## FACTORING METHOD 1: GREATEST COMMON FACTOR (GCF) Day 1

Warm-Up: What property is illustrated by: $5 a+5 b=5(a+b)$ $\qquad$

- To factor means to $\qquad$
- GCF Factored Answer will be written using the $\qquad$ property


## PROCEDURE FOR GCF FACTORING:

- Determine what \#/(or expression) may be divided out of each term (REVERSED OUT)
- Determine what variable (with highest exponent) may be divided out of each term (REVERSED OUT)

What is $\qquad$ goes in $\qquad$ of the parenthesis for the final factored answer

## Factor the following:

## 1. $5 a^{2}-15$

2. $10 x-25 x^{2}$
3. $8 a x-56 a$
4. $x(2 x+5)-3(2 x+5)$
5. The area of a rectangle is represented by $3 x^{2}+6 x$ and the length by $x+2$. Express the width of the rectangle in terms of $x$.
6. The area of a triangle is represented by $24 x^{2}+4 x$ and the height by $8 x$. Express the base of the triangle in terms of $x$.

## FACTOR BY GROUPING METHOD

## Factor the following:

1. $4 r^{3}+24 r+r^{2}+6$
2. $6 x^{2}-4 x-3 x+2$
3. $15 x^{2}-10 x+9 x-6$
4. $7 x^{2}-14 x-6 x+12$
5. $2 x^{3}-5 x^{2}+14 x-35$

Practice:

1. $48 x^{2} y+36 x^{3} y^{2}$
2. $2 x(x-4)+(x-4)$
3. The perimeter of a square is represented by $36 x^{2}+8$. Find the area of the square.

# FACTORING METHOD 2: <br> DIFFERENCE OF 2 PERFECT SQUARES (D2PS) Day 2 

Recall: Simplify the following: $(x+2)(x-2)$
****These pair of factors are $\qquad$ of each other******

## HOW TO FACTOR:

- STEP 1: ALWAYS CHECK FOR $\qquad$
- STEP 2: To use D2PS FACTORING method must satisfy CHECK OFF LIST
D.

2-
PS-
Always check remaining factored parts to determine if they can be factored again!!!!

## HOW TO WRITE FINAL FACTORED ANSWER

- If expression has a GCF-
- divide out and leave GCF outside ( ) in final answer
- After GCF is divided out... or there was no GCF...
- The remaining expression in the ( ) will be broken down into parts using the following setup.
- Create $\mathbf{2}$ sets of ( ) with $\mathbf{2}$ different operation signs in the middle of the () (1 set of () with a + sign, the other a - sign)
- Take the $\qquad$ of both terms in expression.
- Fill in the square roots of the terms in the parentheses. In the correct positions (before and after the operation sign)
- ANSWER WILL ALWAYS REPRESENT A $\qquad$ PAIR

Factor the following:

1. $y^{2}-16$
2. $100 \mathrm{r}^{2}-9$
3. $3 x^{2}-27$
4. $\frac{1}{25}-x^{2}$
5. $a^{2}-0.36$
6. $\mathrm{c}^{2}-\frac{9}{4}$
7. The area of a rectangle is $25 m^{3}-30 m^{2}$ and the width is $5 \mathrm{~m}^{2}$, what is the length in terms of m ?

## Practice:

1. $\mathrm{cm}^{2}-\mathrm{cd}^{2}$
2. $25 x^{2}+100$
3. $36+n^{2}$
4. The area of rectangle is represented by $9 x^{2}-25$. Find the perimeter of the rectangle in terms of $x$.

## FACTORING METHOD 3: TRINOMIALS Day 3 (GROUPING Method)

Recall: Simplify the following: $(2 y+3)(y-12)$

Answers are usually a TRINOMIAL in the form: $\qquad$ , where $a, b$, and $c$ are the coefficients.

## HOW TO FACTOR:

- STEP 1: ALWAYS CHECK FOR $\qquad$
- If expression has a GCF-divide out and leave GCF outside () in final answer
- After GCF is divided out... or there was no GCF...
- The remaining expression in the () will be broken down into parts using the following setup.


## STEPS for Factoring Trinomials

1. Make sure trinomial is in correct standard form.
2. Create the $\mathbf{x}$-diagram and fill in with $a c \#$ and $b \#$
a. Multiply a\# and c\# (this is your ac\#)
b. Write down the b\# (this is your sum \#)
c. Fill in missing parts with the factors

3. Rewrite the equation and SPLIT THE MIDDLE TERM (bx) using the 2 factors found in step 2 .
a. Put appropriate variables next to these terms
4. Factor the remaining expression (4-TERMS) by GROUP FACTORING.

## Factor the following:

1. $3 x^{2}+10 x+8$

2. $b^{2}+5 b-24$
3. $4 x^{2}-5 x y-6 y^{2}$

Practice:

1. $2 x^{2}+7 x+6$
2. $3 x^{2}+2 x-5$
3. $k^{2}-k-30$
4. $y^{2}+10 y+25$

## HOW TO FACTOR (STEPS)

Step 1: $\qquad$
THEN CHOOSE EITHER $\qquad$
2: $\qquad$

3: $\qquad$

Factor the following completely:

1. $m^{2}+13 m-30$
2. $6 x+18$
3. $25 x^{2}-100$
4. The area of a rectangular fountain is represented by $x^{2}+12 x+20 \mathrm{ft}^{2}$. The width is $x+2 \mathrm{ft}$. Find the length of the fountain.

5. The volume of a rectangular prism is $x^{3}-7 x^{2}+12 x$. Determine what would represent the length, width, and height.
6. The length of a rectangular porch is $(x+7) \mathrm{ft}$. The area of the porch is $\left(x^{2}+9 x+14\right) \mathrm{ft}^{2}$. Find the width of the porch.


## Practice:

1. If the area of a rectangle is $27 a^{3}-18 a^{2}$ and the length is $3 a-2$, what is the width in terms of a?
2. One factor of $49 x^{2}-16$ is $7 x-4$. What is the other factor?
(1) $7 x-4$
(2) $7 x+4$
(3) $-7 x-4$
(4) $-7 x+4$
3. Which are the factors of $18 y^{2}-6 y$ ?
(1) $9 y$ and $2 y-3$
(3) $6 y$ and $3 y-1$
(2) $18 y^{2}$ and $-6 y$
(4) $3 y$ and $6 y-3$

## REVIEW FACTORING METHODS Day 5

Recall: FACTORING STEPS:
1 : $\qquad$
2 : $\qquad$
3: $\qquad$

Factor the following completely:

1. $36 x y^{2}-48 x^{2} y$
2. $4 g^{2}-81 h^{2}$
3. $36-x^{2}$
4. $5(x+2)+x(x+2)$
5. $x^{2}+6 x+8$
6. $9 a^{2}+81 b^{2}$
7. $x^{2}-10 x+21$
8. $36 x^{2}-16 x^{5}$
9. $2 x(x-4)-(x-4)$
10. $x^{2}-22 x-75$
11. $2 x^{2}-10 x+3 x-15$
12. $7 x^{3}+35 x^{2}+8 x+40$
13. $a^{2}+3 a+2$
14. $6 y^{2}+2 y$
15. $25 x^{2}-16$
16. $5 k^{3}+15 k+10 k$
17. $2 x^{2}-7 x-15$
18. $a^{2}+a-56$
