

# Chapter 9

## Molecular Geometry & Bonding Theories

### I) Molecular Geometry (Shapes)

Chemical **reactivity** of **molecules** depends on the **nature** of the **bonds** between the atoms as well on its **3D structure**

### Molecular Geometry

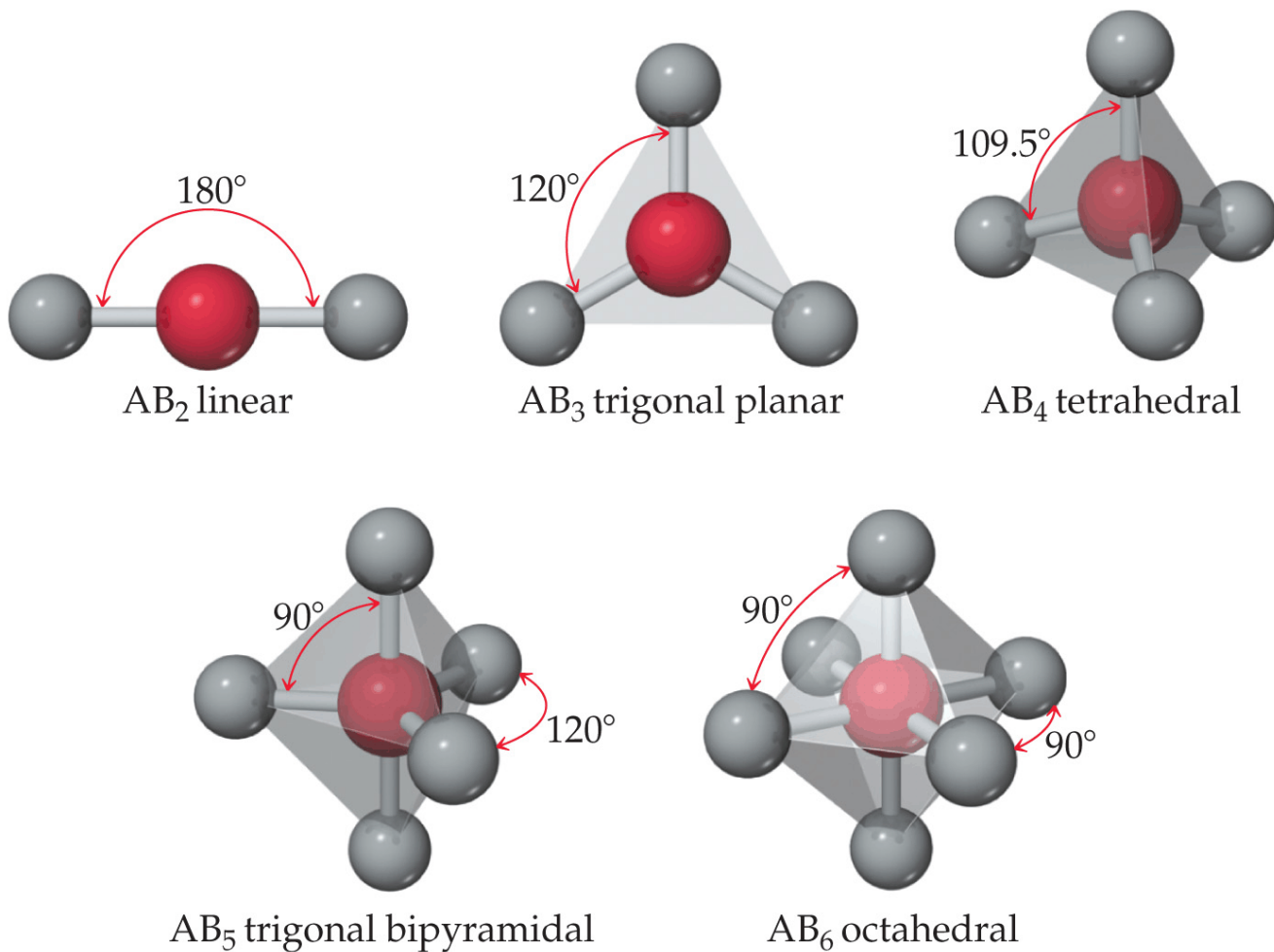
**Arrangement** or **positions** of **atoms** **relative** to each other

### Bond Angles

Angles made by **lines** **joining** the **nuclei** of **atoms** **bonded**

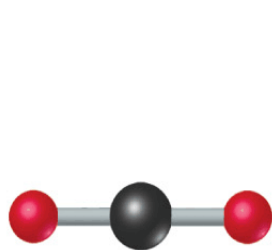
# A) $AB_n$ Arrangements

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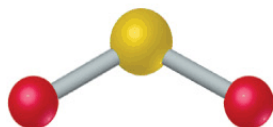


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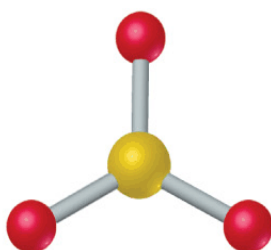
Various molecular shapes can arise from the 5 basic  $AB_n$  shapes.



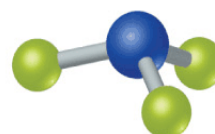
$CO_2$   
 $AB_2$  linear



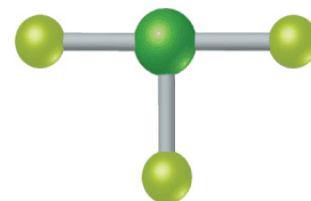
$SO_2$   
 $AB_2$  bent



$SO_3$   
 $AB_3$  trigonal planar



$NF_3$   
 $AB_3$  trigonal pyramidal



$ClF_3$   
 $AB_3$  T-shaped

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## II) VSEPR Theory

### Valence-Shell Electron-Pair Repulsion

$e^-$  pair: lone pair  $e^-$  or bonding  $e^-$   
(single, double & triple  
bonds treated same)

- really considering

regions of  $e^-$  density (domains)

VSEPR:  $e^-$  pairs arrange  
themselves as far apart  
as possible to minimize  
repulsions between them

- controls geometry  
around central atom

## A) Types of Geometry

### 1) Electron-Domain Geom.

arrangement of bonding and nonbonding  $e^-$  pairs (domains) about the central atom

### 2) Molecular Geom. (Shapes)

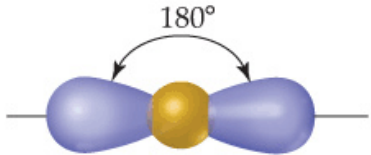
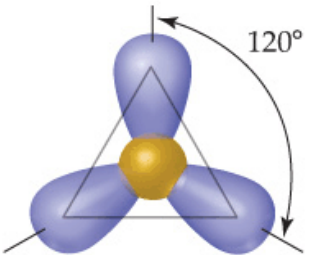
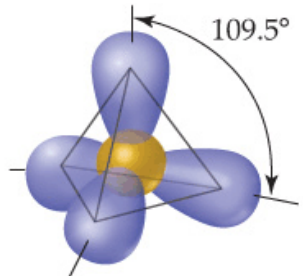
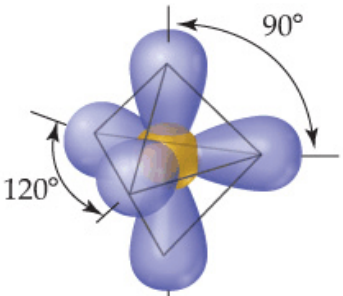
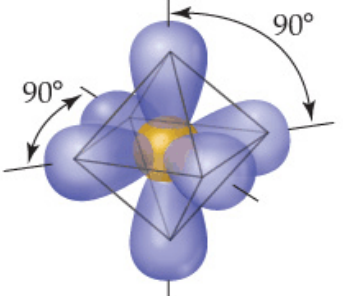
arrangement of bonded atoms about the central atom

described using **ONLY** the **ATOMS**

**Distinction** is **very** important!



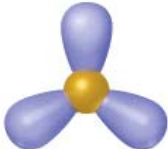
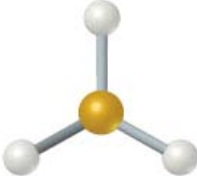
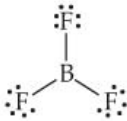
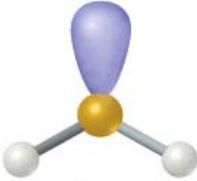
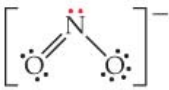


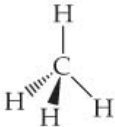
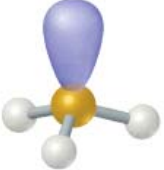

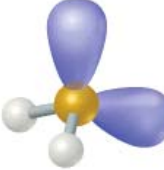

# Electron-Domain Geom

TABLE 9.1 • Electron-Domain Geometries as a Function of Number of Electron Domains

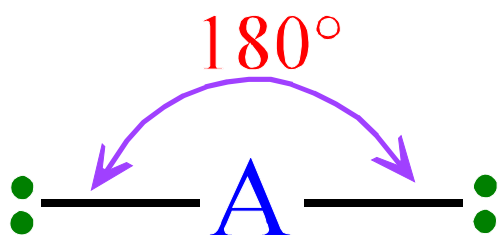
Number of Electron Domains	Arrangement of Electron Domains	Electron-Domain Geometry	Predicted Bond Angles
2		Linear	180°
3		Trigonal planar	120°
4		Tetrahedral	109.5°
5		Trigonal bipyramidal	120° 90°
6		Octahedral	90°

# ED and MG for $AB_2$ , $AB_3$ & $AB_4$ EDs

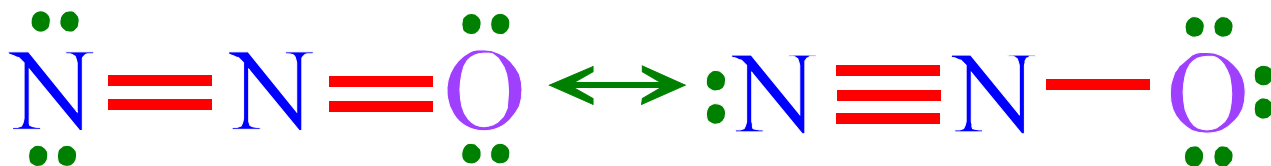
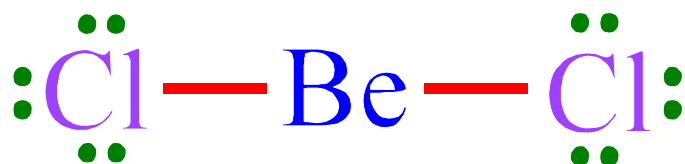
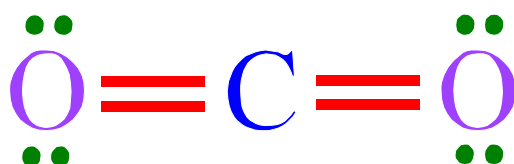
TABLE 9.2 • Electron-Domain and Molecular Geometries for Two, Three, and Four Electron Domains around a Central Atom

Number of Electron Domains	Electron-Domain Geometry	Bonding Domains	Nonbonding Domains	Molecular Geometry	Example
2	 Linear	2	0	 Linear	$\ddot{O}=\text{C}=\ddot{O}$
3	 Trigonal planar	3	0	 Trigonal planar	
		2	1	 Bent	
4	 Tetrahedral	4	0	 Tetrahedral	
		3	1	 Trigonal pyramidal	
		2	2	 Bent	

## B) 2 e<sup>-</sup> Pairs

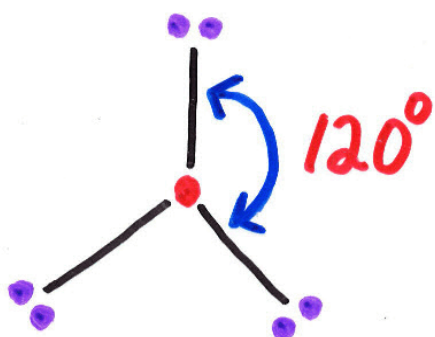


LINEAR





C) 3 e<sup>-</sup> Pairs

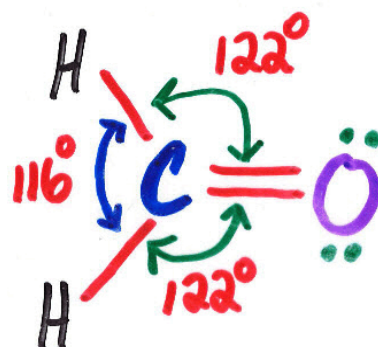
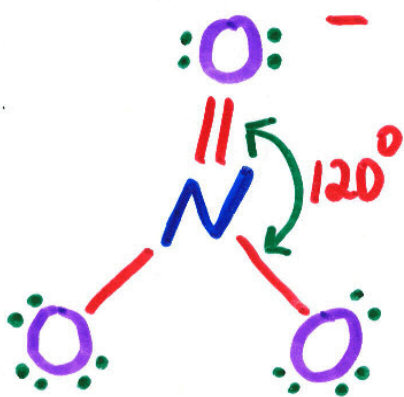
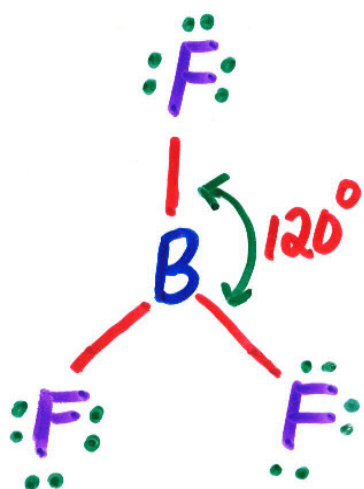


Trigonal Planar

Basic e<sup>-</sup> pair geometry

⇒ 2 possible molecular geom. or shapes

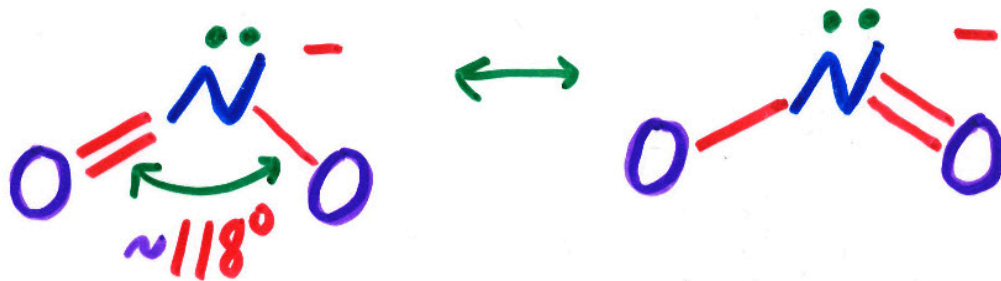
1) 3 bonding pairs



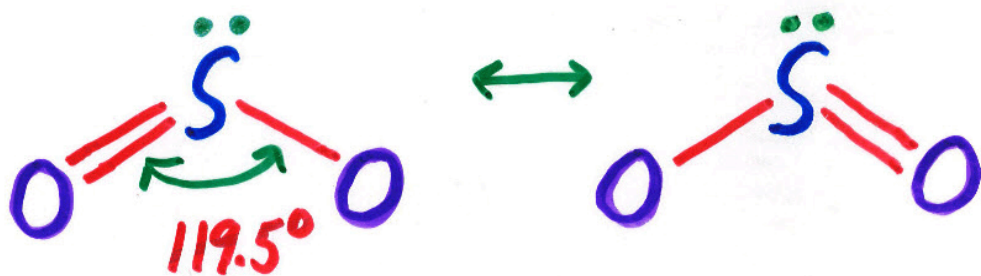
2) 2 bonding & 1 non bonding

**BENT** (angular); Angle  $< 120^\circ$

$\text{NO}_2^-$



$\text{SO}_2$

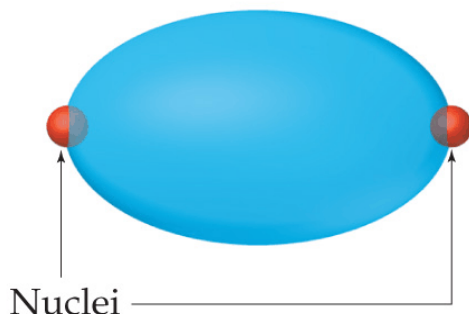


Molecular geom. is determined by arrangement of  $e^-$ -pairs but is described by positions of the nuclei.

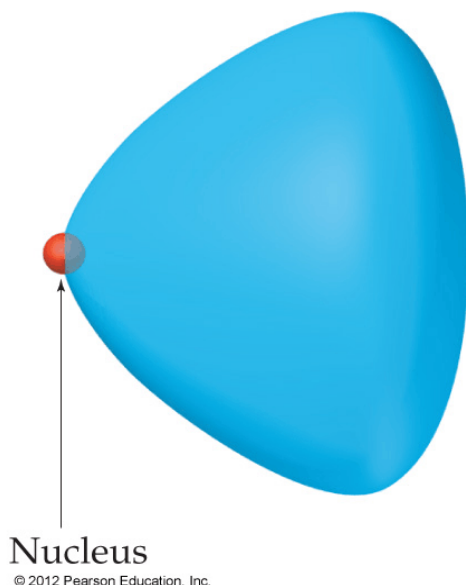
Why is the bond angle **not** exactly  $120^\circ$  ?

**Lone-pair e<sup>-</sup>** (nbe) not trapped between two atoms and thus **spread out** and take up **more space**. **Repulses bonding pairs** and **reduces** the **bond angles**.

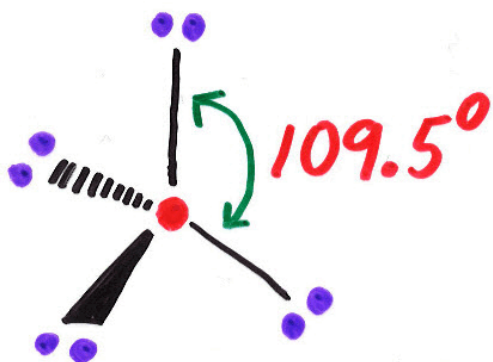
Bonding electron pair



Nonbonding pair



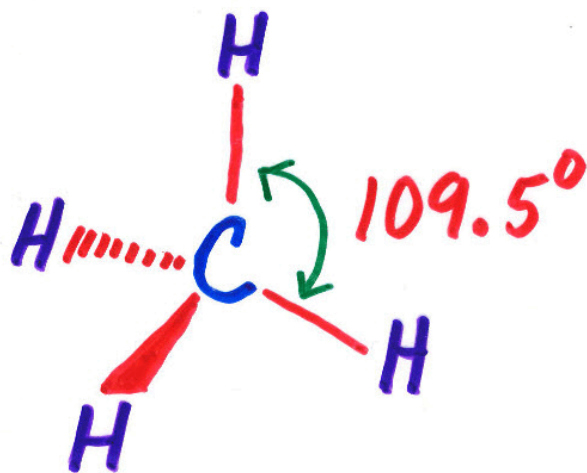
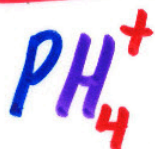
D) 4 e<sup>-</sup> Pairs



Tetrahedral

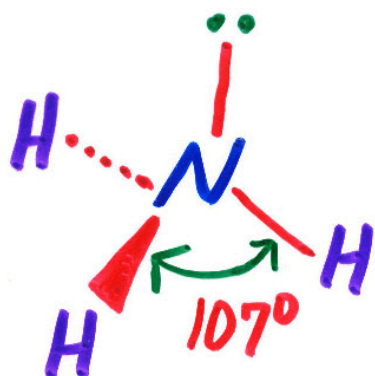
3 possible molecular geom. or shapes

1) 4 bonding pairs



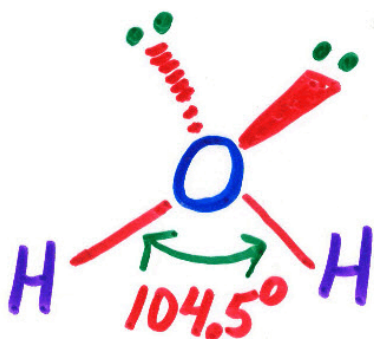
Tetrahedral

2) 3 bonding & 1 nonbonding



Trigonal  
pyramidal

3) 2 bonding & 2 nonbonding



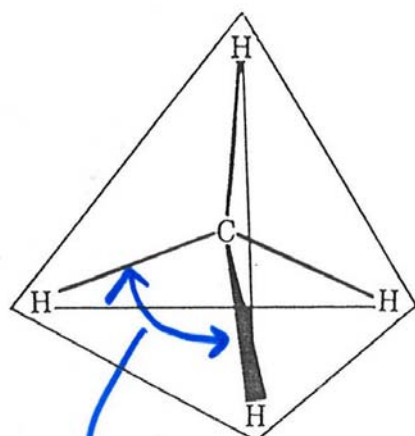
Bent

Note: bond angle dec. by  $\sim 2^\circ$   
for each lone pair of  $e^-$

## Arrangement of Electron Pairs and Geometry of Some Simple Molecules

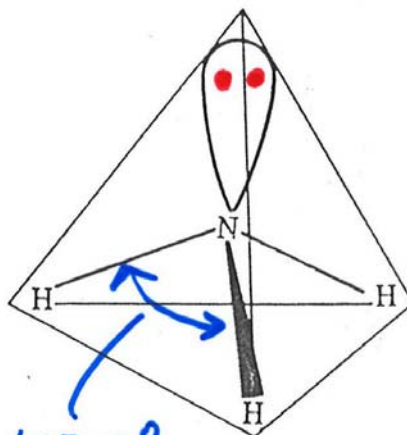
### Tetrahedral arrangement of electron pairs

Molecular geometry:



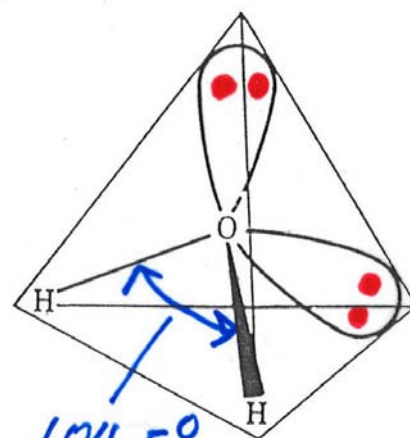
$109.5^\circ$

tetrahedral



$107.3^\circ$

trigonal pyramidal

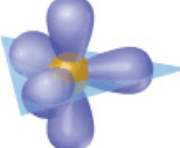
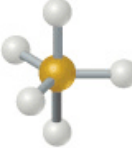


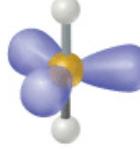

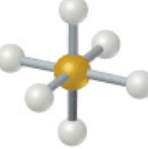

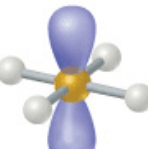


$104.5^\circ$

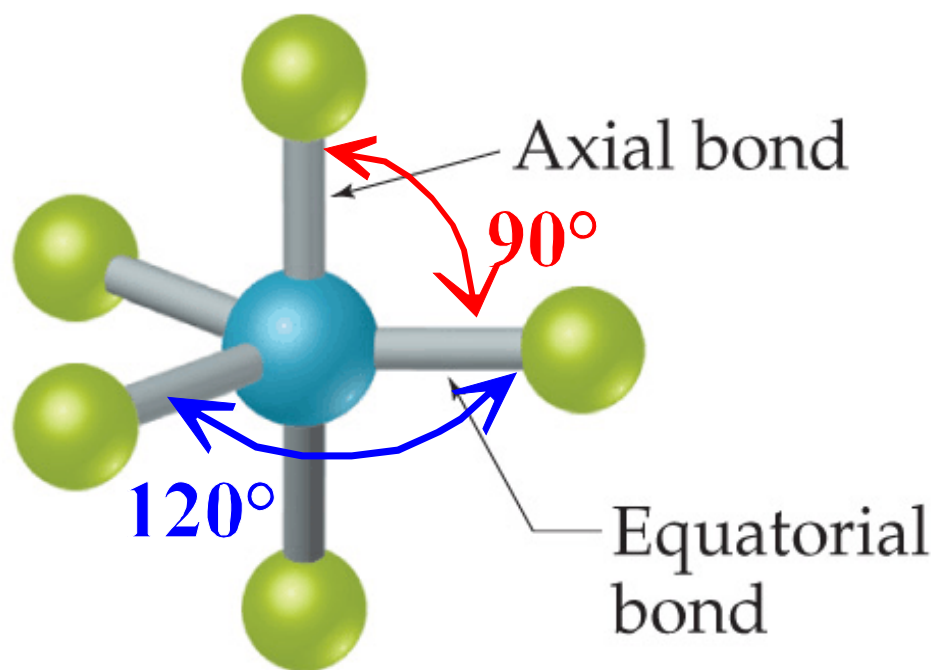
angular

# ED and MG for $AB_5$ & $AB_6$ EDs

TABLE 9.3 • Electron-Domain and Molecular Geometries for Five and Six Electron Domains around a Central Atom

Number of Electron Domains	Electron-Domain Geometry	Bonding Domains	Nonbonding Domains	Molecular Geometry	Example
5	 Trigonal bipyramidal	5	0	 Trigonal bipyramidal	$PCl_5$
		4	1	 Seesaw	$SF_4$
		3	2	 T-shaped	$ClF_3$
		2	3	 Linear	$XeF_2$
6	 Octahedral	6	0	 Octahedral	$SF_6$
		5	1	 Square pyramidal	$BrF_5$
		4	2	 Square planar	$XeF_4$

## E) 5 e<sup>-</sup> Pairs Domains



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Two “**different**” bonds.

3 **equatorial** bonds forming  
a **trigonal planar** arrangement  
w. **120°** angles

2 **axial** bonds which are **perpendicular**  
to the **trigonal planar** equatorial  
bonds (**90°** angles)



## 4 Molecular Geometries

1) trigonal bipyramidal

Angles:  $120^\circ$  &  $90^\circ$

2) seesaw

Angles:  $\sim 120^\circ$  &  $\sim 90^\circ$

3) T-shaped

Angles:  $\sim 90^\circ$

4) linear

Angle:  $180^\circ$

## a) Lone-pair e<sup>-</sup> & Bonding Pairs

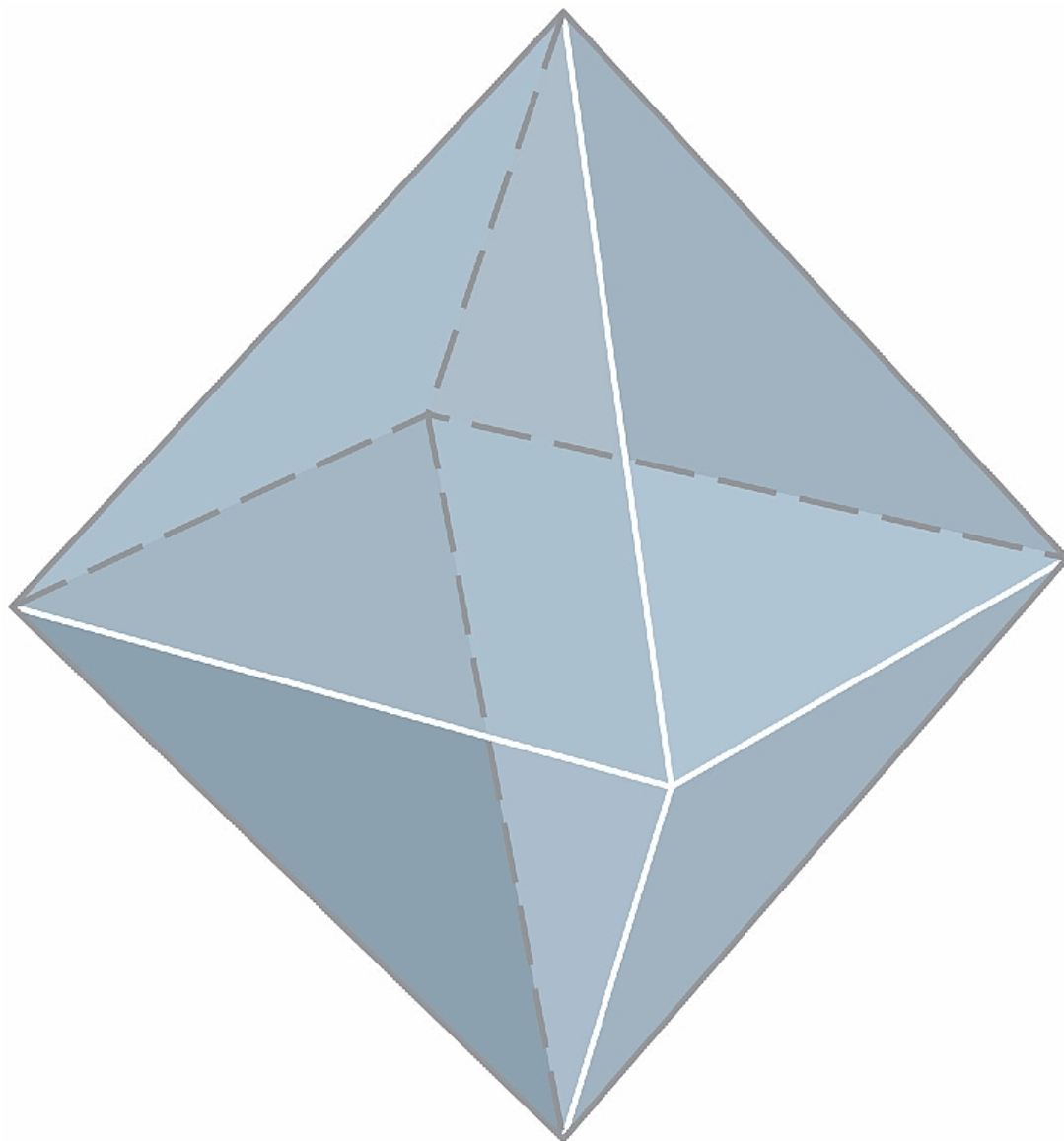
In 2, 3 and 4:

lpe<sup>-</sup> wind up in the equatorial positions to maximize separation and reduce repulsions.

In 2 & 3 lpe<sup>-</sup> pushes bonding pairs closer together and reduces angles

## F) 6 e<sup>-</sup> Pair Domains

### Octahedral structure



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### 3 Molecular Geometries

1) octahedral

Angles:  $90^\circ$

2) square pyramidal

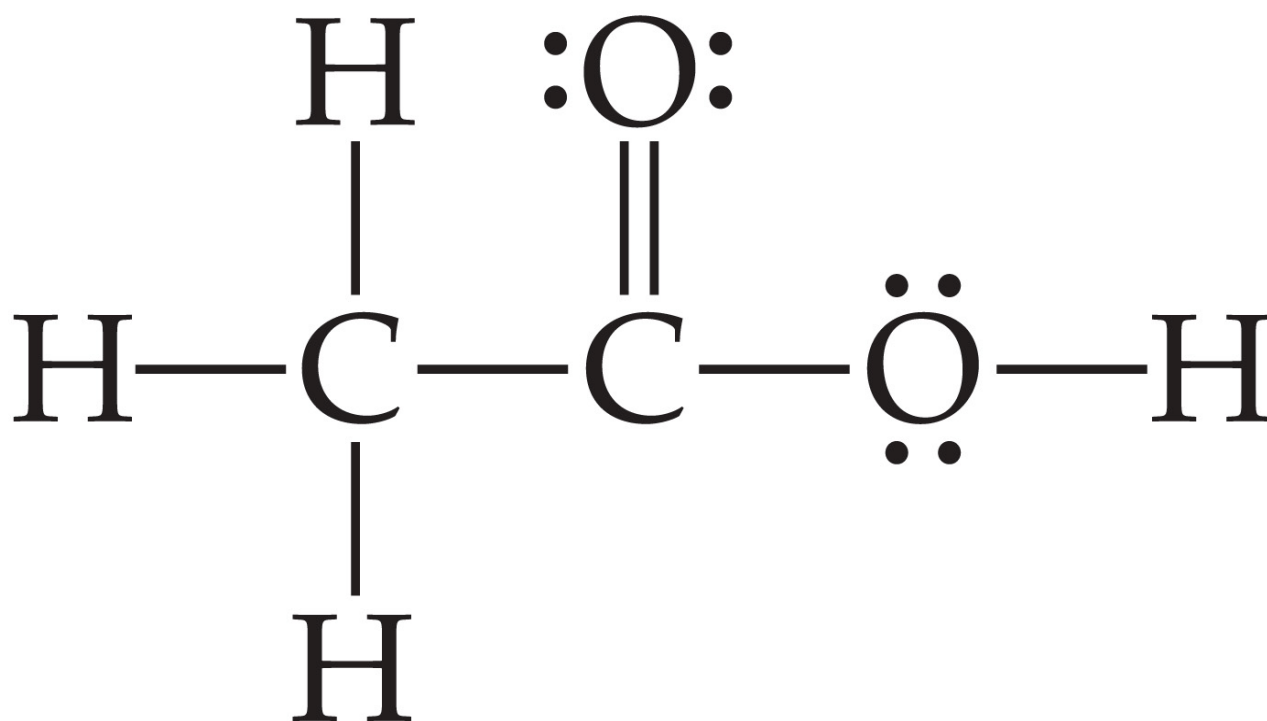
Angles:  $\sim 90^\circ$

3) square planar

Angles:  $90^\circ$

## G) Shapes of Larger Molecules

Same rules **apply** to **individual** atoms  
in **larger** molecules.



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### III) Molecular Shape and Polarity

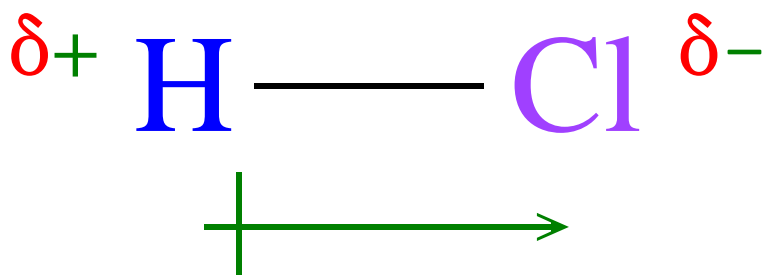
**MUST** have polar bonds

**MUST** consider shape

If the centers of + and – charges do not coincide, the molecule is polar.

#### A) Diatomic Molecules

A diatomic molecule w. a polar bond is polar

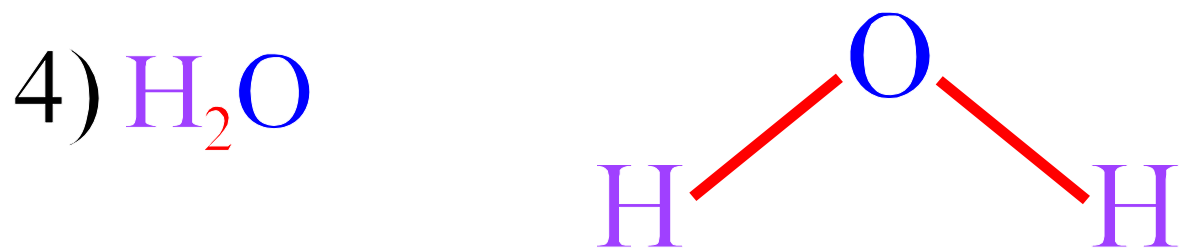


## B) Polyatomic Molecules

For polyatomic molecules geometry is very important in predicting if the centers of + and - charges coincide.



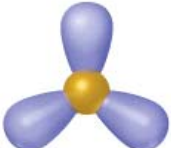

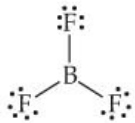
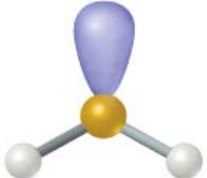
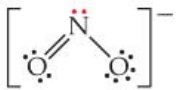
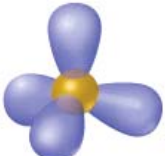

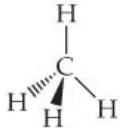
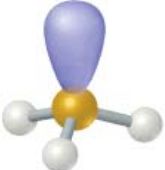

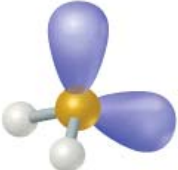

The dipole moment is for the entire molecule

vector sum of ALL of the individual bond dipole moments.

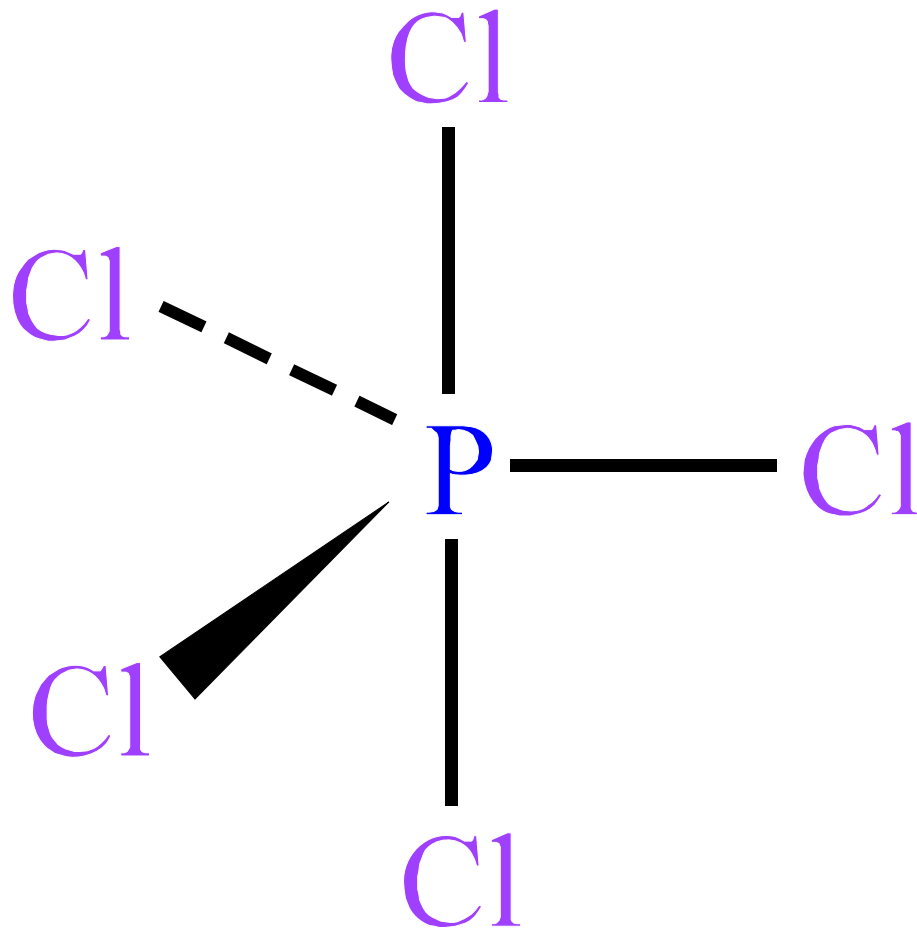




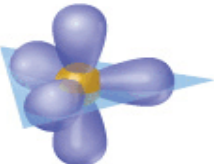
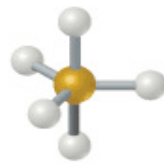


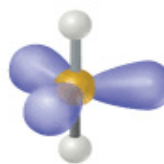

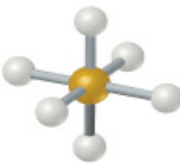

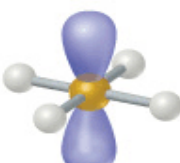
**TABLE 9.2 • Electron-Domain and Molecular Geometries for Two, Three, and Four Electron Domains around a Central Atom**

Number of Electron Domains	Electron-Domain Geometry	Bonding Domains	Nonbonding Domains	Molecular Geometry	Example
2	 Linear	2	0	 Linear	$\ddot{\text{O}}=\text{C}=\ddot{\text{O}}$
3	 Trigonal planar	3	0	 Trigonal planar	
		2	1	 Bent	
4	 Tetrahedral	4	0	 Tetrahedral	
		3	1	 Trigonal pyramidal	
		2	2	 Bent	

5)  $\text{PCl}_5$



**TABLE 9.3 • Electron-Domain and Molecular Geometries for Five and Six Electron Domains around a Central Atom**

Number of Electron Domains	Electron-Domain Geometry	Bonding Domains	Nonbonding Domains	Molecular Geometry	Example
5	 Trigonal bipyramidal	5	0	 Trigonal bipyramidal	PCl <sub>5</sub>
		4	1	 Seesaw	SF <sub>4</sub>
		3	2	 T-shaped	ClF <sub>3</sub>
		2	3	 Linear	XeF <sub>2</sub>
6	 Octahedral	6	0	 Octahedral	SF <sub>6</sub>
		5	1	 Square pyramidal	BrF <sub>5</sub>
		4	2	 Square planar	XeF <sub>4</sub>

## IV) Covalent Bonding and Orbital Overlap

### Wave Interference:

$e^-$  behave like any other wave & when 2 waves meet they can interact **constructively** or **destructively**.

### Constructive interference:

waves **add** together and get a **bonding orbital**

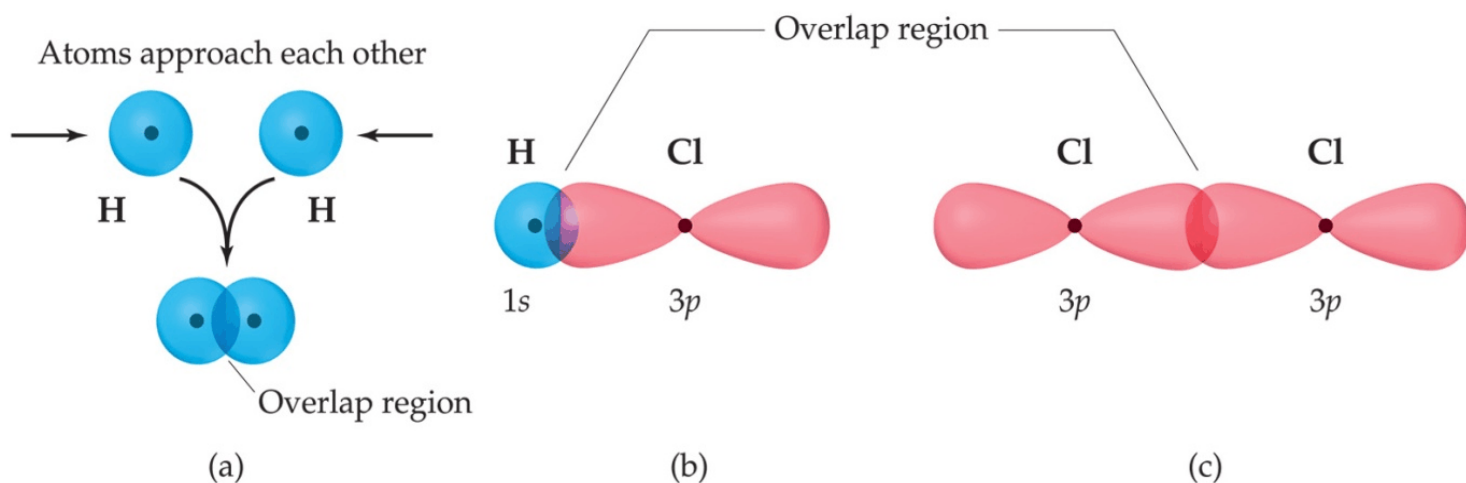
### Destructive interference:

waves **subtract** from each other and get an **antibonding orbital**

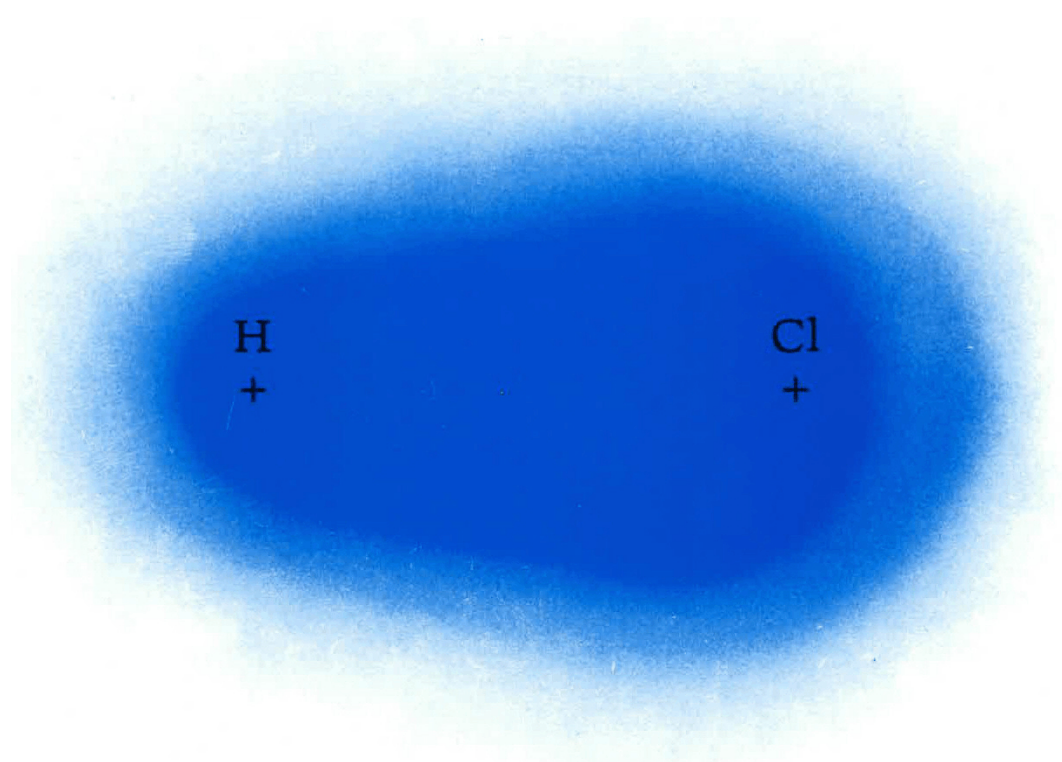
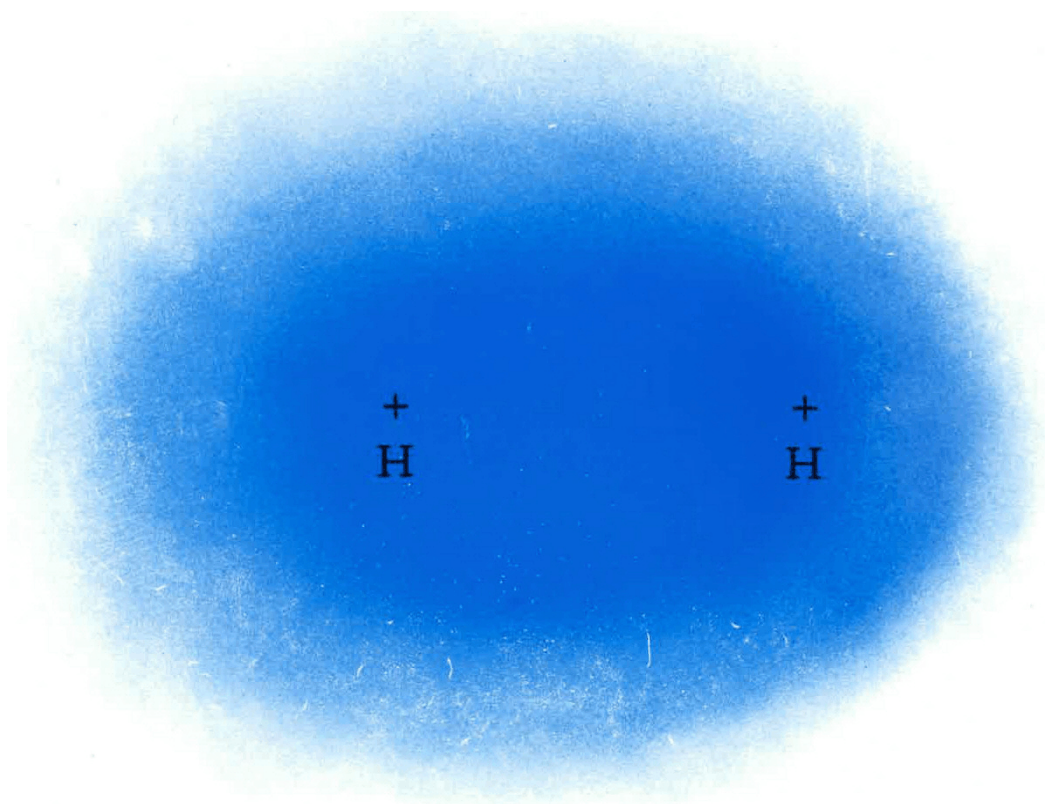
# A) Sigma ( $\sigma$ ) Bonds

$e^-$  density concentrated **between** nuclei **along** the **internuclear axis**

Results from overlap of 2 “ $s$ ” orb.,  
“ $s$ ” & “ $p$ ” orb., 2 “ $p$ ” orb. end-to-end,  
“ $s$ ” & hybrid orb., 2 hybrid orb (end on)



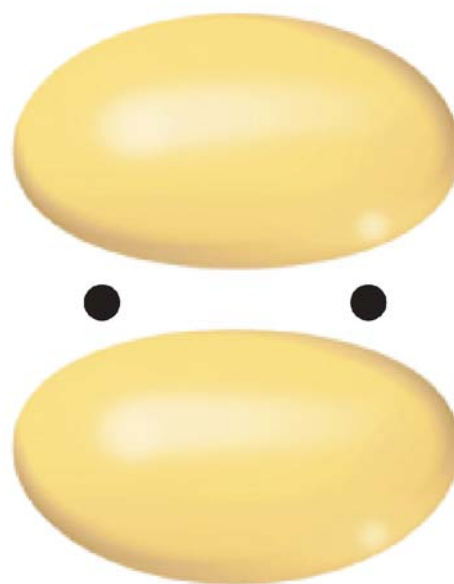
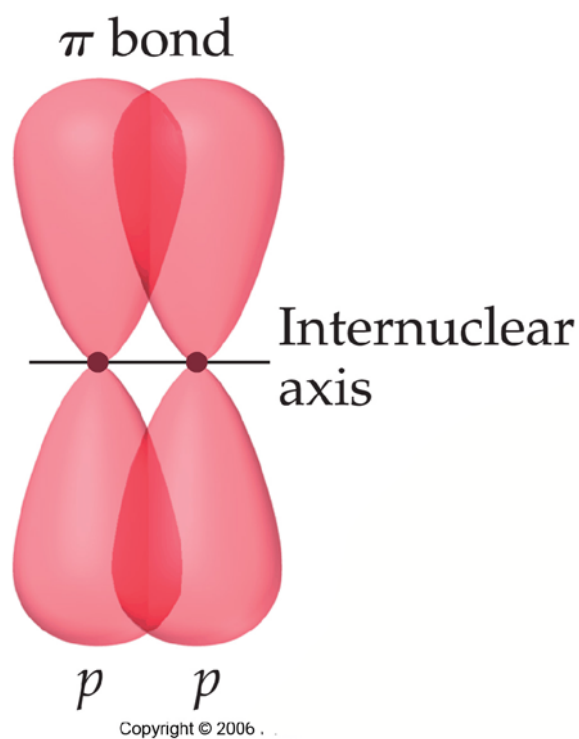
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## A) Pi ( $\pi$ ) Bonds

$e^-$  density above and below internuclear axis

Results from sideways overlap of parallel  $p$  orbitals



## V) Hybrid Orbitals - Valence Bond Theory

Bonds are created by orbital overlap to produce  $\sigma$  or  $\pi$  bonds

To explain many observed molecular geometries, pure “s” and “p” atomic orbitals are combined to produce a set of “hybrid” orbitals on atoms.

These hybrid orbitals then form bonds between atoms producing the correct geometry.



## A) sp Hybrid Orbitals

BeF<sub>2</sub> linear with 2 single bonds

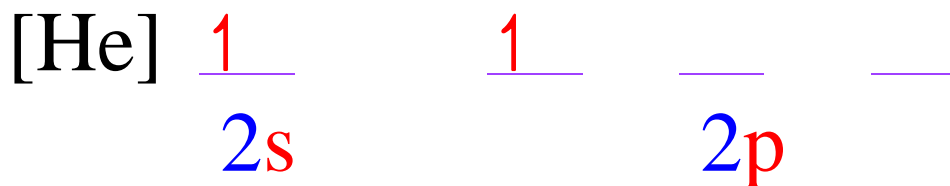
Be atom:



Should **not** form bonds

- **no** singly occupied orbitals

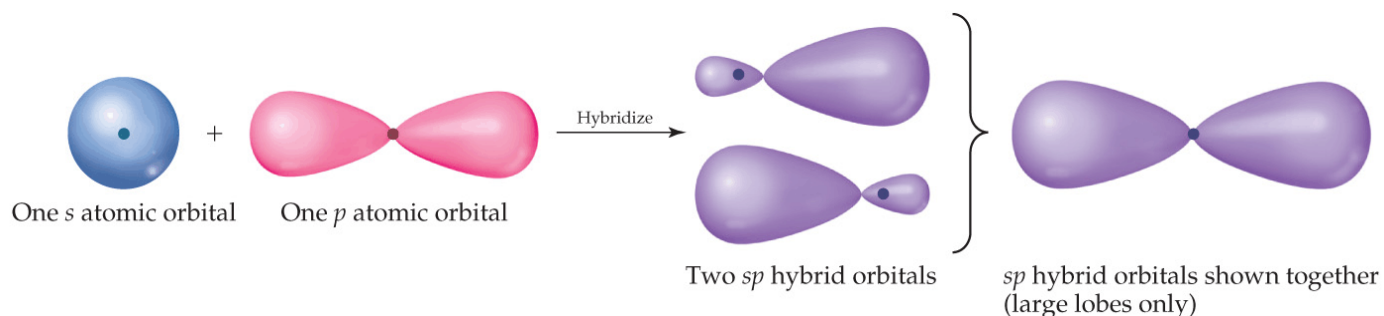
As it forms bonds it can absorb enough energy to “promote” one  $2s$   $e^-$  to a  $2p$  orbital.



The *s* and *p* orbitals then mix or “hybridize” to form two degenerate *sp* hybrid orbitals.

These *sp* hybrid orbitals have two lobes like a *p* orbital.

One of the lobes is larger and more rounded as is the *s* orbital.

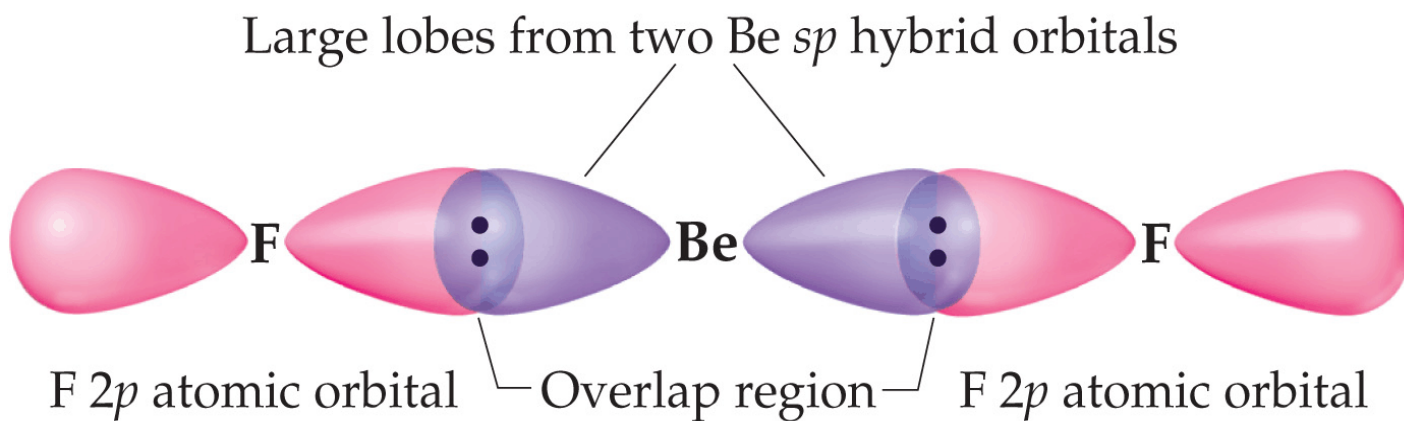


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These two degenerate orbitals align themselves  $180^\circ$  from each other:

linear

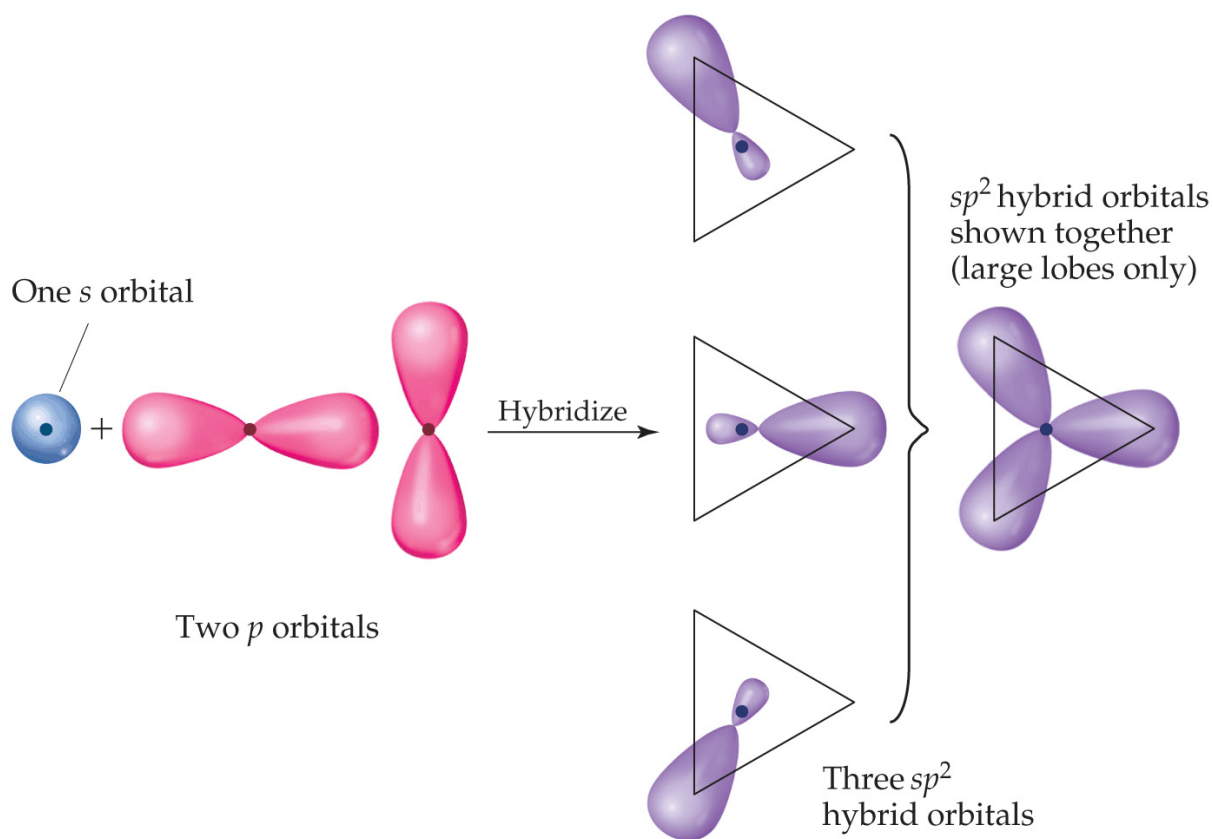
Consistent with the observed geometry of Be compounds.



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## B) $sp^2$ Hybrid Orbitals

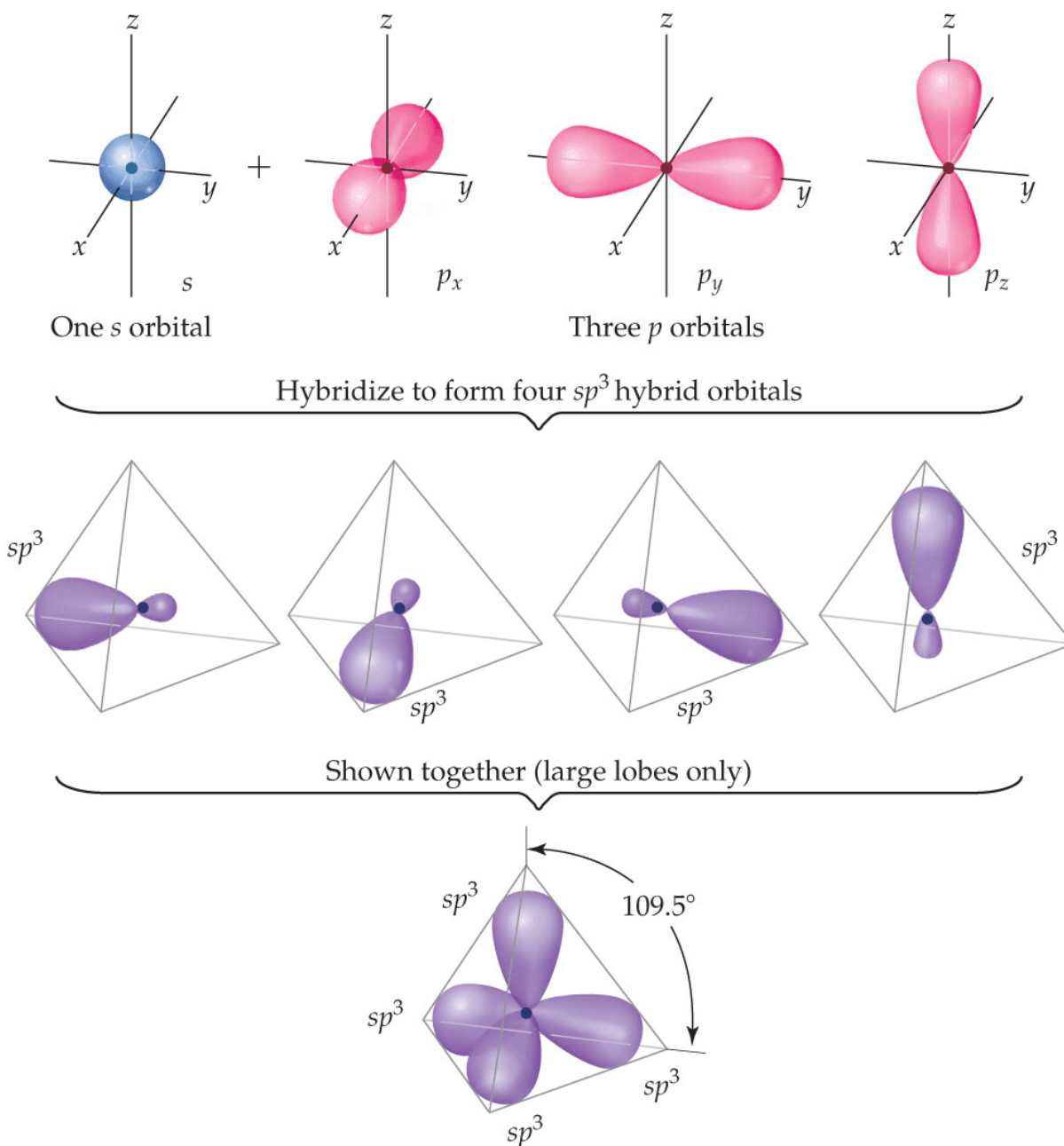
$\text{BF}_3$ : trigonal planar,  $120^\circ$



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# C) $sp^3$ Hybrid Orbitals

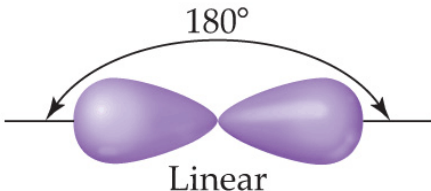
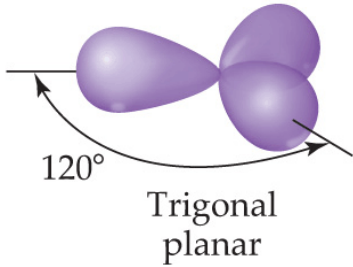
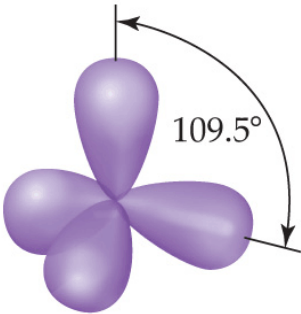
$\text{CH}_4$ : tetrahedral,  $109.5^\circ$



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# D) Hybrid Orbitals - Summary

TABLE 9.4 • Geometric Arrangements Characteristic of Hybrid Orbital Sets

Atomic Orbital Set	Hybrid Orbital Set	Geometry	Examples
$s, p$	Two $sp$	 <p>Linear</p>	$\text{BeF}_2, \text{HgCl}_2$
$s, p, p$	Three $sp^2$	 <p>Trigonal planar</p>	$\text{BF}_3, \text{SO}_3$
$s, p, p, p$	Four $sp^3$	 <p>Tetrahedral</p>	$\text{CH}_4, \text{NH}_3, \text{H}_2\text{O}, \text{NH}_4^+$

## VI) Multiple Bonds

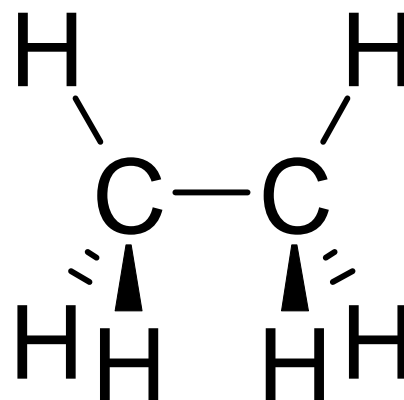
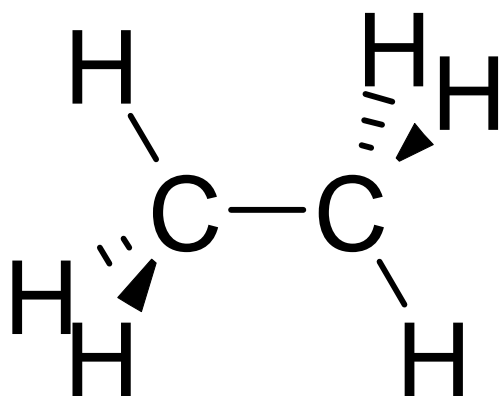
Overlap of hybrid orbitals with  $s$  or  $p$  or other hybrid orbitals (end-to-end):

$\sigma$  bonds.

$e^-$  density is symmetric about the internuclear axis of  $\sigma$  bond, groups can rotate about the bond without breaking it.

- free rotation about  $\sigma$  bonds

Single bonds are  $\sigma$  bonds



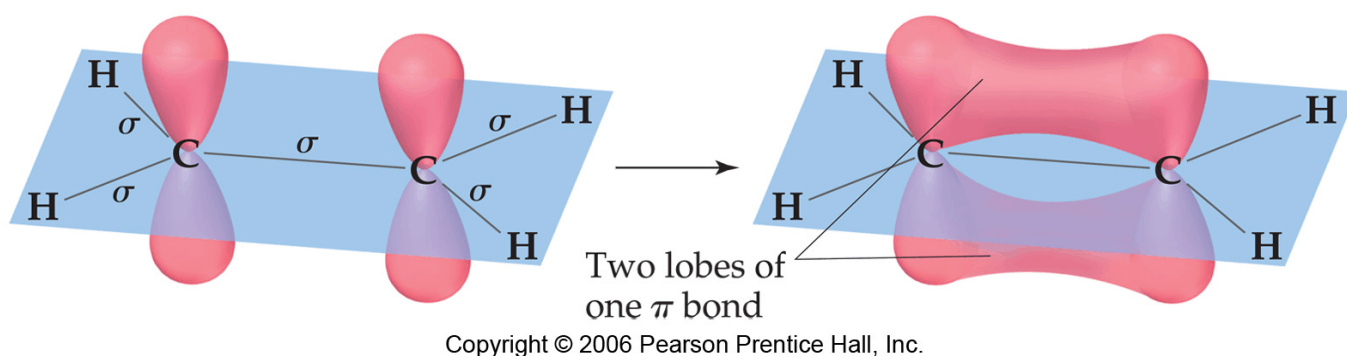
# Multiple bonding requires $\pi$ bonds

## A) Double Bonds

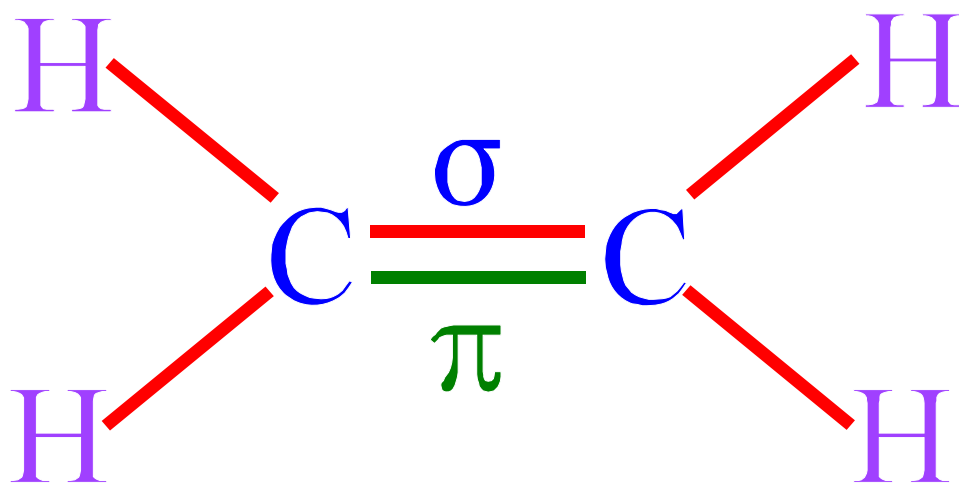
Look at ethylene:  $\text{C}_2\text{H}_4$

$\sigma$  bonds between C and H and both C atoms using  $sp^2$  hybrid orbitals

leaves "p" orbitals on each C which can overlap sideways to form  $\pi$  bonds







Trigonal planar around each C atom  
- whole molecule is planar

π bond is perpendicular to plane

No free rotation between C atoms

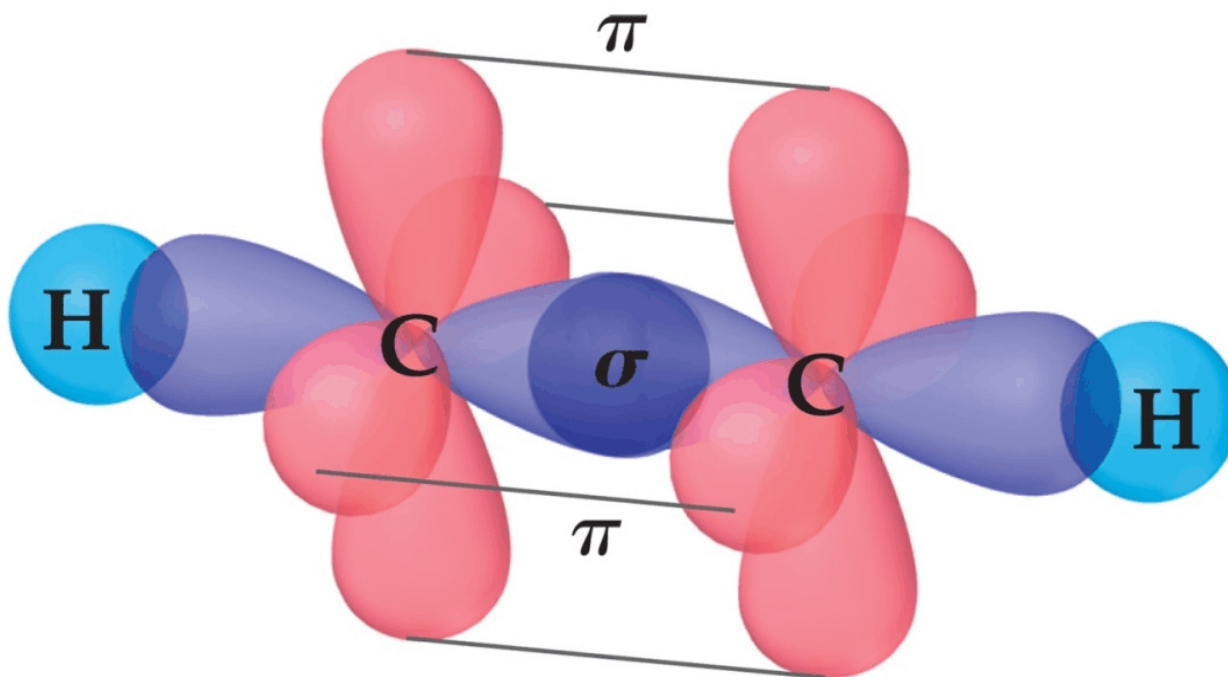
Double bond  $\equiv$  1 σ + 1 π

## B) Triple Bonds

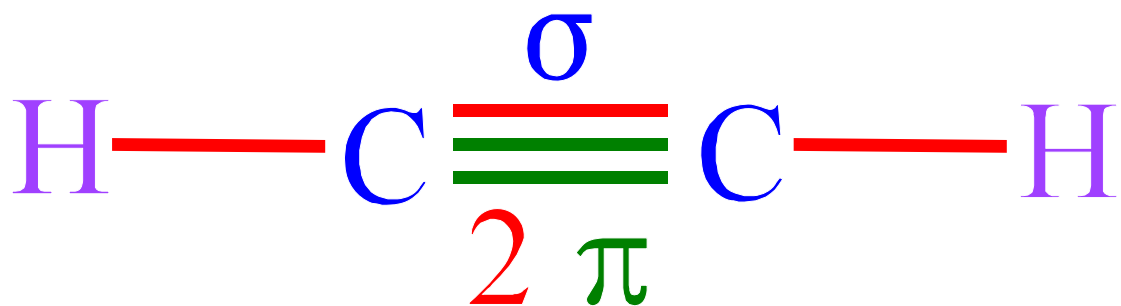
Look at acetylene:  $C_2H_2$

$\sigma$  bonds between C and H and both C atoms using  $sp$  hybrid orbitals

leaves 2 sets of "p" orbitals on each C which can overlap sideways to form 2 sets of  $\pi$  bonds



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Linear around each C atom

Triple bond  $\equiv$  1  $\sigma$  + 2  $\pi$

## C) Resonance & Delocalized Bonding

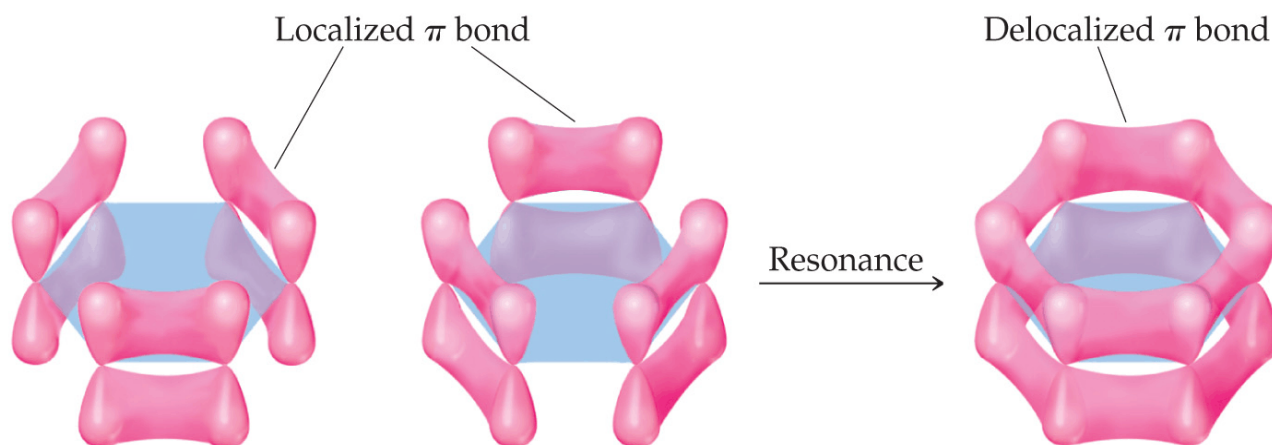
Localized  $\sigma$  and  $\pi$  bonds  
can't explain resonance.

Instead can think of atoms  
forming delocalized  $\pi$  bonding.

Benzene:

Each C atom is  $sp^2$  hybridized and  
has 1 atomic  $p$  orbital left over

- form a delocalized  $\pi$  bond



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## VII) Molecular Orbitals

Some things **not** explained by **VB** theory

In **MO** theory **orbitals** are constructed as **combination** of **AOs** from **ALL** atoms in the molecule.

The **MO** can **span more** than **2** atoms.

Each **MO** can still **only** contain **2 e<sup>-</sup>**

In **VB** theory **orbitals** are **mixed** on **individual** atoms **1<sup>st</sup>** then **bonded together** as needed

In **MO** theory the **orbitals** of **all** atoms **mix** and are then used to **form** the **lowest** energy **molecular orbitals**.