# Molecular Composition of Gases

Honors chemistry – Semester 2



Understand and use ideal gas law

Describe relationship between gas behavior and chemical formulas of gases

**Apply reaction stoichiometry to gas stoichiometry** 

## Key Terms

Ideal gas Ideal gas law Diffusion and Graham's Law Effusion Gay-Lussac's Law of combining volumes Partial pressure and Dalton's Law

## Ideal Gas

- = hypothetical gas that perfectly follows gas laws
- Does not condense to liquid at low temp



- Has no attraction/repulsion between particles
- Particles with zero volume



No gas obeys gas laws perfectly

Gas laws good enough in most cases

What if we change temp, pressure <u>and</u> volume??

**Boyle's Law** 

- + Charles' Law
- + Avogadro's Law
- = Ideal Gas Law

## Ideal Gas Law

#### *Ideal gas law* combines four laws into one PV = nRT

P = pressure V = volume n = # moles T = temperature (in kelvin) R = constant



## Ideal Gas Law

#### Value of R depends upon units of pressure

## Pay attention to units ideal gas law problems!

## Ideal Gas Law

Works well in most common settings

Fails under very <u>high pressure</u> or very <u>low temp</u>

#### Why?

- Intermolecular forces become a factor
- Volume of particles becomes non-trivial



How many moles of gas are contained 22.41 L at 101.325 kPa and 0 °C?

PV = nRTR = 8.314 L·kPa / mol·K

n = PV / RT

- = (101.325 kPa)(22.41 L) / (8.314 L·kPa / mol·K)(273 K)
- = 1.00 mol



What is the volume of 17.5 mol of  $H_2$  at 2.75 atm and 385 K?

- PV = nRT R = 0.0821 L·atm / mol·K
- V = nRT/P
  - = ((17.5 mol)(0.0821 L·atm / mol·K )(385 K)) / (2.75 atm)
  - = 201 L



Calculate the pressure in kPa exerted by 43 mol of nitrogen in a 65 L cylinder at 5 °C. 1500 kPa

How many moles of air molecules are contained in a 2.00 L flask at 98.8 kPa and 25.0 °C? 7.98 x 10<sup>-2</sup> mol



## Gas Stoichiometry

Stoichiometry = ratios between compounds in a chemical equation

<u>Ratio of gas volumes</u> = <u>ratio of moles</u> of those gases (Avogadro's Law)

## Gas Stoichiometry

#### Example

 $2 H_{2(g)} + O_{2(g)} \rightarrow 2 H_2 O_{(g)}$ 

**Mole ratio**   $H_2: O_2 = 2:1$   $H_2: H_2O = 1:1$  $O_2: H_2O = 1:2$ 

**Volume** ratio  $H_2: O_2 = 2:1$   $H_2: H_2O = 1:1$  $O_2: H_2O = 1:2$ 

## Gas Stoichiometry

To find volume of gas produced in reaction you may need to use:

- mole ratio between chemicals
- volume ratio between gasses
- ideal gas law to convert moles to volume

## Example

How many liters of hydrogen gas are produced at 280.0 K and 96.0 kPa if 1.74 mol sodium react with excess water?

 $2Na_{(s)} + 2H_2O_{(l)} \rightarrow 2NaOH_{(aq)} + H_{2(g)}$ 

Gather information:

- $R = 8.314 L \cdot k Pa/mol \cdot K$
- T = 280.0K

 $n_{H2} = ? mol H_2$ 

P = 96.0 kPa n<sub>Na</sub> = 1.74 mol Na V<sub>H2</sub> = ? L H<sub>2</sub>



#### Use mole ratio to find # moles of H<sub>2</sub> produced

#### Now use ideal gas law to find volume of H<sub>2</sub>



What volume of O<sub>2</sub> gas is collected at 25 °C and 101 kPa from decomposition of 37.9 g potassium chlorate?

 $2\text{KCIO}_{3(s)} \rightarrow 2\text{ KCI}_{(s)} + 3\text{O}_{2(g)}$ 

**Collect information:** 

 $R = 8.314 L \cdot k Pa/mol \cdot K$ 

T = 25 °C = 298 K

 $n = ? mol O_2$ 

P = 101 kPa m<sub>KClO3</sub> = 37.9 g KClO<sub>3</sub> V = ? L O<sub>2</sub>



**Convert grams KClO<sub>3</sub> to moles** 

Use mole ratio to find moles of O<sub>2</sub>

Use ideal gas law to find volume of O<sub>2</sub>

## Example

$$37.9 g KClO_3 \times \frac{1 mol KClO_3}{122.6 g} = 0.309 mol$$

## $\frac{\text{KCIO}_{3}:O_{2} = 2:3}{0.309 \text{ mol KCIO}_{3} \times \frac{3 \text{ mol } O_{2}}{2 \text{ mol KCIO}_{3}} = 0.464 \text{ mol } O_{2}$

V = nRT/P

$$=\frac{0.464 \ mol \ O_2\left(\frac{8.314 \ L \cdot kPa}{mol \cdot K}\right) 298 \ K}{101 \ kPa}=11.4 \ L \ O_2$$



## Practice

## Liquid hydrogen and oxygen are burned in a rocket. What volume of water vapor at 555 °C and 76.4 kPa can be produced from 4.67 kg of H<sub>2</sub>?

$$2H_{2(I)} + O_{2(I)} \rightarrow 2H_2O_{(g)}$$

Hint:

**Convert kg H<sub>2</sub> to moles H<sub>2</sub>** 

Use mole ratio H<sub>2</sub> : H<sub>2</sub>O to find moles H<sub>2</sub>O

Use ideal gas law to find volume of H<sub>2</sub>O

#### $2.1 \times 10^5 L H_2 0$

### Practice

How many grams of sodium are needed to produce 2.24 L of hydrogen at 23 °C and 92.5 kPa?  $2Na_{(s)} + 2H_2O_{(I)} \rightarrow 2NaOH_{(aq)} + H_{2(g)}$ 

Hint:

Use ideal gas law to find moles of H<sub>2</sub> Use mole ratio H<sub>2</sub> : Na to find moles Na needed Convert moles Na to grams Na

#### 3.87 g Na

## Diffusion

Diffusion = the mixing of different gases by random molecular motion and collision

Gases spread from areas of high concentration to low concentration

Increases entropy

Heavy molecules move slower than light ones



## Effusion

Effusion = gas escapes through a tiny hole under pressure

Rate of effusion inversely proportional to mass of molecule (light gasses effuse faster)

Think about it: Would  $H_2$  or  $CO_2$  leak out of small hole faster? Why?



## Graham's Law

- Graham's Law: Rate of diffusion is inversely proportional to the square root of its mass
- Speed of two molecules, A and B, at same temp and pressure related by

$$\frac{V_A}{V_B} = \sqrt{\frac{M_B}{M_A}}$$

• Re-write equation as  $\frac{1}{2}M_A V_A^2 = \frac{1}{2}M_B V_B^2$  (kinetic energy)

#### At same temp, heavy gas moves slower

## Example

If  $O_2$  moves at 480 m/s at room temp, how fast does  $SF_6$  move?

Use Graham's Law

$$\frac{V_A}{V_B} = \sqrt{\frac{M_B}{M_A}}$$

$$\frac{V_{\rm SF6}}{V_{\rm O2}} = \sqrt{\frac{M_{\rm O2}}{M_{\rm SF6}}}$$

 $V_{SF6} = 220 \text{ m/s}$ 

## Dalton's Law of Partial Pressure

In mixture of gasses, each gas exerts a partial pressure proportional to # moles of that gas

Total system pressure = sum of all the partial pressures

•  $P_{total} = P_A + P_B + P_C + ...$ 

Example:

- A system has P<sub>02</sub> of 1.0 atm and P<sub>c02</sub> of 3.5 atm
- $P_{total} = P_{O2} + P_{CO2} = 1.0 \text{ atm} + 3.5 \text{ atm} = 4.5 \text{ atm}$