

# Statistical Design of Experiments Applied to Organic Synthesis

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# • Statistical Design of Experiments

## DoE

- Methodology developed in 1958 by the British statistician Ronald Fisher
- Strategy
  - Appropriate statistical analysis before any experimental data are obtained
- Objective
  - To get as much information as possible from a minimum number of experiments

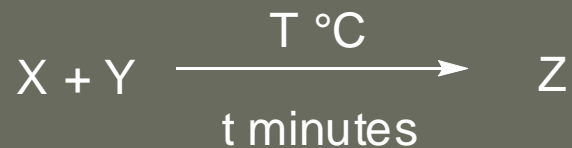
Bayne, C. K.; Rubin, I. B., *Practical experimental designs and optimization methods for chemists*. VCH Publishers, USA, **1986**.

Tranter, R., *Design and analysis in chemical research*. Sheffield Academic; CRC Press: Sheffield, England, **2000**.

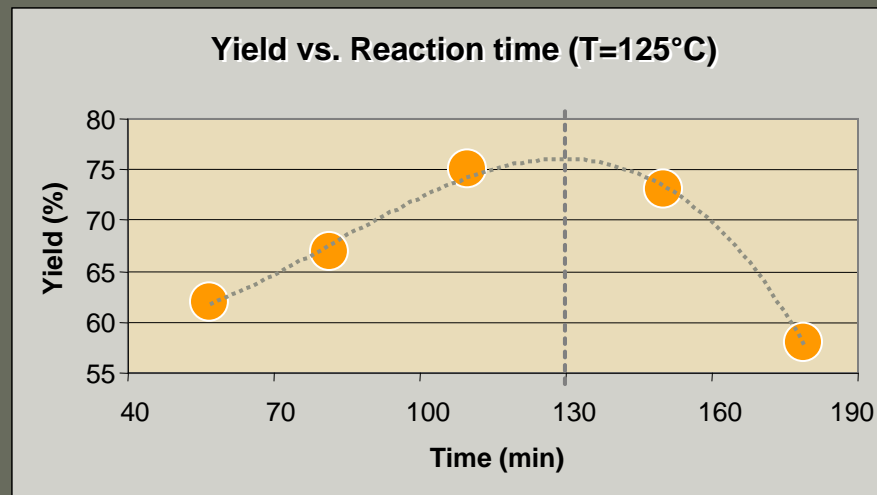
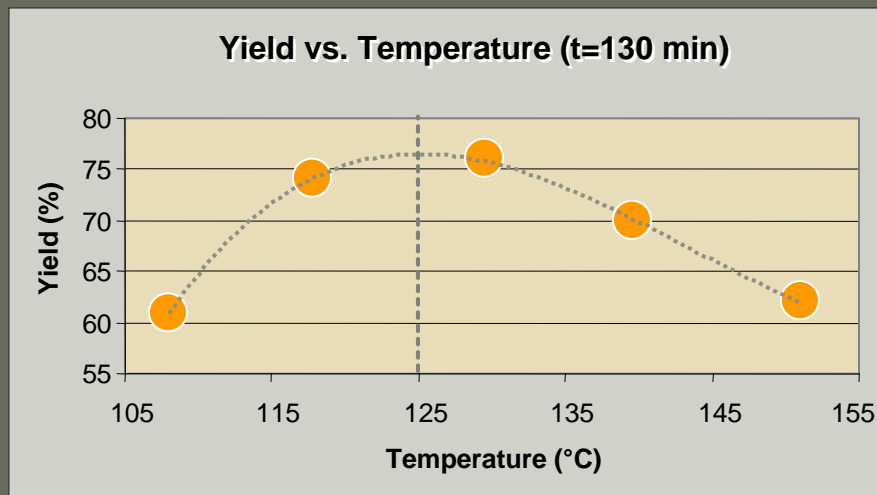
# ● Experimentation in Organic synthesis

- In any synthetical procedure there are **factors**  
temperature, time, pressure, reagents, rate of  
addition, catalyst, solvent, concentration, pH  
that will have an influence on the **result**  
yield, purity, selectivity

# Conventional approach to optimization

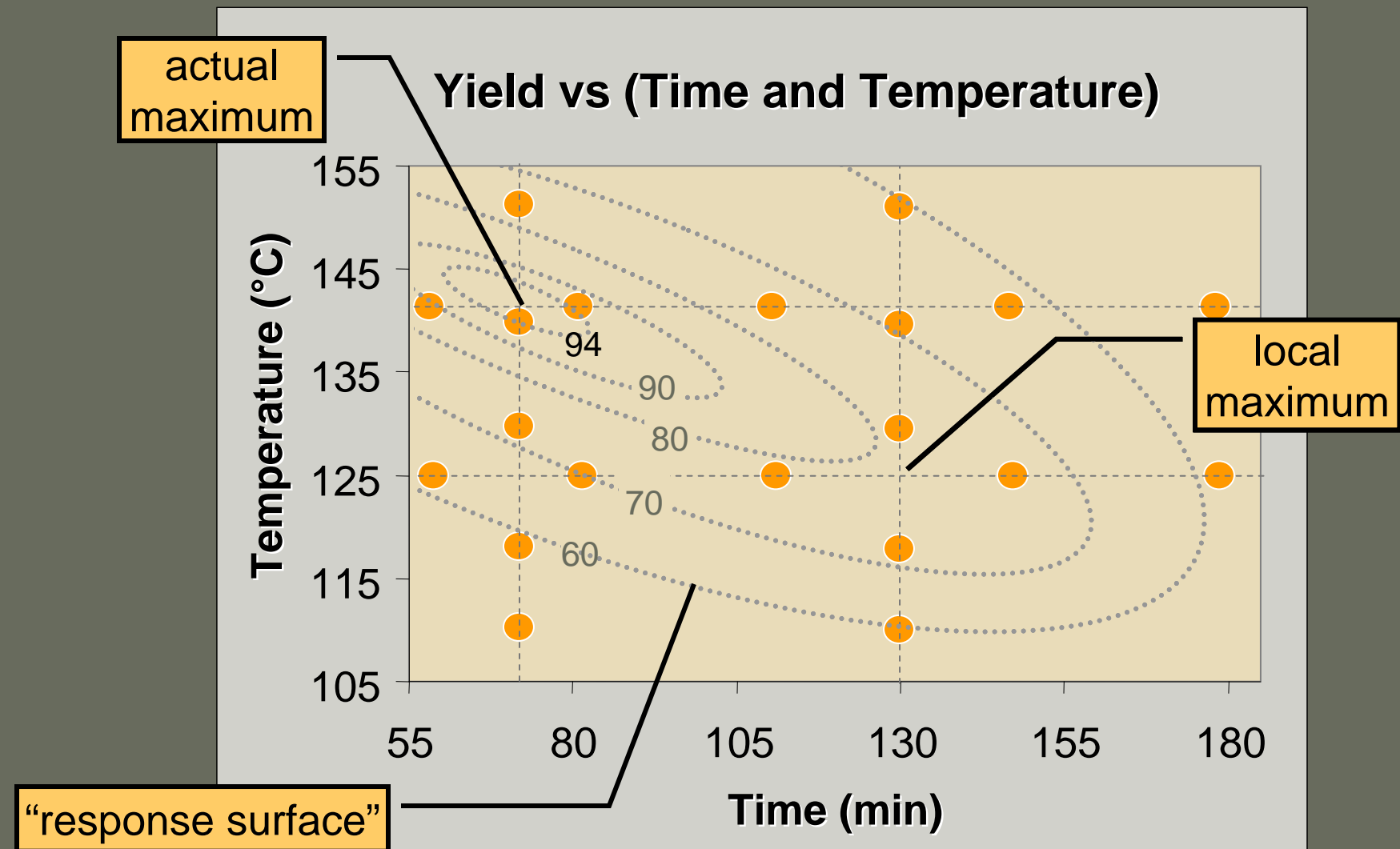


- Analysis of the reaction conditions that affect the yield:



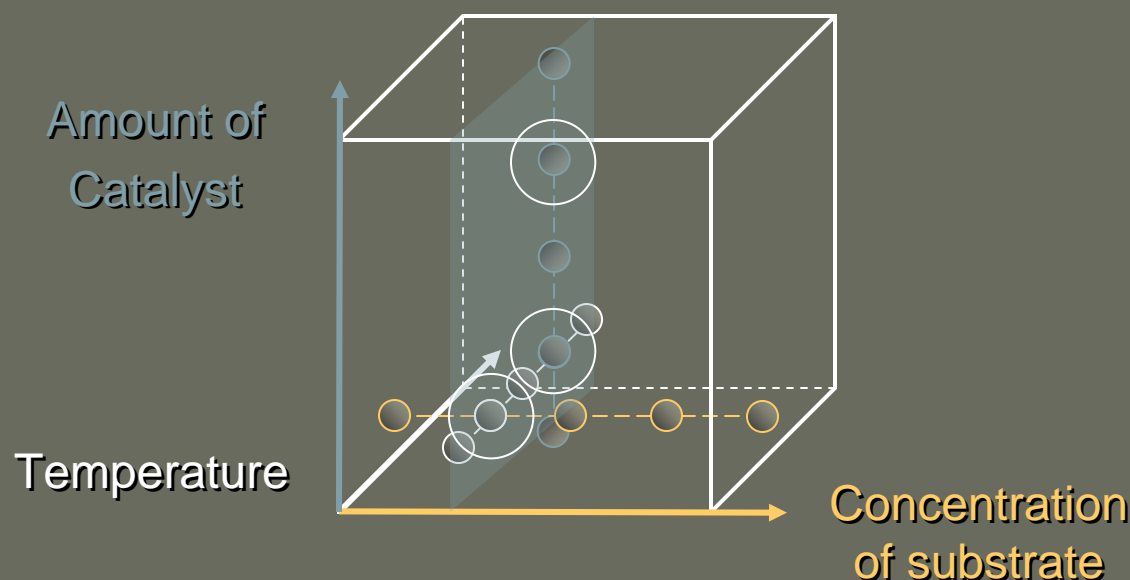
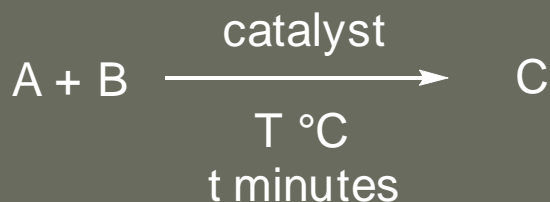
- The maximum yield would be obtained at 125 °C in 130 min?  
Are these really the optimum conditions?

- How yield actually behaves



# • The conventional approach

- Analysis of the effect of one particular reaction condition by keeping all the other ones constant

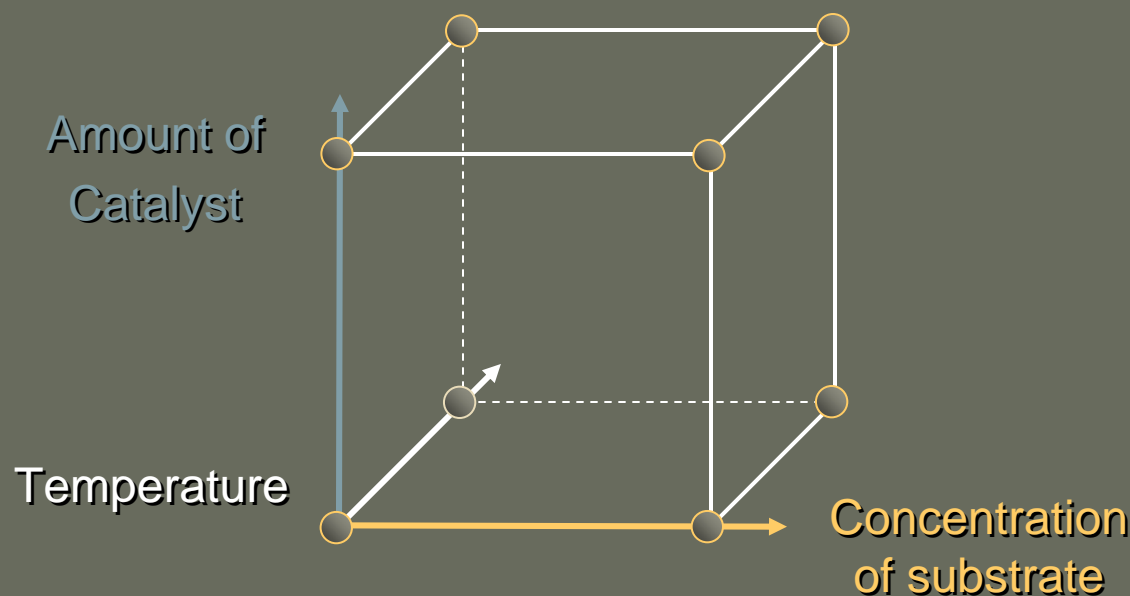
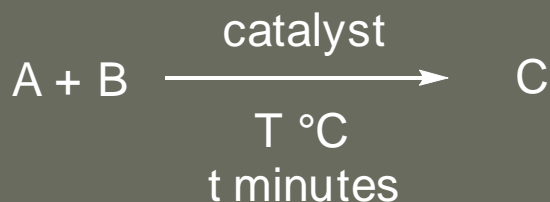


The problem:

- The optimum conditions obtained depend on the starting point

# • The DoE approach

- To rationally choose points throughout the cube to fully represent the entire space.



# ● Outline

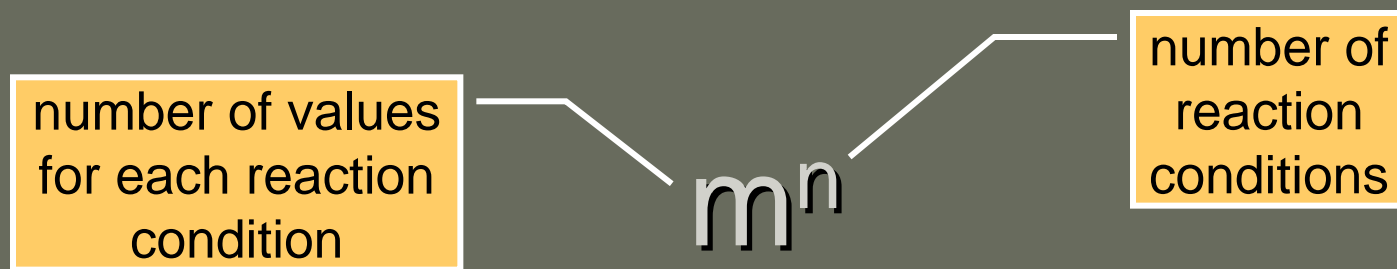
- Determining important reaction conditions
  - Fractional factorial design
- Analysis of reaction condition effects
  - Factorial design
- Estimation of the optimum conditions
  - Response surface analysis



# • Factorial designs

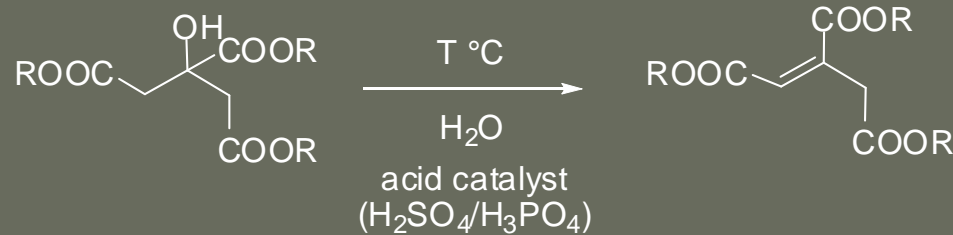
- Two types of reaction conditions:
  - Numeric  
temperature, pH, rate of addition, concentration
  - Categorical  
solvent, inert atmosphere, presence of molecular sieves, use of a particular reagent
- Each reaction condition will be screened over a defined set of values (numeric) or options (categorical)
- Experiments are run using all the possible combinations

# • $m^n$ Factorial designs



- If we analyze 2 values (or options) for 3 reaction conditions,  $2^3=8$  experiments need to be run
- A  $m^n$  factorial design requires  $m^n$  experiments
- The most used method is  $2^n$  design

# • $2^3$ factorial design



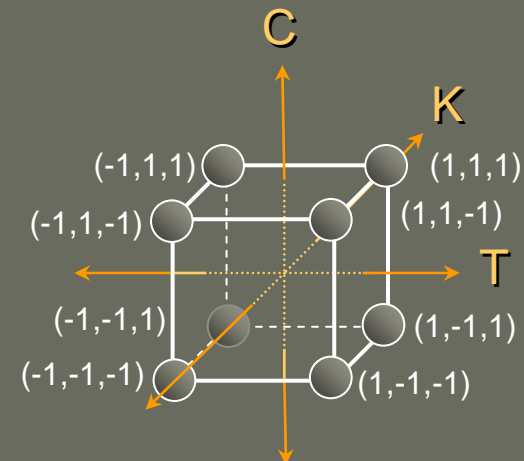
number of  
values

$2^3$

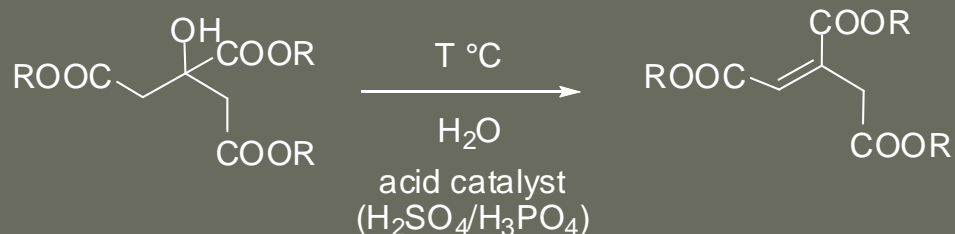
number of  
conditions

- 2 values (or options) for 3 reaction conditions:

T		C		K	
Temperature ( $^{\circ}\text{C}$ )		Concentration (M)		Catalyst	
120	160	1.5	2.5	$\text{H}_3\text{PO}_4$	$\text{H}_2\text{SO}_4$



# • $2^3$ factorial design



- 8 experimental runs:

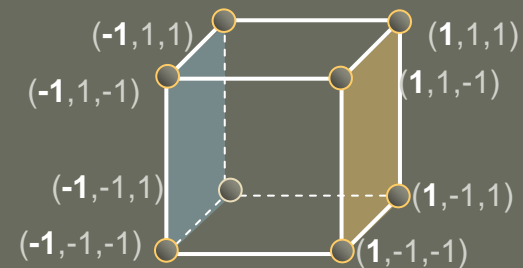
run	T	C	K	label	yield (%)
1	-	-	-	1	60
2	+	-	-	t	72
3	-	+	-	c	54
4	+	+	-	tc	68
5	-	-	+	k	52
6	+	-	+	tk	83
7	-	+	+	ck	45
8	+	+	+	tck	80

run	T	C	K	label	yield (%)
1	-	-	-	1	60
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3	-	+	-	c	54
4	+	+	-	tc	68
5	-	-	+	k	52
6	+	-	+	tk	83
7	-	+	+	ck	45
8	+	+	+	tck	80

# Measuring the effect: Temperature

run	T	C	K	label	yield (%)
1	-	-	-	1	60
2	+	-	-	t	72
3	-	+	-	c	54
4	+	+	-	tc	68
5	-	-	+	k	52
6	+	-	+	tk	83
7	-	+	+	ck	45
8	+	+	+	tck	80

Effect of T



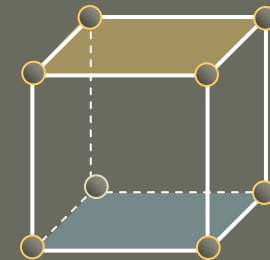
One half of the average of the differences of each pair

$$= \frac{\left[ \frac{(t - 1) + (tc - c) + (tk - k) + (tck - ck)}{4} \right]}{2} = \frac{\left[ \frac{12 + 14 + 31 + 35}{4} \right]}{2} = 11.5$$

# Measuring the effect: Concentration

run	T	C	K	label	yield (%)
1	-	-	-	1	60
2	+	-	-	t	72
3	-	+	-	c	54
4	+	+	-	tc	68
5	-	-	+	k	52
6	+	-	+	tk	83
7	-	+	+	ck	45
8	+	+	+	tck	80

Effect of C



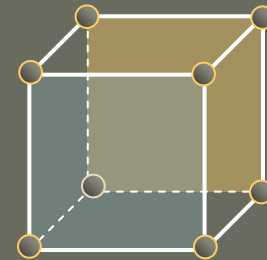
One half of the average of the differences of each pair

$$= \frac{\left[ \frac{(c - 1) + (tc - t) + (ck - k) + (tck - tk)}{4} \right]}{2} = \frac{\left[ \frac{(-6) + (-4) + (-7) + (-3)}{4} \right]}{2} = -2.5$$

# Measuring the effect: Catalyst

run	T	C	K	label	yield (%)
1	-	-	-	1	60
2	+	-	-	t	72
3	-	+	-	c	54
4	+	+	-	tc	68
5	-	-	+	k	52
6	+	-	+	tk	83
7	-	+	+	ck	45
8	+	+	+	tck	80

Effect of K



One half of the average of the differences of each pair

$$= \frac{\left[ \frac{(k - 1) + (tk - t) + (ck - c) + (tck - tc)}{4} \right]}{2} = \frac{\left[ \frac{(-8) + 11 + (-9) + 12}{4} \right]}{2} = 0.75$$



# Concentration-temperature interaction

run	T	C	K	label	yield (%)
1	-	-	-	1	60
2	+	-	-	t	72
3	-	+	-	c	54
4	+	+	-	tc	68
5	-	-	+	k	52
6	+	-	+	tk	83
7	-	+	+	ck	45
8	+	+	+	tck	80

12 → 6

14 → 7

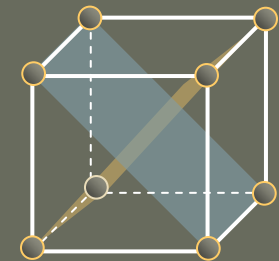
31 → 15.5

35 → 17.5

1

2

Effect of C on the effect of T



One half of the average of the differences of each pair of effects

$$\text{on} = \frac{\left\{ \left[ \frac{(tc - c)}{2} - \frac{(t - 1)}{2} \right] + \left[ \frac{(tck - ck)}{2} - \frac{(tk - k)}{2} \right] \right\} / 2}{2} = \frac{\left\{ \left[ \frac{14}{2} - \frac{12}{2} \right] + \left[ \frac{35}{2} - \frac{31}{2} \right] \right\} / 2}{2} = 0.75$$

# • Temperature-concentration interaction

run	T	C	K	label	yield (%)
1	-	-	-	1	60
2	+	-	-	t	72
3	-	+	-	c	54
4	+	+	-	tc	68
5	-	-	+	k	52
6	+	-	+	tk	83
7	-	+	+	ck	45
8	+	+	+	tck	80

-6 → -3

-4 → -2

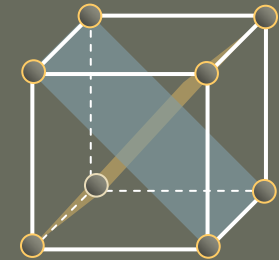
-7 → -3.5

-3 → -1.5

1

2

Effect of T on the effect of C



One half of the average of the differences of each pair of effects

$$\text{on} = \frac{\left\{ \left[ \frac{(tc - t)}{2} - \frac{(c - 1)}{2} \right] + \left[ \frac{(tck - tk)}{2} - \frac{(ck - k)}{2} \right] \right\} / 2}{2} = \frac{\left\{ \left[ \frac{(-4)}{2} - \frac{(-6)}{2} \right] + \left[ \frac{(-3)}{2} - \frac{(-7)}{2} \right] \right\} / 2}{2} = 0.75$$

# Concentration-temperature interaction

run	T	C	K	label	yield (%)
1	-	-	-	1	60
2	+	-	-	t	72
3	-	+	-	c	54
4	+	+	-	tc	68
5	-	-	+	k	52
6	+	-	+	tk	83
7	-	+	+	ck	45
8	+	+	+	tck	80

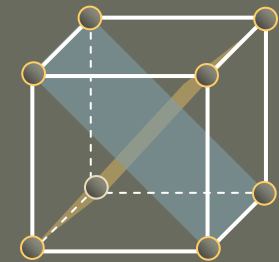
12 → 6

14 → 7

31 → 15.5

35 → 17.5

Effect of C on the effect of T



One half of the average of the differences of each pair of effects

$$\text{on} = \frac{\left\{ \left[ \frac{(tc - c)}{2} - \frac{(t - 1)}{2} \right] + \left[ \frac{(tck - ck)}{2} - \frac{(tk - k)}{2} \right] \right\} / 2}{2} = \frac{\left\{ \left[ \frac{14}{2} - \frac{12}{2} \right] + \left[ \frac{35}{2} - \frac{31}{2} \right] \right\} / 2}{2} = 0.75$$

# • Temperature-catalyst interaction

run	T	C	K	label	yield (%)
1	-	-	-	1	60
2	+	-	-	t	72
3	-	+	-	c	54
4	+	+	-	tc	68
5	-	-	+	k	52
6	+	-	+	tk	83
7	-	+	+	ck	45
8	+	+	+	tck	80

12 → 6

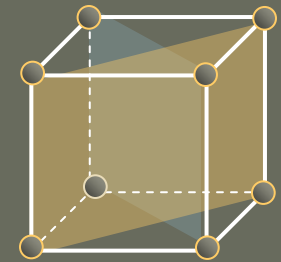
14 → 7

31 → 15.5

35 → 17.5

9.5

10.5

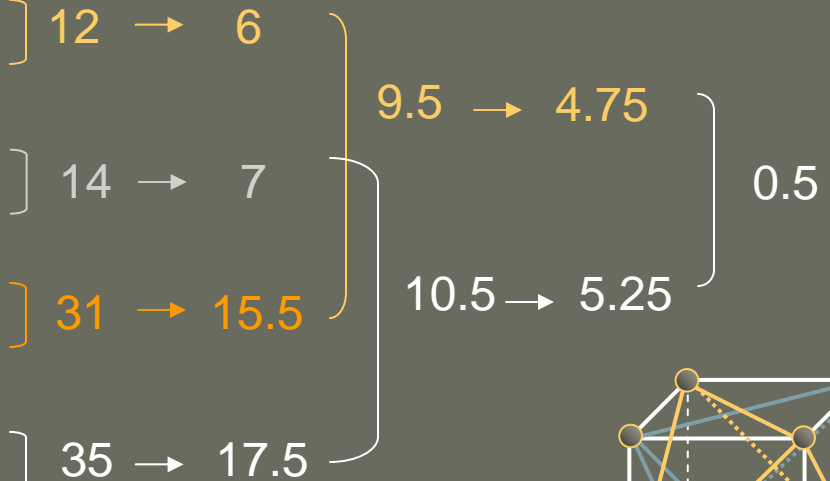


One half of the average of the differences of each pair of effects

$$\text{on} = \frac{\left\{ \left[ \frac{(tk - k)}{2} - \frac{(t - 1)}{2} \right] + \left[ \frac{(tck - ck)}{2} - \frac{(tc - c)}{2} \right] \right\} / 2}{2} = \frac{\left\{ \left[ \frac{31}{2} - \frac{12}{2} \right] + \left[ \frac{35}{2} - \frac{14}{2} \right] \right\} / 2}{2} = 5$$

# • TCK interaction

run	T	C	K	label	yield (%)
1	-	-	-	1	60
2	+	-	-	t	72
3	-	+	-	c	54
4	+	+	-	tc	68
5	-	-	+	k	52
6	+	-	+	tk	83
7	-	+	+	ck	45
8	+	+	+	tck	80



$$\text{on} = \frac{\left\{ \left[ \frac{(tck - ck)}{2} - \frac{(tc - c)}{2} \right] - \left[ \frac{(tk - k)}{2} - \frac{(t - 1)}{2} \right] \right\} / 2}{2} = \frac{\left\{ \left[ \frac{35}{2} - \frac{14}{2} \right] - \left[ \frac{31}{2} - \frac{12}{2} \right] \right\} / 2}{2} = 0.25$$

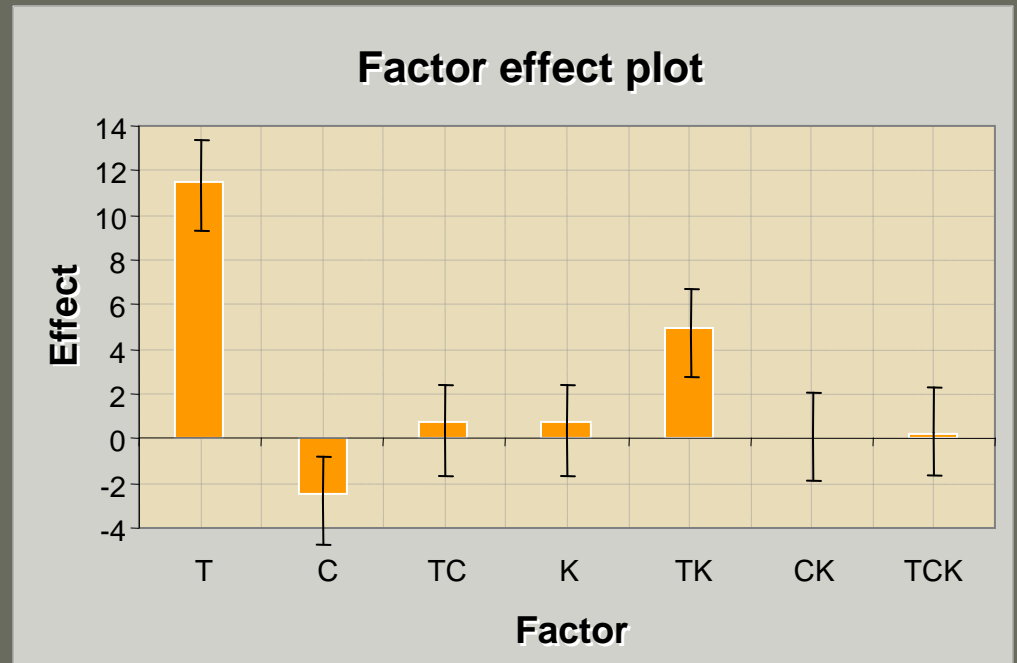
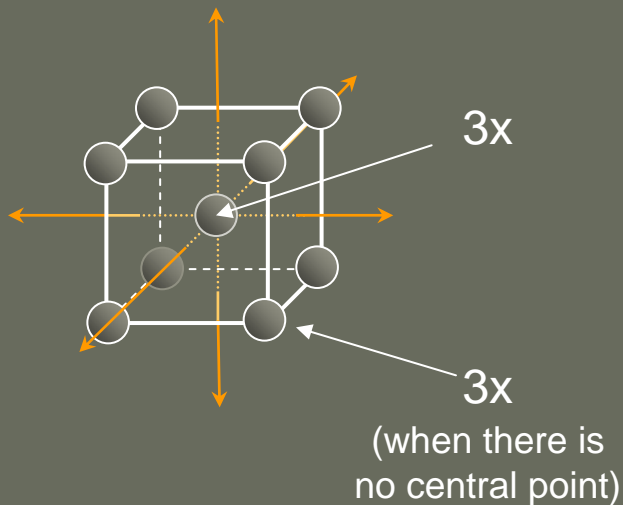
# Measuring the effect and interactions

- Yates's algorithm: works for any  $2^n$  factorial design

run	T	C	K	label	yield (%)	(1)	(2)	(3)	div	result	
1	-	-	-	1	60	132	254	514	8	64.25	average
2	+	-	-	t	72	122	260	92	8	11.5	T
3	-	+	-	c	54	135	26	-20	8	-2.5	C
4	+	+	-	tc	68	125	66	6	8	0.75	TC
5	-	-	+	k	52	12	-10	6	8	0.75	K
6	+	-	+	tk	83	14	-10	40	8	5.0	TK
7	-	+	+	ck	45	31	2	0	8	0	CK
8	+	+	+	tck	80	35	4	2	8	0.25	TCK

# • What do those numbers mean?

- First we need to evaluate if they are significant



- If the effect of a factor is lower than the standard deviation, it's likely to be due to experimental error

# • What do those numbers mean?

- The effects can be used to calculate a function that represents all the experimental runs

	result
average	64.25
<i>T</i>	11.5
<i>C</i>	-2.5
<i>TC</i>	0.75
<i>K</i>	0.75
<i>TK</i>	5.0
<i>CK</i>	0
<i>TCK</i>	0.25

$$\text{yield} = 64.25 + 11.5T - 2.5C + 5TK \pm$$

run	T	C	K	label	yield (%)	calculated
1	-	-	-	1	60	60.25 ± 2
2	+	-	-	t	72	73.25 ± 2
3	-	+	-	c	54	55.25 ± 2
4	+	+	-	tc	68	68.25 ± 2
5	-	-	+	k	52	50.25 ± 2
6	+	-	+	tk	83	83.25 ± 2
7	-	+	+	ck	45	45.25 ± 2
8	+	+	+	tck	80	78.25 ± 2

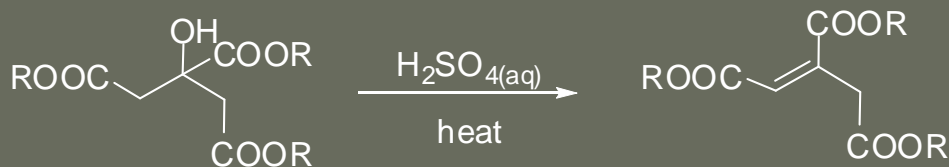


- The meaning of those numbers

$$\text{yield} = 64.25 + 11.5T - 2.5C + 5TK \pm$$

T		C		K	
Temperature (°C)		Concentration (M)		Catalyst	
120	160	1.5	2.5	H <sub>3</sub> PO <sub>4</sub>	H <sub>2</sub> SO <sub>4</sub>
-1	+1	-1	+1	-1	+1

- Categorical reaction conditions can be optimized



$$\text{yield} = 64.25 + 16.5T - 2.5C \pm$$

# ● Something important

- It was possible to choose one catalyst because the interaction TK was identified

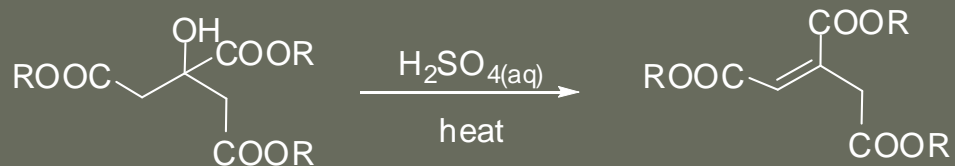
$$\text{yield} = 64.25 + 11.5T - 2.5C + 5TK \pm$$

run	T	C	K	yield (%)
1	-	-	-	60
2	+	-	-	72
3	-	+	-	54
4	+	+	-	68
5	-	-	+	52
6	+	-	+	83
7	-	+	+	45
8	+	+	+	80

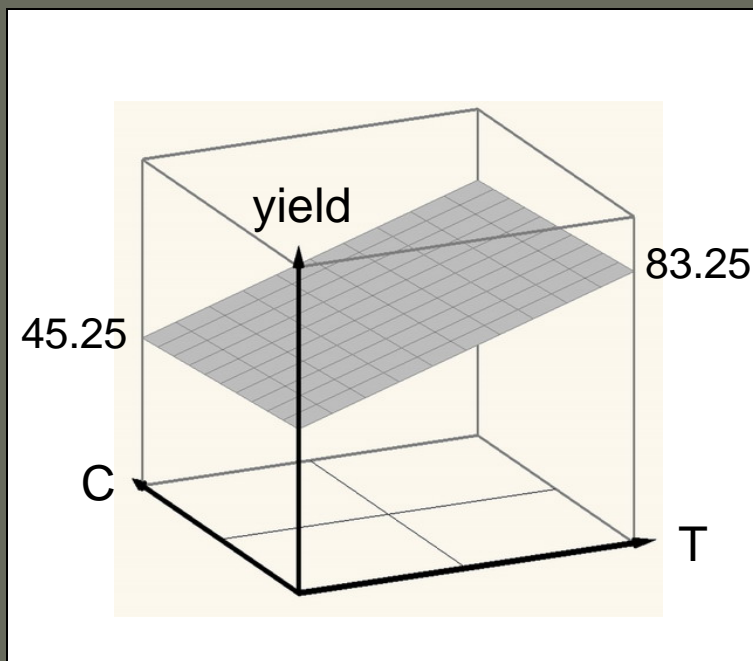
$\left. \begin{array}{l} \text{runs 1-4} \\ \text{runs 5-8} \end{array} \right\} \begin{array}{l} \text{H}_3\text{PO}_4 \\ \text{H}_2\text{SO}_4 \end{array}$

In order to get the maximum yield (maximize the function), the catalyst has to be  $\text{H}_2\text{SO}_4$

- The meaning of those numbers



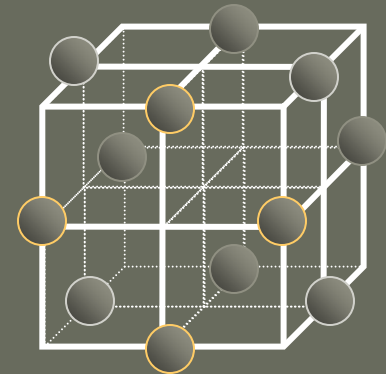
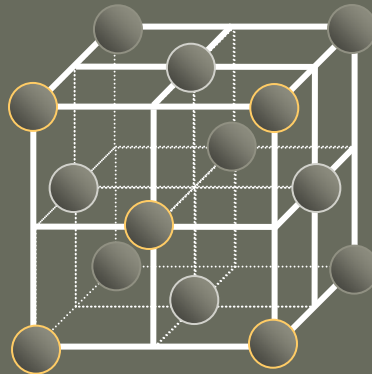
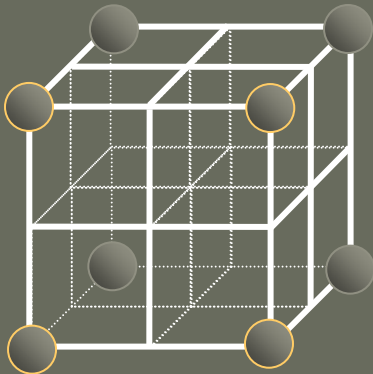
$$\text{yield} = 64.25 + 16.5T - 2.5C \pm$$



- To find the optimum conditions, we need to make sure that this function represents the entire space

# • Other factorial designs

- Full factorial design
- Central composite
- Box-Behnken

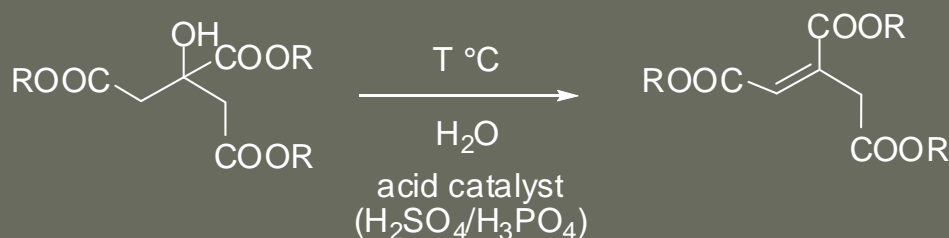


# ● Outline

- Determining important reaction conditions
  - Fractional factorial design
- Analysis of reaction condition effects
  - Factorial design
- Estimation of the optimum conditions
  - Response surface analysis

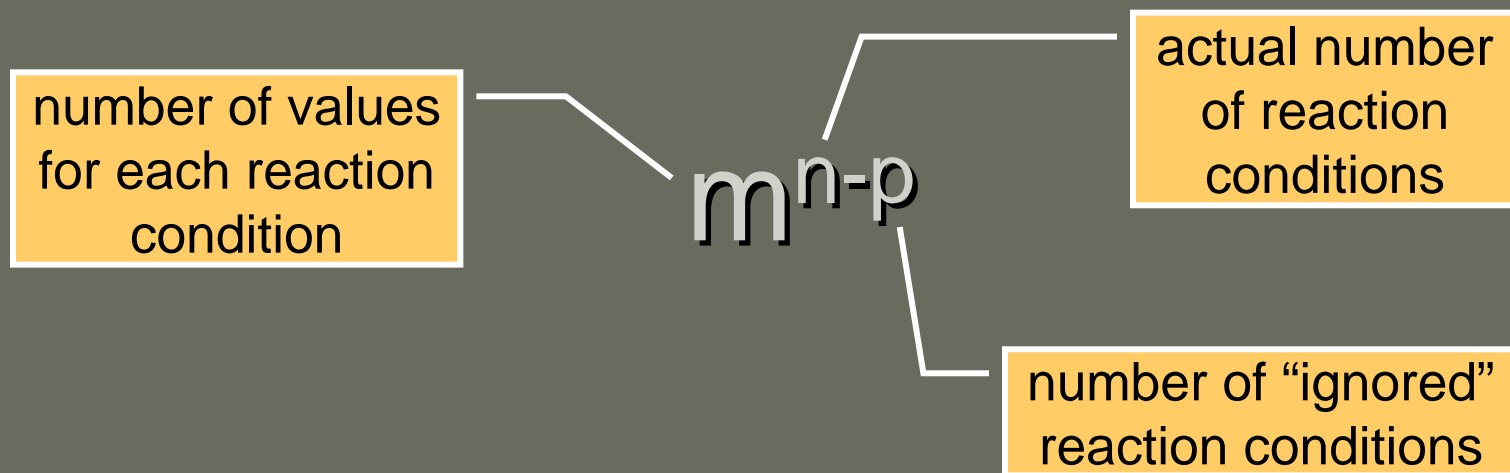
# • Fractional Factorial designs

- Factorial designs work perfectly for determining important factors  
...if you have 3 reaction conditions, as in the example



- If you had to analyze 7 reaction conditions at 2 values each, you would need to run  $2^7=128$  experiments!
- By virtue of statistics, it is possible to lower that number and get the same information

# • $m^{n-p}$ Fractional Factorial designs



- A  $m^{n-p}$  fractional factorial design requires  $m^{n-p}$  experiments
- If we analyze 2 values or options for 4 reaction conditions (as if they were only 3),  $2^{4-1}=8$  experiments need to be run

# • Effects vs. interactions

• This is what we got before:

	result
average	64.25
T	11.5
C	-2.5
TC	0.75
K	0.75
TK	5.0
CK	0
TCK	0.25

	Important?
main effects	Very often
2-factor interactions	Often
3-factor interactions	Sometimes
4-factor interactions	Very rarely
more-than-5-factor interactions	If you get to here you have something very unusual!



# ● $2^{4-1}$ Fractional factorial design

- Yates's algorithm:

run	A	B	C	D	yield (%)	(1)	(2)	(3)	div	result	
1	-	-	-	-	#	#	#	#	8	#	av + ABCD
2	+	-	-	+	#	#	#	#	8	#	A + BCD
3	-	+	-	+	#	#	#	#	8	#	B + ACD
4	+	+	-	-	#	#	#	#	8	#	AB + CD
5	-	-	+	+	#	#	#	#	8	#	C + ABD
6	+	-	+	-	#	#	#	#	8	#	AC + BD
7	-	+	+	-	#	#	#	#	8	#	BC + AD
8	+	+	+	+	#	#	#	#	8	#	ABC + D

# • Fractional factorial designs

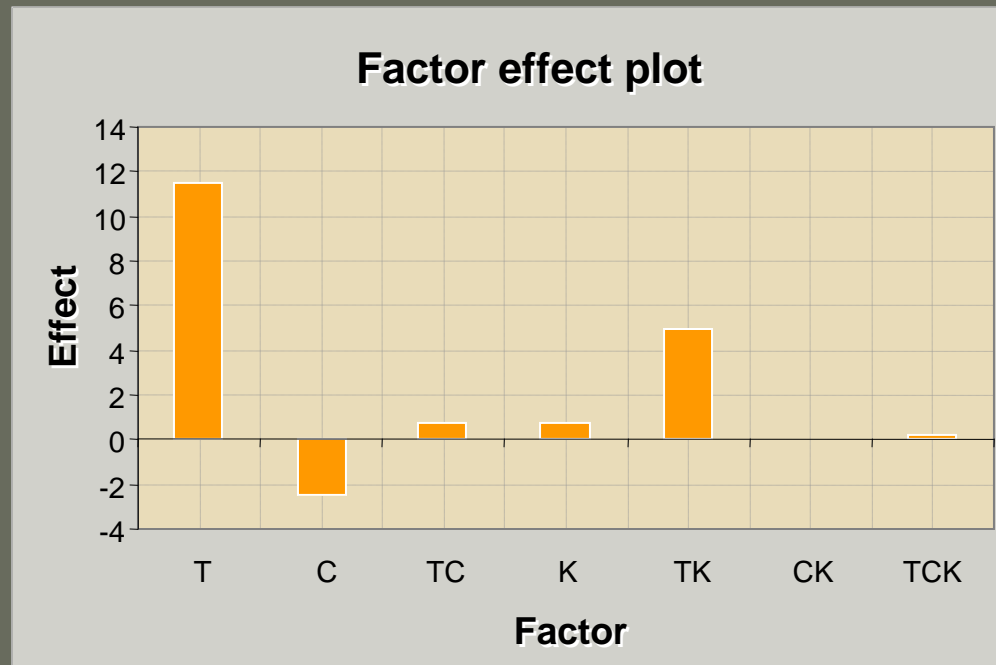
Number of reaction conditions

Number of experimental runs

	2	3	4	5	6	7	8	9	10	11	12	13	14	15
4	$2^2$	$2^{3-1}$												
8		$2^3$	$2^{4-1}$	$2^{5-2}$	$2^{6-3}$	$2^{7-4}$								
16			$2^4$	$2^{5-1}$	$2^{6-2}$	$2^{7-3}$	$2^{8-4}$	$2^{9-5}$	$2^{10-6}$	$2^{11-7}$	$2^{12-8}$	$2^{13-9}$	$2^{14-10}$	$2^{15-11}$
32				$2^5$	$2^{6-1}$	$2^{7-2}$	$2^{8-3}$	$2^{9-4}$	$2^{10-5}$	$2^{11-6}$	$2^{12-7}$	$2^{13-8}$	$2^{14-9}$	$2^{15-10}$
64					$2^6$	$2^{7-1}$	$2^{8-2}$ v	$2^{9-3}$	$2^{10-4}$	$2^{11-5}$	$2^{12-6}$	$2^{13-7}$	$2^{14-8}$	$2^{15-9}$
128						$2^7$	$2^{8-1}$	$2^{9-2}$	$2^{10-3}$	$2^{11-4}$	$2^{12-5}$	$2^{13-6}$	$2^{14-7}$	$2^{15-8}$
256							$2^8$	$2^{9-1}$	$2^{10-2}$	$2^{11-3}$	$2^{12-4}$	$2^{13-5}$	$2^{14-6}$	$2^{15-7}$
512								$2^9$	$2^{10-1}$	$2^{11-2}$	$2^{12-3}$	$2^{13-4}$	$2^{14-5}$	$2^{15-6}$

# • How to compare the effects?

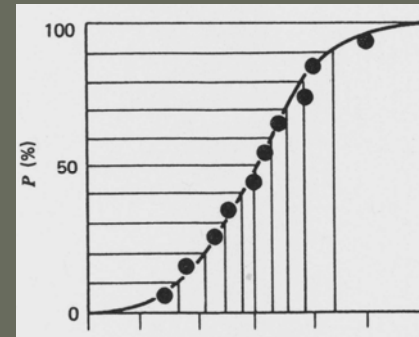
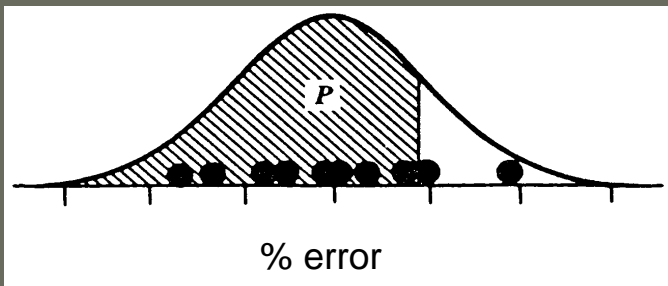
- In the case of 3 reaction conditions, a “Factor effect plot” is enough



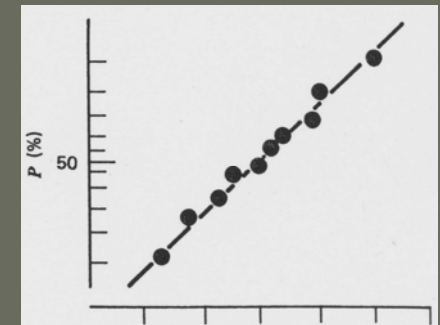
- For a high number of reactions, a normal plot is needed

# • Normal plots

- Let's assume that the experimental error follows a normal distribution

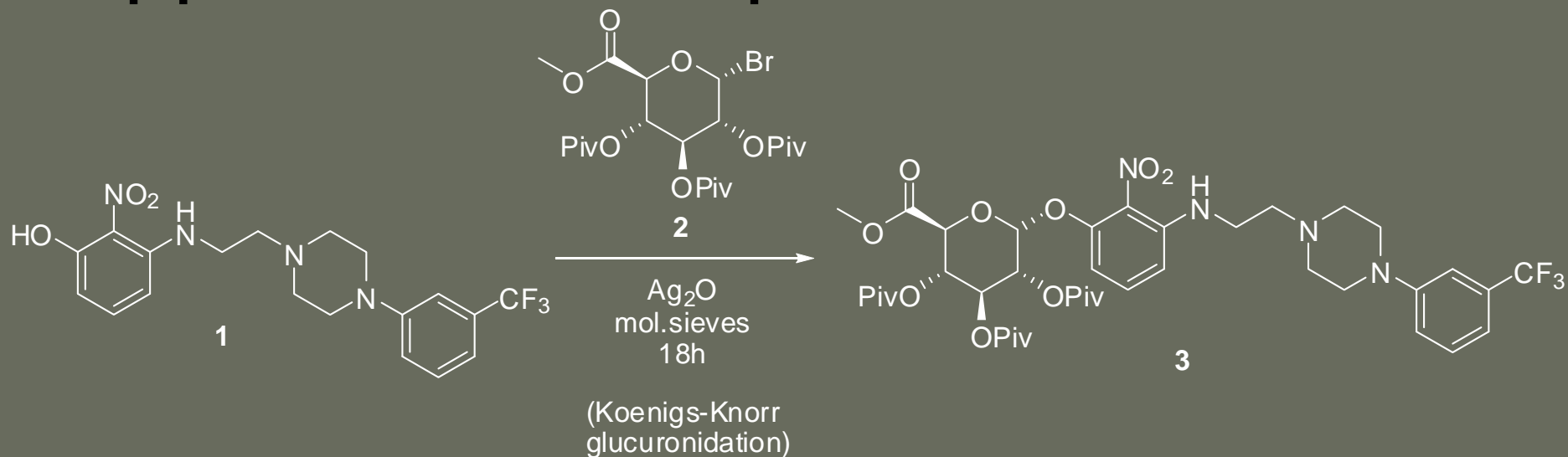


- In a normal plot, reaction condition effects that are due to experimental error will appear forming a straight line

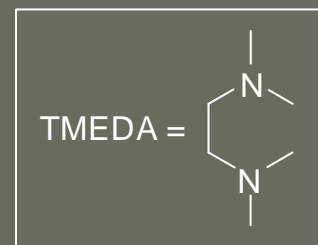


Normal plot

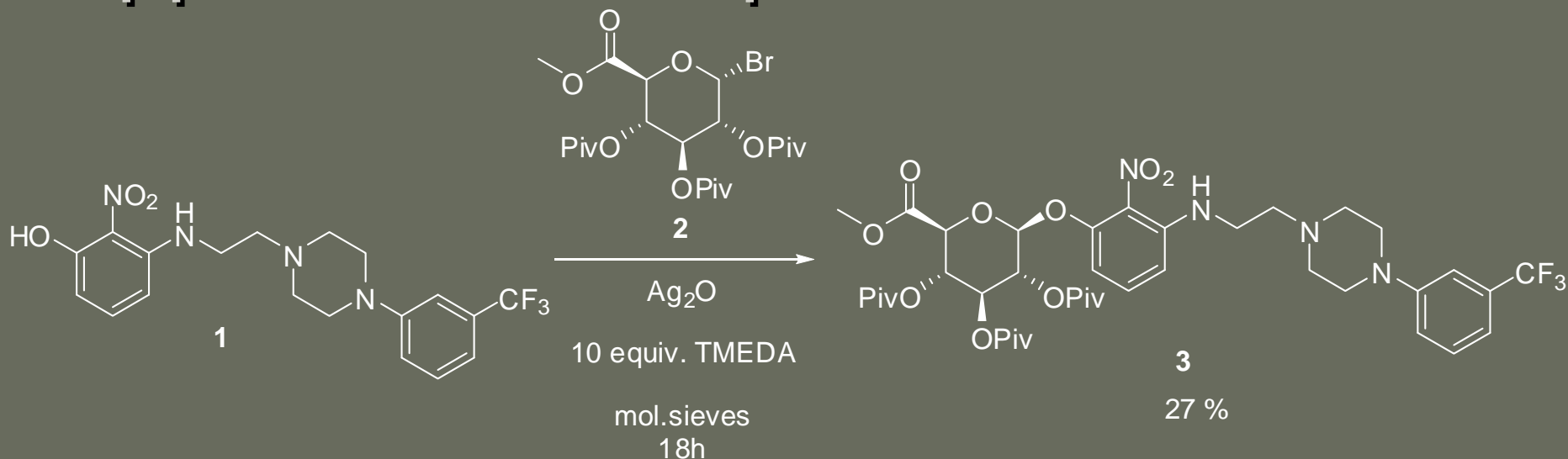
# Application example



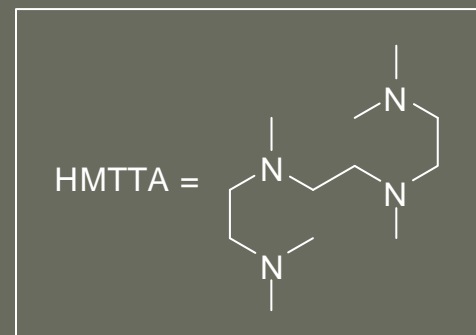
- Chelation was identified as the reason for the bad yield
- Addition of TMEDA (10 equiv.), increased the yield to 27%



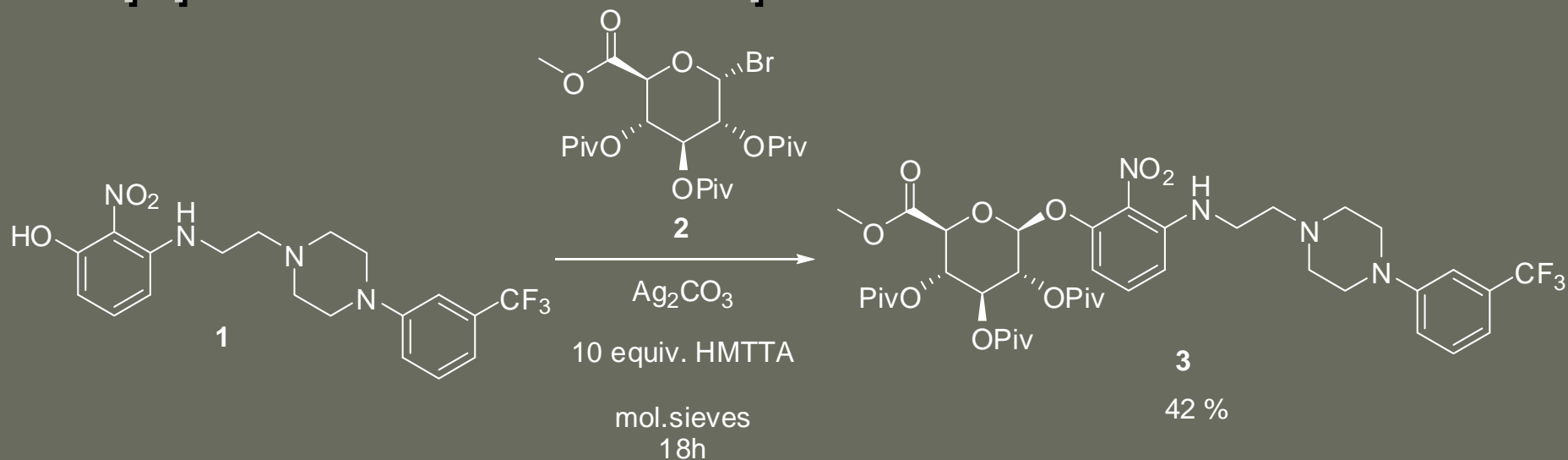
# Application example



- DoE methods ( $3^2$  factorial design) were applied to screen amine additives and silver sources giving: HMTTA and  $\text{Ag}_2\text{CO}_3$  as best combination



# Application example



- A  $2^{7-4}$  fractional factorial (8 experiments) design was used:

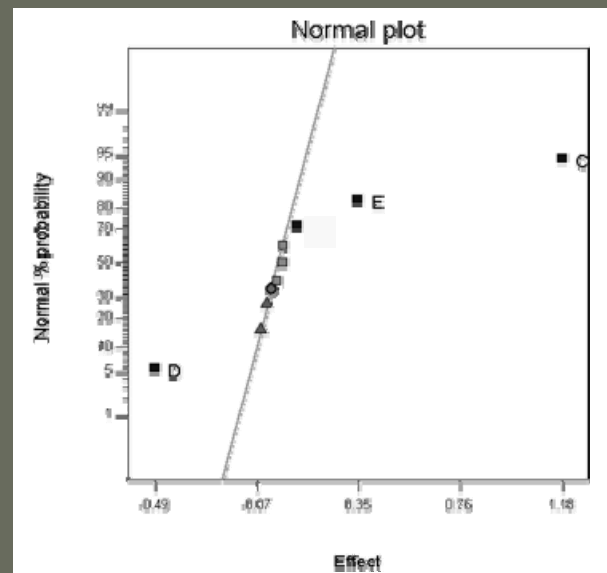
Reaction condition		-1	+1
A	pre-complex time (min)	0	60
B	reaction time (h)	2	6
C	$\text{Ag}_2\text{CO}_3$ (equiv)	1.5	3.8
D	HMTTA (equiv)	1.5	12.6
E	sugar derivative (equiv)	1.5	3
F	4 Å mol sieves (mg)	0	100
G	solvent (mL)	0.5	1.5

# Application example

- $2^{7-4}$  factorial design results:

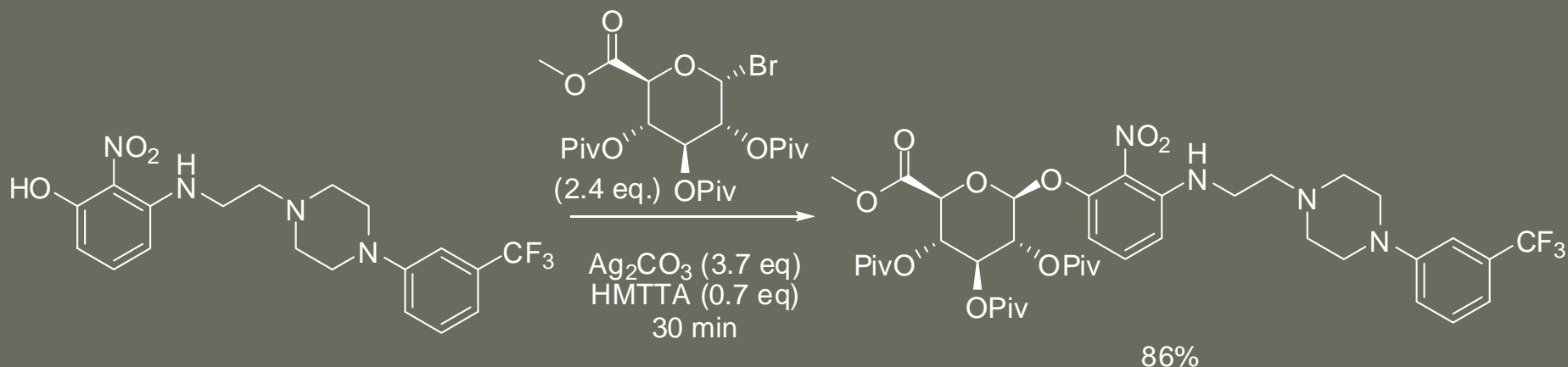
run	A	B	C	D	E	F	G	yield (%)
1	-	-	-	+	+	+	-	14.7
2	+	-	-	-	-	+	+	19.5
3	-	+	-	-	+	-	+	24.4
4	+	+	-	+	-	-	-	11.2
5	-	-	+	+	-	-	+	34.2
6	+	-	+	-	+	-	-	83.2
7	-	+	+	-	-	+	-	56.5
8	+	+	+	+	+	+	+	55.4

- A pre-complex time (min)
- B reaction time (h)
- C  $\text{Ag}_2\text{CO}_3$  (equiv)
- D HMTTA (equiv)
- E sugar derivative (equiv)
- F 4 Å mol sieves (mg)
- G solvent (mL)

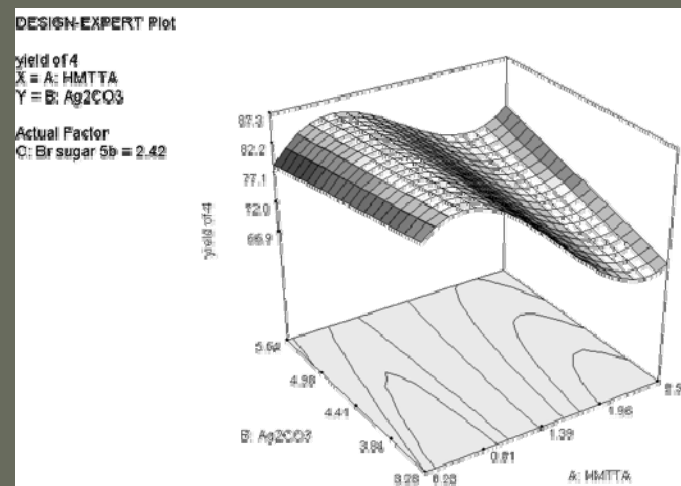




# Application example



- Finally, a  $2^3$  factorial design and response surface analysis gave the optimum conditions

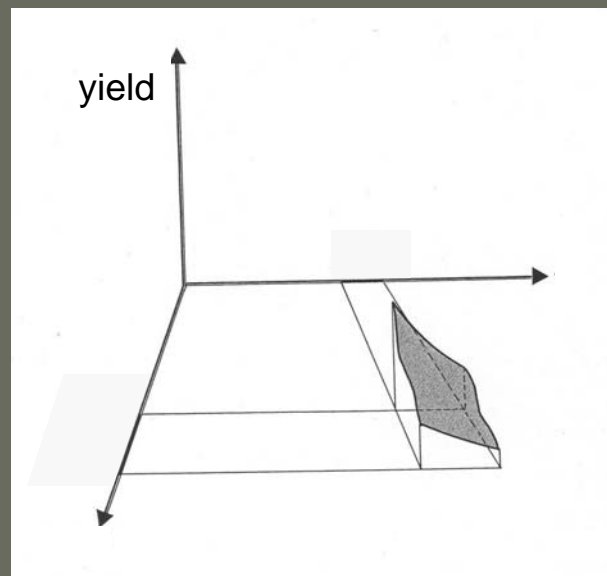
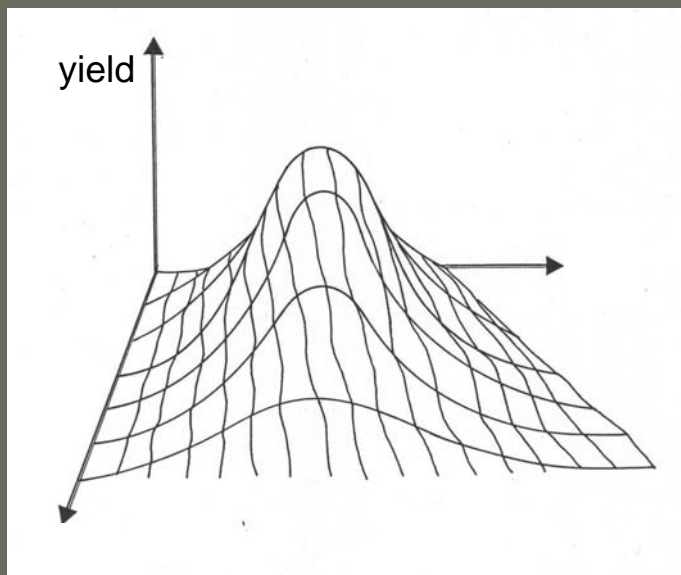


# ● Outline

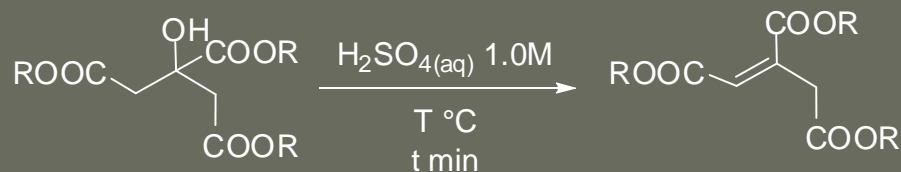
- Determining important reaction conditions
  - Fractional factorial design
- Analysis of reaction condition effects
  - Factorial design
- Estimation of the optimum conditions
  - Response surface analysis

# ● Response surface analysis

- The problem of optimizing a synthetic reaction corresponds to locate the maximum value of a function from a mathematical point of view



# • Response surface analysis

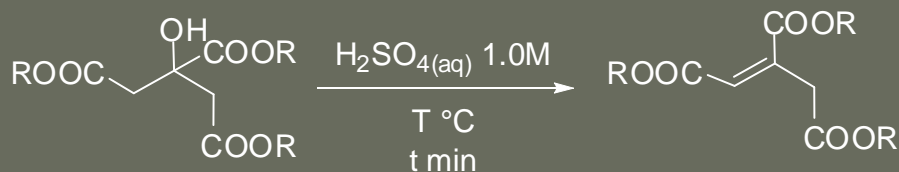


t		T	
time		Temperature	
(min)		(°C)	
70	80	127.5	132.5
-1	+1	-1	+1

run	t	T
1	-	-
2	+	-
3	-	+
4	+	+
5	0	0
6	0	0
7	0	0

Central point:  
three times to  
calculate the  
experimental error

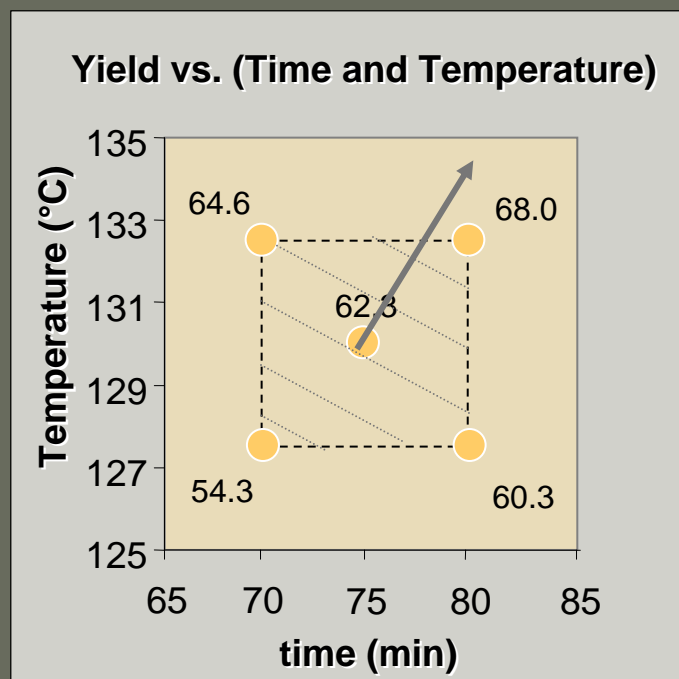
# • Response surface analysis



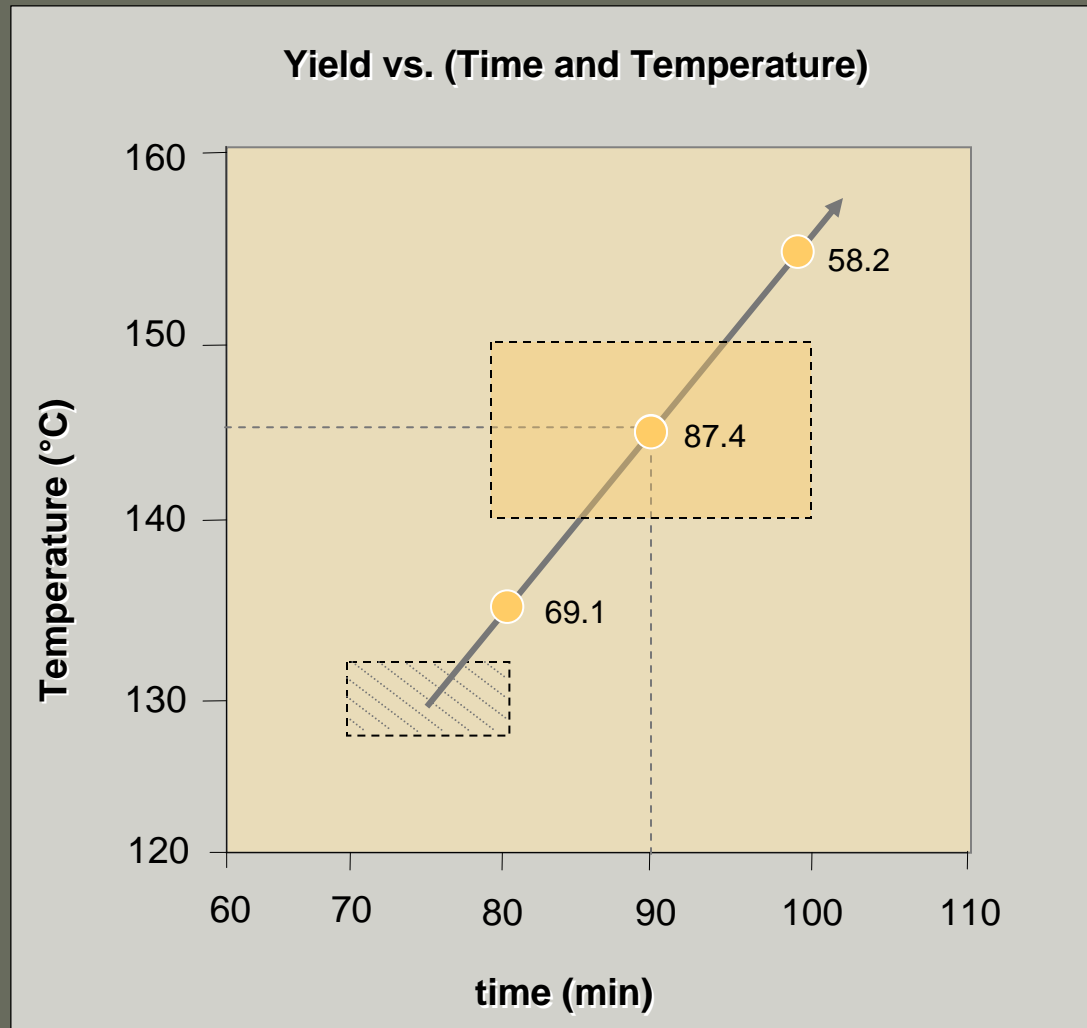
$$\text{yield} = 62.01 + 2.35t + 4.5T \pm$$

run	t	T	yield (%)
1	-	-	54.3
2	+	-	60.3
3	-	+	64.6
4	+	+	68.0
5	0	0	60.3
6	0	0	64.3
8	0	0	62.3

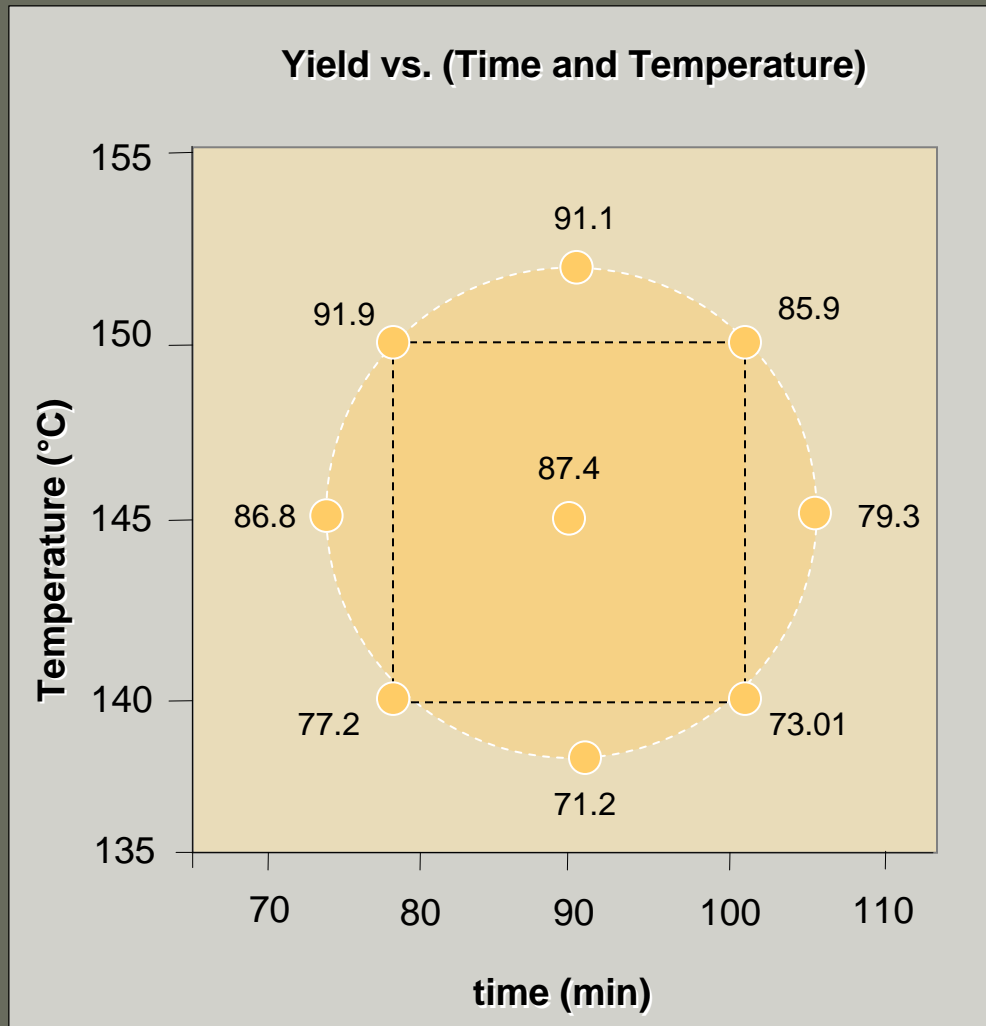
} 3 central points  
 e = 2



# • Response surface analysis



# • Response surface analysis



- Equation for the  $2^2$  factorial design:

$$\text{yield} = 82.09 - 2.69t + 6.97T \pm$$

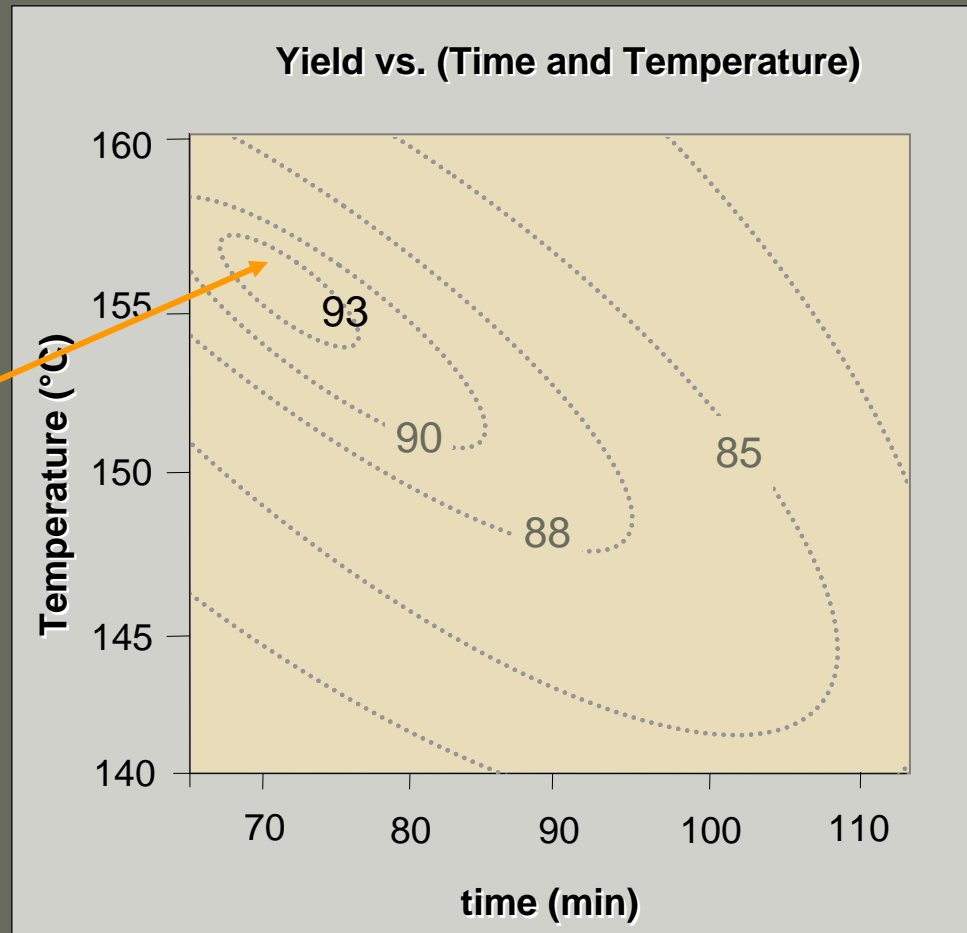
- Calculated equation for the surface:

$$\text{yield} = 87.36 - 2.69t + 6.97T - 2.15t^2 - 3.12T^2 - 0.58Tt \pm$$

# • Response surface analysis

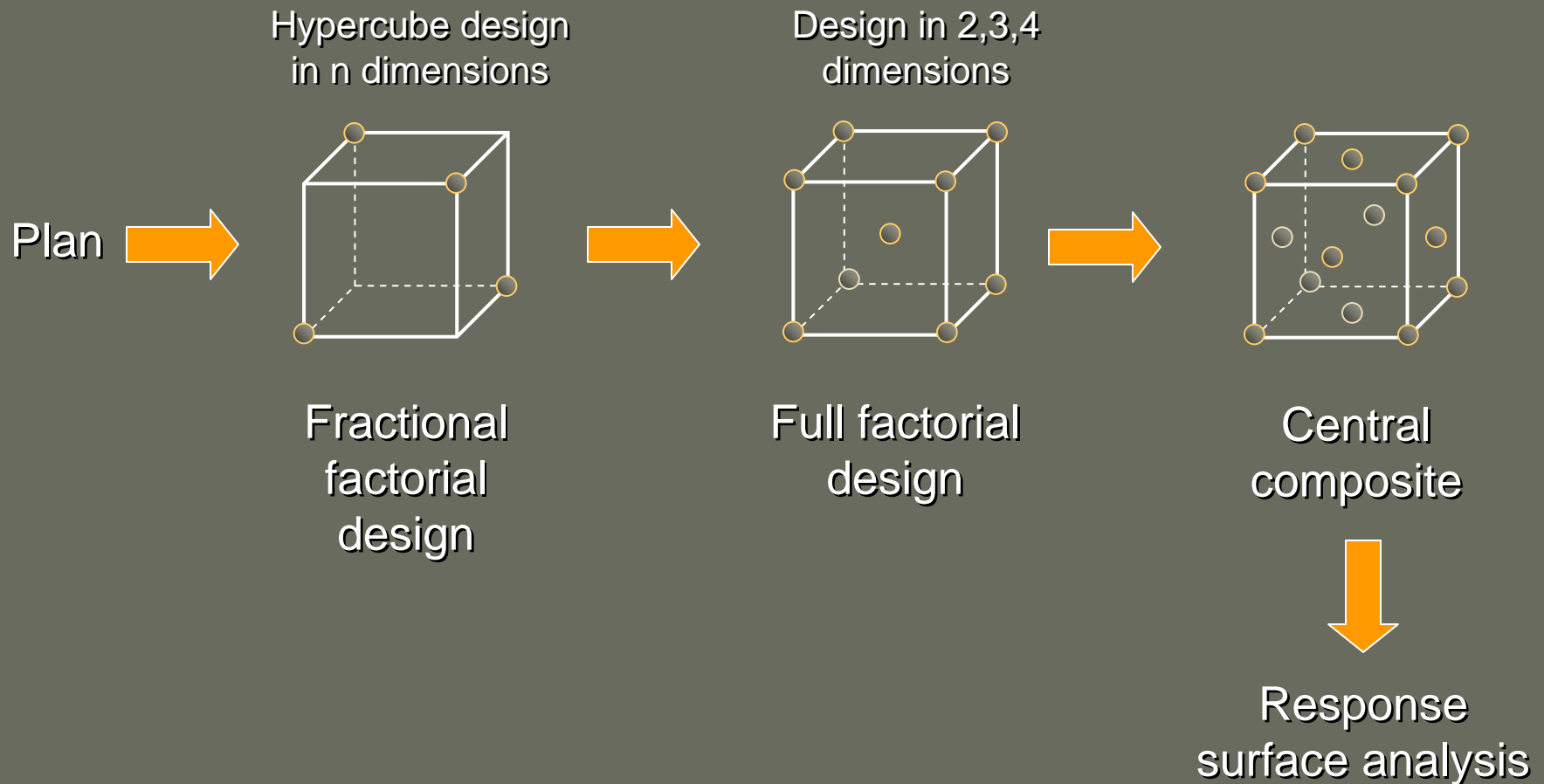
$$\text{yield} = 87.36 - 2.69t + 6.97T - 2.15t^2 - 3.12T^2 - 0.58Tt \pm$$

Optimum conditions:  
 $T = 157^\circ\text{C}$   
 $t = 73\text{ min}$   
yield: 93%

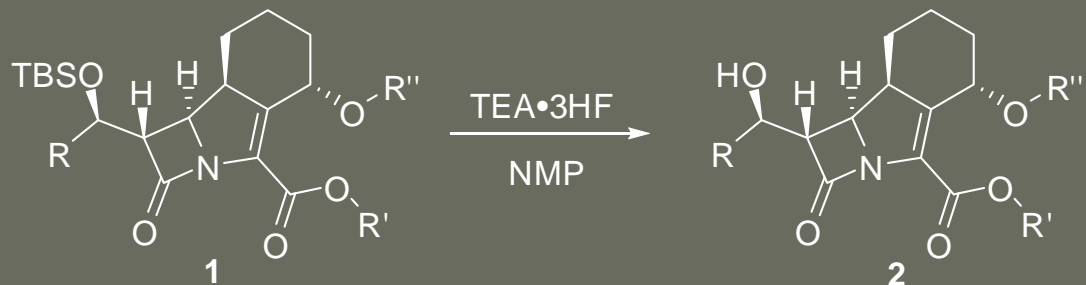




- Sequential nature of experimentation



# • Application of response surface analysis



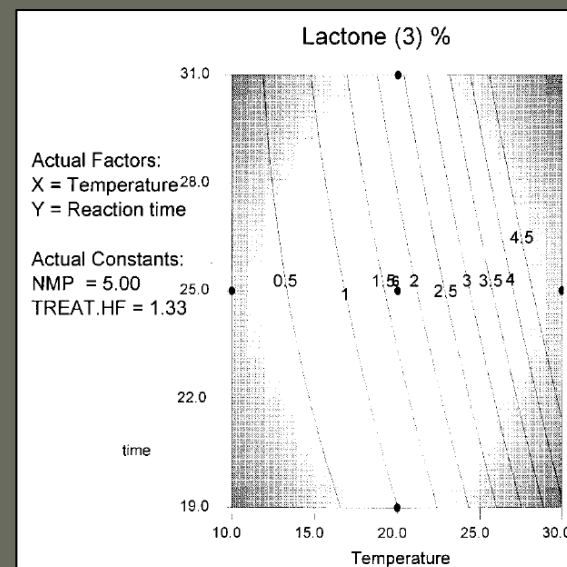
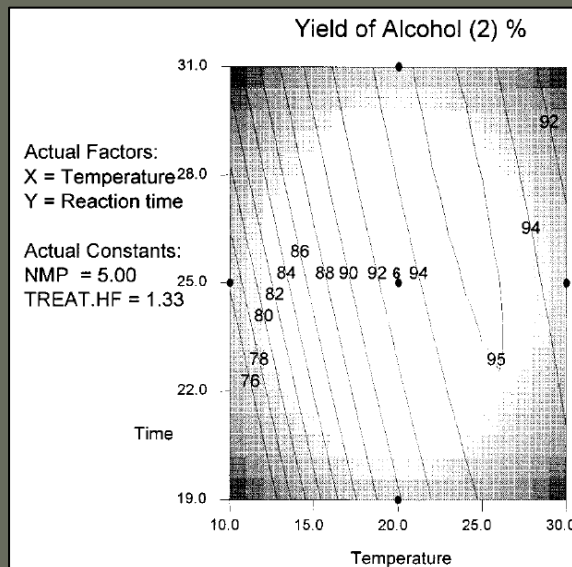
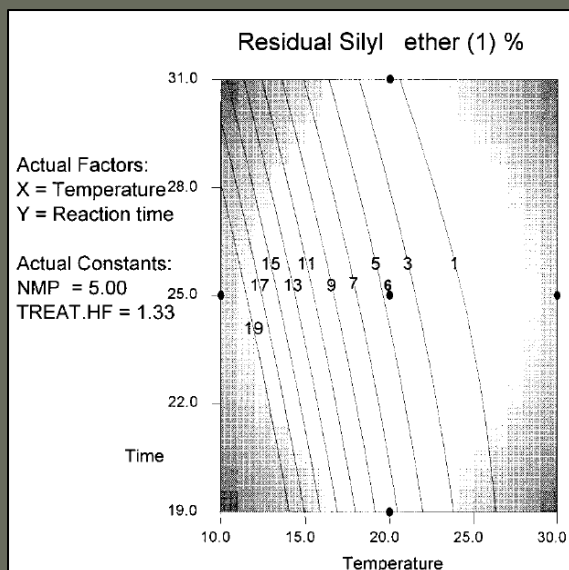
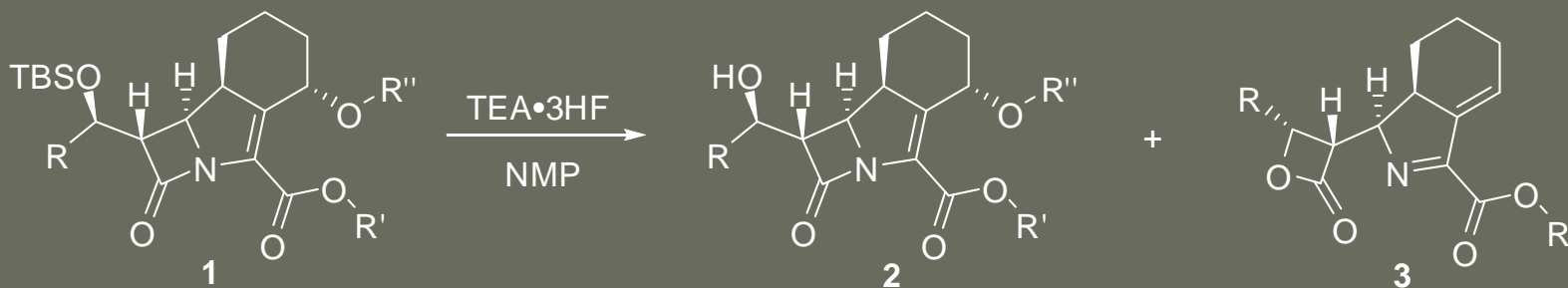
## ■ 2<sup>4</sup> central composite

reaction condition	range		units
temperature	10	30	°C
time	19	31	hours
volume of NMP	3	7	mL/g of substrate
equivalents of TEA.3HF	1	1.67	Equivalents

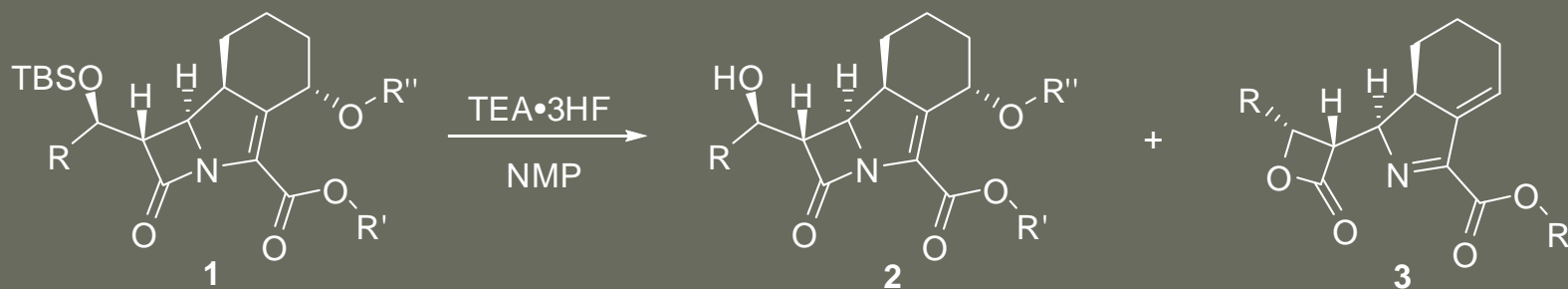
## ■ Monitored results:

- % yield of alcohol
- % lactone
- % remaining silyl ether

# Application of response surface analysis

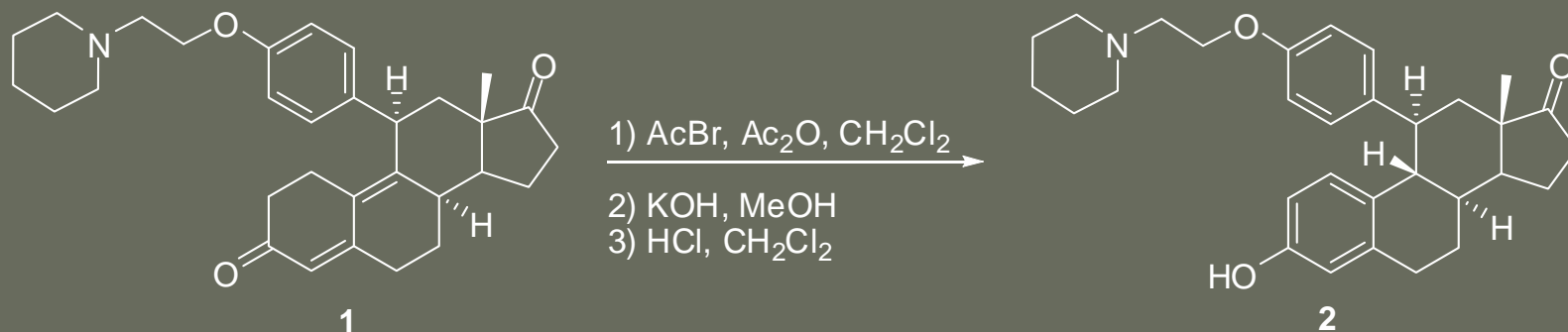


# ● Application



target/constraints	Predicted conditions				product yield (%)		impurity (%)	
	T (°C)	Time (h)	solvent	Et3N·3HF	predicted	actual	predicted	actual
max yield	19	31	3.6	1.42	95.3	95.8	3.3	3.3
lactone < 2%	17	31	4.8	1.50	94.2	94.0	1.9	1.7
lactone < 1.1%	16	29	5.3	1.68	92.4	93.1	1.1	1.1
lactone < 2%, solvent < 3.5 mL/g	14	31	3.45	1.58	93.9	94.2	1.8	2.0
lactone < 2% Et <sub>3</sub> N·3HF < 1.18eq.	28	19.5	7	1.17	93.7	93.4	1.9	2.0
lactone < 2%, time < 23 h	24	23	6.3	1.41	94.2	94.2	2.0	1.9

# ● When DoE “fails”



entry	Ac <sub>2</sub> O (equiv)	AcBr (equiv)	T (°C)	yield (%) (20 g)	yield(%) (20 kg)	comments
1	3	3.8	23-27	77.3	< 70	original conditions

Conditions: *t* = 4-5h; yield of **2** after crystallization

# ● Outline

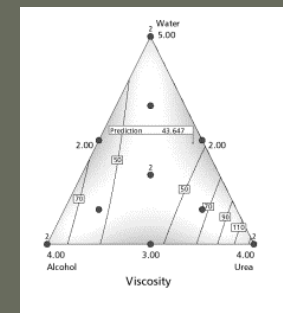
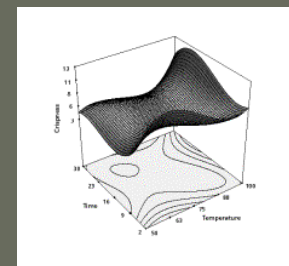
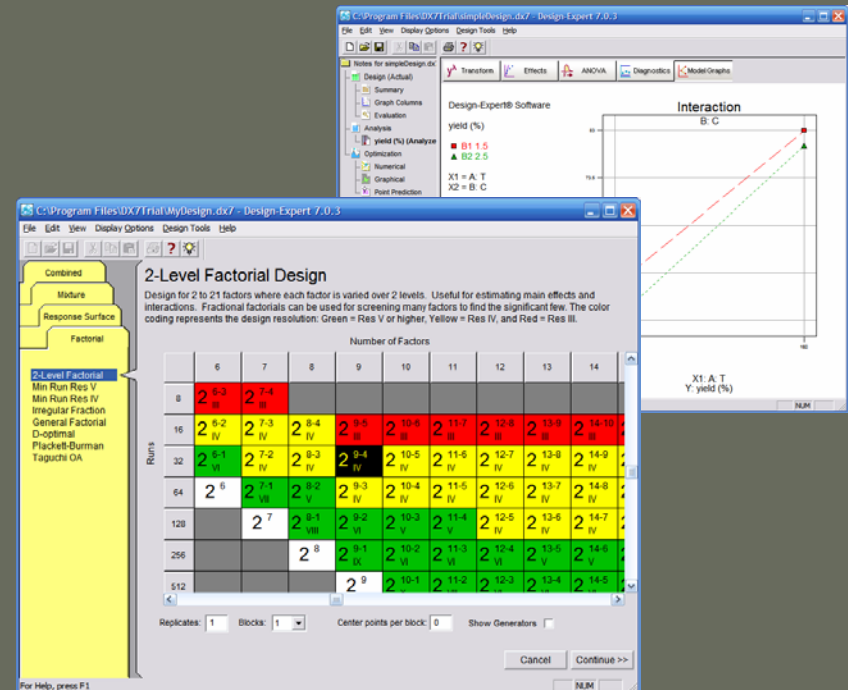
- Determining important reaction conditions
  - Fractional factorial design
- Analysis of reaction condition effects
  - Factorial design
- Estimation of the optimum conditions
  - Response surface analysis
- Recent advances
  - Software
  - Automation

- “DoE involves a lot of math, it’s rather complicated”
  - People tend not to utilize DoE because of the tedious mathematical manipulations.

# Software

Most commonly used:

- Stat-Ease Design Expert<sup>®</sup>  
(<http://www.statease.com>)
- Umetrics MODDE<sup>®</sup>  
(<http://www.umetrics.com>)
- S-matrix Fusion Pro<sup>®</sup>  
(<http://www.smatrix.com>)





# • What if I need to run $>2^4$ experiments?

The answer is to use automation

- Some features of automated systems, commercially available:
  - Up to 100 simultaneous reactions
  - Automated liquid handler
  - Vessel volume: 100  $\mu\text{L}$   $\rightarrow$  250 mL
  - Temperatures: -100  $^{\circ}\text{C}$   $\rightarrow$  350  $^{\circ}\text{C}$
  - Reflux,  $\text{N}_2$  blanketing, automated  $\text{N}_2$ /vacuum manifold
  - On-line HPLC

# ● Example of the use of automation

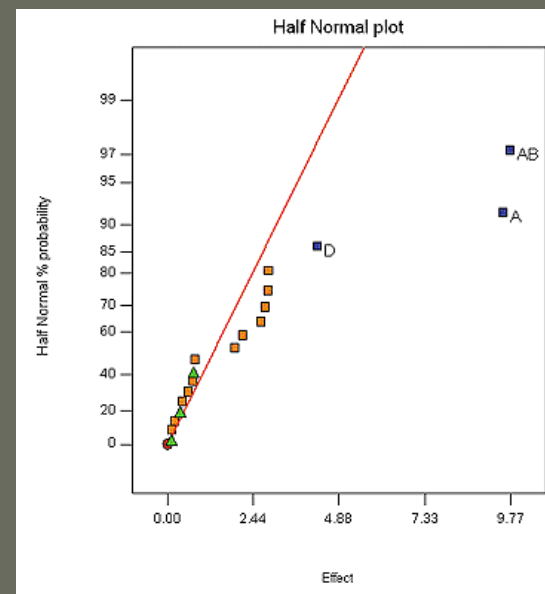
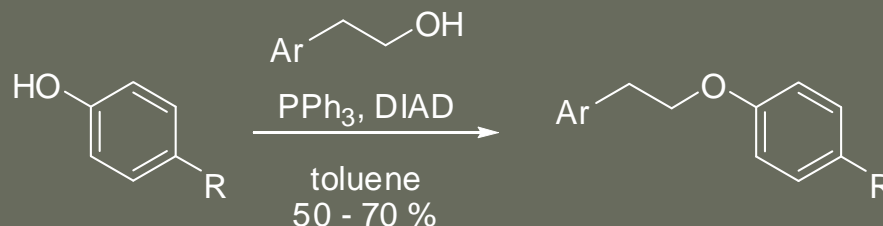
- System:

- Automated liquid handler
- On-line HPLC

- Reaction conditions:

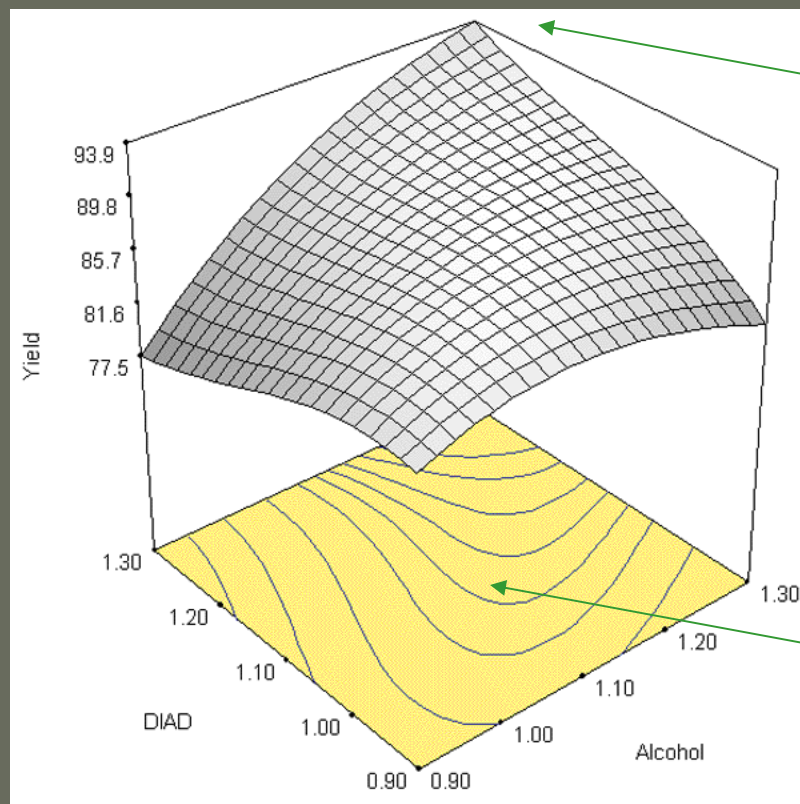
- A equivalents of alcohol
- B equivalents of DIAD
- C volume of toluene
- D temperature
- E addition rate of DIAD

- 20 experimental runs
- Total research time: 5 days



Important factors: ratio DIAD/alcohol, alcohol, temperature

- Why DoE methods are ideal for us



Further exploration  
would lead us to  
obtain > 94% yield

1.1 equivalents of DIAD and  
1.1 equivalents of alcohol  
89% yield, almost pure  
product after workup

# ● Some final comments

- DoE offers powerful mathematical models that are applicable to the behavior of organic reactions
- DoE methods are a daily practice in industrial chemistry. Current applications and results are not being published
- DoE is not a substitute for creative chemistry, but it can be a great supplement

- DoE is a tool
  - A tool... like a hammer
  - The only way to know how it works is to use it
  - If you don't try it, you will never know that it actually works
  - When you get used to the hammer, you wouldn't use a rock again

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Il Hwan, Bani, and Kyoungsoo

Aman, Aman, Toyin, Calvin