| Q | Scheme | Marks | AOs | Pearson Progression Step and Progress descriptor |
| :---: | :---: | :---: | :---: | :---: |
| 1 | States or implies that $w+z=(-2 k+2)+(4+k) \mathrm{i}$ | M1 | 1.1b | TBC |
|  | Uses the definition of argument to write $\frac{4+k}{-2 k+2}=\tan \left(\frac{3 \pi}{4}\right)=-1$ | M1 | 2.2a |  |
|  | Makes an attempt to solve for $k$, for example $4+k=2 k-2$ is seen. | M1 | 1.1b |  |
|  | Finds $k=6$ | A1 | 1.1b |  |
| (4 marks) |  |  |  |  |
| Notes |  |  |  |  |


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| :---: | :---: | :---: | :---: | :---: |
| 2a | Finds $r=12$, using $r^{2}=(-6)^{2}+(-6 \sqrt{3})^{2} \Rightarrow r^{2}=144 \Rightarrow r=12$ | M1 | 2.2a | TBC |
|  | Finds $\arg z=-\frac{2 \pi}{3}$. Likely states $\tan \theta=\frac{-6 \sqrt{3}}{-6} \Rightarrow \theta=\frac{\pi}{3}$ and then deduces | M1 | 2.2a |  |
|  | Writes $z=12\left(\cos \left(-\frac{2 \pi}{3}\right)+\mathrm{isin}\left(-\frac{2 \pi}{3}\right)\right)$ | A1 | 2.2a |  |
|  |  | (3) |  |  |
| 2b | States $\frac{z}{w}=\frac{12}{4}\left(\cos \left(-\frac{2 \pi}{3}+\frac{\pi}{2}\right)+\operatorname{isin}\left(-\frac{2 \pi}{3}+\frac{\pi}{2}\right)\right)$. Award one method mark for $\frac{12}{4}$ seen and one method mark for $-\frac{2 \pi}{3}-\left(-\frac{\pi}{2}\right)$ or $-\frac{2 \pi}{3}+\frac{\pi}{2}$ seen. | M2 | 2.2a | TBC |
|  | States a fully correct answer: $\frac{z}{w}=3\left(\cos \left(-\frac{\pi}{6}\right)+\mathrm{i} \sin \left(-\frac{\pi}{6}\right)\right)$ | A1 | 1.1b |  |
|  |  | (3) |  |  |
| (6 marks) |  |  |  |  |
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| 3 a | Deduces that the midpoint of $(-8,6)$ and $(4,-2)$ is $(-2,2)$ | M1 | 2.2a | TBC |
|  | Calculates that the slope of the line joining $(-8,6)$ and $(4,-2)$ is $-\frac{2}{3}$ | M1 | 1.1b |  |
|  | Deduces that the slope of the perpendicular bisector is $\frac{3}{2}$ | M1 | 2.2a |  |
|  | Finds the correct equation of the locus (perpendicular bisector): $y=\frac{3}{2} x+5$ | A1 | 1.1b |  |
|  |  | (4) |  |  |
| 3b | Figure 2 <br> $\uparrow^{\operatorname{Im}}$ Draws a straight <br> line with a positive <br> slope. | M1 | 1.1b | TBC |
|  | $\xrightarrow\left[\left(-\frac{10,0)}{(-2,2)}\right]{0} \underset{(4,-2)}{ } \quad \begin{array}{l}\text { Fully correct } \\ \text { answer with }(0,5)\end{array}\right.$ | A1 | 1.1b |  |
|  |  | (2) |  |  |
| 3 c | Demonstrates an understanding of the need to find the point of intersection of $y=-\frac{2}{3} x$ and $y=\frac{3}{2} x+5$ | M1 | 2.2a | TBC |
|  | Solves to find $x=-\frac{30}{13}$ and $y=\frac{20}{13}$ | M1 | 1.1b |  |
|  | Finds the distance: $d_{\text {min }}=\sqrt{\left(-\frac{30}{13}\right)^{2}+\left(\frac{20}{13}\right)^{2}} \Rightarrow d_{\min }=\frac{10}{13} \sqrt{13}$ | A1 | 2.1 |  |
|  |  | (3) |  |  |
|  |  |  |  | (9 marks) |
| Notes |  |  |  |  |
| 3a An al | native algebraic approach is acceptable. |  |  |  |



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| :---: | :---: | :---: | :---: | :---: | :---: |
| 5 | Figure 5 | Circle drawn with centre ( 1,3 ). | M1 | 1.1b | TBC |
|  |  | Circle should just touch the real axis and clearly cross the imaginary axis. | A1 | 1.1b |  |
|  |  | Points $(-2,-2)$ and $(-2,4)$ indicated on the diagram. | M1* | 1.1b |  |
|  |  | Line drawn at $y=1$. | A1 | 2.2a |  |
|  |  | Shades correct region. | M1 | 3.1a |  |
|  |  | Fully correct solution. | A1 | 1.1b |  |
| ( 6 marks) |  |  |  |  |  |
| Notes |  |  |  |  |  |
| Award the method mark providing the line $y=1$ is drawn correctly, even if the points $(-2,-2)$ and $(-2,4)$ are not indicated. |  |  |  |  |  |


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| :---: | :---: | :--- | :--- | :--- | :--- |
| $\mathbf{6}$ | Figure 6 |  |  |  |  |

