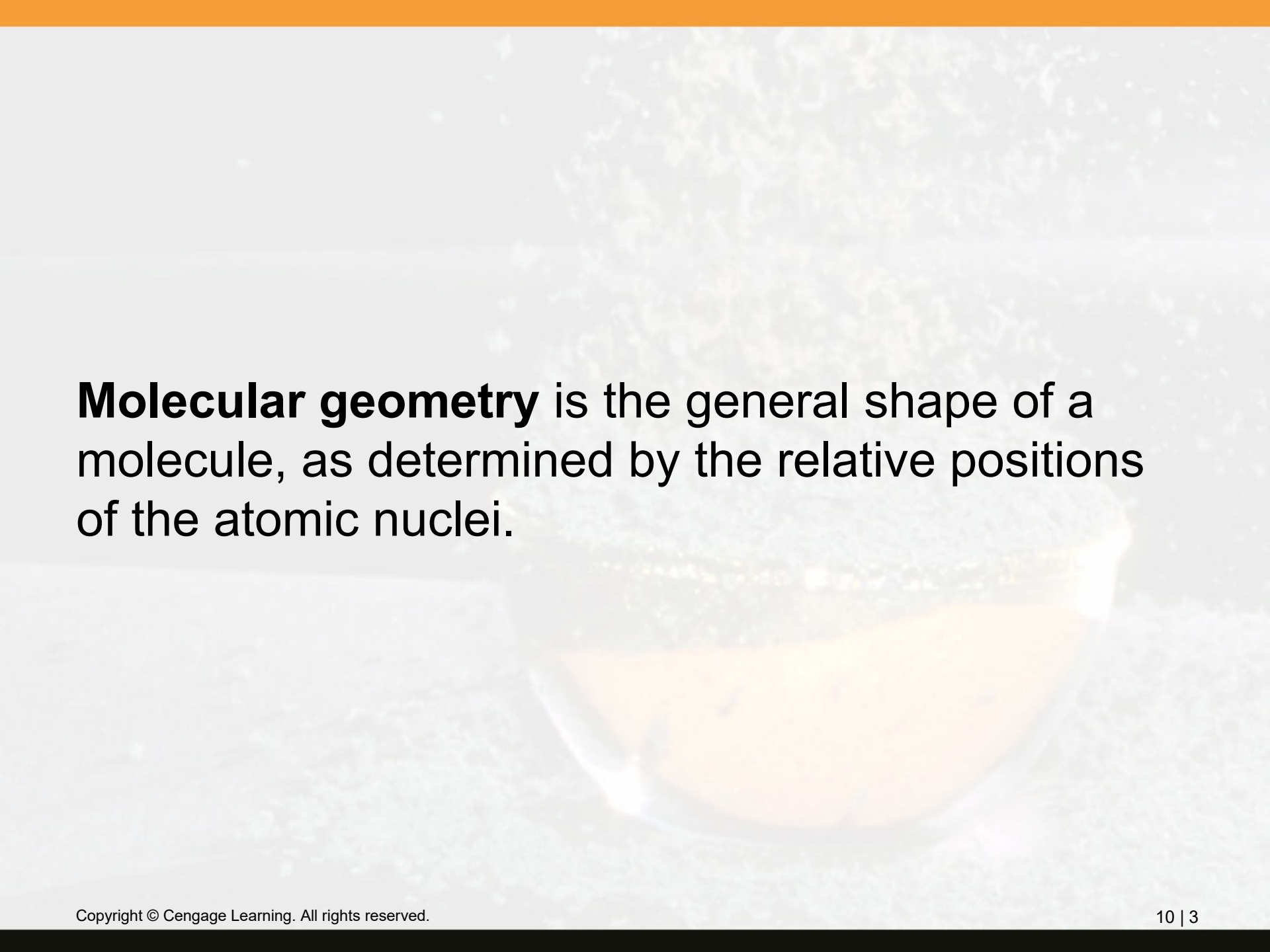Lecture Presentation

Chapter 9

Molecular Geometries and Bonding Theories
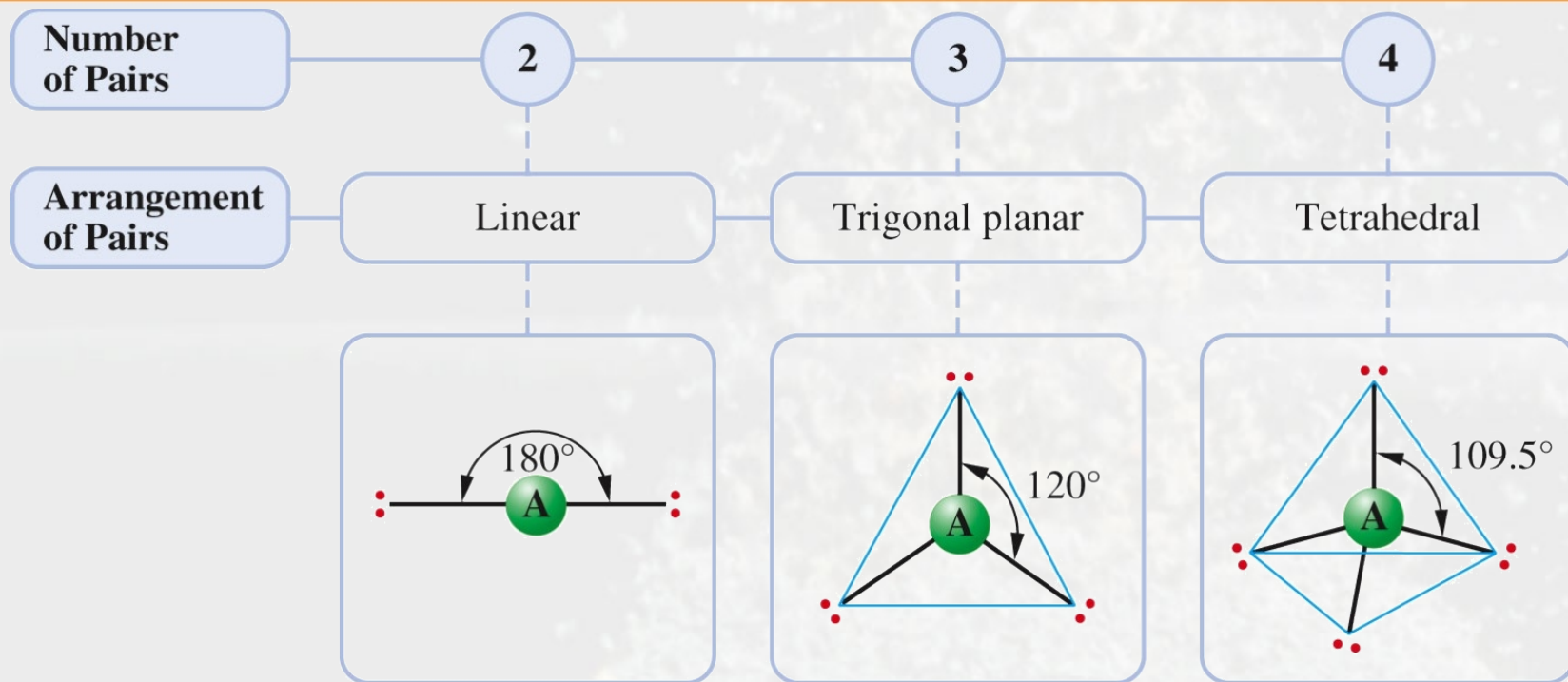
Chapter Goal

- Lewis structures do not show shape and size of molecules.

- Develop a relationship between two dimensional Lewis structure and three dimensional molecular shapes

- Develop a sense of shapes and how those shapes are governed in large measure by the kind of bonds exist between the atoms making up the molecule

Molecular geometry is the general shape of a molecule, as determined by the relative positions of the atomic nuclei.

The valence-shell electron-pair repulsion (VSEPR) model predicts the shapes of molecules and ions by assuming that the valence-shell electron pairs are arranged about each atom so that electron pairs are kept as far away from one another as possible, thereby minimizing electron pair repulsions.

The diagram on the next slide illustrates this.

Number of Pairs	2	3	4
Arrangement of Pairs	Linear	Trigonal planar	Tetrahedral

Linear: 180°

Trigonal planar: 120°

Tetrahedral: 109.5°

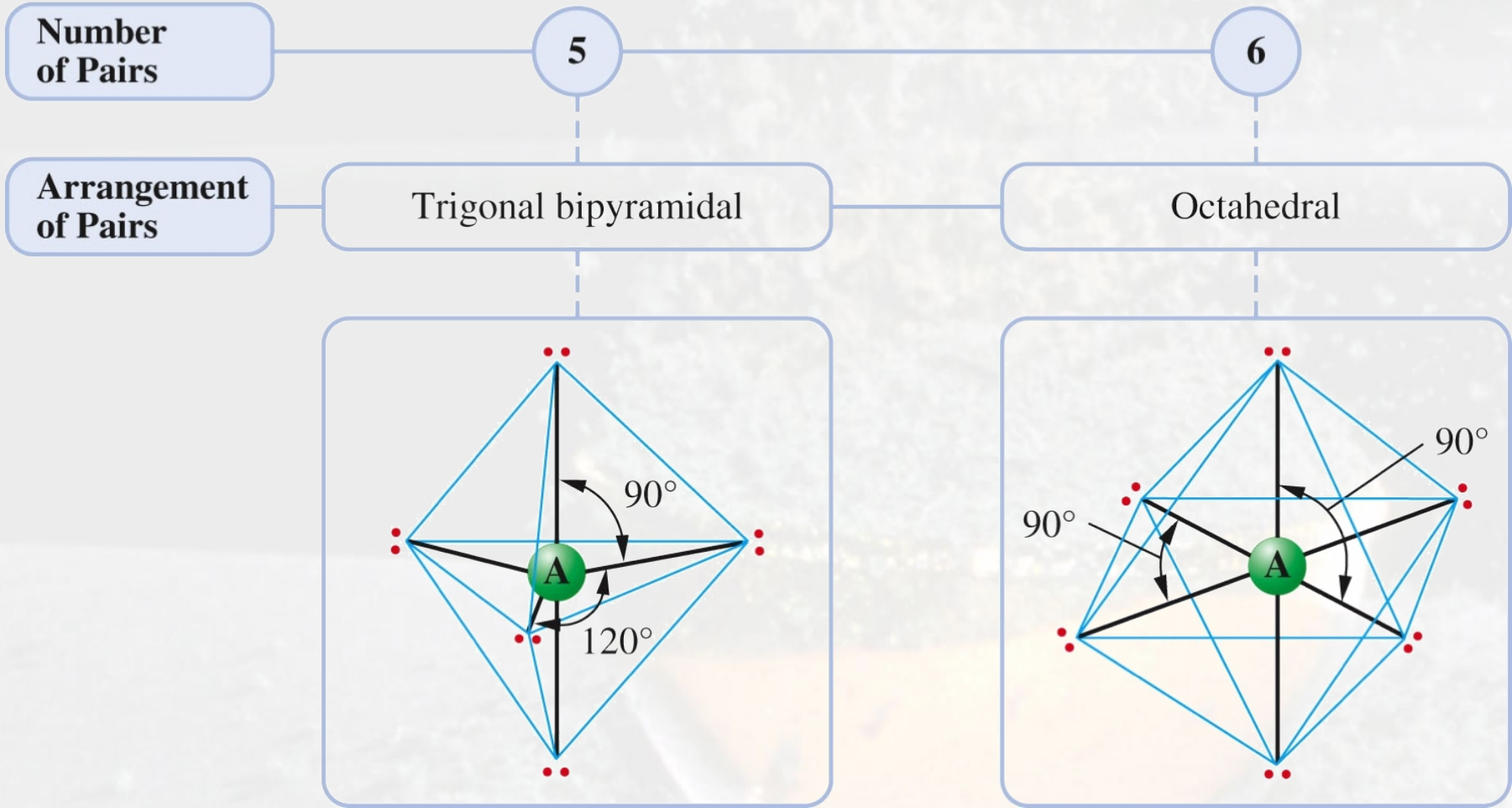Two electron pairs are 180° apart (a linear arrangement).

Three electron pairs are 120° apart in one plane (a trigonal planar arrangement).

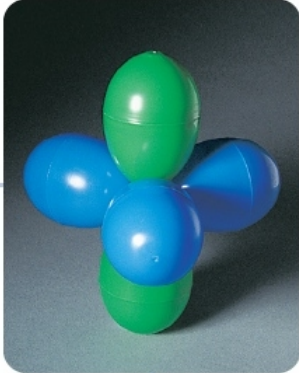Four electron pairs are 109.5° apart in three dimensions (a tetrahedral arrangment).
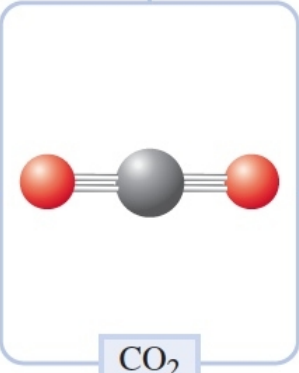
Five electron pairs are arranged with three pairs in a plane 120° apart and two pairs at 90°to the plane and 180° to each other (a trigonal bipyramidal arrangement).

Six electron pairs are 90° apart (an octahedral arrangement).
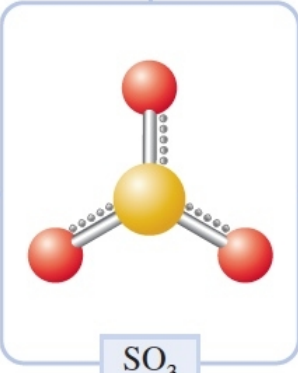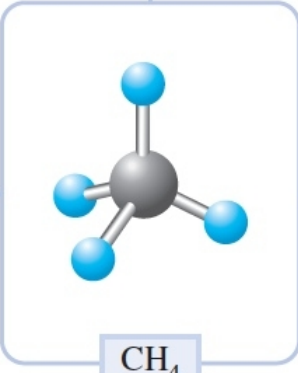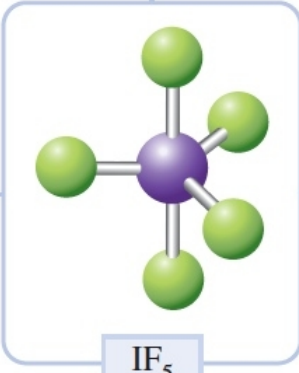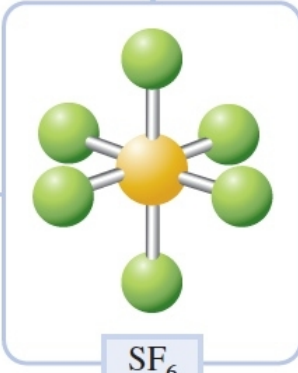
This is illustrated on the next slide.

Number of Pairs	5	6
Arrangement of Pairs	Trigonal bipyramidal	Octahedral

These arrangements are illustrated below with balloons and models of molecules for each.

Balloon Model					
Arrangement of Pairs	Linear	Trigonal planar	Tetrahedral	Trigonal bipyramidal	Octahedral
Example	CO_2	SO_3	CH_4	IF_5	SF_6

Electron Domains

- We can refer to the electron pairs as **electron domains**.

- In a double or triple bond, all electrons shared between those two atoms are on the same side of the central atom; therefore, they count as one electron domain.
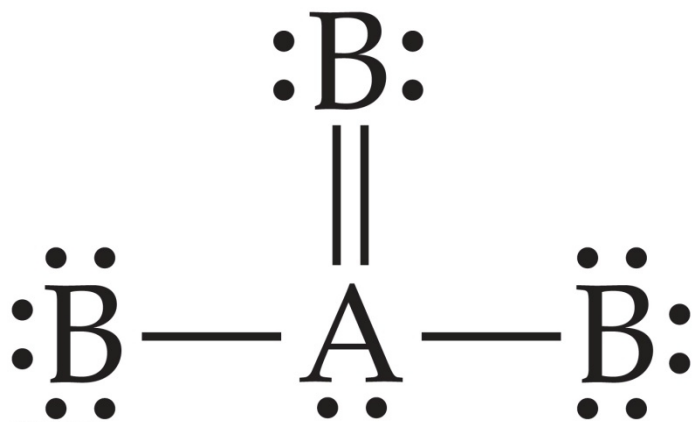
- The central atom in this molecule, A, has four electron domains.

Molecular Geometries and Bonding

Electron-Domain Geometries

- All one must do is count the number of electron domains in the Lewis structure.

- The geometry will be that which corresponds to the number of electron domains.

Molecular Geometries

- The electron-domain geometry is often *not* the shape of the molecule, however.

- The molecular geometry is that defined by the positions of *only* the atoms in the molecules, not the nonbonding pairs.
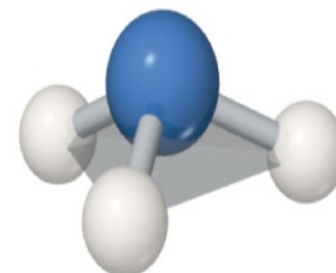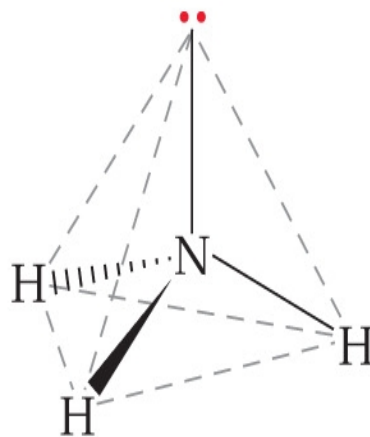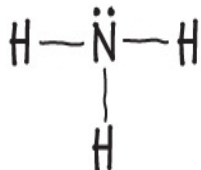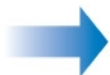
NH_3 → **1. Draw Lewis structure** → **2. Determine electron-domain geometry by counting *all* electron domains, then use Table 9.1 to determine appropriate electron domain geomtry.** → **3. Determine molecular geometry by counting *only bonding* electron domains to see arrangement of bonded atoms (trigonal pyramidal)**

Molecular Geometries and Bonding
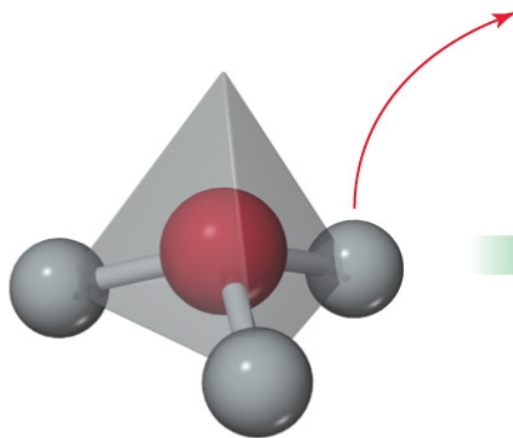
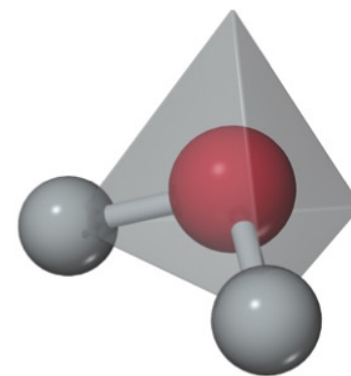# Molecular Geometries

Removal of one corner atom →
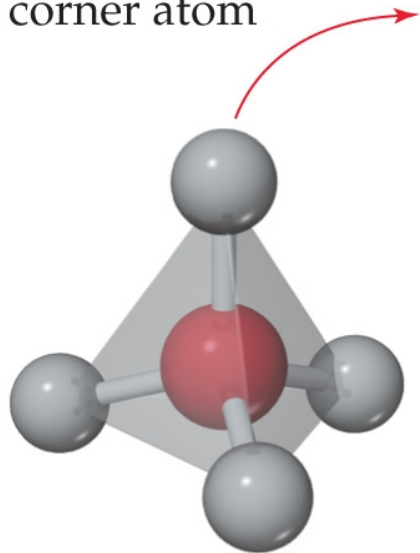
Removal of a second corner atom →

Tetrahedral

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Trigonal pyramidal
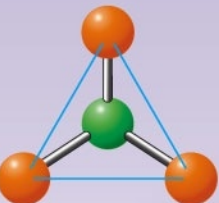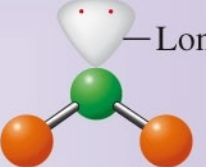
Bent

Within each electron domain, then, there might be more than one molecular geometry.

The diagrams below illustrate molecular geometry and the impact of lone pairs on it for linear and trigonal planar electron-pair arrangements.

Electron Pairs			Arrangement of Pairs	Molecular Geometry		Example	
Total	Bonding	Lone					
2	2	0	Linear	Linear AX_2		BeF_2	F—Be—F
3	3	0	Trigonal planar	Trigonal planar AX_3		BF_3	
	2	1		Bent (or angular) AX_2	—Lone pair	SO_2	

Molecular geometries with a tetrahedral electron-pair arrangement are illustrated below.
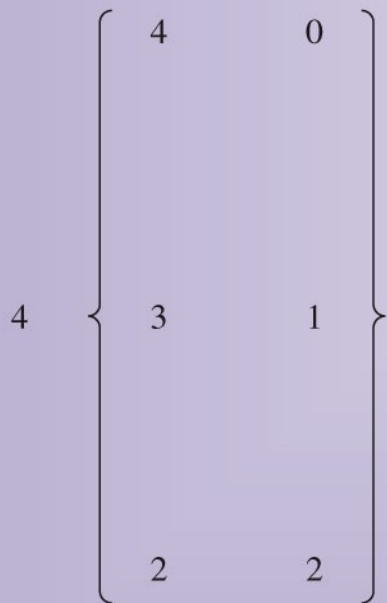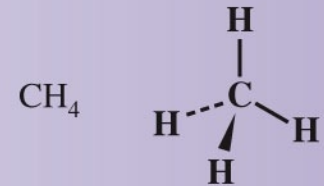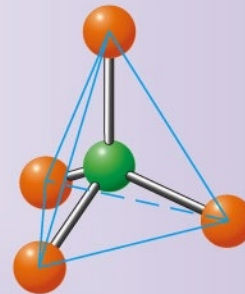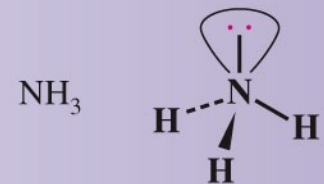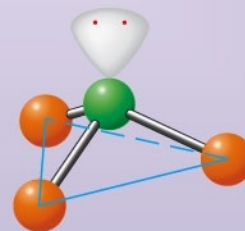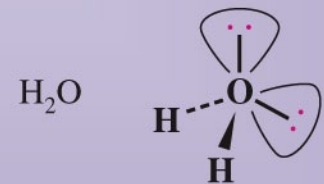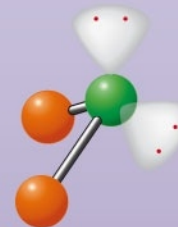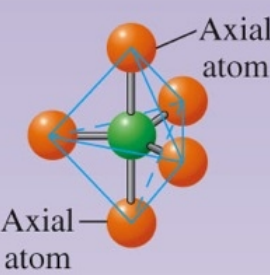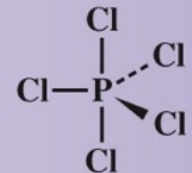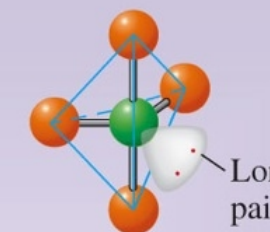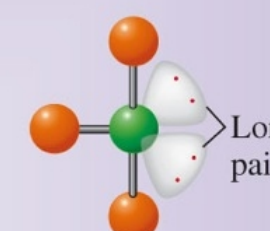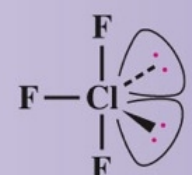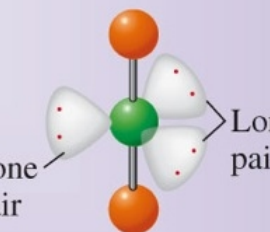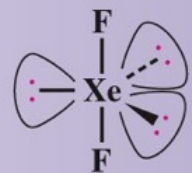
Molecular geometries for the trigonal bipyramidal electron-pair arrangement are shown on the next slide.

Molecular geometries for the octahedral electron-pair arrangement are shown below.
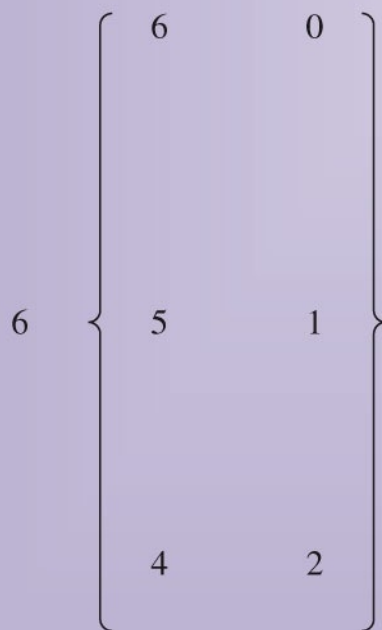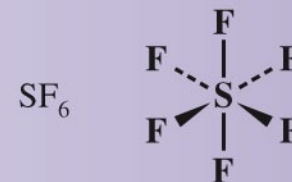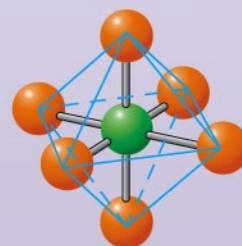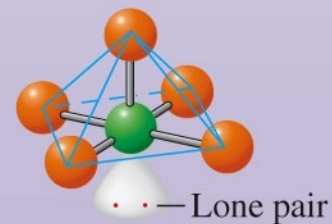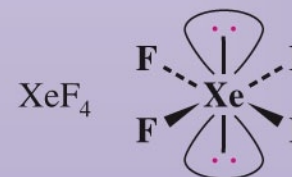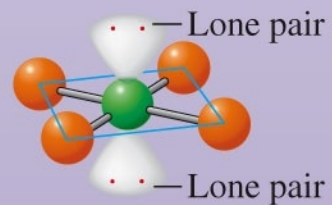
Predicting Bond Angles

The angles 180°, 120°, 109.5°, and so on are the bond angles when the central atom has no lone pair and all bonds are with the same other atom.

When this is not the case, the bond angles deviate from these values in sometimes predictable ways.

Because a lone pair tends to require more space than a bonding pair, it tends to reduce the bond angles.

The impact of lone pair(s) on bond angle for tetrahedral electron-pair arrangements has been experimentally determined.
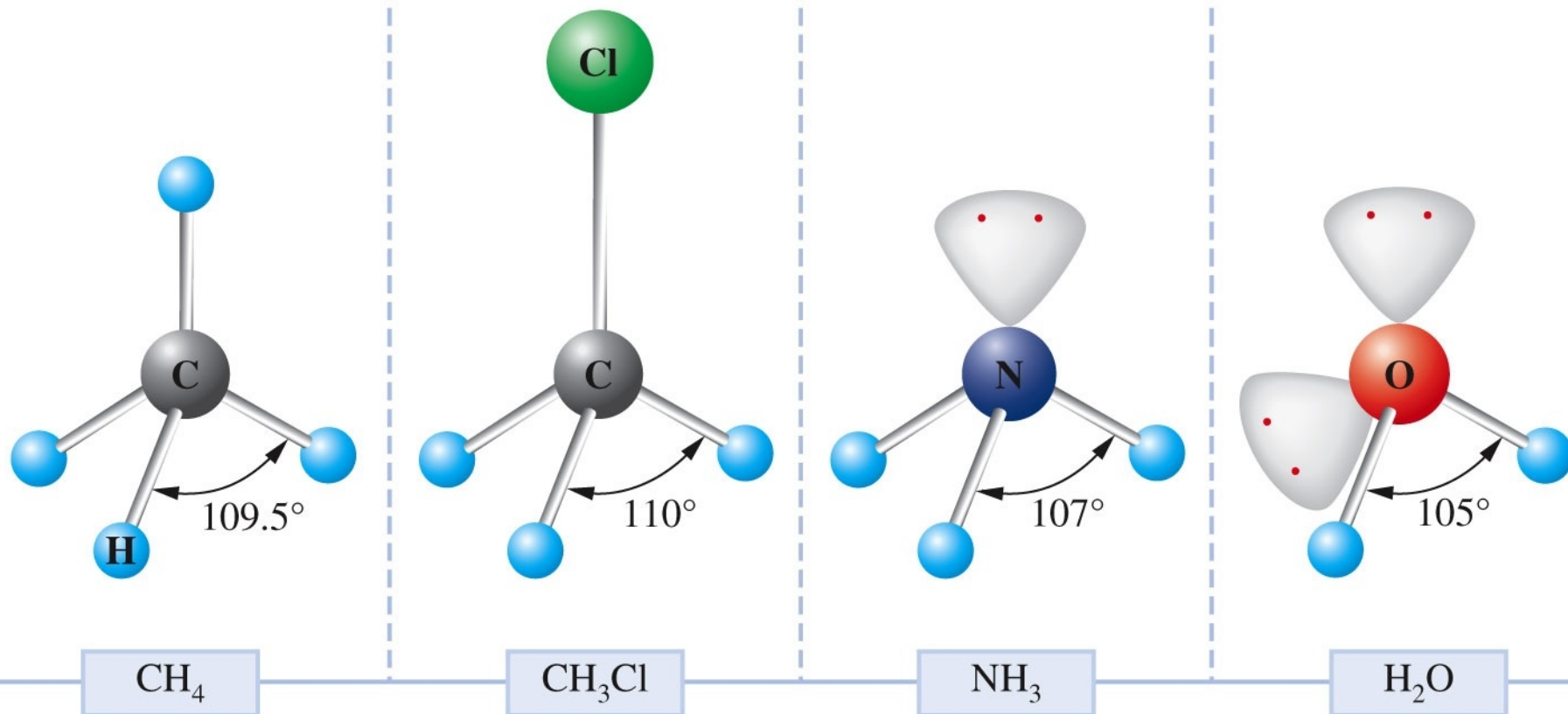
Multiple bonds require more space than single bonds and, therefore, constrict the bond angle. This situation is illustrated below, again with experimentally determined bond angles.

116° CH₂O

117° CH₂CH₂
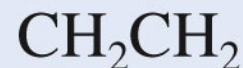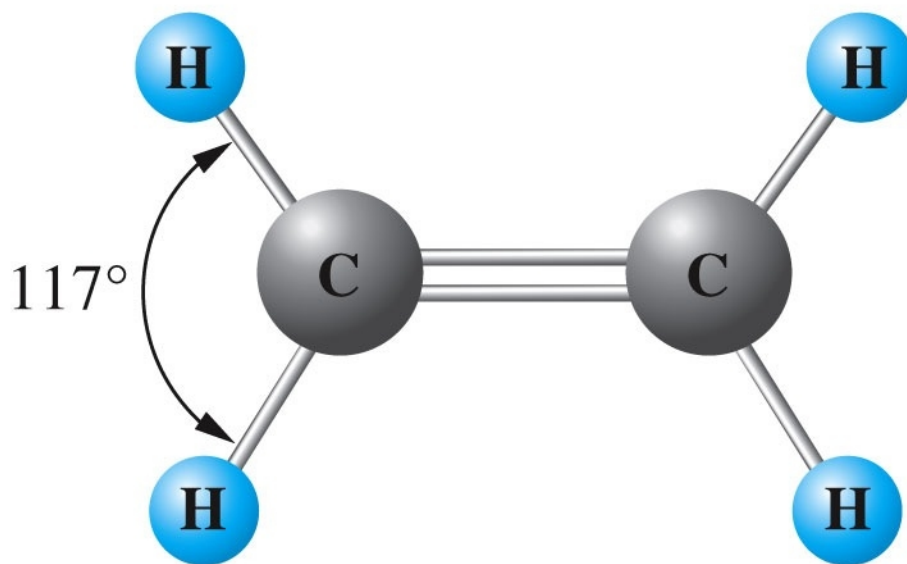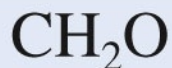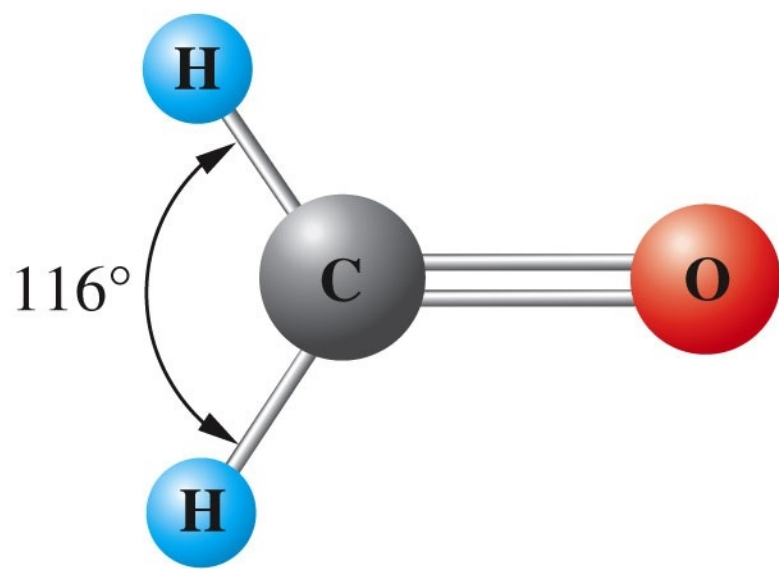
? Use the VSEPR model to predict the geometries of the following molecules:

a. AsF_3

b. PH_4^+

c. BCl_3

AsF_3 has $1(5) + 3(7) = 26$ valence electrons; As is the central atom. The electron-dot formula is
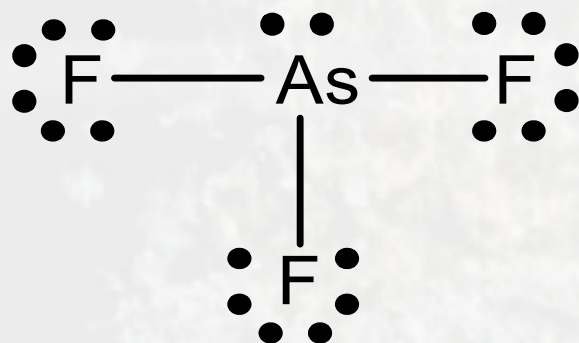
There are four regions of electrons around As: three bonds and one lone pair.

The electron regions are arranged tetrahedrally. One of these regions is a lone pair, so the molecular geometry is trigonal pyramidal.

PH_4^+ has $1(5) + 4(1) - 1 = 8$ valence electrons; P is the central atom. The electron-dot formula is

$$\left[\begin{matrix} & \text{H} & \\ & | & \\ \text{H} - & \text{P} & - \text{H} \\ & | & \\ & \text{H} & \end{matrix} \right]^+$$
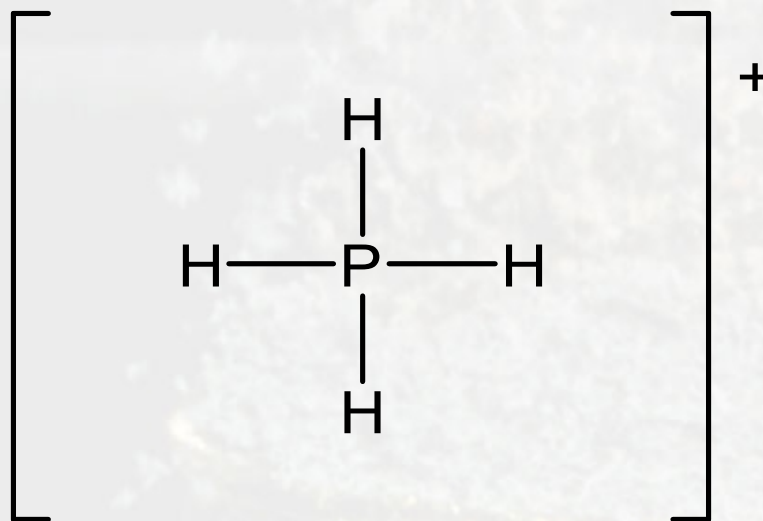
There are four regions of electrons around P: four bonding electron pairs.
The electron-pairs arrangement is tetrahedral.
All regions are bonding, so the molecular geometry is tetrahedral.

BCl_3 has $1(3) + 3(7) = 24$ valence electrons; B is the central atom.
The electron-dot formula is
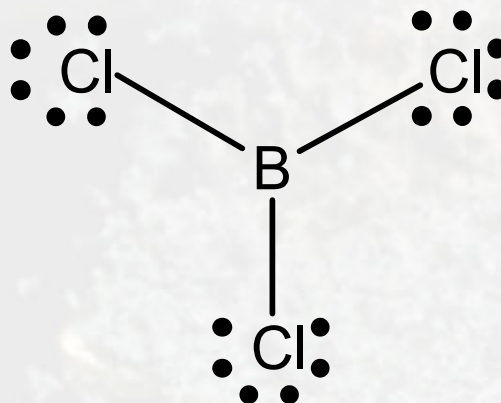
There are three regions of electrons around B; all are bonding.
The electron-pair arrangement is trigonal planar.
All of these regions are bonding, so the molecular geometry is trigonal planar.

? Using the VSEPR model, predict the geometry of the following species:

a. ICl_3

b. ICl_4^-

ICl_3 has $1(7) + 3(7) = 28$ valence electrons. I is the central atom. The electron-dot formula is
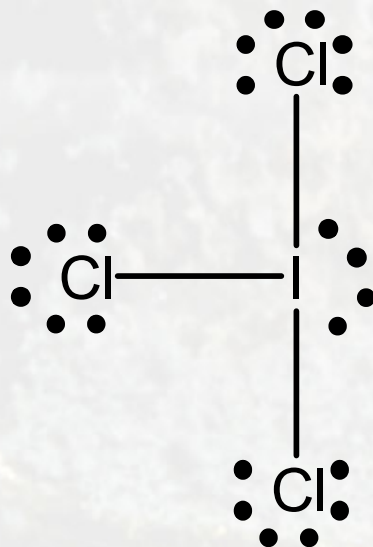
There are five regions: three bonding and two lone pairs.
The electron-pair arrangement is trigonal bipyramidal.
The geometry is T-shaped.

ICl_4^- has $1(7) + 4(7) + 1 = 36$ valence electrons. I is the central element. The electron-dot formula is
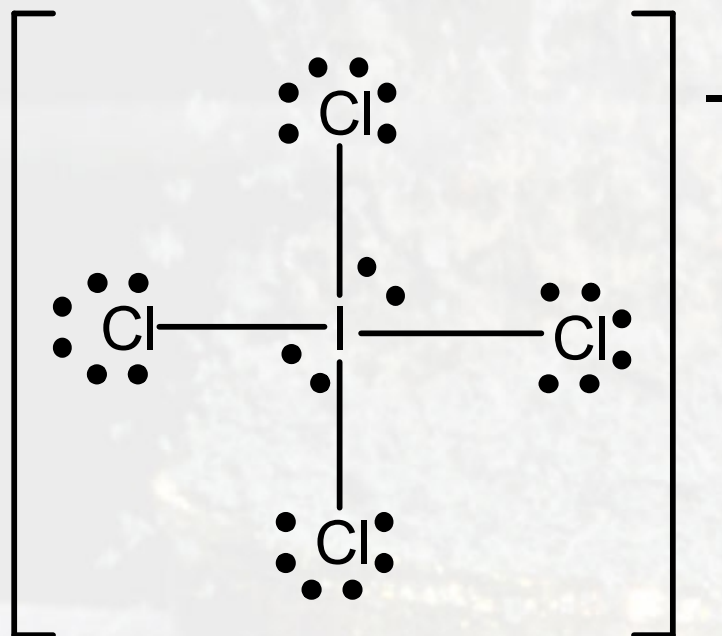
There are six regions around I: four bonding and two lone pairs.
The electron-pair arrangement is octahedral.
The geometry is square planar

Larger Molecules

In larger molecules, it makes more sense to talk about the geometry about a particular atom rather than the geometry of the molecule as a whole.
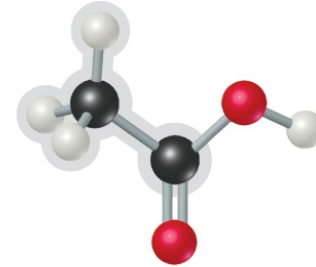
Electron-domain geometry tetrahedral, molecular geometry tetrahedral
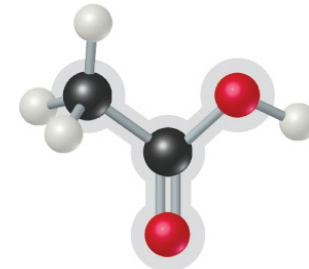
Electron-domain geometry trigonal planar, molecular geometry trigonal planar
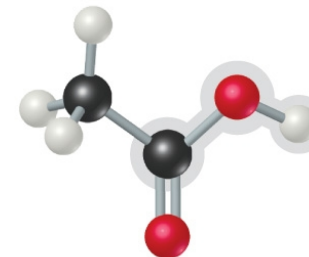
Electron-domain geometry tetrahedral, molecular geometry bent

Molecular Geometries and Bonding

Sample Exercise 9.3 Predicting Bond Angles

Eyedrops for dry eyes usually contain a water-soluble polymer called *poly(vinyl alcohol)*, which is based on the unstable organic molecule *vinyl alcohol*:

Predict the approximate values for the H — O — C and O — C — C bond angles in vinyl alcohol.
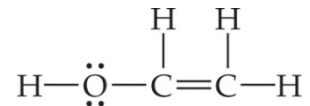
Solution

Analyze We are given a Lewis structure and asked to determine two bond angles.

Plan To predict a bond angle, we determine the number of electron domains surrounding the middle atom in the bond. The ideal angle corresponds to the electron-domain geometry around the atom. The angle will be compressed somewhat by nonbonding electrons or multiple bonds.

Solve In H — O — C , the O atom has four electron domains (two bonding, two nonbonding). The electron-domain geometry around O is therefore tetrahedral, which gives an ideal angle of 109.5°. The H — O — C angle is compressed somewhat by the nonbonding pairs, so we expect this angle to be slightly less than 109.5° .

To predict the O — C — C bond angle, we examine the middle atom in the angle. In the molecule, there are three atoms bonded to this C atom and no nonbonding pairs, and so it has three electron domains about it. The predicted electron-domain geometry is trigonal planar, resulting in an ideal bond angle of 120°. Because of the larger size of the C = C domain, the bond angle should be slightly greater than 120°.

Molecular
Geometries
and Bonding

Polarity

- In Chapter 8, we discussed bond dipoles.

- But just because a molecule possesses polar bonds does not mean the molecule *as a whole* will be polar.

Equal and oppositely directed bond dipoles

3.5   2.5   3.5

Overall dipole moment = 0
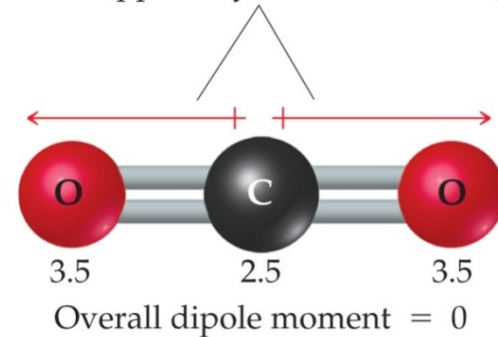
High electron density

Low electron density

Polarity

Bond dipoles

3.5

2.1   2.1
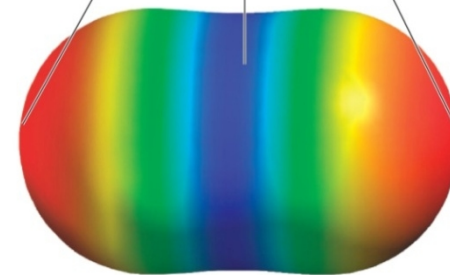
Overall dipole moment

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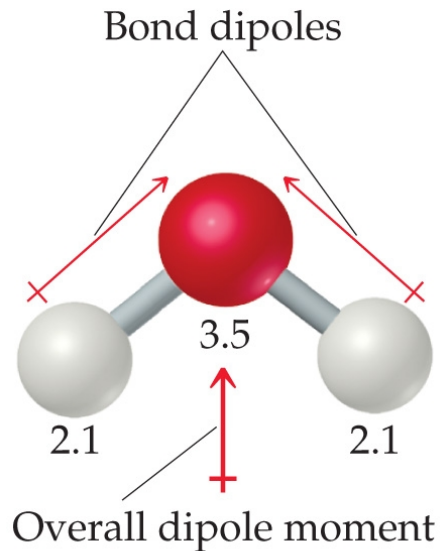
By adding the individual bond dipoles, one can determine the overall dipole moment for the molecule.

Polarity

HCl
Polar
2.1   3.0

CCl₄
Nonpolar
2.5   3.0

NH₃
Polar
3.0   2.1

BF₃
Nonpolar
2.5   4.0

CH₃Cl
Polar
3.0   2.5   2.1

Molecular
Geometries
and Bonding

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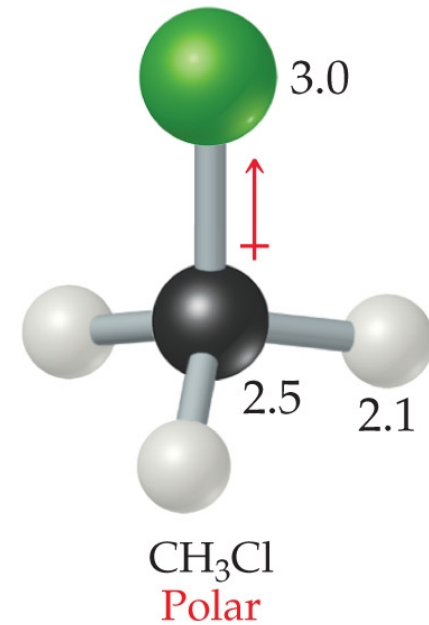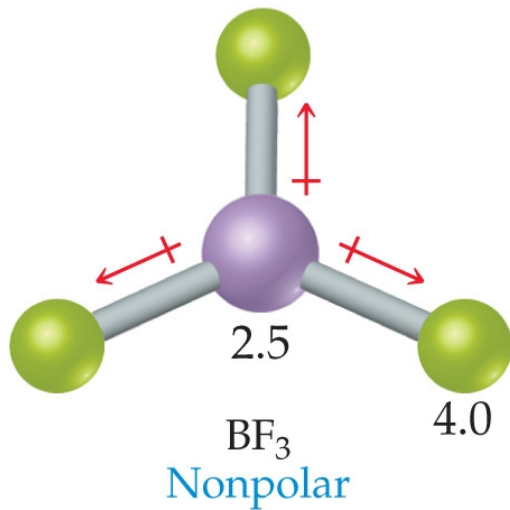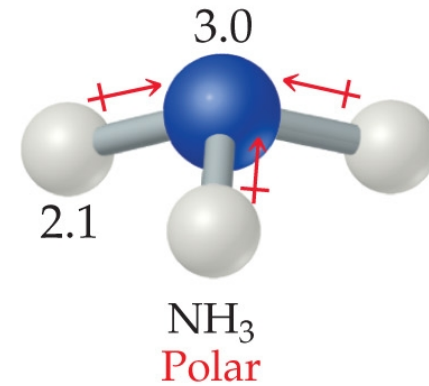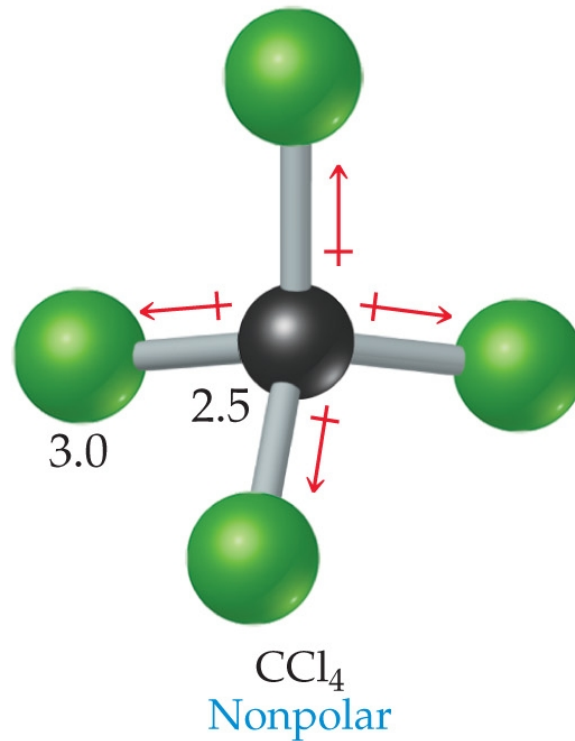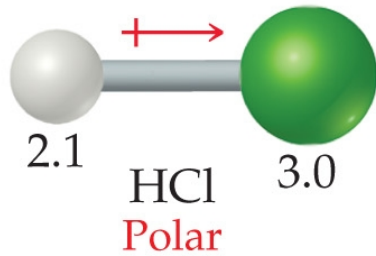
Sample Exercise 9.4 Polarity of Molecules

Predict whether these molecules are polar or nonpolar: (a) BrCl, (b) SO_2, (c) SF_6.

Solution

Analyze We are given three molecular formulas and asked to predict whether the molecules are polar.

Plan A molecule containing only two atoms is polar if the atoms differ in electronegativity. The polarity of a molecule containing three or more atoms depends on both the molecular geometry and the individual bond polarities. Thus, we must draw a Lewis structure for each molecule containing three or more atoms and determine its molecular geometry. We then use electronegativity values to determine the direction of the bond dipoles. Finally, we see whether the bond dipoles cancel to give a nonpolar molecule or reinforce each other to give a polar one.

Solve

(a) Chlorine is more electronegative than bromine. All diatomic molecules with polar bonds are polar molecules. Consequently, BrCl is polar, with chlorine carrying the partial negative charge:
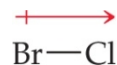
Br—Cl

The measured dipole moment of BrCl is $\mu = 0.57$ D.

(b) Because oxygen is more electronegative than sulfur, SO2 has polar bonds. Three resonance forms can be written:

$$:\ddot{O}{-}\ddot{S}{=}\ddot{O}: \longleftrightarrow :\ddot{O}{=}\ddot{S}{-}\ddot{O}: \longleftrightarrow :\ddot{O}{=}\ddot{S}{=}\ddot{O}:$$
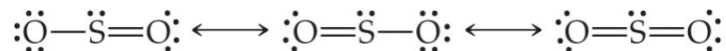
For each of these, the VSEPR model predicts a bent molecular geometry. Because the molecule is bent, the bond dipoles do not cancel, and the molecule is polar

Chemistry, The Central Science, 12th Edition
Theodore L. Brown; H. Eugene LeMay, Jr.; Bruce E. Bursten; Catherine J. Murphy; and Patrick Woodward

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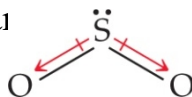
Sample Exercise 9.4 Polarity of Molecules

Continued

Experimentally, the dipole moment of SO_2 is $\mu = 1.63$ D.

(c) Fluorine is more electronegative than sulfur, so the bond dipoles point toward fluorine. For clarity, only one S — F dipole is shown. The six S — F bonds are arranged octahedrally around the central sulfur:
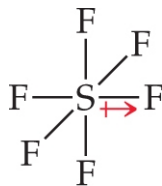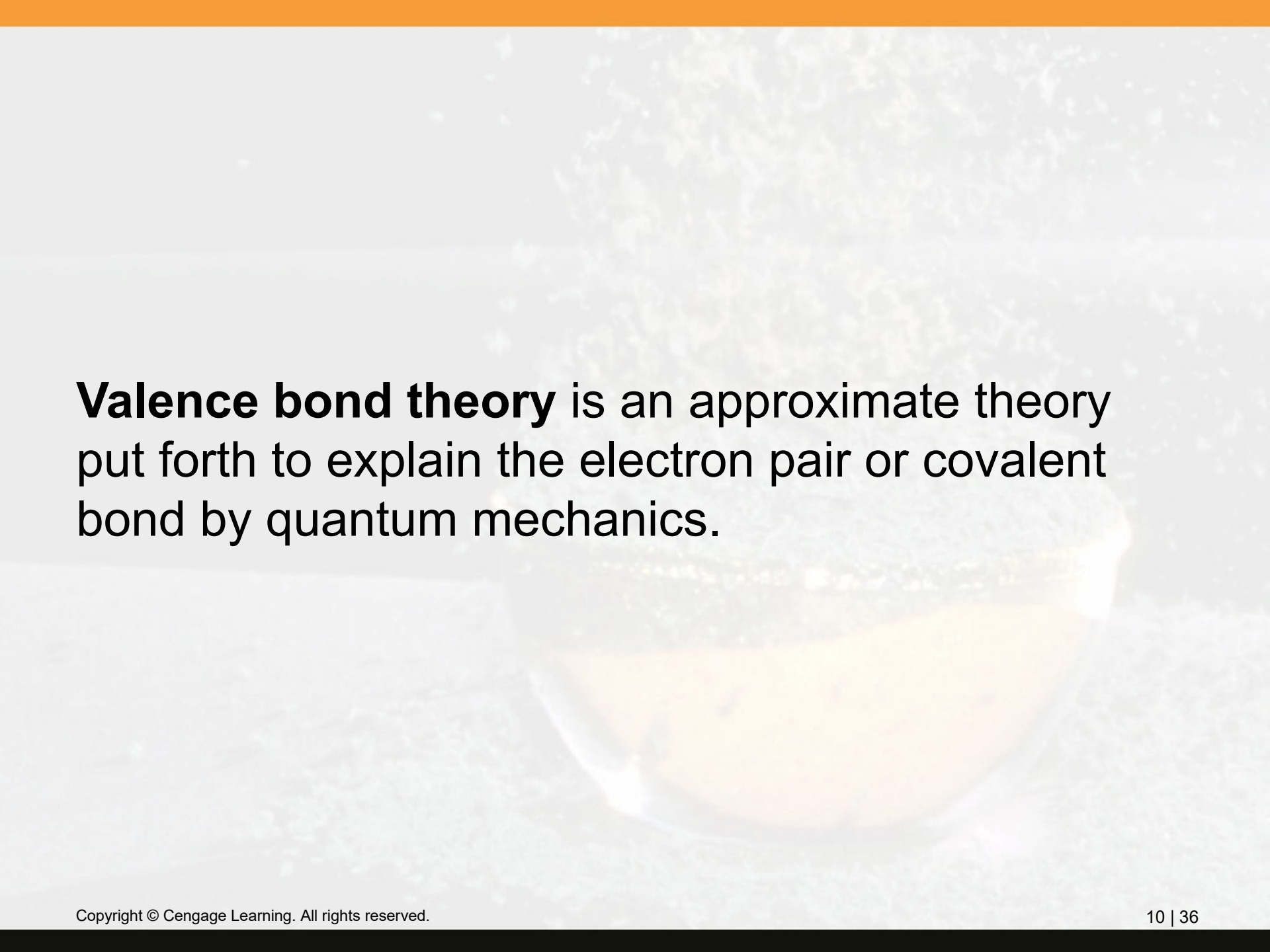
Because the octahedral molecular geometry is symmetrical, the bond dipoles cancel, and the molecule is nonpolar, meaning that $\mu = 0$.

Practice Exercise

Determine whether the following molecules are polar or nonpolar: (a) NF_3, (b) BCl_3.

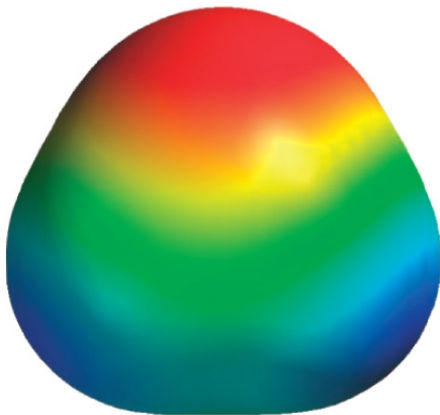**Answers:** (a) polar because polar bonds are arranged in a trigonal-pyramidal geometry, (b) nonpolar because polar bonds are arranged in a trigonal-planar geometry

Valence bond theory is an approximate theory put forth to explain the electron pair or covalent bond by quantum mechanics.

A bond forms when

- An orbital on one atom comes to occupy a portion of the same region of space as an orbital on the other atom. The two orbitals are said to overlap.

- The total number of electrons in both orbitals is no more than two.

The greater the orbital overlap, the stronger the bond.

Orbitals (except *s* orbitals) bond in the direction in which they protrude or point, so as to obtain maximum overlap.

Overlap and Bonding
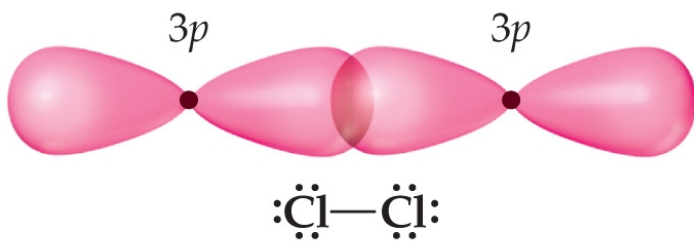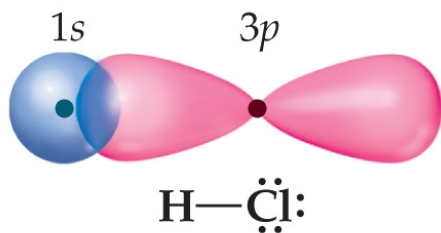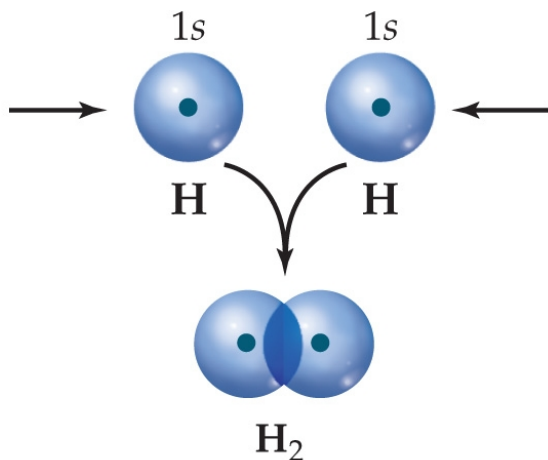
- We think of covalent bonds forming through the sharing of electrons by adjacent atoms.

- In such an approach this can only occur when orbitals on the two atoms overlap.

Molecular
Geometries
and Bonding

Overlap and Bonding

- Increased overlap brings the electrons and nuclei closer together while simultaneously decreasing electron–electron repulsion.

- However, if atoms get too close, the internuclear repulsion greatly raises the energy.

Molecular Geometries and Bonding
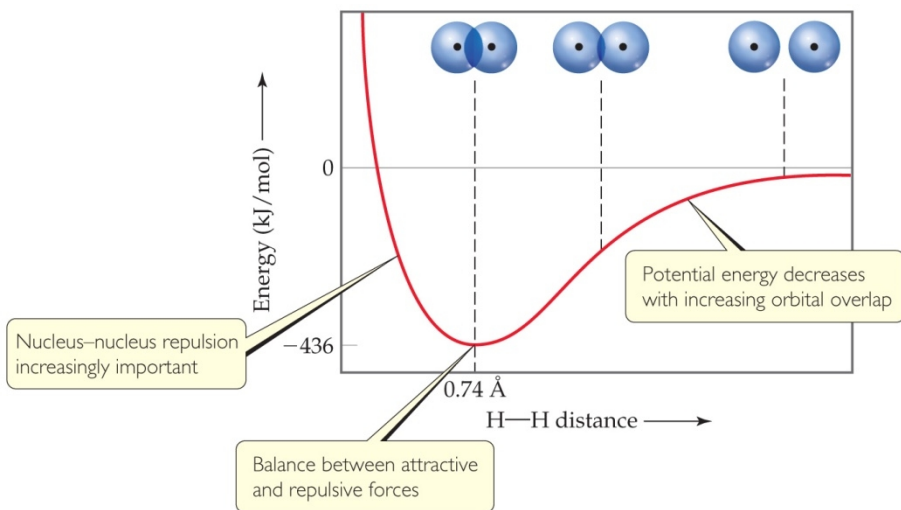
Hybrid orbitals are orbitals used to describe the bonding that is obtained by taking combinations of the atomic orbitals of the isolated atoms.

The number of hybrid orbitals formed always equals the number of atomic orbitals used.

Hybrid Orbitals

- Consider beryllium:
  - In its ground electronic state, beryllium would not be able to form bonds, because it has no singly occupied orbitals.

$1s$ $2s$ $2p$
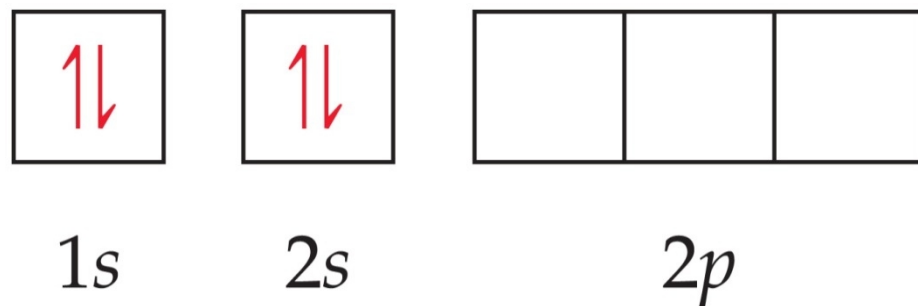
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Hybrid Orbitals

But if it absorbs the small amount of energy needed to promote an electron from the 2s to the 2p orbital, it can form two bonds.

$1s$ $2s$ $2p$

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$1s$ $2s$ $2p$

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Molecular
Geometries
and Bonding
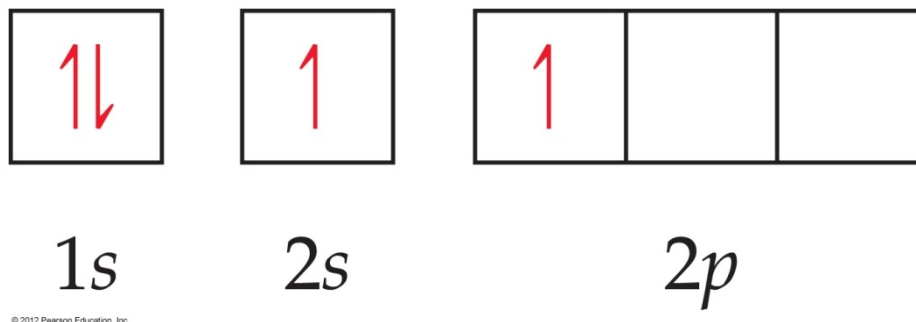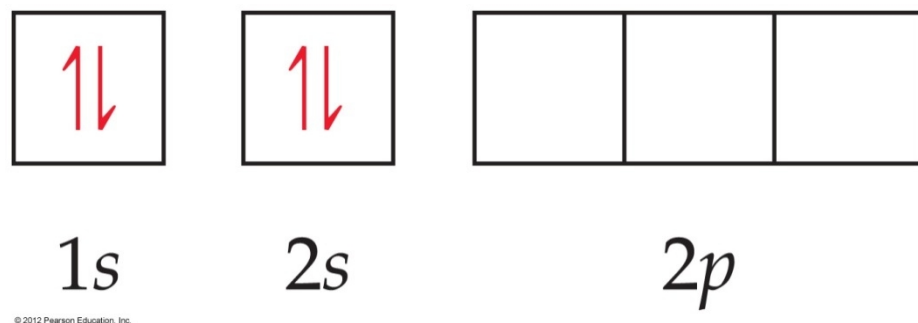
Hybrid Orbitals

- Mixing the *s* and *p* orbitals yields two degenerate orbitals that are hybrids of the two orbitals.
  - These *sp* hybrid orbitals have two lobes like a *p* orbital.
  - One of the lobes is larger and more rounded, as is the *s* orbital.

One *s* atomic orbital   One *p* atomic orbital   Hybridize →   Two *sp* hybrid orbitals   *sp* hybrid orbitals shown together (large lobes only)

Molecular
Geometries
and Bonding
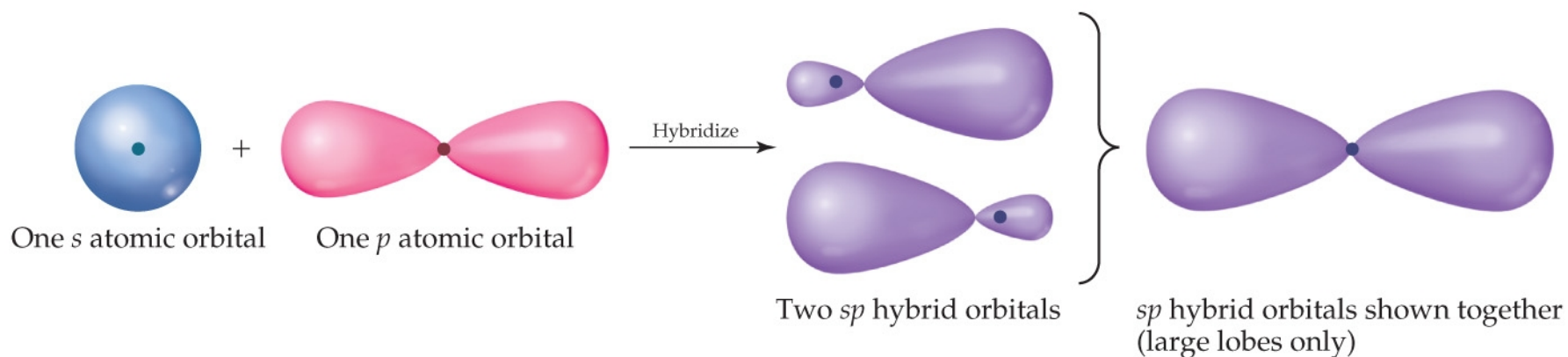
Hybrid Orbitals

- These two degenerate orbitals would align themselves 180° from each other.

- This is consistent with the observed geometry of beryllium compounds: linear.

Large lobes from two Be *sp* hybrid orbitals

F 2*p* atomic orbital   Overlap region   F 2*p* atomic orbital

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Hybrid Orbitals

1s   sp   2p
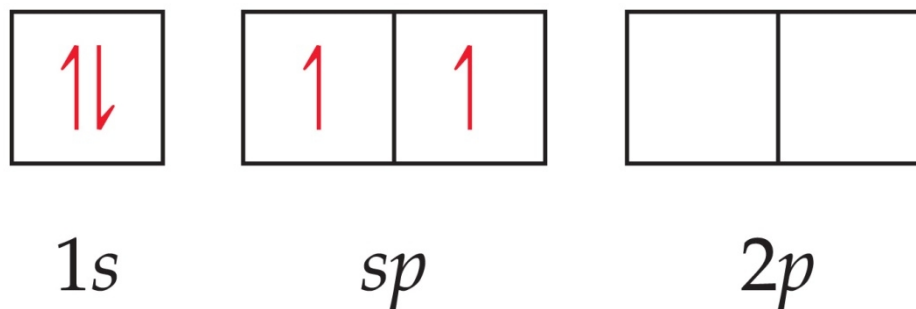
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- With hybrid orbitals, the orbital diagram for beryllium would look like this (Fig. 9.15).

- The *sp* orbitals are higher in energy than the 1*s* orbital, but lower than the 2*p*.

Hybrid Orbitals

Using a similar model for boron leads to three degenerate *sp²* orbitals.

One *s* orbital

Two *p* orbitals

Hybridize

sp^2 hybrid orbitals shown together (large lobes only)

Three sp^2 hybrid orbitals

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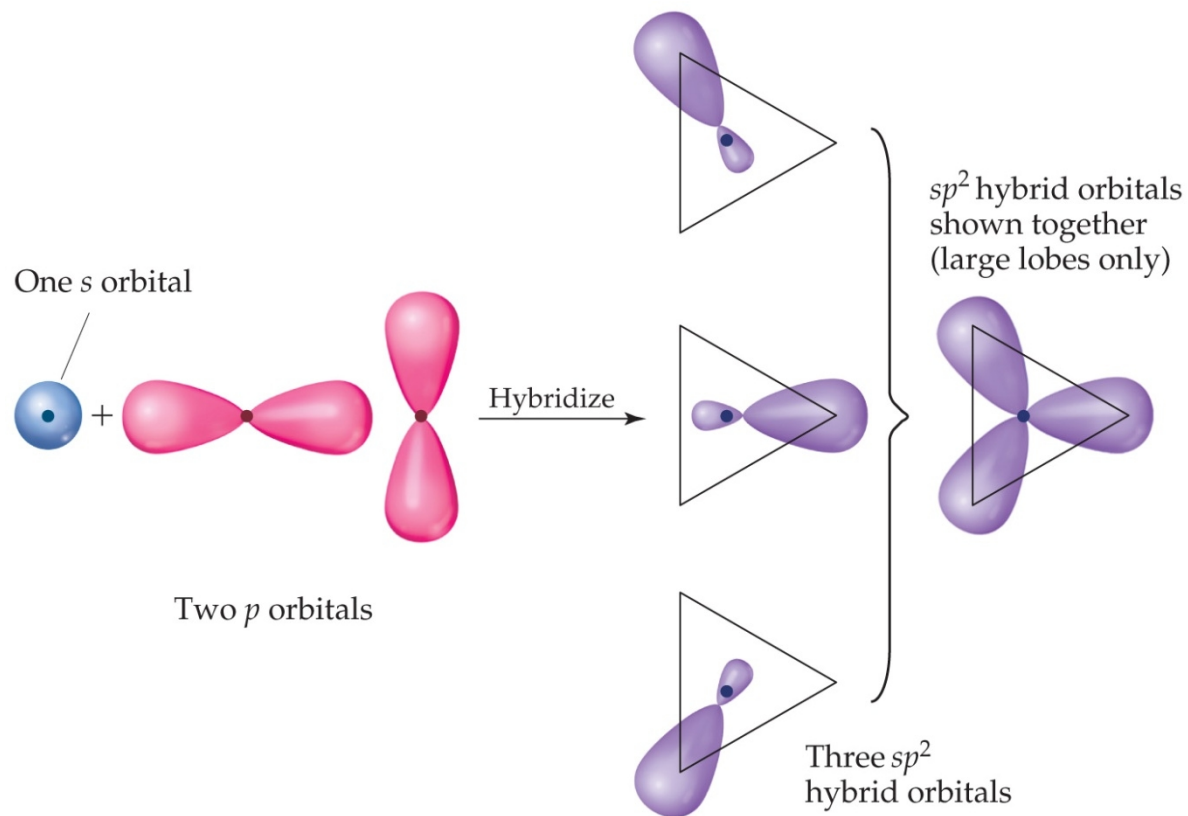
Hybrid Orbitals

With carbon, we get four degenerate *sp³* orbitals.

One *s* orbital   Three *p* orbitals

Hybridize to form four *sp³* hybrid orbitals

Shown together (large lobes only)

109.5°

Molecular Geometries and Bonding
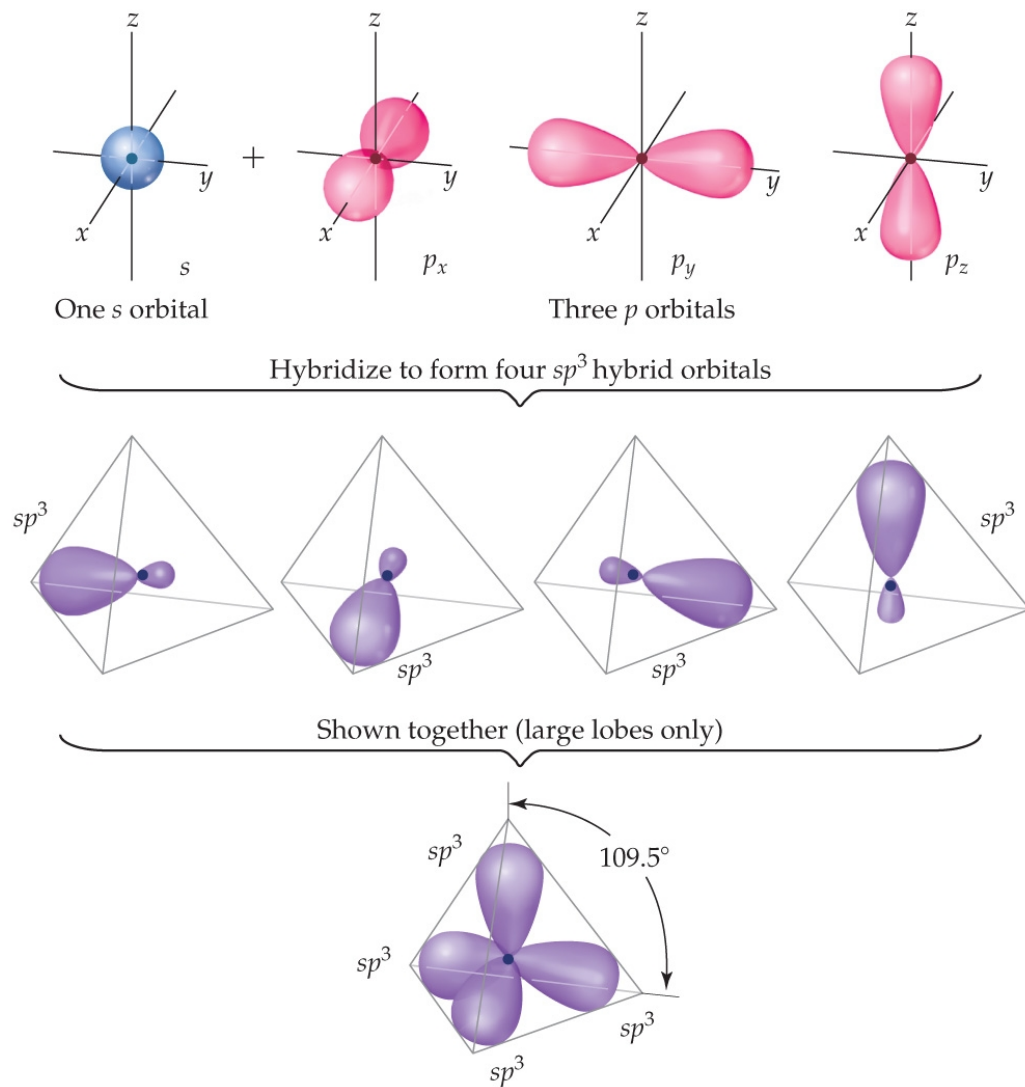
sp^{3}d and sp^{3}d^2 Hybridization

- Examples:
- PCl$_5$
- SF$_6$

Hybridization

- Some atoms *hybridize* their orbitals to maximize bonding.
  - Hybridizing is mixing different types of orbitals to make a new set of degenerate orbitals.
  - sp, sp^2, sp^3, sp^3d, sp^3d^2
  - more bonds = more full orbitals = more stability
- Same type of atom can have different hybridizations depending on the compound.
  - C = sp, sp^2, sp^3

Hybrid Orbitals

- The number of standard atomic orbitals combined equals the number of hybrid orbitals formed.
    - H cannot hybridize!
        - Its valence shell only has one orbital.
- The number and type of standard atomic orbitals combined determine the shape of the hybrid orbitals.
- The particular kind of hybridization that occurs is the one that yields the lowest overall energy for the molecule.

Carbon Hybridizations

Unhybridized

↑↓

↑	↑	

2s   2p

sp hybridized

↑	↑

↑	↑

2*sp*   2p

H—C≡N:

sp^2 hybridized

↑	↑	↑

↑

2*sp*^{2} 2p

sp^3 hybridized

↑	↑	↑	↑

2*sp*^{3}

H—C—H (with =O above, H below)

H—C—H (with H above and H below)
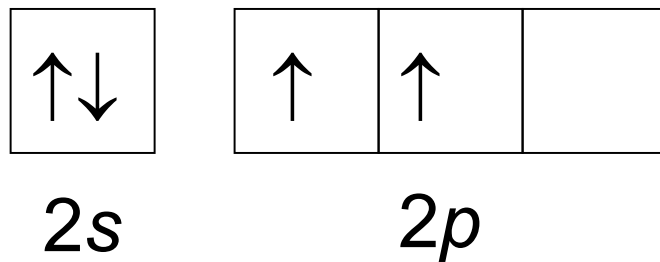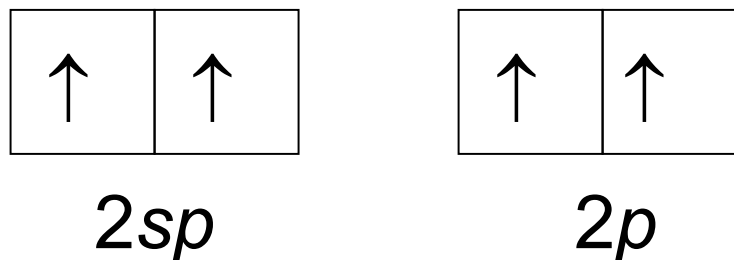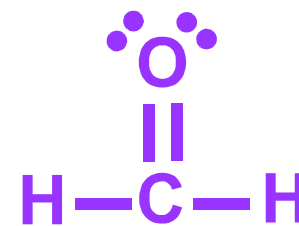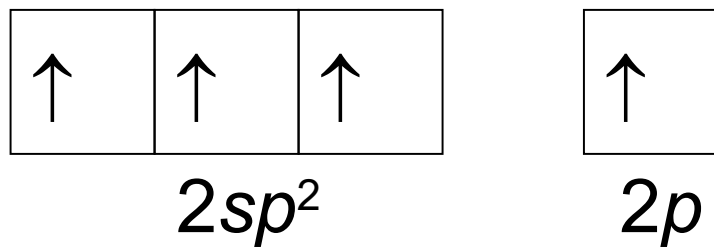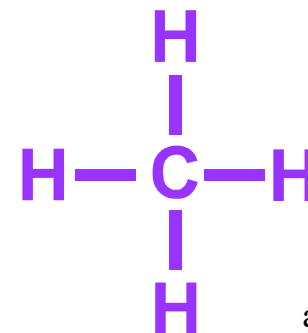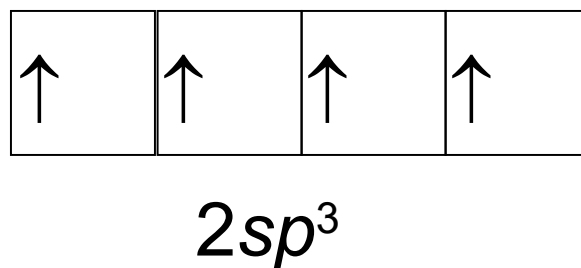
Molecular
Geometries
and Bonding

Valence Bond Theory

- Hybridization is a major player in this approach to bonding.

- There are two ways orbitals can overlap to form bonds between atoms.

Molecular
Geometries
and Bonding

Sigma (σ) Bonds
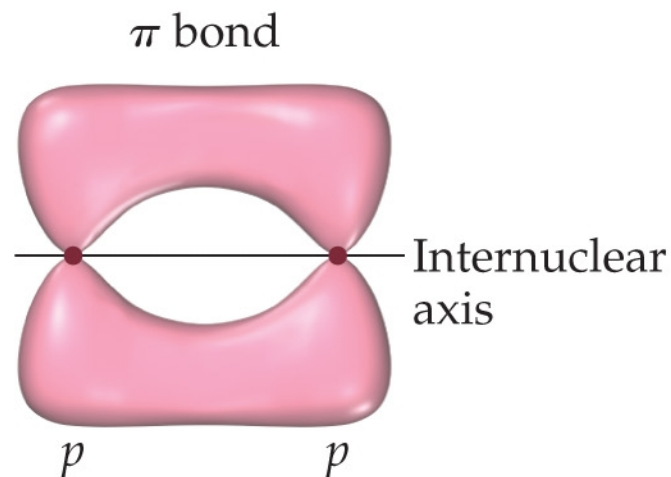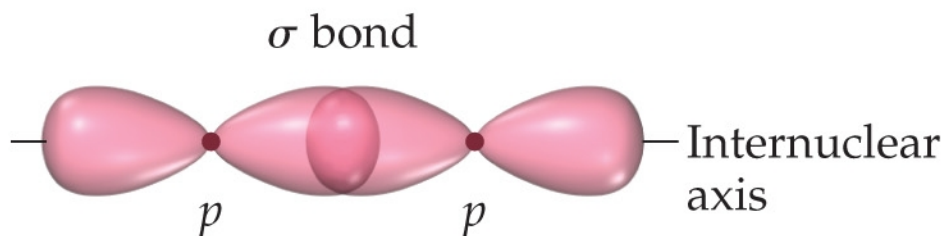
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- Sigma bonds are characterized by
  - Head-to-head overlap.
  - Cylindrical symmetry of electron density about the internuclear axis.

Pi (π) Bonds

σ bond

p   p

Internuclear axis

π bond

Internuclear axis

p   p
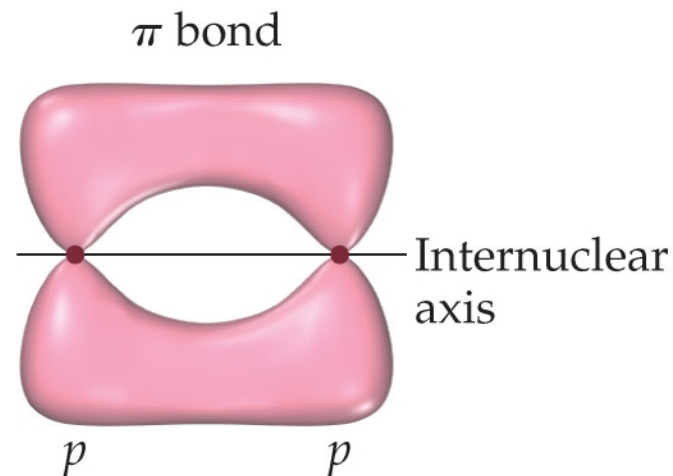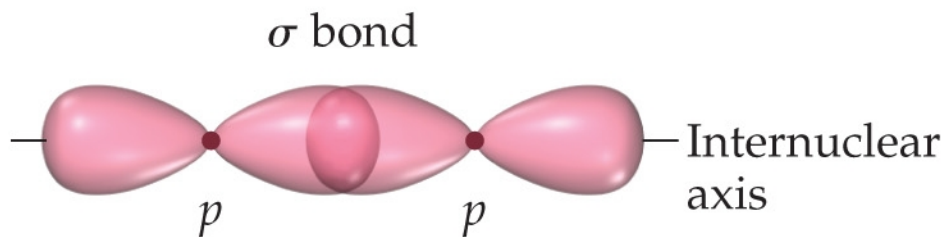
- Pi bonds are characterized by
  – Side-to-side overlap.
  – Electron density above and below the internuclear axis.

Molecular
Geometries
and Bonding

Single Bonds

Single bonds are always σ bonds, because σ overlap is greater, resulting in a stronger bond and more energy lowering.

Molecular
Geometries
and Bonding

Multiple Bonds

In a multiple bond, one of the bonds is a σ bond and the rest are π bonds.

H—H

One σ bond

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H   H
 \ /
  C=C
 / \
H   H

One σ bond plus one π bond

:N≡N:
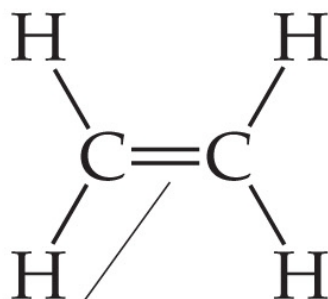
One σ bond plus two π bonds

Multiple Bonds

C—H σ bonds

Nonbonding electron pair orbitals

H

H

C

O

One C—O π bond

C—O σ bond
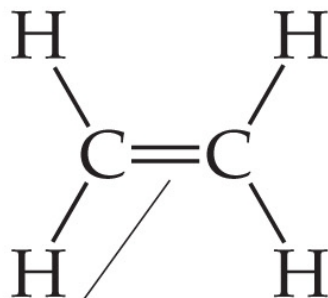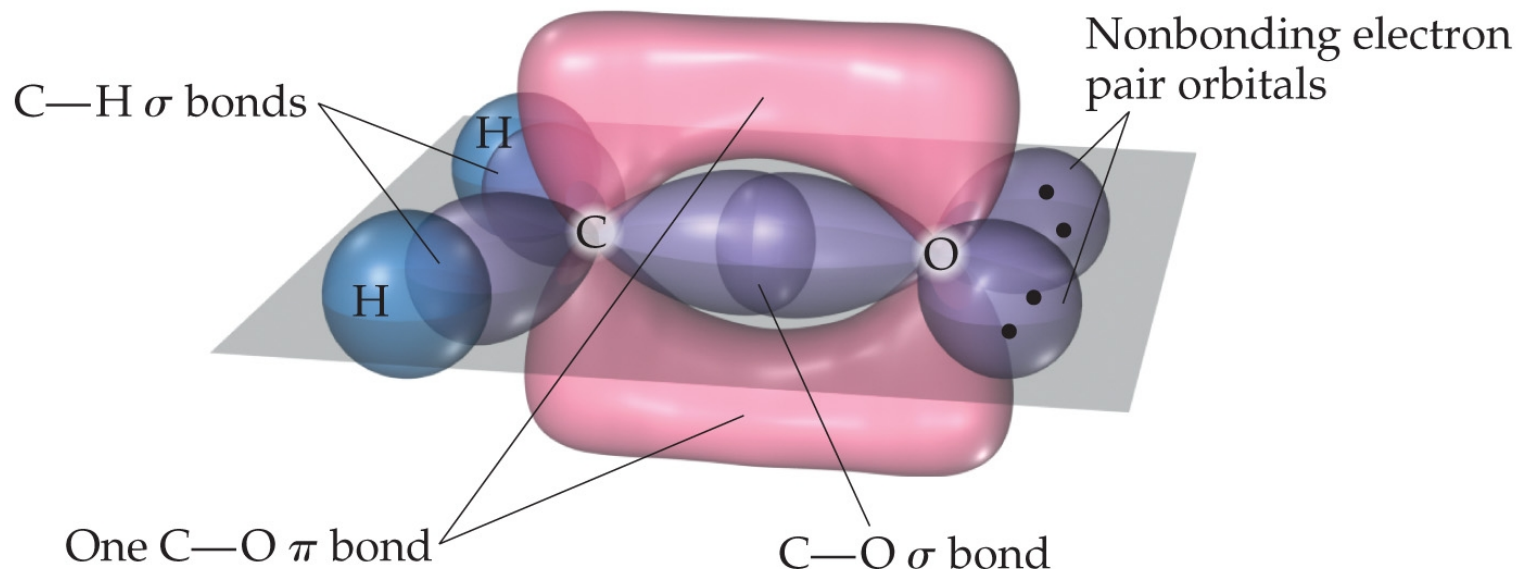
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- In a molecule like formaldehyde (shown at left), an *sp2* orbital on carbon overlaps in σ fashion with the corresponding orbital on the oxygen.

- The unhybridized *p* orbitals overlap in π fashion.

Molecular
Geometries
and Bonding

Multiple Bonds

In triple bonds, as in acetylene, two *sp* orbitals form a σ bond between the carbons, and two pairs of *p* orbitals overlap in π fashion to form the two π bonds.

sp hybrid orbitals

2*p* orbitals

form C—C π bonds

C—C π bonds

add H's

C—H σ bond   C—C σ bond

H   C   C   H

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Molecular Geometries and Bonding
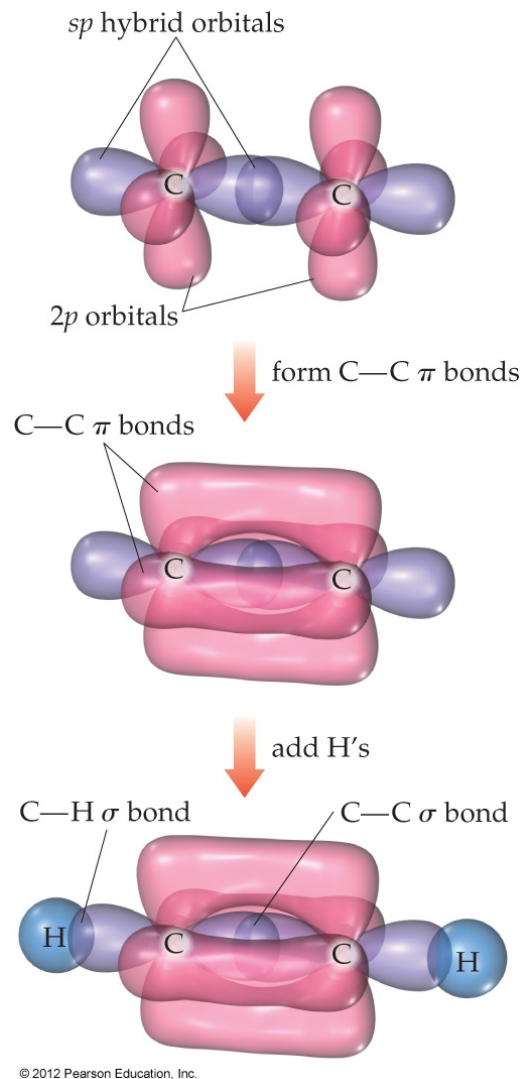
Resonance

The organic molecule benzene has six σ bonds and a *p* orbital on each carbon atom.
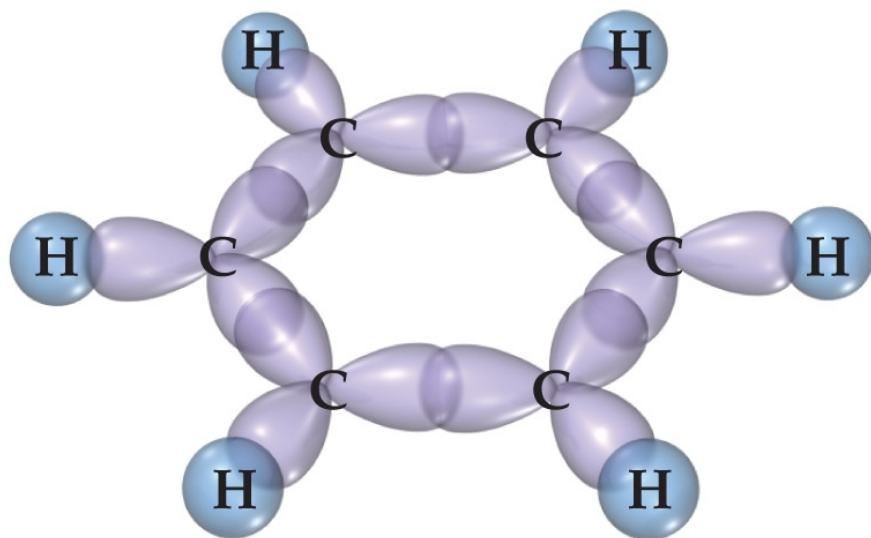
(a) σ bonds

(b) 2*p* atomic orbitals
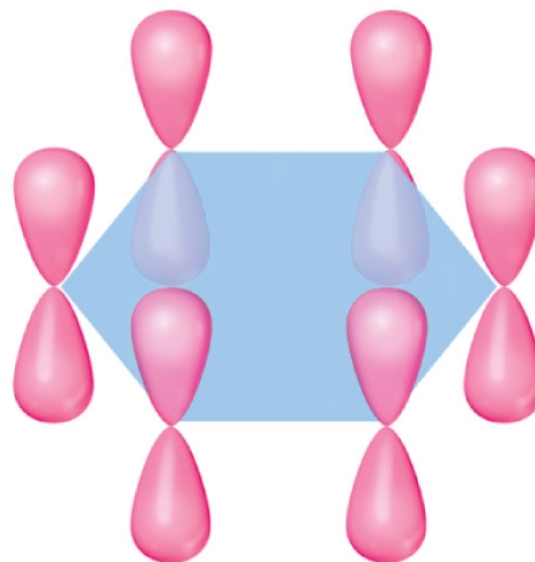
Molecular
Geometries
and Bonding

Resonance

- In reality the π electrons in benzene are not localized, but delocalized.

- The even distribution of the π electrons in benzene makes the molecule unusually stable.

Localized π bond

Delocalized π bond

Resonance →
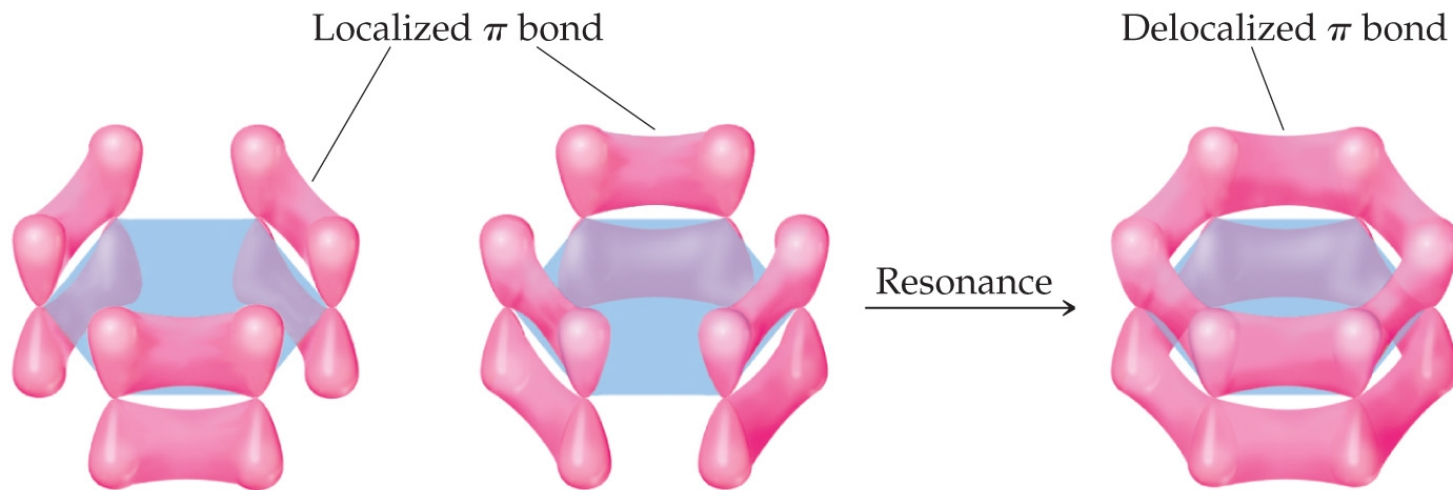
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Molecular Orbital Theory

- In MO theory, we apply Schrödinger's wave equation to the molecule to calculate a set of **molecular orbitals**.

- In this treatment, the electrons belong to the whole molecule—so the orbitals belong to the whole molecule.

  - delocalization

LCAO

- The simplest assumption starts with the atomic orbitals of the atoms adding together to make molecular orbitals. This is called the **linear combination of atomic orbitals** method.

- Because the orbitals are wave functions, the waves can combine either **constructively** or **destructively**.

Molecular Orbitals

- When the wave functions combine constructively, the resulting molecular orbital has less energy than the original atomic orbitals and is called a **bonding molecular orbital**.
  , σ, π

  - most of the electron density between the nuclei

- When the wave functions combine destructively, the resulting molecular orbital has more energy than the original atomic orbitals and is called an **antibonding molecular orbital**.
  , σ^*, π^*

  - most of the electron density outside the nuclei
  - nodes between nuclei

Molecular
Geometries
and Bonding

Interaction of 1s Orbitals

1s − 1s   Destructive interference → $\sigma_{1s}^{\star}$ Antibonding molecular orbital

1s + 1s   Constructive interference → σ_{1s} Bonding molecular orbital

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Molecular Geometries and Bonding

Molecular Orbital Theory

- Electrons in bonding MOs are stabilizing.

  - lower energy than the atomic orbitals

- Electrons in antibonding MOs are destabilizing.

  - higher in energy than atomic orbitals

  - electron density located outside the internuclear axis

  - electrons in antibonding orbitals cancel stability gained by electrons in bonding orbitals

MO and Properties

- Bond order is the difference between number of electrons in bonding and antibonding orbitals.
  - only need to consider valence electrons
  - may be a fraction
  - higher bond order = stronger and shorter bonds
  - if bond order = 0, then bond is unstable compared to individual atoms and no bond will form
- A substance will be paramagnetic if its MO diagram has unpaired electrons.
  - If all electrons are paired, it is diamagnetic.

$$\text{Bond Order} = \frac{\text{\# Bond Elec.} - \text{\# Antibond Elec.}}{2}$$

Molecular
Geometries
and Bonding

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Dihydrogen, H$_2$

hydrogen atomic orbital

molecular orbitals

hydrogen atomic orbital
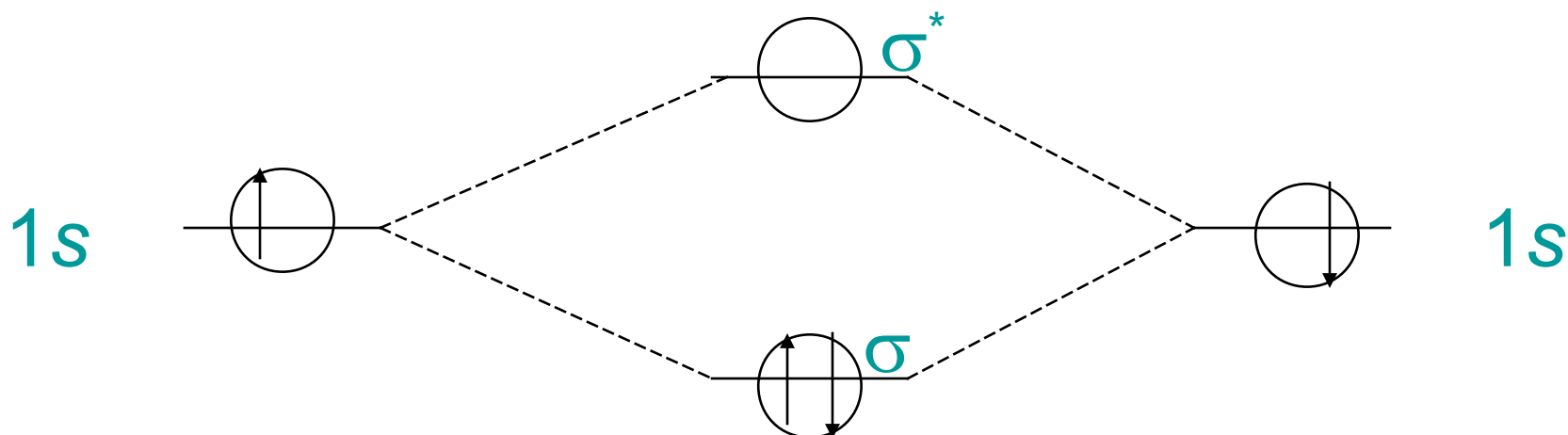
1s

σ^*

σ

1s

Since more electrons are in bonding orbitals than in antibonding orbitals, there is a net bonding interaction.

Molecular Geometries and Bonding

H_2
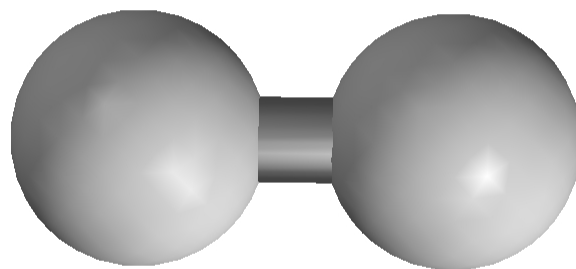
σ bonding MO
HOMO

σ^* Antibonding MO
LUMO

Dihelium, He$_2$

helium atomic orbital

molecular orbitals

helium atomic orbital

σ^*

1s

σ

1s

BO = ½(2 − 2) = 0

Since there are as many electrons in antibonding orbitals as in bonding orbitals, there is no net bonding interaction.

lithium atomic orbitals

Dilithium, Li$_2$ molecular orbitals

lithium atomic orbitals

σ^*

2s

2s

σ
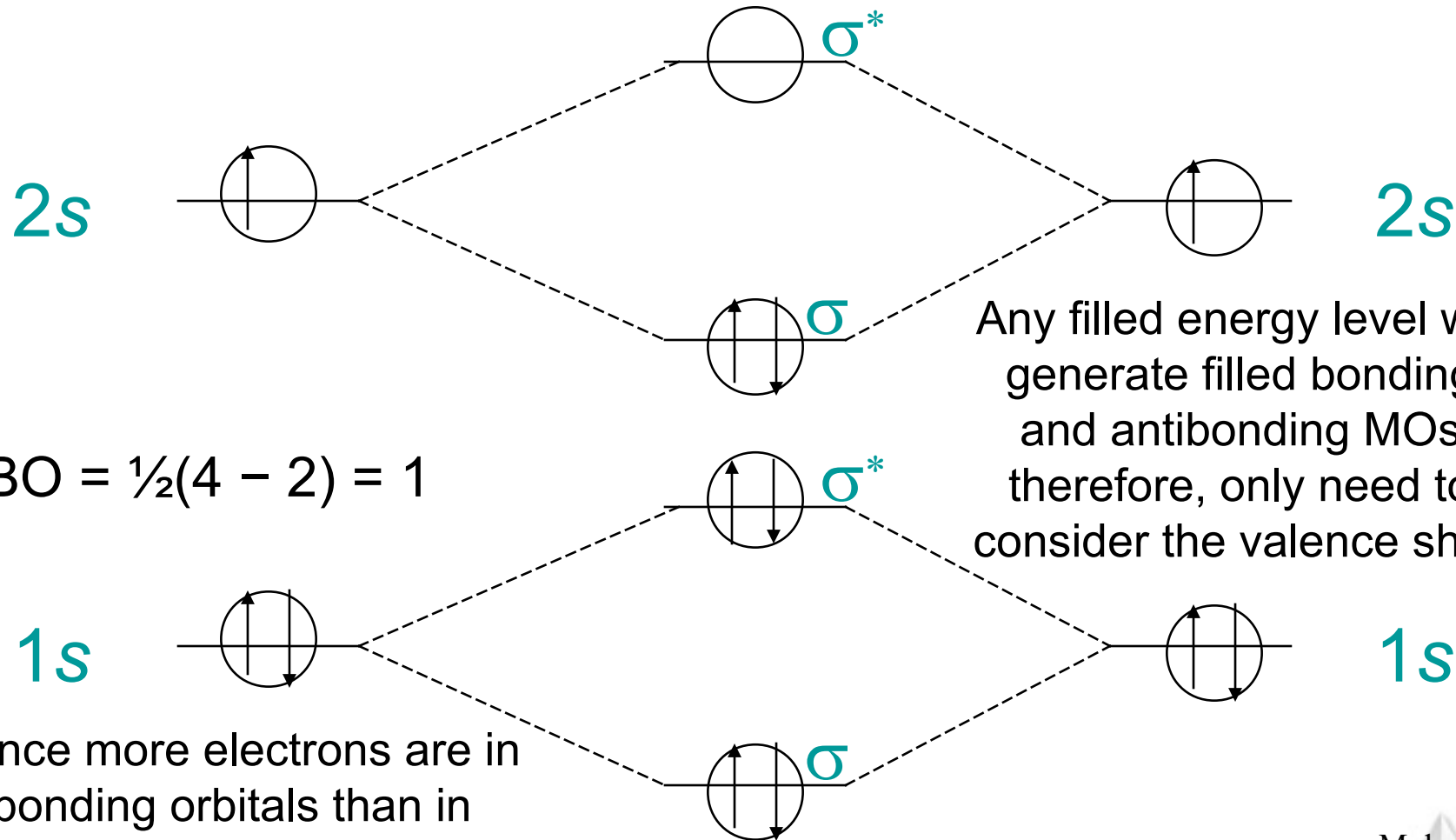
Any filled energy level will generate filled bonding and antibonding MOs; therefore, only need to consider the valence shell.

BO = ½(4 − 2) = 1

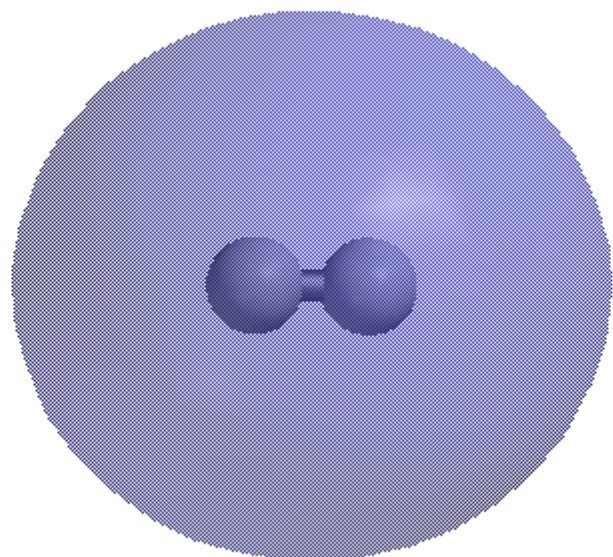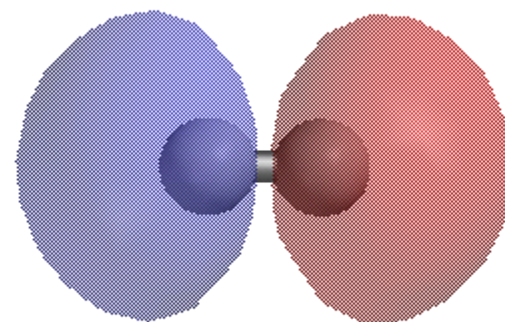σ^*

1s

1s

σ

Since more electrons are in bonding orbitals than in antibonding orbitals, there is a net bonding interaction.

Molecular Geometries and Bonding
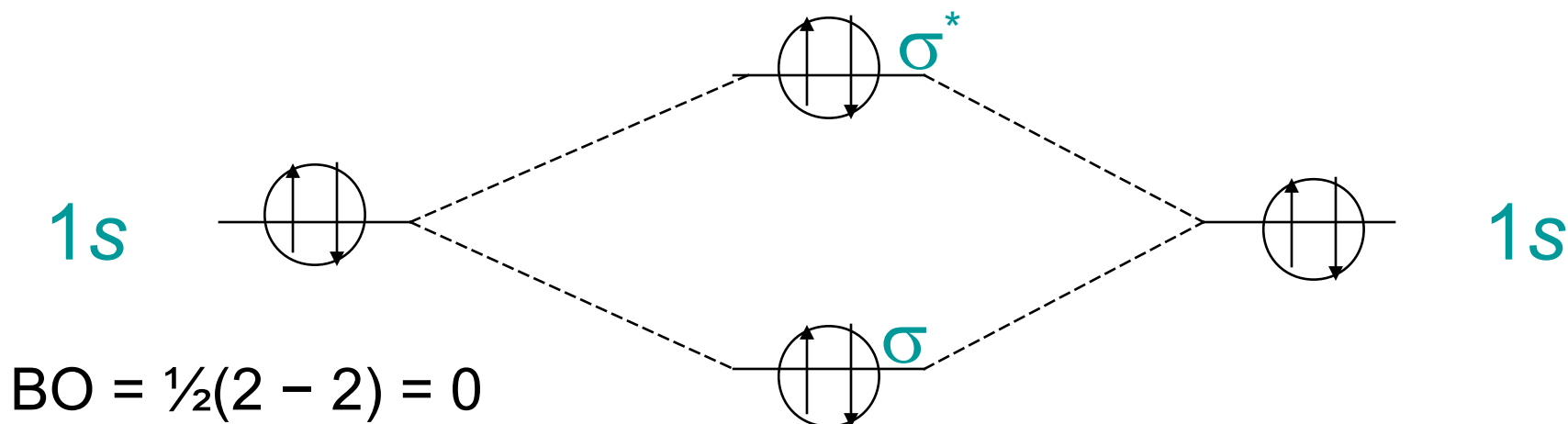
Li_2
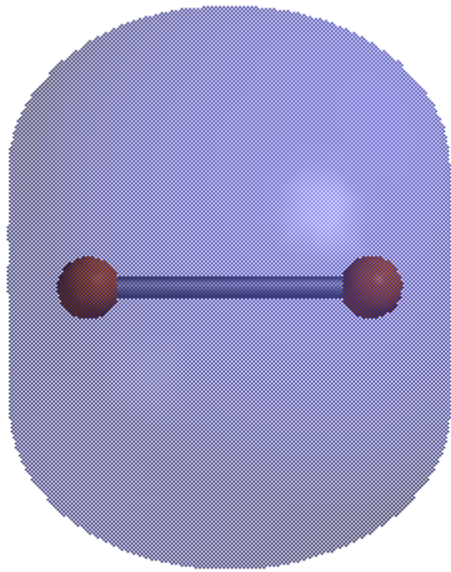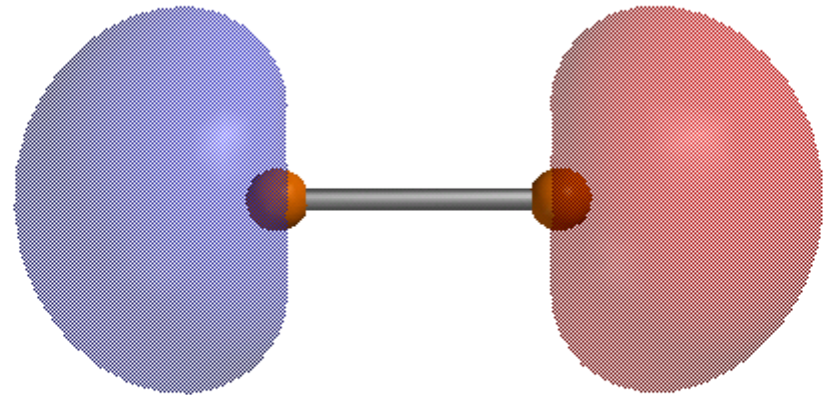
σ bonding MO
HOMO

σ* Antibonding MO
LUMO

Interaction of *p* Orbitals

Atomic orbitals

$2p_x$ $2p_x$

Molecular orbitals

σ_{2p}^*

σ_{2p}
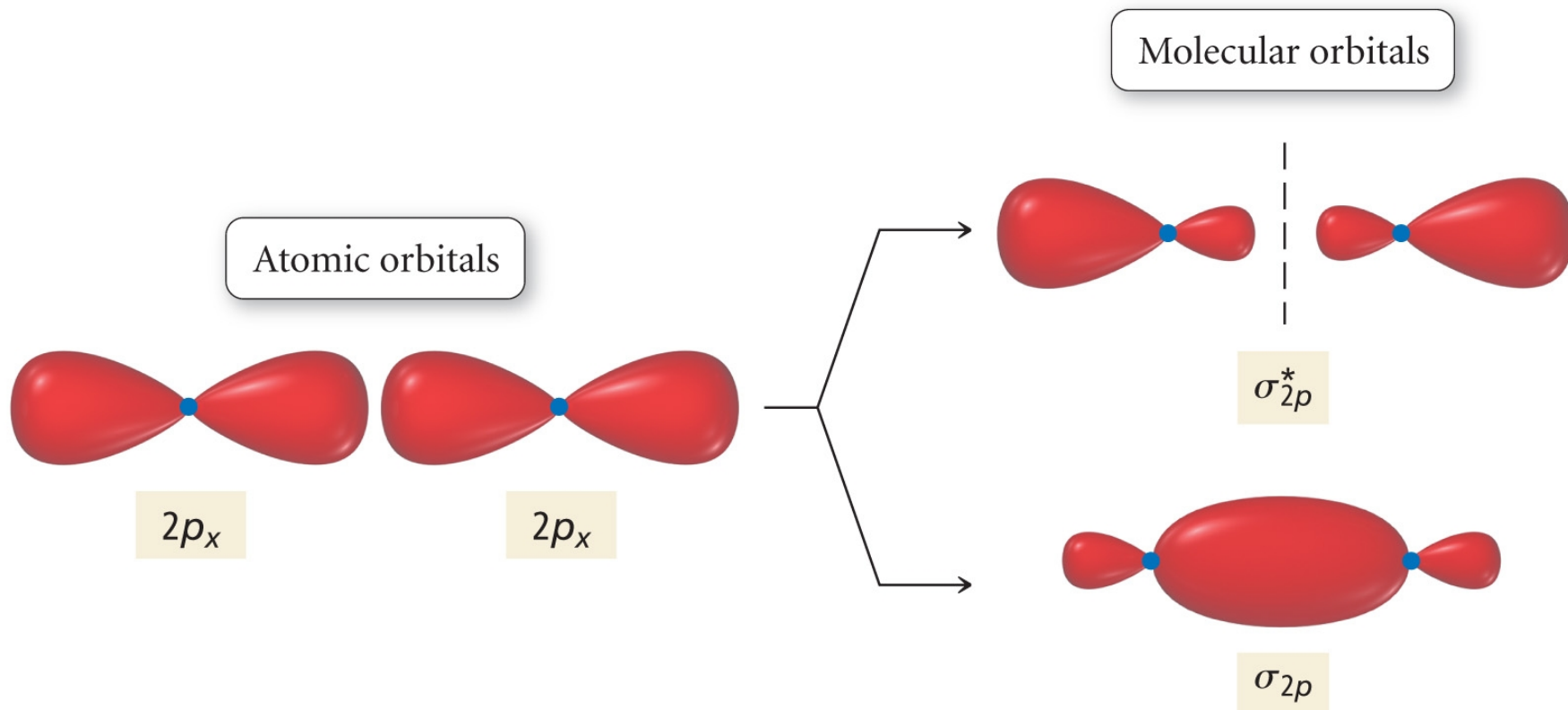
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Interaction of *p* Orbitals

Molecular orbitals

Molecular orbitals

Atomic orbitals

π_{2p}^*

π_{2p}

$2p_z$

$2p_z$

cular
Geometries
and Bonding

MO Theory

Increasing 2s–2p interaction

π_{2p}

σ_{2p}
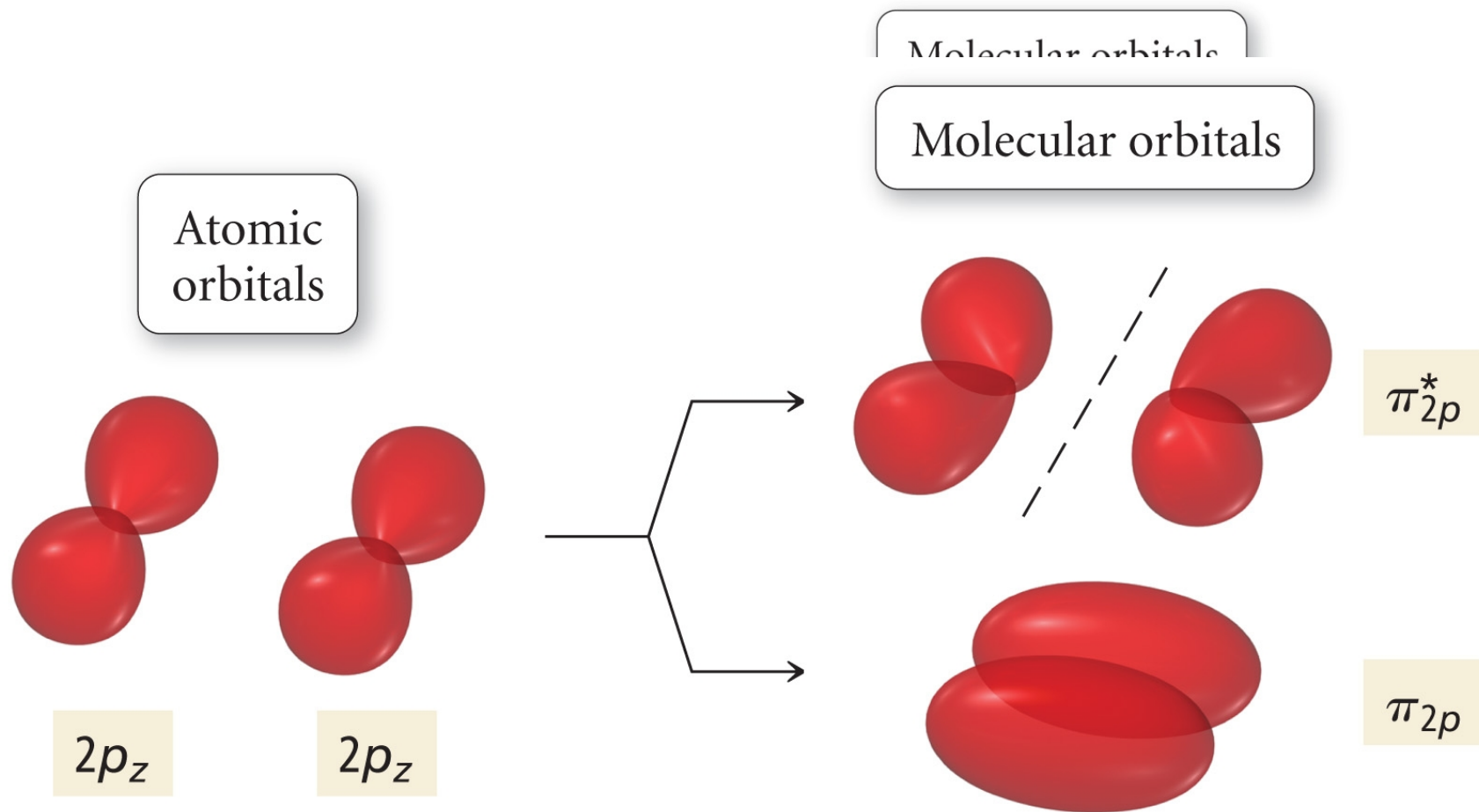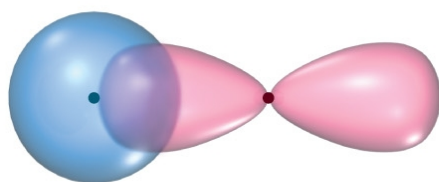
$\sigma_{2s}-\sigma_{2p}$ interaction causes energy splitting. σ_{2p} goes to higher energy, σ_{2s} goes to lower energy

σ_{2s}^*

σ_{2s}

Molecular orbital energy

O_2, F_2, Ne_2 B_2, C_2, N_2
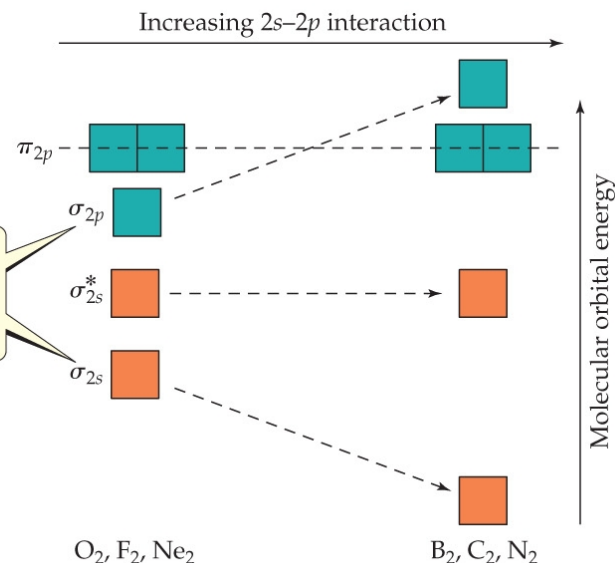
- The smaller *p*-block elements in the second period have a sizable interaction between the *s* and *p* orbitals.

- This flips the order of the σ and π molecular orbitals in these elements.
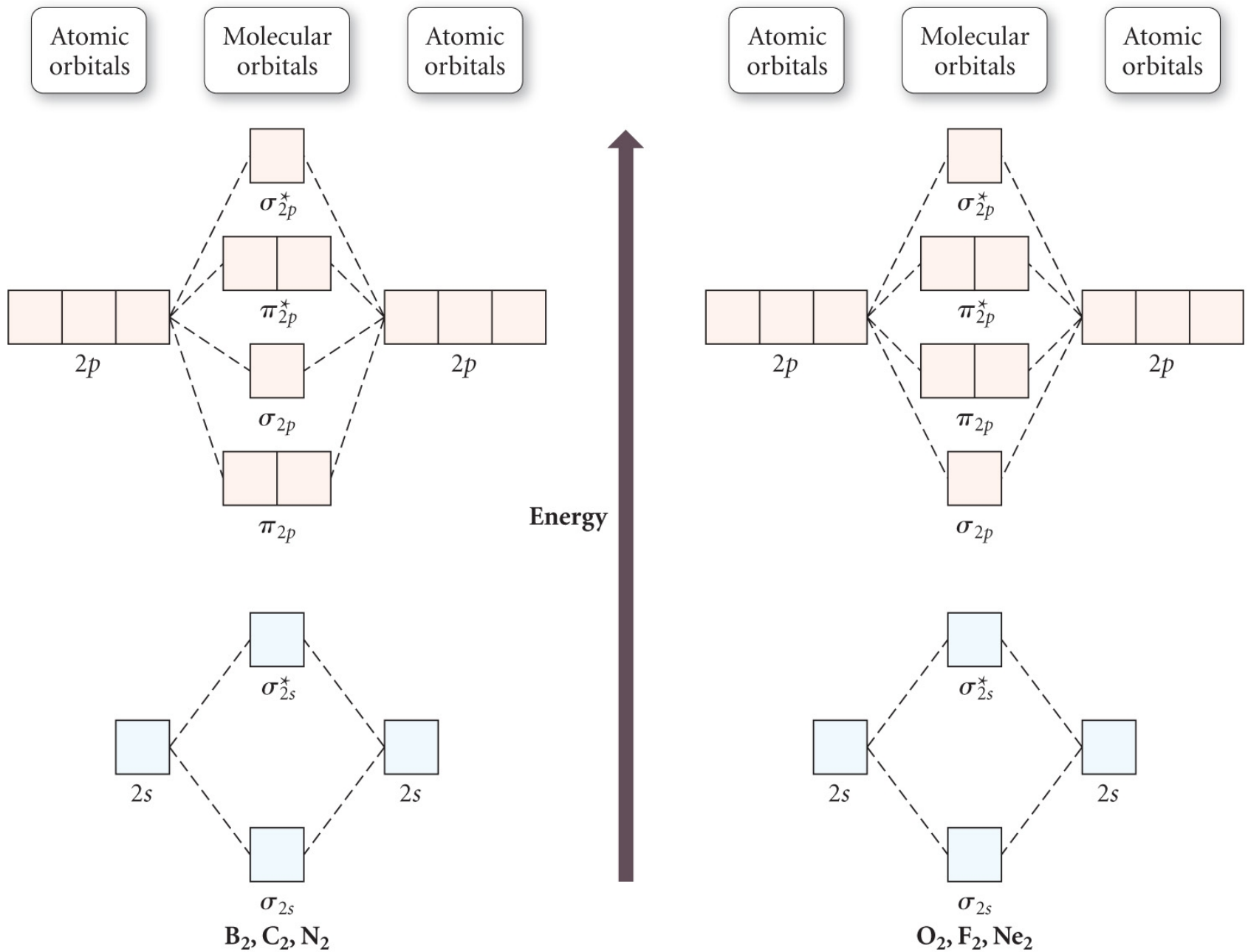
Molecular
Geometries
and Bonding

| Atomic orbitals | Molecular orbitals | Atomic orbitals |

σ^*_{2p}

π^*_{2p}

$2p$

$2p$

σ_{2p}

π_{2p}

Energy

σ^*_{2s}

$2s$

$2s$

σ_{2s}

B₂, C₂, N₂

| Atomic orbitals | Molecular orbitals | Atomic orbitals |

σ^*_{2p}

π^*_{2p}

$2p$

$2p$

π_{2p}

σ_{2p}

σ^*_{2s}

$2s$

$2s$

σ_{2s}

O₂, F₂, Ne₂

Second-Row MO Diagrams

	Large 2s–2p interaction				**Small 2s–2p interaction**		
	B₂	**C₂**	**N₂**		**O₂**	**F₂**	**Ne₂**

	B₂	C₂	N₂	O₂	F₂	Ne₂
Bond order	1	2	3	2	1	0
Bond enthalpy (kJ/mol)	290	620	941	495	155	—
Bond length (Å)	1.59	1.31	1.10	1.21	1.43	—
Magnetic behavior	Paramagnetic	Diamagnetic	Diamagnetic	Paramagnetic	Diamagnetic	—

Molecular
Geometries
and Bonding

N atomic orbitals NO molecular orbitals O atomic orbitals

σ^*_{2p}

π^*_{2p}

$2p$

π_{2p}

$2p$

σ_{2p}

σ^*_{2s}

$2s$

σ_{2s}

$2s$

Energy

N atom   NO molecule   O atom