Tishk International University
Mechatronics Engineering Department
Engineering Drawing lecture 2 theoretical: 21 /12 /2020

# Geometrical Construction 

Prepared By:sara serwer

## outline

- Principles of Dimensioning
- Arrangement of Dimensions
- Geometrical Construction


## Preparation of Tools



## Principles of Dimensioning

Some of the basic principles of dimensioning are given below.
I. All dimensional information necessary to describe a component clearly and completely shall be written directly on a drawing.
2. Each feature shall be dimensioned once only on a drawing, i.e., dimension marked in one view need not be repeated in another view.
3. Dimension should be placed on the view where the shape is best seen (Fig.1)
4. As far as possible, dimensions should be expressed in one unit only preferably in millimeters, without showing the unit symbol (mm).
5. As far as possible dimensions should be placed outside the view (Fig.2).
6. Dimensions should be taken from visible outlines rather than from hidden lines (Fig3).
7. No gap should be left between the feature and the start of the extension line (Fig.4).
8. Crossing of centre lines should be done by a long dash and not a short dash (Fig 5).


Figure 1 Placing the dimension where the shape is best known.


Figure 3 Marking the dimension from the visible outlines.


Figure 4 Marking of Extension Line.


Correct


Incorrect

Figure 2 Placing the dimension outside view.


Figure 5 crossing of centre line

## Arrangement of Dimensions

The arrangement of dimensions on a drawing must indicate clearly the purpose of the design of the object. They are arranged in three ways.

1. Chain dimensioning
2. 2. Parallel dimensioning
1. 3. Combined dimensioning.

Chain dimensioning Chain of single dimensioning should be used only where the possible accumulation of tolerances does not endanger the fundamental requirement of the component (Fig.2.33) .


Parallel dimensioning In parallel dimensioning, a number of dimension lines parallel to one another and spaced out, are used. This method is used where a number of dimensions have a common datum feature (Fig.2.34).


Figure Parallel dimensioning


Figure Combined dimensioning


## Applied Geometry



## Parallel lines

- Parallel line are lines in a plane that are always the same distance apart. Parallel lines never intersect.


Figure Example of parallel line

## To Draw a Line parallel to a given line

$A B$ is the given line and $c$ the given distance.

1. From any two points well apart on $A B$ draw two arcs of radius equal to c .
2. Draw a line tangential to the two arcs, to give the required line.


## Bisect

- Bisect" means to divide into two equal parts. You can bisect lines, angles, and more.


Figure Bisect Angle

## TO BISECT A GIVEN ANGLE

$A B C$ is the given angle

1. From $B$ describe an arc to cut $A B$ and $B C$ at $E$ and $D$ respectively.
2. With centers $E$ and $D$ draw equal arcs to intersect at F .
3. Join $B F$, the required bisector of the angle.


## To divide a line into any number of equal parts

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AB is the given lime.
1. Draw AC at an angle of approximately \(30^{\circ}\) with AB.
2. Mark along AC six lengths which are approximately equal to one-sixth of AB
3. Join the sixth mark, D on AC, to B.
4. Using sliding set squares draw lines parallel to DB from the points of division on AC to intersect AB and give the required points of division.
```



## To Draw an arc tangential to two straight line.

$A B$ and $B C$ are the given lines and $c$ the radius of the required arc

1. From $B$ mark off $B E$ and $B F$ equal to $C$.
2. From $E$ and $F$ draw arcs of radius $c$ to intersect at
3. From D as centre and radius $c$ describe an arc which will be tangential to both $A B$ and BC.


## To draw an arc tangential to two arcs internally

$A$ and $B$ are the centres of two given arcs of radius a and $b$ respectively, and $c$ is the required tangential arc radius.

1. From $\mathbf{A}$ and $B$ describe arcs equal to $c-a$ and $c-$ b respectively to intersect at $C$.
2. With centre $C$ and radius $c$ describe an arc which will be tangential to the given arcs.
3. Produce $C A$ and $C B$ to intersect the curve at $E$ and Frespectively. These are the points of tangency of the arcs.


## To Draw an arc tangential to two arcs- Externally

$A$ and $B$ are the centres of the given arcs of radius $a$ and $b$ respectively; $c$ is the external arc radius.

1. From centres $A$ and $B$ describe two arcs equal to $a+$ $c$ and $b+c$ respectively to intersect at $C$.
2. With centre $C$ and radius $c$ describe an arc which will be tangential to the given arcs. $E$ and $F$ are the points of tangency of the three arcs.


## To draw an Arc tangential to two Arc externally and internally.




C - b resprerivery to irn ersect at E


 puirtus of tarmgermcy Gfthethree arcs.


## To construct a regular Hexagon on a given line

AB is tre giver lime

1. From A amd B amd radins AB drawr tur equat arms to intersect at 0

2. Froum A Di B using the sarme Tadius step off arcs

4 - Joir these poirts to ourmpietsthermpergi.


Example



