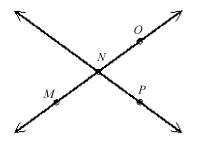
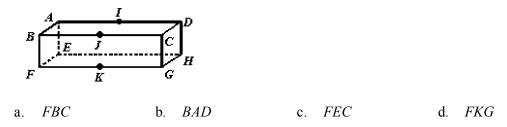
	1st Semester	Exam R	eview		
-	hat are the next	two term	s of the sequen	ce?	
	. 39, 45	c.	162, 972	d. 33, 39	
$13 \cdot 8888 = 115,5$	44				
a. 115,555,544		c.	1,155,555,54	4	
b. 1,115,555,444		d	11,155,555,4	44	
	Based on the pattern, wh 9, 15, 21, 27, a. 33, 972 b According to the pattern $13 \cdot 88 = 1144$ $13 \cdot 888 = 11,544$ $13 \cdot 8888 = 115,544$ $13 \cdot 88888 = 115,544$ $13 \cdot 888888 = 11,554$	Ist Semester 1         Based on the pattern, what are the next 9, 15, 21, 27,         a. 33, 972       b. 39, 45         According to the pattern, make a conject 13 $\cdot$ 88         13 $\cdot$ 88       = 1144         13 $\cdot$ 888       = 11,544         13 $\cdot$ 888       = 115,544         13 $\cdot$ 88,888       = 1,155,544	Ist Semester Exam R         Based on the pattern, what are the next two terms         9, 15, 21, 27,       a. 33, 972       b. 39, 45       c.         According to the pattern, make a conjecture about $13 \cdot 88 = 1144$ $13 \cdot 88 = 1144$ $13 \cdot 888 = 11,544$ $13 \cdot 888 = 115,544$ $13 \cdot 88,888 = 1,155,544$	Ist Semester Exam ReviewBased on the pattern, what are the next two terms of the sequen9, 15, 21, 27,a. 33, 972b. 39, 45c. 162, 972According to the pattern, make a conjecture about the product of $13 \cdot 88 = 1144$ $13 \cdot 888 = 11,544$ $13 \cdot 8888 = 115,544$ $13 \cdot 88,888 = 1,155,544$	Ist Semester Exam ReviewBased on the pattern, what are the next two terms of the sequence?9, 15, 21, 27,a. 33, 972b. 39, 45c. 162, 972d. 33, 39

- Conjecture: Any number that is divisible by 4 is also divisible by 8.a. 24b. 40c. 12d. 26
- 4. Are O, N, and P collinear? If so, name the line on which they lie.

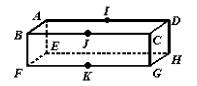


- a. No, the three points are not collinear.
- b. Yes, they lie on the line MP.
- c. Yes, they lie on the line NP.
- d. Yes, they lie on the line *MO*.

5. Name the plane represented by the front of the box.



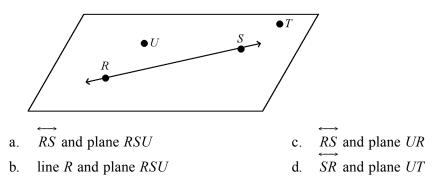
6. Are points *B*, *J*, and *C* collinear or noncollinear?



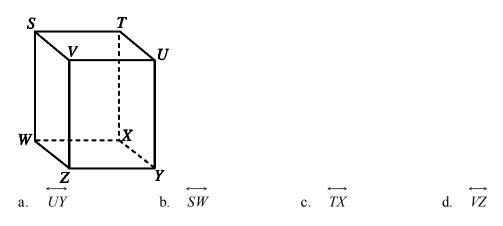
a. collinear

b. noncollinear

- c. impossible to tell
- 7. Name the line and plane shown in the diagram.



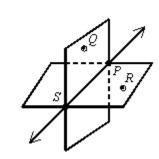
\_\_\_\_\_8. What is the intersection of plane *TUYX* and plane *VUYZ*?

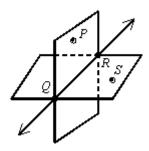


9. Which diagram shows plane PQR and plane QRS intersecting only in  $\overrightarrow{QR}$ ?

c.

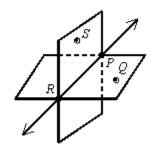
d.

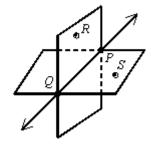




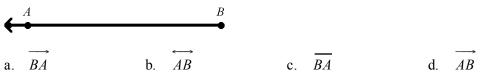
b.

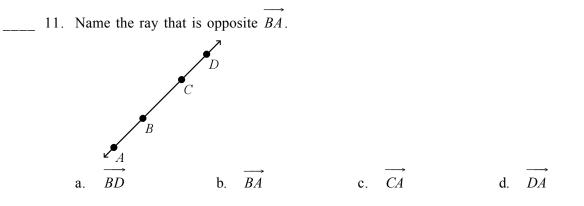
a.





\_\_\_\_ 10. Name the ray in the figure.

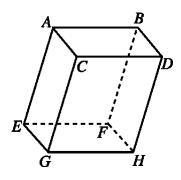




12. Name the three labeled segments that are parallel to  $\overline{EF}$ .



13. Which plane is parallel to plane *EFHG*?



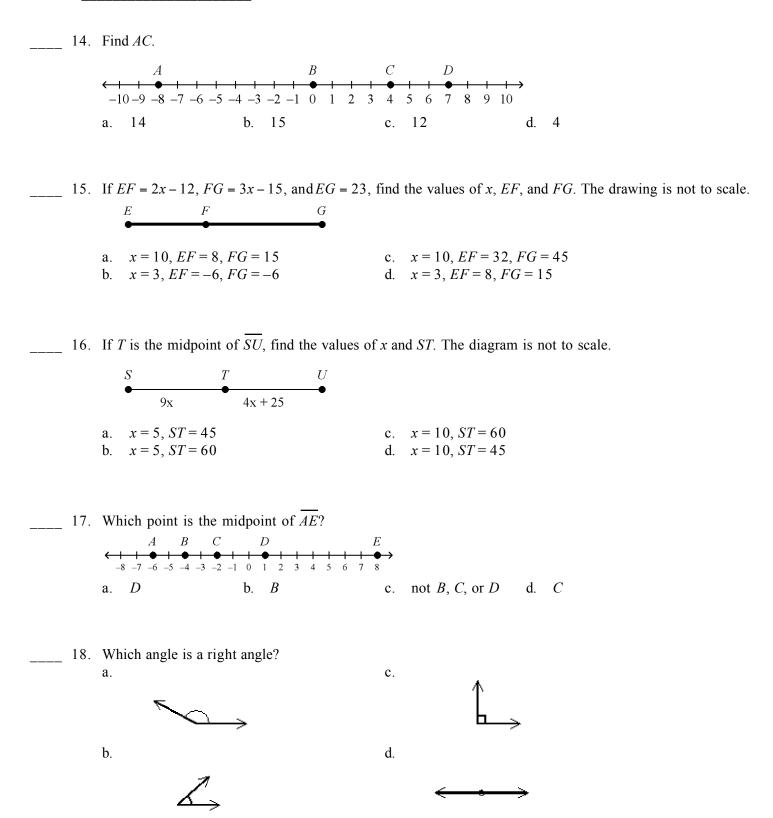
a. plane *ABDC* b. p

plane ACGE

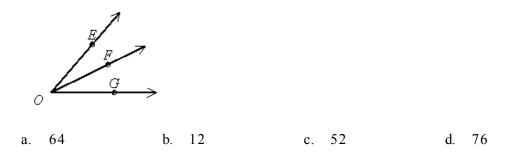
c. plane CDHG

d. plane BDHF

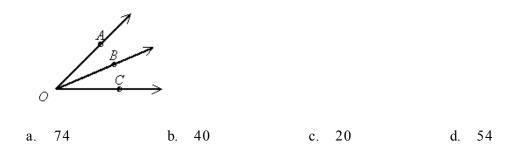
Name: \_\_\_\_



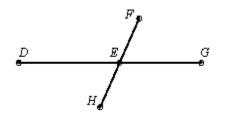
19. If  $m \angle EOF = 26$  and  $m \angle FOG = 38$ , then what is the measure of  $\angle EOG$ ? The diagram is not to scale.



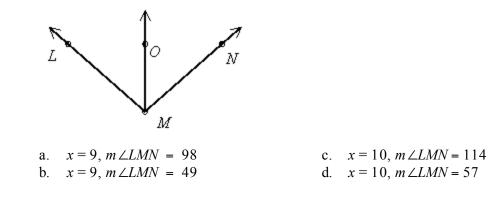
20. If  $m \angle BOC = 27$  and  $m \angle AOC = 47$ , then what is the measure of  $\angle AOB$ ? The diagram is not to scale.



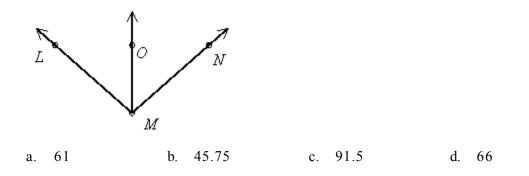
\_\_\_\_ 21. If  $m \angle DEF = 122$ , then what are  $m \angle FEG$  and  $m \angle HEG$ ? The diagram is not to scale.



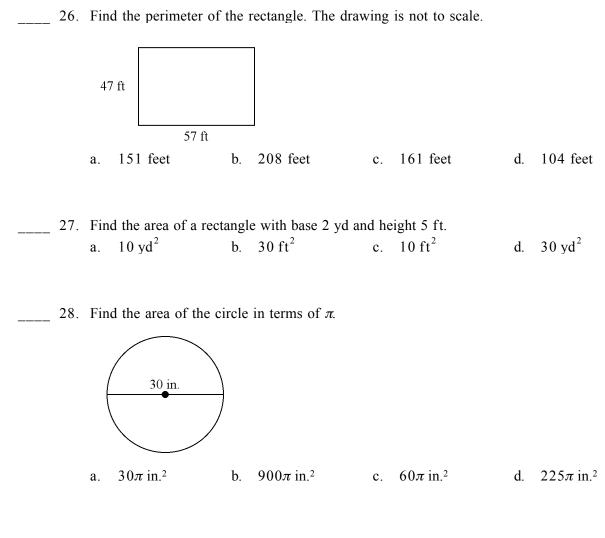
a.  $m \angle FEG = 122, m \angle HEG = 58$ b.  $m \angle FEG = 58, m \angle HEG = 132$  c.  $m \angle FEG = 68, m \angle HEG = 122$ d.  $m \angle FEG = 58, m \angle HEG = 122$  22. MO bisects  $\angle LMN$ ,  $m \angle LMO = 8x - 23$ , and  $m \angle NMO = 2x + 37$ . Solve for x and find  $m \angle LMN$ . The diagram is not to scale.



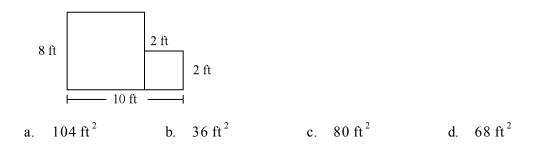
23. MO bisects  $\angle LMN$ ,  $m \angle LMN = 5x - 23$ ,  $m \angle LMO = x + 32$ . Find  $m \angle NMO$ . The diagram is not to scale.



- 24. Find the distance between points P(8, 2) and Q(3, 8) to the nearest tenth. a. 11 b. 7.8 c. 61 d. 14.9
- 25. Find the coordinates of the midpoint of the segment whose endpoints are H(8, 2) and K(6, 10). a. (7, 6) b. (1, 4) c. (14, 12) d. (2, 8)



29. The figure is formed from rectangles. Find the total area. The diagram is not to scale.



\_\_\_\_ 30. Identify the hypothesis and conclusion of this conditional statement: If two lines intersect at right angles, then the two lines are perpendicular.

- a. Hypothesis: The two lines are perpendicular. Conclusion: Two lines intersect at right angles.
- b. Hypothesis: Two lines intersect at right angles. Conclusion: The two lines are perpendicular.
- c. Hypothesis: The two lines are not perpendicular. Conclusion: Two lines intersect at right angles.
- d. Hypothesis: Two lines intersect at right angles. Conclusion: The two lines are not perpendicular.
- \_\_\_\_\_ 31. Write this statement as a conditional in *if-then* form: All triangles have three sides.
  - a. If a triangle has three sides, then all triangles have three sides.
  - b. If a figure has three sides, then it is not a triangle.
  - c. If a figure is a triangle, then all triangles have three sides.
  - d. If a figure is a triangle, then it has three sides.
- 32. Another name for an *if-then* statement is a \_\_\_\_\_. Every conditional has two parts. The part following *if* is the \_\_\_\_\_\_. and the part following *then* is the \_\_\_\_\_\_.
  - a. conditional; conclusion; hypothesis c. conditional; hypothesis; conclusion
  - b. hypothesis; conclusion; conditional d. hypothesis; conditional; conclusion
- 33. A conditional can have a \_\_\_\_\_ of true or false.

   a. hypothesis
   b. truth value
   c. counterexample
   d. conclusion
- 34. What is the converse of the following conditional?
  - If a point is in the first quadrant, then its coordinates are positive.
  - a. If a point is in the first quadrant, then its coordinates are positive.
  - b. If a point is not in the first quadrant, then the coordinates of the point are not positive.
  - c. If the coordinates of a point are positive, then the point is in the first quadrant.
  - d. If the coordinates of a point are not positive, then the point is not in the first quadrant.

Name:

35. When a conditional and its converse are true, you can combine them as a true

a. counterexample

c. unconditional

b. biconditional

- d. hypothesis

\_\_\_\_\_ 36. Use the Law of Detachment to draw a conclusion from the two given statements.

If two angles are congruent, then they have equal measures.

 $\angle P$  and  $\angle Q$  are congruent.

a.	$m \angle P + m \angle Q = 90$	c.	$\angle P$ is the complement of $\angle Q$ .
b.	$m \angle P = m \angle Q$	d.	$m \angle P \neq m \angle Q$

37. Use the Law of Detachment to draw a conclusion from the two given statements. If not possible, write not possible.

I can go to the concert if I can afford to buy a ticket.

I can go to the concert.

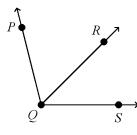
- a. I can afford to buy a ticket.
- b. I cannot afford to buy the ticket.
- c. If I can go to the concert, I can afford the ticket.
- d. not possible

38. Use the Law of Syllogism to draw a conclusion from the two given statements. If a number is a multiple of 64, then it is a multiple of 8. If a number is a multiple of 8, then it is a multiple of 2.

- If a number is a multiple of 64, then it is a multiple of 2. a.
- b. The number is a multiple of 2.
- c. The number is a multiple of 8.
- d. If a number is not a multiple of 2, then the number is not a multiple of 64.

## Fill in each missing reason.

 $39. \quad \text{Given: } m \angle PQR = x - 5, \ m \angle SQR = x - 11, \ \text{and } m \angle PQS = 100.$ Find x.



Drawing not to scale

 $m \angle PQR + m \angle SQR = m \angle PQS$  x - 5 + x - 11 = 100 2x - 16 = 100 x = 58 **a. b.** Substitution Property **c.** Simplify **d. e.** Division Property of Equality

- a. Angle Addition Postulate; Subtraction Property of Equality
- b. Protractor Postulate; Addition Property of Equality

c. Angle Addition Postulate; Addition Property of Equality

d. Protractor Postulate; Subtraction Property of Equality

40. Name the Property of Equality that justifies the statement:If p = q, then p - r = q - r.a. Reflexive Propertyc. Symmetric Propertyb. Multiplication Propertyd. Subtraction Property

41. Which statement is an example of the Addition Property of Equality?

a. If 
$$p = q$$
 then  $p \cdot s = q \cdot s$   
b. If  $p = q$  then  $p + s = q + s$ .  
c. If  $p = q$  then  $p - s = q - s$   
d.  $p = q$ 

42. Name the Property of Congruence that justifies the statement: If  $\angle A \cong \angle B$  and  $\angle B \cong \angle C$ , then  $\angle A \cong \angle C$ . a. Transitive Property b. Symmetric Property c. Reflexive Property d. none of these Use the given property to complete the statement.

43.	Transitive Property of Congruence		
	If $\overline{CD} \cong \overline{EF}$ and $\overline{EF} \cong \overline{GH}$ , then		
	a. $\overline{EF} \cong \overline{GH}$	c.	$\overline{CD} \cong \overline{GH}$
	b. $\overline{EF} \cong \overline{EF}$	d.	$\overline{CD} \cong \overline{EF}$

 44.	Multiplication Property of Equality		
	If $4x \div 2 = 4$ , then		
	a. $4 = 4x \cdot 2$	c.	4x = 8
	b. $4 = 4x \div 2$	d.	$4x \cdot 2 = 8$

 45.	Substitution Property of Equality		
	If $y = 3$ and $8x + y = 12$ , then		
	a. $8(3) - y = 12$	c.	8x + 3 = 12
	b. $3 - y = 12$	d.	8x - 3 = 12

- 46.  $\overline{BD}$  bisects  $\angle ABC$ .  $m \angle ABC = 7x$ .  $m \angle ABD = 3x + 25$ . Find  $m \angle DBC$ . a. 50 b. 125 c. 75 d. 175
- 47. Supplementary angles are two angles whose measures have sum \_\_\_\_\_.Complementary angles are two angles whose measures have sum \_\_\_\_\_.a. 90; 180b. 90; 45c. 180; 360d. 180; 90

48. Two angles whose sides are opposite rays are called \_\_\_\_\_ angles. Two coplanar angles with a common side, a common vertex, and no common interior points are called \_\_\_\_\_ angles.

- a. vertical; adjacent
- b. adjacent; vertical
- c. vertical; supplementary
- d. adjacent; complementary

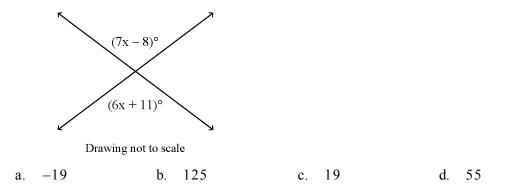
## Name:

20. ∠DFG and ∠JKL are complementary angles. m∠DFG = x + 5, and m∠JKL = x - 9. Find the measure of each angle.
 a. ∠DFG = 47, ∠JKL = 53
 c. ∠DFG = 52, ∠JKL = 48

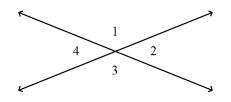
b.  $\angle DFG = 47$ ,  $\angle JKL = 43$ d.  $\angle DFG = 52$ ,  $\angle JKL = 38$ 

51. ∠1 and ∠2 are supplementary angles. m ∠1 = x - 39, and m ∠2 = x + 61. Find the measure of each angle. a. ∠1 = 79, ∠2 = 101 b. ∠1 = 40, ∠2 = 140 c. ∠1 = 40, ∠2 = 150 d. ∠1 = 79, ∠2 = 111

52. Find the value of *x*.



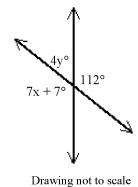
53.  $m \angle 3 = 37$ . Find  $m \angle 1$ .



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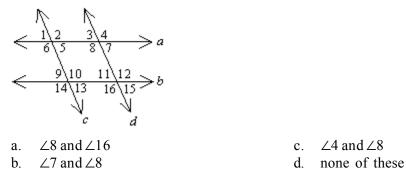
a. 37 b. 143 c. 27 d. 153

\_\_\_\_ 54. Find the values of x and y.

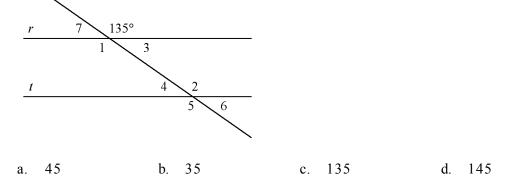


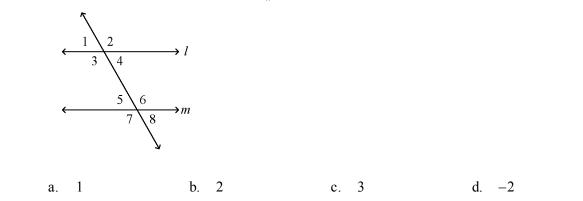
a.	x = 15, y = 17	с.	x = 68, y = 112
b.	x = 112, y = 68	d.	x = 17, y = 15

\_\_\_ 55. Which angles are corresponding angles?



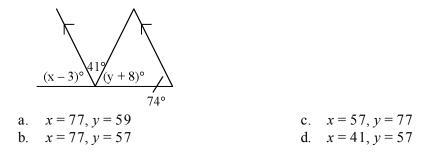
56. Line *r* is parallel to line *t*. Find  $m \angle 5$ . The diagram is not to scale.





57. Find the value of the variable if  $m \parallel l$ ,  $m \perp 1 = 2x + 44$  and  $m \perp 5 = 5x + 38$ . The diagram is not to scale.

58. Find the values of x and y. The diagram is not to scale.



- 59. Complete the statement. If a transversal intersects two parallel lines, then \_\_\_\_\_. a. corresponding angles are supplementary
  - b. same-side interior angles are complementary
  - c. alternate interior angles are congruent
  - d. none of these
- \_ 60. Complete the statement. If a transversal intersects two parallel lines, then \_\_\_\_\_ angles are supplementary.
  - a. acute

c. same-side interior

b. alternate interior

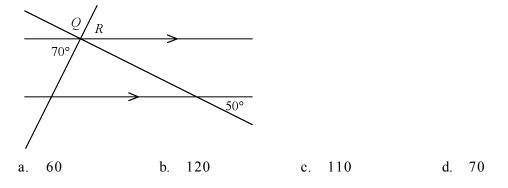
d. corresponding

anomate interior

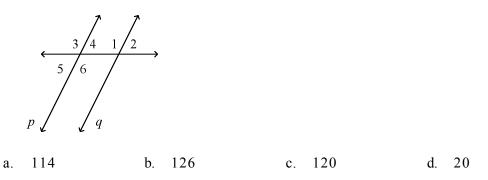
15

\_\_\_

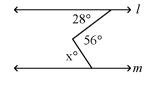
\_\_\_\_ 61. Find  $m \angle Q$ . The diagram is not to scale.



62.  $m \angle 1 = 6x$  and  $m \angle 3 = 120$ . Find the value of x for p to be parallel to q. The diagram is not to scale.



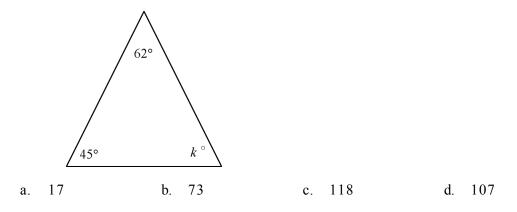
\_\_\_\_ 63. Find the value of x for which l is parallel to m. The diagram is not to scale.



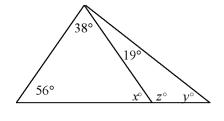


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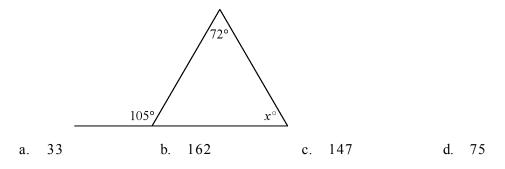
64. Find the value of k. The diagram is not to scale.



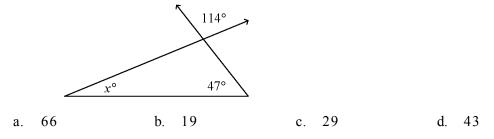
65. Find the values of x, y, and z. The diagram is not to scale.



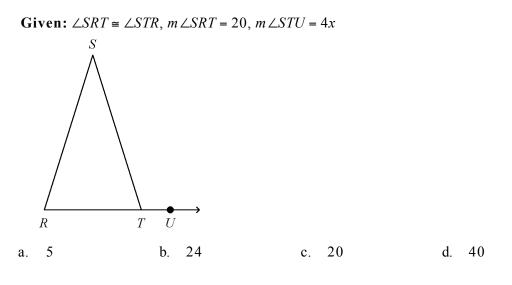
- a. x = 86, y = 94, z = 67c. x = 67, y = 94, z = 86b. x = 67, y = 86, z = 94d. x = 86, y = 67, z = 94
- $\begin{array}{c} \hline \\ 66. \\ classify \Delta ABC \\ b. \\ straight \\ c. \\ obtuse \\ c. \\ obtuse \\ d. \\ acute \\ \end{array}$ 
  - 67. Find the value of x. The diagram is not to scale.



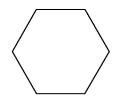
\_\_\_\_\_ 68. Find the value of the variable. The diagram is not to scale.



69. Find the value of x. The diagram is not to scale.



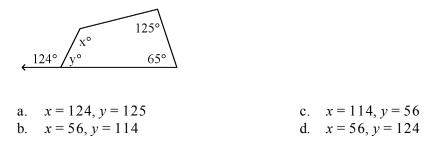
\_\_\_\_ 70. Classify the polygon by its sides.



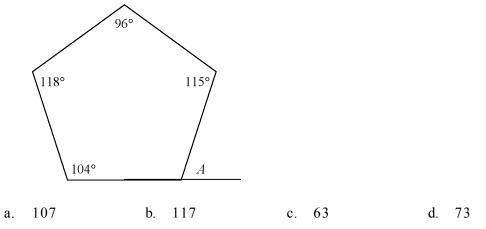
a.	triangle	b.	hexagon	c.	pentagon	d.	octagon
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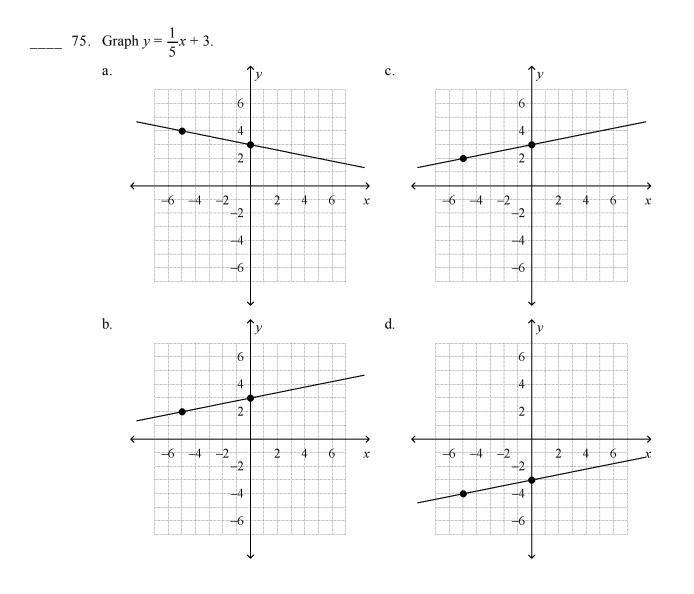
71. How many sides does a regular polygon have if each exterior angle measures 20?a. 17 sidesb. 20 sidesc. 21 sidesd. 18 sides

\_\_\_\_\_ 72. Find the missing angle measures. The diagram is not to scale.



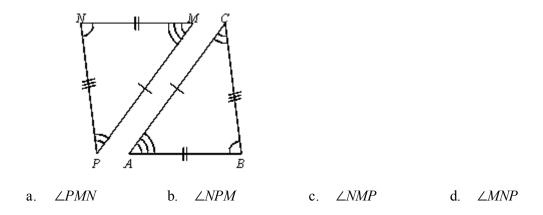
- $\frac{1}{n}$  73. The Polygon Angle-Sum Theorem states: The sum of the measures of the angles of an *n*-gon is \_\_\_\_\_. a.  $\frac{n-2}{180}$  b. (n-1)180 c.  $\frac{180}{n-1}$  d. (n-2)180
  - 74. Find  $m \angle A$ . The diagram is not to scale.



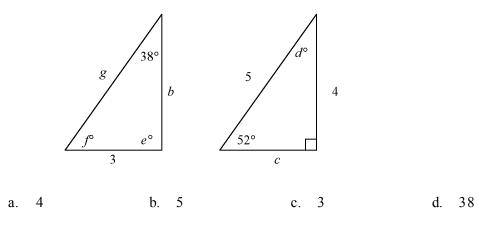


76. Write an equation in slope-intercept form of the line through points S(-10, -3) and T(-1, 1). a.  $y = -\frac{4}{9}x + \frac{13}{9}$ b.  $y = \frac{4}{9}x - \frac{13}{9}$ c.  $y = -\frac{4}{9}x - \frac{13}{9}$ d.  $y = \frac{4}{9}x + \frac{13}{9}$ 

\_\_\_\_ 78. ∠*ABC* ≃ \_ ?



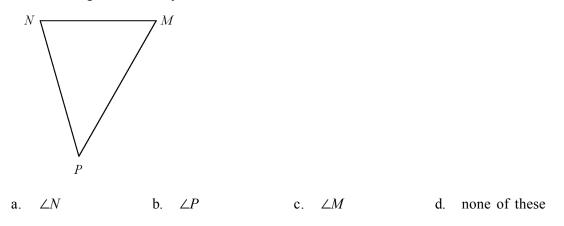
79. The two triangles are congruent as suggested by their appearance. Find the value of c. The diagrams are not to scale.



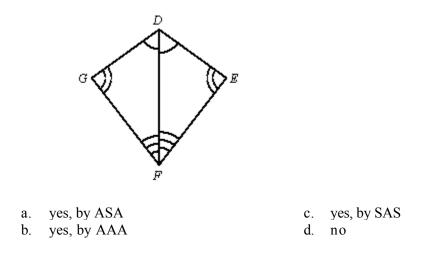
- 80. Given  $\triangle QRS \cong \triangle TUV$ , QS = 3v + 2, and TV = 7v 6, find the length of QS and TV. a. 2 b. 9 c. 8 d. 20
- 81. Given  $\triangle ABC \cong \triangle PQR$ ,  $m \angle B = 3v + 4$ , and  $m \angle Q = 8v 6$ , find  $m \angle B$  and  $m \angle Q$ . a. 22 b. 11 c. 10 d. 25

## Name:

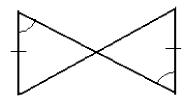
82. Name the angle included by the sides  $\overline{PN}$  and  $\overline{NM}$ .



83. From the information in the diagram, can you prove  $\Delta FDG \cong \Delta FDB$ ? Explain.



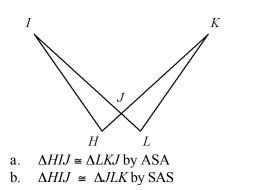
\_\_\_\_ 84. Can you use the ASA Postulate, the AAS Theorem, or both to prove the triangles congruent?

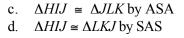


- a. either ASA or AAS
- b. ASA only

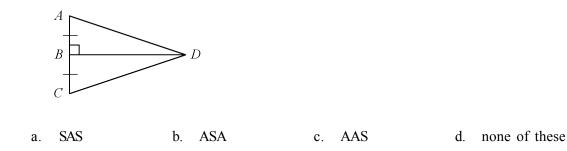
c. AAS onlyd. neither

85. Based on the given information, what can you conclude, and why? **Given:**  $\angle H \cong \angle L$ ,  $\overline{HJ} \cong \overline{JL}$ 

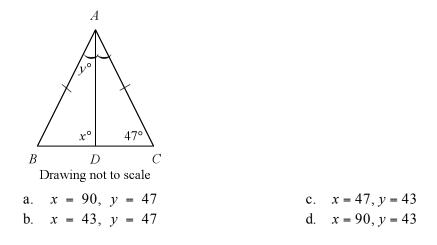




86. Name the theorem or postulate that lets you immediately conclude  $\triangle ABD \cong \triangle CBD$ .

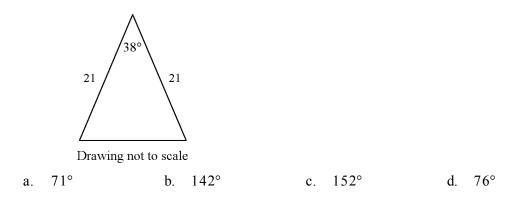


87. Find the values of x and y.

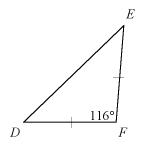


## ID: A

88. What is the measure of a base angle of an isosceles triangle if the vertex angle measures 38° and the two congruent sides each measure 21 units?



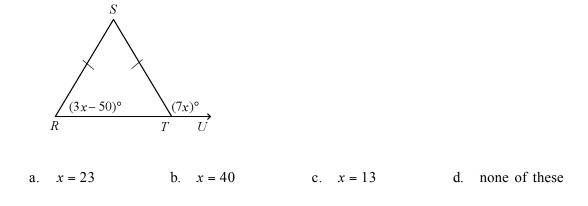
- 89. What is the measure of the vertex angle of an isosceles triangle if one of its base angles measures 42°?
  a. 69°
  b. 84°
  c. 138°
  d. 96°
- 90. Use the information in the figure. Find  $m \angle D$ .



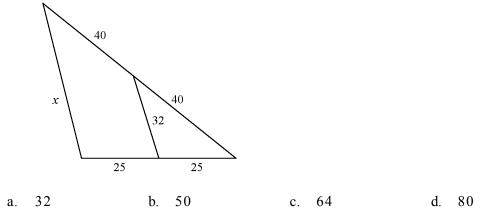
Drawing not to scale

a.	32°	b. 122°	c. 64°	d.	58°
••••		e. 1 <b>22</b>	•. •.	••••	

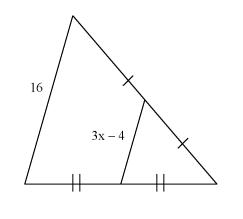
\_\_\_\_\_ 91. Find the value of x. The diagram is not to scale.



\_\_\_\_\_ 92. Find the value of *x*. The diagram is not to scale.



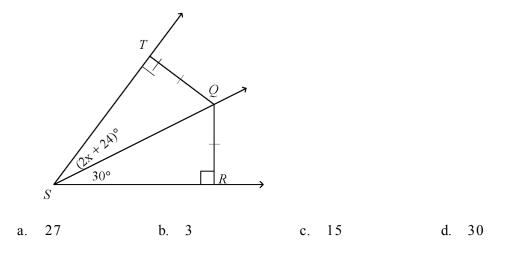
93. Find the value of *x*.



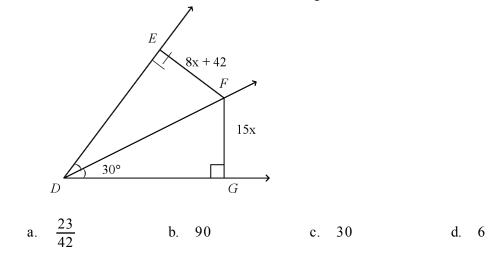
a. 4 b. 8 c. 6.6 d. 6

- 94. Find the length of the midsegment. The diagram is not to scale.

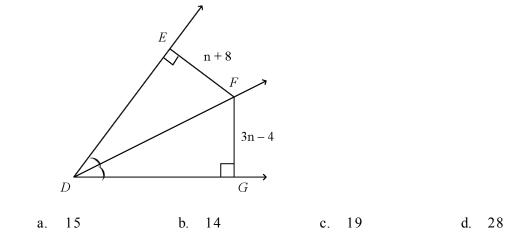
95. Q is equidistant from the sides of  $\angle TSR$ . Find the value of x. The diagram is not to scale.



\_\_\_\_\_ 96.  $\overline{DF}$  bisects  $\angle EDG$ . Find the value of x. The diagram is not to scale.



97.  $\overrightarrow{DF}$  bisects  $\angle EDG$ . Find FG. The diagram is not to scale.



98. Name a median for  $\triangle ABC$ .

