#### Name: \_\_\_\_

## \_\_\_\_\_ Class: \_\_\_\_\_ Date: \_\_\_\_\_

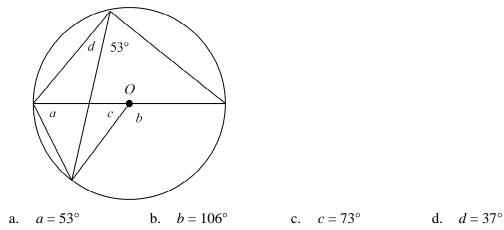
ID: A

## **GEOMETRY B: CIRCLE TEST PRACTICE**

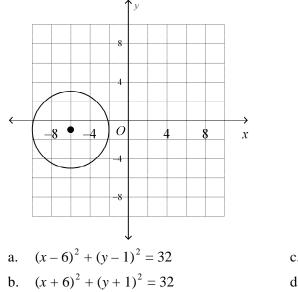
## **Multiple Choice**

Identify the choice that best completes the statement or answers the question.

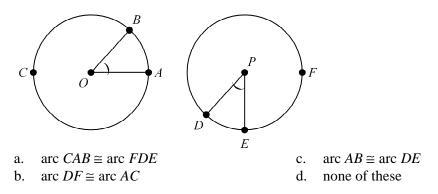
1. Find the measures of the indicated angles. Which statement is NOT true? (The figure is not drawn to scale.)



2. A low-wattage radio station can be heard only within a certain distance from the station. On the graph below, the circular region represents that part of the city where the station can be heard, and the center of the circle represents the location of the station. Which equation represents the boundary for the region where the station can be heard?

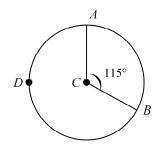


c.  $(x-6)^2 + (y-1)^2 = 16$ d.  $(x+6)^2 + (y+1)^2 = 16$  3. The circles are congruent. What can you conclude from the diagram?

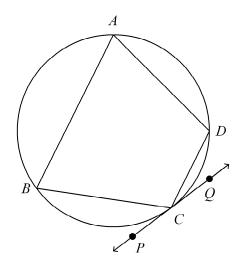


#### **Short Answer**

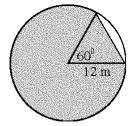
4. Name the minor arc and find its measure.



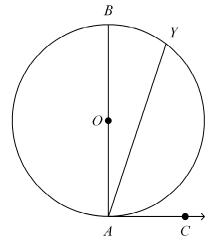
5. In the circle,  $m(\operatorname{arc} AD) = 82$ , and  $m \angle D = 79$ . Find  $m \angle DCQ$ . (The figure is not drawn to scale.)



6. Find the area of the shaded region. Leave your answer in terms of  $\pi$  and in simplest radical form.

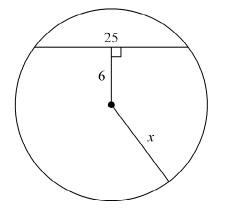


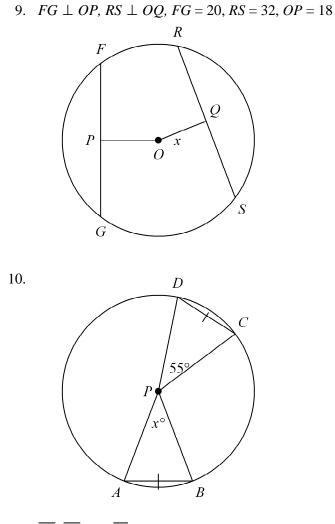
7. If  $m(\operatorname{arc} BY) = 45$ , what is  $m \angle YAC$ ? (The figure is not drawn to scale.)



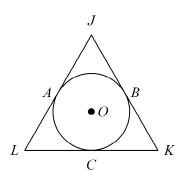
Find the value of x. If necessary, round your answer to the nearest tenth. The figure is not drawn to scale.

8.



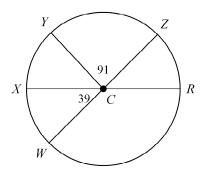


11.  $\overline{JK}$ ,  $\overline{KL}$ , and  $\overline{LJ}$  are all tangent to O (not drawn to scale). JA = 5, AL = 9, and CK = 15. Find the perimeter of  $\Delta JKL$ .



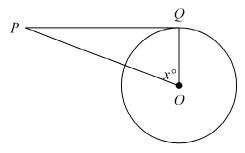
12. The circumference of a circle is  $44\pi$  cm. Find the diameter, the radius, and the length of an arc of 200°.

13.  $\overline{WZ}$  and  $\overline{XR}$  are diameters. Find the measure of arc ZWX. (The figure is not drawn to scale.)

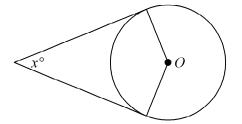


Assume that lines that appear to be tangent are tangent. O is the center of the circle. Find the value of x. (Figures are not drawn to scale.)

14.  $m \angle P = 24$ 

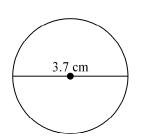


15. *m∠O* = 152

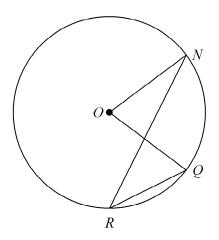


Find the circumference. Leave your answer in terms of  $\pi$ .

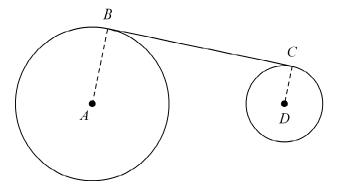




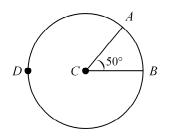
17.  $m \angle R = 39$ . Find  $m \angle O$ . (The figure is not drawn to scale.)



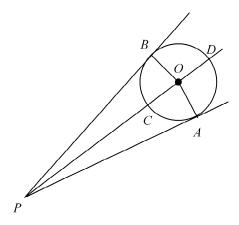
18.  $\overline{BC}$  is tangent to circle *A* at *B* and to circle *D* at *C* (not drawn to scale). AB = 9, BC = 30, and DC = 3. Find *AD* to the nearest tenth.



19. Name the major arc and find its measure.

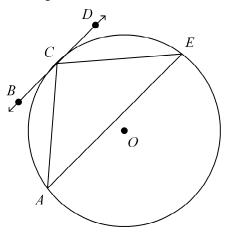


In the figure,  $\overrightarrow{PA}$  and  $\overrightarrow{PB}$  are tangent to circle O and  $\overrightarrow{PD}$  bisects  $\angle BPA$ . The figure is not drawn to scale.



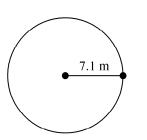
- 20. For  $m \angle AOC = 61$ , find  $m \angle BPO$ .
- 21. For  $m \angle AOC = 40$ , find  $m \angle POB$ .
- 22. The center of a circle is (h, 7) and the radius is 10. The circle passes through (3, -1). Find all possible values of *h*.

23. BD is tangent to circle O at C, m(arc AEC) = 270, and  $m \angle ACE = 98$ . Find  $m \angle DCE$ . (The figure is not drawn to scale.)

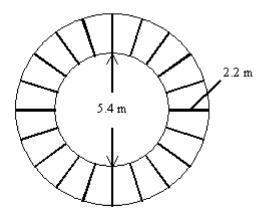


Find the area of the circle. Leave your answer in terms of  $\pi$ .





25. The figure represents the overhead view of a deck surrounding a hot tub. What is the area of the deck? Round to the nearest tenth.



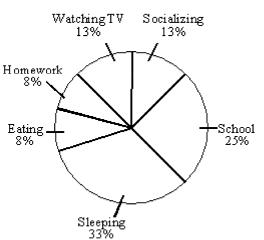
## Write the standard equation for the circle.

26. center (-8, 6), r = 4

27. Find the area of the figure to the nearest tenth.



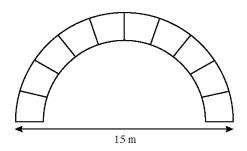
- 28. Find the center and radius of the circle with equation  $(x + 10)^2 + (y + 5)^2 = 64$ .
- 29. Grade 7 students were surveyed to determine how many hours a day they spent on various activities. The results are shown in the circle graph below. Find the measure of each central angle in the circle graph.a. Sleeping
  - **b.** Eating



## **How Students Spend Their Time**

#### Essay

30. Jason designed an arch made of wrought iron for the top of a mall entrance. The 11 segments between the two concentric circles are each 1.25 m long. Find the total length of wrought iron used to make the structure. Round the answer to the nearest meter.



# **GEOMETRY B: CIRCLE TEST PRACTICE Answer Section**

## **MULTIPLE CHOICE**

- 1. ANS: C PTS: 1 DIF: L3 REF: 12-3 Inscribed Angles OBJ: 12-3.1 Finding the Measure of an Inscribed Angle NAT: NAEP 2005 G3e | ADP K.4 TOP: 12-3 Example 2 KEY: circle | inscribed angle | intercepted arc | inscribed angle-arc relationship PTS: 1 DIF: L2 2. ANS: D REF: 12-5 Circles in the Coordinate Plane OBJ: 12-5.2 Finding the Center and Radius of a Circle NAT: NAEP 2005 G4d | ADP K.10.4 TOP: 12-4 Example 4 KEY: center | circle | coordinate plane | radius | equation of a circle | word problem DIF: L2 REF: 12-2 Chords and Arcs 3. ANS: C PTS: 1 OBJ: 12-2.1 Using Congruent Chords, Arcs, and Central Angles NAT: NAEP 2005 G3e | ADP K.4 TOP: 12-2 Example 1
  - KEY: arc | central angle | congruent circles

## SHORT ANSWER

4. ANS:

arc *AB*; 115°

	PTS:	1 DIF: L2	REF: 10-6 Circles and Arcs
	OBJ:	10-6.1 Central Angles and Arcs	NAT: NAEP 2005 M1h   ADP K.4
	TOP:	10-6 Example 3	KEY: measure of an arc   minor arc   arc
5.	ANS:		

60

 PTS:
 1
 DIF:
 L2
 REF:
 12-3 Inscribed Angles

 OBJ:
 12-3.2 The Angle Formed by a Tangent and a Chord
 NAT:
 NAEP 2005 G3e | ADP K.4

 TOP:
 12-3 Example 3

KEY: circle | inscribed angle | tangent-chord angle | intercepted arc | arc measure | angle measure 6. ANS:

$$\left(120\pi + 36\sqrt{3}\right) \mathrm{m}^2$$

PTS:1DIF:L3REF:10-7 Areas of Circles and SectorsOBJ:10-7.1 Finding Areas of Circles and Parts of CirclesNAT:NAEP 2005 M1h | ADP I.4.1 | ADP J.1.6 | ADP K.4 | ADP K.8.2TOP:10-7 Example 3KEY:sector | circle | area | central angle

7. ANS:

67.5

PTS: 1 DIF: L2 REF: 12-3 Inscribed Angles OBJ: 12-3.2 The Angle Formed by a Tangent and a Chord NAT: NAEP 2005 G3e | ADP K.4 TOP: 12-3 Example 3 KEY: circle | inscribed angle | tangent-chord angle | intercepted arc | arc measure | angle measure 8. ANS: 13.9 DIF: L2 PTS: 1 REF: 12-2 Chords and Arcs NAT: NAEP 2005 G3e | ADP K.4 OBJ: 12-2.2 Lines Through the Center of a Circle TOP: 12-2 Example 3 KEY: bisected chords | circle | perpendicular | perpendicular bisector | Pythagorean Theorem 9. ANS: 13 PTS: 1 DIF: L3 REF: 12-2 Chords and Arcs OBJ: 12-2.1 Using Congruent Chords, Arcs, and Central Angles NAT: NAEP 2005 G3e | ADP K.4 TOP: 12-2 Example 3 KEY: circle | radius | chord | congruent chords | right triangle | Pythagorean Theorem 10. ANS: 55 PTS: 1 DIF: L2 REF: 12-2 Chords and Arcs OBJ: 12-2.1 Using Congruent Chords, Arcs, and Central Angles NAT: NAEP 2005 G3e | ADP K.4 TOP: 12-2 Example 1 KEY: arc | central angle | congruent arcs 11. ANS: 58 PTS: 1 DIF: L2 REF: 12-1 Tangent Lines OBJ: 12-1.2 Using Multiple Tangents NAT: NAEP 2005 G3e | ADP K.4 TOP: 12-1 Example 5 KEY: properties of tangents | tangent to a circle | triangle 12. ANS: 44 cm; 22 cm; 24.4 $\pi$  cm PTS: 1 DIF: L3 REF: 10-6 Circles and Arcs OBJ: 10-6.2 Circumference and Arc Length NAT: NAEP 2005 M1h | ADP K.4 TOP: 10-6 Example 4 KEY: circumference | radius 13. ANS: 219 PTS: 1 DIF: L2 REF: 12-2 Chords and Arcs OBJ: 12-2.1 Using Congruent Chords, Arcs, and Central Angles NAT: NAEP 2005 G3e | ADP K.4 TOP: 12-2 Example 1 KEY: arc | central angle | congruent arcs | arc measure | arc addition | diameter

14. ANS:

66

	00					
15.	PTS:1DIF:L2REF:12-1 Tangent LinesOBJ:12-1.1 Using the Radius-Tangent RelationshipNAT:NAEP 2005 G3e   ADPTOP:12-1 Example 1KEY:tangent to a circle   point of tangency   angle measure   properties of tangents   central angleANS:28					
16.	TOP:	12-1.1 Using the Radius-Tangent RelationshipNAT: NAEP 2005 G3e   ADP K.412-1 Example 1tangent to a circle   point of tangency   properties of tangents   central angle				
17.			DIF: L2 nference and Arc Leng 4	th	10-6 Circles and circumference	NAT: NAEP 2005 M1h   ADP K.4
18.	OBJ: TOP:					
19.	<ul> <li>PTS: 1 DIF: L2 REF: 12-1 Tangent Lines</li> <li>OBJ: 12-1.1 Using the Radius-Tangent Relationship NAT: NAEP 2005 G3e   ADP K TOP: 12-1 Example 2</li> <li>KEY: tangent to a circle   point of tangency   properties of tangents   Pythagorean Theorem</li> <li>9. ANS: arc ADB; 310°</li> </ul>					NAT: NAEP 2005 G3e   ADP K.4
20.			DIF: L2 Angles and Arcs 3	NAT:	10-6 Circles at NAEP 2005 M major arc   me	
	TOP:	12-1.2 Using I 12-1 Example	DIF: L2 Multiple Tangents 4 angents   tangent to a c	NAT:	12-1 Tangent 1 NAEP 2005 G Fangent Theore	3e   ADP K.4

21. ANS: 40 PTS: 1 DIF: L2 REF: 12-1 Tangent Lines OBJ: 12-1.2 Using Multiple Tangents NAT: NAEP 2005 G3e | ADP K.4 TOP: 12-1 Example 4 KEY: properties of tangents | tangent to a circle | Tangent Theorem 22. ANS: 9, -3 PTS: 1 DIF: L4 REF: 12-5 Circles in the Coordinate Plane OBJ: 12-5.1 Writing an Equation of a Circle NAT: NAEP 2005 G4d | ADP K.10.4 KEY: equation of a circle | center | radius | point on the circle | algebra 23. ANS: 37 PTS: 1 DIF: L2 **REF:** 12-3 Inscribed Angles OBJ: 12-3.2 The Angle Formed by a Tangent and a Chord NAT: NAEP 2005 G3e | ADP K.4 TOP: 12-3 Example 3 KEY: circle | inscribed angle | tangent-chord angle | intercepted arc 24. ANS:  $50.41\pi \,\mathrm{m}^2$ REF: 10-7 Areas of Circles and Sectors PTS: 1 DIF: L2 OBJ: 10-7.1 Finding Areas of Circles and Parts of Circles NAT: NAEP 2005 M1h | ADP I.4.1 | ADP J.1.6 | ADP K.4 | ADP K.8.2 TOP: 10-7 Example 1 KEY: area of a circle | radius 25. ANS: 89.8 m<sup>2</sup> PTS: 1 DIF: L3 REF: 10-7 Areas of Circles and Sectors OBJ: 10-7.1 Finding Areas of Circles and Parts of Circles NAT: NAEP 2005 M1h | ADP I.4.1 | ADP J.1.6 | ADP K.4 | ADP K.8.2 TOP: 10-7 Example 1 KEY: area of a circle | radius 26. ANS:  $(x+8)^{2} + (y-6)^{2} = 16$ DIF: L2 REF: 12-5 Circles in the Coordinate Plane PTS: 1 OBJ: 12-5.1 Writing an Equation of a Circle NAT: NAEP 2005 G4d | ADP K.10.4 TOP: 12-5 Example 1 KEY: equation of a circle | center | radius 27. ANS: 20.9 in.<sup>2</sup> PTS: 1 DIF: L2 REF: 10-7 Areas of Circles and Sectors OBJ: 10-7.1 Finding Areas of Circles and Parts of Circles NAT: NAEP 2005 M1h | ADP I.4.1 | ADP J.1.6 | ADP K.4 | ADP K.8.2 TOP: 10-7 Example 2 KEY: sector | circle | area

28. ANS:

center (-10, -5); *r* = 8

PTS:1DIF:L2REF:12-5 Circles in the Coordinate PlaneOBJ:12-5.2 Finding the Center and Radius of a CircleNAT:NAEP 2005 G4d | ADP K.10.4TOP:12-5 Example 3KEY:center | circle | coordinate plane | radius

29. ANS:

118.8°; 28.8°

PTS:1DIF:L2REF:10-6 Circles and ArcsOBJ:10-6.1 Central Angles and ArcsNAT:NAEP 2005 M1h | ADP K.4TOP:10-6 Example 1KEY:central angle | circle graph | multi-part question | word problem | problem solving

## ESSAY

30. ANS:

[3]

[4] Answers may vary. Sample: The total length of wrought iron used is the sum of the outer circumference plus the inner circumference plus the eleven segments.

$$\frac{1}{2}C_{o} + \frac{1}{2}C_{i} + 11(1.25) =$$

$$\frac{1}{2} \cdot \pi \cdot 15 + \frac{1}{2} \cdot \pi \cdot 13.75 + 11(1.25) =$$

$$7.5\pi + 6.875\pi + 13.75 =$$

 $14.375\pi + 13.75 \approx 59$ 

The length of wrought iron used is approximately 59 meters.

- correct methods used, but with computational error
- [2] error in method
- [1] correct answer with no work shown

PTS: 1 DIF: L3 REF: 10-6 Circles and Arcs

OBJ: 10-6.2 Circumference and Arc Length NAT: NAEP 2005 M1h | ADP K.4

TOP: 10-6 Example 5

KEY: circumference | concentric circles | extended response | rubric-based question | word problem | problem solving