

Quarter 2

Algebra II

Quarter 1		Quarter 2			Quarter 3		Quarter 4	
Expressions, Equations, Inequalities Various Functions, Equations & Their Graphs, Linear Systems, Quadratic Functions & Equations		Polynomials, Radicals, Inverses, Logarithms, Exponential Functions		Rational Expressions and Equations, Arithmetic and Geometric Sequences and Series, Probability		Trigonometric Functions, Pythagorean Identities, Unit Circle		
August 6 2018 – Octobe	er 5, 2018	October 15,	2018 – December 19, 2	018	January 7, 2019 – March 8, 2019		March 18, 2019 – May 23, 2019	
<u>A2.A.REI. D.6</u>	<u>A2.A.REI. B.3</u>	<u>A2.A.APR. A.1</u>	<u>A2. F.IF. A.1</u>	A2. F.IF. B.3b	<u>A2.A.REI. A.1</u>	A2.S.CP. A.2	<u>A2.F.TF.A.1</u>	
<u>A2.F.BF. A.1</u>	A2.A.REI. B.3a	<u>A2.A.APR. A.2</u>	<u>A2. F.IF. A.2</u>	<u>A2. F.IF. B.3c</u>	<u>A2.A.REI. A.2</u>	A2.S.CP.A.3	<u>A2.F.TF.A.1a</u>	
<u>A2.F.BF. A.1a</u>	<u>A2. S. ID. B.2</u>	<u>A2.A.REI. A.1</u>	<u>A2. A. CED.A.1</u>	<u>A2. F.IF. B.4a</u>	<u>A2.A.REI. D.6</u>	A2.S.CP.A.4	<u>A2.F.TF.A.1b</u>	
A2.F.BF.A.1b	<u>A2. A.N.Q.A.1</u>	<u>A2.A.REI. A.2</u>	<u>A2. A. CED.A.2</u>	<u>A2. F.IF. B.5</u>	<u>A2.A.SSE. B.3</u>	A2.S.CP.B.5	<u>A2.F.TF.A.2</u>	
A2. A. CED.A.1		<u>A2.A.REI. D.6</u>	A2.N.RN. A.1	<u>A2. F.LE. A.1</u>	<u>A2.F.BF. A.1a</u>	A2.S.CP.B.6	<u>A2.F.TF.B.3</u>	
A2. A. CED.A.2		<u>A2.A.SSE. A.1</u>	A2.N.RN. A.2	<u>A2. F.LE. A.2</u>	<u>A2.F.BF. A.1b</u>	A2. S.ID. A.1	<u>A2.F.TF.B.3a</u>	
<u>A2.A.REI. C.4</u>		A2.A.SSE. B.2/2a	<u>A2.A.APR. B.3</u>	<u>A2. S.ID. B.2</u>	<u>A2.F.BF. A.2</u>	<u>A2. A.</u> <u>APR.C.4</u>	A2.F.TF.B.3b	
<u>A2.REI. C.5</u>		<u>A2.A.SSE. B.3</u>	<u>A2.A.APR. C.4</u>	<u>A2. A.N.Q.A.1</u>	<u>A2. S.IC.A.1</u>	<u>A2. F.BF.B.4</u>	<u>A2. A.N.Q.A.1</u>	
A2. N.C.N. A.1		<u>A2.F.BF. A.1/1a</u>	<u>A2. F.IF. B.3a</u>	<u>A2. F.BF.B.3</u>	<u>A2. S.IC.A.2</u>	<u>A2. A.N.Q.A.1</u>		
A2. N.C.N. A.2		<u>A2.F.BF. A.1b</u>	<u>A2. F.IF.B.3</u>	<u>A2. F.BF.B.4</u>	A2. F. IF.A.1	<u>A2. F. IF.B.3</u>		
<u>A2. N.C.N. B. 3</u>				<u>A2. F.LE.B.3</u>	<u>A2.S.CP. A.1</u>			



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Introduction

Destination 2025, Shelby County Schools' 10-year strategic plan, is designed not only to improve the quality of public education, but also to create a more knowledgeable, productive workforce and ultimately benefit our entire community.

What will success look like?



In order to achieve these ambitious goals, we must collectively work to provide our students with high quality, college and career ready aligned instruction. The Tennessee State Standards provide a common set of expectations for what students will know and be able to do at the end of a grade. The State of Tennessee provides two sets of standards, which include the Standards for Mathematical Content and The Standards for Mathematical Practice. The Content Standards set high expectations for all students to ensure that Tennessee graduates are prepared to meet the rigorous demands of mathematical understanding for college and career. The eight Standards for Mathematical Practice describe the varieties of expertise, habits of mind, and productive dispositions that educators seek to develop in all students. The Tennessee State Standards also represent three fundamental shifts in mathematics instruction: focus, coherence and rigor.



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The **Standards for Mathematical Practice** describe varieties of expertise, habits of minds and productive dispositions that mathematics educators at all levels should seek to develop in their students. These practices rest on important National Council of Teachers of Mathematics (NCTM) "processes and proficiencies" with longstanding importance in mathematics education. Throughout the year, students should continue to develop proficiency with the eight Standards for Mathematical Practice. The following are the eight Standards for Mathematical Practice:

- 1. Make sense of problems and persevere in solving them.
- 2. Reason abstractly and quantitatively.
- 3. Construct viable arguments and critique the reasoning of them.
- 4. Model with mathematics.
- 5. Use appropriate tools strategically.
- 6. Attend to precision.
- 7. Look for and make use of structure.
- 8. Look for and express regularity in repeated reasoning.

This curriculum map is designed to help teachers make effective decisions about what mathematical content to teach so that ultimately our students can reach Destination 2025. Throughout this curriculum map, you will see resources as well as links to tasks that will support you in ensuring that students are able to reach the demands of the standards in your classroom. In addition to the resources embedded in the map, there are some high-leverage resources around the content standards and mathematical practice standards that teachers should consistently access. For a full description of each, click on the links below.







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Structure of the Standards

Structure of the TN State Standards include:

- Content Standards Statements of what a student should know, understand, and be able to do.
- **Clusters** Groups of related standards. Cluster headings may be considered as the big idea(s) that the group of standards they represent are addressing. They are therefore useful as a quick summary of the progression of ideas that the standards in a domain are covering and can help teachers to determine the focus of the standards they are teaching.
- **Domains** A large category of mathematics that the clusters and their respective content standards delineate and address. For example, Number and Operations Fractions is a domain under which there are a number of clusters (the big ideas that will be addressed) along with their respective content standards, which give the specifics of what the student should know, understand, and be able to do when working with fractions.
- **Conceptual Categories** The content standards, clusters, and domains in the 9th-12th grades are further organized under conceptual categories. These are very broad categories of mathematical thought and lend themselves to the organization of high school course work. For example, Algebra is a conceptual category in the high school standards under which are domains such as Seeing Structure in Expressions, Creating Equations, Arithmetic with Polynomials and Rational Expressions, etc.





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How to Use the Maps

Overview

An overview is provided for each quarter and includes the topics, focus standards, intended rigor of the standards and foundational skills needed for success of those standards.

Your curriculum map contains four columns that each highlight specific instructional components. Use the details below as a guide for information included in each column.

Tennessee State Standards

TN State Standards are located in the left column. Each content standard is identified as Major Content or Supporting Content (for Algebra I, Algebra II & Geometry only). A key can be found at the bottom of the map.

Content

This section contains learning objectives based upon the TN State Standards. Best practices tell us that clearly communicating measurable objectives lead to greater student understanding. Additionally, essential questions are provided to guide student exploration and inquiry.

Instructional Support & Resources

District and web-based resources have been provided in the Instructional Support & Resources columns. You will find a variety of instructional resources that align with the content standards. The additional resources provided should be used as needed for content support and scaffolding. The inclusion of vocabulary serves as a resource for teacher planning and for building a common language across K-12 mathematics. One of the goals for Tennessee State Standards is to create a common language, and the expectation is that teachers will embed this language throughout their daily lessons.





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Topics Addressed in Quarter

Polynomial Operations & Functions Analyzing Graphs of Polynomial Functions Rational Exponents and Expressions Square Root and Radical Equations Radical and Inverse Functions Exploring and Graphing Exponential Functions.

Overview

In quarter 2 students build upon the reasoning used to solve equations and their fluency in factoring polynomial expressions. They will build functions that model a relationship between two quantities, and represent and solve equations and inequalities graphically. Later in the quarter students will solve systems of linear and nonlinear equations to which no real solutions exist and then relate this to the possibility of quadratic equations with no real solutions. Students will then discover that complex numbers can be used in finding real solutions of polynomial equations. To reach this goal, students will work with properties and operations of complex numbers and then apply that facility to factor polynomials with complex zeros.

Content Standard	Type of Rigor
A2.CED.A.1	Procedural Fluency, Application, Conceptual Understanding
A2.CED.A.2	Procedural Fluency
A2.A.APR.A.2 (formerly A-APR.A.3)	Conceptual Understanding and Procedural Fluency
A2.F.IF.A.2 (formerly <u>F-IF.B.6</u>)	Conceptual Understanding and Procedural Fluency
A2.F.IF.A.1 (formerly F-IF.B.4)	Conceptual Understanding
A2.F.BF.A.1/1a/1b	Conceptual Understanding & Application, Procedural Fluency
A2.A.REI.D.6 (formerly A-REI.D.11)	Conceptual Understanding & Procedural Fluency
A2.A.APR.A.1 (formerly A-APR.A.2)	Conceptual Understanding and Procedural Fluency
A2.N.RN.A.1 (formerly N-RN.A.1)	Conceptual Understanding
A2.N.RN.A.2 (formerly N-RN.A.2)	Conceptual Understanding and Procedural Fluency
A2.A.REI.A.1 (formerly A-REI. A.1)	Conceptual Understanding
A2.A.REI.A.2 (formerly A-REI. A.2)	Conceptual Understanding and Procedural Fluency
A2.A.SSE.A.1 (formerly A-SSE.A.2)	Conceptual Understanding and Procedural Fluency
A2.A.SSE.B.2/2a (formerly 3/3c)	Procedural Fluency and Conceptual Understanding
A2.A.SSE.A.1 (formerly A-SSE.A.2)	Conceptual Understanding
A2.A.SSE.B.3 (formerly A-SSE.B.4)	Procedural Fluency and Application



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TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUP	PORT & RESOURCES
	Polynomials and Pol (Allow approximately 4 weeks for ins	lynomial Functions truction, review, and assessment)	
 Domain: Arithmetic with Polynomials and Rational Expressions Cluster: Understand the relationship between zeros and factors of Polynomials A2.A.APR.A.2 (formerly A-APR.A.3) Identify zeros of polynomials when suitable factorizations are available, and use the zeros 	 Essential Question(s): How can algebra describe the relationship between a function and its graph? Objective(s): Students will classify polynomials. Students will use the factored forms of polynomials to find zeros of a function. 	Use the textbook resources to address procedural fluency. Pearson 5-1 Polynomial Functions Glencoe 6.1 Operations with Polynomials	Vocabulary Monomial, degree of a monomial, polynomial, degree of a polynomial, polynomial function, standard form of a polynomial function, turning point, end behavior Polynomial Foldable
to construct a rough graph of the function defined by the polynomial. Domain: Quantities Cluster: Reason quantitatively and use units to solve problems. ➤ A2.F.IF.B.5 (formerly F.IF.C.9) Compare properties of two functions each	 Students will use the factored forms of polynomials to sketch the components of graphs between zeros. Students will graph polynomials and describe end behavior. Students perform arithmetic operations on polynomials and write them in standard form. Students understand the structure of 	Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. Additional Resources <u>e Math instruction: Unit 10</u>	Writing in Math Why does the end behavior depend on the leading term? Have students to write a sentence(s) and create at least two examples about their thinking.
represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions).	polynomial expressions by quickly determining the first and last terms if the polynomial were to be written in standard form.	Illustrative Math: Graphing from Factors 1 Illustrative Math: Graphing from Factors II Illustrative Math: Temperature Change Illustrative Math: Throwing Baseballs Math Nspired: Application of Polynomials Math Shell: Sorting Functions Polynomial End Behavior Graphs of Higher Degree Polynomials End Behavior	Resources in the Pearson textbook: "Solve it," Think About a Plan, Find the Errors, Multiple word problems, Reasoning question, Compare/contrast question, Open-ended questions, and Connections to other real world topics and/or other subjects
		HS Flip Book with examples of each Standard *Not accessible via SCS server	
 Domain: Arithmetic with Polynomials and Rational Expressions Cluster: Understand the relationship between zeros and factors of Polynomials A2.A.APR.A.2 (formerly A-APR.A.3) Identify 	Essential Question(s): How are the linear factors of a polynomial related to the zeros of the polynomial? Objective(s): • Students will analyze the factored form of a	Use the textbook resources to address procedural fluency. Pearson 5-2 Polynomials, Linear Factors, and Zeros	Vocabulary Factor theorem, multiple zero, multiplicity, relative maximum, relative minimum Factoring Flow Chart



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TN STATE STANDARDS	CONTENT		
 Zeros of polynomials when suitable factorizations are available, and use the zeros to construct a rough graph of the function defined by the polynomial. Domain: Linear, Quadratic, and Exponential Models Cluster: Interpret functions that arise in applications in terms of the context. A2.F.IF.A.2 (formerly F-IF.B.6) Calculate and interpret the average rate of change of a function (presented <u>symbolically</u> or as a table) over a specified interval. Estimate the rate of change from a graph. Domain: Interpreting Functions Cluster: Analyze functions using different representations. A2.F.IF.B.5 (formerly F-IF.C.9) Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). 	 polynomial. Students will write a polynomial function given its zeros and use the zeros to construct a rough graph of the function defined by the polynomial. Students create exponential functions to model real-world situations. Students use logarithms to solve equations of the form f(t)=a·bc^t for t. Students decide which type of model is appropriate by analyzing numerical or graphical data, verbal descriptions, and by comparing different data representations. 	Glencoe 6.3 Polynomials Functions Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. Eureka Math Module 3 Lesson 27 Additional Resources: Math Nspired: Exploring Polynomials: Factors, Roots, and Zeros Illustrative Math: The High School Gym A2.F.IF.A.2 (F-IF.B.6) Illustrative Math: Mathemafish Population A2.F.IF.A.2 (F-IF.B.6) Illustrative Math: Throwing Baseballs A2.F.IF.B.5 (F-IF.C.9) HS Flip Book with examples of each Standard	Writing in Math Can zero be a solution of a polynomial function? Create and solve an example Explain your response.
 Domain: Arithmetic with Polynomials and Rational Expressions Cluster: Understand the relationship between zeros and factors of Polynomials A2.A.APR.A.2 (formerly A-APR.A.3) Identify zeros of polynomials when suitable factorizations are available, and use the zeros to construct a rough graph of the function defined by the polynomial. 	 Essential Question(s): Will a graph help you to check all solutions to a polynomial equation? How can you check imaginary solutions? Objective(s): Students will solve polynomial equations by factoring and by graphing. Students will interpret key features of graphs and tables in terms of quantities, given a 	Use the textbook resources to address procedural fluency. Pearson 5-3 Solving Polynomial Equations Glencoe 6.5 Solving Polynomial Functions	Vocabulary Sum of cubes, differences of cubes, zeros of polynomials Writing in Math When should you use the quadratic formula to solve a polynomial?



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	CONTENT		
IN STATE STANDARDS	CONTENT		PORT & RESOURCES
 Cluster: Use polynomial identities to solve problems. ▶ A2.A.APR.B.3 Know and use polynomial identities to describe numerical relationships. 	function that models a relationship between two quantities.Students will sketch graphs showing key features given a verbal description of the relationship.	Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. Eureka Math Module 1 Lessons 11 & 14	
 Domain: Interpreting Functions Cluster: Interpret functions that arise in applications in terms of the context. A2.F.IF.A.1 (formerly F-IF.B.4) For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. ★ Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative; relative maximums and minimums; symmetries; and end behavior. 	 Students will factor certain forms of polynomial expressions by using the structure of the polynomials. Students will use the factored forms of polynomials to find zeros of a function. Students find solutions to polynomial equations where the polynomial expression is not factored into linear factors. Students construct a polynomial function that has a specified set of zeros with stated multiplicity. Students use the factored forms of polynomials to sketch the components of graphs between zeros. Students transition between verbal, numerical, 	Additional Resources: Illustrative Math: Graphing from Factors 1 A2.APR.A.2 (A-APR.A.3) Illustrative Math: Introduction to Polynomials - College Fund A2.A.REI.D.6 (A-REI.D.11) Illustrative Math: A Sum of Functions A2.F.BF.A.1 (F-BF.A.1) Illustrative Math: Building a Quadratic Function f(x)=x^2 A2.F.BF.B.3 Illustrative Math: Hoisting the Flag 1 A2.F.IF.A.1 (F-IF.B.4) Illustrative Math: Containers A2.F.IF.A.1 (F- IF.B.4) Illustrative Math: Completing the Square Illustrative Math: Giving Raises A2 N O A 1	
 Domain: Building Functions Cluster: Build a function that models a relationship between two quantities A2. F.BF.A.1 (formerly <u>F-BF.A.1)</u> Write a function that describes a relationship between two quantities. ★ a. Determine an explicit expression, a recursive process, or steps for calculation from a context. 	 algebraic, and graphical thinking in analyzing applied polynomial problems. Students interpret and represent relationships between two types of quantities with polynomial functions. 	(formerly N-Q.B.2) Real Number Property Rules HS Flip Book with examples of each Standard	



Curriculum and Instruction – Mathematics

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TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUP	PORT & RESOURCES
b. Combine standard function types using arithmetic operations. For example, build a function that models the temperature of a cooling body by adding a constant function to a decaying exponential, and relate these functions to the model.			
 Cluster: Build new functions from existing functions A2.F.BF.B.3 (Formerly F-BF.B.3) Identify the effect on the graph of replacing f(x) by f(x) + k, k f(x), f(kx), and f(x + k) for specific values of k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology. 			
Domain: Reasoning with Equations and Inequalities Cluster: Represent and solve equations and inequalities graphically.			
■A2.A.REI.D.6 (formerly <u>A-REI. D.11)</u> Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and y = g(x) intersect are the solutions of the equation $f(x) = g(x)$; find the approximate solutions using technology. ★ Domain: Number Quantities			
Cluster: Reason quantitatively and use units to solve problems.			



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TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUP	PORT & RESOURCES
A2.N.Q.A.1 (formerly N-Q.B.2) Identify, interpret, and justify appropriate quantities for the purpose of descriptive modeling. Descriptive modeling refers to understanding and interpreting graphs; identifying extraneous information; choosing appropriate units; etc. ★			
Domain: Arithmetic with Polynomials and Rational Expressions Cluster: Understand the relationship between zeros and factors of Polynomials	Essential Question(s): When is it best to use long division vs. synthetic division? Objective(s):	Use the textbook resources to address procedural fluency. Pearson 5-4 Dividing Polynomials	Vocabulary Synthetic division, remainder theorem, Rational Root Theorem, Conjugate Root Theorem, Descartes' Rule of Signs
■ A2.A.APR.A.1 (formerly A-APR.A.2) Know and apply the Remainder Theorem: For a polynomial $p(x)$ and a number a, the remainder on division by $x - a$ is $p(a)$, so $p(a) = 0$ if and only if $(x - a)$ is a factor of $p(x)$.	 Students will divide polynomials by long division. Students will divide polynomials by synthetic division. Students understand the Fundamental Theorem of Algebra; that all polynomial expressions factor into linear terms in the synthesize terms in the synthesynthesynt	5-5 Theorems About Roots of Polynomial equations Glencoe 6.2 Dividing Polynomials 6.7 Roots and Zeros	Writing in Math How does dividing a polynomial by a binomial determine if that binomial is a factor of the polynomial? After applying the Conjugate Root Theorem, how do you know that you have found all of the
Domain: Arithmetic with Polynomials and Rational Expressions Cluster: Understand the relationship between zeros and factors of Polynomials	 Students know and apply the remainder theorem and understand the role zeros play in the theorem. 	Use the following resources to ensure that the intended outcome and level of rigor of the standards are met.	roots of a polynomial?
A2.A.APR.C.4 (formerly A-APR.C.6) Rewrite simple rational expressions in different forms; write a(x)/b(x) in the form q(x) + r(x)/b(x), where a(x), b(x), q(x), and r(x) are polynomials with the degree of	 Students connect long division of polynomials with the long division algorithm of arithmetic and use this algorithm to rewrite rational expressions that divide without a remainder. Students define rational expressions and write 	Eureka Math Module 1 Topic B Lesson 19 Module 1 Lessons 4, 22, 24 & 25	
r(x) less than the degree of b(x), using inspection, long division, or, for the more complicated examples, a computer algebra system.	 them in equivalent forms. Students multiply and divide rational expressions and simplify using equivalent expressions. Students perform addition and subtraction of rational expressions. 	Additional Resource(s): Math Nspired: Watch Your p's and q's Illustrative Math: Graphing from Factors 3 A2.A.APR.A.1 (A-APR.A.2) Illustrative Math: Combined Fuel Efficiency A2.A.APR.C.4 (A-APR.C.6)	



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TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUP	PORT & RESOURCES
Domain: Interpreting Functions Cluster: Analyze functions using different	Essential Question(s): • How can regression analysis help	HS Flip Book with examples of each Standard Use the textbook resources to address procedural fluency.	Vocabulary Linear regression (linreg), quadratic
 A2.F.IF.B.3 (formerly F-IF.C.7c) Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and using technology. b. Graph polynomial functions, identifying zeros when suitable factorizations are available, and showing end behavior. 	 determine the best fit polynomial to given data? What are the different transformations that can be applied to a power function? Objective(s): Students will fit data to linear, quadratic, cubic, or quartic models. Students will apply transformations to graphs of polynomials. Students will use the factored forms of polynomials to find zeros of a function. 	Pearson5-8 Polynomial Models in the Real World5-9 Transforming Polynomial FunctionsGlencoe6.4 Analyzing Graphs and Modeling Data of Polynomial FunctionsUse the following resources to ensure that the intended outcome and level of rigor of the standards are met.	regression (quadreg), cubic regression (cubicreg), Power function, constant of proportionality Writing in Math Explain how to find the degree of a polynomial by finding differences. What are the different ways that a parent function can be transformed?
	 Students will use the factored forms of polynomials to sketch the components between zeros. Students will graph polynomials functions and describe end behavior based upon the degree of the polynomial. 	Eureka Math Module 1 Topic B Lessons 14-16 Additional Resources: Find dimensions of a piece of land and riding the bus Illustrative Math: Graphs of Power Functions A2.F.IF.B.3 (F-IF.C.7c)	
	Radical Functions and	d Rational Exponents	
Domain: The Real Number System Cluster: Extend the properties of exponents to rational exponents.	Essential Question(s): How does the index relate to the rational exponent of a radical?	Use the textbook resources to address procedural skill and fluency.	Vocabulary Rational exponent
A2.N.RN.A.1 (formerly N-RN.A.1) Explain how the definition of the meaning of rational exponents follows from extending	 Objective(s): Students will simplify expressions with rational exponents. 	Pearson 6.4 Rational Exponents	Writing in Math When is it necessary to use absolute value bars when simplifying radicals?



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TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUP	PORT & RESOURCES
 the properties of integer exponents to those values, allowing for a notation for radicals in terms of rational exponents. A2.N.RN.A.2 (formerly N-RN.A.2) Rewrite expressions involving radicals and rational exponents using the properties of exponents. 	 Students will calculate quantities that involve positive and negative rational exponents. 	Glencoe 7.6 Rational Expressions Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. Eureka Math Module 3 Lessons 3-4 Additional Resources: <u>TN Task Arc -Investigating Exponents</u> <u>TI Classroom Activity: Rational Exponents</u> <u>Bacterial Growth</u> <u>Illustrative Math: Evaluating a Special</u> <u>Exponential A2.R.RN.A1</u> <u>Illustrative Math: Checking a Calculation of a</u> <u>Decimal A2.N.RN.A.2</u> <u>Math Shell: Evaluating Statements About</u> <u>Radicals*</u> *Not accessible via SCS server <u>HS Flip Book with examples of each Standard</u>	Resources in the Pearson textbook: " Solve it," Think About a Plan, Find the Errors, Multiple word problems, Reasoning question, Compare/contrast question, Open-ended questions, and Connections to other real world topics and/or other subjects
Domain: Reasoning with Equations and Inequalities Cluster: Represent and solve equations and	Essential Question(s): How do you determine the inverse you need to use when solving radical equations?	Use the textbook resources to address procedural fluency.	Vocabulary Radical equation, square root equation
 inequalities graphically. A2.A.REI.D.6 (formerly A-REI.D.11) Explain why the x-coordinates of the points where the graphs of the equations y = f(x) and y = g(x) intersect are the solutions of the equation f(x) = g(x); find the approximate solutions using 	 Objective(s): Students will solve square root and other radical equations. Students factor certain forms of polynomial expressions by using the structure of the polynomials. 	 Pearson 6.5 Solving Square Root and Other Radical Equations Glencoe 7.7 Solving Radical Equations and Inequalities 	Writing in Math Why does squaring both sides of a square root equation not always create an equivalent equation?



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TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUPPORT & RESOURCES	
 and/or g(x) are linear, polynomial, rational, absolute value, exponential, and logarithmic functions. Domain: Reasoning with Equations and Inequalities Cluster: Represent and solve equations and inequalities graphically. A2.A.REI.A.1 (formerly A-REI. A.1) Explain each step in solving a simple equation as following from the equality of numbers asserted at the previous step, starting from the assumption that the original equation has a solution. Construct a viable argument to justify a solution method. Domain: Reasoning with Equations and Inequalities Cluster: Represent and solve equations and inequalities graphically. A2.A.REI.A.2 (formerly A-REI. A.2) Solve rational and radical equations in one variable, and identify extraneous solutions when they exist. 	 to identify factors. Students know and apply the remainder theorem and understand the role zeros play in the theorem. Students develop facility in solving radical equations. Students solve rational equations, monitoring for the creation of extraneous solutions. Students solve word problems using models that involve rational expressions. Students solve simple radical equations and understand the possibility of extraneous solutions. They understand that care must be taken with the role of square roots so as to avoid apparent paradoxes. Students explain and justify the steps taken in solving simple radical equations. 	Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. Eureka Math Module 3 Lesson 16 Module 1 Lessons 12-13 Module 1 Lesson 26 -29 Module 1 Lesson 19 Additional Resources: e Math instruction: Unit 8 Illustrative Math: Zero Product Property 1 A2.A:RELA.1 Illustrative Math: Zero Product Property 2 A2:RELA.1 Illustrative Math: Zero Product Property 3 Illustrative Math: Basketball A2.A:RELA.2 Real Number Property Rules HS Flip Book with examples of each Standard	
 Domain: Creating Equations Cluster: Create equations that describe numbers or relationships. A2.A.CED.A.1 (formerly A-CED.A.1) Create equations and inequalities in one variable and use them to solve problems. Include equations arising from linear and quadratic functions, and rational and exponential functions. A2.A.CED.A.2 Rearrange formulas to 			



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TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUP	PORT & RESOURCES
highlight a quantity of interest, using the same reasoning as in solving equations.			
 Domain: Building Functions Cluster: Build new functions from existing function. A2. F.BF.B.4a (formerly F-BF.B.4) Find inverse functions. a. Find the inverse of a function when the given function is one-to-one. Domain: Building Functions Cluster: Build a function that models a relationship between two quantities. A2. F.BF.A.1 (Formerly F-BF.A.1) Write a function that describes a relationship between two quantities. ★ a. Determine an explicit expression, a recursive process, or steps for calculation from a context. For example, given cost and revenue functions, create a profit function. For A2.F.BF.A.1a: i) Tasks have a real-world context. ii) Tasks may involve linear functions, and exponential functions. 	 Essential Question(s): How can the horizontal line test help you determine if an inverse will be a function? Why is the square root function only half of its' quadratic inverse? Objective(s): Students will find the inverse of a relation or function. Students will graph square root and other radical functions. Students will write explicit polynomial expressions for sequences by investigating successive differences of those sequences. 	Use the textbook resources to address procedural fluency. Pearson 6.7 Inverse Relations and Functions 6.8 Graphing Radical Functions Glencoe 7.2 Inverse Functions and Relations 7.3 Square Root Functions and Operations Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. Eureka Math Module 1 Topic A Lesson 1 Additional Resources: Math Nspired: Functions and Inverses What is the Inverse of a Function? HS Flip Book with examples of each Standard	Vocabulary Inverse relation, one-to-one function, Radical function, square root function Writing in Math What type of function breaks the rule: The range of the relation is the domain of the inverse? The domain of the relation is the range of the inverse? Why do you have to restrict the domain of a quadratic function's inverse?
Cluster: Analyze functions using different representations.			
 A2.F.IF.B.3 Graph functions expressed symbolically and show 			



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Algebra II

TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUP	PORT & RESOURCES
key features of the graph, by hand and using technology.★ a. Graph square root, cube root, and piecewise defined functions, including step functions and absolute value functions.			
	Exponential and Log	arithmic Functions	
	(Allow approximately 3 weeks for instruct	ion, review, and assessment)	
Domain: Linear, Quadratic, and Exponential Models Cluster: Conduct and compare linear, quadratic, and exponential models and solve	Essential Question(s): How do you distinguish between an exponential function being a growth or decay?	Use the textbook resources to address procedural fluency. Pearson	Vocabulary Exponential function, exponential growth, exponential decay, asymptote, growth factor, decay factor
problems.		7 1 Exploring Exponential Models	
 A2. F.LE.A.1 (formerly F-LE.A.2) Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or input-output pairs. 	 Objective(s): Students will model exponential growth and decay. Students will graph y=b^x and observe it as the parent exponential function, then graph y=ab^x and observe how the value of a either stretches or compresses the graph of y=b^x. Students will graph y=ab^x and y=ab^(x+h) and 	 7.1 Exploring Exponential Models Glencoe 8.1 Graphing Exponential Functions Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. 	 Writing in Math What is the y-intercept of an exponential function with no stated a value? Resources in the Pearson textbook: " Solve it," Think About a Plan, Find the Errors, Multiple word problems. Reasoning question
 Domain: Linear, Quadratic, and Exponential Models Cluster: Interpret expressions for functions in terms of the situation they model. A2. F.LE.B.3 (formerly F-LE.B.5) Interpret the parameters in a linear or exponential function in terms of a context. For example, the equation y = 5000 (1.06)^x models the rising population of a city with 5000 residents when the annual growth rate is 6 percent. What will be the effect on the equation if the city's growth rate was 7 percent instead of 	 observe that y=ab^(x,h) is the same as the vertical stretch or compression of y=(ab-h)b^x. Students will observe that y=ab^x +k shifts the horizontal asymptote from y=0 to y=k. Graph y=log_bx as the parent logarithmic function, then graph y=alog_b(x-h) + k and observe: 1) how the value of a either stretches or compresses the graph of y=log_bx and 2) the vertical shift of y=log_bx by h and the horizontal shift of y=log_bx by k. Students gather experimental data and determine which type of function is best to model the data. 	Eureka Math Module 3 Topic D Lessons 20, 23, 26 Additional Resources: <u>e Math instruction: Unit 4</u> <u>TN Task Arc –Car Depreciation</u> <u>TN Task Arc-Culture Shock</u> <u>Math Vision Project 2012-Linear and</u> <u>Exponential Functions (various)</u> <u>Illustrative Math: Lake Algae</u> <u>HS Flip Book with examples of each Standard</u>	Compare/contrast question, Open-ended questions, and Connections to other real world topics and/or other subjects



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TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUPPORT & RESOURCES
 6 percent? Domain: Interpreting Functions Cluster: Analyze functions using different representations. A2.F.IF.B.3 Graph functions expressed symbolically and show key features of the graph, by hand and using technology.★ a. Graph square root, cube root, and piecewise defined functions, including step functions and absolute value functions. c. Graph exponential and logarithmic functions, showing intercepts and end behavior.	 Students use properties of exponents to interpret expressions for exponential functions. Students develop a general growth/decay rate formula in the context of compound interest. Students compute future values of investments with continually compounding interest rates. Students study transformations of the graphs of logarithmic functions and learn the standard form of generalized logarithmic and exponential functions. Students use the properties of logarithms and exponents to produce equivalent forms of exponential and logarithmic expressions. 	
Domain: Interpreting Functions Cluster: Analyze functions using different representations.	of transformations can produce the same graph due to these properties.	
A2.F.IF.B.5 (formerly F-IF.C.9) Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions).		
 Domain: Interpreting Functions Cluster: Interpret functions that arise in applications in terms of the context. A2. F.IF.A.2 (formerly <u>F-IF.B.6</u>) Calculate and interpret the average rate of change of a function (presented <u>symbolically</u>) 		



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or as a table) over a specified interval. Estimate the rate of change from a graph.			
 Domain: Reasoning with Equations and Inequalities Cluster: Represent and solve equations graphically. A2.A.REI.D.6 (formerly A-REI.D.11) Explain why the x-coordinates of the points 			
where the graphs of the equations $y = f(x)$ and $y = g(x)$ intersect are the solutions of the equation $f(x) = g(x)$; find the approximate solutions using technology. \bigstar Include cases where $f(x)$ and/or $g(x)$ are linear, polynomial, rational, absolute value, exponential, and logarithmic functions.			
Domain: Interpreting Categorical and Quantitative Data			
data on a single count or measurement. variable			
A2. S.ID.B.2 (formerly S-ID.B.6) Represent data on two quantitative variables on a scatter plot, and describe how the variables are related. Use given functions or choose a function suggested by the context. Emphasize linear, quadratic, and exponential models.			
 Fit a function to the data; use functions fitted to data to solve problems in the context of the data. 			



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A2 .F.BF.B.3 (Formerly F-BF.B.3) Identify the effect on the graph of replacing f(x) by f(x) + k, k f(x), f(kx), and f(x + k) for specific values of k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology.			
 Domain: Linear, Quadratic, and Exponential Models Cluster: Conduct and compare linear, quadratic, and exponential models and solve problems. A2 .F.LE.A.1 (formerly F-LE.A.2) Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or input-output pairs. Domain: Linear, Quadratic, and Exponential Models Cluster: Interpret expressions for functions in terms of the situation model. A2.F.LE.B.3 (formerly F-LE.B.5) Interpret the parameters in a linear or exponential function in terms of a context. For example, the equation y = 5000 (1.06)× models the rising population of a city with 5000 residents when the annual growth rate is 6 percent. What will be the effect on the equation if the city's growth rate was 7 	 Essential Question(s): Why is y=ae^x considered to be an exponential function? Objective(s): Students will explore the properties of functions of the form y=ab^x. Students will graph exponential functions that have base e. Students will determine the growth or decay factor of an exponential function or situation. Students will write an exponential function given a growth or decay situation using y=a(1+r)t. Students will write an exponential function for continuously compounded interest using Y=ae^{rt}. Students study properties of linear, quadratic, sinusoidal, and exponential functions. 	Use the textbook resources to address procedural fluency. Pearson 7.2 Properties of Exponential Functions Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. Additional Resources: <u>TN Task Arc – Natural Order of Things</u> Illustrative Math: The Bank Account Math Shell: Making Money * *Not accessible via SCS server HS Flip Book with examples of each Standard	Vocabulary Natural base exponential function, continuously compounded interest. Writing in Math Write three different examples of exponential functions that stretch, compress, and reflect. Explain why each function moves the way that it does.



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percent instead of 6 percent?			
Domain: Seeing Structure in Expressions Cluster: Interpret the structure of expressions.			
A2.A.SSE.A.1 (formerly A-SSE.A.2) Use the structure of an expression to identify ways to rewrite it.			
Domain: Seeing Structure in Expressions Cluster: Use expressions in equivalent forms to solve problems.			
■ A2.A.SSE.B.3 (formerly A-SSE.B.4) Recognize a finite geometric series (when the common ratio is not 1), and use the sum formula to solve problems in context.			
Domain: Interpreting Functions			
representations.			
A2. F.IF.B.4 (formerly F-IF.C.8b) Write a function defined by an expression in			
different but equivalent forms to reveal and explain different properties of the			
function. a. Know and use the properties of exponents to interpret expressions for			
exponential functions.			
change in functions such as $y = 2^x$, $y = (1/2)^x$, $y = 2^x$, $y = (1/2)^x$.			
Domain: Building Functions			
relationship between two quantities.			



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Algebra II

TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUP	PORT & RESOURCES
 A2.F.BF.A.1 (formerly F-BF.A.1) Write a function that describes a relationship between two quantities. ★ For example, given cost and revenue functions, create a profit function b. Combine standard function types using arithmetic operations. 			
 Domain: Linear, Quadratic, and Exponential Models Cluster: Construct and compare linear, quadratic, and exponential models and solve problems. A2. F.LE.A.2 (formerly F-LE.A.4). For exponential models, express as a logarithm the solution to ab^{ct} = d where a, c, and d are numbers and the base b is 2, 10, or e; evaluate the logarithm using technology. 	 Essential Question(s): The exponential function y=b^x is one-to- one, so its inverse x=b^y is a function. To express y as a function of x for the inverse, write y=log_bx. Logarithms are exponents. In fact, log_ba =c if and only if b^c=a. Objective(s): Students will write and evaluate logarithmic expressions. Students will graph logarithmic functions. 	Use the textbook resources to address procedural fluency. Pearson 7.3 Logarithmic Functions as Inverses Glencoe 8.3 Logarithms and Logarithmic Functions Use the following resources to ensure that the intended outcome and level of rigor of the standards are met.	Vocabulary Logarithm, logarithmic function, common logarithm, logarithmic scale Writing in Math How are the domain and range related from the exponential function to the logarithmic function?
 Domain: Interpreting Functions Cluster: Interpret functions that arise in applications in terms of the context. ■A2. F.IF.A.1 (formerly F-IF.B.4) For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. ★ ■A2.F.IF.A.2 (formerly F-IF.B.6) Calculate and interpret the average rate of change of a function (presented symbolically or as a table) 	 Students will graph y=log_bx as the parent logarithmic function, then graph y=alog_b(x-h) + k and observe: 1) how the value of a either stretches or compresses the graph of y=log_bx and 2) the vertical shift of y=log_bx by h and the horizontal shift of y=log_bx by k. Students construct a table of logarithms base 10 and observe patterns that indicate properties of logarithms. Students construct a table of logarithms base 10 and observe patterns that indicate properties of logarithms. Students construct a table of logarithms base 10 and observe patterns that indicate properties of logarithms. Students justify properties of logarithms. Students justify properties of logarithms using the definition and properties already developed. 	Eureka Math Module 3 Lesson 19 (LE.A.2) Module 3 Lesson 18, 20, 21 (F.IF.A.1) Module 1 Lesson 14-16 (F.IF.B.3) Additional Resources: e Math instruction: Unit 4 Math Vision Project 2014- Logarithmic Functions (various) HS Flip Book with examples of each Standard	



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TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUP	PORT & RESOURCES
 change from a graph. ★ Domain: Interpreting Functions Cluster: Analyze functions using different representations. 	 Students work with and interpret logarithms with irrational values in preparation for graphing logarithmic functions. Students graph the functions f(x) = log(x), g(x) = log2(x), and h(x) = ln(x) by hand and identify key features of the graphs of 		
 A2. F.IF.B.3 (formerly F-IF.C.7e) Graph functions expressed symbolically and show key features of the graph, by hand and using technology. b. Graph exponential and logarithmic functions, showing intercepts and end behavior. 	 logarithmic functions. Students compare the graph of an exponential function to the graph of its corresponding logarithmic function. Students note the geometric relationship between the graph of an exponential function and the graph of its corresponding logarithmic function. 		
Domain: Building Functions Cluster: Build new functions from existing functions.	 Students understand that the change of base property allows us to write every logarithm function as a vertical scaling of a natural logarithm function. 		
A2. F.BF.B.3 (formerly F-BF.B.3) Identify the effect on the graph of replacing f(x) by f(x) + k, k f(x), f(kx), and f(x + k) for specific values of k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology.	 Students graph the natural logarithm function and understand its relationship to other base b logarithm functions. They apply transformations to sketch the graph of natural logarithm functions by hand. Students apply knowledge of exponential and logarithmic functions and transformations of functions to a contextual situation. 		
Domain: Seeing Structure in Expressions Cluster: Write expressions in equivalent forms	Essential Question(s): What are the distinguishing features of the	Use the textbook resources to address procedural fluency.	Vocabulary Change of base formula
 to solve problems. A2. A.SSE.B.2 (formerly A-SSE.B.3c) Choose and produce an equivalent form 	properties of logarithms: product property, quotient property, and power property?	Pearson 7.4 Properties of Logarithms	Writing in Math When would you need to use a Change of Base formula? What does the logarithm look



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IN STATE STANDARDS	CONTENT		PORT & RESOURCES
of an expression to reveal and explain properties of the quantity represented by the expression.★ a. Use the properties of exponents to rewrite expressions for exponential functions.	 Objective(s): Students will use the properties of logarithms. 	Glencoe 8.5 Properties of Logarithms 8.6 Common Logarithms Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. Additional Resources <u>e Math instruction: Unit 4</u> <u>Illustrative Math Tasks: SSE.B.3</u>	like?
Domain: Creating Equations Cluster: Create equations that describe numbers or relationships.	Essential Question(s): How is the relationship between exponents and logarithms used to solve problems?	Use the textbook resources to address procedural fluency.	Vocabulary Exponential equation, logarithmic equation
 A2.A.CED.A.1 (formerly A-CED.A.1) Create equations and inequalities in one variable and use them to solve problems. Domain: Interpreting Functions Cluster: Analyze functions using different representations. A2. F.IF.B.4. (formerly F-IF.C.8b) Write a function defined by an expression in different but equivalent forms to reveal and explain different properties of the function. Use the properties of exponents to interpret expressions for exponential functions. Domain: Quantities Cluster: Denses 	Objective(s): • Students will solve exponential and logarithmic equations.	Pearson 7.5 Exponential and Logarithmic Equations Glencoe 8.2 Solving Exponential Equations and Inequalities 8.4 Solving Logarithmic Equations and Inequalities 8.4 Solving Exponential and Logarithmic Functions Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. Eureka Math Module 3 Topic B Lesson 7 Module 3 Topic D Lesson 27 Additional Resources: Math Shell: Multiplying Cells *	Writing in Math How can use the log of any base to solve an exponential equation?



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Algebra II

TN STATE STANDARDS	CONTENT	INSTRUCTIONAL SUP	PORT & RESOURCES
 In STATE STANDARDS units to solve problems. A2. N.Q.A.1 (formerly N-Q.B.2) Identify, interpret, and justify appropriate quantities for the purpose of descriptive modeling. Domain: Reasoning with Equations and Inequalities Cluster: Represent and solve equations graphically. A2.A.REI.D.6 (formerly A-REI.D.11) Explain why the x-coordinates of the points where the graphs of the equations y = f(x) and y = g(x) intersect are the solutions of the equation f(x) = g(x); find the approximate solutions using technology. ★ Domain: Linear, Quadratic and Exponential Models Cluster: Construct and compare linear, quadratic and exponential models and solve problems. A2.F.LE.A.2 (formerly F-LE.A.4) For 	CONTENT Essential Question(s): How can you use the relationship between y=e^x and y = ln x to solve exponential and logarithmic equations? Objective(s): Students will evaluate and simplify natural logarithmic expressions Students will solve equations using natural logarithms.	Illustrative Math: Compounding with a 100% Interest Rate Compounding with a 5% Interest Rate Real Number Property Rules *Not accessible via SCS server Use the textbook resources to address procedural skill and fluency. Pearson 7.6 Natural Logarithms Glencoe 8.7 Base e and Natural Logarithms Use the following resources to ensure that the intended outcome and level of rigor of the standards are met. Additional Resources: Illustrative Math: Bacterial Populations Illustrative Math: Carbon 14 Dating Illustrative Math: Exponential Kiss	PORT & RESOURCES Vocabulary Natural logarithmic function Writing in Math Can In 5 +log (base 2) 10 be written as a single log?
exponential models, express as a logarithm the solution to $ab^{ct} = d$ where a, c, and d are numbers and the base b is 2, 10, or e; evaluate the logarithm using technology.		Illustrative Math: Leppinential Riss Illustrative Math: Identifying Exponential Functions HS Flip Book with examples of each Standard	
 Domain: Interpreting Functions Cluster: Interpret functions that arise in applications in terms of the context. A2.F.IF.A.1 (formerly F-IF.B.4) For a 			



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function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. ★ Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative; relative maximums and minimums; symmetries; and end behavior. A2.F.IF.A.2 (formerly F-IF.B.6) Calculate		
and interpret the average rate of change of a function (presented <u>symbolically</u> or as a table) over a specified interval. Estimate the rate of change from a graph.		
Domain: Interpreting Functions Cluster: Analyze functions using different representations.		
 A2.F.IF.B.3 (formerly F-IF.C.7e) Graph functions expressed symbolically and show key features of the graph, by hand and using technology. ★ e. Graph exponential and logarithmic functions, showing intercepts and end behavior. 		

Tennessee Mathematics Standards



★(star) Modeling Standard/Domain SCS 2018/2019 Revised 6/5/18 25 of 26



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RESOURCE TOOLBOX				
Textbook Resources		Standards	Videos	
Pearson:	Glencoe:	Common Core Standards - Mathematics	Brightstorm	
http://www.pearsonsuccessnet.com	https://connected.mcgraw-	Common Core Standards - Mathematics Appendix A	Teacher Tube	
Online Tools Think About a Plan (Editable)	hill.com/connected/login.do	Edutoolbox (formerly TNCore)	The Futures Channel	
Standardized Test Prep	Online Tools	The Mathematics Common Core Toolbox	Khan Academy	
Find the Errors!	Chapter Quizzes & Tests	PARCE Blueprints and Test Specifications FAQ	Math TV	
Enrichment (Editable)	Editable Worksheets Anticipation Guides	New York Education Department Tasks	Lamar University Tutorial	
ELL Support (Editable)	Personal Tutors	PARCC High School Math Tasks	e Math instruction	
Activities, Games, and Puzzles (Editable)	Enrichment Masters	TICommonCore.com		
Teaching with TI Technology	Graphing Calculator Activities	TN Department of Education Math Standards		
Lesson Quizzes		PARCC Practice Test		
Assessments Reteaching (Editable)		HS Flip Book with Examples of each Standard		
Common Core Lessons		<u>JMAP</u>		
Performance Tasks				
Additional Sites		Interactive Manipulatives	Calculator	
TN Dept. of Education Assessm	ent Live Binder	Illuminations (NCTM)	Math Nspired	
e Math instruction		National Math Resources	Texas Instrument Activities	
UT Dana Center		NASA Space Math	Casio Activities	
Mars/Math Shell Tasks* (Not ac	cessible via SCS server)	Math Vision Project		
Inside Math Tasks		Purple Math	Resources:https://teach.mapnwea.org/assist/help_map/Applicatio	
Math Vision Project Tasks			nHelp.htm#UsingTestResults/MAPReportsFinder.htm - Sign in and	
Better Lesson		ACT	Click the Learning Continuum Tab – this resources will help as you	
SCS Math Tasks		TN ACT Information & Resources	the skill you are currently teaching. (Four Ways to Impact Teaching	
Dana Center Algebra 2 Assessn	nents	ACT College & Career Readiness Mathematics Standards	with the Learning Continuum)	
Graphic Organizers (9-12)			https://support.nwea.org/khanrit - These Khan Academy lessons	
University of Idaho Literacy Stra	tegies		are aligned to RIT scores.	