

Eastern
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Third Edition

**Numerical
Methods
for
Scientists
and
Engineers**

K. Sankara Rao



Numerical Methods for Scientists and Engineers

Numerical Methods for Scientists and Engineers

Third Edition

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New Delhi-110001

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NUMERICAL METHODS FOR SCIENTISTS AND ENGINEERS, 3rd ed.

K. Sankara Rao

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To
*my wife **Leela***

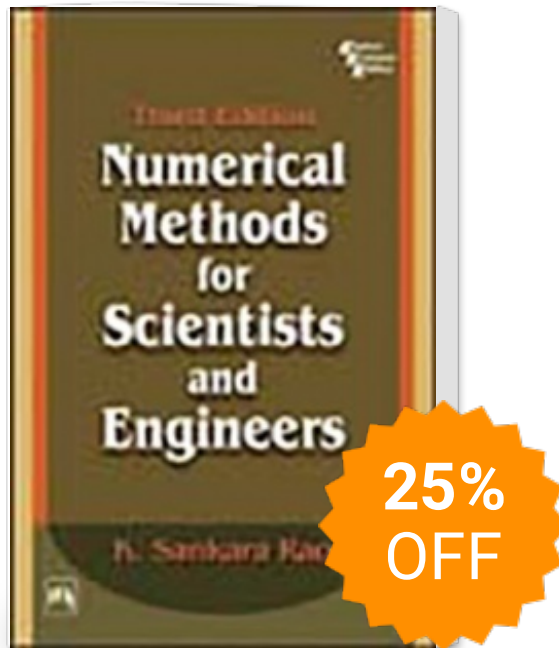
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