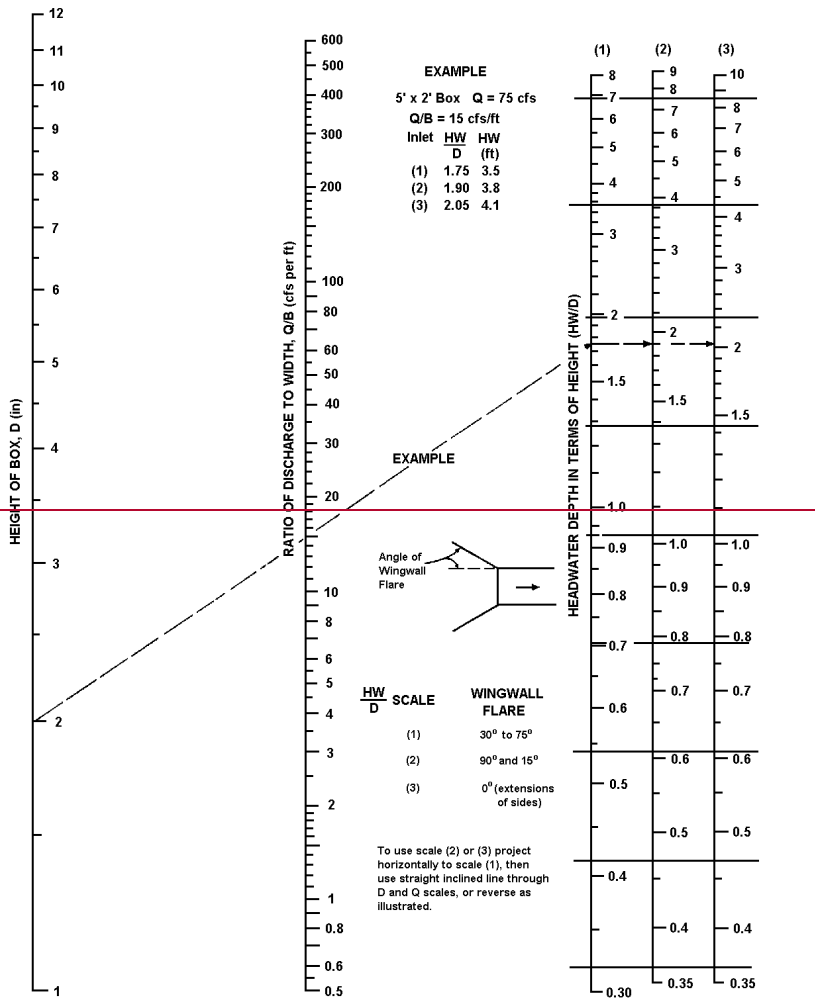
CHART 7



BUREAU OF PUBLIC ROADS JAN. 1963

HEAD FOR STRUCTURAL PLATE CORR. METAL PIPE CULVERTS FLOWING FULL n = 0.0328 TO 0.0302

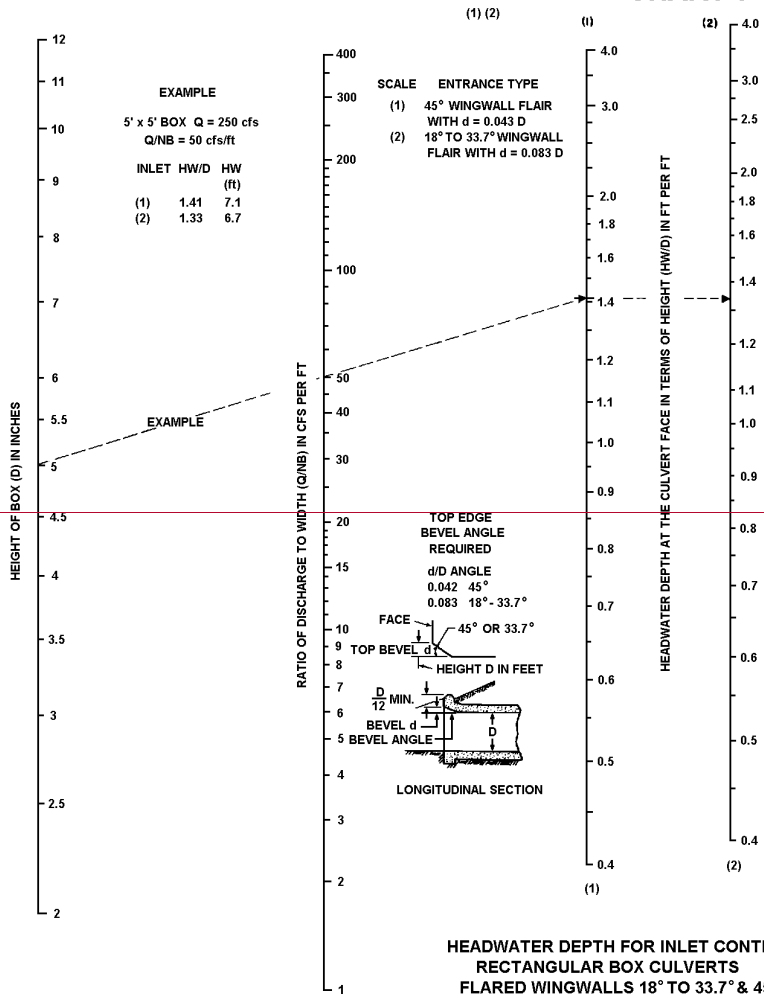
CHART 8



HEADWATER DEPTH FOR BOX CULVERTS WITH INLET CONTROL

BUREAU OF PUBLIC ROADS JAN. 1963

CHART 9



**HEADWATER DEPTH FOR INLET CONTROL
RECTANGULAR BOX CULVERTS
FLARED WINGWALLS 18° TO 33.7° & 45°
WITH BEVELED EDGE AT TOP OF INLET**

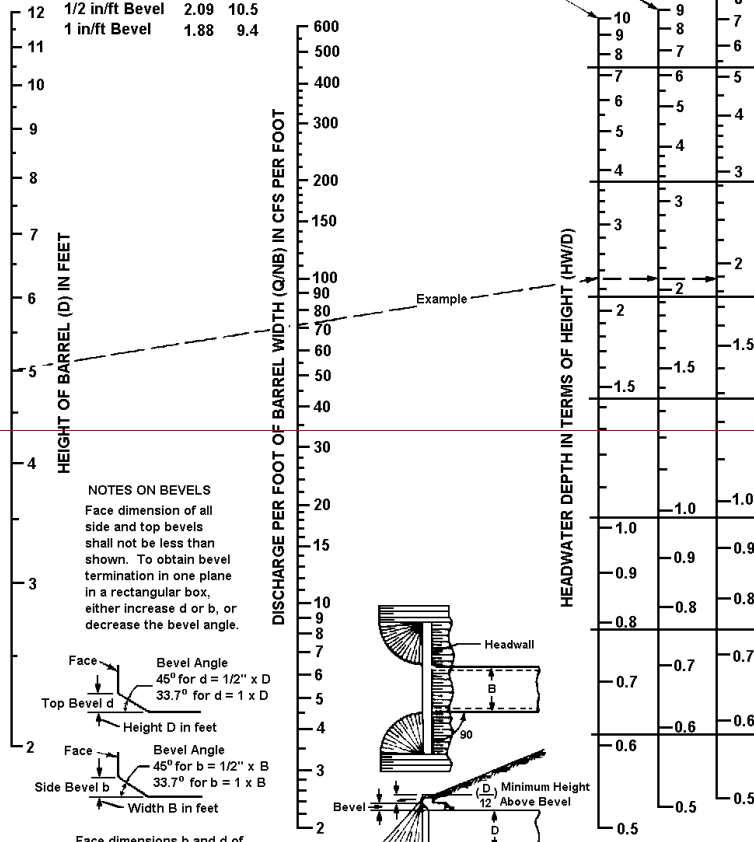
CHART 10

EXAMPLE
 B = 7 ft D = 5 ft Q = 500 cfs Q/NB = 71.5

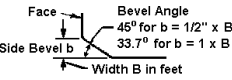
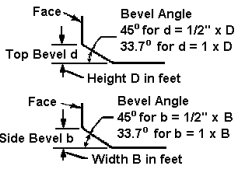
ALL EDGES	HW D (ft)	HW (ft)
Chamfer 3/4"	2.31	11.5
1/2 in/ft Bevel	2.09	10.5
1 in/ft Bevel	1.88	9.4

INLET FACE - ALL EDGES:

- 1 in/ft Bevels 33.7° (1:1.5)
- 1/2 in/ft Bevels 45° (1:1)
- 3/4 inch Chamfers



NOTES ON BEVELS
 Face dimension of all side and top bevels shall not be less than shown. To obtain bevel termination in one plane in a rectangular box, either increase d or b, or decrease the bevel angle.



Face dimensions b and d of bevels are each related to the opening dimension at right angles to the edge.

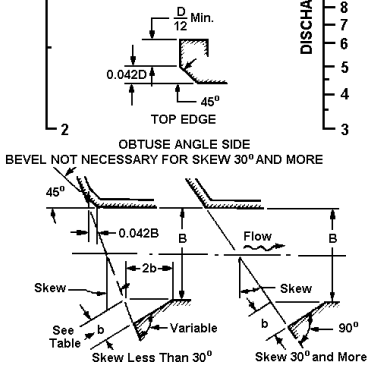
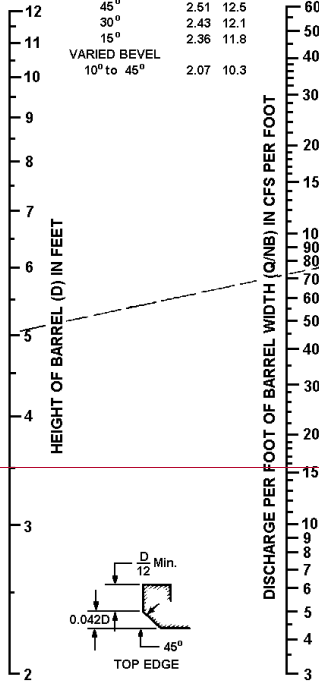
**HEADWATER DEPTH FOR INLET CONTROL
 RECTANGULAR BOX CULVERTS
 90° HEADWALL
 CHAMFERED OR BEVELED INLET EDGES**

FEDERAL HIGHWAY ADMINISTRATION MAY 1973

EXAMPLE

B = 7 ft D = 5 ft Q = 500 cfs

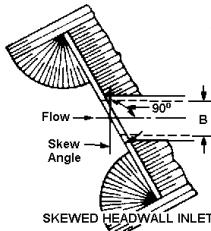
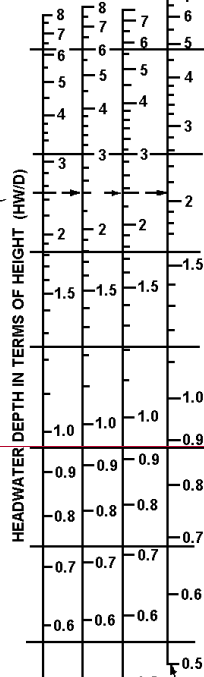
EDGE & SKEW	HW D (ft)	HW D (ft)
3/4" CHAMFER		
45°	2.51	12.5
30°	2.43	12.1
15°	2.36	11.8
VARIED BEVEL		
10° to 45°	2.07	10.3



ACUTE ANGLE SIDE
BEVELED INLET EDGES
DESIGNED FOR SAME CAPACITY AT ANY SKEW

CHART 11

BEVELED EDGES - TOP AND SIDES
3/4" CHAMFER ALL EDGES
SKEW ANGLE → 45° 30° 15° 10°-45°



BEVELED EDGES AS DETAILED

SKEW ANGLE	SIDE BEVEL b
10°	3/4" x B (ft)
15°	1" x B
22-1/2°	1-1/4" x B
30°	1-1/2" x B
37-1/2°	2" x B
48°	2-1/2" x B

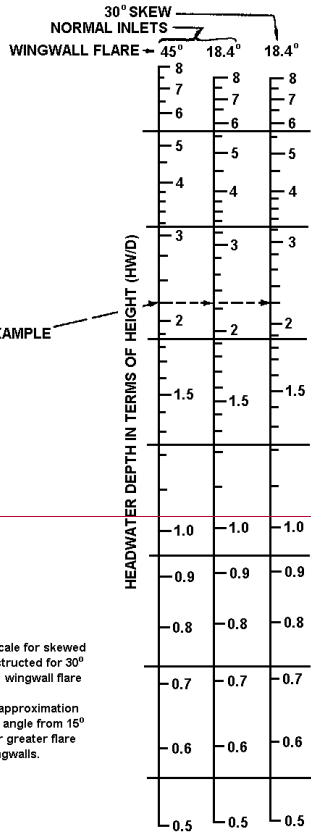
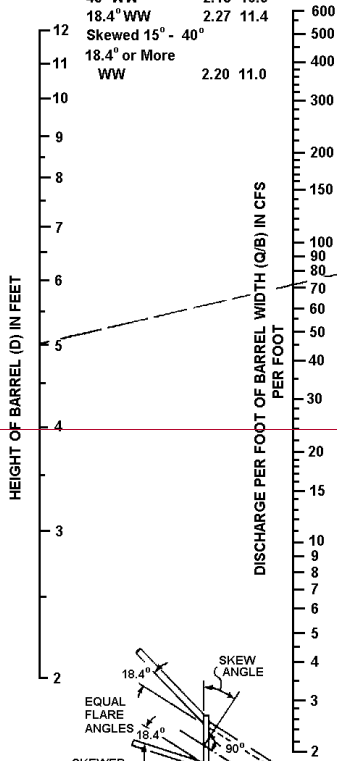
**HEADWATER DEPTH FOR INLET CONTROL
SINGLE BARREL BOX CULVERTS
SKEWED HEADWALLS
CHAMFERED OR BEVELED INLET EDGES**

FEDERAL HIGHWAY ADMINISTRATION MAY 1973

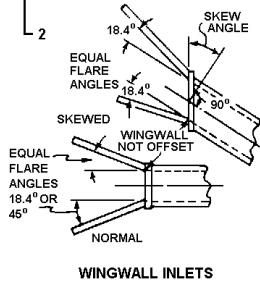
CHART 12

EXAMPLE
 B = 7 ft D = 5 ft Q = 500 cfs
 $\frac{Q}{B} = 71.5$

Inlet & WW	$\frac{HW}{D}$	HW (ft)
Normal	2.18	10.9
45° WW	2.27	11.4
18.4° WW	2.27	11.4
Skewed 15° - 40°		
18.4° or More WW	2.20	11.0

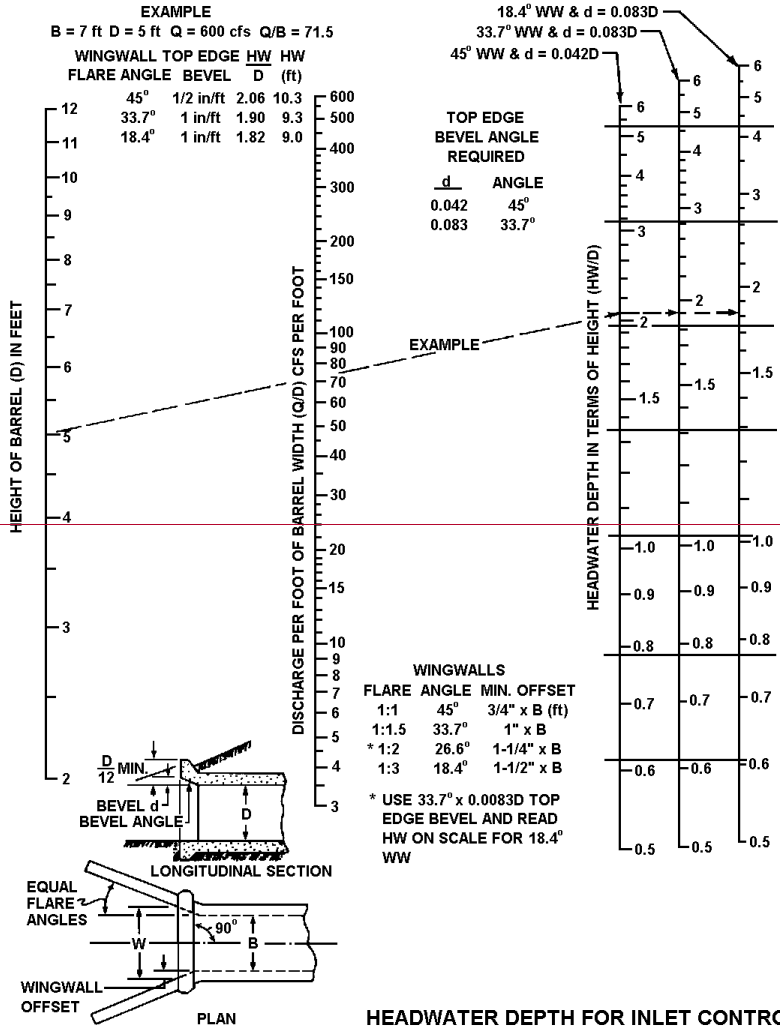


NOTE:
 Headwater scale for skewed inlets is constructed for 30° skew and 3:1 wingwall flare (18.4°).
 Also a good approximation for any skew angle from 15° to 45° and for greater flare angles of wingwalls.



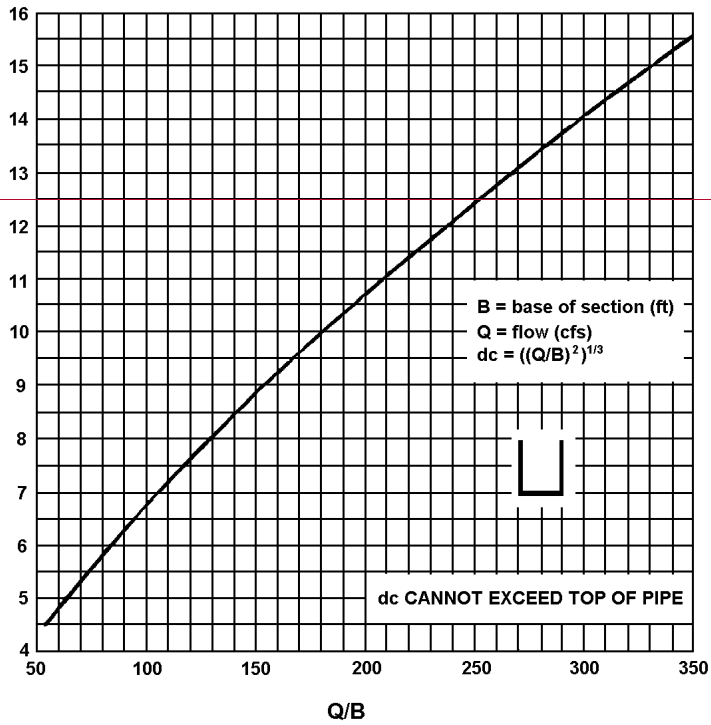
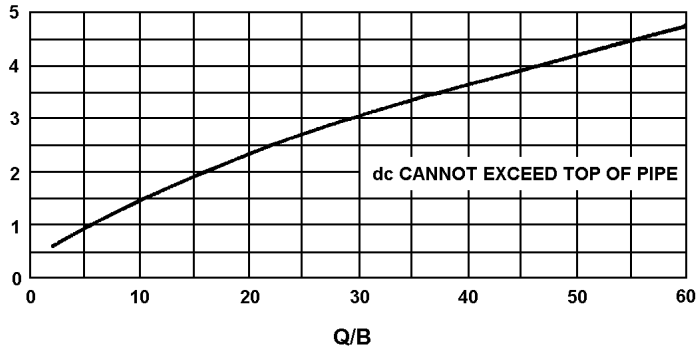
**HEADWATER DEPTH FOR INLET CONTROL
 RECTANGULAR BOX CULVERTS
 FLARED WINGWALLS
 NORMAL AND SKEWED INLETS
 3/4" CHAMFER AT TOP OF OPENING**

CHART 13



BUREAU OF PUBLIC ROADS
 OFFICE OF R&D AUGUST 1968

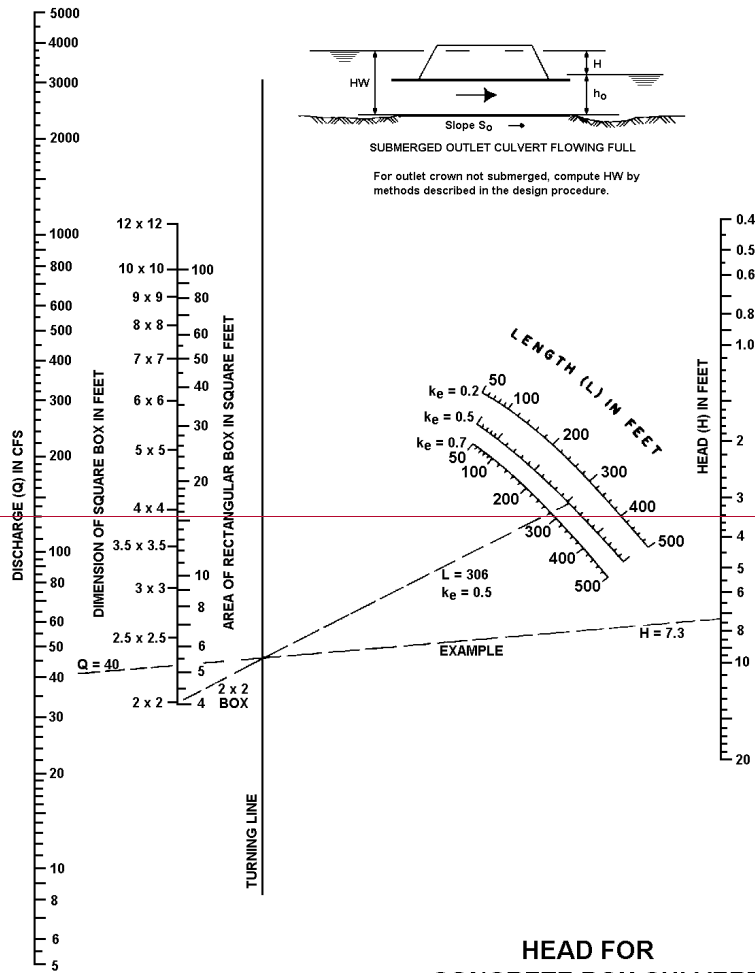
CHART 14



**CRITICAL DEPTH
RECTANGULAR SECTION**

BUREAU OF PUBLIC ROADS JAN. 1963

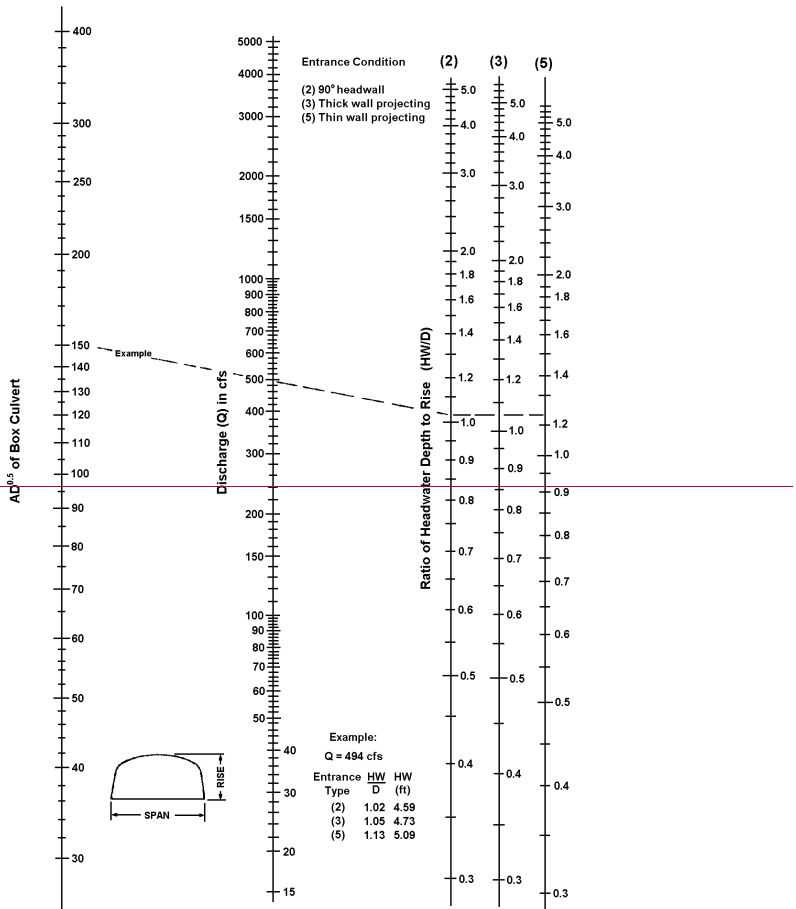
CHART 15



HEAD FOR CONCRETE BOX CULVERTS FLOWING FULL $n = 0.012$

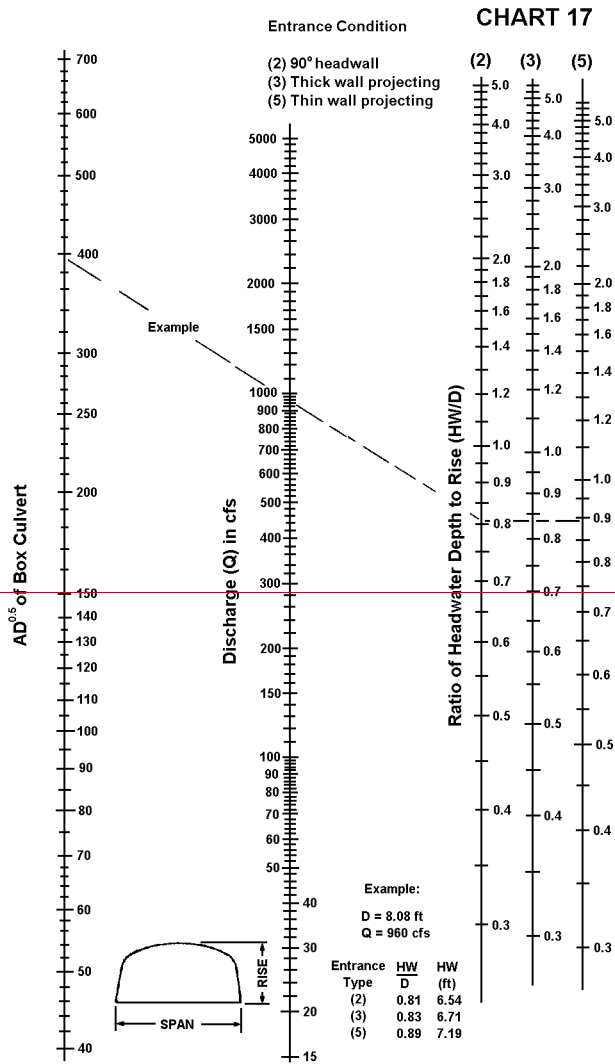
BUREAU OF PUBLIC ROADS JAN. 1963

CHART 16



Homographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation.

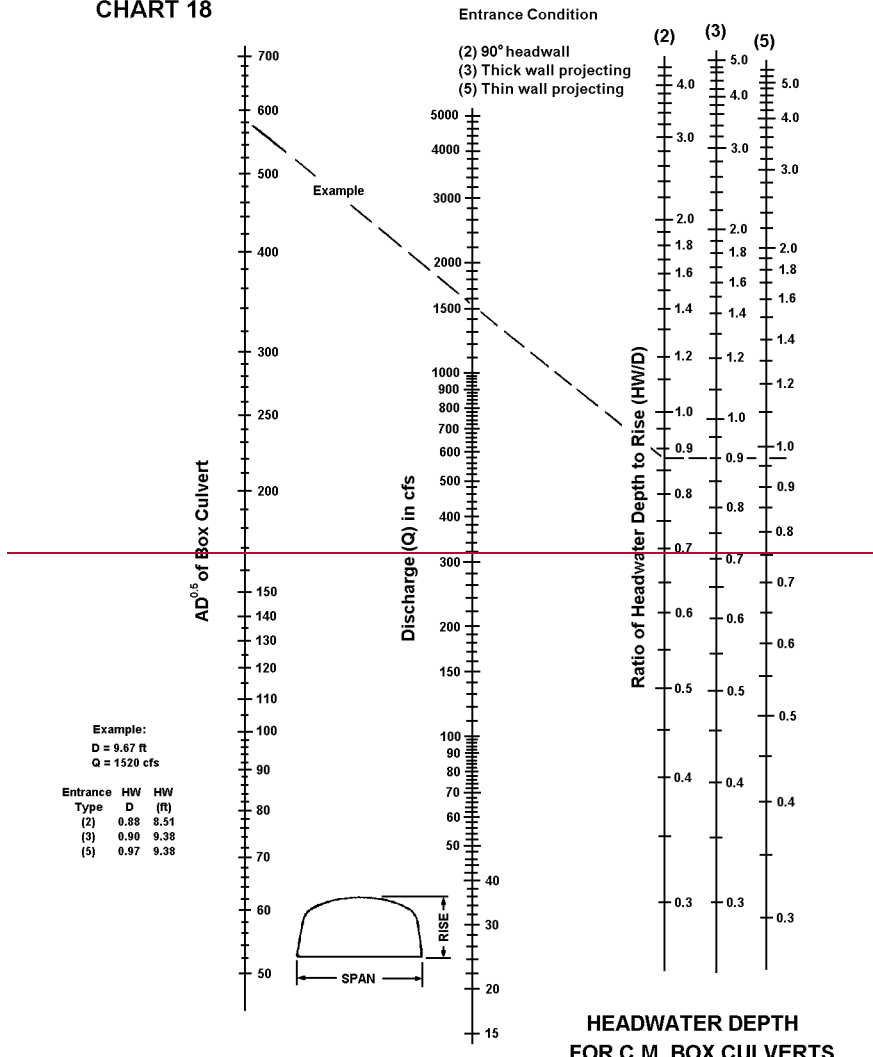
**HEADWATER DEPTH
 FOR C.M. BOX CULVERTS
 RISE/SPAN < 0.3
 WITH INLET CONTROL**



**HEADWATER DEPTH
 FOR C.M. BOX CULVERTS
 $0.3 \leq \text{RISE}/\text{SPAN} < 0.4$
 WITH INLET CONTROL**

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

CHART 18

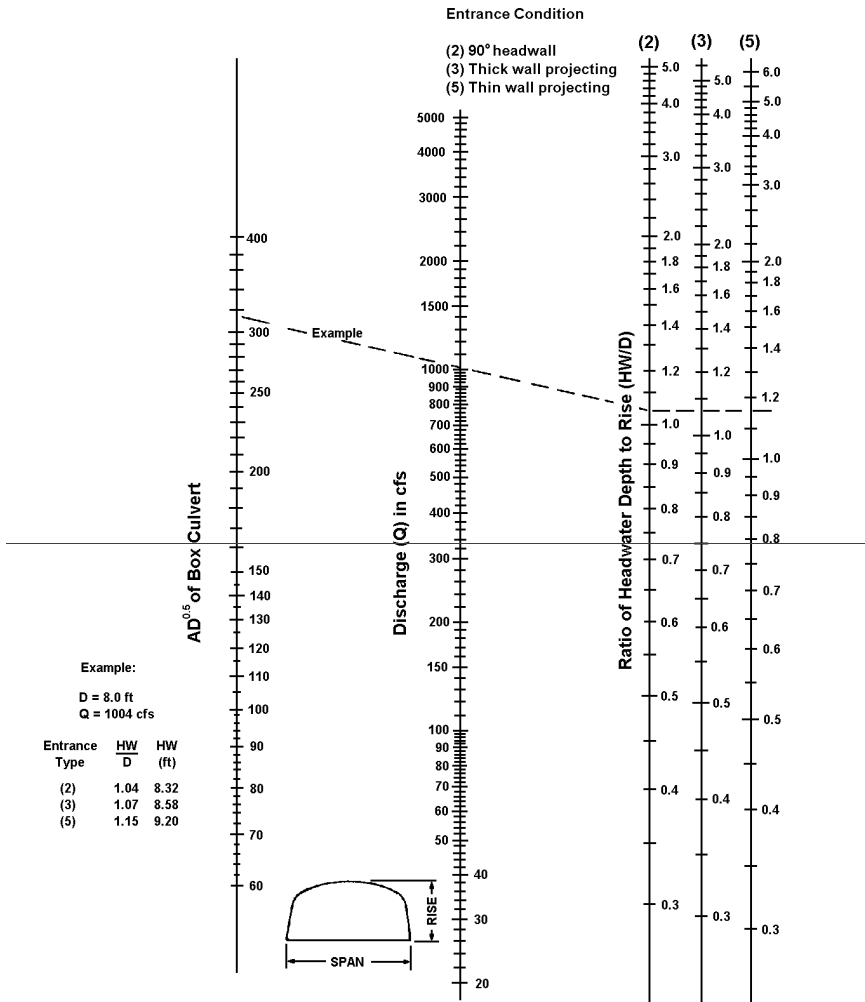


Example:
 D = 9.67 ft
 Q = 1520 cfs

Entrance Type	HW D	HW (ft)
(2)	0.88	8.51
(3)	0.90	9.38
(5)	0.97	9.38

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

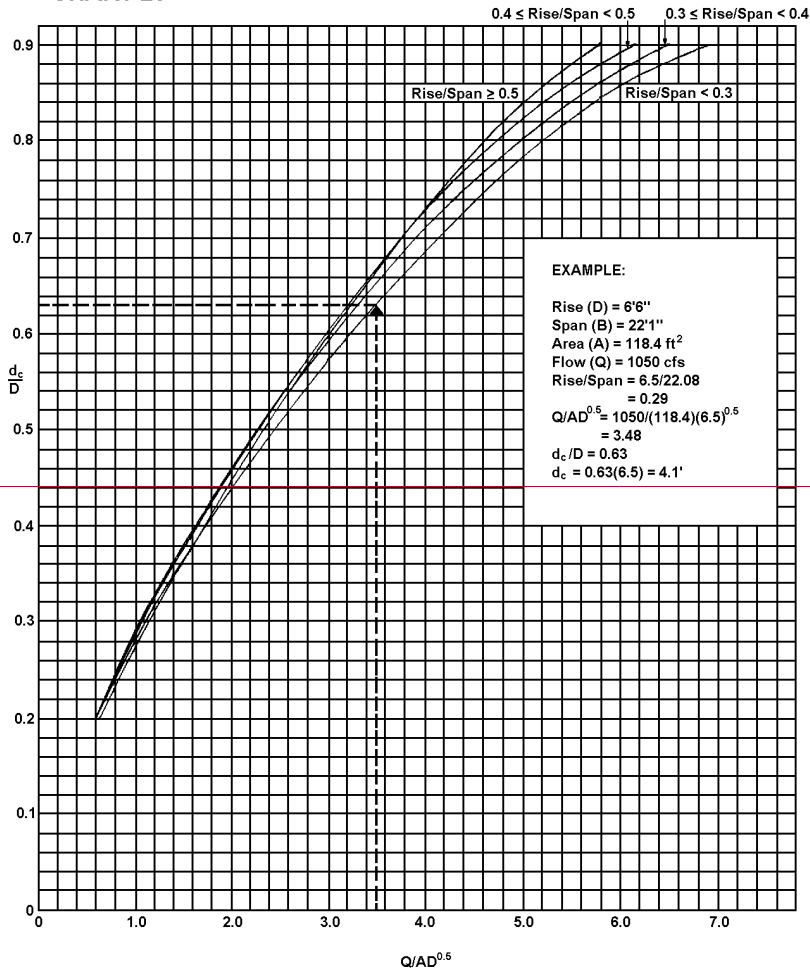
CHART 19



Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation.

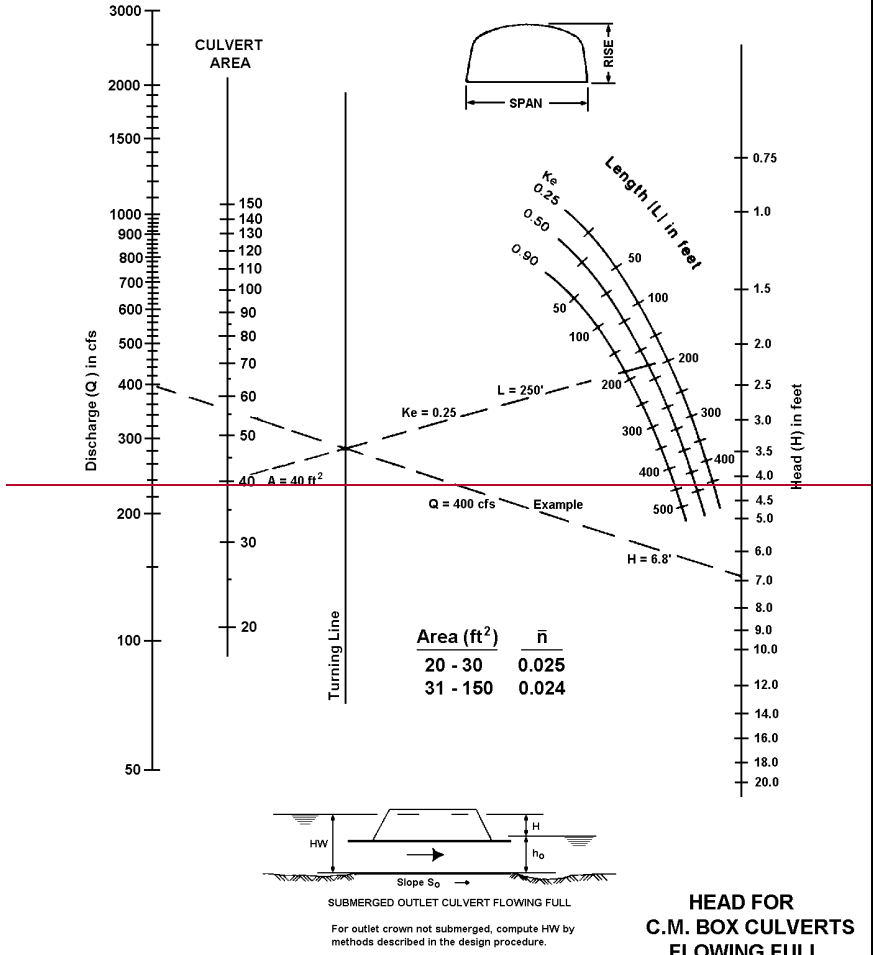
**HEADWATER DEPTH
 FOR C.M. BOX CULVERTS
 0.5 ≤ RISE/SPAN
 WITH INLET CONTROL**

CHART 20



**DIMENSIONLESS CRITICAL DEPTH
FOR C.M. BOX CULVERTS**

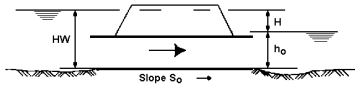
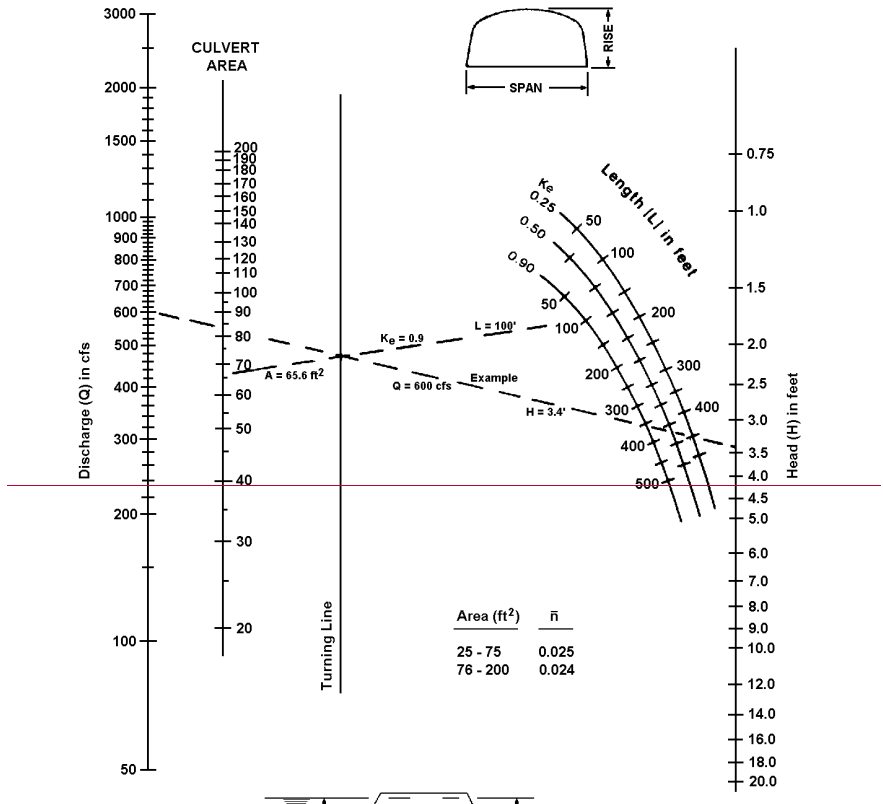
CHART 21



**HEAD FOR
C.M. BOX CULVERTS
FLOWING FULL
CONCRETE BOTTOM
RISE/SPAN < 0.3**

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

CHART 22

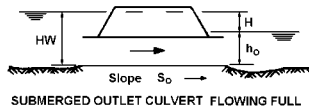
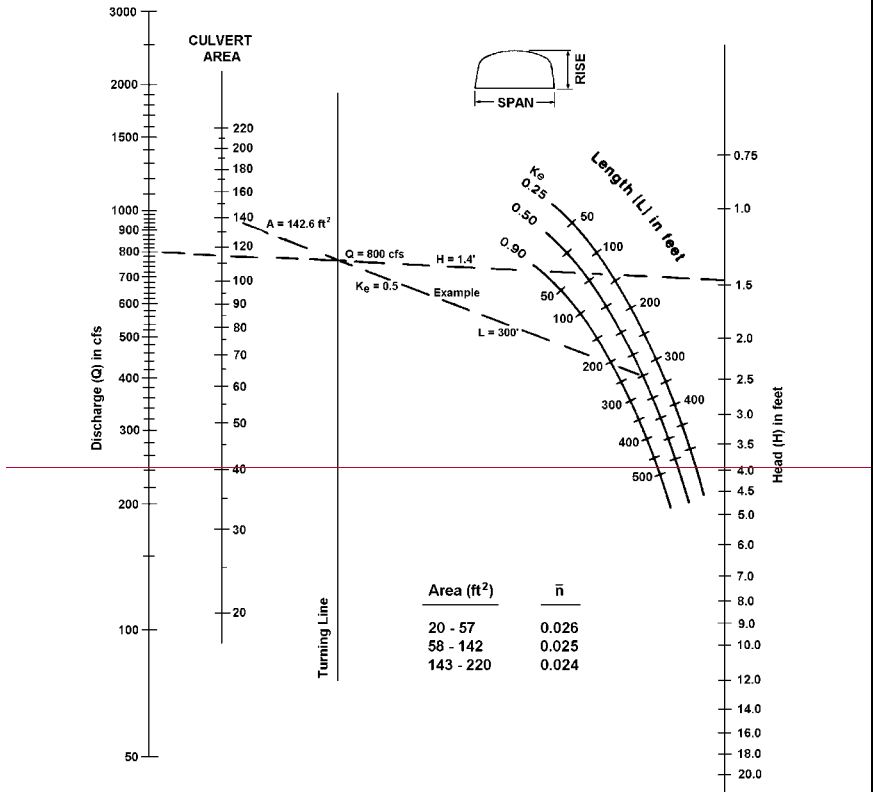


SUBMERGED OUTLET CULVERT FLOWING FULL
 For outlet crown not submerged, compute HW by methods described in the design procedure.

**HEAD FOR
 C.M. BOX CULVERTS
 FLOWING FULL
 CONCRETE BOTTOM
 0.3 ≤ RISE/SPAN < 0.4**

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

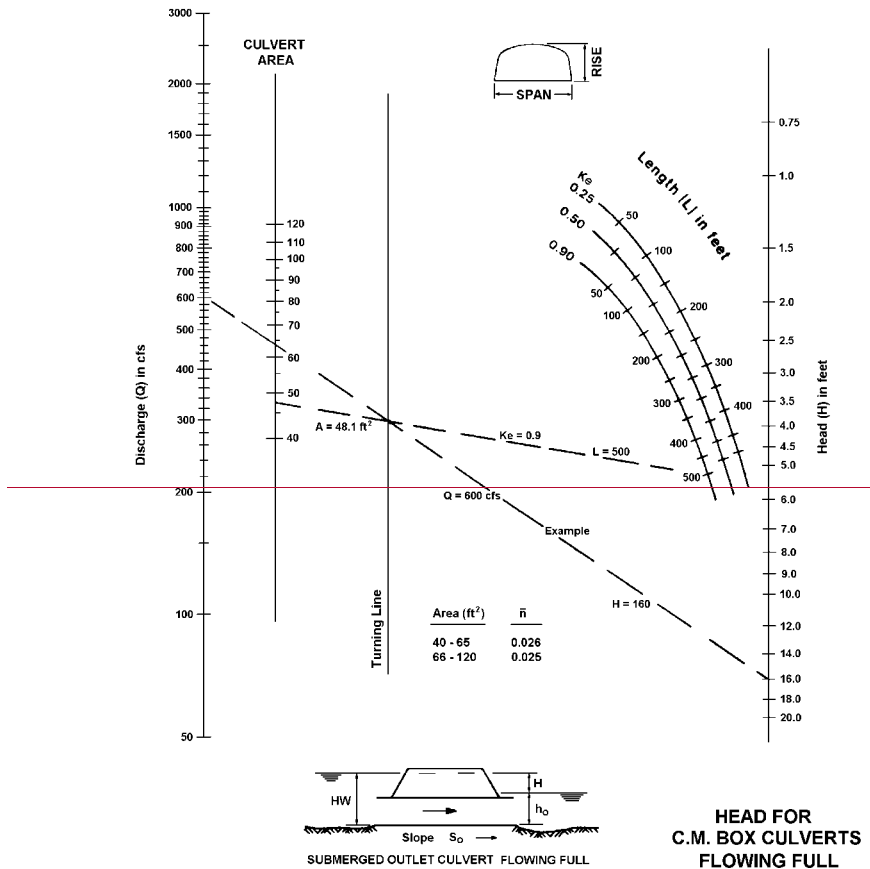
CHART 23



**HEAD FOR
C.M. BOX CULVERTS
FLOWING FULL
CONCRETE BOTTOM
 $0.4 \leq \text{RISE}/\text{SPAN} < 0.5$**

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

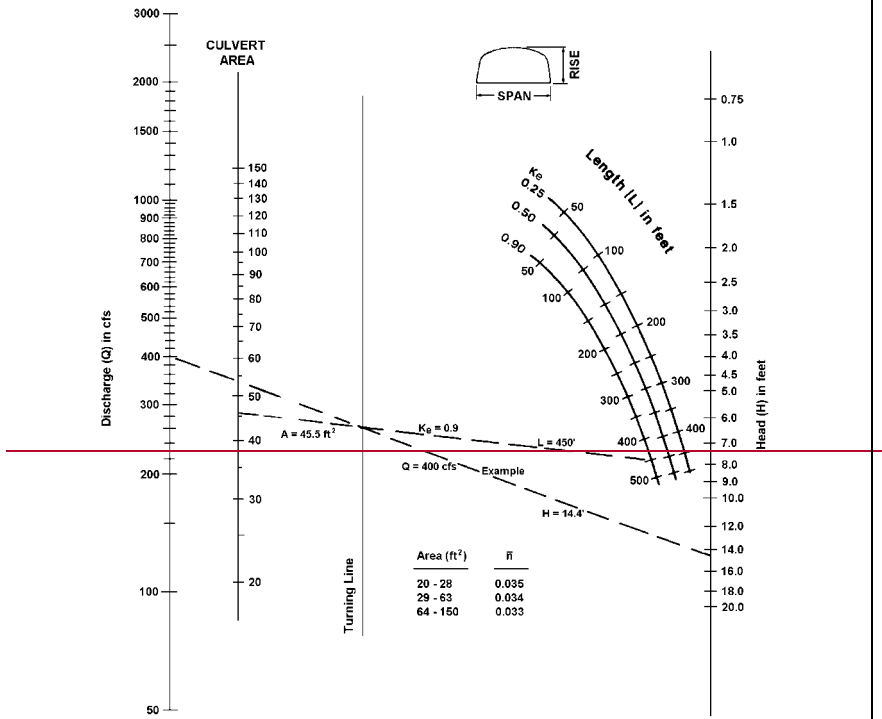
CHART 24



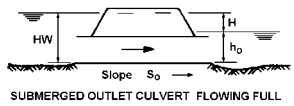
**HEAD FOR
C.M. BOX CULVERTS
FLOWING FULL
CONCRETE BOTTOM
0.5 ≤ RISE/SPAN**

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

CHART 25



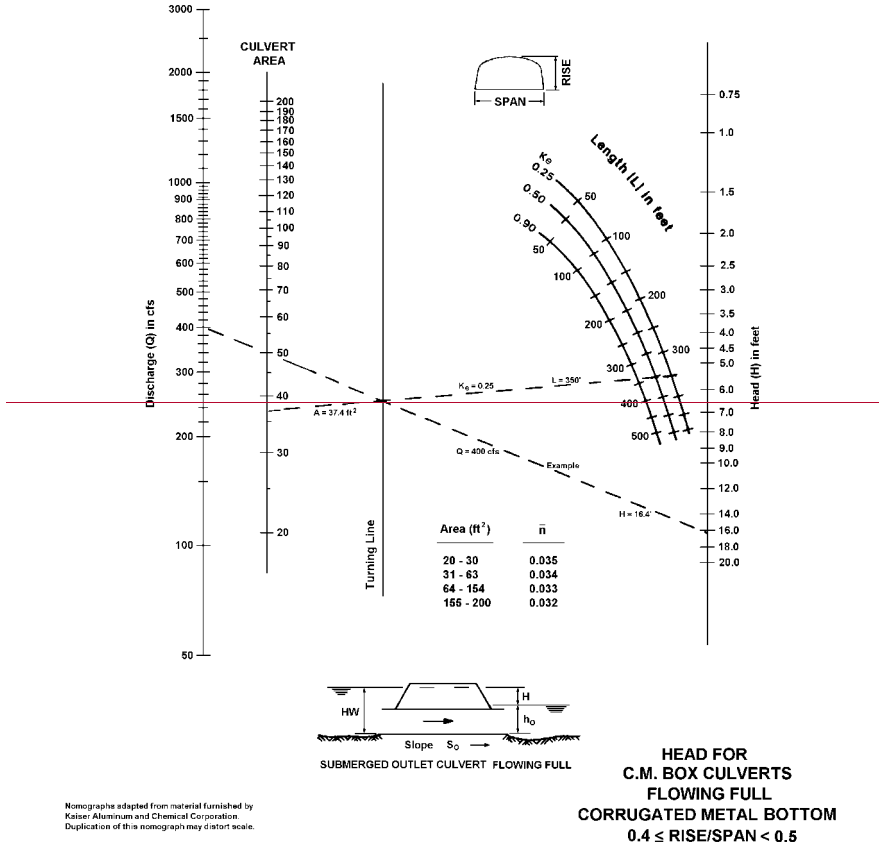
Area (ft ²)	f_i
20 - 28	0.035
29 - 63	0.034
64 - 150	0.033



**HEAD FOR
C.M. BOX CULVERTS
FLOWING FULL
CORRUGATED METAL BOTTOM
0.3 < RISE/SPAN**

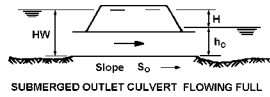
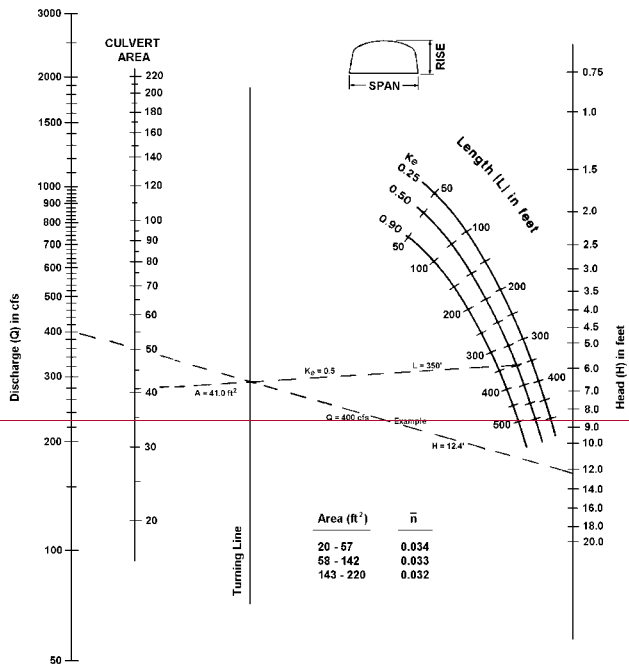
Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

CHART 26



Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

CHART 27

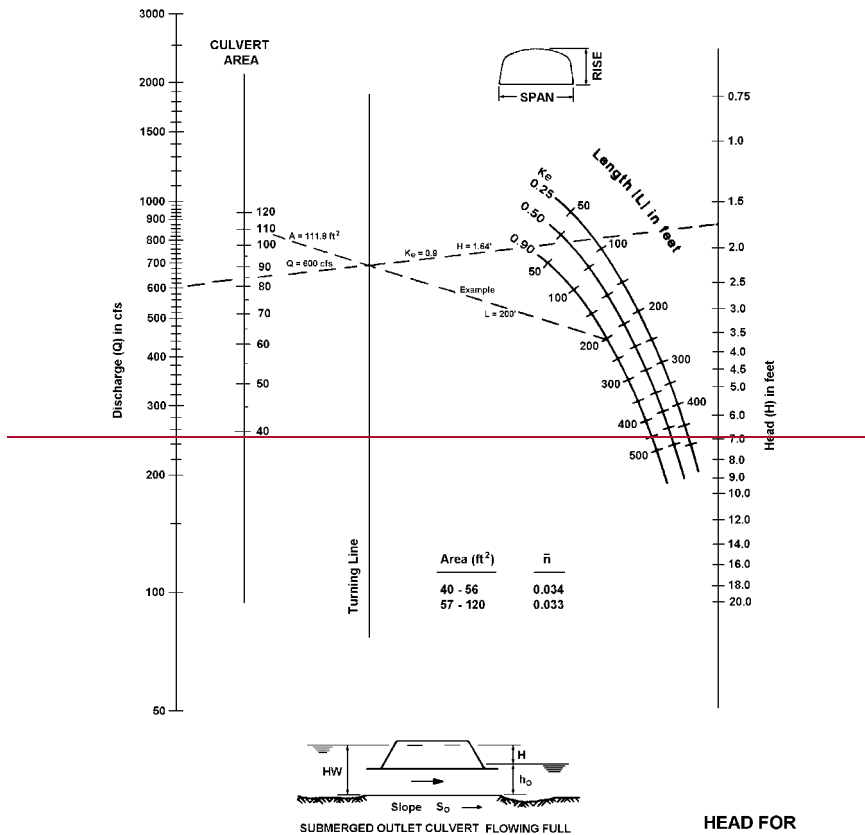


SUBMERGED OUTLET CULVERT FLOWING FULL

HEAD FOR
C.M. BOX CULVERTS
FLOWING FULL
CORRUGATED METAL BOTTOM
 $0.4 \leq \text{RISE/SPAN} < 0.5$

Nomograph adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

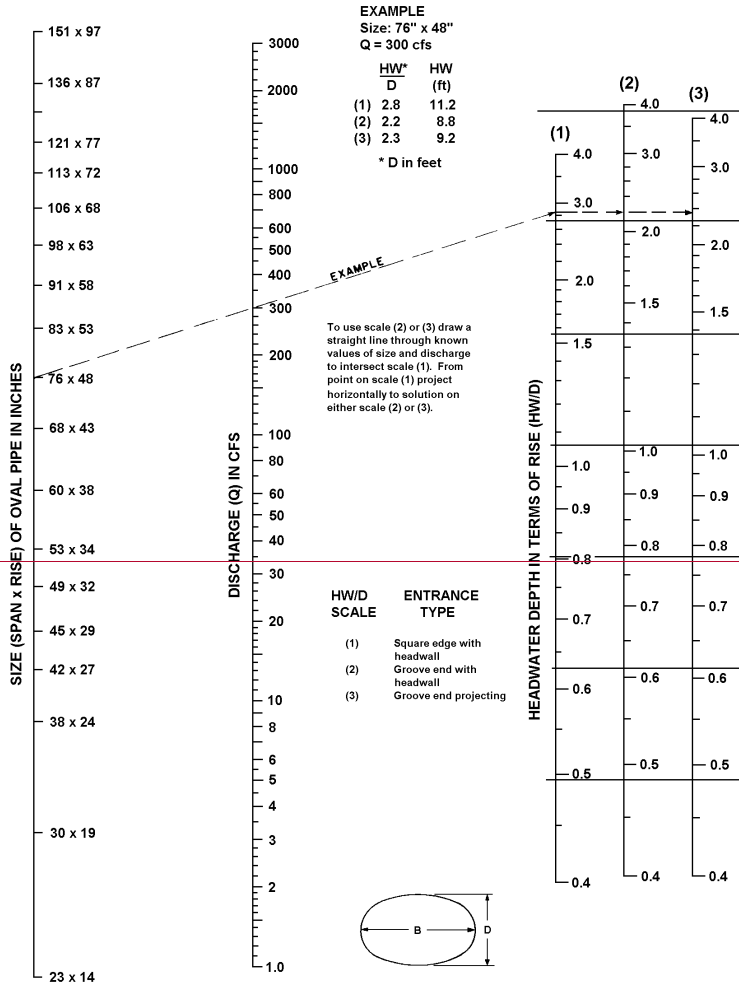
CHART 28



Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

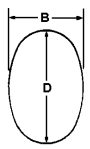
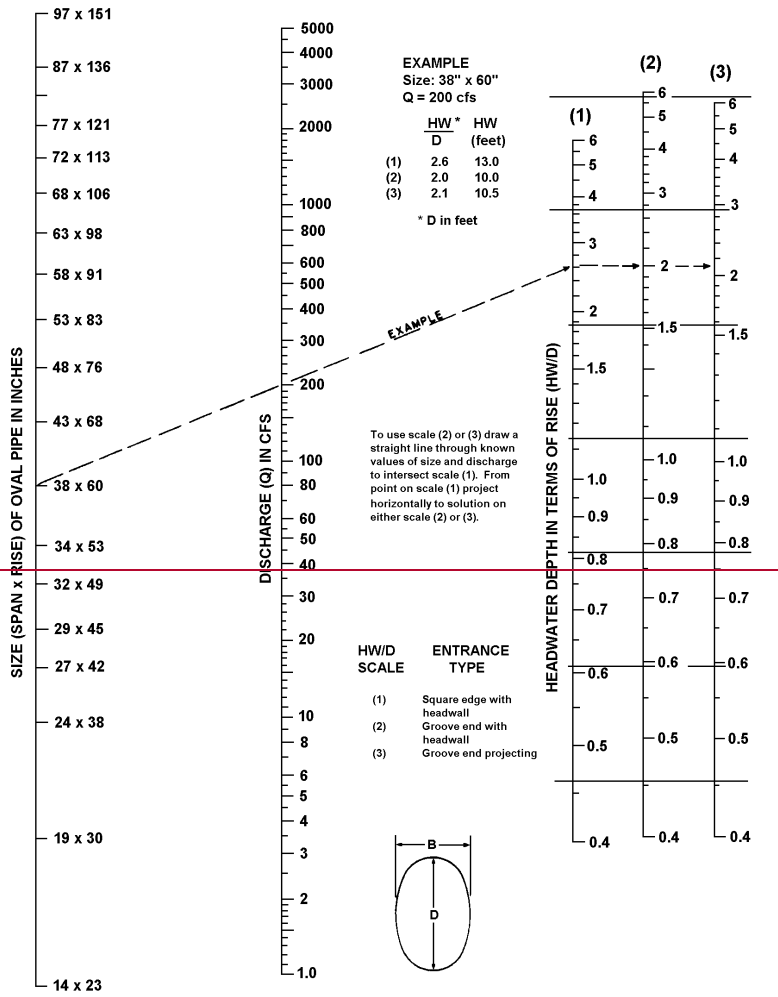
**HEAD FOR
C.M. BOX CULVERTS
FLOWING FULL
CORRUGATED METAL BOTTOM
 $0.5 \leq \text{RISE/SPAN}$**

CHART 29



BUREAU OF PUBLIC ROADS JAN. 1963

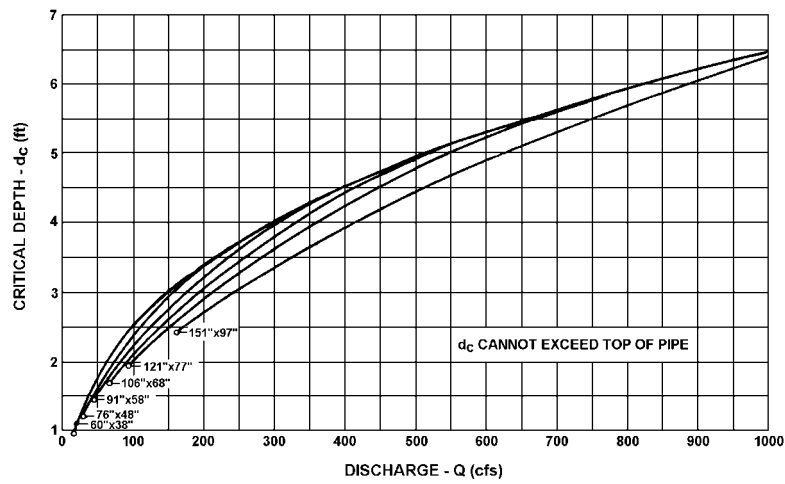
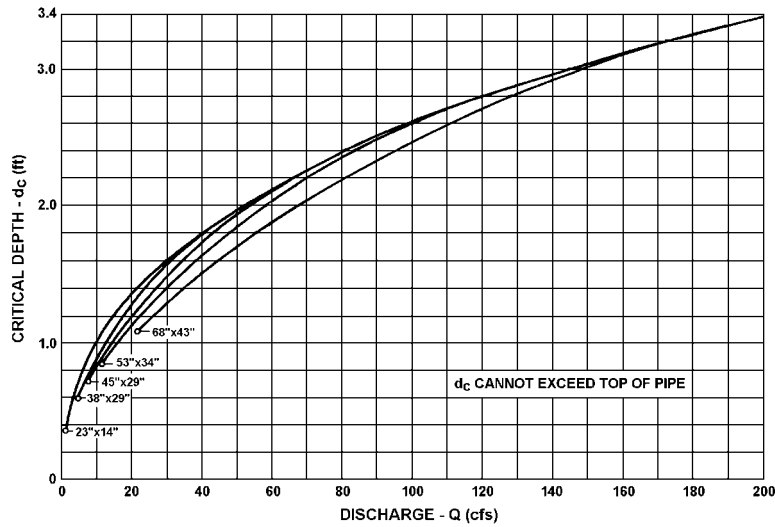
CHART 30



HEADWATER DEPTH FOR
 OVAL CONCRETE PIPE CULVERTS
 LONG AXIS VERTICAL
 WITH INLET CONTROL

BUREAU OF PUBLIC ROADS JAN. 1963

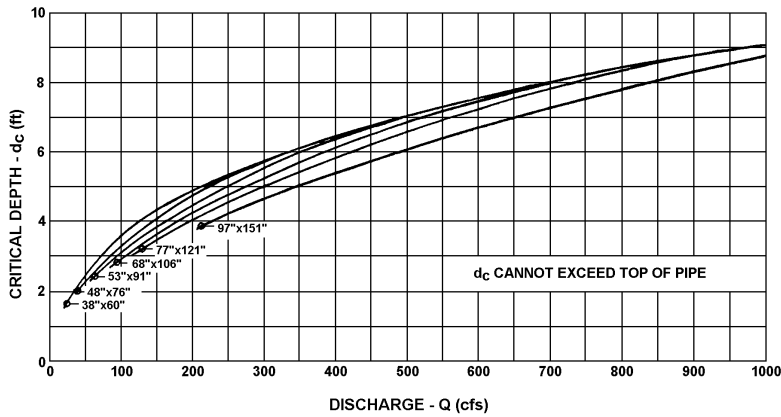
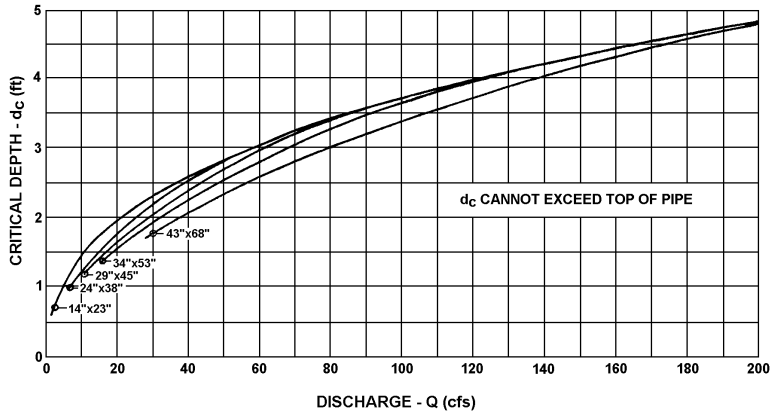
CHART 31



BUREAU OF PUBLIC ROADS JAN. 1964

CRITICAL DEPTH
OVAL CONCRETE PIPE
LONG AXIS HORIZONTAL

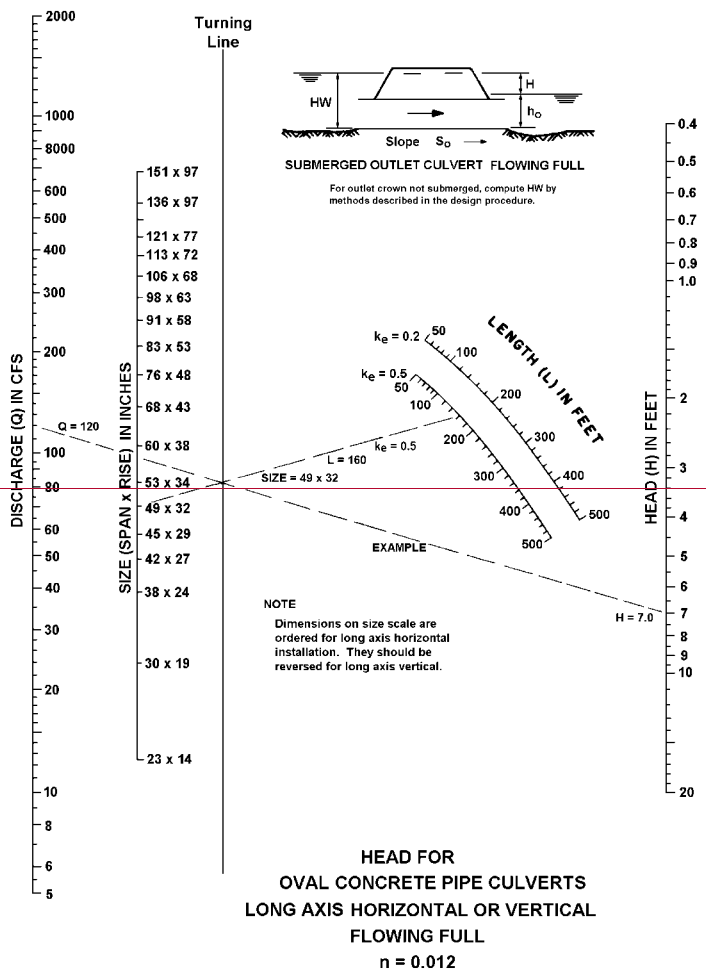
CHART 32



BUREAU OF PUBLIC ROADS JAN. 1964

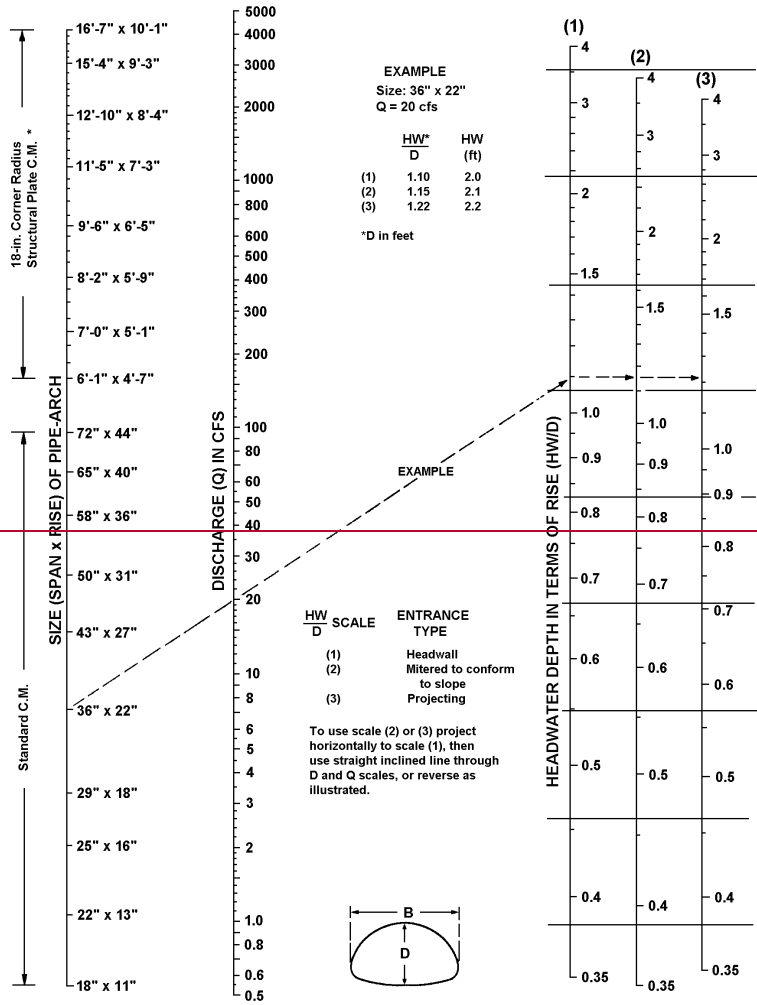
**CRITICAL DEPTH
OVAL CONCRETE PIPE
LONG AXIS VERTICAL**

CHART 33



BUREAU OF PUBLIC ROADS JAN. 1963

CHART 34



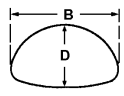
EXAMPLE
 Size: 36" x 22"
 Q = 20 cfs

	HW* D	HW (ft)
(1)	1.10	2.0
(2)	1.15	2.1
(3)	1.22	2.2

*D in feet

HW/D SCALE	ENTRANCE TYPE
(1)	Headwall
(2)	Mitered to conform to slope
(3)	Projecting

To use scale (2) or (3) project horizontally to scale (1), then use straight inclined line through D and Q scales, or reverse as illustrated.



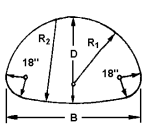
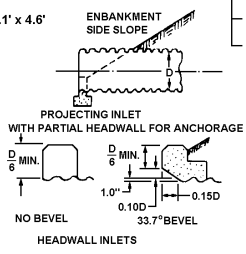
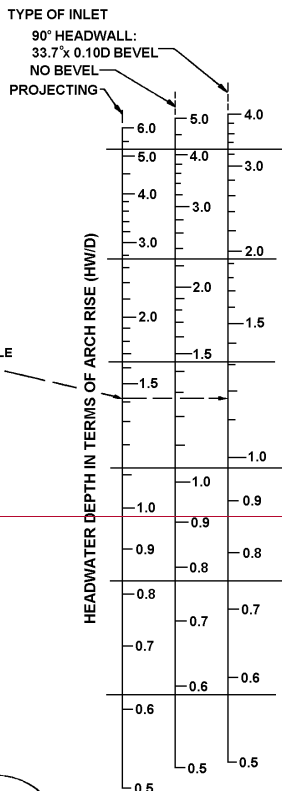
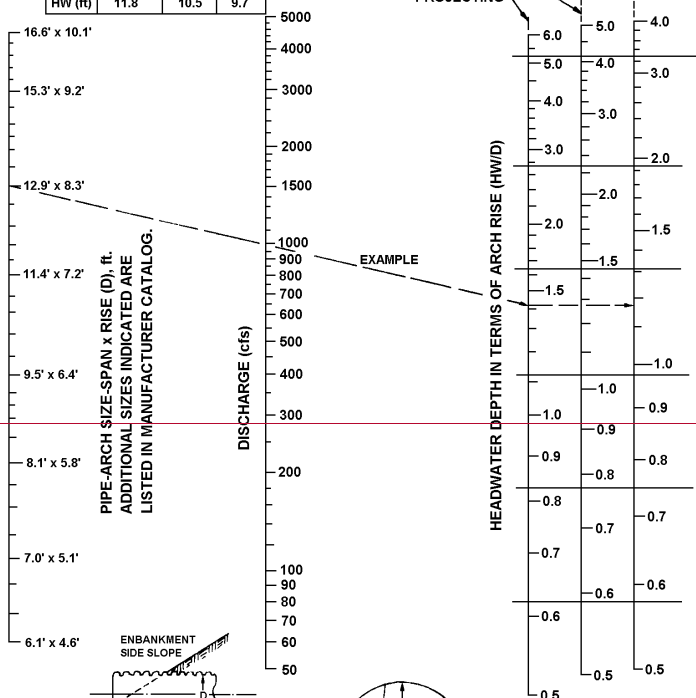
* Additional sizes not dimensioned are listed in fabricator's catalog.

HEADWATER DEPTH FOR C.M. PIPE-ARCH CULVERTS WITH INLET CONTROL

CHART 35

EXAMPLE
 SIZE 12.9' x 8.3' Q = 1000 cfs

	HEADWALL	
	NO BEV	BEVEL
HW/D	1.42	1.17
HW (R)	11.8	9.7



BUREAU OF PUBLIC ROADS
 OFFICE OF R&D JULY 1968

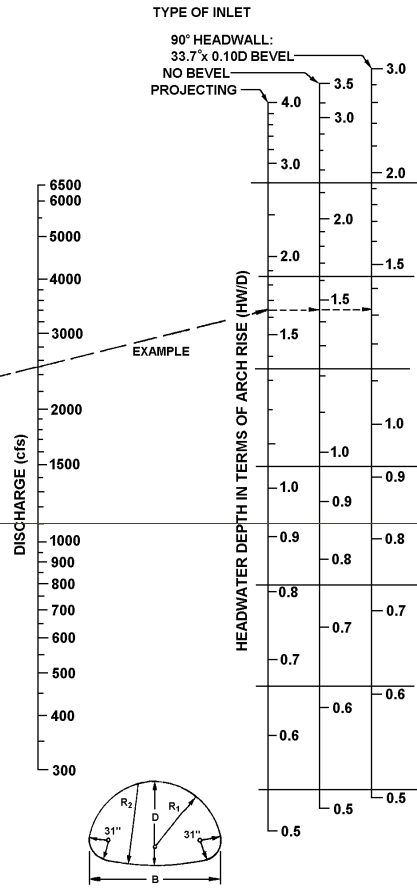
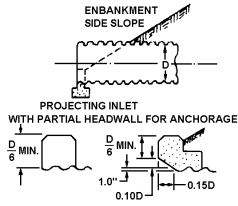
HEADWATER DEPTH FOR INLET CONTROLS
 STRUCTURAL PLATE PIPE-ARCH CULVERTS
 18 in. RADIUS CORNER PLATE
 PROJECTING OR HEADWALL INLET
 HEADWALL WITH OR WITHOUT EDGE BEVEL

CHART 36

EXAMPLE
 SIZE 17.4' x 11.5' Q = 2500 cfs

	PROJECT	HEADWALL NO BEV.	BEVEL
HW/D	1.64	1.45	1.32
HW (ft)	18.9	16.7	15.2

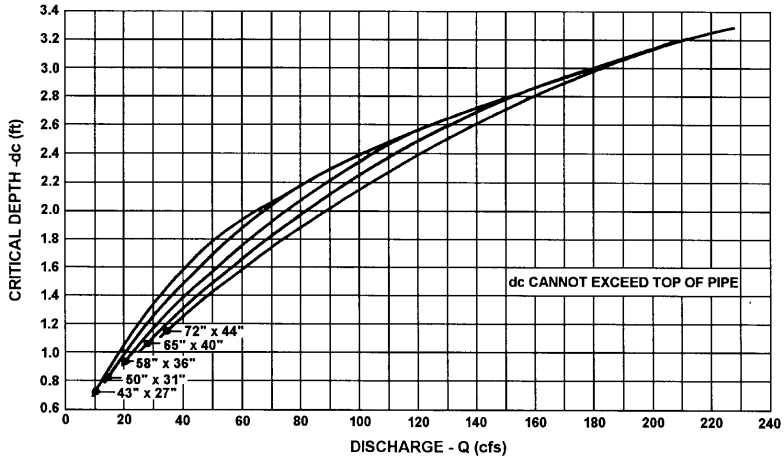
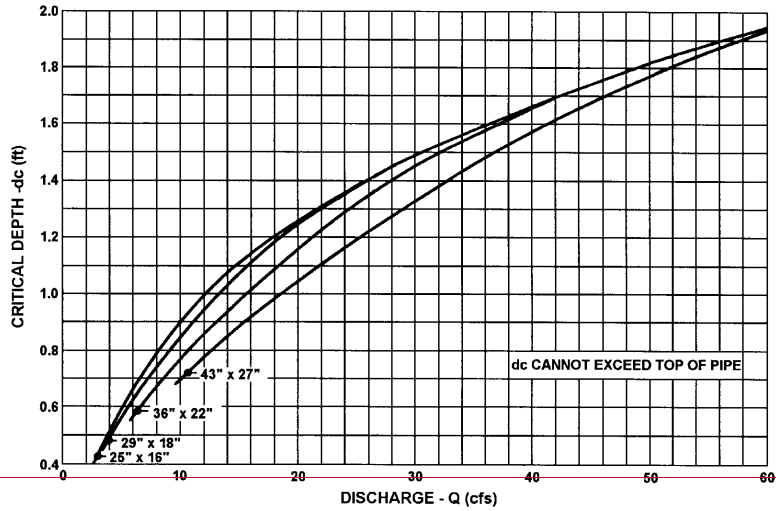
- 20.6' x 13.2'
 - 19.9' x 12.9'
 - 19.3' x 12.3'
 - 17.4' x 11.5'
 - 15.8' x 10.7'
 - 14.4' x 10.0'
 - 13.3' x 9.4'
- PIPE-ARCH SIZE-SPAN x RISE (D), ft.
 ADDITIONAL SIZES INDICATED ARE
 LISTED IN MANUFACTURER CATALOG.



BUREAU OF PUBLIC ROADS
 OFFICE OF R&D JULY 1966

HEADWATER DEPTH FOR INLET CONTROL
 STRUCTURAL PLATE PIPE-ARCH CULVERTS
 31 in. RADIUS CORNER PLATE
 PROJECTING OR HEADWALL INLET
 HEADWALL WITH OR WITHOUT EDGE BEVEL

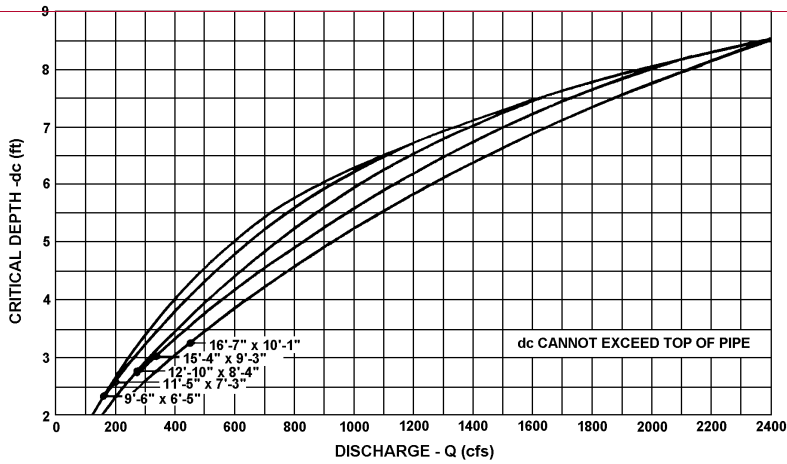
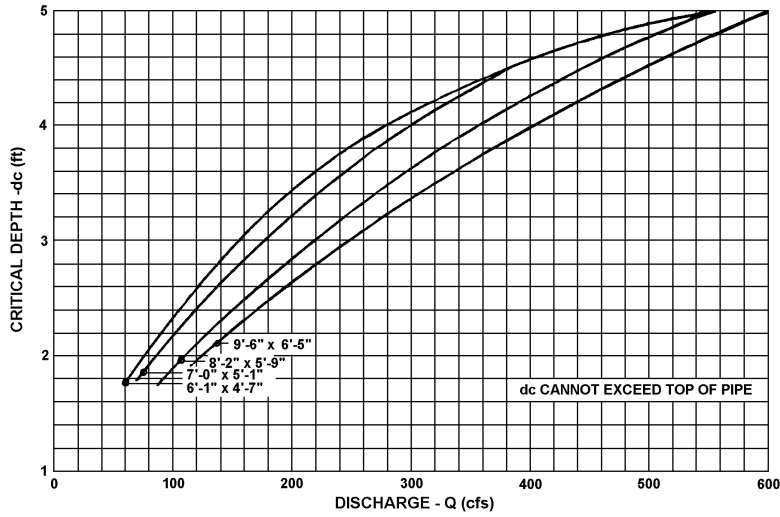
CHART 37



BUREAU OF PUBLIC ROADS
JAN. 1964

CRITICAL DEPTH
STANDARD C.M. PIPE ARCH

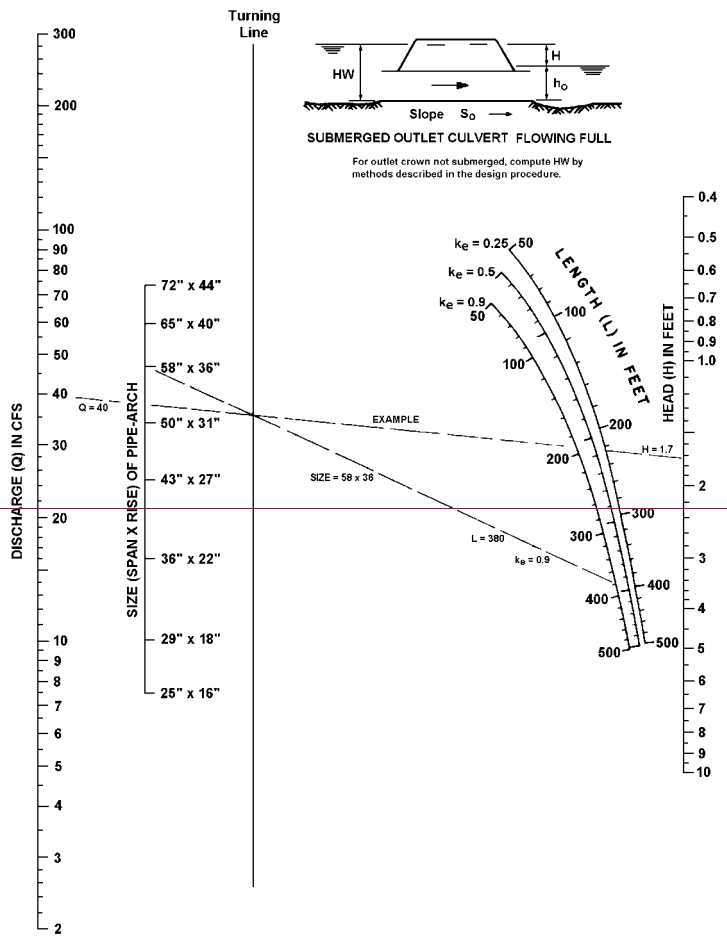
CHART 38



BUREAU OF PUBLIC ROADS
JAN. 1964

CRITICAL DEPTH
STRUCTURAL PLATE
C.M. PIPE ARCH
18 in. CORNER RADIUS

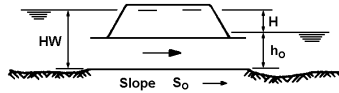
CHART 39



**HEAD FOR
STANDARD C.M. PIPE-ARCH CULVERTS
FLOWING FULL
 $n = 0.024$**

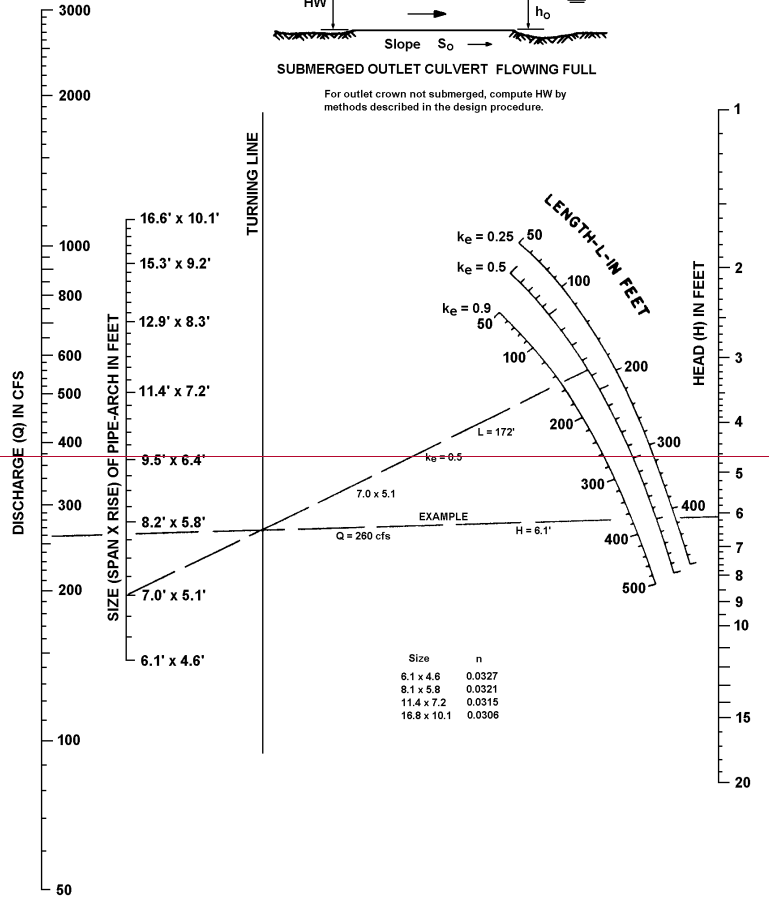
BUREAU OF PUBLIC ROADS JAN. 1963

CHART 40



SUBMERGED OUTLET CULVERT FLOWING FULL

For outlet crown not submerged, compute HW by methods described in the design procedure.



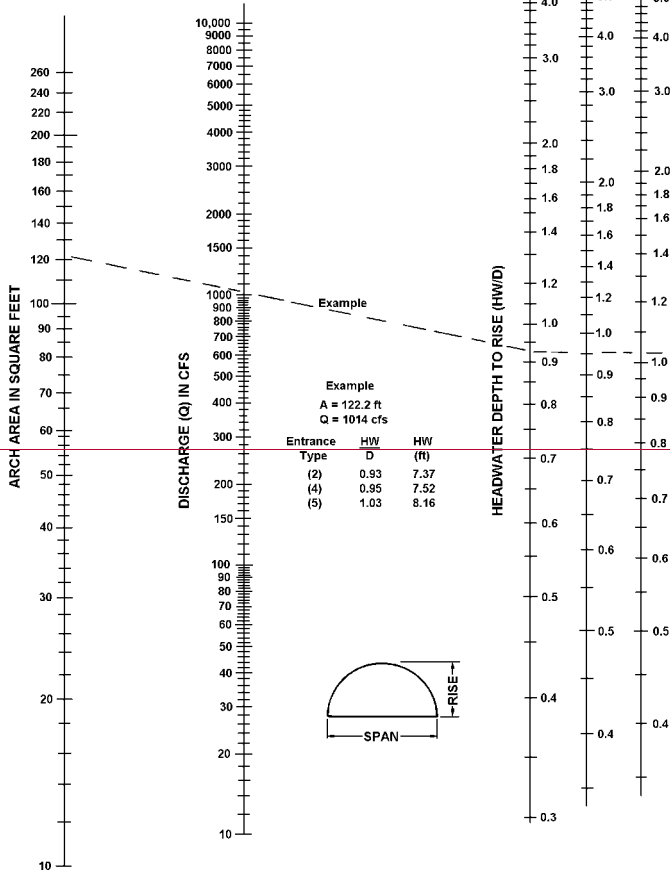
**HEAD FOR
STRUCTURAL PLATE
C.M. PIPE ARCH CULVERTS
18 in. CORNER RADIUS
FLOWING FULL
n = 0.0327 TO 0.0306**

BUREAU OF PUBLIC ROADS JAN. 1963

CHART 41

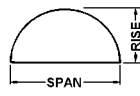
Entrance Conditions

- (2) 90° headwall.
- (4) Mitered to embankment.
- (5) Thin wall projecting corrugated metal.



Example
 $A = 122.2 \text{ ft}^2$
 $Q = 1014 \text{ cfs}$

Entrance Type	HW/D	HW (ft)
(2)	0.93	7.37
(4)	0.95	7.52
(5)	1.03	8.16



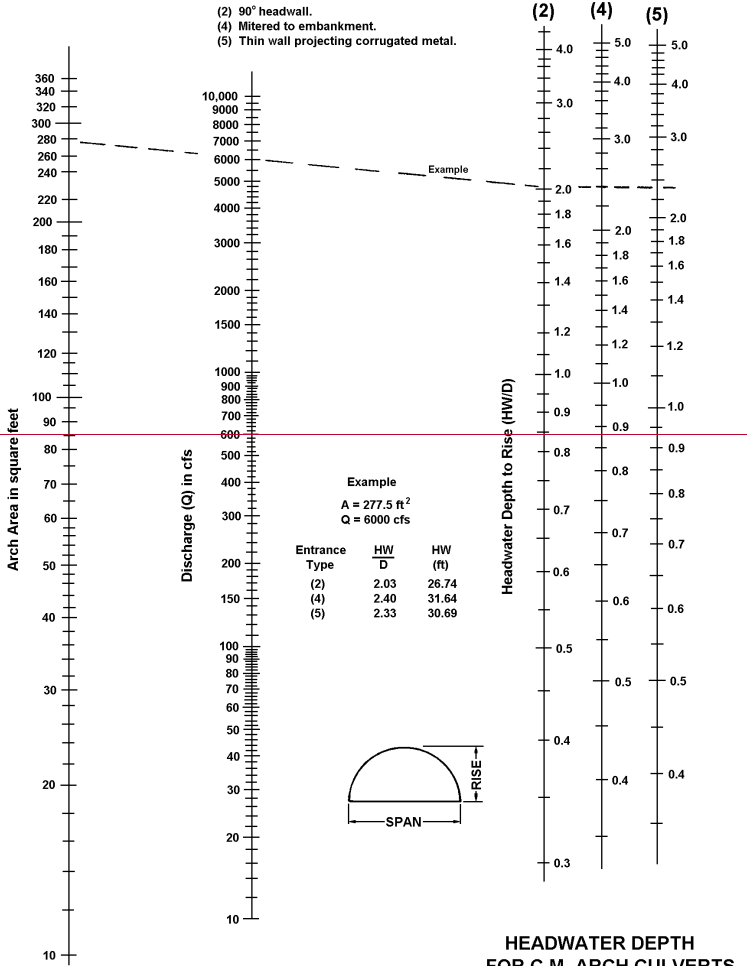
HEADWATER DEPTH FOR C.M. ARCH CULVERTS
 $0.3 \leq \text{RISE}/\text{SPAN} < 0.4$
WITH INLET CONTROL

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

CHART 42

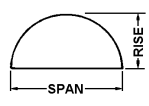
Entrance Conditions

- (2) 90° headwall.
- (4) Mitered to embankment.
- (5) Thin wall projecting corrugated metal.



Example
 $A = 277.5 \text{ ft}^2$
 $Q = 6000 \text{ cfs}$

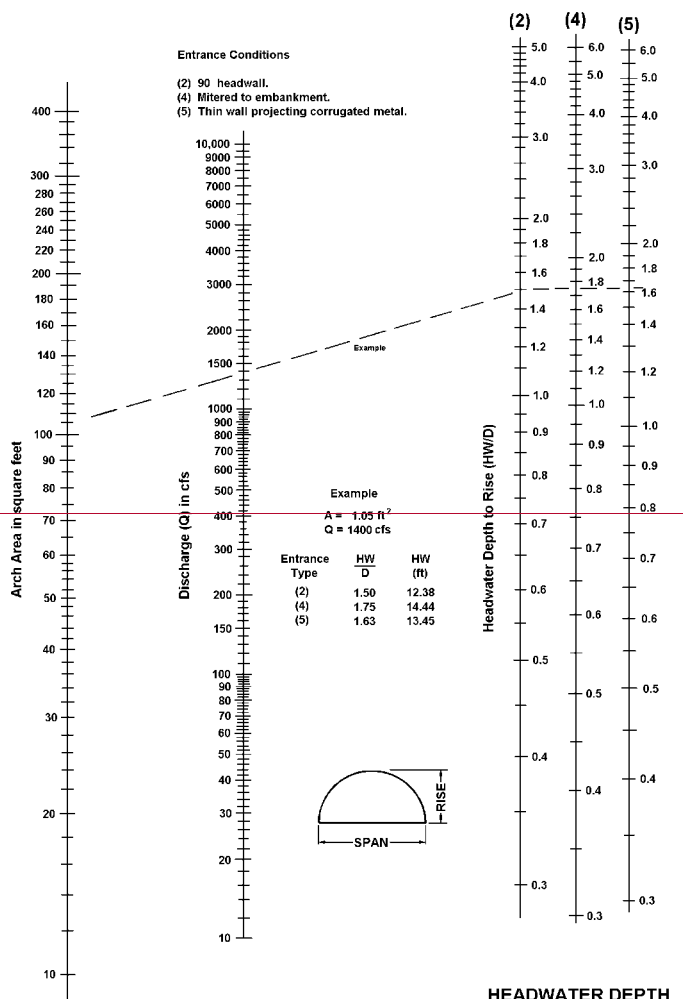
Entrance Type	HW/D	HW (ft)
(2)	2.03	26.74
(4)	2.40	31.64
(5)	2.33	30.69



HEADWATER DEPTH FOR C.M. ARCH CULVERTS
 $0.4 \leq \text{RISE}/\text{SPAN} < 0.5$
WITH INLET CONTROL

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

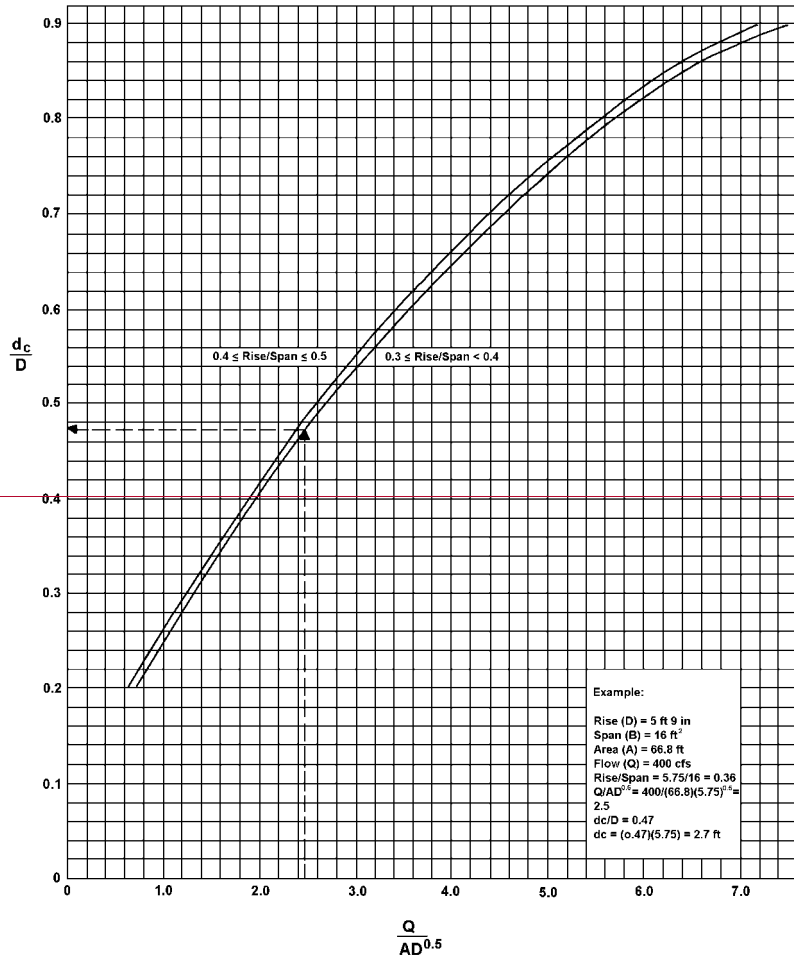
CHART 43



**HEADWATER DEPTH
 FOR C.M. ARCH CULVERTS
 $0.5 \leq \text{RISE}/\text{SPAN}$
 WITH INLET CONTROL**

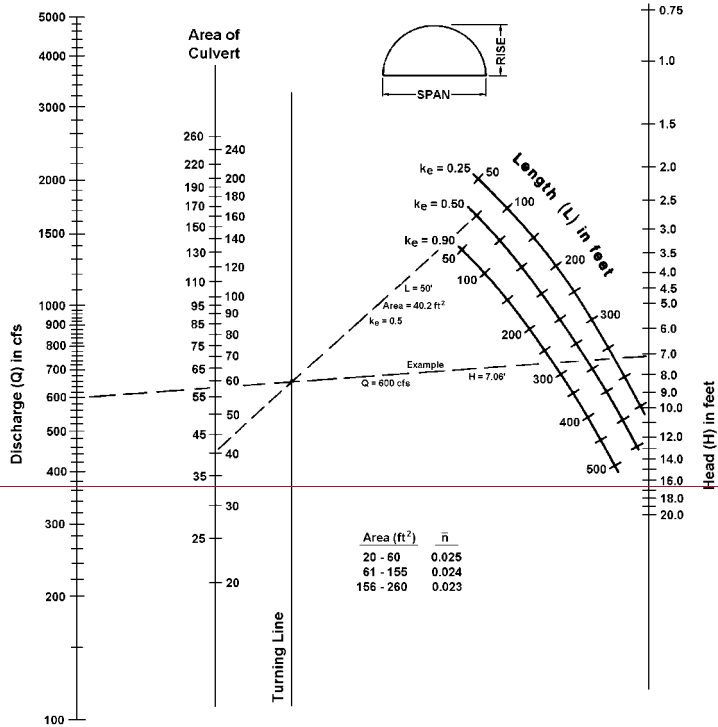
Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

CHART 44

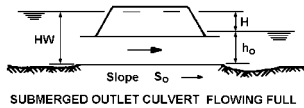


**DIMENSIONLESS CRITICAL DEPTH CHART
FOR C.M. ARCH CULVERTS**

CHART 45



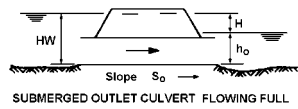
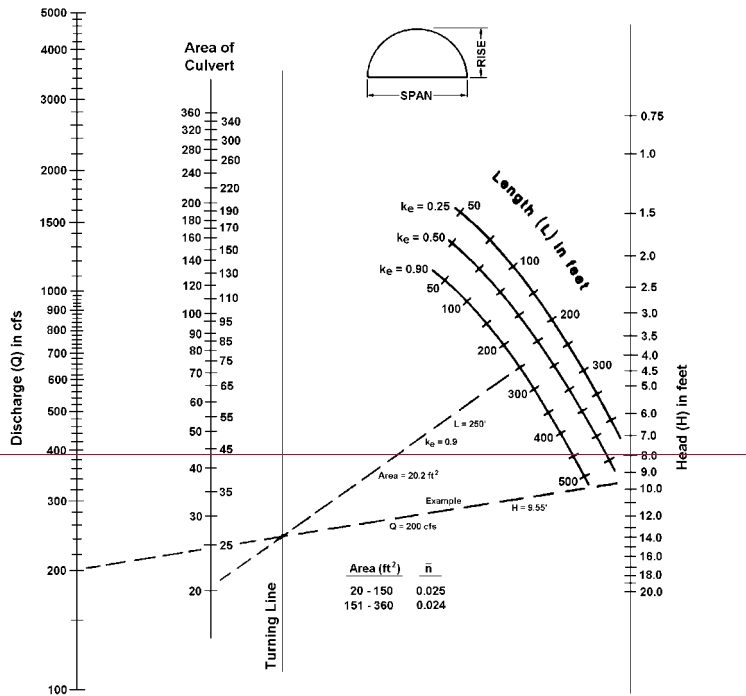
Area (ft ²)	\bar{n}
20 - 60	0.025
61 - 155	0.024
156 - 260	0.023



**HEAD FOR
C.M. ARCH CULVERTS
FLOWING FULL
CONCRETE BOTTOM
 $0.3 \leq \text{RISE}/\text{SPAN} < 0.4$**

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

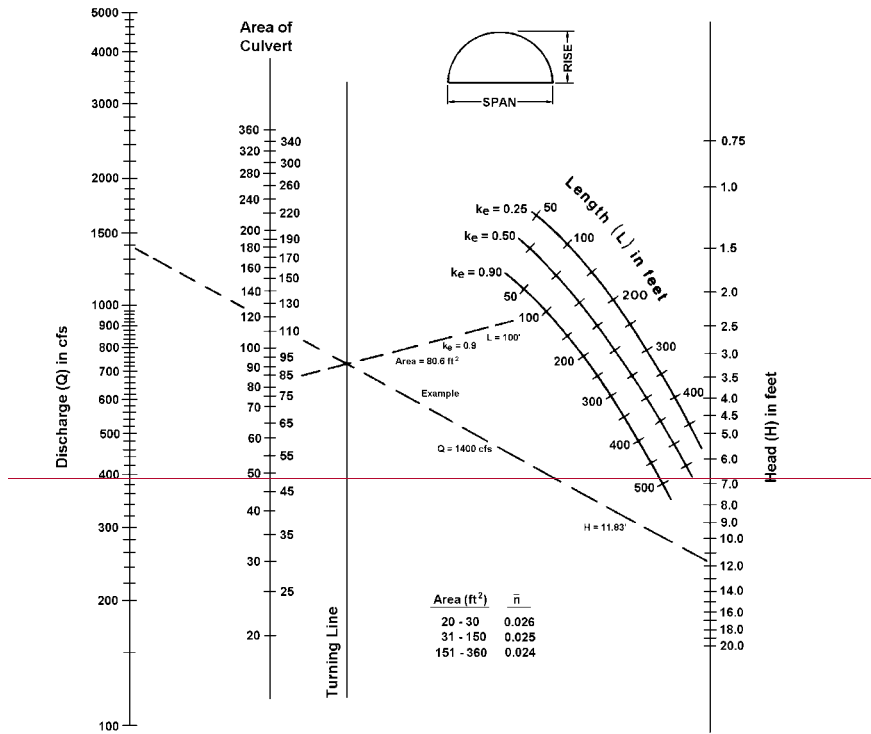
CHART 46



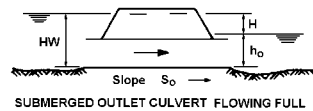
**HEAD FOR
C.M. ARCH CULVERTS
FLOWING FULL
CONCRETE BOTTOM
 $0.4 \leq \text{RISE}/\text{SPAN} < 0.5$**

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of the nomograph may distort scale.

CHART 47



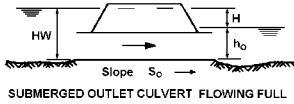
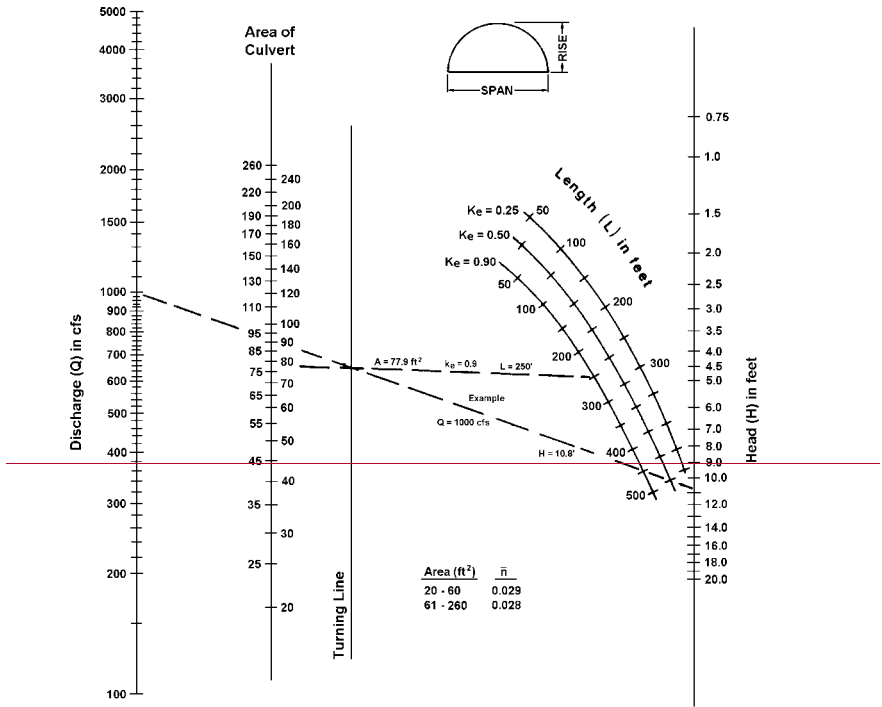
Area (ft ²)	\bar{n}
20 - 30	0.026
31 - 150	0.025
151 - 360	0.024



HEAD FOR
C.M. ARCH CULVERTS
FLOWING FULL
CONCRETE BOTTOM
 $0.5 \leq \text{RISE}/\text{SPAN}$

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

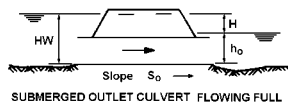
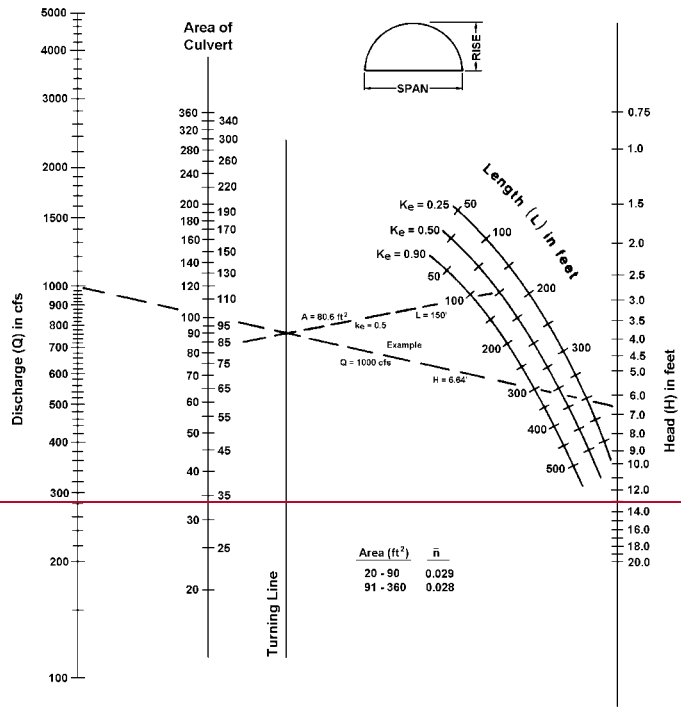
CHART 48



HEAD FOR
C.M. ARCH CULVERTS
FLOWING FULL
EARTH BOTTOM ($n_b = 0.022$)
 $0.3 \leq \text{RISE}/\text{SPAN} < 0.4$

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

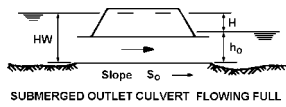
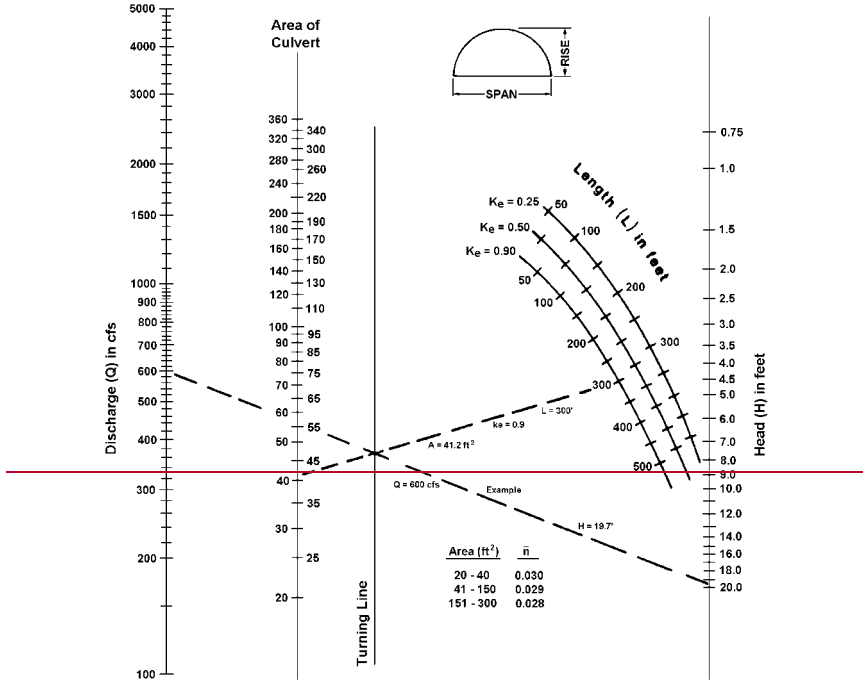
CHART 49



HEAD FOR
C.M. ARCH CULVERTS
FLOWING FULL
EARTH BOTTOM ($n_b = 0.022$)
 $0.4 \leq \text{RISE}/\text{SPAN} < 0.5$

Nonographs adapted from material furnished by
Kaiser Aluminum and Chemical Corporation.
Duplication of this nonograph may distort scale.

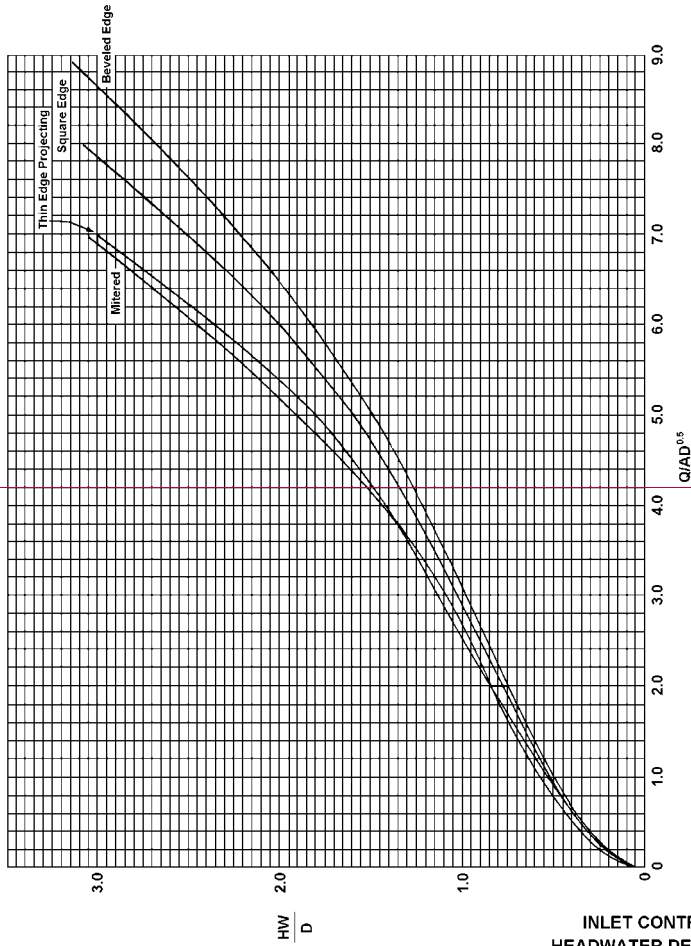
CHART 50



HEAD FOR
 C.M. ARCH CULVERTS
 FLOWING FULL
 EARTH BOTTOM ($n_b = 0.022$)
 $0.5 \leq \text{RISE/SPAN}$

Nomographs adapted from material furnished by Kaiser Aluminum and Chemical Corporation. Duplication of this nomograph may distort scale.

CHART 51



INLET CONTROL
 HEADWATER DEPTH FOR
 CIRCULAR OR ELLIPTICAL
 STRUCTURAL PLATE
 C.M. CONDUITS

CHART 52

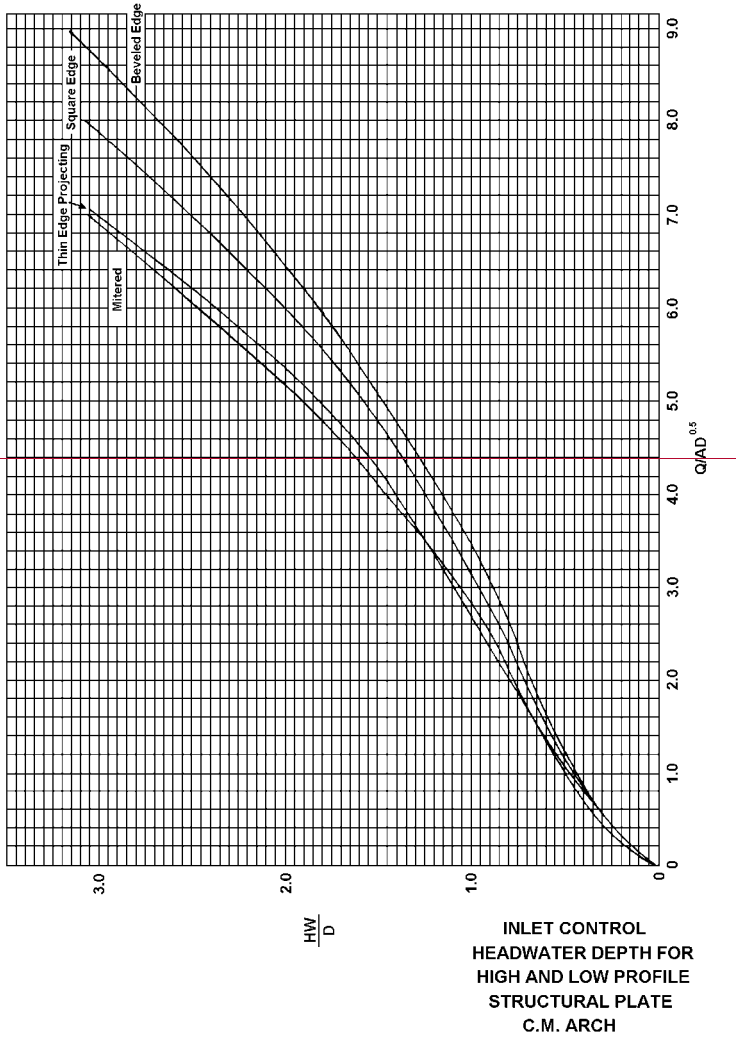
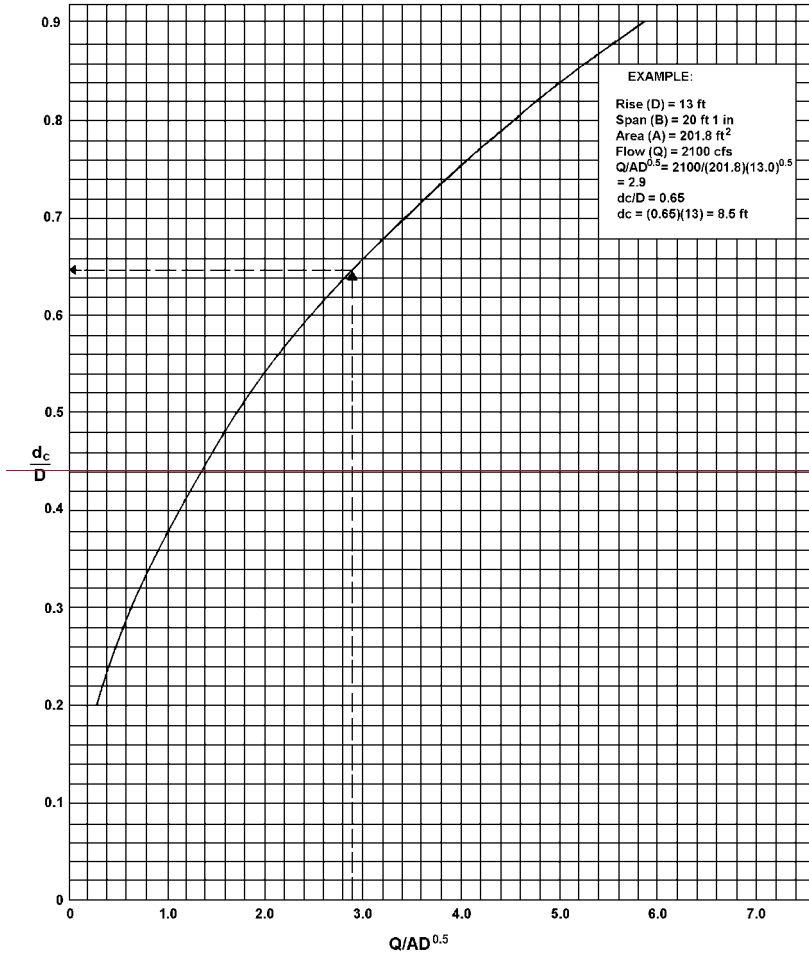
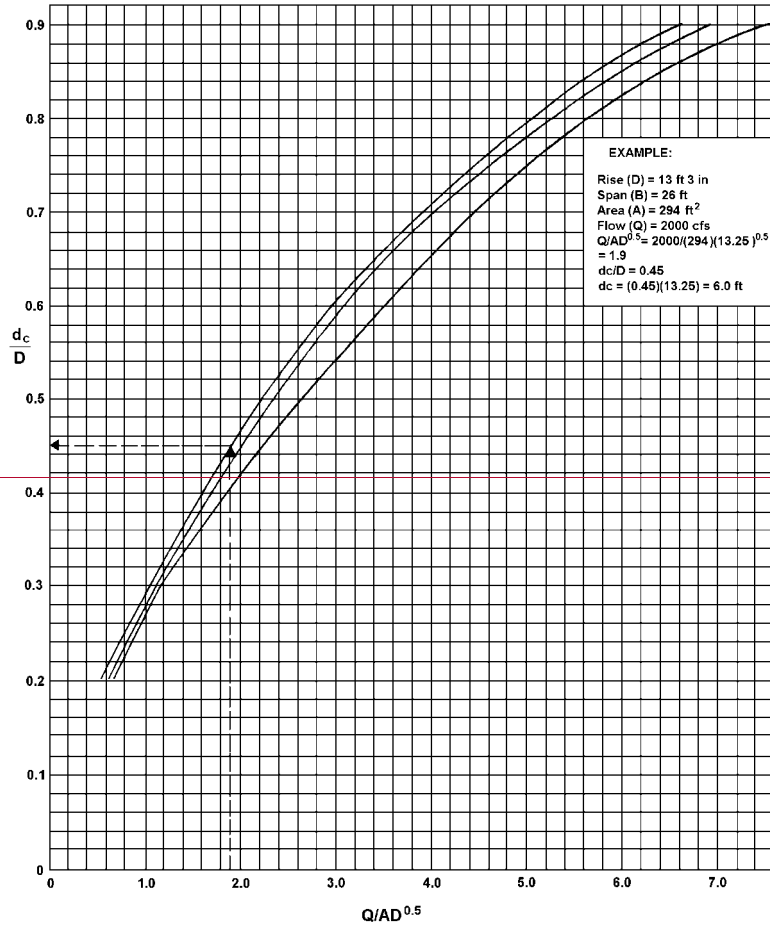


CHART 53



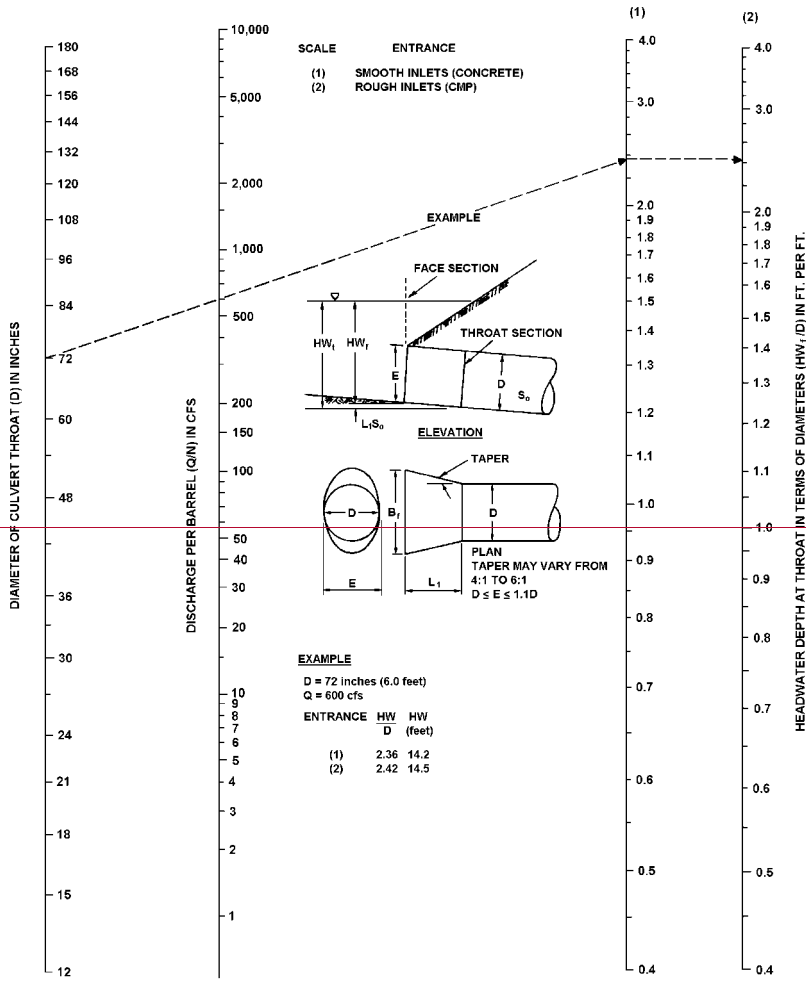
DIMENSIONLESS CRITICAL DEPTH CHART
FOR STRUCTURAL PLATE
ELLIPSE LONG AXIS HORIZONTAL

CHART 54



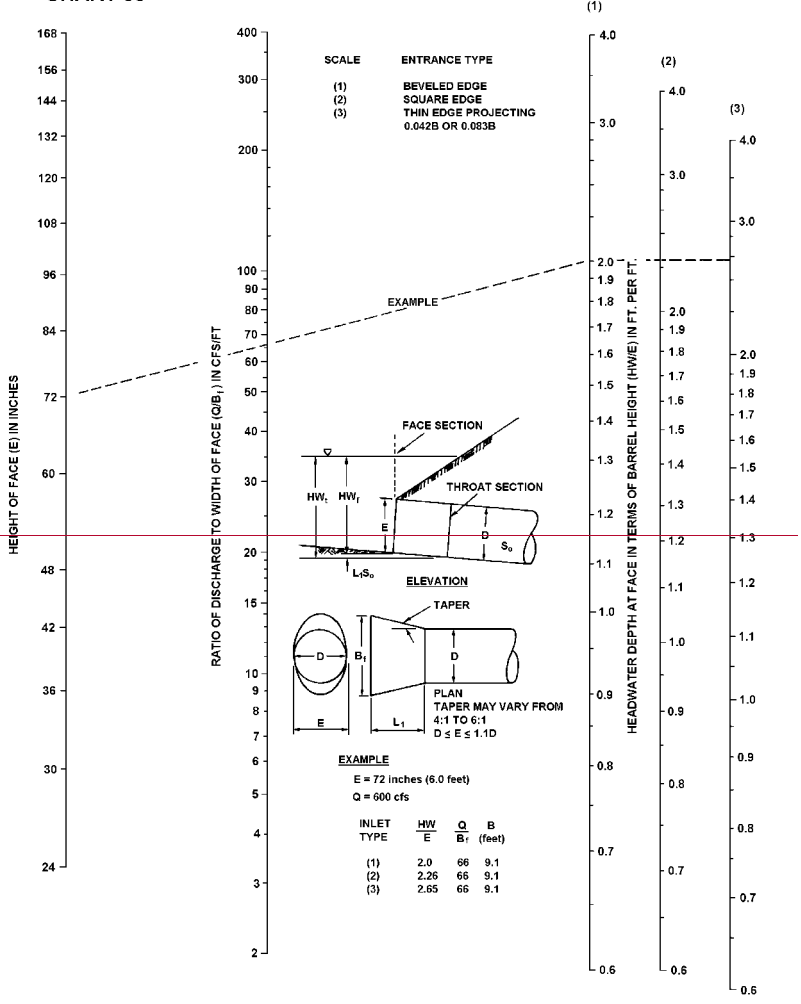
DIMENSIONLESS CRITICAL DEPTH CHART
 FOR STRUCTURAL PLATE
 LOW- AND HIGH-PROFILE ARCHES

CHART 55



**THROAT CONTROL
 FOR SIDE-TAPERED INLETS
 TO PIPE CULVERT
 (CIRCULAR SECTION ONLY)**

CHART 56



FACE CONTROL FOR SIDE-TAPERED INLETS TO PIPE CULVERTS (NON-RECTANGULAR SECTIONS ONLY)

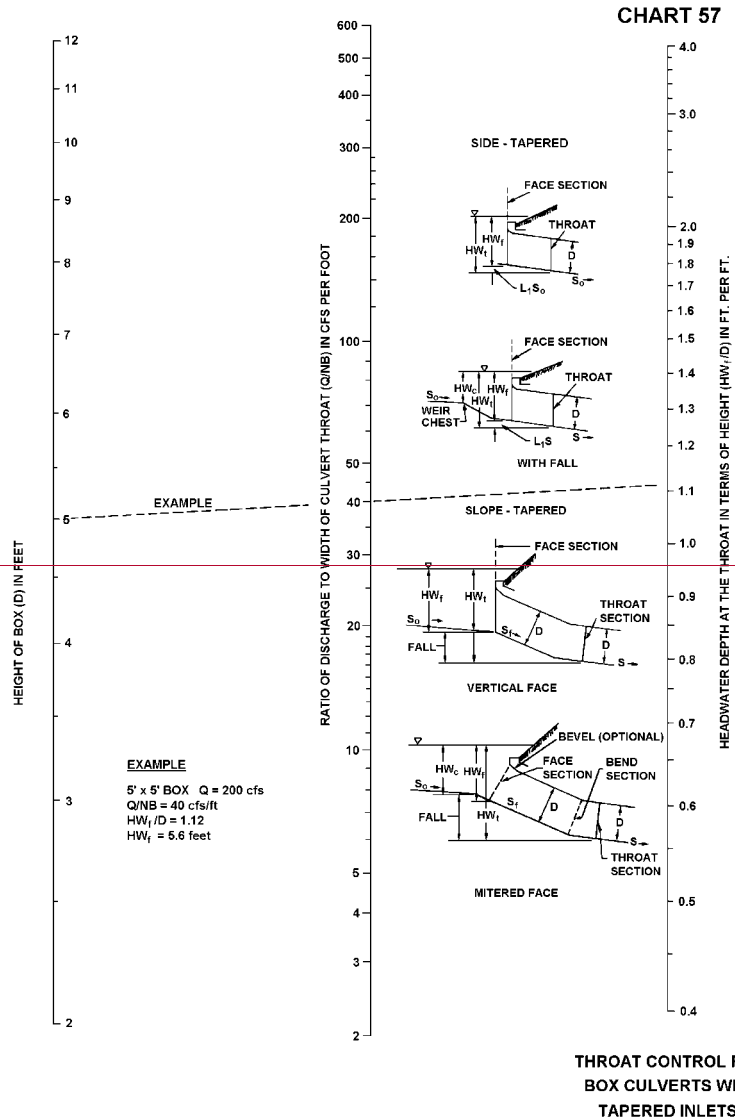
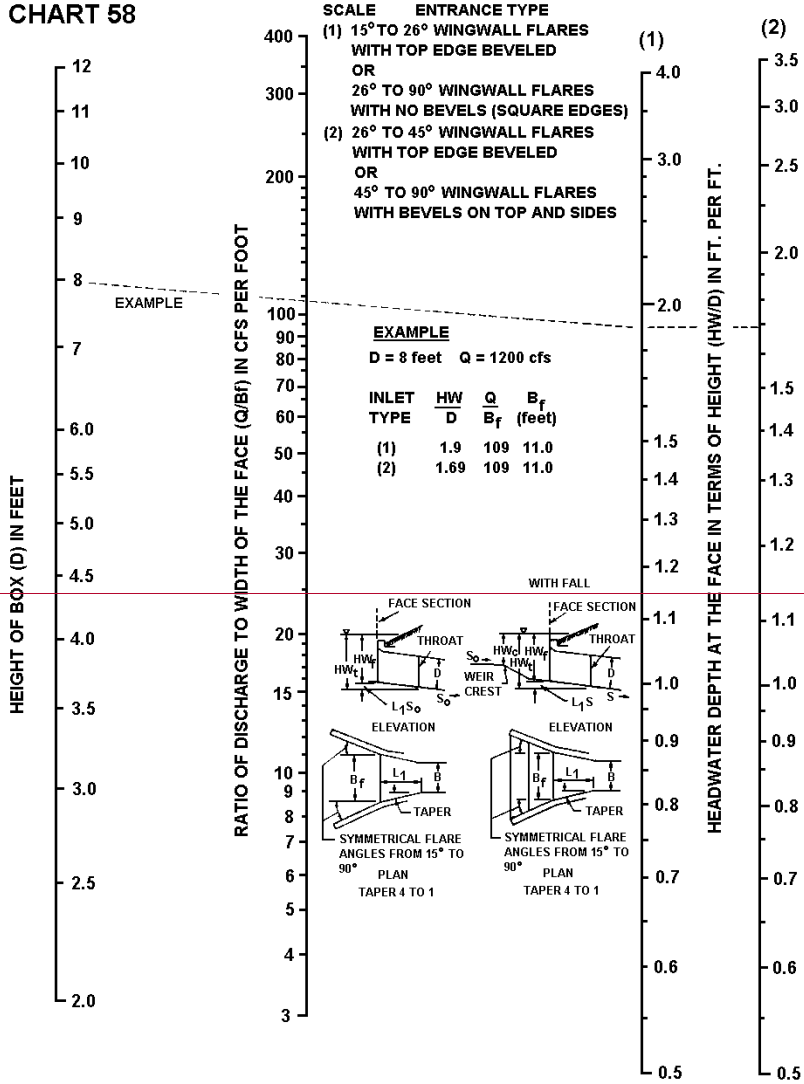


CHART 58



FACE CONTROL FOR BOX CULVERTS WITH SIDE-TAPERED INLETS

CHART 59

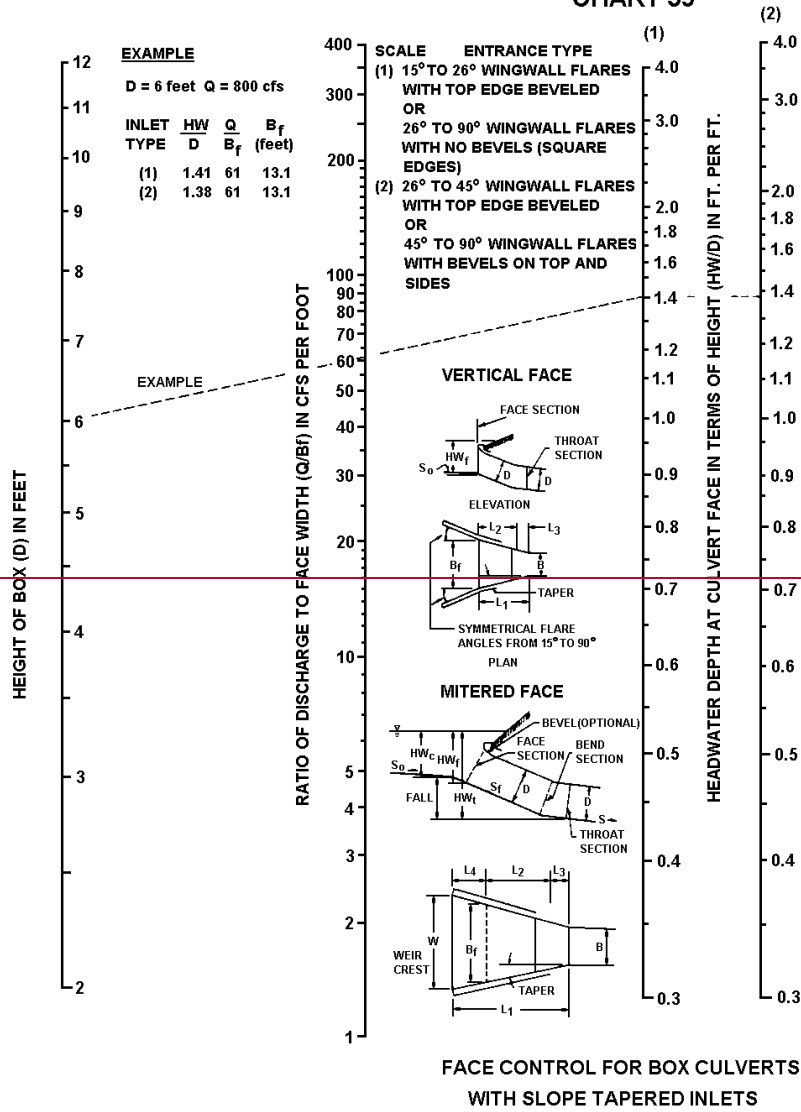
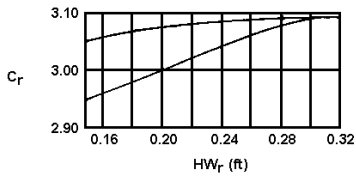
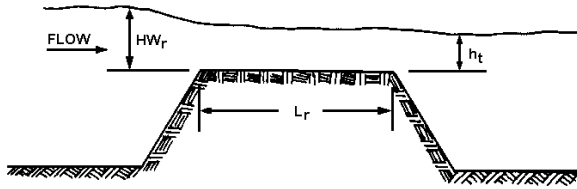
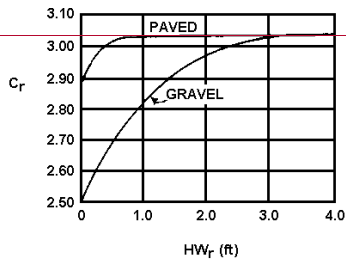


CHART 60



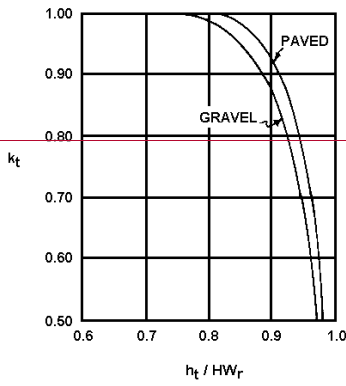
A) DISCHARGE COEFFICIENT FOR $HW_r / L_r > 0.15$



B) DISCHARGE COEFFICIENT FOR $HW_r / L_r \leq 0.15$

$$C_d = k_t C_r$$

$$Q_r = C_d L HW_r^{1.5}$$



C) SUBMERGENCE FACTOR

DISCHARGE COEFFICIENTS FOR ROADWAY OVERTOPPING

5.4 OPEN CHANNEL DESIGN

5.4.1 Overview

5.4.1.1 Introduction

Open channel systems and their design are an integral part of stormwater drainage design, particularly for development sites utilizing better site design practices and open channel structural controls. Open channels include drainage ditches, grass channels, dry and wet enhanced swales, riprap channels and concrete-lined channels.

The purpose of this section is to provide an overview of open channel design criteria and methods, including the use of channel design nomographs.

5.4.1.2 Open Channel Types

The three main classifications of open channel types according to channel linings are vegetated, flexible and rigid. Vegetated linings include grass with mulch, sod and lapped sod, and wetland channels. Riprap and some forms of flexible man-made linings or gabions are examples of flexible linings, while rigid linings are generally concrete or rigid block.

Vegetative Linings – Vegetation, where practical, is the most desirable lining for an artificial channel. It stabilizes the channel body, consolidates the soil mass of the bed, checks erosion on the channel surface, provides habitat and provides water quality benefits (see Section 42.4 and Chapter 3-4 for more details on using enhanced swales and grass channels for water quality purposes).

Conditions under which vegetation may not be acceptable include but are not limited to:

- High velocities
- Standing or continuously flowing water
- Lack of regular maintenance necessary to prevent growth of taller or woody vegetation
- Lack of nutrients and inadequate topsoil
- Excessive shade

Proper seeding, mulching and soil preparation are required during construction to assure establishment of healthy vegetation.

Flexible Linings – Rock riprap, including rubble, is the most common type of flexible lining for channels. It presents a rough surface that can dissipate energy and mitigate increases in erosive velocity. These linings are usually less expensive than rigid linings and have self-healing qualities that reduce maintenance. However, they may require the use of a filter fabric depending on the underlying soils, and the growth of grass and weeds may present maintenance problems.

Rigid Linings – Rigid linings are generally constructed of concrete and used where high flow capacity is required. Higher velocities, however, create the potential for scour at channel lining transitions and channel headcutting.

5.4.2 Symbols And Definitions

To provide consistency within this section as well as throughout this Manual, the symbols listed in Table 45.4-1 will be used. These symbols were selected because of their wide use. In some cases, the same symbol is used in existing publications for more than one definition. Where this occurs in this section, the symbol will be defined where it occurs in the text or equations.

Table 45.4-1 Symbols and Definitions

Symbol	Definition	Units
α	Energy coefficient	-
A	Cross-sectional area	ft ²
b	Bottom width	ft
C _g	Specific weight correction factor	-
D or d	Depth of flow	ft
d	Stone diameter	ft
delta d	Superelevation of the water surface profile	ft
d _x	Diameter of stone for which x percent, by weight, of the gradation is finer	ft
E	Specific energy	ft
Fr	Froude Number	-
g	Acceleration of gravity	32.2 ft/s ²
h _{loss}	Head loss	ft
K	Channel conveyance	-
k _e	Eddy head loss coefficient	ft
K _T	Trapezoidal open channel conveyance factor	-
L	Length of channel	ft
L _p	Length of downstream protection	ft
n	Manning's roughness coefficient	-
P	Wetted perimeter	ft
Q	Discharge rate	cfs
R	Hydraulic radius of flow	ft
R _c	Mean radius of the bend	ft
S	Slope	ft/ft
SW _s	Specific weight of stone	lbs/ft ³
T	Top width of water surface	ft
V or v	Velocity of flow	ft/s
w	Stone weight	lbs
y _c	Critical depth	ft
y _n	Normal depth	ft
z	Critical flow section factor	-

5.4.3 Design Criteria

5.4.3.1 General Criteria

The following criteria should be followed for open channel design:

- Channels with bottom widths greater than 10 feet shall be designed with a minimum bottom cross slope of 12 to 1, or with compound cross sections.
- Channel side slopes shall be stable throughout the entire length and side slope shall depend on the channel material. A maximum of 2:1 should be used for channel side slopes, unless otherwise justified by calculations. Roadside ditches should have a maximum side slope of 3:1.
- Trapezoidal or parabolic cross sections are preferred over triangular shapes.
- For vegetative channels, design stability should be determined using low vegetative retardance conditions (Class D) and for design capacity higher vegetative retardance conditions (Class C) should be used.
- For vegetative channels, flow velocities within the channel should not exceed the maximum permissible velocities given in Tables 45.4-2 and 45.4-3.
- If relocation of a stream channel is unavoidable, the cross-sectional shape, meander, pattern, roughness, sediment transport, and slope should conform to the existing conditions insofar as practicable. Some means of energy dissipation may be necessary when existing conditions cannot be duplicated.
- Streambank stabilization should be provided, when appropriate, as a result of any stream disturbance such as encroachment and should include both upstream and downstream banks as well as the local site.
- Open channel drainage systems are sized to handle a 25-year design storm. The 100-year design storm should be routed through the channel system to determine if the 100-year plus applicable building elevation restrictions are exceeded, structures are flooded, or flood damages increased.

5.4.3.2 Velocity Limitations

The final design of artificial open channels should be consistent with the velocity limitations for the selected channel lining. Maximum velocity values for selected lining categories are presented in Table 45.4-2. Seeding and mulch should only be used when the design value does not exceed the allowable value for bare soil. Velocity limitations for vegetative linings are reported in Table 45.4-3. Vegetative lining calculations are presented in Section 45.4.7 and riprap procedures are presented in Section 45.4.8.

5.4.4 Manning's n Values

The Manning's n value is an important variable in open channel flow computations. Variation in this variable can significantly affect discharge, depth, and velocity estimates. Since Manning's n values depend on many different physical characteristics of natural and man-made channels, care and good engineering judgment must be exercised in the

selection process.

Recommended Manning's n values for artificial channels with rigid, unlined, temporary, and riprap linings are given in Table 45.4-4. Recommended values for vegetative linings should be determined using Figure 45.4-1, which provides a graphical relationship between Manning's n values and the product of velocity and hydraulic radius for several vegetative retardance classifications (see Table 45.4-6). Figure 45.4-1 is used iteratively as described in Section 45.4.6. Recommended Manning's values for natural channels that are either excavated or dredged and natural are given in Table 45.4-5. For natural channels, Manning's n values should be estimated using experienced judgement and information presented in publications such as the *Guide for Selecting Manning's Roughness Coefficients for Natural Channels and Flood Plains*, FHWA-TS-84-204, 1984.

Table 45.4-2 Maximum Velocities for Comparing Lining Materials

Material	Maximum Velocity (ft/s)
Sand	2.0
Silt	3.5
Firm Loam	3.5
Fine Gravel	5.0
Stiff Clay	5.0
Graded Loam or Silt to Cobbles	5.0
Coarse Gravel	6.0
Shales and Hard Pans	6.0

Source: AASHTO Model Drainage Manual, 1991

Table 45.4-3 Maximum Velocities for Vegetative Channel Linings

Vegetation Type	Slope Range (%)¹	Maximum Velocity² (ft/s)
Bermuda grass	0->10	5
Bahia		4
Tall fescue grass mixtures ³	0-10	4
Kentucky bluegrass	0-5	6
Buffalo grass	5-10	5
	>10	4
Grass mixture	0-5 ¹	4
	5-10	3
Sericea lespedeza, Weeping lovegrass		
Alfalfa	0-5 ⁴	3
Annuals ⁵	0-5	3
Sod		4
Lapped sod		5

¹ Do not use on slopes steeper than 10% except for side-slope in combination channel.

² Use velocities exceeding 5 ft/s only where good stands can be maintained.

³ Mixtures of Tall Fescue, Bahia, and/or Bermuda

⁴ Do not use on slopes steeper than 5% except for side-slope in combination channel.

⁵ Annuals - used on mild slopes or as temporary protection until permanent covers are established.

Source: Manual for Erosion and Sediment Control in Georgia, 1996

5.4.5 Uniform Flow Calculations

5.4.5.1 Design Charts

Following is a discussion of the equations that can be used for the design and analysis of open channel flow. The Federal Highway Administration has prepared numerous design charts to aid in the design of rectangular, trapezoidal and triangular open channel cross sections. In addition, design charts for grass-lined channels have been developed. These charts and instructions for their use are given in [subsections 45.4.12, 45.4.13 and 45.4.14](#) [Appendix F](#).

5.4.5.2 Manning's Equation

Manning's Equation, presented in three forms below, is recommended for evaluating uniform flow conditions in open channels:

$$v = (1.49/n) R^{2/3} S^{1/2}$$

(45.4.1)

$$Q = (1.49/n) A R^{2/3} S^{1/2}$$

(45.4.2)

$$S = [Q_n / (1.49 A R^{2/3})]^2$$

(45.4.3)

Where: v = average channel velocity (ft/s)
 Q = discharge rate for design conditions (cfs)
 n = Manning's roughness coefficient
 A = cross-sectional area (ft²)
 R = hydraulic radius A/P (ft)
 P = wetted perimeter (ft)
 S = slope of the energy grade line (ft/ft)

For prismatic channels, in the absence of backwater conditions, the slope of the energy grade line, water surface and channel bottom are assumed to be equal.

5.4.5.3 Geometric Relationships

Area, wetted perimeter, hydraulic radius, and channel top width for standard channel cross sections can be calculated from geometric dimensions. Irregular channel cross sections (i.e., those with a narrow deep main channel and a wide shallow overbank channel) must be subdivided into segments so that the flow can be computed separately for the main channel and overbank portions. This same process of subdivision may be used when different parts of the channel cross section have different roughness coefficients. When computing the hydraulic radius of the subsections, the water depth common to the two adjacent subsections is not counted as wetted perimeter.

5.4.5.4 Direct Solutions

When the hydraulic radius, cross-sectional area, and roughness coefficient and slope are known, discharge can be calculated directly from equation 45.4.2. The slope can be calculated using equation 45.4.3 when the discharge, roughness coefficient, area, and hydraulic radius are known.

Nomographs for obtaining direct solutions to Manning's Equation are presented in Figures 45.4-2 and 45.4-3. Figure 45.4-2 provides a general solution for the velocity form of Manning's Equation, while Figure 45.4-3 provides a solution of Manning's Equation for trapezoidal channels.

Table 45.4-4 Manning's Roughness Coefficients (n) for Artificial Channels

Category	Lining Type	Depth Ranges		
		0-0.5 ft	0.5-2.0 ft	>2.0 ft
Rigid	Concrete	0.015	0.013	0.013
	Grouted Riprap	0.040	0.030	0.028
	Stone Masonry	0.042	0.032	0.030
	Soil Cement	0.025	0.022	0.020
	Asphalt	0.018	0.016	0.016
Unlined	Bare Soil	0.023	0.020	0.020
	Rock Cut	0.045	0.035	0.025
Temporary*	Woven Paper Net	0.016	0.015	0.015
	Jute Net	0.028	0.022	0.019
	Fiberglass Roving	0.028	0.022	0.019
	Straw with Net	0.065	0.033	0.025
	Curled Wood Mat	0.066	0.035	0.028
	Synthetic Mat	0.036	0.025	0.021
Gravel Riprap	1-inch D ₅₀	0.044	0.033	0.030
	2-inch D ₅₀	0.066	0.041	0.034
Rock Riprap	6-inch D ₅₀	0.104	0.069	0.035
	12-inch D ₅₀	---	0.078	0.040

Note: Values listed are representative values for the respective depth ranges. Manning's roughness coefficients, n, vary with the flow depth.

*Some "temporary" linings become permanent when buried.

Source: HEC-15, 1988.

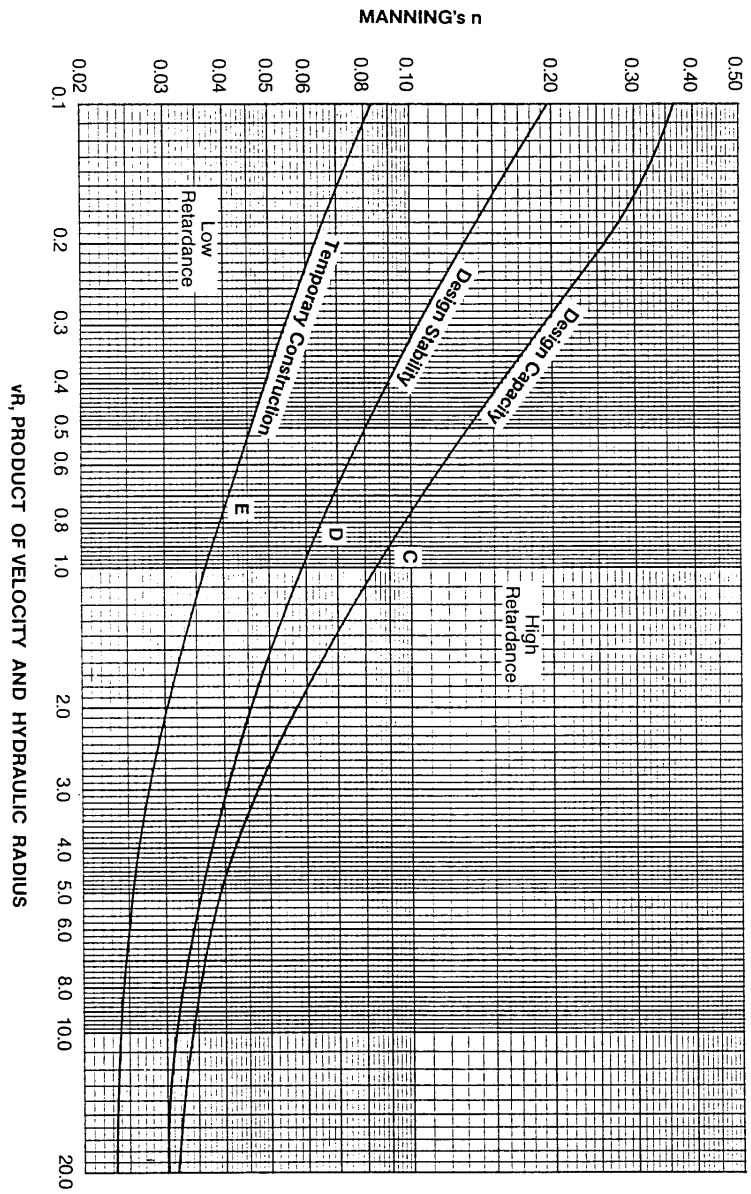


Figure 45.4-1 Manning's *n* Values for Vegetated Channels
 (Source: USDA, TP-61, 1947)

Table 45.4-5 Uniform Flow Values of Roughness Coefficient n

Type of Channel and Description	Minimum	Normal	Maximum
EXCAVATED OR DREDGED			
a. Earth, straight and uniform	0.016	0.018	0.020
1. Clean, recently completed	0.018	0.022	0.025
2. Clean, after weathering	0.022	0.025	0.030
3. Gravel, uniform section, clean	0.022	0.027	0.033
b. Earth, winding and sluggish			
1. No vegetation	0.023	0.025	0.030
2. Grass, some weeds	0.025	0.030	0.033
3. Dense weeds/plants in deep channels	0.030	0.035	0.040
4. Earth bottom and rubble sides	0.025	0.030	0.035
5. Stony bottom and weedy sides	0.025	0.035	0.045
6. Cobble bottom and clean sides	0.030	0.040	0.050
c. Dragline-excavated or dredged			
1. No vegetation	0.025	0.028	0.033
2. Light brush on banks	0.035	0.050	0.060
d. Rock cuts			
1. Smooth and uniform	0.025	0.035	0.040
2. Jagged and irregular	0.035	0.040	0.050
e. Channels not maintained, weeds and brush uncut			
1. Dense weeds, high as flow depth	0.050	0.080	0.120
2. Clean bottom, brush on sides	0.040	0.050	0.080
3. Same, highest stage of flow	0.045	0.070	0.110
4. Dense brush, high stage	0.080	0.100	0.140
NATURAL STREAMS			
Minor streams (top width at flood stage < 100 ft)			
a. Streams on Plain			
1. Clean, straight, full stage, no rifts or deep pools	0.025	0.030	0.033
2. Same as above, but more stones and weeds	0.030	0.035	0.040
3. Clean, winding, some pools and shoals	0.033	0.040	0.045
4. Same as above, but some weeds and some stones	0.035	0.045	0.050
5. Same as above, lower stages, more ineffective slopes and sections	0.040	0.048	0.055
6. Same as 4, but more stones	0.045	0.050	0.060
7. Sluggish reaches, weedy, deep pools	0.050	0.070	0.080
8. Very weedy reaches, deep pools, or floodways with heavy stand of timber and underbrush	0.075	0.100	0.150

Table 54.4-5 Uniform Flow Values of Roughness Coefficient n (continued)

Type of Channel and Description	Minimum	Normal	Maximum
b. Mountain streams, no vegetation in channel, banks usually steep, trees and brush along banks submerged at high stages			
1. Bottom: gravels, cobbles, few boulders	0.030	0.040	0.050
2. Bottom: cobbles with large boulders	0.040	0.050	0.070
Floodplains			
a. Pasture, no brush			
1. Short grass	0.025	0.030	0.035
2. High grass	0.030	0.035	0.050
b. Cultivated area			
1. No crop	0.020	0.030	0.040
2. Mature row crops	0.025	0.035	0.045
3. Mature field crops	0.030	0.040	0.050
c. Brush			
1. Scattered brush, heavy weeds	0.035	0.050	0.070
2. Light brush and trees in winter	0.035	0.050	0.060
3. Light brush and trees, in summer	0.040	0.060	0.080
4. Medium to dense brush, in winter	0.045	0.070	0.110
5. Medium to dense brush, in summer	0.070	0.100	0.160
d. Trees			
1. Dense willows, summer, straight	0.110	0.150	0.200
2. Cleared land, tree stumps, no sprouts	0.030	0.040	0.050
3. Same as above, but with heavy growth of sprouts	0.050	0.060	0.080
4. Heavy stand of timber, a few down trees, little undergrowth, flood stage below branches	0.080	0.100	0.120
5. Same as above, but with flood stage reaching branches	0.100	0.120	0.160
Major Streams (top width at flood stage > 100 ft). The n value is less than that for minor streams of similar description, because banks offer less effective resistance.			
a. Regular section with no boulders or brush	0.025	0.060
b. Irregular and rough section	0.035	0.100

Source: HEC-15, 1988

Table 45.4-6 Classification of Vegetal Covers as to Degrees of Retardance

<u>Retardance</u>	<u>Cover</u>	<u>Condition</u>
A	Weeping Lovegrass Yellow Bluestem Ischaemum	Excellent stand, tall (average 30") Excellent stand, tall (average 36")
B	Kudzu Bermuda grass Native grass mixture little bluestem, bluestem, blue gamma other short and long stem midwest lovegrass Weeping lovegrass Laspedeza sericea Alfalfa Weeping lovegrass Kudzu Blue gamma	Very dense growth, uncut Good stand, tall (average 12") Good stand, unmowed Good stand, tall (average 24") Good stand, not woody, tall (average 19") Good stand, uncut (average 11") Good stand, unmowed (average 13") Dense growth, uncut Good stand, uncut (average 13")
C	Crabgrass Bermuda grass Common lespedeza Grass-legume mixture: summer (orchard grass redtop, Italian ryegrass, and common lespedeza) Centipede grass Kentucky bluegrass	Fair stand, uncut (10 - 48") Good stand, mowed (average 6") Good stand, uncut (average 11") Good stand, uncut (6 - 8") Very dense cover (average 6") Good stand, headed (6 - 12")
D	Bermuda grass Common lespedeza Buffalo grass Grass-legume mixture: fall, spring (orchard grass, redtop, Italian ryegrass, and common lespedeza Lespedeza serices	Good stand, cut to 2.5" Excellent stand, uncut (average 4.5") Good stand, uncut (3 - 6") Good stand, uncut (4 - 5") After cutting to 2" (very good before cutting)
E	Bermuda grass Bermuda grass	Good stand, cut to 1.5" Burned stubble

Note: Covers classified have been tested in experimental channels. Covers were green and generally uniform.

Source: HEC-15, 1988

General Solution Nomograph

The following steps are used for the general solution nomograph in Figure 45.4-2:

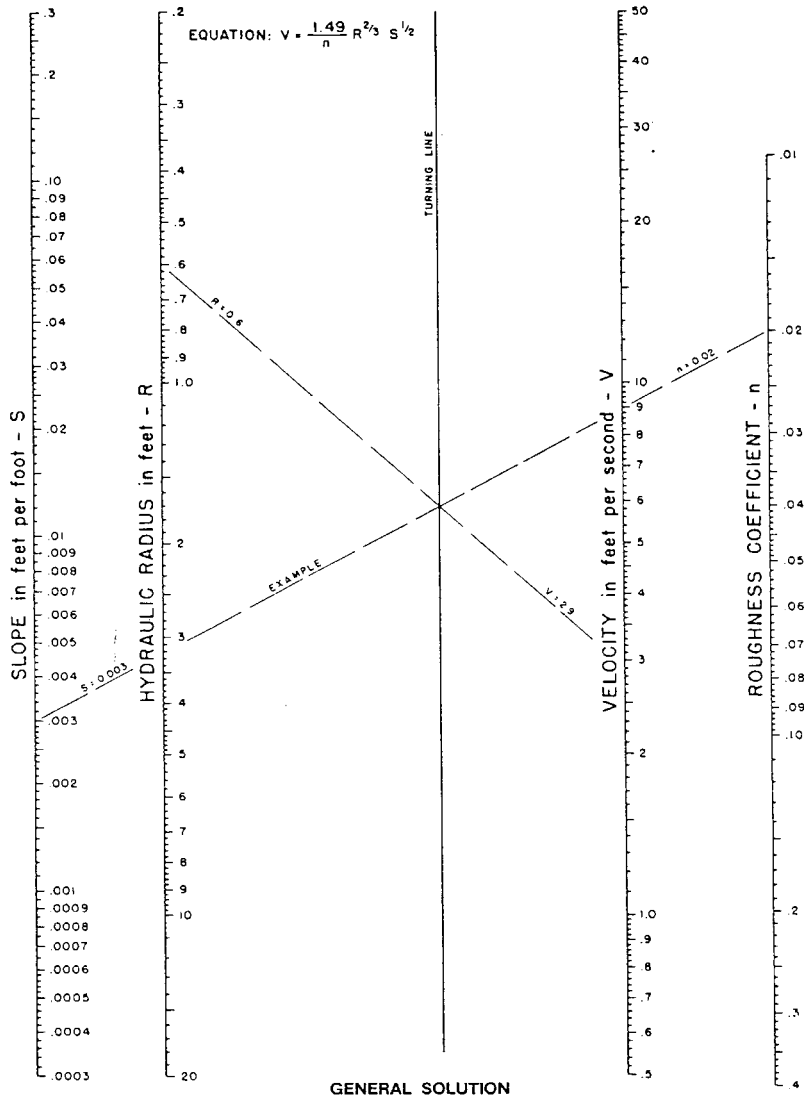
- (Step 1) Determine open channel data, including slope in ft/ft, hydraulic radius in ft, and Manning's n value.
- (Step 2) Connect a line between the Manning's n scale and slope scale and note the point of intersection on the turning line.
- (Step 3) Connect a line from the hydraulic radius to the point of intersection obtained in Step 2.
- (Step 4) Extend the line from Step 3 to the velocity scale to obtain the velocity in ft/s.

Trapezoidal Solution Nomograph

The trapezoidal channel nomograph solution to Manning's Equation in Figure 45.4-3 can be used to find the depth of flow if the design discharge is known or the design discharge if the depth of flow is known.

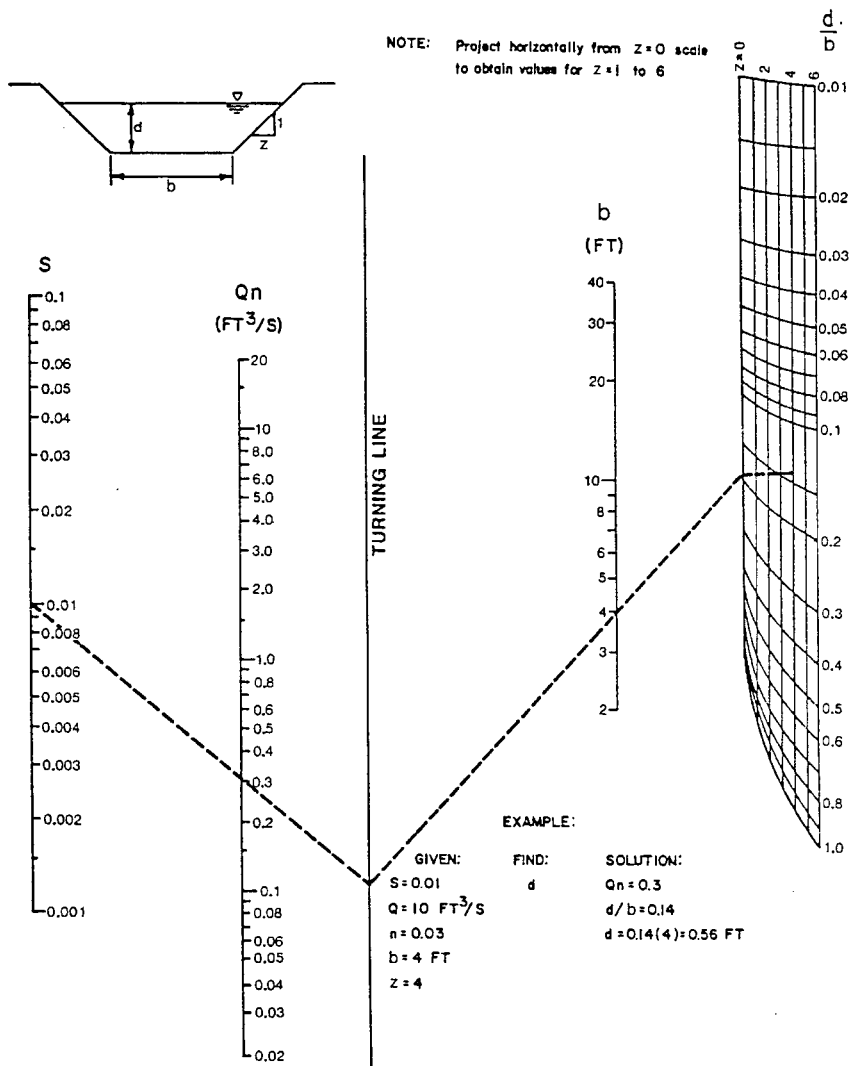
Determine input data, including slope in ft/ft, Manning's n value, bottom width in ft, and side slope in ft/ft.

- (1) Given Q , find d .
 - a. Given the design discharge, find the product of Q times n , connect a line from the slope scale to the Qn scale, and find the point of intersection on the turning line.
 - b. Connect a line from the turning point from Step 2a to the b scale and find the intersection with the $z = 0$ scale.
 - c. Project horizontally from the point located in Step 2b to the appropriate z value and find the value of d/b .
 - d. Multiply the value of d/b obtained in Step 2c by the bottom width b to find the depth of uniform flow, d .
- (2) Given d , find Q .
 - a. Given the depth of flow, find the ratio d divided by b and project a horizontal line from the d/b ratio at the appropriate side slope, z , to the $z = 0$ scale.
 - b. Connect a line from the point located in Step 3a to the b scale and find the intersection with the turning line.
 - c. Connect a line from the point located in Step 3b to the slope scale and find the intersection with the Qn scale.
 - d. Divide the value of Qn obtained in Step 3c by the n value to find the design discharge, Q .



Reference: USDOT, FHWA, HDS-3 (1961).

Figure 45.4-2 Nomograph for the Solution of Manning's Equation



Reference: USDOT, FHWA, HEC-15 (1986).

Figure 45.4-3 Solution of Manning's Equation for Trapezoidal Channels

5.4.5.5 Trial and Error Solutions

A trial and error procedure for solving Manning's Equation is used to compute the normal depth of flow in a uniform channel when the channel shape, slope, roughness, and design discharge are known. For purposes of the trial and error process, Manning's Equation can be arranged as:

$$AR^{2/3} = (Qn)/(1.49 S^{1/2})$$

(45.4.4)

Where: A = cross-sectional area (ft)
R = hydraulic radius (ft)
Q = discharge rate for design conditions (cfs)
n = Manning's roughness coefficient
S = slope of the energy grade line (ft/ft)

To determine the normal depth of flow in a channel by the trial and error process, trial values of depth are used to determine A, P, and R for the given channel cross section.

Trial values of $AR^{2/3}$ are computed until the equality of equation 45.4.4 is satisfied such that the design flow is conveyed for the slope and selected channel cross section.

Graphical procedures for simplifying trial and error solutions are presented in Figure 45.4-4 for trapezoidal channels.

(Step 1) Determine input data, including design discharge, Q, Manning's n value, channel bottom width, b, channel slope, S, and channel side slope, z.

(Step 2) Calculate the trapezoidal conveyance factor using the equation:

$$K_T = (Qn)/(b^{8/3}S^{1/2})$$

(45.4.5)

Where: K_T = trapezoidal open channel conveyance factor
Q = discharge rate for design conditions (cfs)
n = Manning's roughness coefficient
b = bottom width (ft)
S = slope of the energy grade line (ft/ft)

(Step 3) Enter the x-axis of Figure 45.4-4 with the value of K_T calculated in Step 2 and draw a line vertically to the curve corresponding to the appropriate z value from Step 1.

(Step 4) From the point of intersection obtained in Step 3, draw a horizontal line to the y-axis and read the value of the normal depth of flow over the bottom width, d/b.

(Step 5) Multiply the d/b value from Step 4 by b to obtain the normal depth of flow.

Note: If bends are considered, refer to equation 45.4.11

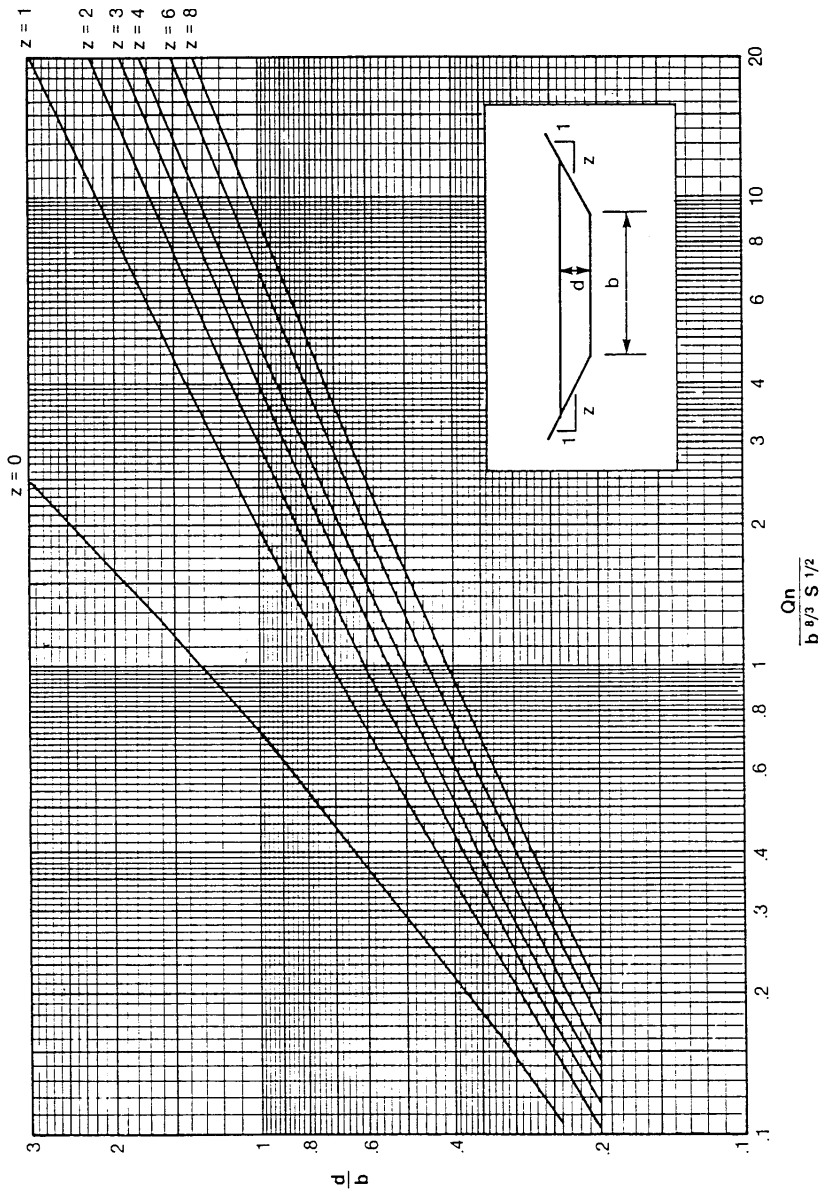


Figure 45.4-4 Trapezoidal Channel Capacity Chart
 (Source: Nashville Storm Water Management Manual, 1988)

5.4.6 Critical Flow Calculations

5.4.6.1 Background

In the design of open channels, it is important to calculate the critical depth in order to determine if the flow in the channel will be subcritical or supercritical. If the flow is subcritical it is relatively easy to handle the flow through channel transitions because the flows are tranquil and wave action is minimal. In subcritical flow, the depth at any point is influenced by a downstream control, which may be either the critical depth or the water surface elevation in a pond or larger downstream channel. In supercritical flow, the depth of flow at any point is influenced by a control upstream, usually critical depth. In addition, the flows have relatively shallow depths and high velocities.

Critical depth depends only on the discharge rate and channel geometry. The general equation for determining critical depth is expressed as:

$$\frac{Q^2}{g} = A^3/T$$

(45.4.6)

Where: Q = discharge rate for design conditions (cfs)
g = acceleration due to gravity (32.2 ft/sec²)
A = cross-sectional area (ft²)
T = top width of water surface (ft)

Note: A trial and error procedure is needed to solve equation 45.4-6.

5.4.6.2 Semi-Empirical Equations

Semi-empirical equations (as presented in Table 45.4-7) or section factors (as presented in Figure 45.4-5) can be used to simplify trial and error critical depth calculations. The following equation is used to determine critical depth with the critical flow section factor, Z:

$$Z = Q/(g^{0.5})$$

(45.4.7)

Where: Z = critical flow section factor
Q = discharge rate for design conditions (cfs)
g = acceleration due to gravity (32.3 ft/sec²)

The following guidelines are given for evaluating critical flow conditions of open channel flow:

- (1) A normal depth of uniform flow within about 10% of critical depth is unstable and should be avoided in design, if possible.
- (2) If the velocity head is less than one-half the mean depth of flow, the flow is subcritical.
- (3) If the velocity head is equal to one-half the mean depth of flow, the flow is critical.
- (4) If the velocity head is greater than one-half the mean depth of flow, the flow is supercritical.

Note: The head is the height of water above any point, plane or datum of reference.

The velocity head in flowing water is calculated as the velocity squared divided by 2 times the gravitational constant ($V^2/2g$).

The Froude number, Fr, calculated by the following equation, is useful for evaluating the type of flow conditions in an open channel:

$$Fr = v/(gA/T)^{0.5}$$

(45.4.8)

Where: Fr = Froude number (dimensionless)
 v = velocity of flow (ft/s)
 g = acceleration of gravity (32.2 ft/sec²)
 A = cross-sectional area of flow (ft²)
 T = top width of flow (ft)

If Fr is greater than 1.0, flow is supercritical; if it is under 1.0, flow is subcritical. Fr is 1.0 for critical flow conditions.

Table 45.4-7 Critical Depth Equations for Uniform Flow in Selected Channel Cross Sections

Channel Type ¹	Semi-Empirical Equations ² for Estimating Critical Depth	Range of Applicability
1. Rectangular ³	$d_c = [Q^2/(gb^2)]^{1/3}$	N/A
2. Trapezoidal ³	$d_c = 0.81[Q^2/(gz^{0.75}b^{1.25})]^{0.27} - b/30z$	0.1 < 0.5522 Q/b ^{2.5} < 0.4 For 0.5522 Q/b ^{2.5} < 0.1, use rectangular channel equation
3. Triangular ³	$d_c = [(2Q^2)/(gz^2)]^{1/5}$	N/A
4. Circular ⁴	$d_c = 0.325(Q/D)^{2/3} + 0.083D$	0.3 < d _c /D < 0.9
5. General ⁵	$(A^3/T) = (Q^2/g)$	N/A

Where: d_c = critical depth (ft)
 Q = design discharge (cfs)
 G = acceleration due to gravity (32.3 ft/s²)
 b = bottom width of channel (ft)
 z = side slopes of a channel (horizontal to vertical)
 D = diameter of circular conduit (ft)
 A = cross-sectional area of flow (ft²)
 T = top width of water surface (ft)

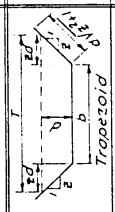
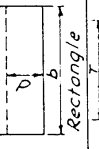
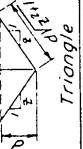
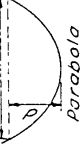


¹See Figure 45.4-5 for channel sketches

²Assumes uniform flow with the kinetic energy coefficient equal to 1.0

³Reference: French (1985)

⁴Reference: USDOT, FHWA, HDS-4 (1965)

⁵Reference: Brater and King (1976)

Section	Area A	Wetted Perimeter P	Hydraulic Radius R	Top Width T	Critical Depth Factor, Z
 Trapezoid	$bd + zd^2$	$b + 2d\sqrt{z^2 + 1}$	$\frac{bd + zd^2}{b + 2d\sqrt{z^2 + 1}}$	$b + 2zd$	$\frac{[(b + zd)d]^{1.5}}{\sqrt{b + 2zd}}$
 Rectangle	bd	$b + 2d$	$\frac{bd}{b + 2d}$	b	$bd^{1.5}$
 Triangle	zd^2	$2d\sqrt{z^2 + 1}$	$\frac{zd}{2\sqrt{z^2 + 1}}$	$2zd$	$\frac{\sqrt{2}}{2} zd^{2.5}$
 Parabola	$\frac{2}{3} dT$	$T + \frac{8d^2}{3T}$ \perp	$\frac{2dT^2}{3T^2 + 8d^2}$ \perp	$\frac{3a}{2d}$	$\frac{2}{9}\sqrt{6} Td^{1.5}$
 Circle - $\leq 1/2$ full \perp	$\frac{D^2}{8} (\frac{\pi\theta}{180} - \sin\theta)$	$\frac{\pi D\theta}{360}$	$\frac{45D}{\pi\theta} (\frac{\pi\theta}{180} - \sin\theta)$	$D \sin \frac{\theta}{2}$ or $2\sqrt{d(D-d)}$	$a\sqrt{\frac{a}{D \sin \frac{\theta}{2}}}$
 Circle - > 1/2 full \perp	$\frac{D^2}{8} (2\pi - \frac{\pi\theta}{180} + \sin\theta)$	$\frac{\pi D(360 - \theta)}{360}$	$\frac{45D}{\pi(360 - \theta)} (2\pi - \frac{\pi\theta}{180} + \sin\theta)$	$D \sin \frac{\theta}{2}$ or $2\sqrt{d(D-d)}$	$a\sqrt{\frac{a}{D \sin \frac{\theta}{2}}}$

\perp Satisfactory approximation for the interval $0 < \theta < \frac{\pi}{4}$
When $d/r > 0.25$, use $\rho = \frac{1}{2}\sqrt{16d^2 + T^2} + \frac{T^2}{8D} \sin^2 h^{-1} \frac{4d}{T}$
 \perp $\theta = 4 \sin^{-1} (d/D)$
 \perp $\theta = 4 \cos^{-1} (d/D)$ Insert θ in degrees in above equations

Note: Small $z =$ Side Slope Horizontal Distance
Large $Z =$ Critical Depth Section Factor

Reference: USDA, SCS, NEH-5 (1956).

Figure 45.4-5 Open Channel Geometric Relationships for Various Cross Sections

5.4.7 Vegetative Design

5.4.7.1 Introduction

A two-part procedure is recommended for final design of temporary and vegetative channel linings. Part 1, the design stability component, involves determining channel dimensions for low vegetative retardance conditions, using Class D as defined in Table 45.4-6. Part 2, the design capacity component, involves determining the depth increase necessary to maintain capacity for higher vegetative retardance conditions, using Class C as defined in Table 45.4-6. If temporary lining is to be used during construction, vegetative retardance Class E should be used for the design stability calculations.

If the channel slope exceeds 10%, or a combination of channel linings will be used, additional procedures not presented below are required. References include HEC-15 (USDOT, FHWA, 1986) and HEC-14 (USDOT, FHWA, 1983).

5.4.7.2 Design Stability

The following are the steps for design stability calculations:

- (Step 1) Determine appropriate design variables, including discharge, Q, bottom slope, S, cross section parameters, and vegetation type.
- (Step 2) Use Table 45.4-3 to assign a maximum velocity, v_m based on vegetation type and slope range.
- (Step 3) Assume a value of n and determine the corresponding value of vR from the n versus vR curves in Figure 45.4-1. Use retardance Class D for permanent vegetation and E for temporary construction.
- (Step 4) Calculate the hydraulic radius using the equation:

$$R = (vR)/v_m \quad (45.4.9)$$

Where: R = hydraulic radius of flow (ft)
vR = value obtained from Figure 45.4-1 in Step 3
 v_m = maximum velocity from Step 2 (ft/s)

- (Step 5) Use the following form of Manning's Equation to calculate the value of vR:

$$vR = (1.49 R^{5/3} S^{1/2})/n \quad (45.4.10)$$

Where: vR = calculated value of vR product
R = hydraulic radius value from Step 4 (ft)
S = channel bottom slope (ft/ft)
n = Manning's n value assumed in Step 3

- (Step 6) Compare the vR product value obtained in Step 5 to the value obtained from Figure 45.4-1 for the assumed n value in Step 3. If the values are not reasonably close, return to Step 3 and repeat the calculations using a new assumed n value.

(Step 7) For trapezoidal channels, find the flow depth using Figures 45.4-3 or 45.4-4, as described in Section 45.4.4.4. The depth of flow for other channel shapes can be evaluated using the trial and error procedure described in Section 45.4.4.5.

(Step 8) If bends are considered, calculate the length of downstream protection, L_p , for the bend, using Figure 45.4-6. Provide additional protection, such as gravel or riprap in the bend and extending downstream for length, L_p .

5.4.7.3 Design Capacity

The following are the steps for design capacity calculations:

(Step 1) Assume a depth of flow greater than the value from Step 7 above and compute the waterway area and hydraulic radius (see Figure 45.4-5 for equations).

(Step 2) Divide the design flow rate, obtained using appropriate procedures from Chapter 2, by the waterway area from Step 1 to find the velocity.

(Step 3) Multiply the velocity from Step 2 by the hydraulic radius from Step 1 to find the value of vR .

(Step 4) Use Figure 45.4-1 to find a Manning's n value for retardance Class C based on the vR value from Step 3.

(Step 5) Use Manning's Equation (equation 45.4.1) or Figure 45.4-2 to find the velocity using the hydraulic radius from Step 1, Manning's n value from Step 4, and appropriate bottom slope.

(Step 6) Compare the velocity values from Steps 2 and 5. If the values are not reasonably close, return to Step 1 and repeat the calculations.

(Step 7) Add an appropriate freeboard to the final depth from Step 6. Generally, 20% is adequate.

(Step 8) If bends are considered, calculate superelevation of the water surface profile at the bend using the equation:

$$\Delta d = (v^2 T) / (g R_C) \quad (45.4.11)$$

Where: Δd = superelevation of the water surface profile due to the bend (ft)

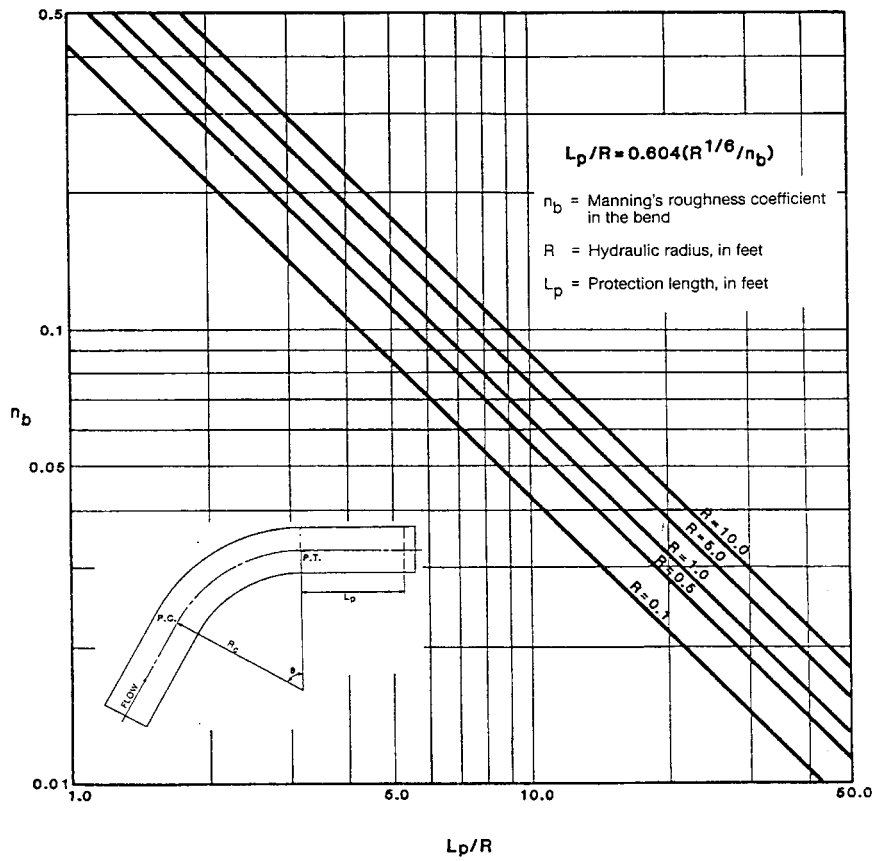
v = average velocity from Step 6 (ft/s)

T = top width of flow (ft)

g = acceleration of gravity (32.2 ft/sec²)

R_C = mean radius of the bend (ft)

Note: Add freeboard consistent with the calculated Δd .



Reference: USDOT, FHWA, HEC-15 (1986).

Figure 45.4-6 Protection Length, L_p , Downstream of Channel Bend

5.4.8 Riprap Design

5.4.8.1 Assumptions

The following procedure is based on results and analysis of laboratory and field data (Maynard, 1987; Reese, 1984; Reese, 1988). This procedure applies to riprap placement in both natural and prismatic channels and has the following assumptions and limitations:

- Minimum riprap thickness equal to d_{100}
- The value of d_{85}/d_{15} less than 4.6
- Froude number less than 1.2
- Side slopes up to 2:1
- A safety factor of 1.2
- Maximum velocity less than 18 feet per second

If significant turbulence is caused by boundary irregularities, such as obstructions or structures, this procedure is not applicable.

5.4.8.2 Procedure

Following are the steps in the procedure for riprap design:

(Step 1) Determine the average velocity in the main channel for the design condition. Manning's n values for riprap can be calculated from the equation:

$$n = 0.0395 (d_{50})^{1/6} \quad (45.4.12)$$

Where: n = Manning's roughness coefficient for stone riprap
 d_{50} = diameter of stone for which 50%, by weight, of the gradation is finer (ft)

(Step 2) If rock is to be placed at the outside of a bend, multiply the velocity determined in Step 1 by the bend correction coefficient, C_b , given in Figure 45.4-7 for either a natural or prismatic channel. This requires determining the channel top width, T , just upstream from the bend and the centerline bend radius, R_b .

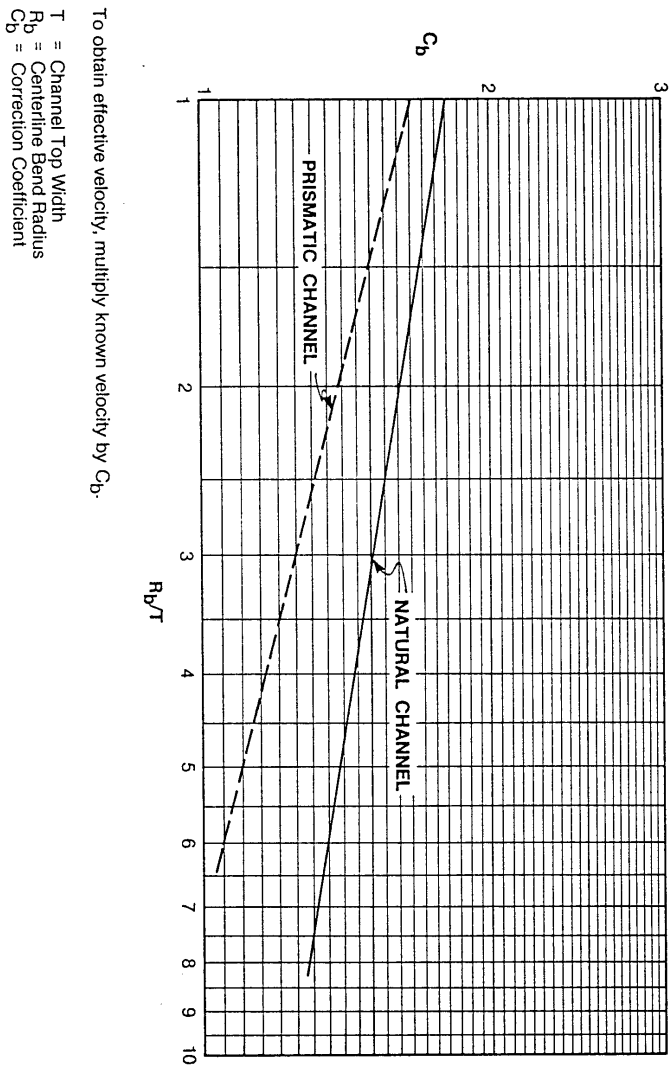
(Step 3) If the specific weight of the stone varies significantly from 165 pounds per cubic foot, multiply the velocity from Step 1 or 2 (as appropriate) by the specific weight correction coefficient, C_g , from Figure 45.4-8.

(Step 4) Determine the required minimum d_{30} value from Figure 45.4-9, or from the equation:

$$d_{30}/D = 0.193 Fr^{2.5} \quad (45.4.13)$$

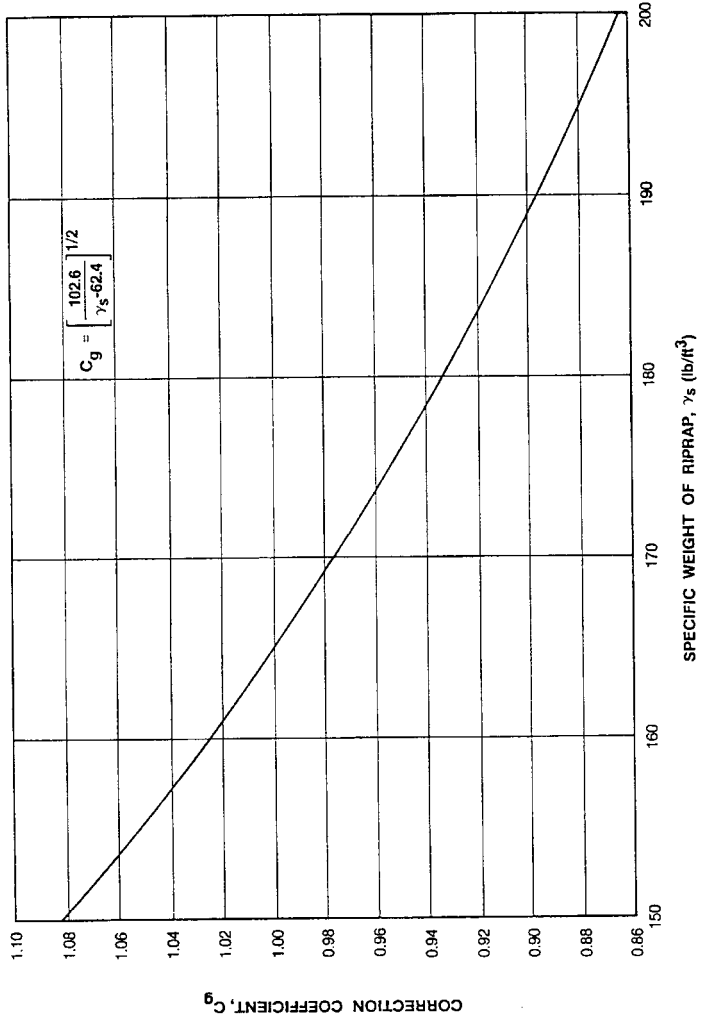
Where: d_{30} = diameter of stone for which 30%, by weight, of the gradation is finer (ft)
 D = depth of flow above stone (ft)

Fr = Froude number (see equation 45.4.8), dimensionless
 v = mean velocity above the stone (ft/s)
 g = acceleration of gravity (32.2 ft/sec)



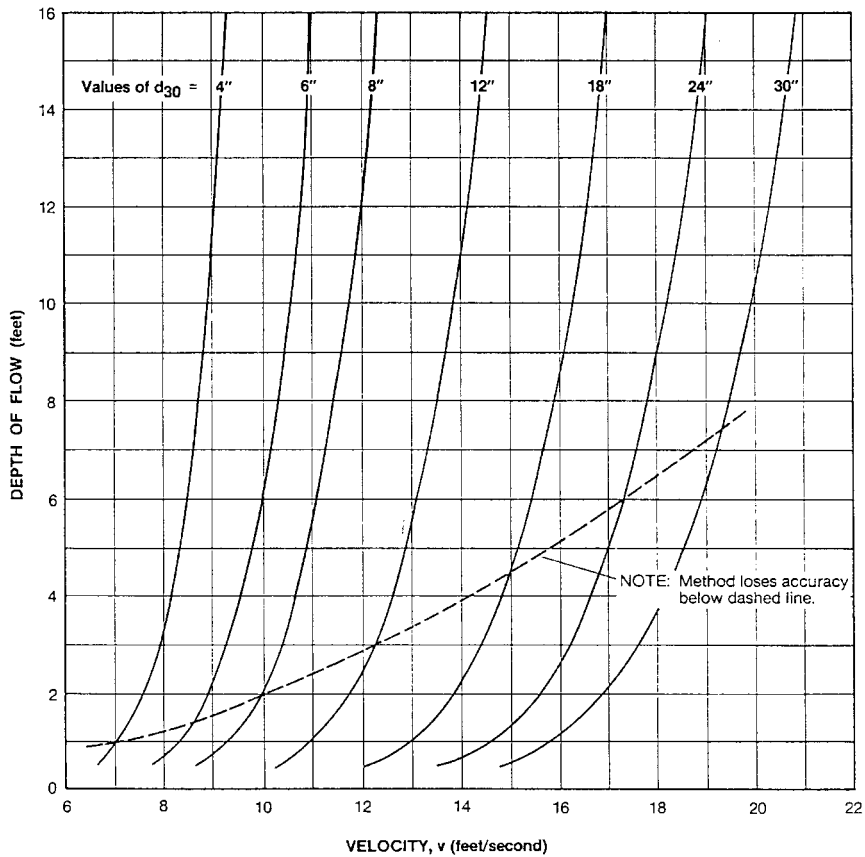
Reference: Maynard (1987).

Figure 45.4-7 Riprap Lining Bend Correction Coefficient



C_g = Correction Coefficient
 To obtain effective velocity, multiply known velocity by C_g

Figure 45.4-8 Riprap Lining Specific Weight Correction Coefficient
 (Source: Nashville Storm Water Management Manual, 1988)



Reference: Reese (1988).

Figure 45.4-9 Riprap Lining d_{30} Stone Size – Function of Mean Velocity and Depth

(Step 5) Determine available riprap gradations. A well graded riprap is preferable to uniform size or gap graded. The diameter of the largest stone, d_{100} , should not be more than 1.5 times the d_{50} size. Blanket thickness should be greater than or equal to d_{100} except as noted below. Sufficient fines (below d_{15}) should be available to fill the voids in the larger rock sizes. The stone weight for a selected stone size can be calculated from the equation:

$$W = 0.5236 SW_s d^3 \quad (45.4.14)$$

Where: W = stone weight (lbs)
 d = selected stone diameter (ft)
 SW_s = specific weight of stone (lbs/ft³)

Filter fabric or a filter stone layer should be used to prevent turbulence or groundwater seepage from removing bank material through the stone or to serve as a foundation for unconsolidated material. Layer thickness should be increased by 50% for underwater placement.

(Step 6) If d_{85}/d_{15} is between 2.0 and 2.3 and a smaller d_{30} size is desired, a thickness greater than d_{100} can be used to offset the smaller d_{30} size. Figure 45.4-10 can be used to make an approximate adjustment using the ratio of d_{30} sizes. Enter the y-axis with the ratio of the desired d_{30} size to the standard d_{30} size and find the thickness ratio increase on the x-axis. Other minor gradation deficiencies may be compensated for by increasing the stone blanket thickness.

(Step 7) Perform preliminary design, ensuring that adequate transition is provided to natural materials both up and downstream to avoid flanking and that toe protection is provided to avoid riprap undermining.

5.4.9 Uniform Flow - Example Problems

Example 1 – Direct Solution of Manning's Equation

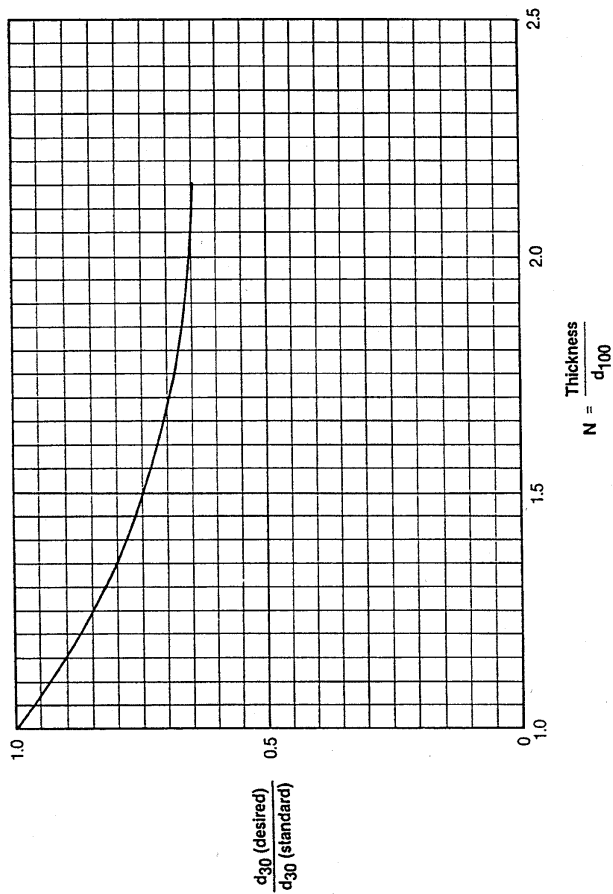
Use Manning's Equation to find the velocity, v , for an open channel with a hydraulic radius value of 0.6 ft, an n value of 0.020, and slope of 0.003 ft/ft. Solve using Figure 45.4-2:

- (1) Connect a line between the slope scale at 0.003 and the roughness scale at 0.020 and note the intersection point on the turning line.
- (2) Connect a line between that intersection point and the hydraulic radius scale at 0.6 ft and read the velocity of 2.9 ft/s from the velocity scale.

Example 2 – Grassed Channel Design Stability

A trapezoidal channel is required to carry 50 cfs at a bottom slope of 0.015 ft/ft. Find the channel dimensions required for design stability criteria (retardance Class D) for a grass mixture.

- (1) From Table 45.4-3, the maximum velocity, v_m , for a grass mixture with a bottom slope less than 5% is 4 ft/s.
- (2) Assume an n value of 0.035 and find the value of vR from Figure 45.4-1, $vR = 5.4$



Reference: Maynard (1987).

Figure 45.4-10 Riprap Lining Thickness Adjustment for $d_{85}/d_{15} = 1.0$ to 2.3
 (Source: Maynard, 1987)

(3) Use equation 45.4.9 to calculate the value of R: $R = 5.4/4 = 1.35$ ft

(4) Use equation 45.4.10 to calculate the value of vR:
 $vR = [1.49 (1.35)^{5/3} (0.015)^{1/2}] / 0.035 = 8.60$

(5) Since the vR value calculated in Step 4 is higher than the value obtained from Step 2, a higher n value is required and calculations are repeated. The results from each trial of calculations are presented below:

Assumed n Value	vR (Figure 45.4-1)	R (eq. 45.4.9)	vR (eq. 45.4.10)
0.035	5.40	1.35	8.60
0.038	3.8	0.95	4.41
0.039	3.4	0.85	3.57
0.040	3.2	0.80	3.15

Select $n = 0.040$ for stability criteria.

(6) Use Figure 45.4-3 to select channel dimensions for a trapezoidal shape with 3:1 side slopes.

$Qn = (50) (0.040) = 2.0$ $S = 0.015$
For $b = 10$ ft, $d = (10) (0.098) = 0.98$ ft $b = 8$ ft, $d = (8) (0.14) = 1.12$ ft

Select: $b = 10$ ft, such that R is approximately 0.80 ft
 $z = 3$
 $d = 1$ ft
 $v = 3.9$ ft/s (equation 45.4.1)
 $Fr = 0.76$ (equation 45.4.8)
 Flow is subcritical

Design capacity calculations for this channel are presented in Example 3 below.

Example 3 -- Grassed Channel Design Capacity

Use a 10-ft bottom width and 3:1 side-slopes for the trapezoidal channel sized in Example 2 and find the depth of flow for retardance Class C.

(1) Assume a depth of 1.0 ft and calculate the following (see Figure 45.4-5):
 $A = (b + zd) d = [10 + (3) (1)] (1) = 13.0$ square ft
 $R = \{[b + zd] d\} / \{b + [2d(1 + z^2)^{0.5}]\} = \{[10+(3)(1)](1)\} / \{10+[(2)(1)(1+3^2)^{0.5}]\}$
 $R = 0.796$ ft

(2) Find the velocity: $v = Q/A = 50/13.0 = 3.85$ ft/s

(3) Find the value of vR: $vR = (3.85) (0.796) = 3.06$

(4) Using the vR product from Step 3, find Manning's n from Figure 45.4-1 for retardance Class C ($n = 0.047$)

(5) Use Figure 45.4-2 or equation 45.4.1 to find the velocity for $S = 0.015$, $R = 0.796$, and
 $n = 0.047$: $v = 3.34$ ft/s

- (6) Since 3.34 ft/s is less than 3.85 ft/s, a higher depth is required and calculations are repeated. Results from each trial of calculations are presented below:

Assumed Depth (ft)	Area (ft ²)	R (ft)	Velocity Q/A (ft/sec)	vR	Manning's n (Fig. 45.4-3)	Velocity (Eq. 45.4.11)
1.0	13.00	0.796	3.85	3.06	0.047	3.34
1.05	13.81	0.830	3.62	3.00	0.047	3.39
1.1	14.63	0.863	3.42	2.95	0.048	3.45
1.2	16.32	0.928	3.06	2.84	0.049	3.54

- (7) Select a depth of 1.1 with an n value of 0.048 for design capacity requirements. Add at least 0.2 ft for freeboard to give a design depth of 1.3 ft. Design data for the trapezoidal channel are summarized as follows:

Vegetation lining = grass mixture, $v_m = 4$ ft/s

$Q = 50$ cfs

$b = 10$ ft, $d = 1.3$ ft, $z = 3$, $S = 0.015$

Top width = $(10) + (2)(3)(1.3) = 17.8$ ft

n (stability) = 0.040, $d = 1.0$ ft, $v = 3.9$ ft/s, Froude number = 0.76 (equation 54.4.8)

n (capacity) = 0.048, $d = 1.1$ ft, $v = 3.45$ ft/s, Froude number = 0.64 (equation 45.4.8)

Example 4 -- Riprap Design

A natural channel has an average bankfull channel velocity of 8 ft per second with a top width of 20 ft and a bend radius of 50 ft. The depth over the toe of the outer bank is 5 ft. Available stone weight is 170 lbs/ft³. Stone placement is on a side slope of 2:1 (horizontal:vertical). Determine riprap size at the outside of the bend.

- Use 8 ft/s as the design velocity, because the reach is short and the bend is not protected.
- Determine the bend correction coefficient for the ratio of $R_b/T = 50/20 = 2.5$. From Figure 45.4-7, $C_b = 1.55$. The adjusted effective velocity is $(8)(1.55) = 12.4$ ft/s.
- Determine the correction coefficient for the specific weight of 170 lbs from Figure 45.4-8 as 0.98. The adjusted effective velocity is $(12.4)(0.98) = 12.15$ ft/s.
- Determine minimum d_{30} from Figure 45.4-9 or equation 45.4.13 as about 10 inches.
- Use a gradation with a minimum d_{30} size of 10 inches.
- (Optional) Another gradation is available with a d_{30} of 8 inches. The ratio of desired to standard stone size is $8/10$ or 0.8. From Figure 45.4-10, this gradation would be acceptable if the blanket thickness was increased from the original d_{100} (diameter of the largest stone) thickness by 35% (a ratio of 1.35 on the horizontal axis).
- Perform preliminary design. Make sure that the stone is carried up and downstream far enough to ensure stability of the channel and that the toe will not be undermined.

The downstream length of protection for channel bends can be determined using Figure 45.4-6.

5.4.10 Gradually Varied Flow

The most common occurrence of gradually varied flow in storm drainage is the backwater created by culverts, storm sewer inlets, or channel constrictions. For these conditions, the flow depth will be greater than normal depth in the channel and the water surface profile should be computed using backwater techniques.

Many computer programs are available for computation of backwater curves. The most general and widely used programs are, HEC-RAS, developed by the U.S. Army Corps of Engineers and Bridge Waterways Analysis Model (WSPRO) developed for the Federal Highway Administration. These programs can be used to compute water surface profiles for both natural and artificial channels.

For prismatic channels, the backwater calculation can be computed manually using the direct step method. For an irregular nonuniform channel, the standard step method is recommended, although it is a more tedious and iterative process. The use of HEC-RAS is recommended for standard step calculations.

Cross sections for water surface profile calculations should be normal to the direction of flood flow. The number of sections required will depend on the irregularity of the stream and flood plain. In general, a cross section should be obtained at each location where there are significant changes in stream width, shape, or vegetal patterns. Sections should usually be no more than 4 to 5 channel widths apart or 100 feet apart for ditches or streams and 500 feet apart for floodplains, unless the channel is very regular.

5.4.11 Rectangular, Triangular, and Trapezoidal Open Channel Design Figures

5.4.11.1 Introduction

The Federal Highway Administration has prepared numerous design figures to aid in the design of open channels. Copies of these figures, a brief description of their use, and several example design problems are presented. For design conditions not covered by the figures, a trial and error solution of Manning's Equation must be used.

5.4.11.2 Description of Figures

Figures given in [subsections 45.4.12, 45.4.13 and 45.4.14](#) [Appendix F at the end of this section](#) are for the direct solution of the Manning's Equation for various sized open channels with rectangular, triangular, and trapezoidal cross sections. Each figure (except for the triangular cross section) is prepared for a channel of given bottom width and a particular value of Manning's n .

The figures for rectangular and trapezoidal cross section channels ([subsection 45.4.12](#) [Appendix F](#)) are used the same way. The abscissa scale of discharge in cubic feet per second (cfs), and the ordinate scale is velocity in feet per second (ft/s). Both scales are logarithmic. Superimposed on the logarithmic grid are steeply inclined lines representing depth (ft), and slightly inclined lines

representing channel slope (ft/ft). A heavy dashed line on each figure shows critical flow conditions. Auxiliary abscissa and ordinate scales are provided for use with other values of n and are explained in the example problems. In the figures, interpolations may be made not only on the ordinate and abscissa scales but between the inclined lines representing depth and slope.

The chart for a triangular cross section ([subsection 45.4.13 Appendix F](#)) is in nomograph form. It may be used for street sections with a vertical (or nearly vertical) curb face. The nomograph also may be used for shallow V-shaped sections by following the instructions on the chart.

5.4.11.3 Instructions for Rectangular and Trapezoidal Figures

Figures in [subsection 45.4.12 Appendix F](#) provide a solution of the Manning equation for flow in open channels of uniform slope, cross section, and roughness, provided the flow is not affected by backwater and the channel has a length sufficient to establish uniform flow.

For a given slope and channel cross section, when n is 0.015 for rectangular channels or 0.03 for trapezoidal channels, the depth and velocity of uniform flow may be read directly from the figure for that size channel. The initial step is to locate the intersection of a vertical line through the discharge (abscissa) and the appropriate slope line. At this intersection, the depth of flow is read from the depth lines, and the mean velocity is read on the ordinate scale.

The procedure is reversed to determine the discharge at a given depth of flow. Critical depth, slope, and velocity for a given discharge can be read on the appropriate scale at the intersection of the critical curve and a vertical line through the discharge.

Auxiliary scales, labeled Q_n (abscissa) and V_n (ordinate), are provided so the figures can be used for values of n other than those for which the charts were basically prepared. To use these scales, multiply the discharge by the value of n and use the Q_n and V_n scales instead of the Q and V scales, except for computation of critical depth or critical velocity. To obtain normal velocity V from a value on the V_n scale, divide the value by n . The following examples will illustrate these points.

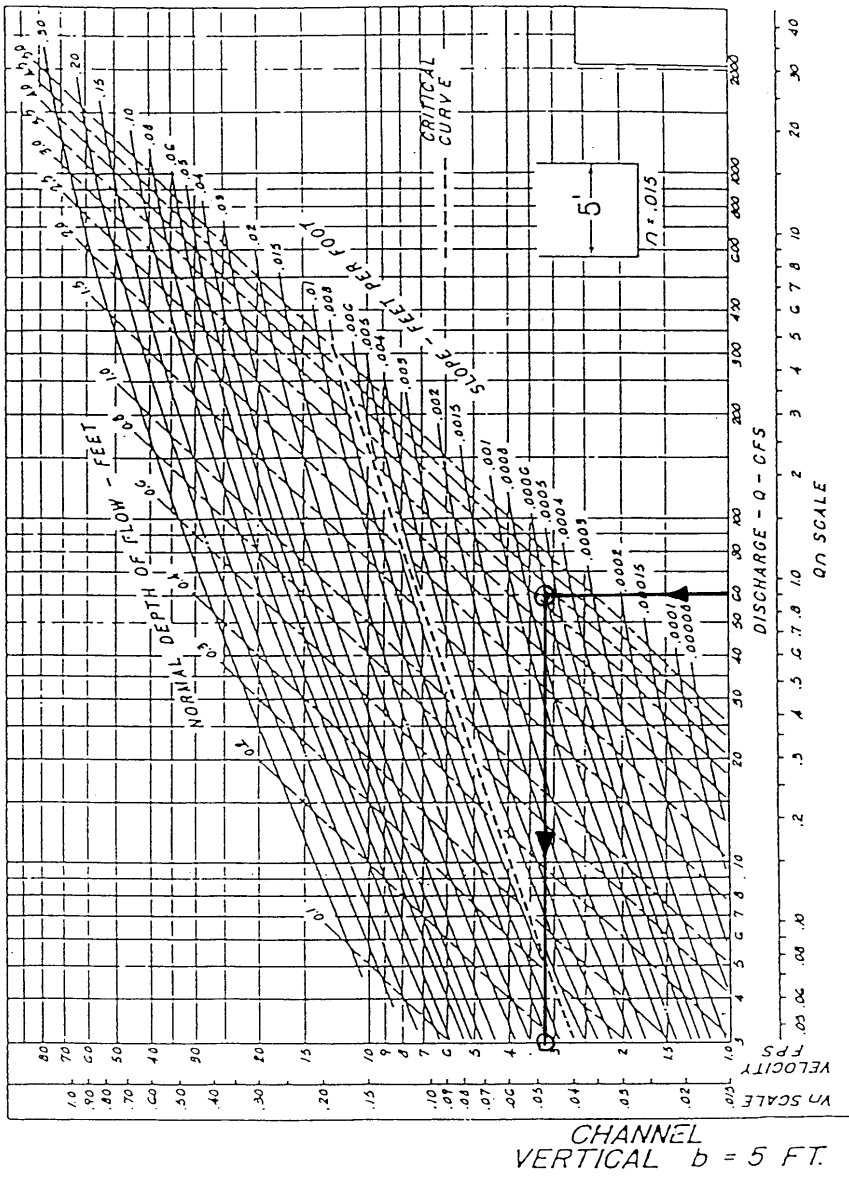
Example Design Problem 1

Given: A rectangular concrete channel 5 ft wide with $n = 0.015$, .06 percent slope ($S = .0006$), discharging 60 cfs.

Find: Depth, velocity, and type of flow

Procedure:

- (1) From [subsection 45.4.12 Appendix F](#) select the rectangular figure for a 5-ft width (Figure 45.4-11).
- (2) From 60 cfs on the Q scale, move vertically to intersect the slope line $S = .0006$, and from the depth lines read $d_n = 3.7$ ft.
- (3) Move horizontally from the same intersection and read the normal velocity, $V = 3.2$ ft/s, on the ordinate scale.
- (4) The intersection lies below the critical curve, and the flow is therefore in the subcritical range.



CHANNEL
VERTICAL $b = 5$ FT.

Source: Federal Highway Administration

Figure 45.4-11 Example Nomograph #1

Example Design Problem 2

Given: A trapezoidal channel with 2:1 side slopes and a 4 ft bottom width, with $n = 0.030$, 0.2% slope ($S = 0.002$), discharging 50 cfs.

Find: Depth, velocity, type flow.

Procedure:

- (1) Select the trapezoidal figure for $b = 4$ ft (see Figure 45.4-12).
- (2) From 50 cfs on the Q scale, move vertically to intersect the slope line $S = 0.002$ and from the depth lines read $d_n = 2.2$ ft.
- (3) Move horizontally from the same intersection and read the normal velocity, $V = 2.75$ ft/s, on the ordinate scale. The intersection lies below the critical curve, the flow is therefore subcritical.

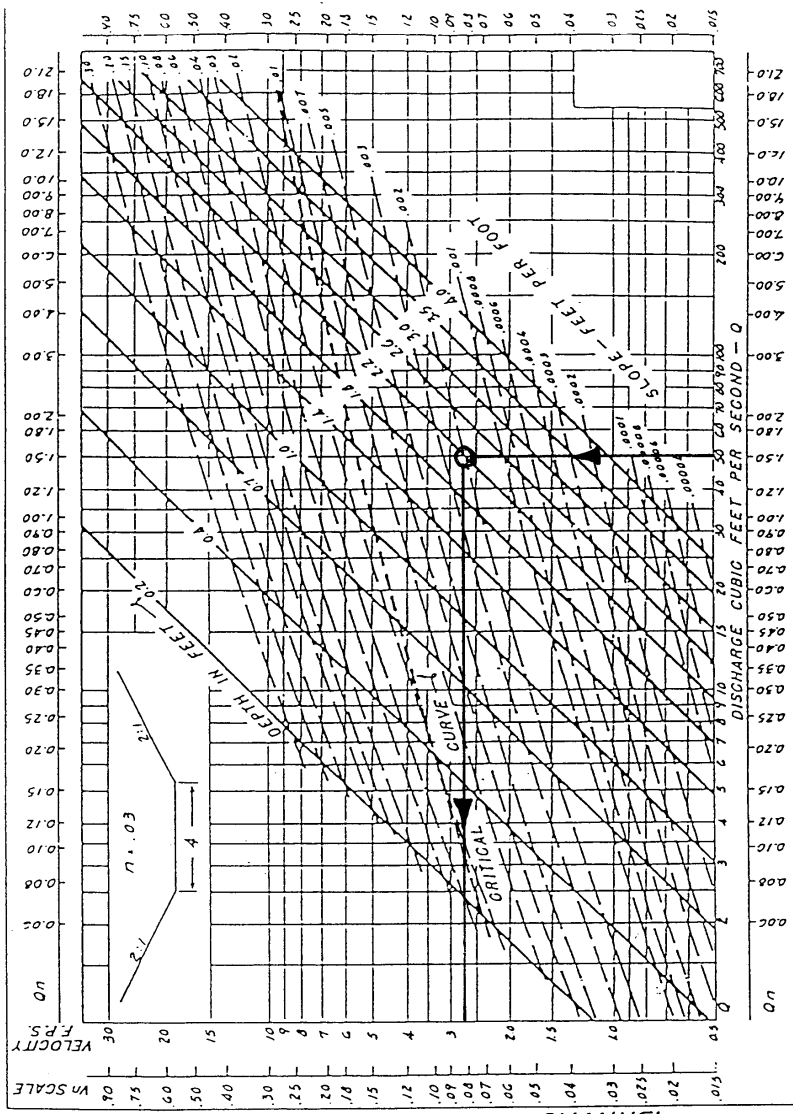
Example Design Problem 3

Given: A rectangular cement rubble masonry channel 5 ft wide, with $n = 0.025$, 0.5% slope ($S = 0.005$), discharging 80 cfs.

Find: Depth velocity and type of flow

Procedure:

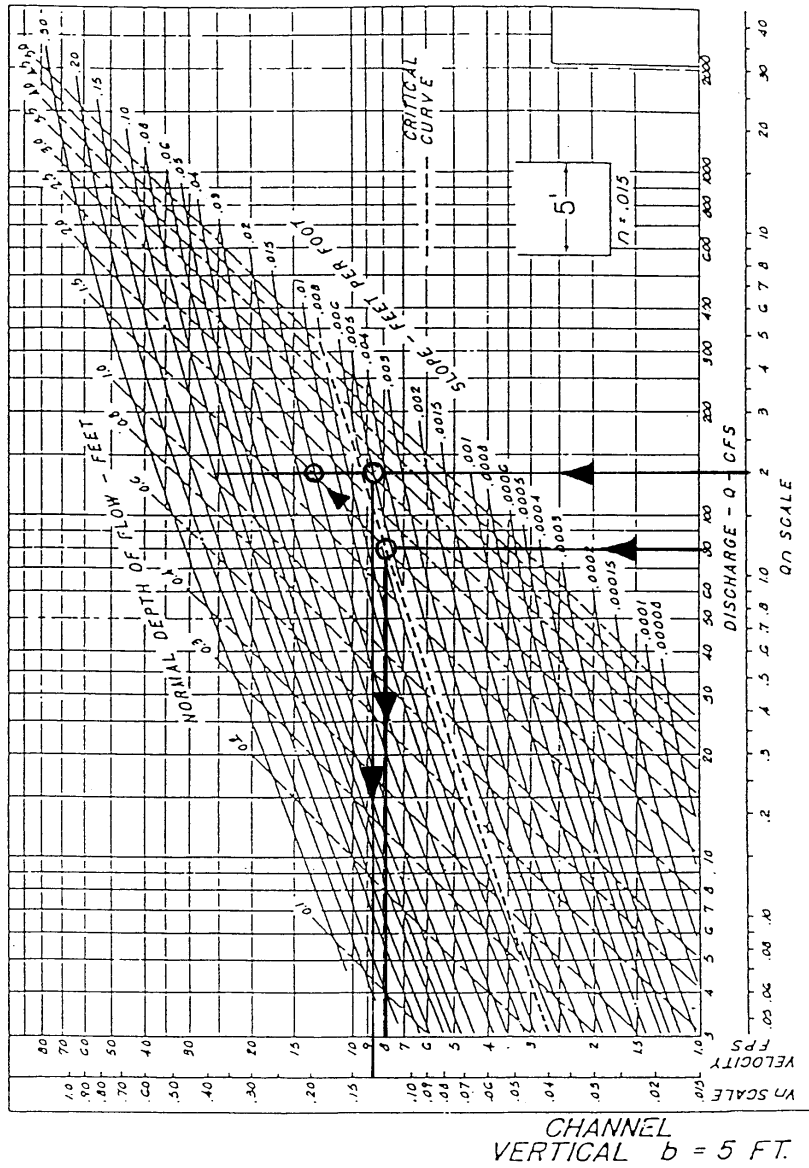
- (1) Select the rectangular figure for a 5 ft width (Figure 45.4-13).
- (2) Multiply Q by n to obtain Qn : $80 \times 0.025 = 2.0$.
- (3) From 2.0 on the Qn scale, move vertically to intersect the slope line, $S = 0.005$, and at the intersection read $d_n = 3.1$ ft.
- (4) Move horizontally from the intersection and read $Vn = .13$, then $Vn/n = 0.13/0.025 = 5.2$ ft/s.
- (5) Critical depth and critical velocity are independent of the value of n so their values can be read at the intersection of the critical curve with a vertical line through the discharge. For 80 cfs, on Figure 45.4-13, $d_c = 2.0$ ft and $V_c = 7.9$ ft/s. The normal velocity, 5.2 ft/s (from step 4), is less than the critical velocity, and the flow is therefore subcritical. It will also be noted that the normal depth, 3.0 ft, is greater than the critical depth, 2.0 ft, which also indicates subcritical flow.
- (6) To determine the critical slope for $Q = 80$ cfs and $n = 0.025$, start at the intersection of the critical curve and a vertical line through the discharge, $Q = 80$ cfs, finding d_c (2.0 ft) at this point. Follow along this d_c line to its intersection with a vertical line through $Qn = 2.0$ (step 2), at this intersection read the slope value $S_c = 0.015$.



CHANNEL
2:1 b = 4 FT.

Source: Federal Highway Administration

Figure 45.4-12 Example Nomograph #2



Source: Federal Highway Administration

Figure 45.4-13 Example Nomograph #3

5.4.11.4 Grassed Channel Figures

The Manning equation can be used to determine the capacity of a grass-lined channel, but the value of n varies with the type of grass, development of the grass cover, depth, and velocity of flow. The variable value of n complicates the solution of the Manning equation. The depth and velocity of flow must be estimated and the Manning equation solved using the n value that corresponds to the estimated depth and velocity. The trial solution provides better estimates of the depth and velocity for a new value of n and the equation is again solved. The procedure is repeated until a depth is found that carries the design discharge.

To prevent excessive erosion, the velocity of flow in a grass-lined channel must be kept below some maximum value (referred to as permissible velocity). The permissible velocity in a grass-lined channel depends upon the type of grass, condition of the grass cover, texture of the soil comprising the channel bed, channel slope, and to some extent the size and shape of the drainage channel. To guard against overtopping, the channel capacity should be computed for taller grass than is expected to be maintained, while the velocity used to check the adequacy of the protection should be computed assuming a lower grass height than will likely be maintained.

To aid in the design of grassed channels, the Federal Highway Administration has prepared numerous design figures. Copies of these figures are in [subsection 45.4.14 Appendix F](#). Following is a brief description of general design criteria, instructions on how to use the figures, and several example design problems. For design conditions not covered by the figures, a trial-and-error solution of the Manning equation must be used.

5.4.11.5 Description of Figures

The figures in [subsection 45.4.14 Appendix F](#) are designed for use in the direct solution of the Manning equation for various channel sections lined with grass. The figures are similar in appearance and use to those for trapezoidal cross sections described earlier. However, their construction is much more difficult because the roughness coefficient (n) changes as higher velocities and/or greater depths change the condition of the grass. The effect of velocity and depth of flow on n is evaluated by the product of velocity and hydraulic radius V times R . The variation of Manning's n with the retardance (Table 45.4-6) and the product V times R is shown in Figure 45.4-1. As indicated in Table 45.4-6, retardance varies with the height of the grass and the condition of the stand. Both of these factors depend upon the type of grass, planting conditions, and maintenance practices. Table 45.4-6 is used to determine retardance classification.

The grassed channel figures each have two graphs, the upper graph for retardance Class D and the lower graph for retardance Class C. The figures are plotted with discharge in cubic feet per second on the abscissa and slope in feet per foot on the ordinate. Both scales are logarithmic.

Superimposed on the logarithmic grid are lines for velocity in feet per second and lines for depth in feet. A dashed line shows the position of critical flow.

5.4.11.6 Instructions for Grassed Channel Figures

The grassed channel figures provide a solution of the Manning equation for flow in open grassed channels of uniform slope and cross section. The flow should not be affected by backwater and the channel should have length sufficient to establish uniform flow.

The figures are sufficiently accurate for design of drainage channels of fairly uniform cross section and slope, but are not appropriate for irregular natural channels.

The design of grassed channels requires two operations: (1) selecting a section that has the capacity to carry the design discharge on the available slope and (2) checking the velocity in the channel to ensure that the grass lining will not be eroded. Because the retardance of the channel is largely beyond the control of the designer, it is good practice to compute the channel capacity using retardance Class C and the velocity using retardance Class D. The calculated velocity should then be checked against the permissible velocities listed in Tables 45.4-2 and 45.4-3. The use of the figures is explained in the following steps:

- (Step 1) Select the channel cross section to be used and find the appropriate figure.
- (Step 2) Enter the lower graph (for retardance Class C) on the figure with the design discharge value on the abscissa and move vertically to the value of the slope on the ordinate scale. As this intersection, read the normal velocity and normal depth and note the position of the critical curve. If the intersection point is below the critical curve, the flow is subcritical; if it is above, the flow is supercritical.
- (Step 3) To check the velocity developed against the permissible velocities (Tables 45.4-2 and 45.4-3), enter the upper graph on the same figure and repeat Step 2. Then compare the computed velocity with the velocity permissible for the type of grass, channel slope, and erosion resistance of the soil. If the computed velocity is less, the design is acceptable. If not, a different channel section must be selected and the process repeated.

Example Design Problem 1

Given: A trapezoidal channel in easily eroded soil, lined with a grass mixture with 4:1 side slopes, and a 4 ft bottom width on slope of 0.02 ft per foot ($S=0.02$), discharging 20 cfs.

Find: Depth, velocity, type of flow, and adequacy of grass to prevent erosion

Procedure:

- (1) From [subsection 45.4.13 Appendix F](#) select figure for 4:1 side slopes (see Figure 45.4-14).
- (2) Enter the lower graph with $Q = 20$ cfs, and move vertically to the line for $S=0.02$. At this intersection read $d_n = 1.0$ ft, and normal velocity $V_n = 2.6$ ft/s.
- (3) The velocity for checking the adequacy of the grass cover should be obtained from the upper graph, for retardance Class D. Using the same procedure as in step 2, the velocity is found to be 3.0 ft/s. This is about three-quarters of that listed as permissible, 4.0 ft/s in Table 45.4-3.

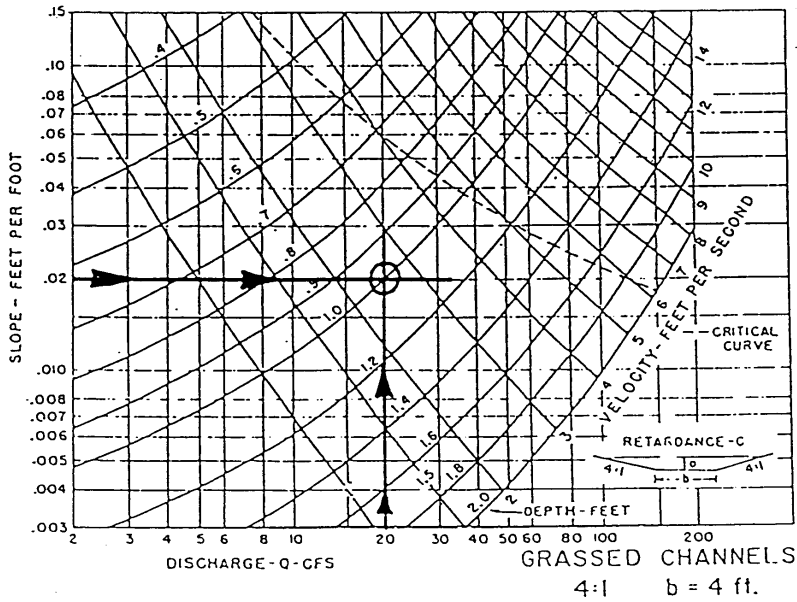
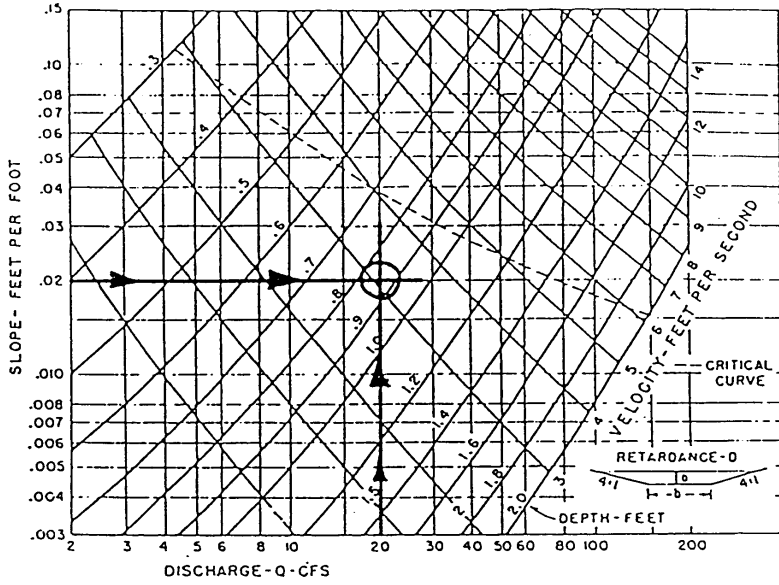
Example Design Problem 2

Given: The channel and discharge of Example 1.

Find: The maximum grade on which the 20 cfs could safely be carried

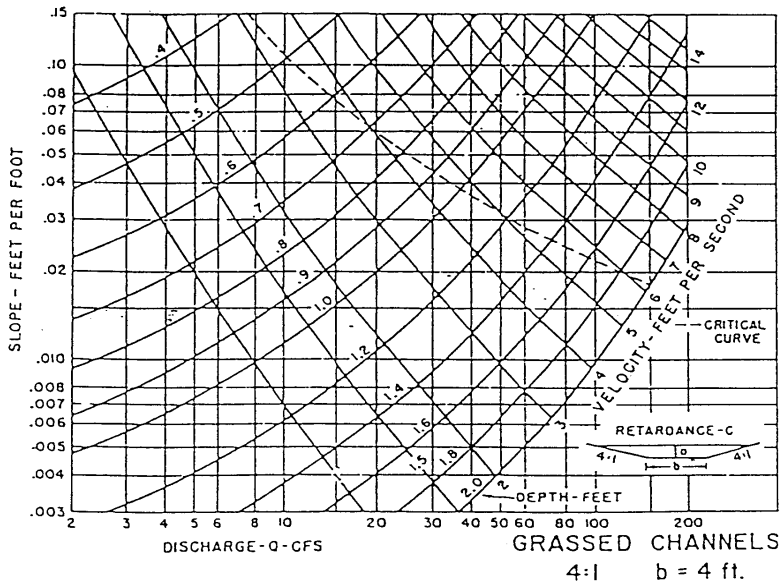
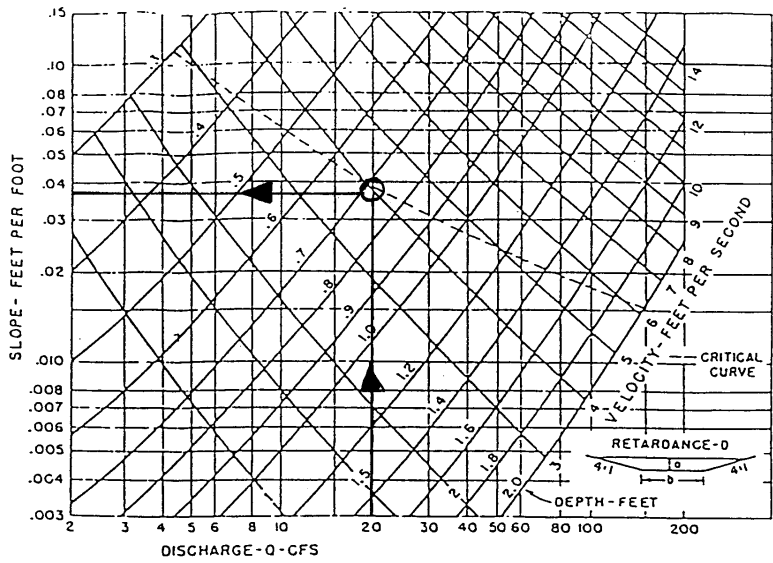
Procedure:

With an increase in slope (but still less than 5%), the allowable velocity is estimated to be 4 ft/s (see Table 4.4-3). On the upper graph of Figure 4.4-15 for short grass, the intersection of the 20 cfs line and the 4 ft/s line indicates a slope of 3.7% and a depth of 0.73 ft.



Source: Federal Highway Administration

Figure 45.4-14 Example Nomograph #4

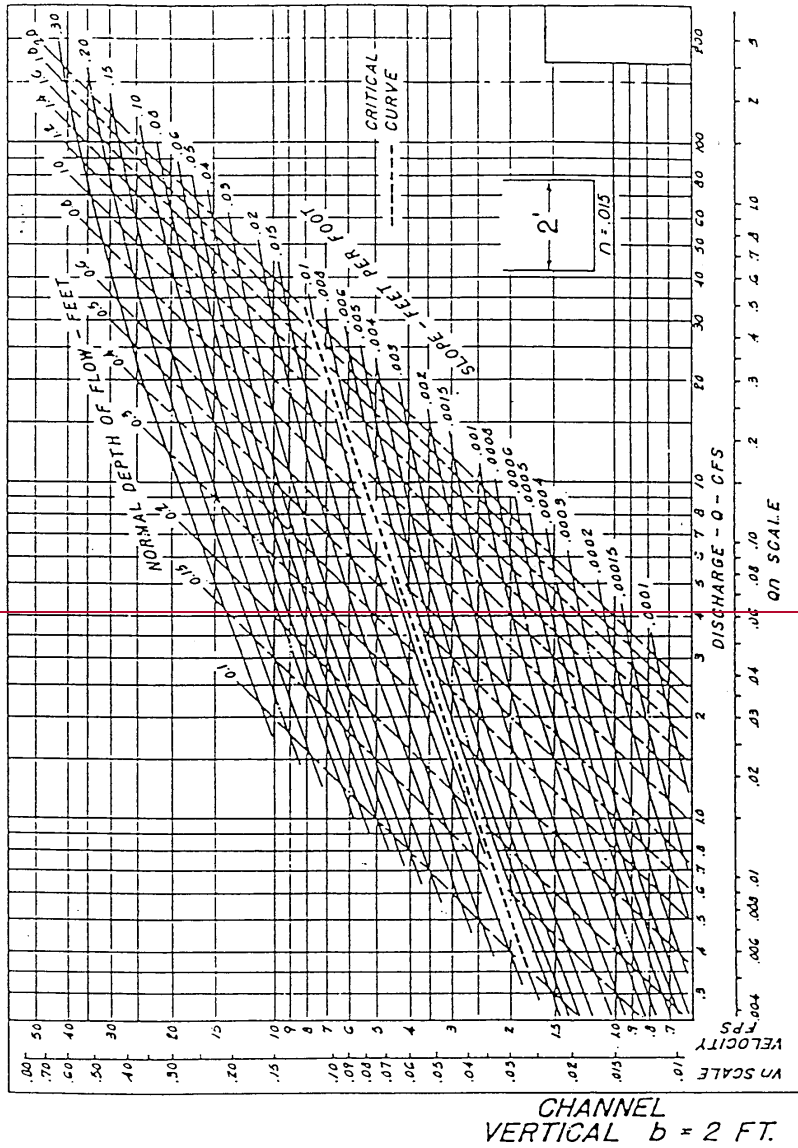


Source: Federal Highway Administration

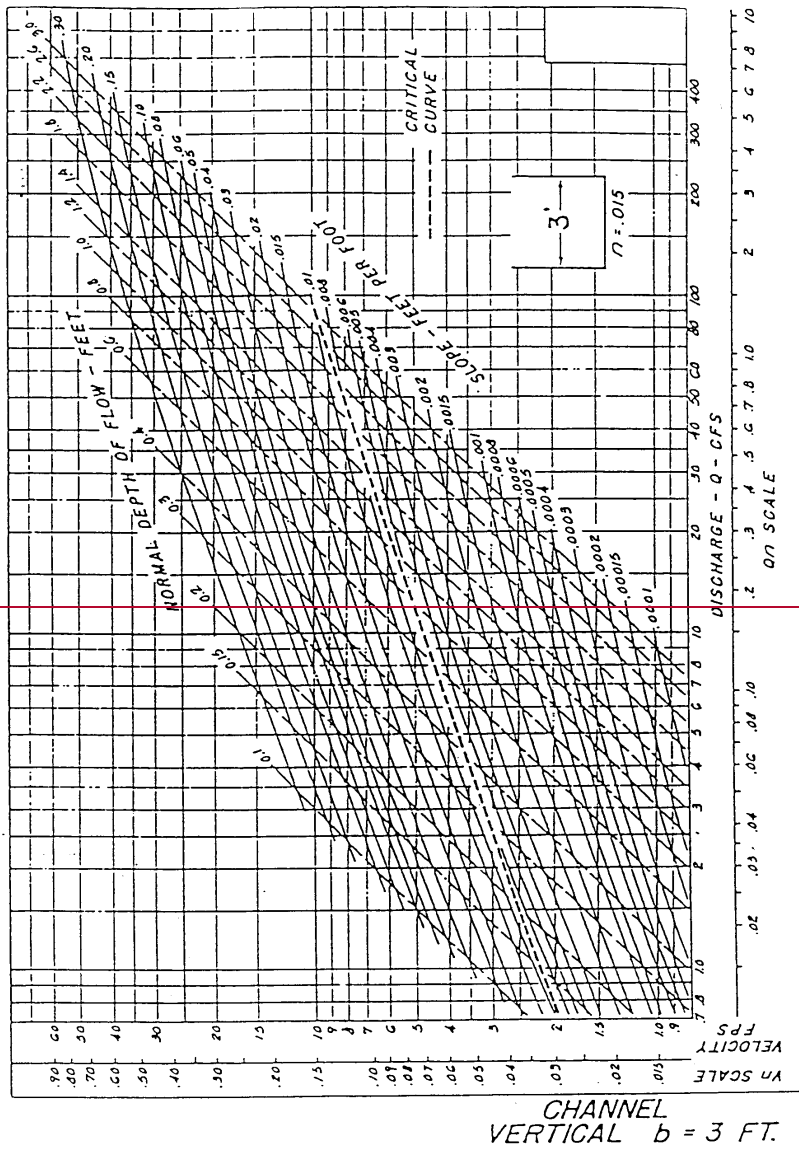
Figure 45.4-15 Example Nomograph #5

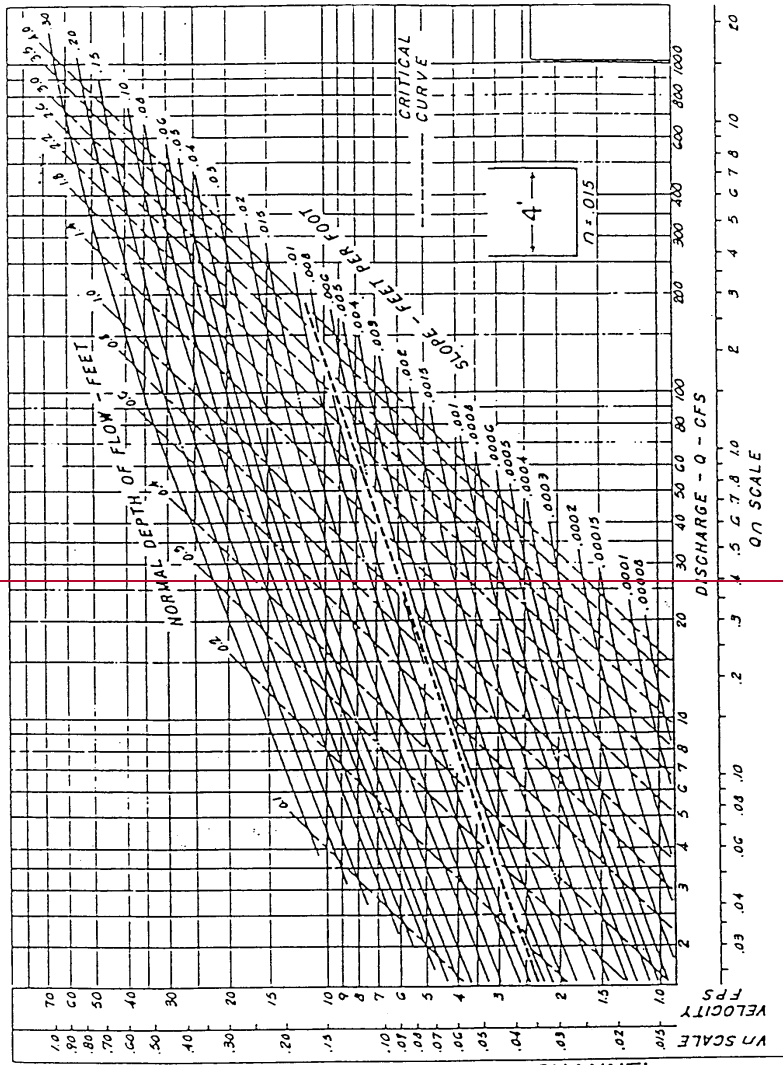
5.4.12 Open Channel Design Figures

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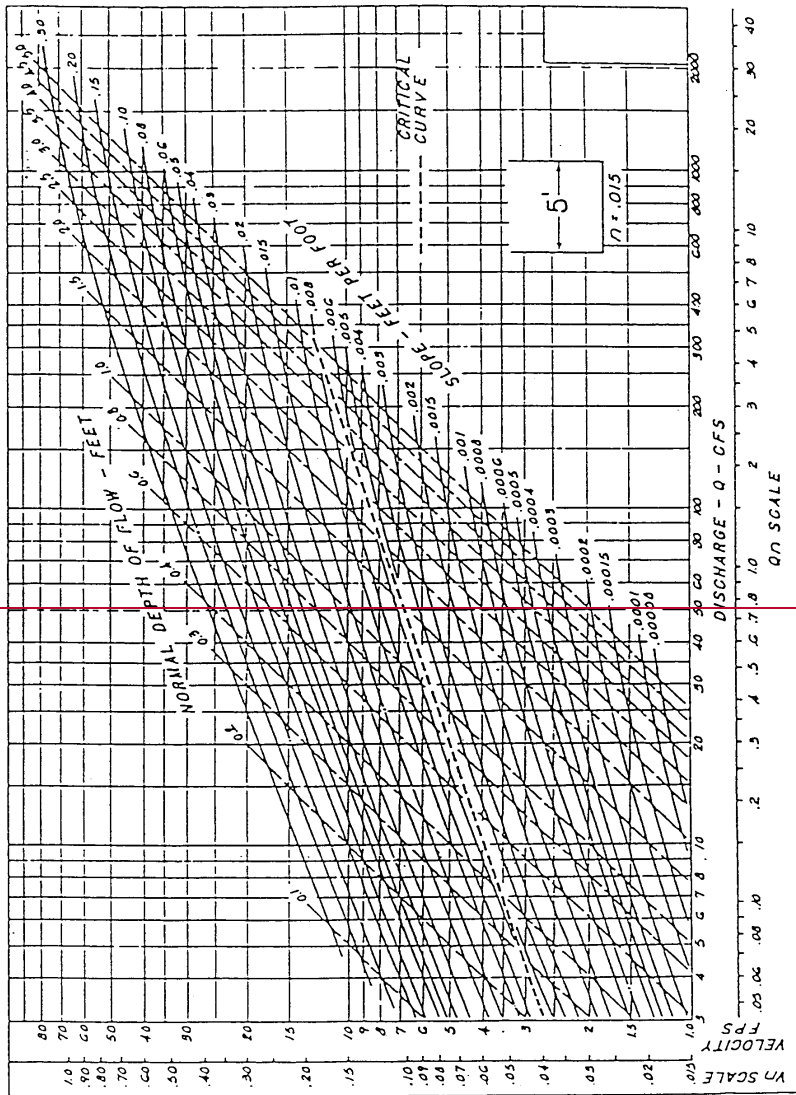
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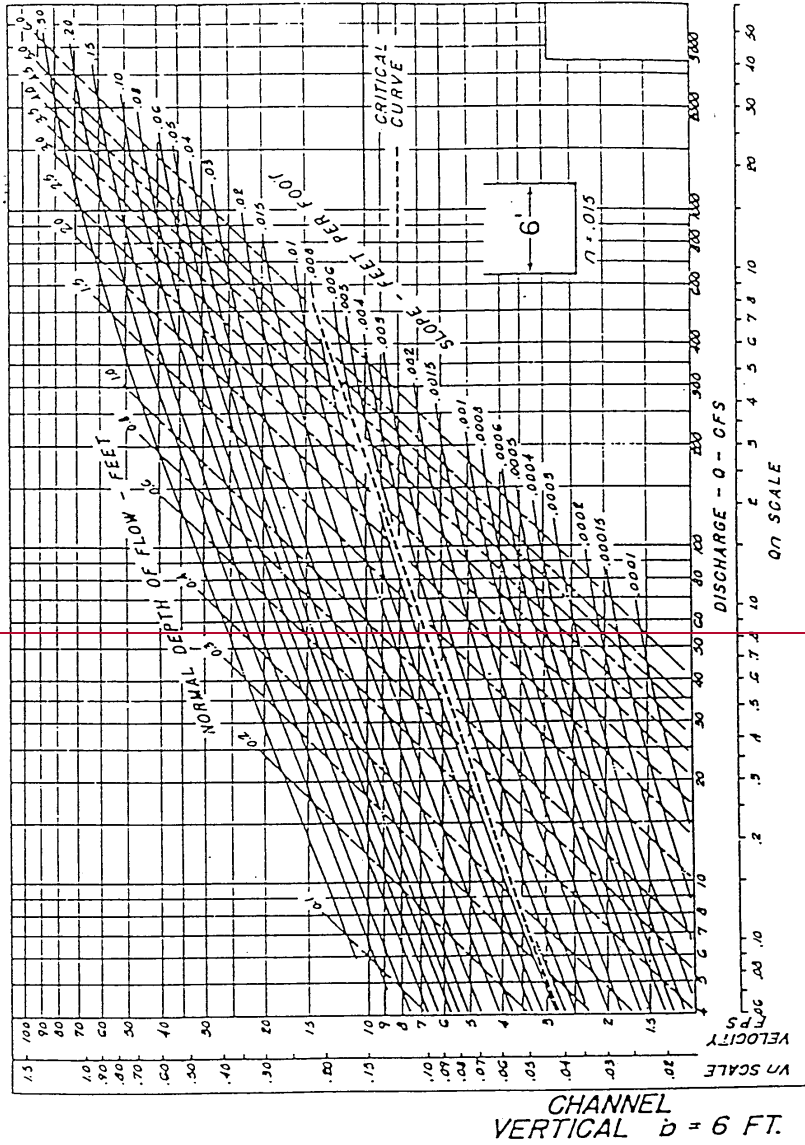
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Source: Federal Highway Administration

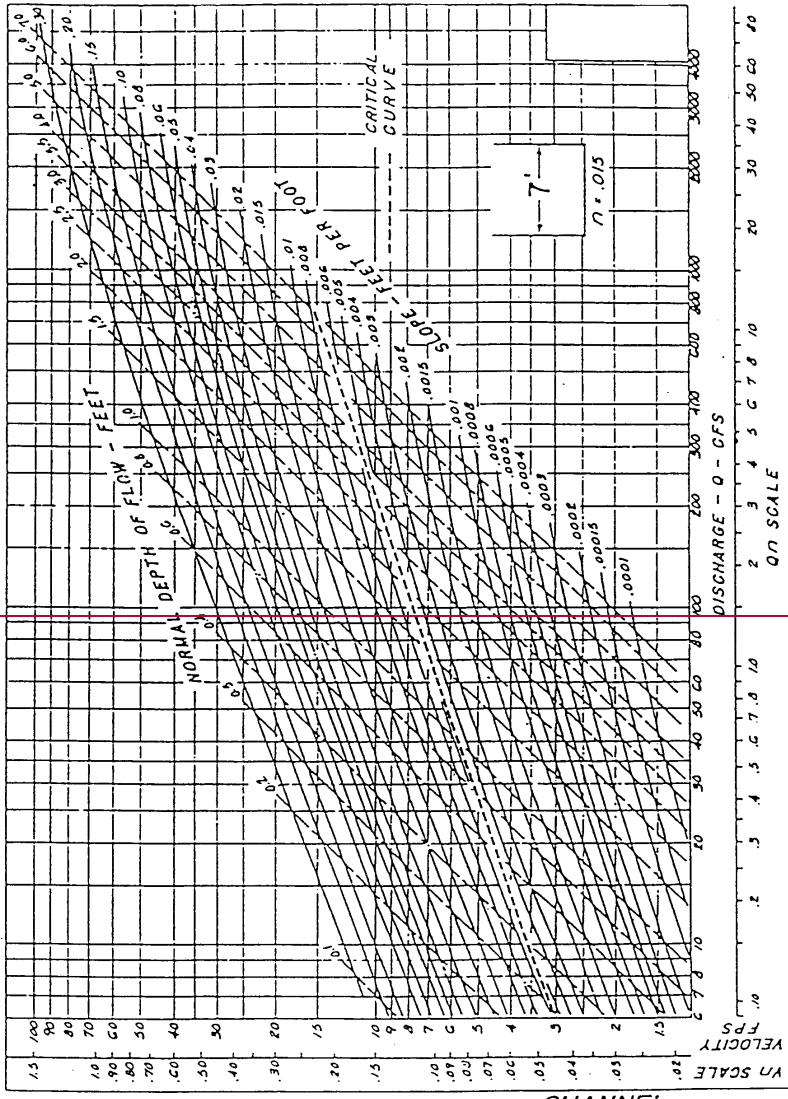


CHANNEL
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Source: Federal Highway Administration

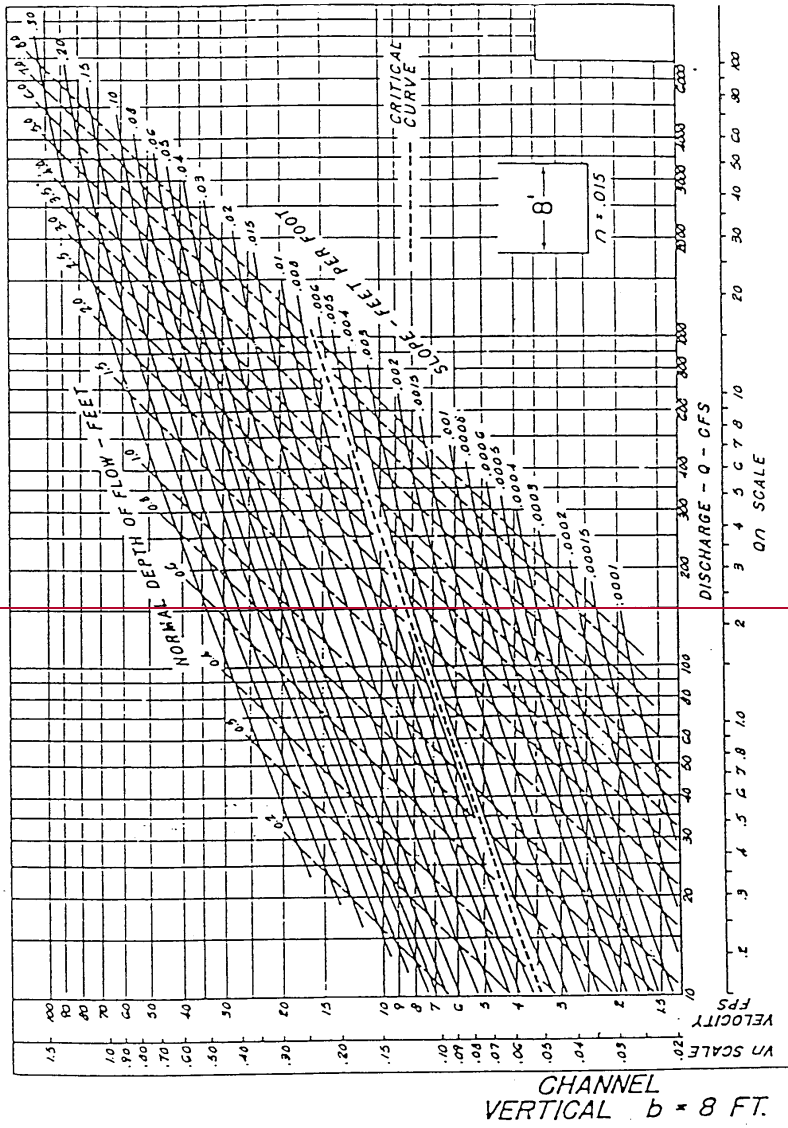


Source: Federal Highway Administration

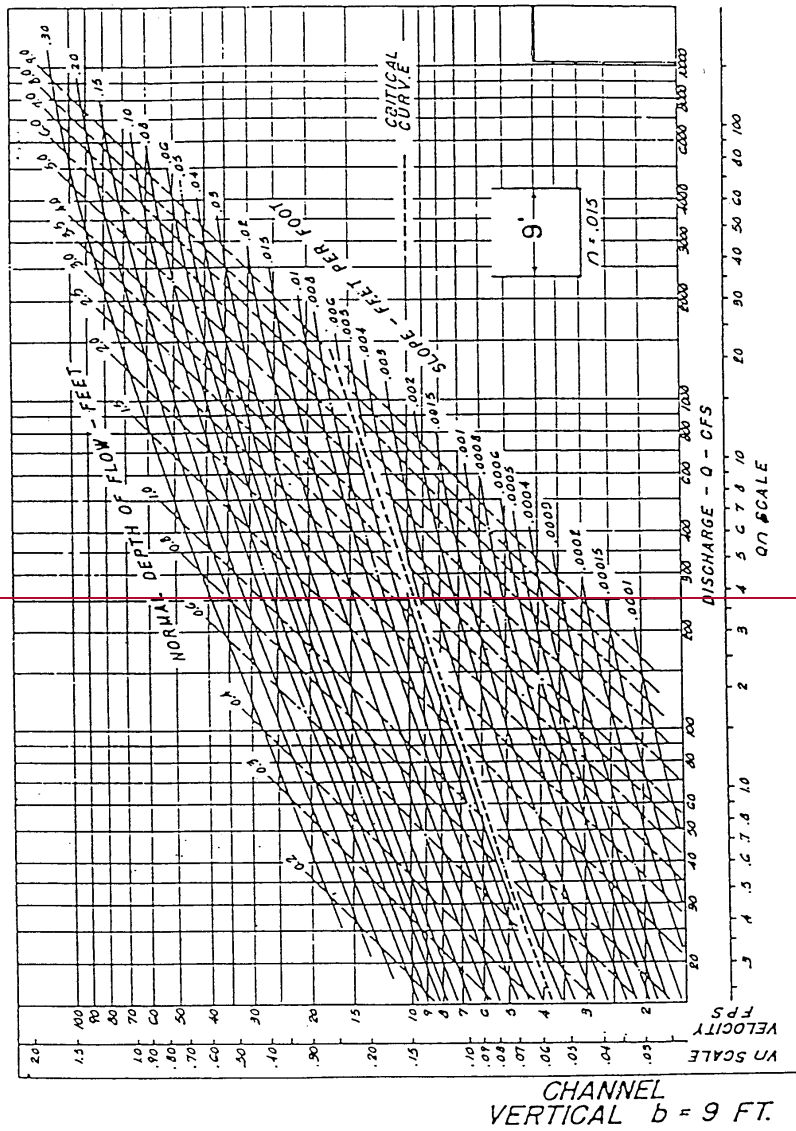


CHANNEL
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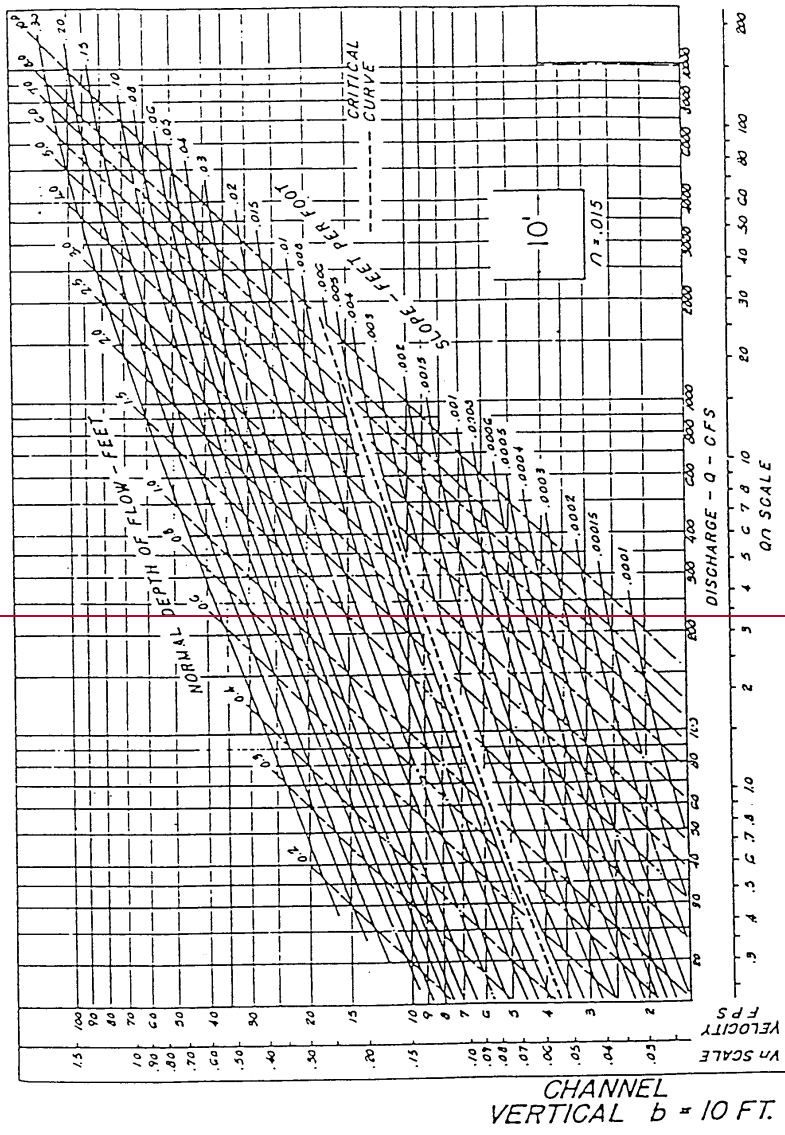
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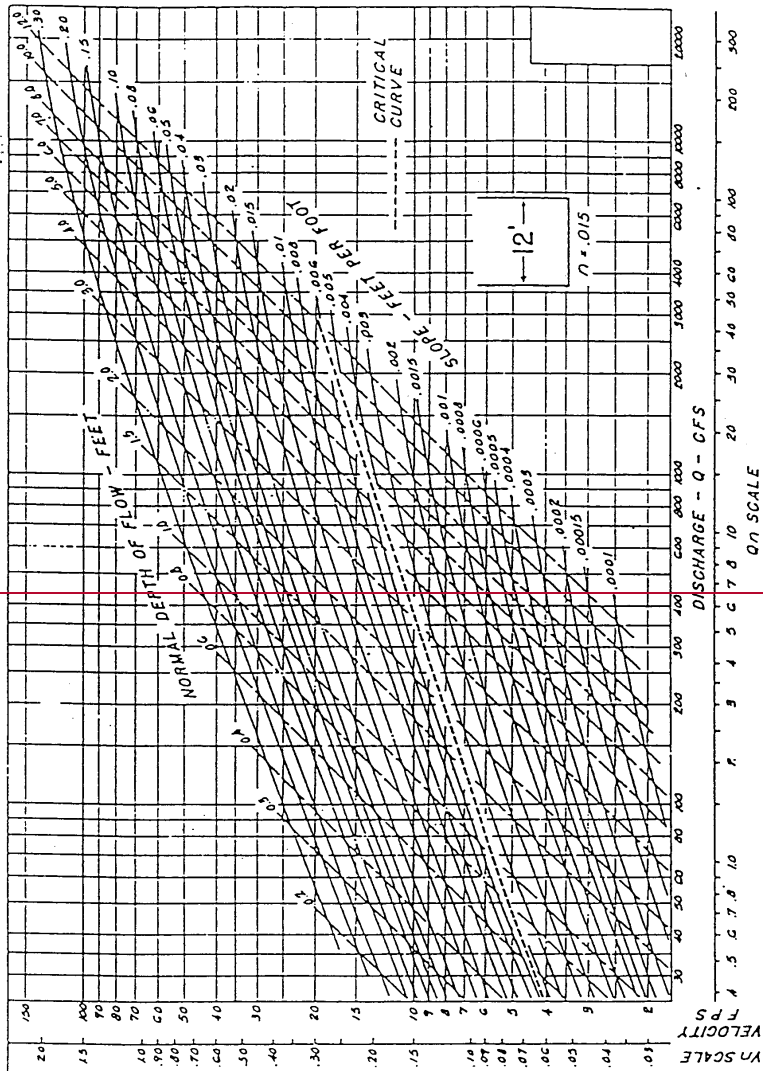
Source: Federal Highway Administration



Source: Federal Highway Administration

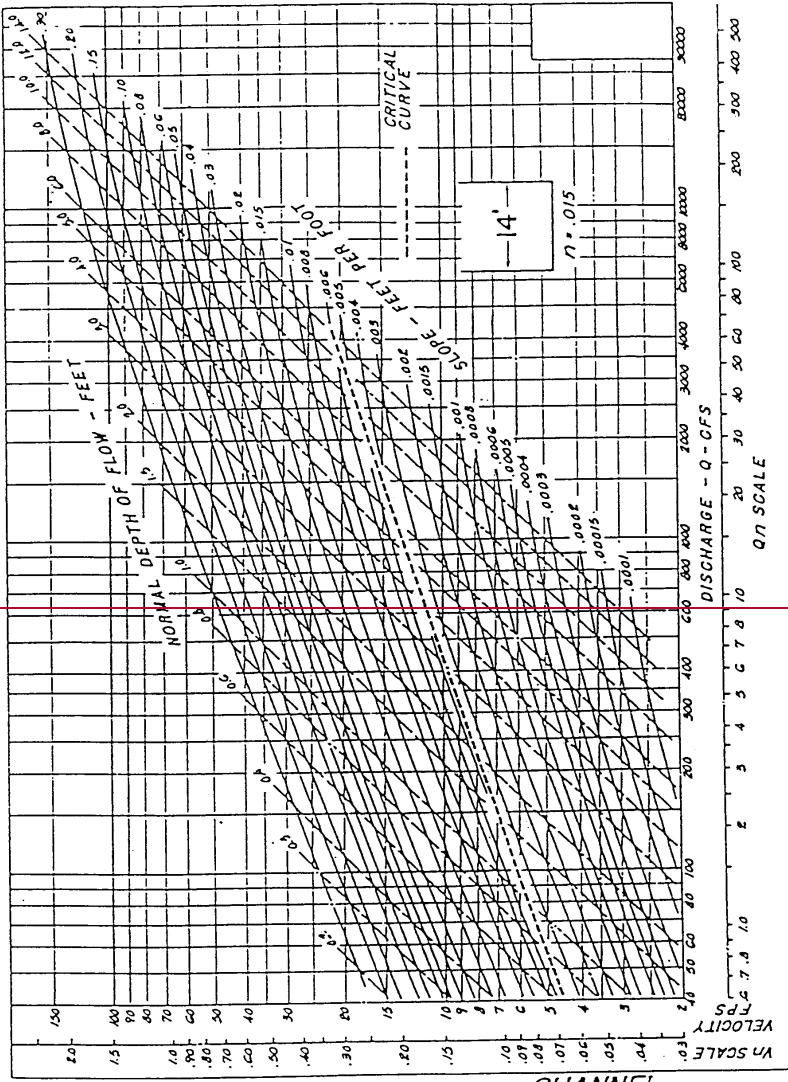


Source: Federal Highway Administration



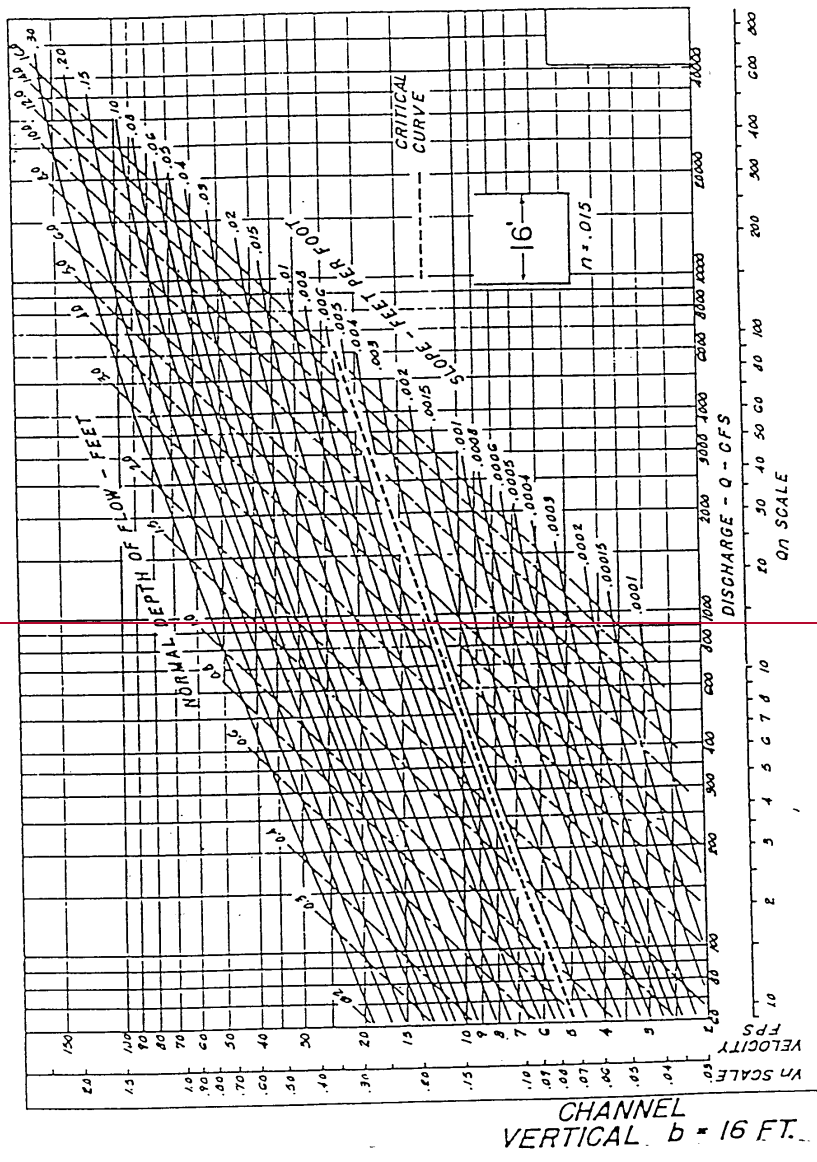
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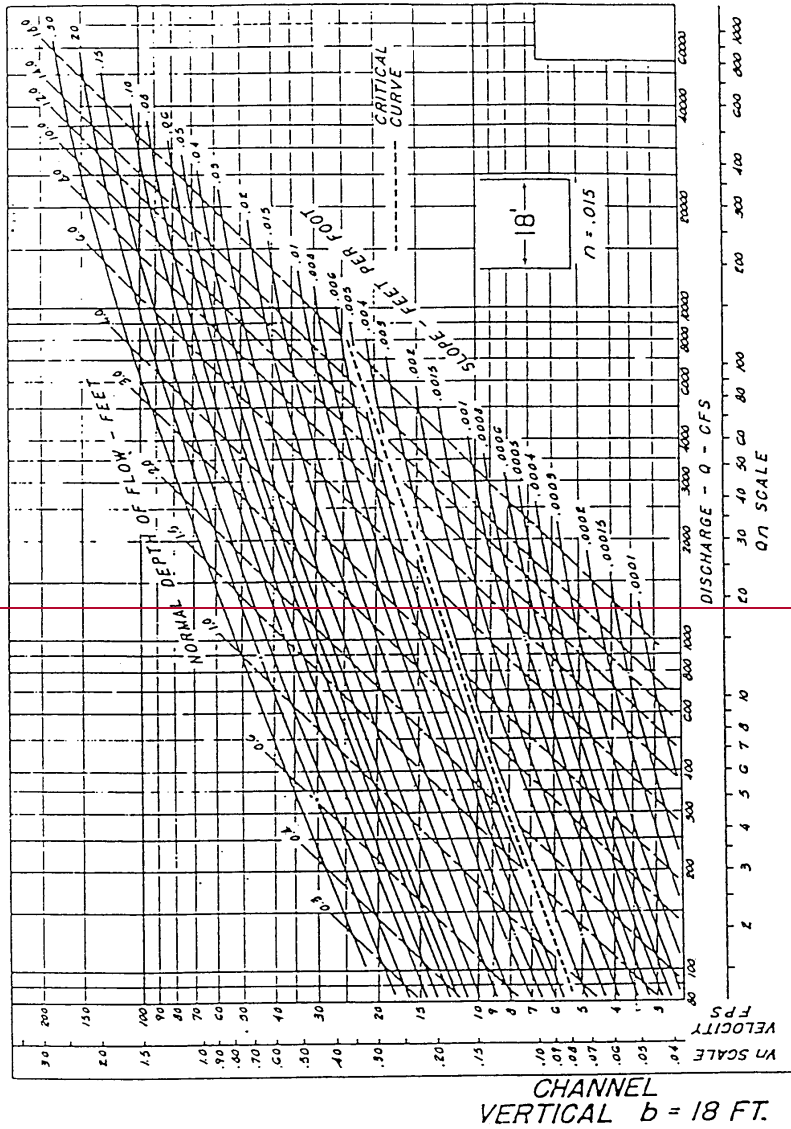


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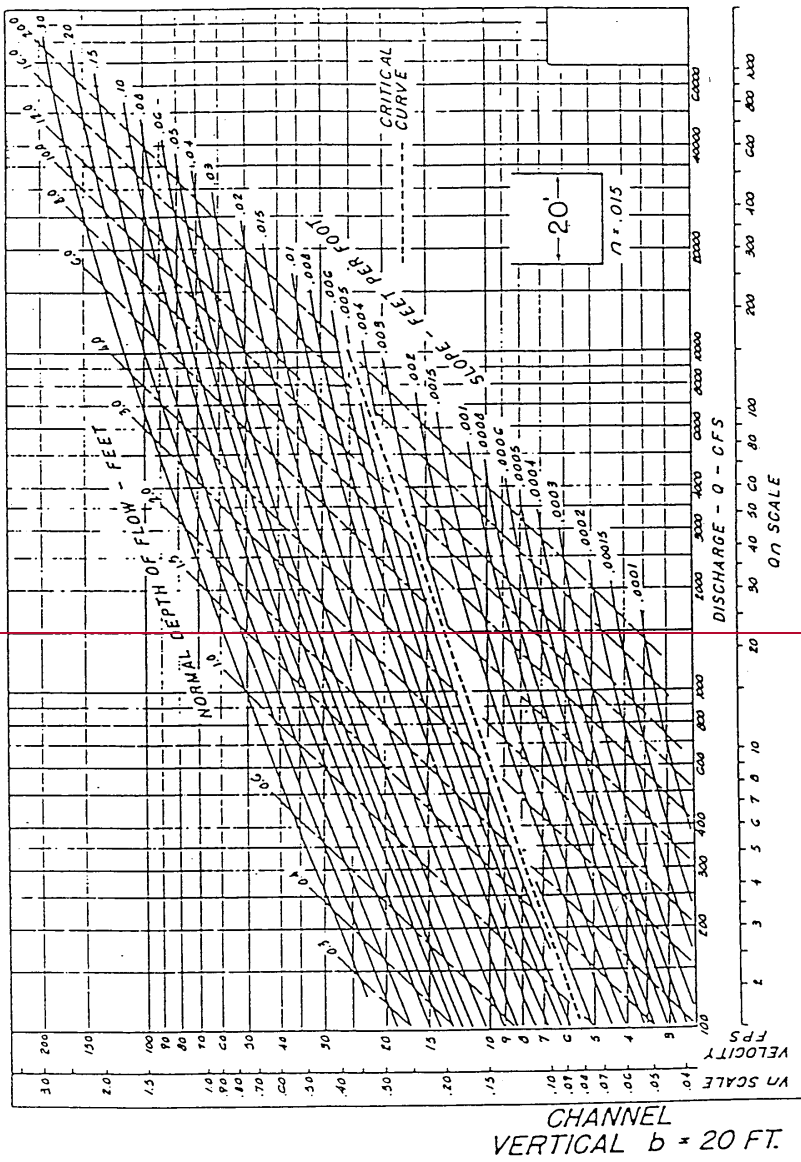
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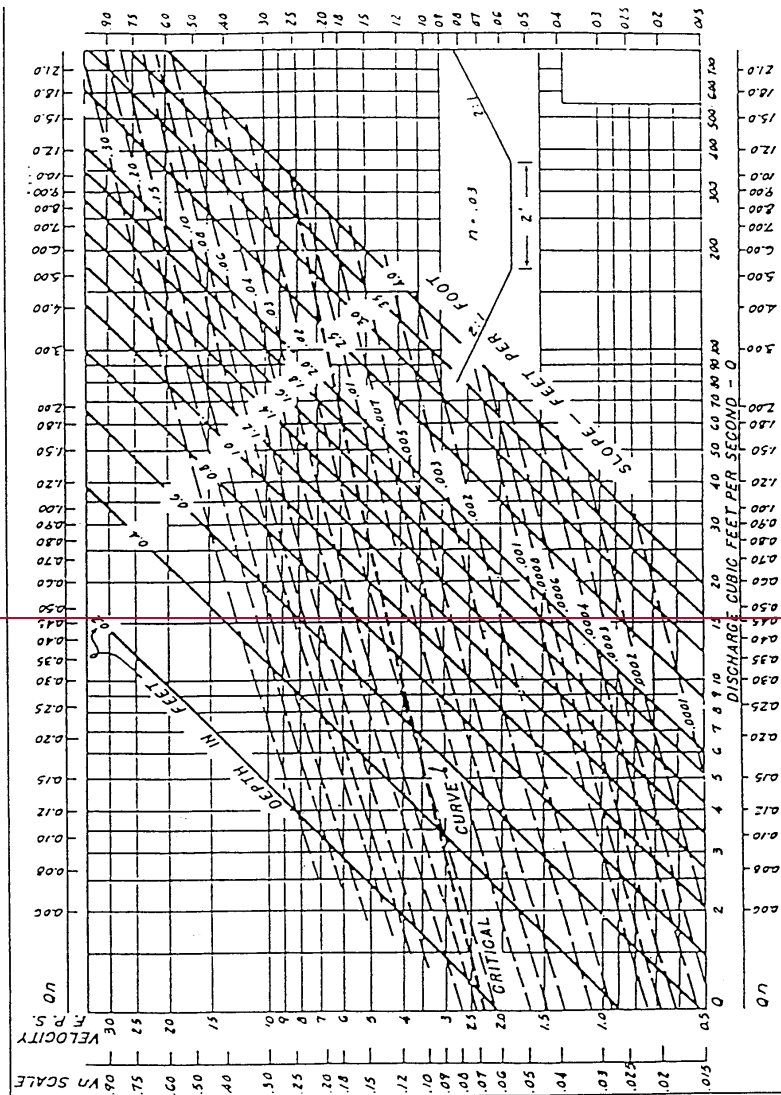
Source: Federal Highway Administration



Source: Federal Highway Administration

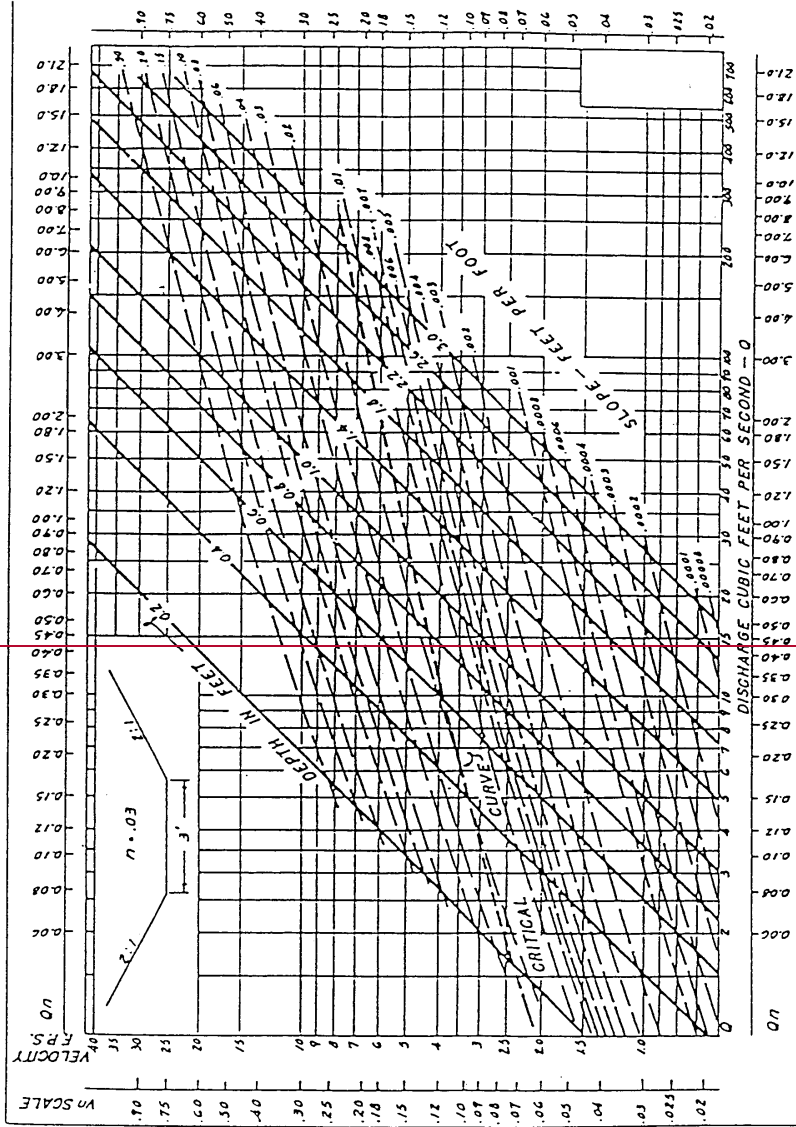


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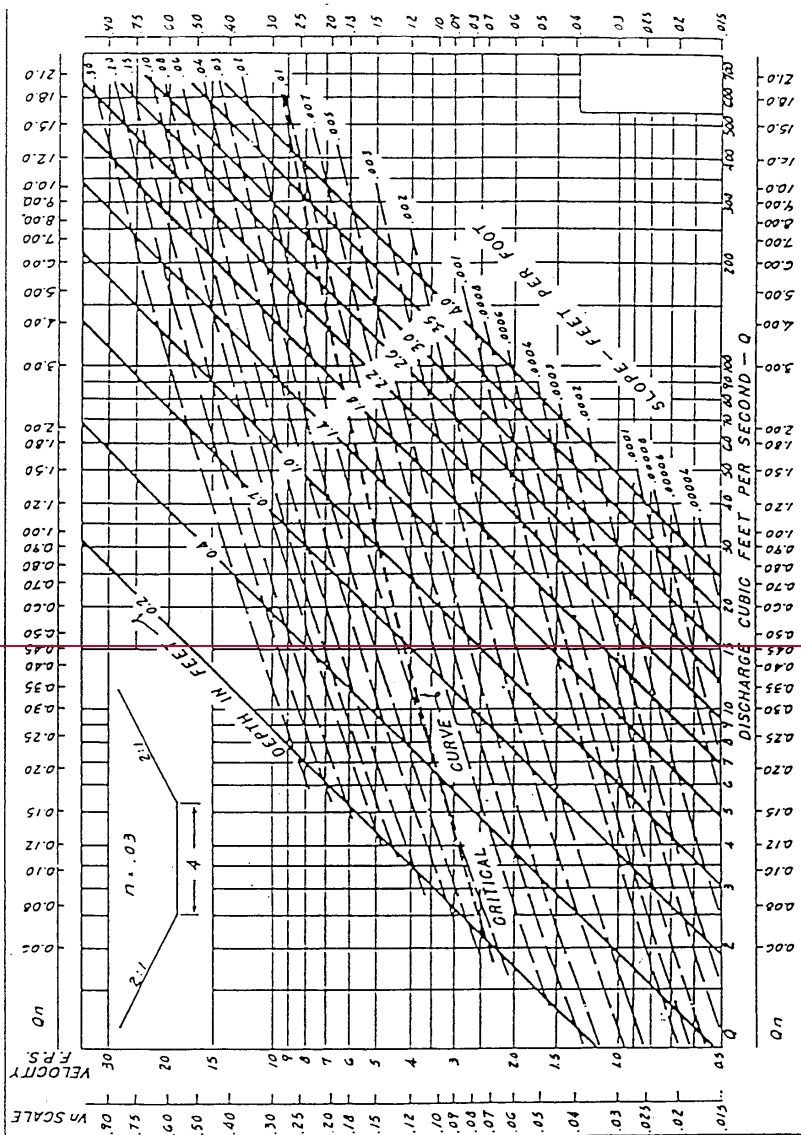
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Source: Federal Highway Administration



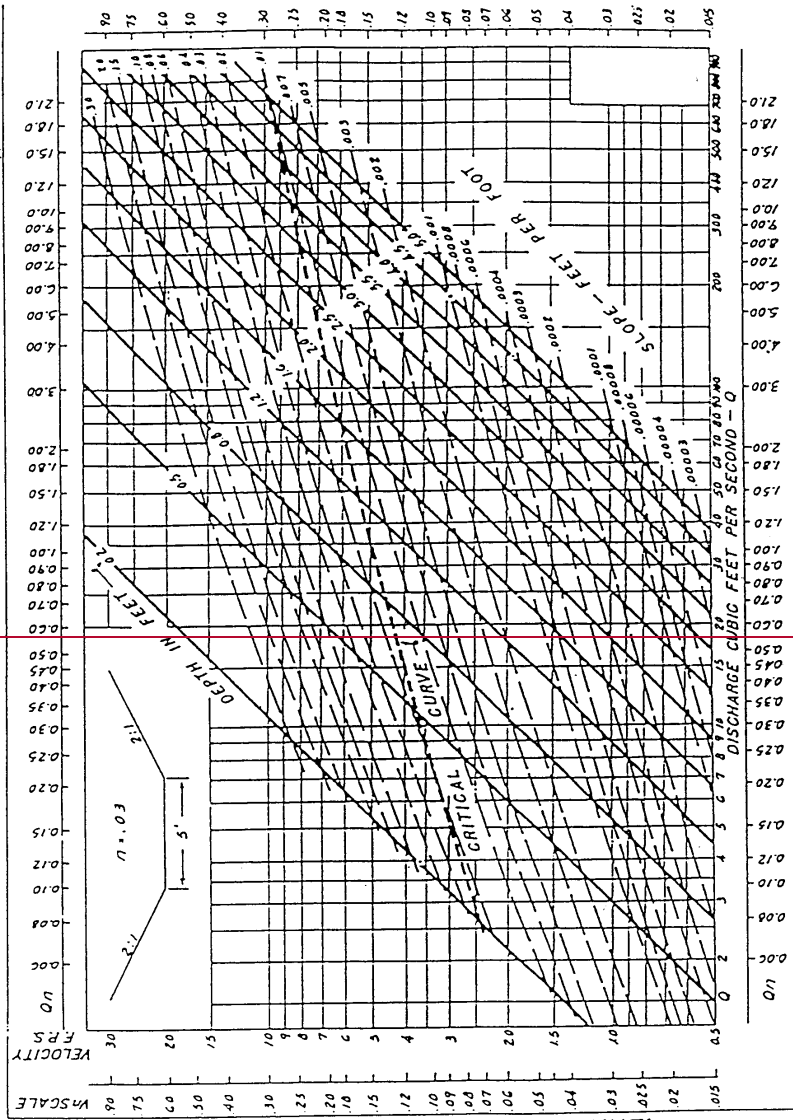
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Source: Federal Highway Administration



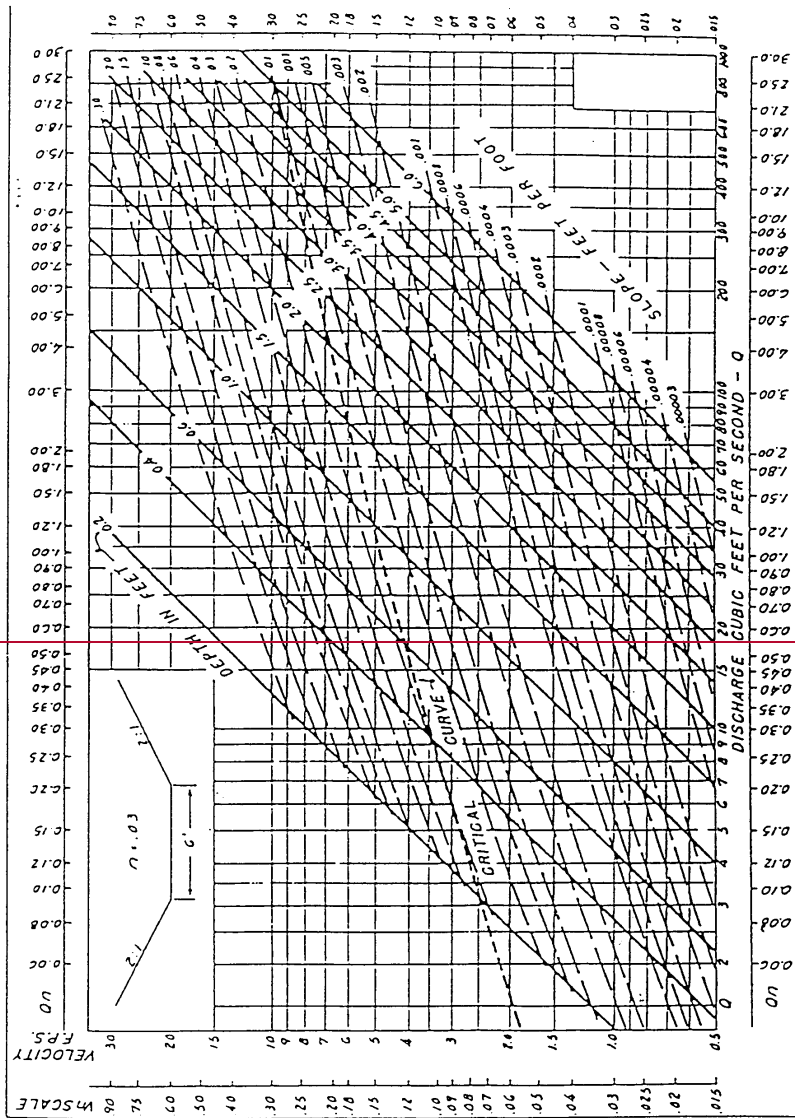
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Source: Federal Highway Administration



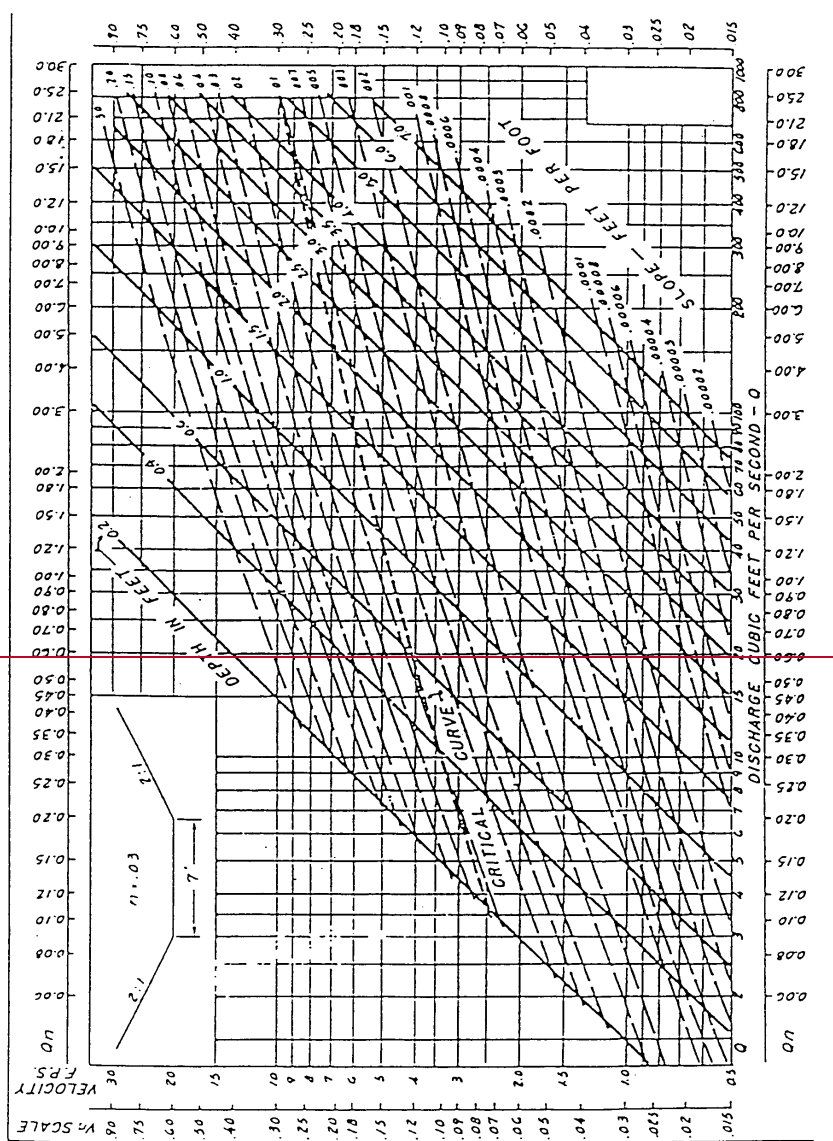
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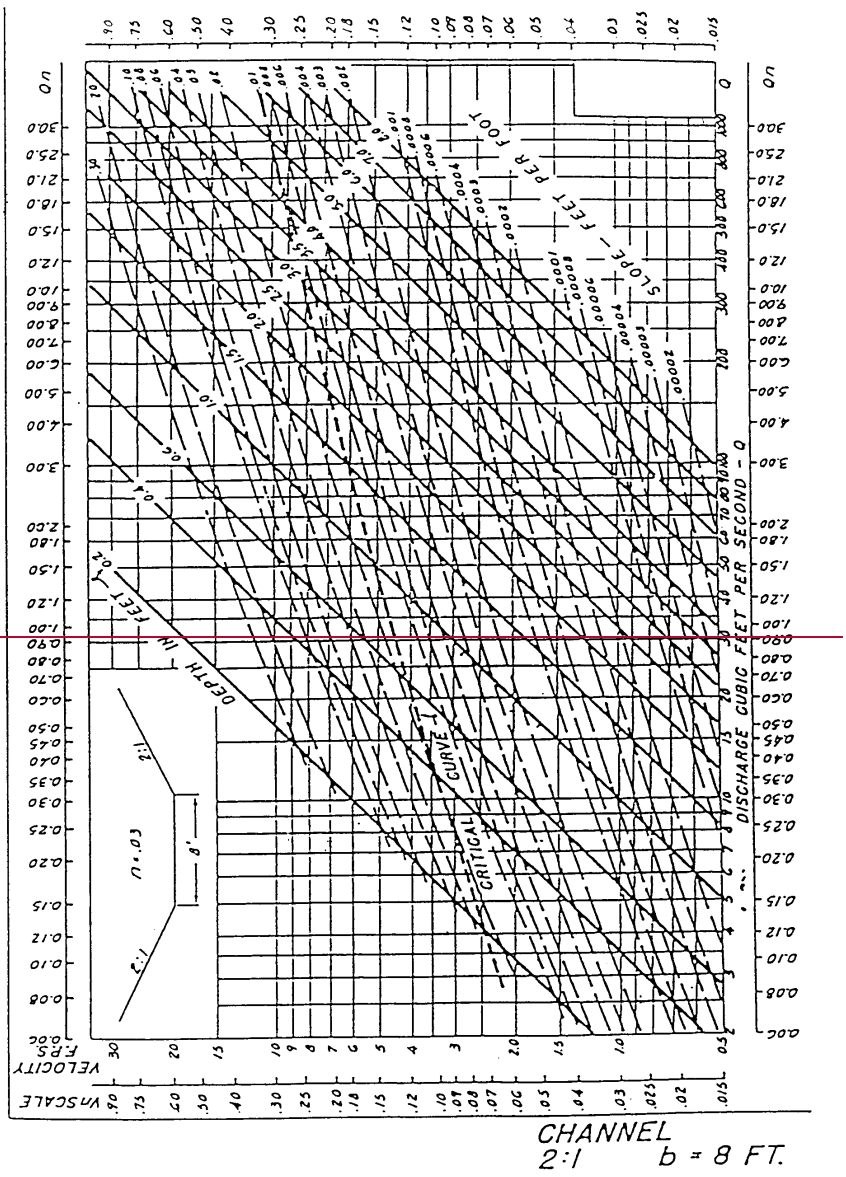
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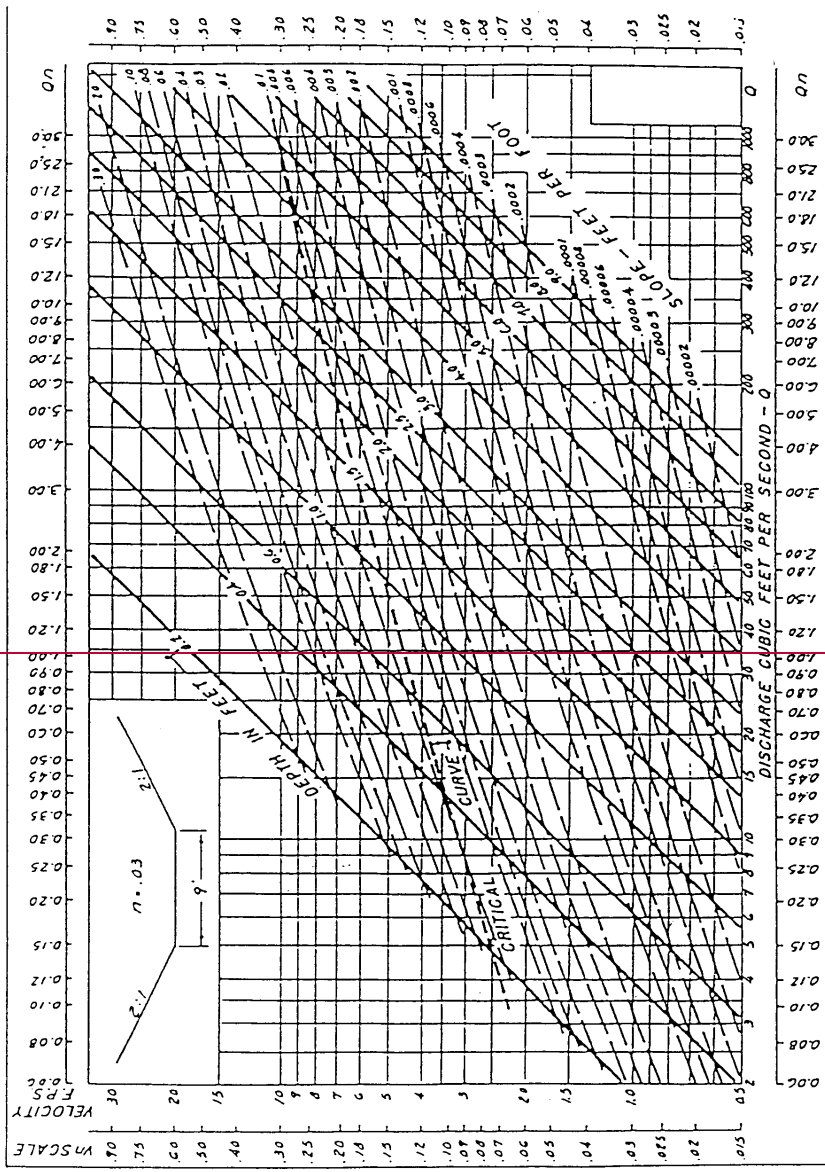


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Source: Federal Highway Administration

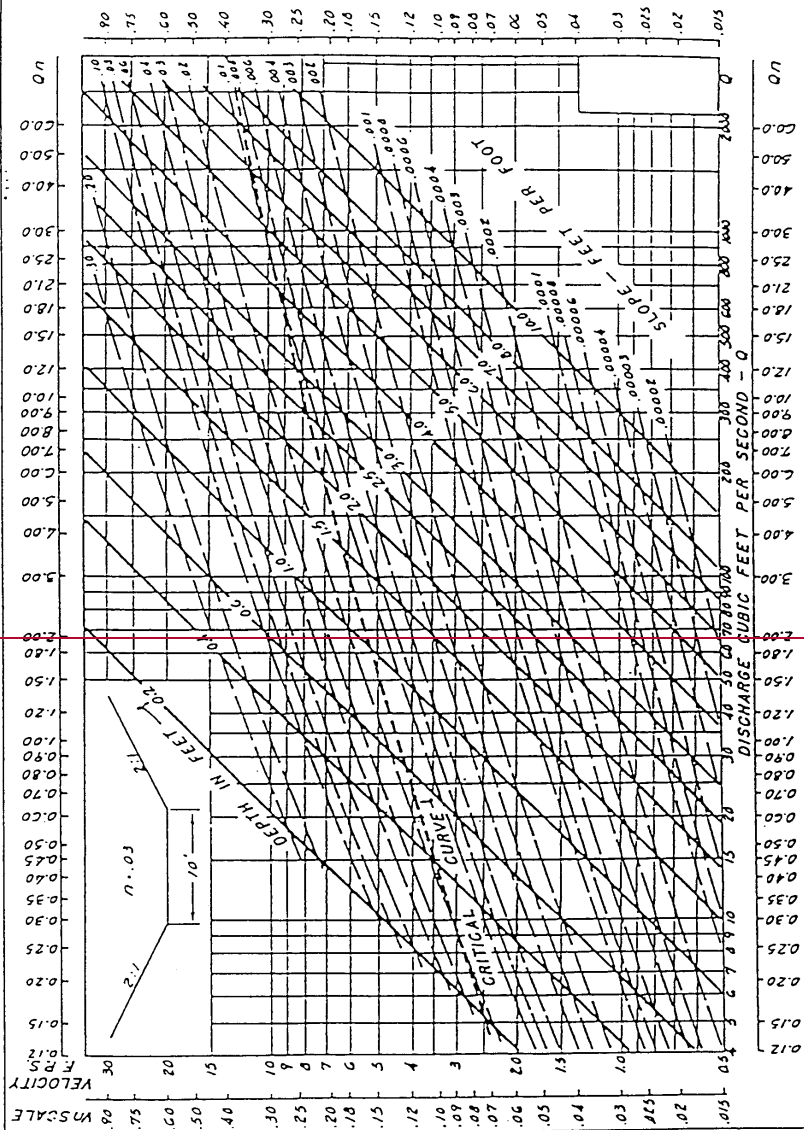


Source: Federal Highway Administration



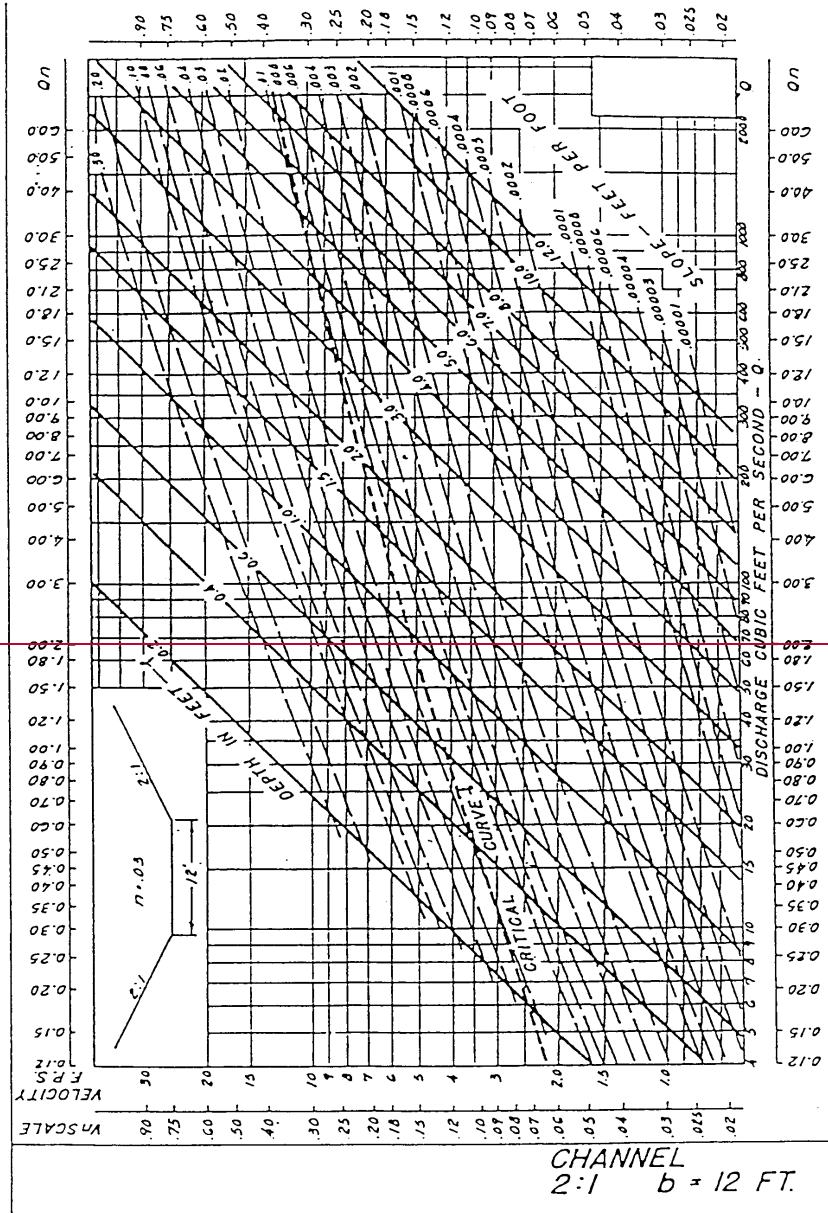
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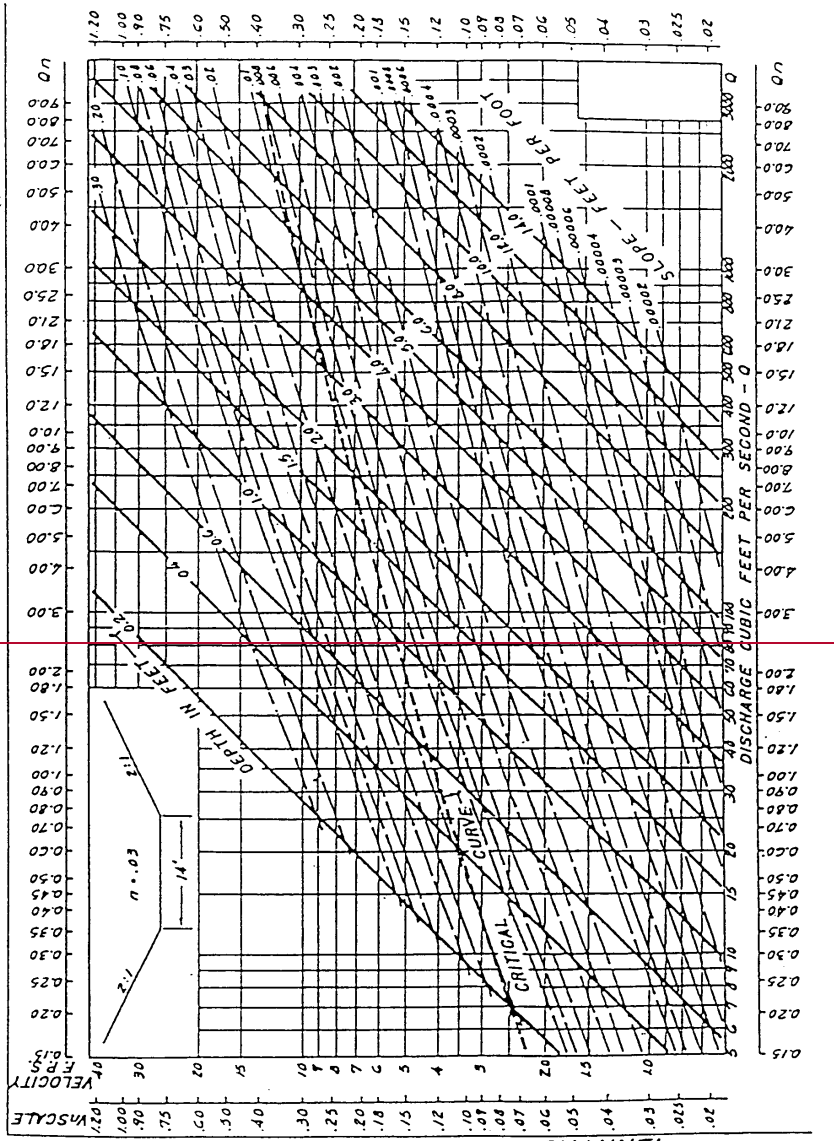


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2:1 $b = 10$ FT.

Source: Federal Highway Administration

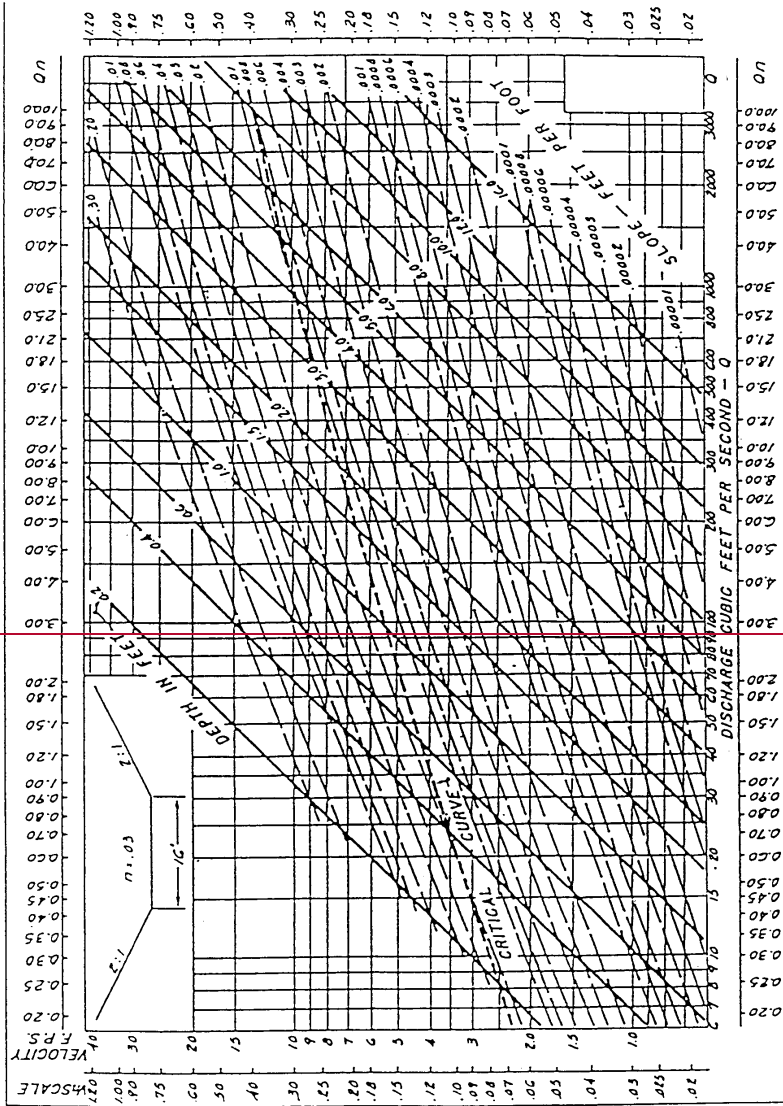


Source: Federal Highway Administration



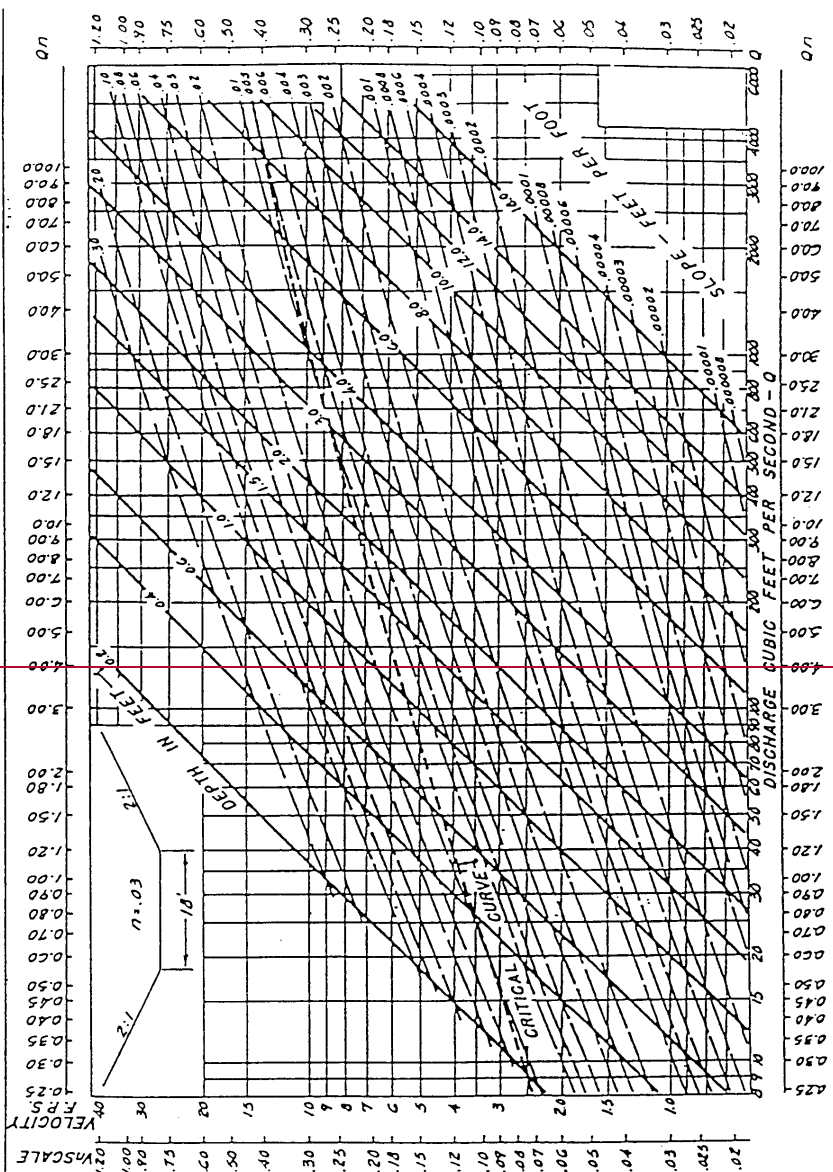
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Source: Federal Highway Administration



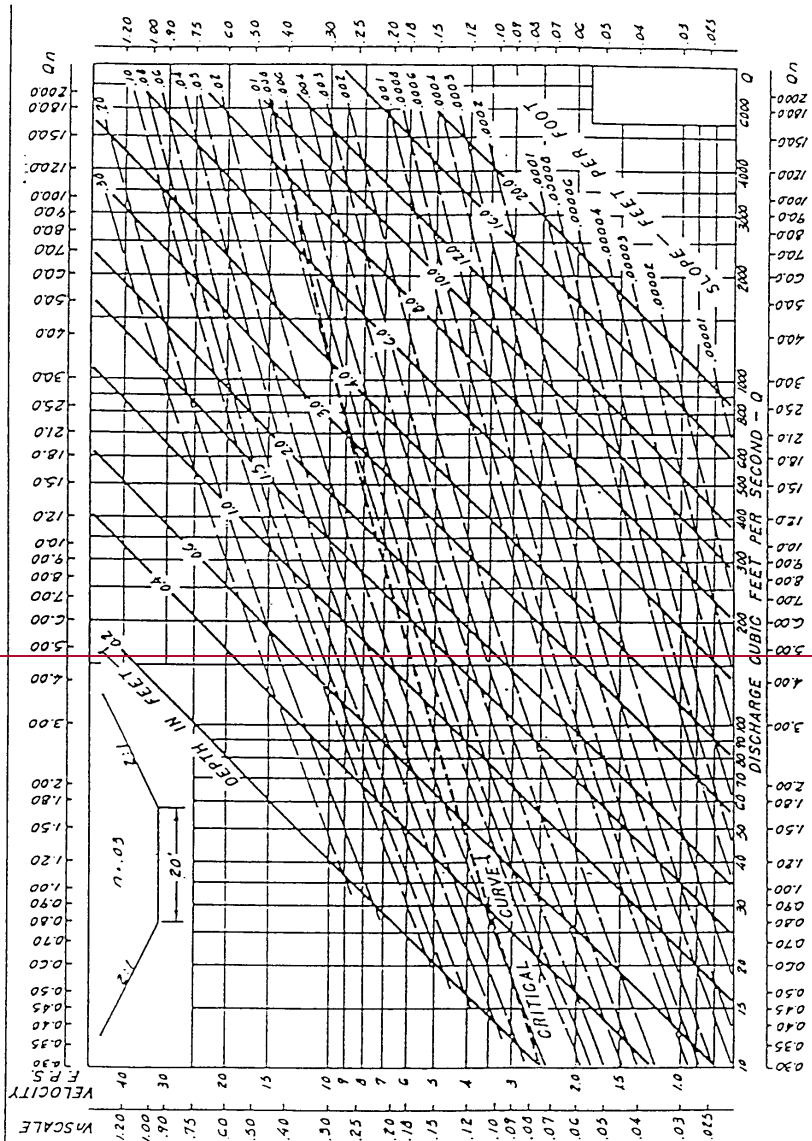
CHANNEL
2:1 b = 16 FT.

Source: Federal Highway Administration



CHANNEL
2:1 b = 18 FT.

Source: Federal Highway Administration

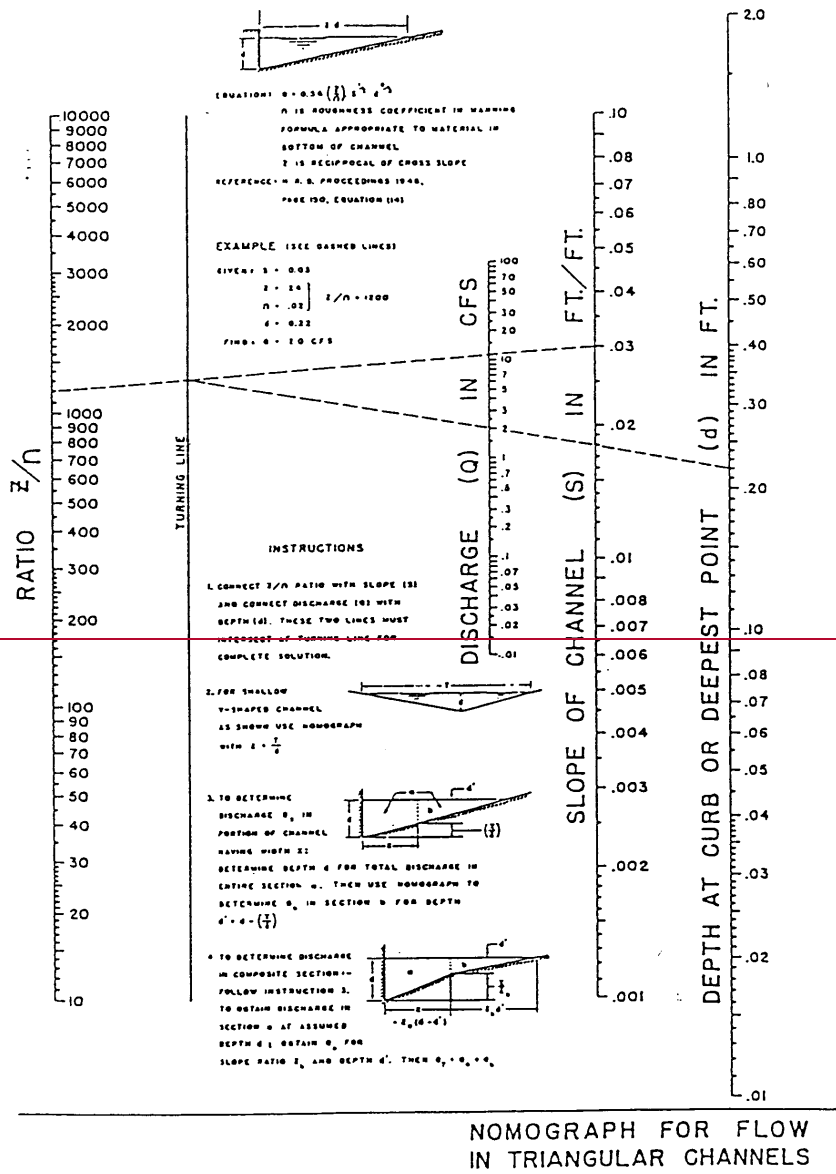


CHANNEL
2:1 b = 20 FT.

Source: Federal Highway Administration

5.4.13 Triangular Channel Nomograph

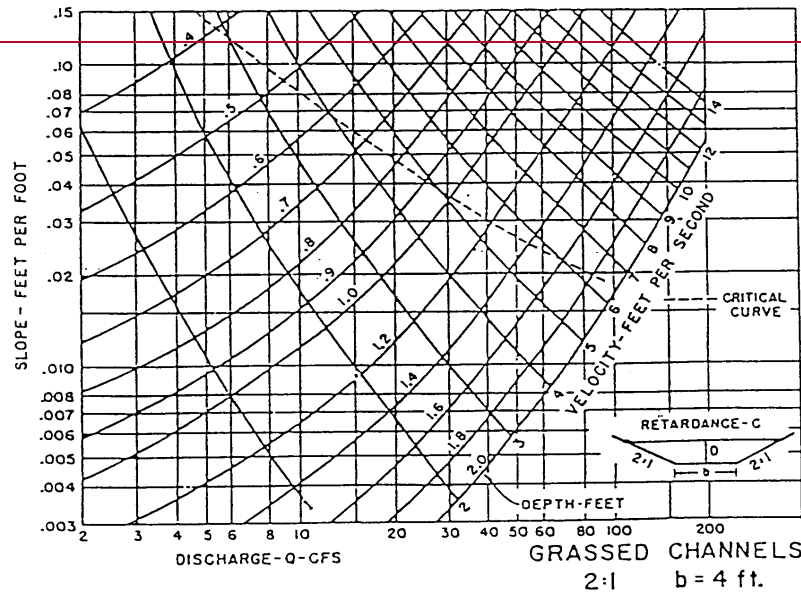
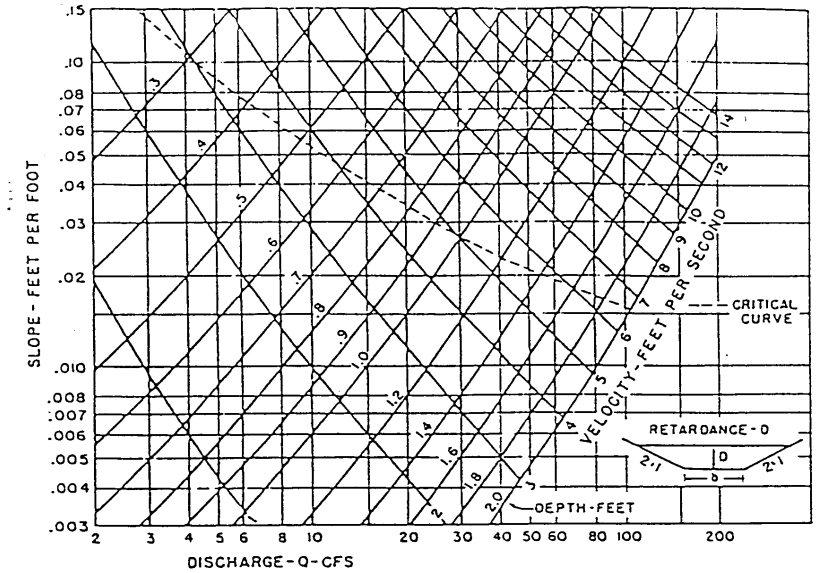
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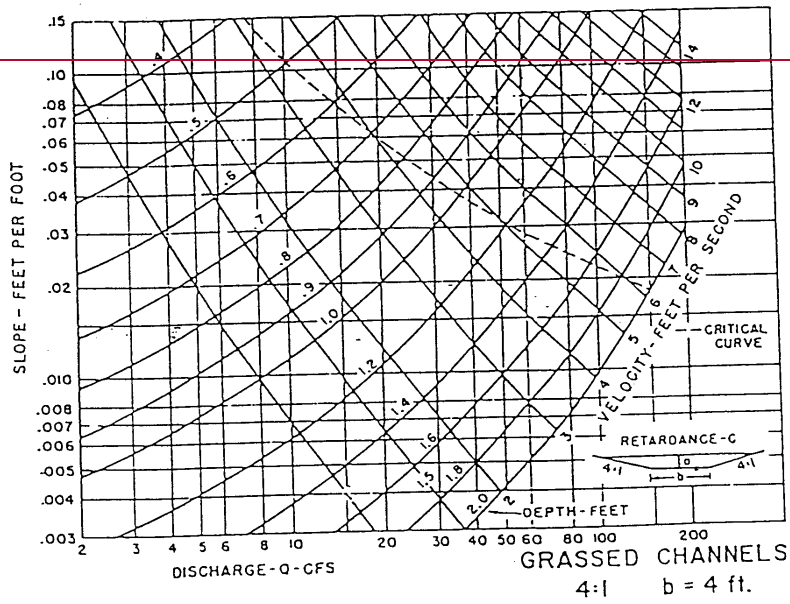
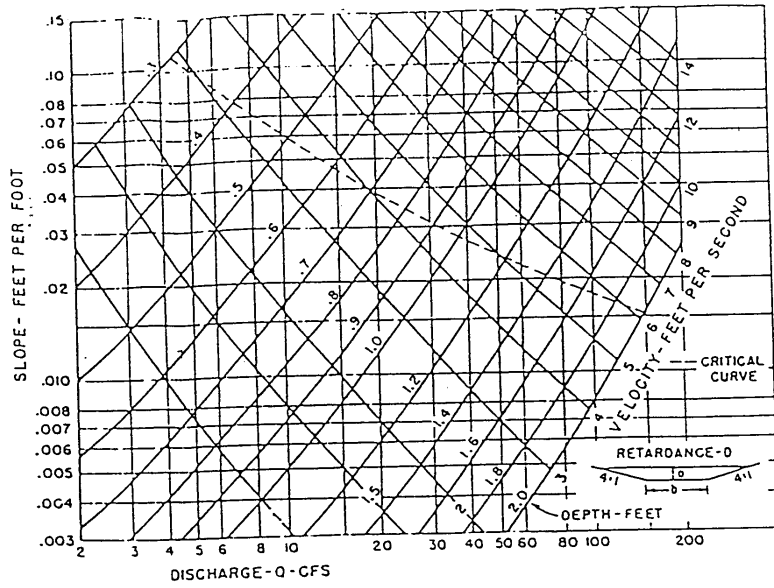
Source: Federal Highway Administration

5.4.14 Grassed Channel Design Figures

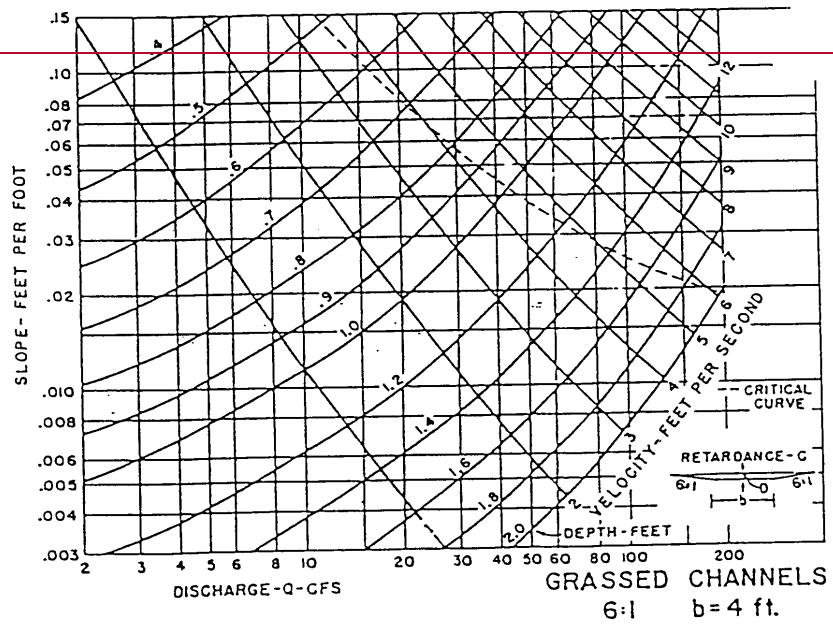
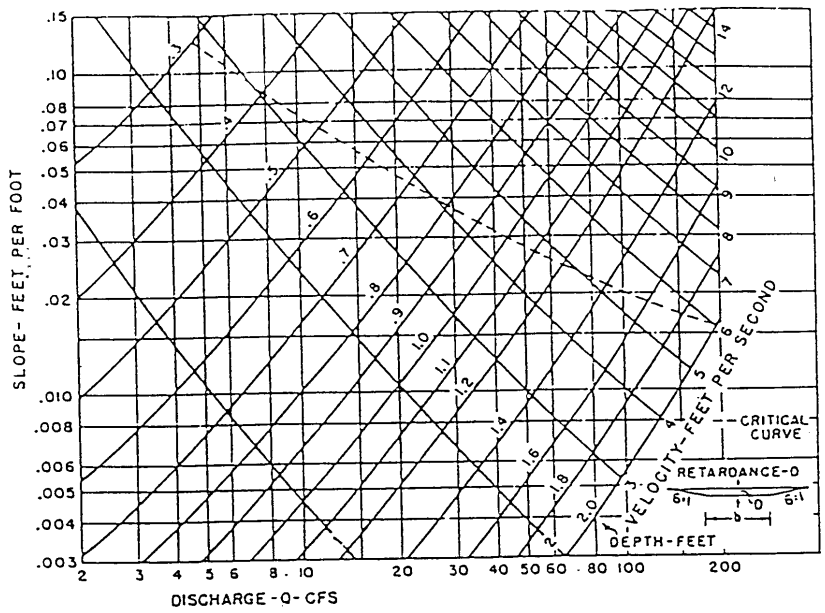
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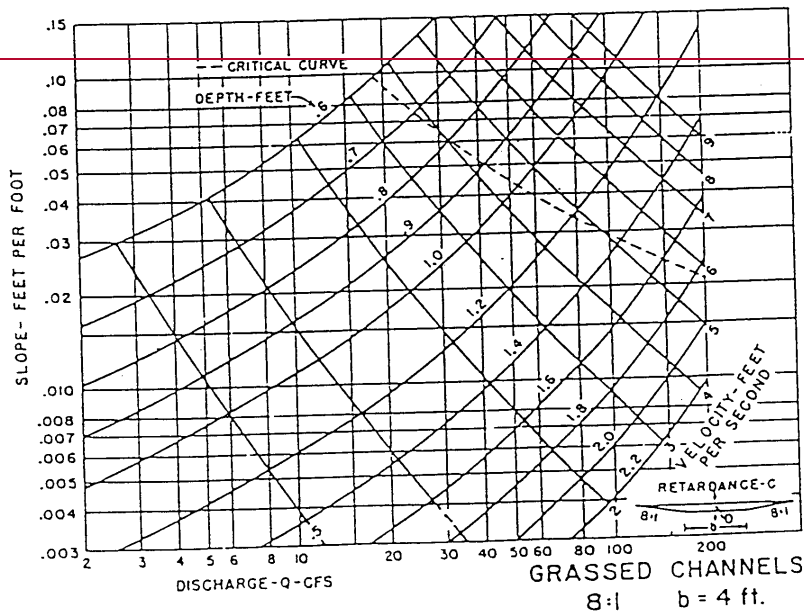
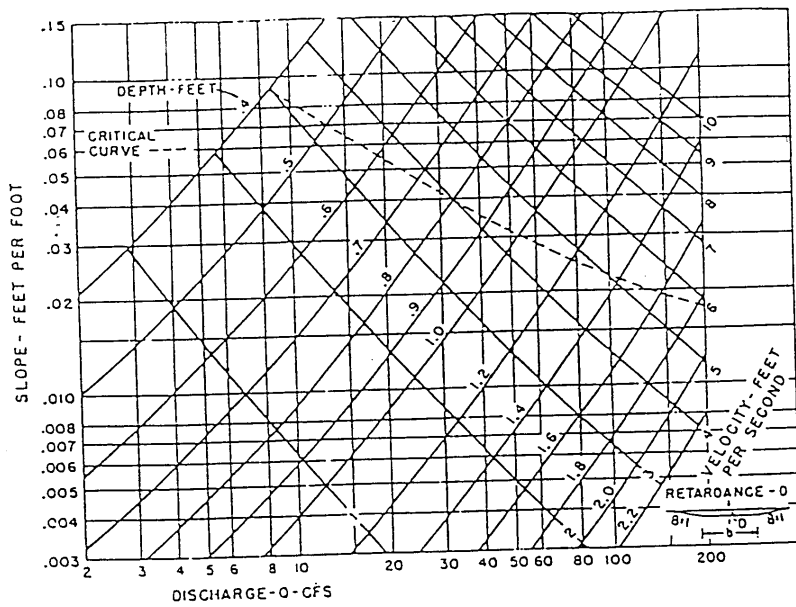
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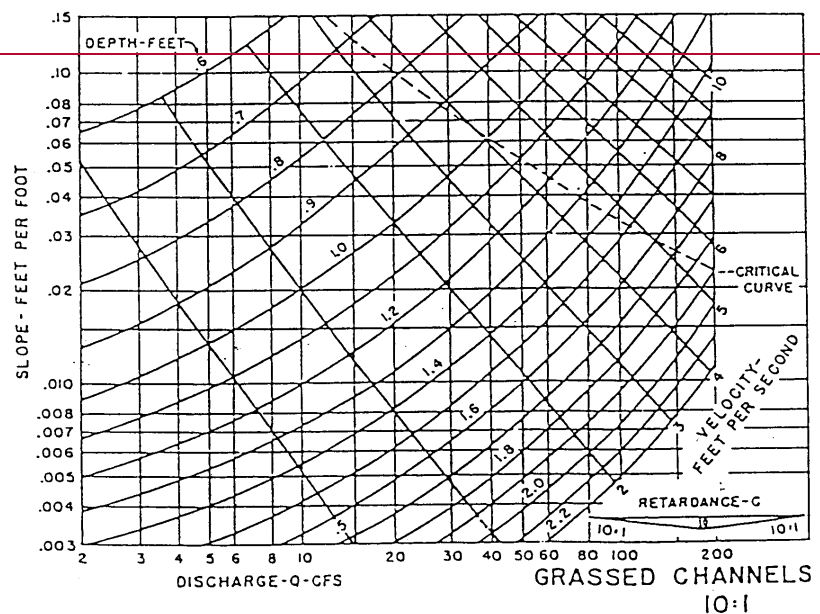
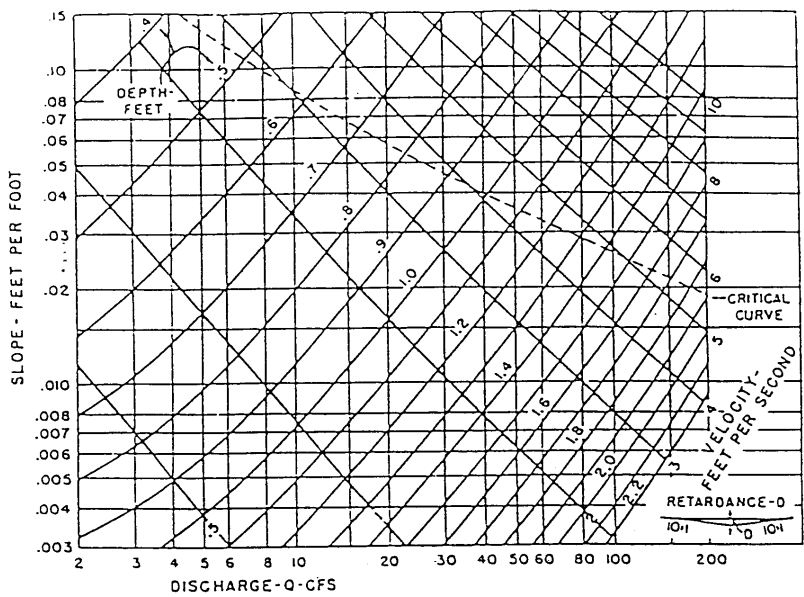
Source: Federal Highway Administration



Source: Federal Highway Administration



Source: Federal Highway Administration



Source: Federal Highway Administration

5.5 ENERGY DISSIPATION DESIGN

5.5.1 Overview

5.5.1.1 Introduction

The outlets of pipes and lined channels are points of critical erosion potential. Stormwater that is transported through man-made conveyance systems at design capacity generally reaches a velocity that exceeds the capacity of the receiving channel or area to resist erosion. To prevent scour at stormwater outlets, protect the outlet structure and minimize the potential for downstream erosion, a flow transition structure is needed to absorb the initial impact of flow and reduce the speed of the flow to a non-erosive velocity.

Energy dissipators are engineered devices such as rip-rap aprons or concrete baffles placed at the outlet of stormwater conveyances for the purpose of reducing the velocity, energy and turbulence of the discharged flow.

5.5.1.2 General Criteria

- Erosion problems at culvert, pipe and engineered channel outlets are common. Determination of the flow conditions, scour potential, and channel erosion resistance shall be standard procedure for all designs.
- Energy dissipators shall be employed whenever the velocity of flows leaving a stormwater management facility exceeds the erosion velocity of the downstream area channel system.
- Energy dissipator designs will vary based on discharge specifics and tailwater conditions.
- Outlet structures should provide uniform redistribution or spreading of the flow without excessive separation and turbulence.

5.5.1.3 Recommended Energy Dissipators

For many designs, the following outlet protection devices and energy dissipators provide sufficient protection at a reasonable cost:

- Riprap apron
- Riprap outlet basins
- Baffled outlets

This section focuses on the design on these measures. The reader is referred to the Federal Highway Administration Hydraulic Engineering Circular No. 14 entitled,

Hydraulic Design of Energy Dissipators for Culverts and Channels, for the design procedures of other energy dissipators.

5.5.2 Symbols and Definitions

To provide consistency within this section as well as throughout this Manual, the symbols listed in Table 45.5-1 will be used. These symbols were selected because of their wide use. In some cases, the same symbol is used in existing publications for more than one definition. Where this occurs in this section, the symbol will be defined where it occurs in the text or equations.

Table 45.5-1 Symbols and Definitions

<u>Symbol</u>	<u>Definition</u>	<u>Units</u>
A	Cross-sectional area	ft ²
D	Height of box culvert	ft
d ₅₀	Size of riprap	ft
d _w	Culvert width	ft
Fr	Froude Number	-
g	Acceleration of gravity	ft/s ²
h _s	Depth of dissipator pool	ft
L	Length	ft
L _a	Riprap apron length	ft
L _B	Overall length of basin	ft
L _s	Length of dissipator pool	ft
PI	Plasticity index	-
Q	Rate of discharge	cfs
S _v	Saturated shear strength	lbs/in ²
t	Time of scour	min.
t _c	Critical tractive shear stress	lbs/in ²
TW	Tailwater depth	ft
V _L	Velocity L feet from brink	ft/s
V _o	Normal velocity at brink	ft/s
V _o	Outlet mean velocity	ft/s
V _s	Volume of dissipator pool	ft ²
W _o	Diameter or width of culvert	ft
W _s	Width of dissipator pool	ft
y _e	Hydraulic depth at brink	ft
y _o	Normal flow depth at brink	ft

5.5.3 Design Guidelines

(1) If outlet protection is required, choose an appropriate type. Suggested outlet protection facilities and applicable flow conditions (based on Froude number and dissipation velocity) are described below:

- a. Riprap aprons may be used when the outlet Froude number (Fr) is less than

or equal to 2.5. In general, riprap aprons prove economical for transitions from culverts to overland sheet flow at terminal outlets, but may also be used for transitions from culvert sections to stable channel sections. Stability of the surface at the termination of the apron should be considered.

- b. Riprap outlet basins may also be used when the outlet Fr is less than or equal to 2.5. They are generally used for transitions from culverts to stable channels. Since riprap outlet basins function by creating a hydraulic jump to dissipate energy, performance is impacted by tailwater conditions.
 - c. Baffled outlets have been used with outlet velocities up to 50 feet per second. Practical application typically requires an outlet Fr between 1 and 9. Baffled outlets may be used at both terminal outlet and channel outlet transitions. They function by dissipating energy through impact and turbulence and are not significantly affected by tailwater conditions.
- (2) When outlet protection facilities are selected, appropriate design flow conditions and site-specific factors affecting erosion and scour potential, construction cost, and long-term durability should be considered.
- (3) If outlet protection is not provided, energy dissipation will occur through formation of a local scourhole. A cutoff wall will be needed at the discharge outlet to prevent structural undermining. The wall depth should be slightly greater than the computed scourhole depth, h_s . The scourhole should then be stabilized. If the scourhole is of such size that it will present maintenance, safety, or aesthetic problems, other outlet protection will be needed.
- (4) Evaluate the downstream channel stability and provide appropriate erosion protection if channel degradation is expected to occur. Figure 4.5.5-1 provides the riprap size recommended for use downstream of energy dissipators.

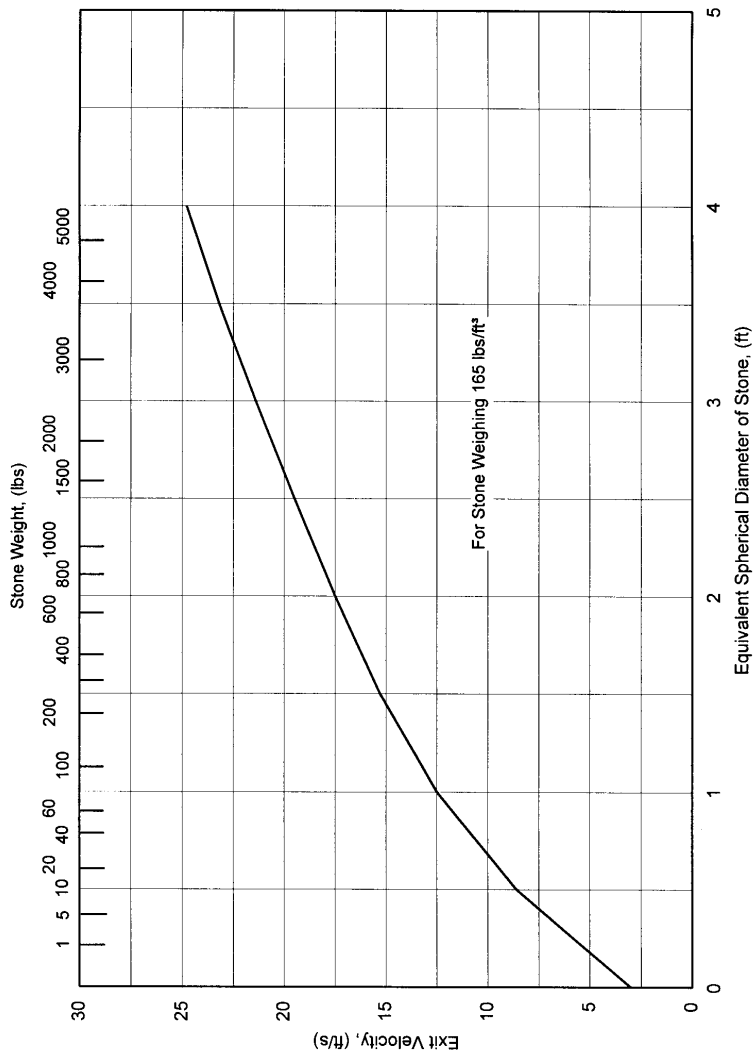


Figure 45.5-1 Riprap Size for Use Downstream of Energy Dissipator
 (Source: Searcy, 1967)

5.5.4 Riprap Aprons

5.5.4.1 Description

A riprap-lined apron is a commonly used practice for energy dissipation because of its relatively low cost and ease of installation. A flat riprap apron can be used to prevent erosion at the transition from a pipe or box culvert outlet to a natural channel. Protection is provided primarily by having sufficient length and flare to dissipate energy by expanding the flow. Riprap aprons are appropriate when the culvert outlet Fr is less than or equal to 2.5.

5.5.4.2 Design Procedure

The procedure presented in this section is taken from USDA, SCS (1975). Two sets of curves, one for minimum and one for maximum tailwater conditions, are used to determine the apron size and the median riprap diameter, d_{50} . If tailwater conditions are unknown, or if both minimum and maximum conditions may occur, the apron should be designed to meet criteria for both. Although the design curves are based on round pipes flowing full, they can be used for partially full pipes and box culverts. The design procedure consists of the following steps:

- (Step 1) If possible, determine tailwater conditions for the channel. If tailwater is less than one-half the discharge flow depth (pipe diameter if flowing full), minimum tailwater conditions exist and the curves in Figure 45.5-2 apply. Otherwise, maximum tailwater conditions exist and the curves in Figure 45.5-3 should be used.
- (Step 2) Determine the correct apron length and median riprap diameter, d_{50} , using the appropriate curves from Figures 45.5-2 and 45.5-3. If tailwater conditions are uncertain, find the values for both minimum and maximum conditions and size the apron as shown in Figure 45.5-4.

a. *For pipes flowing full:*

Use the depth of flow, d , which equals the pipe diameter, in feet, and design discharge, in cfs, to obtain the apron length, L_a , and median riprap diameter, d_{50} , from the appropriate curves.

b. *For pipes flowing partially full:*

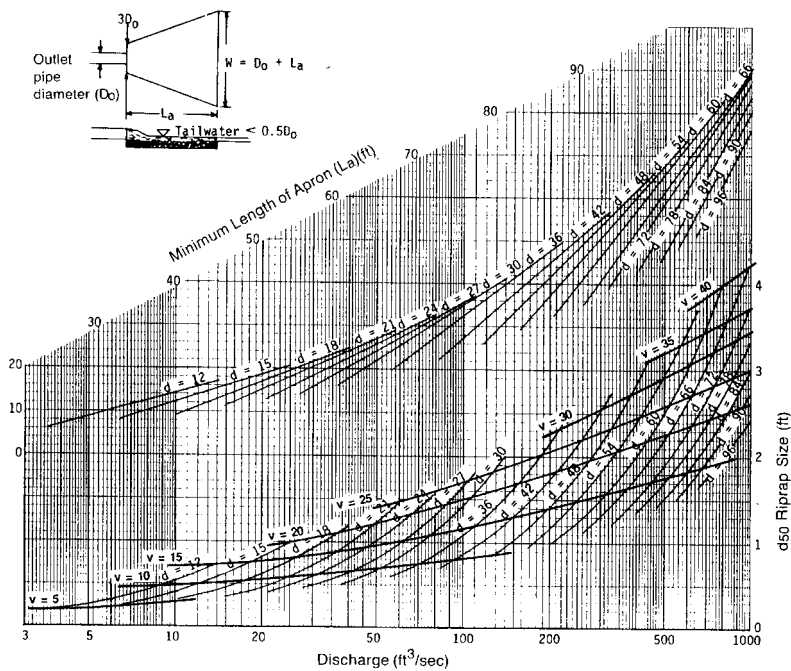
Use the depth of flow, d , in feet, and velocity, v , in ft/s. On the lower portion of the appropriate figure, find the intersection of the d and v curves, then find the riprap median diameter, d_{50} , from the scale on the right. From the lower d and v intersection point, move vertically to the upper curves until intersecting the curve for the correct flow depth, d . Find the minimum apron length, L_a , from the scale on the left.

c. *For box culverts:*

Use the depth of flow, d , in feet, and velocity, v , in feet/second. On the lower portion of the appropriate figure, find the intersection of the d and v curves, then find the riprap median diameter, d_{50} , from the scale on the right. From the lower d and v intersection point, move vertically to the upper curve until intersecting the curve equal to the flow depth, d . Find the minimum apron

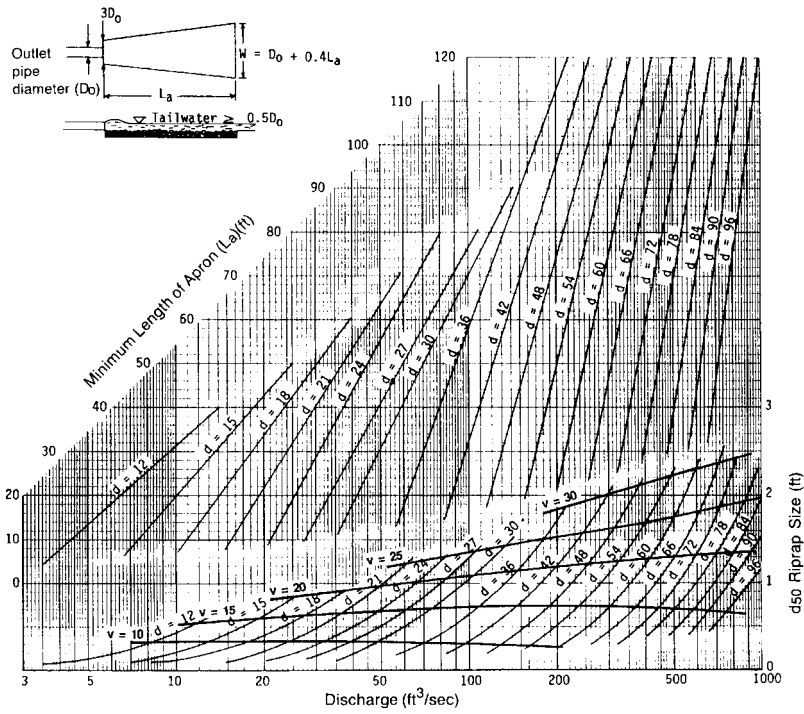
length, L_a , using the scale on the left.

(Step 3) If tailwater conditions are uncertain, the median riprap diameter should be the larger of the values for minimum and maximum conditions. The dimensions of the apron will be as shown in Figure 45.5-4. This will provide protection under either of the tailwater conditions.



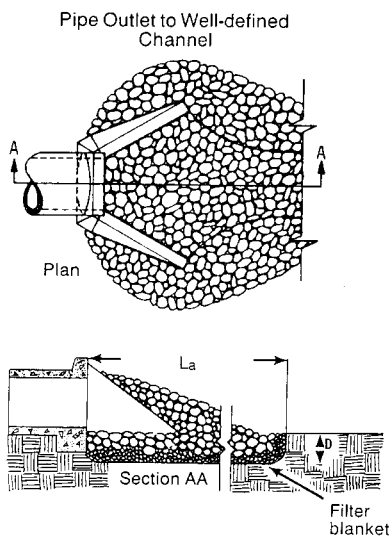
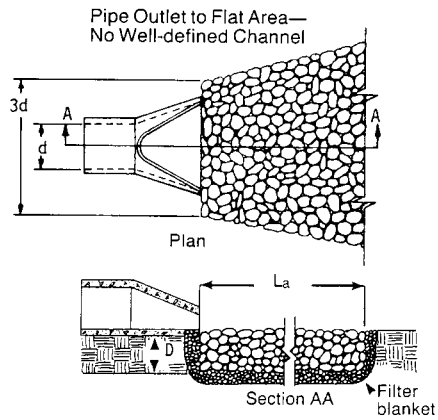
Curves may not be extrapolated.

Figure 45.5-2 Design of Riprap Apron under Minimum Tailwater Conditions
(Source: USDA, SCS, 1975)



Curves may not be extrapolated.

Figure 45.5-3 Design of Riprap Apron under Maximum Tailwater Conditions
(Source: USDA, SCS, 1975)



Notes

1. L_a is the length of the riprap apron.
2. $D = 1.5$ times the maximum stone diameter but not less than 6".
3. In a well-defined channel extend the apron up the channel banks to an elevation of 6" above the maximum tailwater depth or to the top of the bank, whichever is less.
4. A filter blanket or filter fabric should be installed between the riprap and soil foundation.

Figure 45.5-4 Riprap Apron
(Source: Manual for Erosion and Sediment Control in Georgia, 1996)

5.5.4.3 Design Considerations

The following items should be considered during riprap apron design:

- The maximum stone diameter should be 1.5 times the median riprap diameter.
 $d_{\max} = 1.5 \times d_{50}$, d_{50} = the median stone size in a well-graded riprap apron.
- The riprap thickness should be 1.5 times the maximum stone diameter or 6 inches, whichever is greater. Apron thickness = $1.5 \times d_{\max}$ (Apron thickness may be reduced to $1.5 \times d_{50}$ when an appropriate filter fabric is used under the apron.)
- The apron width at the discharge outlet should be at least equal to the pipe diameter or culvert width, d_w . Riprap should extend up both sides of the apron and around the end of the pipe or culvert at the discharge outlet at a maximum slope of 2:1 and a height not less than the pipe diameter or culvert height, and should taper to the flat surface at the end of the apron.
- If there is a well-defined channel, the apron length should be extended as necessary so that the downstream apron width is equal to the channel width. The sidewalls of the channel should not be steeper than 2:1.
- If the ground slope downstream of the apron is steep, channel erosion may occur. The apron should be extended as necessary until the slope is gentle enough to prevent further erosion.
- The potential for vandalism should be considered if the rock is easy to carry. If vandalism is a possibility, the rock size must be increased or the rocks held in place using concrete or grout.

5.5.4.4 Example Designs

Example 1 Riprap Apron Design for Minimum Tailwater Conditions

A flow of 280 cfs discharges from a 66-in pipe with a tailwater of 2 ft above the pipe invert. Find the required design dimensions for a riprap apron.

- (1) Minimum tailwater conditions = $0.5 d_o$, $d_o = 66 \text{ in} = 5.5 \text{ ft}$; therefore, $0.5 d_o = 2.75 \text{ ft}$.
- (2) Since $TW = 2 \text{ ft}$, use Figure 45.5-2 for minimum tailwater conditions.
- (3) By Figure 45.5-2, the apron length, L_a , and median stone size, d_{50} , are 38 ft and 1.2 ft, respectively.
- (4) The downstream apron width equals the apron length plus the pipe diameter:
 $W = d + L_a = 5.5 + 38 = 43.5 \text{ ft}$
- (5) Maximum riprap diameter is 1.5 times the median stone size:
 $1.5 (d_{50}) = 1.5 (1.2) = 1.8 \text{ ft}$
- (6) Riprap depth = $1.5 (d_{\max}) = 1.5 (1.8) = 2.7 \text{ ft}$.

Example 2 Riprap Apron Design for Maximum Tailwater Conditions

A concrete box culvert 5.5 ft high and 10 ft wide conveys a flow of 600 cfs at a depth of 5.0 ft. Tailwater depth is 5.0 ft above the culvert outlet invert. Find the design dimensions for a riprap apron.

- (1) Compute $0.5 d_o = 0.5 (5.0) = 2.5$ ft.
- (2) Since $TW = 5.0$ ft is greater than 2.5 ft, use Figure 45.5-3 for maximum tailwater conditions.
 $v = Q/A = [600/(5) (10)] = 12$ ft/s
- (3) On Figure 45.5-3, at the intersection of the curve, $d_o = 60$ in and $v = 12$ ft/s, $d_{50} = 0.4$ ft. Reading up to the intersection with $d = 60$ in, find $L_a = 40$ ft.
- (4) Apron width downstream = $d_w + 0.4 L_a = 10 + 0.4 (40) = 26$ ft.
- (5) Maximum stone diameter = $1.5 d_{50} = 1.5 (0.4) = 0.6$ ft.
- (6) Riprap depth = $1.5 d_{max} = 1.5 (0.6) = 0.9$ ft.

5.5.5 Riprap Basins

5.5.5.1 Description

Another method to reduce the exit velocities from stormwater outlets is through the use of a riprap basin. A riprap outlet basin is a preshaped scourhole lined with riprap that functions as an energy dissipator by forming a hydraulic jump.

5.5.5.2 Basin Features

General details of the basin recommended in this section are shown in Figure 45.5-5. Principal features of the basin are:

- The basin is preshaped and lined with riprap of median size (d_{50}).
- The floor of the riprap basin is constructed at an elevation of h_s below the culvert invert. The dimension h_s is the approximate depth of scour that would occur in a thick pad of riprap of size d_{50} if subjected to design discharge. The ratio of h_s to d_{50} of the material should be between 2 and 4.
- The length of the energy dissipating pool is $10 \times h_s$ or $3 \times W_o$, whichever is larger. The overall length of the basin is $15 \times h_s$ or $4 \times W_o$, whichever is larger.

5.5.5.3 Design Procedure

The following procedure should be used for the design of riprap basins.

- (Step 1) Estimate the flow properties at the brink (outlet) of the culvert. Establish the outlet invert elevation such that $TW/y_o \leq 0.75$ for the design discharge.

(Step 2) For subcritical flow conditions (culvert set on mild or horizontal slope) use Figure 45.5-6 or Figure 45.5-7 to obtain y_0/D , then obtain V_0 by dividing Q by the wetted area associated with y_0 . D is the height of a box culvert. If the culvert is on a steep slope, V_0 will be the normal velocity obtained by using the Manning equation for appropriate slope, section, and discharge.

(Step 3) For channel protection, compute the Froude number for brink conditions with $y_e = (A/2)^{1.5}$. Select d_{50}/y_e appropriate for locally available riprap (usually the most satisfactory results will be obtained if $0.25 < d_{50}/y_e < 0.45$). Obtain h_s/y_e from Figure 45.5-8, and check to see that $2 < h_s/d_{50} < 4$. Recycle computations if h_s/d_{50} falls out of this range.

(Step 4) Size basin as shown in Figure 45.5-5.

(Step 5) Where allowable dissipator exit velocity is specified:

- a. Determine the average normal flow depth in the natural channel for the design discharge.
- b. Extend the length of the energy basin (if necessary) so that the width of the energy basin at section A-A, Figure 45.5-5, times the average normal flow depth in the natural channel is approximately equal to the design discharge divided by the specified exit velocity.

(Step 6) In the exit region of the basin, the walls and apron of the basin should be warped (or transitioned) so that the cross section of the basin at the exit conforms to the cross section of the natural channel. Abrupt transition of surfaces should be avoided to minimize separation zones and resultant eddies.

(Step 7) If high tailwater is a possibility and erosion protection is necessary for the downstream channel, the following design procedure is suggested:

- Design a conventional basin for low tailwater conditions in accordance with the instructions above.
- Estimate centerline velocity at a series of downstream cross sections using the information shown in Figure 45.5-9.
- Shape downstream channel and size riprap using Figure 45.5-1 and the stream velocities obtained above.

Material, construction techniques, and design details for riprap should be in accordance with specifications in the Federal Highway publication HEC No. 11 entitled Use of Riprap For Bank Protection.

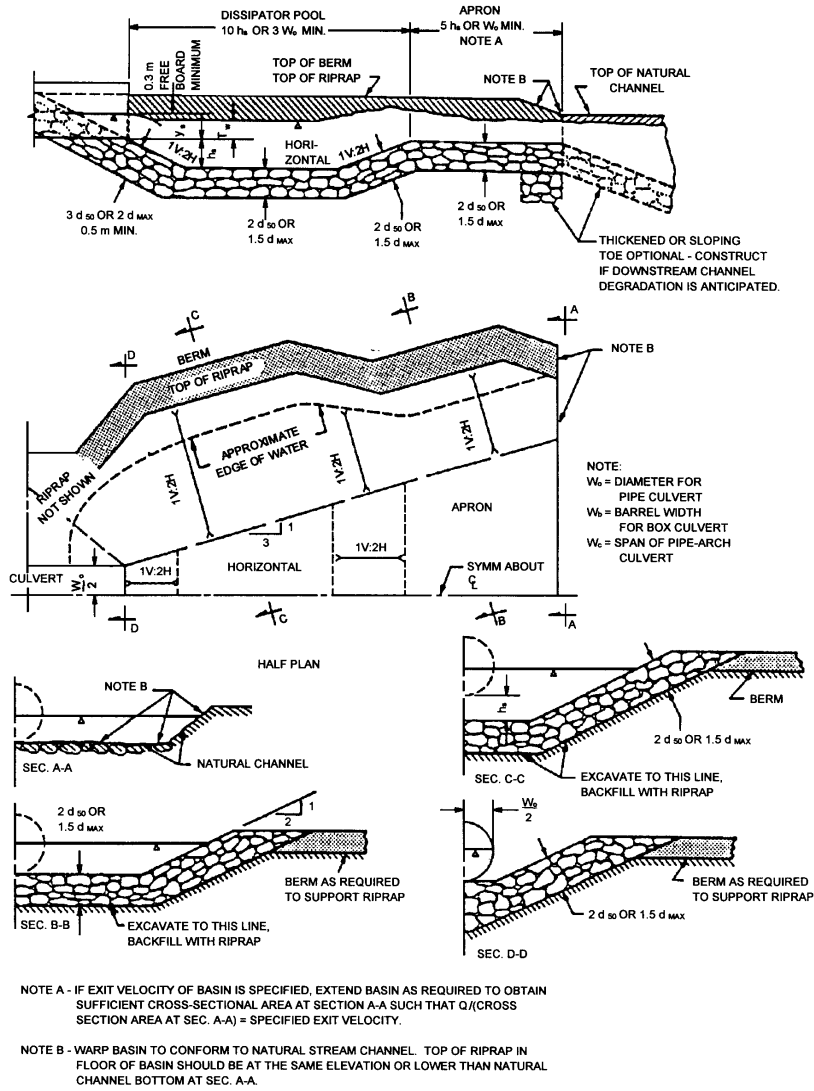


Figure 45.5-5 Details of Riprap Outlet Basin
 (Source: HEC-14, 1983)

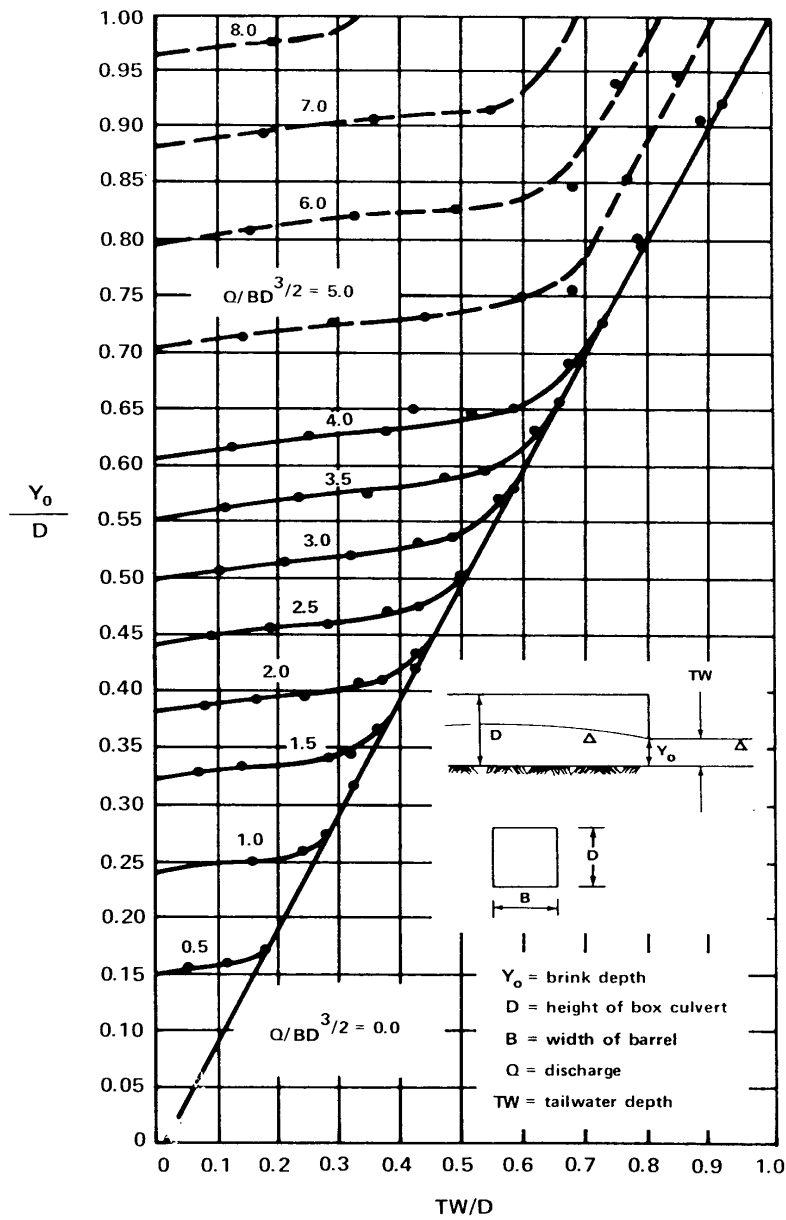


Figure 54.5-6 Dimensionless Rating Curves for the Outlets of Rectangular Culverts on Horizontal and Mild Slopes

(Source: USDOT, FHWA, HEC-14, 1983)

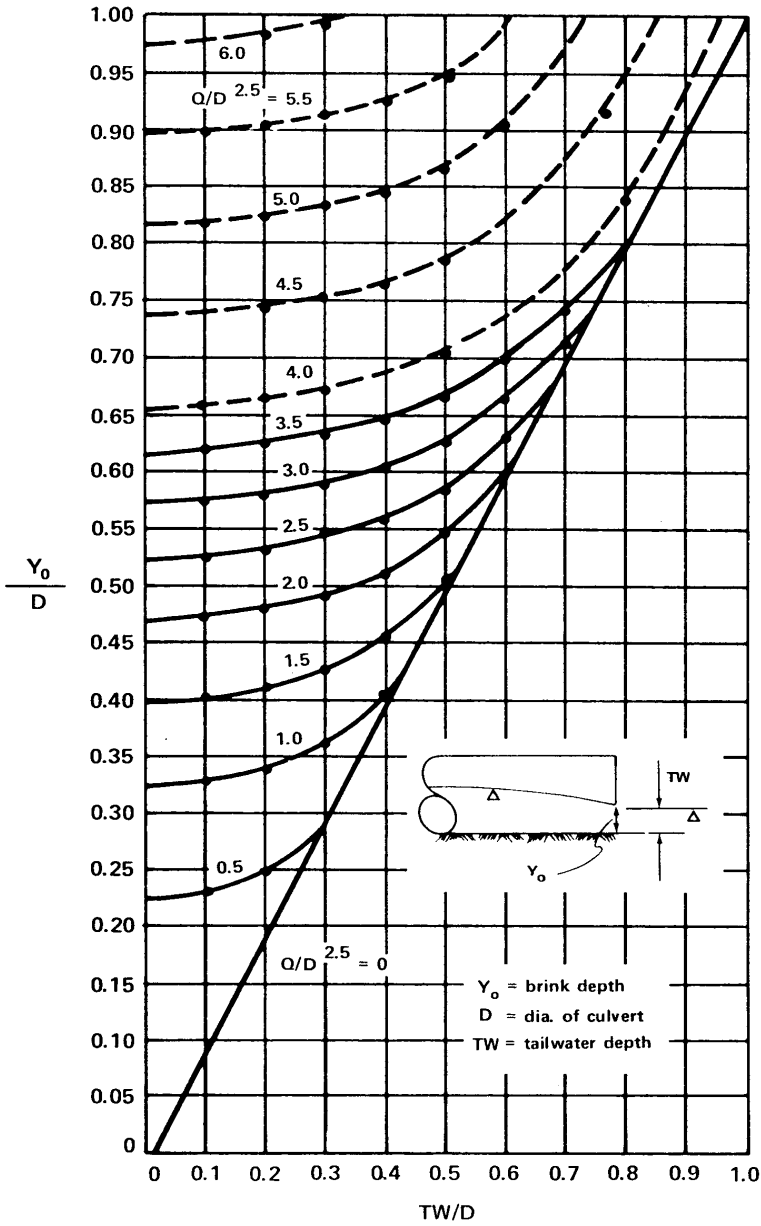


Figure 45.5-7 Dimensionless Rating Curves for the Outlets of Circular Culverts on Horizontal and Mild Slopes
 (Source: USDOT, FHWA, HEC-14, 1983)

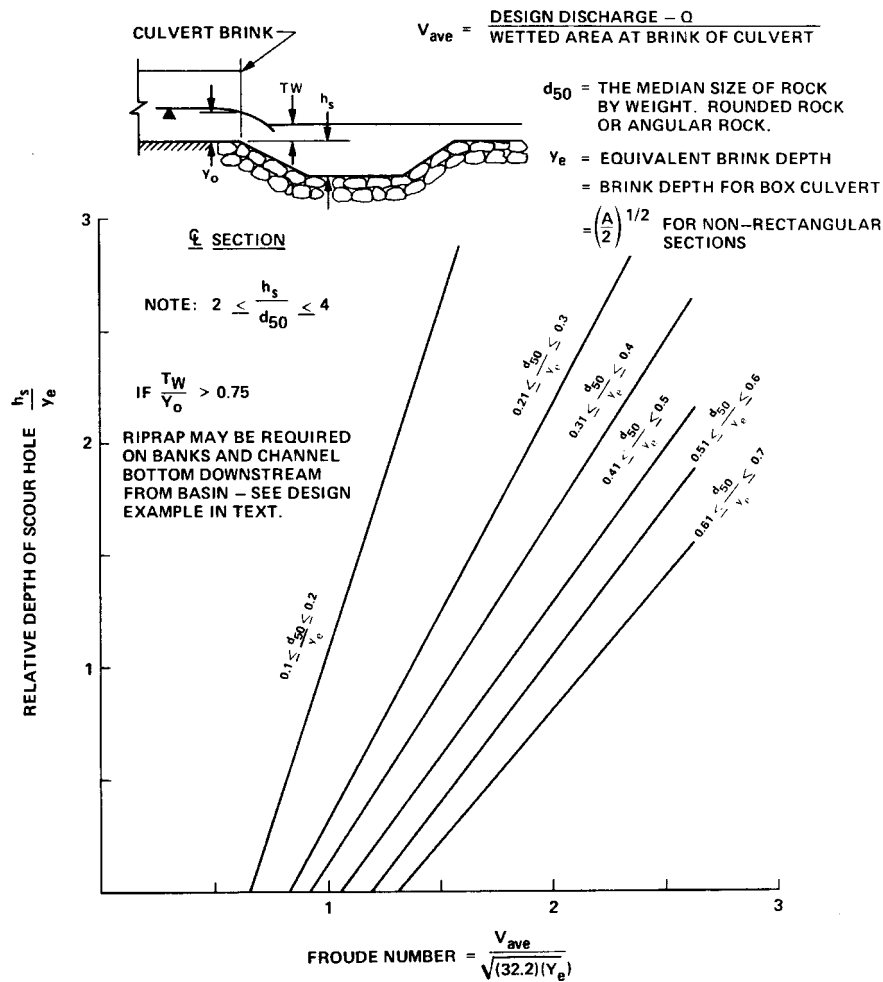


Figure 45.5-8 Relative Depth of Scour Hole Versus Froude Number at Brink of Culvert with Relative Size of Riprap as a Third Variable
 (Source: USDOT, FHWA, HEC-14, 1983)

5.5.5.4 Design Considerations

Riprap basin design should include consideration of the following:

- The dimensions of a scourhole in a basin constructed with angular rock can be approximately the same as the dimensions of a scourhole in a basin constructed of rounded material when rock size and other variables are similar.
- When the ratio of tailwater depth to brink depth, TW/y_o , is less than 0.75 and the ratio of scour depth to size of riprap, h_s/d_{50} , is greater than 2.0, the scourhole should function very efficiently as an energy dissipator. The concentrated flow at the culvert brink plunges into the hole, a jump forms against the downstream extremity of the scourhole, and flow is generally well dispersed leaving the basin.
- The mound of material formed on the bed downstream of the scourhole contributes to the dissipation of energy and reduces the size of the scourhole; that is, if the mound from a stable scoured basin is removed and the basin is again subjected to design flow, the scourhole will enlarge.
- For high tailwater basins (TW/y_o greater than 0.75), the high velocity core of water emerging from the culvert retains its jet-like character as it passes through the basin and diffuses similarly to a concentrated jet diffusing in a large body of water. As a result, the scourhole is much shallower and generally longer. Consequently, riprap may be required for the channel downstream of the rock-lined basin.
- It should be recognized that there is a potential for limited degradation to the floor of the dissipator pool for rare event discharges. With the protection afforded by the $2(d_{50})$ thickness of riprap, the heavy layer of riprap adjacent to the roadway prism, and the apron riprap in the downstream portion of the basin, such damage should be superficial.
- See Standards in the in FHWA HEC No. 11 for details on riprap materials and use of filter fabric.
- Stability of the surface at the outlet of a basin should be considered using the methods for open channel flow as outlined in Section 45.4, *Open Channel Design*.

5.5.5.5 Example Designs

Following are some example problems to illustrate the design procedures outlined.

Example 1

Given: Box culvert - 8 ft by 6 ft Design Discharge $Q = 800$ cfs
 Supercritical flow in culvert Normal flow depth = brink depth
 $Y_o = 4$ ft Tailwater depth $TW = 2.8$ ft

Find: Riprap basin dimensions for these conditions

Solution: Definition of terms in Steps 1 through 5 can be found in Figures 45.5-5 and 45.5-8.

(1) $y_o = y_e$ for rectangular section; therefore, with y_o given as 4 ft, $y_e = 4$ ft.

(2) $V_o = Q/A = 800/(4 \times 8) = 25$ ft/s

(3) Froude Number = $Fr = V/(g \times y_e)^{0.5}$ ($g = 32.3$ ft/s²)
 $Fr = 25/(32.2 \times 4)^{0.5} = 2.20 < 2.5$ O.K.

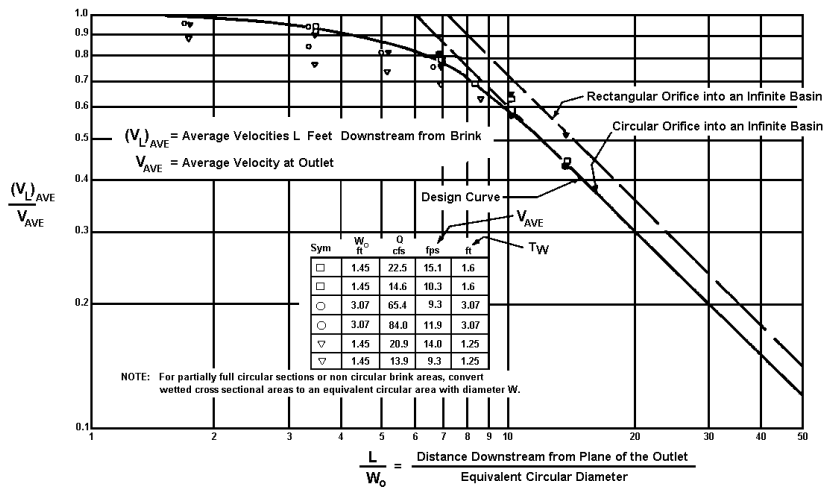


Figure 45.5-9 Distribution of Centerline Velocity for Flow from Submerged Outlets to Be Used for Predicting Channel Velocities Downstream from Culvert Outlet Where High Tailwater Prevails

(Source: USDOT, FHWA, HEC-14, 1983)

- (4) $TW/y_e = 2.8/4.0 = 0.7$ Therefore, $TW/y_e < 0.75$ OK
- (5) Try $d_{50}/y_e = 0.45$, $d_{50} = 0.45 \times 4 = 1.80$ ft
 From Figure 45.5-8, $h_s/y_e = 1.6$, $h_s = 4 \times 1.6 = 6.4$ ft
 $h_s/d_{50} = 6.4/1.8 = 3.6$ ft, $2 < h_s/d_{50} < 4$ OK
- (6) $L_s = 10 \times h_s = 10 \times 6.4 = 64$ ft (L_s = length of energy dissipator pool)
 $L_s \text{ min} = 3 \times W_o = 3 \times 8 = 24$ ft; therefore, use $L_s = 64$ ft
- $L_B = 15 \times h_s = 15 \times 6.4 = 96$ ft (L_B = overall length of riprap basin)
 $L_B \text{ min} = 4 \times W_o = 4 \times 8 = 32$ ft; therefore, use $L_B = 96$ ft
- (7) Thickness of riprap: On the approach = $3 \times d_{50} = 3 \times 1.8 = 5.4$ ft
 Remainder = $2 \times d_{50} = 2 \times 1.8 = 3.6$ ft
 Other basin dimensions designed according to details shown in Figure 45.5-5.

Example 2

Given: Same design data as Example 1 except:
 Tailwater depth $TW = 4.2$ ft
 Downstream channel can tolerate only 7 ft/s discharge

Find: Riprap basin dimensions for these conditions

Solutions: Note -- High tailwater depth, $TW/y_o = 4.2/4 = 1.05 > 0.75$

- (1) From Example 1: $d_{50} = 1.8$ ft, $h_s = 6.4$ ft, $L_s = 64$ ft, $L_B = 96$ ft.
- (2) Design riprap for downstream channel. Use Figure 45.5-9 for estimating average velocity along the channel. Compute equivalent circular diameter D_e for brink area from:
 $A = 3.14D_e^2/4 = y_o \times W_o = 4 \times 8 = 32 \text{ ft}^2$
 $D_e = ((32 \times 4)/3.14)^{0.5} = 6.4$ ft
 $V_o = 25$ ft/s (From Example 1)

(3) Set up the following table:

L/D_e	L (ft)	V_L/V_o	v_1 (ft/s)	Rock Size d_{50} (ft)
(Assume) $D_e = W_o$	(Compute)	(Fig. 45.5-9)		(Fig. 45.5-1)
10	64	0.59	14.7	1.4
15	96	0.37	9.0	0.6
20	128	0.30	7.5	0.4
21	135	0.28	7.0	0.4

* L/W_o is on a logarithmic scale so interpolations must be done logarithmically.

Riprap should be at least the size shown but can be larger. As a practical consideration, the channel can be lined with the same size rock used for the basin. Protection must extend at least 135 ft downstream from the culvert brink. Channel should be shaped and riprap should be installed in accordance with details shown in the HEC No. 11 publication.

Example 3

Given: 6-ft diameter CMC
Design discharge $Q = 135$ cfs
Slope channel $S_o = 0.004$
Manning's $n = 0.024$
Normal depth in pipe for $Q = 135$ cfs is 4.5 ft
Normal velocity is 5.9 ft/s
Flow is subcritical
Tailwater depth $TW = 2.0$ ft

Find: Riprap basin dimensions for these conditions.

Solution:

- (1) Determine y_o and V_o
From Figure 45.5-7, $y_o/D = 0.45$
 $Q/D^{2.5} = 135/6^{2.5} = 1.53$
 $TW/D = 2.0/6 = 0.33$
 $y_o = .45 \times 6 = 2.7$ ft
 $TW/y_o = 2.0/2.7 = 0.74$ $TW/y_o < 0.75$ O.K.

Determine Brink Area (A) for $y_o/D = 0.45$

From Uniform Flow in Circular Sections Table (from Section 45.3)
For $y_o/D = d/D = 0.45$
 $A/D^2 = 0.3428$; therefore, $A = 0.3428 \times 6^2 = 12.3$ ft²
 $V_o = Q/A = 135/12.3 = 11.0$ ft/s

- (2) For Froude number calculations at brink conditions,
 $y_e = (A/2)^{1/2} = (12.3/2)^{1/2} = 2.48$ ft
- (3) Froude number = $Fr = V_o/(32.2 \times y_e)^{1/2} = 11/(32.2 \times 2.48)^{1/2} = 1.23 < 2.5$ OK

- (4) For most satisfactory results - $0.25 < d_{50}/y_e < 0.45$
Try $d_{50}/y_e = 0.25$
 $d_{50} = 0.25 \times 2.48 = 0.62$ ft
From Figure 45.5-8, $h_s/y_e = 0.75$; therefore, $h_s = 0.75 \times 2.48 = 1.86$ ft

Uniform Flow in Circular Sections Flowing Partly Full (From Section 45.3)
Check: $h_s/d_{50} = 1.86/0.62 = 3$, $2 < h_s/d_{50} < 4$ OK

- (5) $L_s = 10 \times h_s = 10 \times 1.86 = 18.6$ ft or $L_s = 3 \times W_o = 3 \times 6 = 18$ ft;
therefore, use $L_s = 18.6$ ft

$L_B = 15 \times h_s = 15 \times 1.86 = 27.9$ ft or $L_B = 4 \times W_o = 4 \times 6 = 24$ ft;
therefore, use $L_B = 27.9$ ft

$d_{50} = 0.62$ ft or use $d_{50} = 8$ in

Other basin dimensions should be designed in accordance with details shown on Figure 45.5-5. Figure 45.5-10 is provided as a convenient form to organize and present the results of riprap basin designs.

Note: When using the design procedure outlined in this section, it is recognized that there is some chance of limited degradation of the floor of the dissipator pool for rare event discharges. With the protection afforded by the $3 \times d_{50}$ thickness of riprap on the approach and the $2 \times d_{50}$ thickness of riprap on the basin floor and the apron in the downstream portion of the basin, the damage should be superficial.

RIPRAP BASIN		
Project No. _____		
Designer _____		Date _____
Reviewer _____		Date _____
DESIGN VALUES	TRIAL 1	FINAL TRIAL
Equi. Depth, d_e		
D_{50}/d_e		
D_{50}		
Froude No., Fr		
h_s/d_e		
h_s		
h_s/D_{50}		
$2 < h_s/D_{50} < 4$		
BASIN DIMENSIONS		FEET
Pool length is the larger of:	$10h_s$	
	$3W_o$	
Basin length is the larger of:	$15h_s$	
	$4W_o$	
Approach Thickness	$3D_{50}$	
Basin Thickness	$2D_{50}$	

TAILWATER CHECK	
Tailwater, TW	
Equivalent depth, d_e	
TW/d_e	
IF $TW/d_e > 0.75$, calculate riprap downstream	
$D_s = (4A_s/\pi)^{0.5}$	

DOWNSTREAM RIPRAP				
L/D_e	L	V_i/V_o	V_i	D_{50}

Figure 45.5-10 Riprap Basin Design Form
 (Source: USDOT, FHWA, HEC-14, 1983)

5.5.6 Baffled Outlets

5.5.6.1 Description

The baffled outlet (also known as the Impact Basin - USBR Type VI) is a boxlike structure with a vertical hanging baffle and an end sill, as shown in Figure 45.5-11. Energy is dissipated primarily through the impact of the water striking the baffle and, to a lesser extent, through the resulting turbulence. This type of outlet protection has been used with outlet velocities up to 50 feet per second and with Froude numbers from 1 to 9. Tailwater depth is not required for adequate energy dissipation, but a tailwater will help smooth the outlet flow.

5.5.6.2 Design Procedure

The following design procedure is based on physical modeling studies summarized from the U.S. Department of Interior (1978). The dimensions of a baffled outlet as shown in Figure 45.5-11 should be calculated as follows:

(Step 1) Determine input parameters, including:

h = Energy head to be dissipated, in ft (can be approximated as the difference between channel invert elevations at the inlet and outlet)
 Q = Design discharge (cfs)
 v = Theoretical velocity (ft/s = $2gh$)
 $A = Q/v$ = Flow area (ft²)
 $d = A^{0.5}$ = Representative flow depth entering the basin (ft) *assumes square jet*
 $Fr = v/(gd)^{0.5}$ = Froude number, dimensionless

(Step 2) Calculate the minimum basin width, W , in ft, using the following equation.

$$W/d = 2.88Fr^{0.566} \text{ or } W = 2.88dFr^{0.566} \quad (45.5.2)$$

Where: W = minimum basin width (ft)
 d = depth of incoming flow (ft)
 $Fr = v/(gd)^{0.5}$ = Froude number, dimensionless

The limits of the W/d ratio are from 3 to 10, which corresponds to Froude numbers 1 and 9. If the basin is much wider than W , flow will pass under the baffle and energy dissipation will not be effective.

(Step 3) Calculate the other basin dimensions as shown in Figure 45.5-11, as a function of W . Construction drawings for selected widths are available from the U.S. Department of the Interior (1978).

(Step 4) Calculate required protection for the transition from the baffled outlet to the natural channel based on the outlet width. A riprap apron should be added of width W , length W (or a 5-foot minimum), and depth f ($W/6$). The side slopes should be 1.5:1, and median rock diameter should be at least $W/20$.

(Step 5) Calculate the baffled outlet invert elevation based on expected tailwater. The maximum distance between expected tailwater elevation and the invert should be $b + f$ or some flow will go over the baffle with no energy dissipation. If the tailwater is known and fairly controlled, the baffled outlet invert should be a distance, $b/2 + f$, below the calculated tailwater elevation. If tailwater is

uncontrolled, the baffled outlet invert should be a distance, f , below the downstream channel invert.

(Step 6) Calculate the outlet pipe diameter entering the basin assuming a velocity of 12 ft/s flowing full.

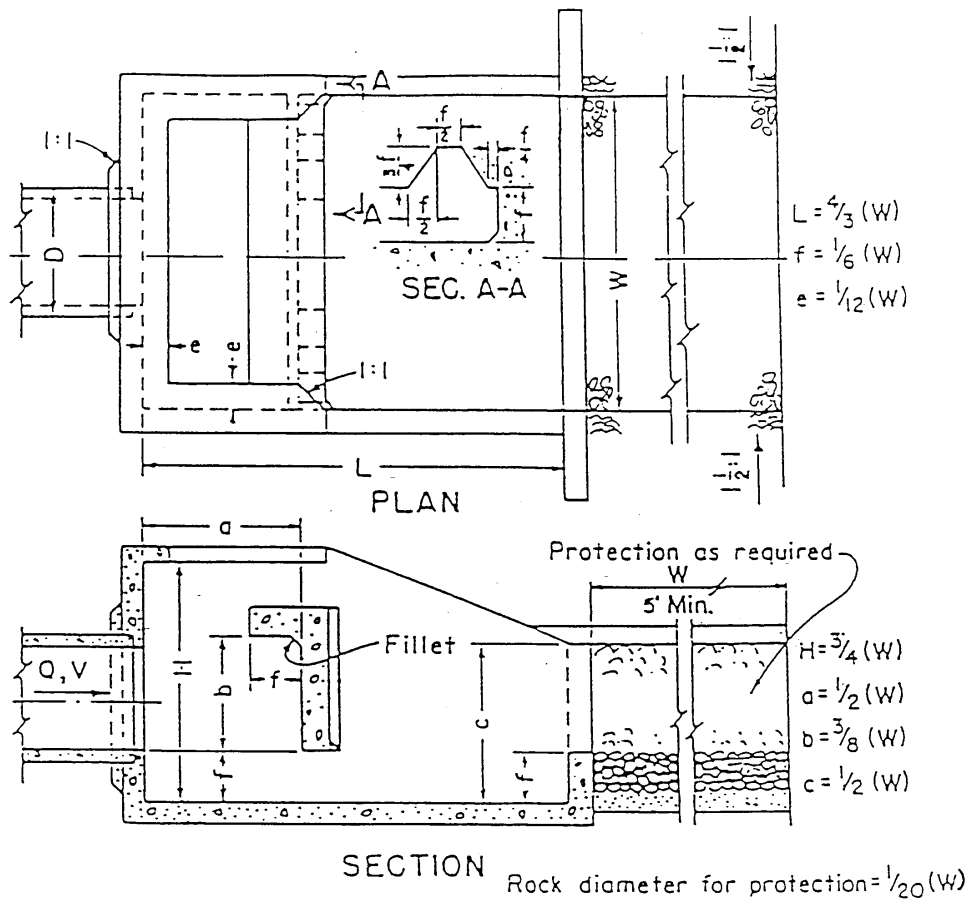


Figure 45.5-11 Schematic of Baffled Outlet
(Source: U.S. Dept. of the Interior, 1978)

(Step 7) If the entrance pipe slopes steeply downward, the outlet pipe should be turned horizontal for at least 3 ft before entering the baffled outlet.

(Step 8) If it is possible that both the upstream and downstream ends of the pipe will be submerged, provide an air vent approximately 1/6 the pipe diameter near the upstream end to prevent pressure fluctuations and possible surging flow conditions.

5.5.6.3 Example Design

A cross-drainage pipe structure has a design flow rate of 150 cfs, a head, h , of 15 ft from invert of pipe, and a tailwater depth, TW , of 3 ft above ground surface. Find the baffled outlet basin dimensions and inlet pipe requirements.

- (1) Compute the theoretical velocity from
 $v = (2gh)^{0.5} = [2(32.2 \text{ ft/sec}^2)(15 \text{ ft})]^{0.5} = 31.1 \text{ ft/s}$
This is less than 50 ft/s, so a baffled outlet is suitable.
- (2) Determine the flow area using the theoretical velocity as follows:
 $A = Q/v = 150 \text{ cfs}/31.1 \text{ ft/sec} = 4.8 \text{ ft}^2$
- (3) Compute the flow depth using the area from Step 2.
 $d = (A)^{0.5} = (4.8 \text{ ft}^2)^{0.5} = 2.12 \text{ ft}$
- (4) Compute the Froude number using the results from Steps 1 and 3.
 $Fr = v/(gd)^{0.5} = 31.1 \text{ ft/sec}/[(32.2 \text{ ft/sec}^2)(2.12 \text{ ft})]^{0.5} = 3.8$
- (5) Determine the basin width using equation 45.5.2 with the Froude number from Step 4.
 $W = 2.88 dFr^{0.566} = 2.88 (2.12) (3.8)^{0.566} = 13.0 \text{ ft (minimum)}$
Use 13 ft as the design width.
- (6) Compute the remaining basin dimensions (as shown in Figure 45.5-11):
 $L = 4/3 (W) = 17.3 \text{ ft}$, use $L = 17 \text{ ft}$, 4 in
 $f = 1/6 (W) = 2.17 \text{ ft}$, use $f = 2 \text{ ft}$, 2 in
 $e = 1/12 (W) = 1.08 \text{ ft}$, use $e = 1 \text{ ft}$, 1 in
 $H = 3/4 (W) = 9.75 \text{ ft}$, use $H = 9 \text{ ft}$, 9 in
 $a = 1/2 (W) = 6.5 \text{ ft}$, use $a = 6 \text{ ft}$, 6 in
 $b = 3/8 (W) = 4.88 \text{ ft}$, use $b = 4 \text{ ft}$, 11 in
 $c = 1/2 (W) = 6.5 \text{ ft}$, use $c = 6 \text{ ft}$, 6 in

Baffle opening dimensions would be calculated as shown in Figure 45.5-11.
- (7) Basin invert should be at $b/2 + f$ below tailwater, or
 $(4 \text{ ft}, 11 \text{ in})/2 + 2 \text{ ft}, 2 \text{ in} = 4.73 \text{ ft}$
Use 4 ft 8 in; therefore, invert should be 2 ft, 8 in below ground surface.
- (8) The riprap transition from the baffled outlet to the natural channel should be 13 ft long by 13 ft wide by 2 ft, 2 in deep ($W \times W \times f$). Median rock diameter should be of diameter $W/20$, or about 8 in.
- (9) Inlet pipe diameter should be sized for an inlet velocity of about 12 ft/s.
 $(3.14d)^2/4 = Q/v$; $d = [(4Q)/3.14v]^{0.5} = [(4(150 \text{ cfs})/3.14(12 \text{ ft/sec}))^{0.5} = 3.99 \text{ ft}$
Use 48-in pipe. If a vent is required, it should be about 1/6 of the pipe diameter or 8

in.

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