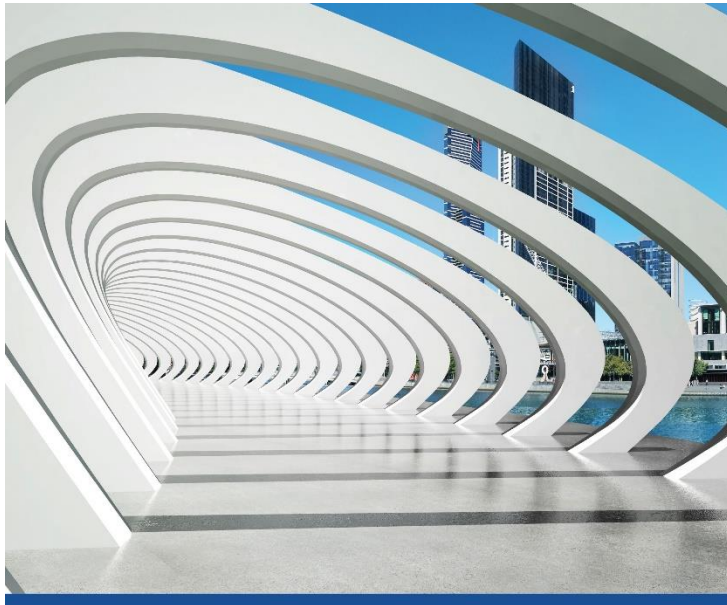


Principles of Corporate Finance

Professor James J. Barkocy

CHAPTER 11



**Introduction to Risk,
Return and the Cost of
Capital**

*“In the business world,
the rearview mirror is
always clearer than the
windshield”*

Warren Buffet

Risk

Risk presents both danger and opportunity

危險

Rates of Return

$$\text{Percentage Return} = \frac{\text{Dividend} + \text{Capital Gain}}{\text{Initial Share Price}}$$

$$\begin{aligned}\text{Percentage Return} &= \frac{.40 + 2.82}{12.61} \\ &= .255 \text{ or } 25.5\%\end{aligned}$$

Rates of Return

$$\text{Percentage Return} = \text{Div. Yield} + \text{Cap. Gain Yield}$$

$$\text{Dividend Yield} = \frac{\text{Dividend}}{\text{Initial Share Price}}$$

$$\text{Capital Gain Yield} = \frac{\text{Capital Gain}}{\text{Initial Share Price}}$$

Rates of Return

$$\begin{aligned}\text{Dividend Yield} &= \frac{.40}{12.61} \\ &= .032 \text{ or } 3.2\%\end{aligned}$$

$$\begin{aligned}\text{Capital Gain Yield} &= \frac{2.82}{12.61} \\ &= .224 \text{ or } 22.4\%\end{aligned}$$

Market Indexes

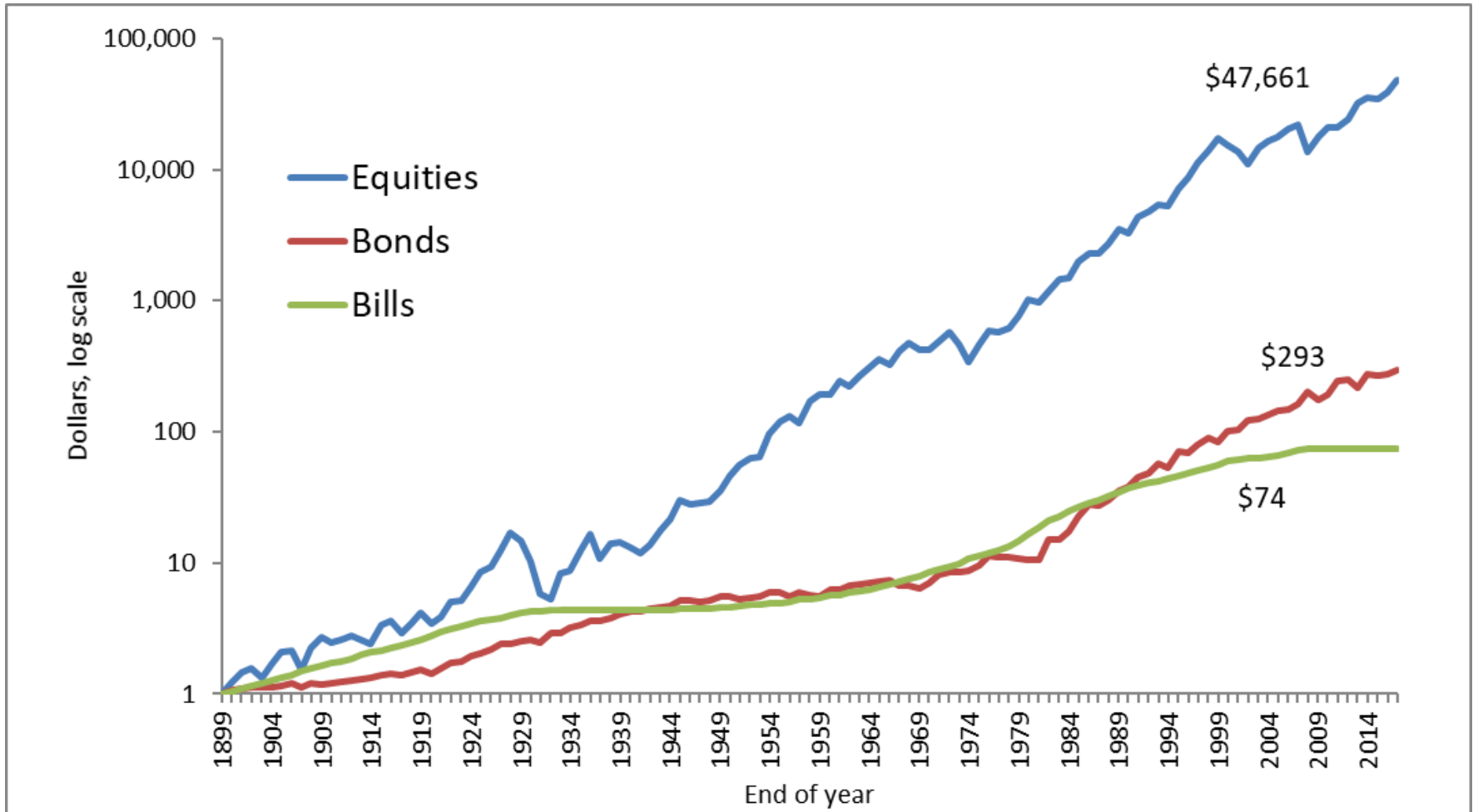
Dow Jones Industrial Average (The Dow)

Value of a portfolio holding one share in each of 30 large industrial firms.

Standard & Poor's Composite Index (The S&P 500)

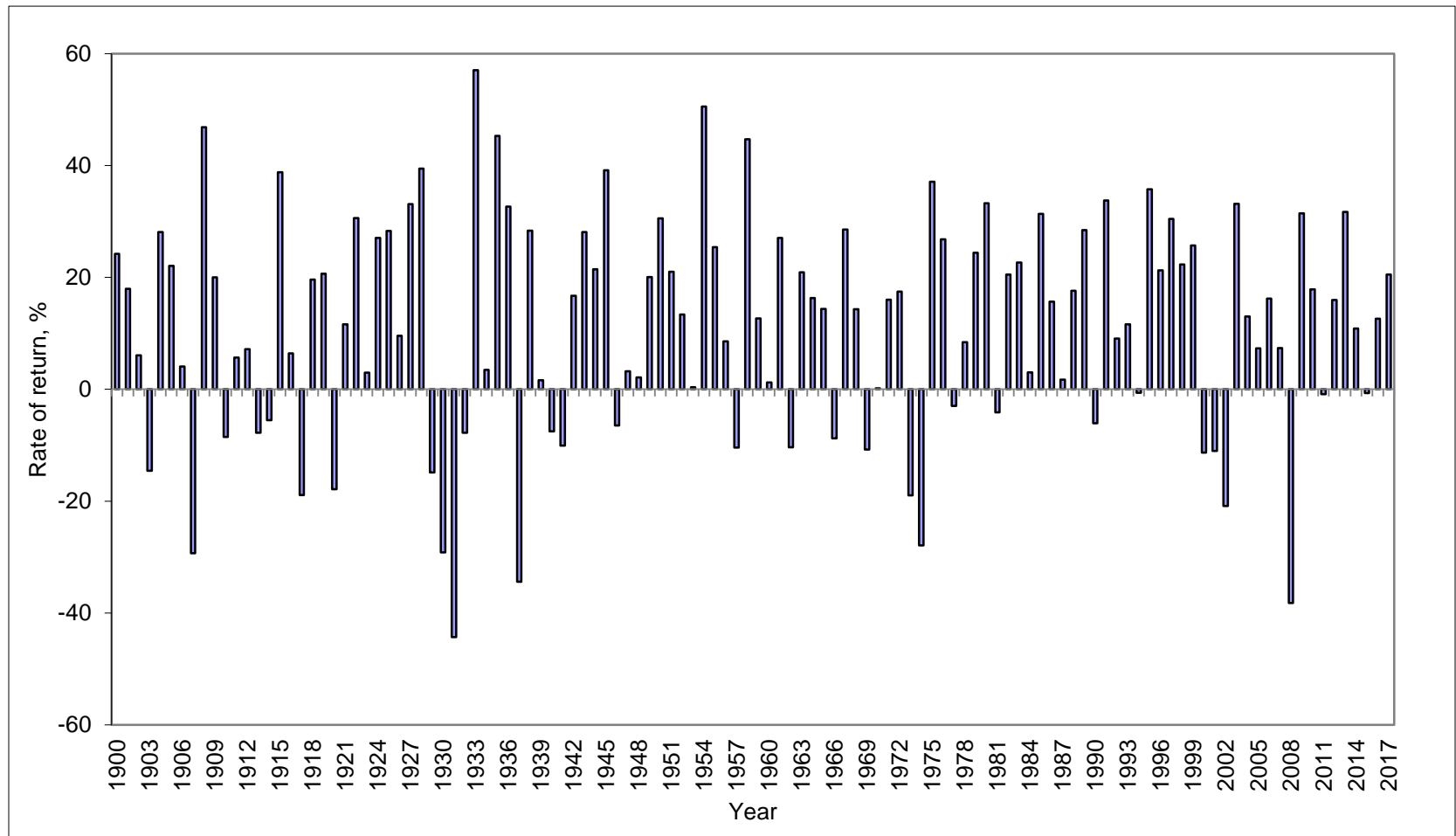
Value of a portfolio holding shares in 500 firms. Holdings are proportional to the number of shares in the issues.

The Value of a \$1 Investment in 1900

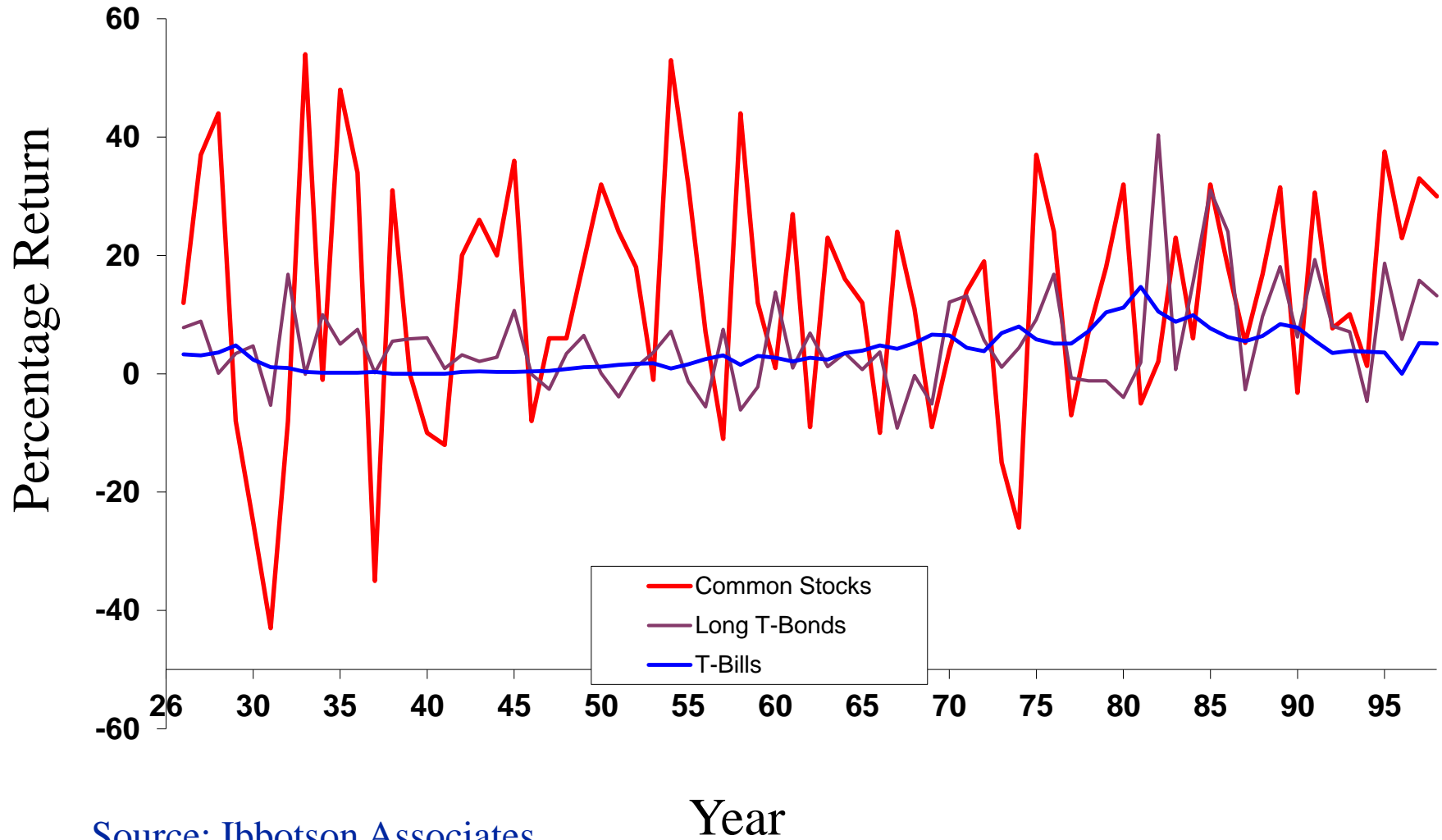


Rates of Return

Common Stocks (1900-2017)



Rates of Return 1926-1998



Source: Ibbotson Associates

Expected Return

<u>Instrument</u>	<u>Avg ROR</u>	<u>Avg Risk Prem.</u>
T.Bill (r_f)	3.8	---
T. Bond	5.3	1.5
Common Stock (r_m)	11.5	7.7 ($r_m - r_f$)

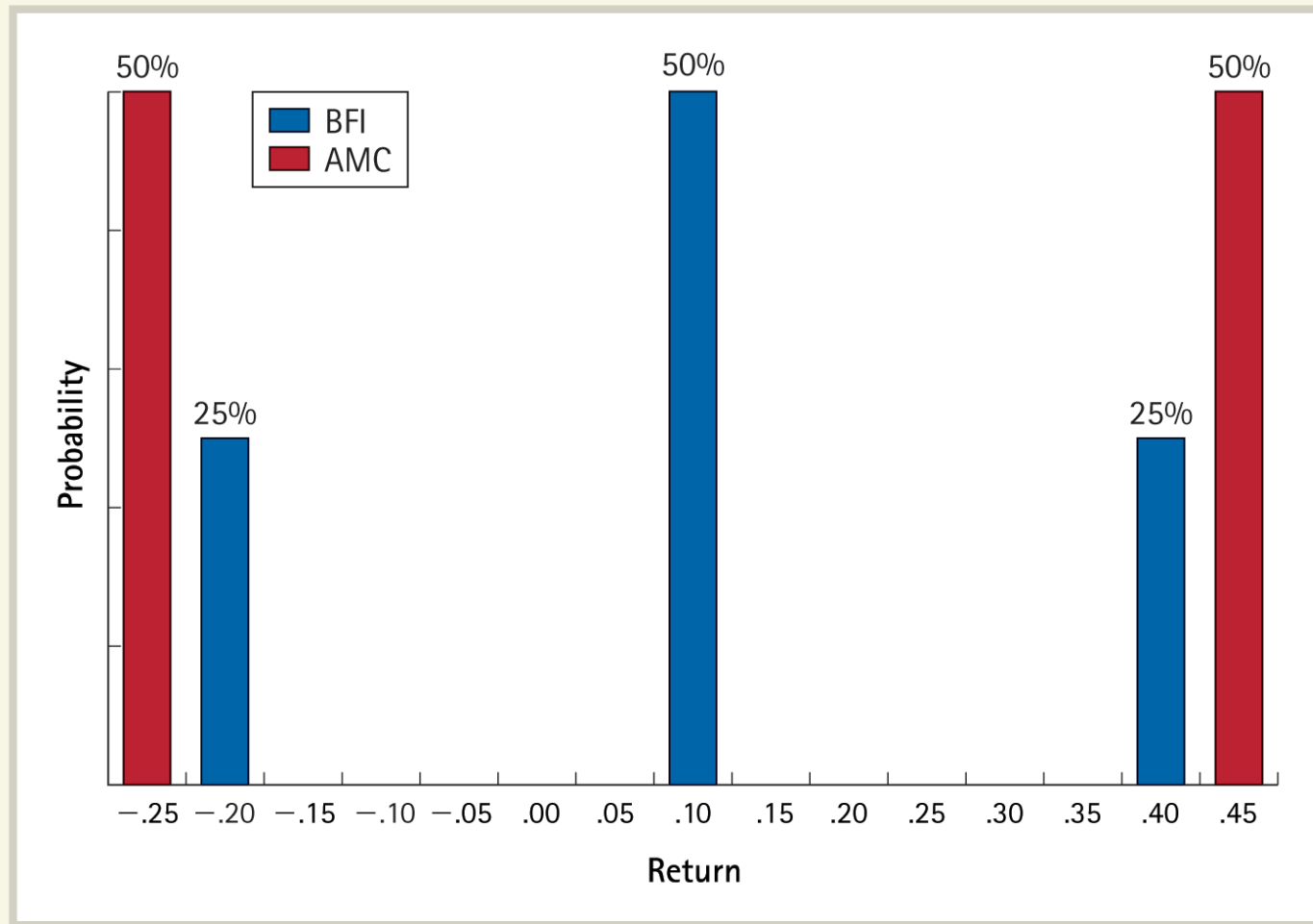
Expected market return	=	interest rate on Treasury bills	+	normal risk premium
(1981) 21.7%	=	14	+	7.7
(2018) 9.4%	=	1.7	+	7.7

Measuring Risk

Variance - Average value of squared deviations from mean. A measure of volatility.

Standard Deviation – Square root of the average value of squared deviations from mean. A measure of volatility.

Distribution for BFI and AMC Returns



While both stocks have the same expected return, AMC's return has a higher variance and standard deviation.

Risk and Diversification

Year	Rate of Return, %	Deviation from Average Return, %	Squared Deviation
2008	-37.23	-46.96	2,204.88
2009	28.30	18.58	345.31
2010	17.16	7.44	55.40
2011	0.98	-8.74	76.47
2012	16.06	6.34	40.14
2013	33.06	23.34	544.74
Total	58.33		3,266.95
Average return = $58.33/6 = 9.72\%$			
Variance = average of squared deviations = $3,266.95/6 = 544.49$			
Standard deviation = square root of variance = 23.33%			

Note: Returns shown in the table are rounded to 2 decimal places. The squared deviation in the last column uses the actual returns, without rounding.

Measuring Risk

Percent Rate of Return	Probability of Return	Deviation from Mean	Squared Deviation
+ 40	.25	+ 30	.25 x 900 = 225
+ 10	.50	0	.50 x 0 = 0
- 20	.25	- 30	.25 x 900 = 225

Expected Return = $(.25 \times 40) + (.50 \times 10) + (.25 \times -20) = 10$

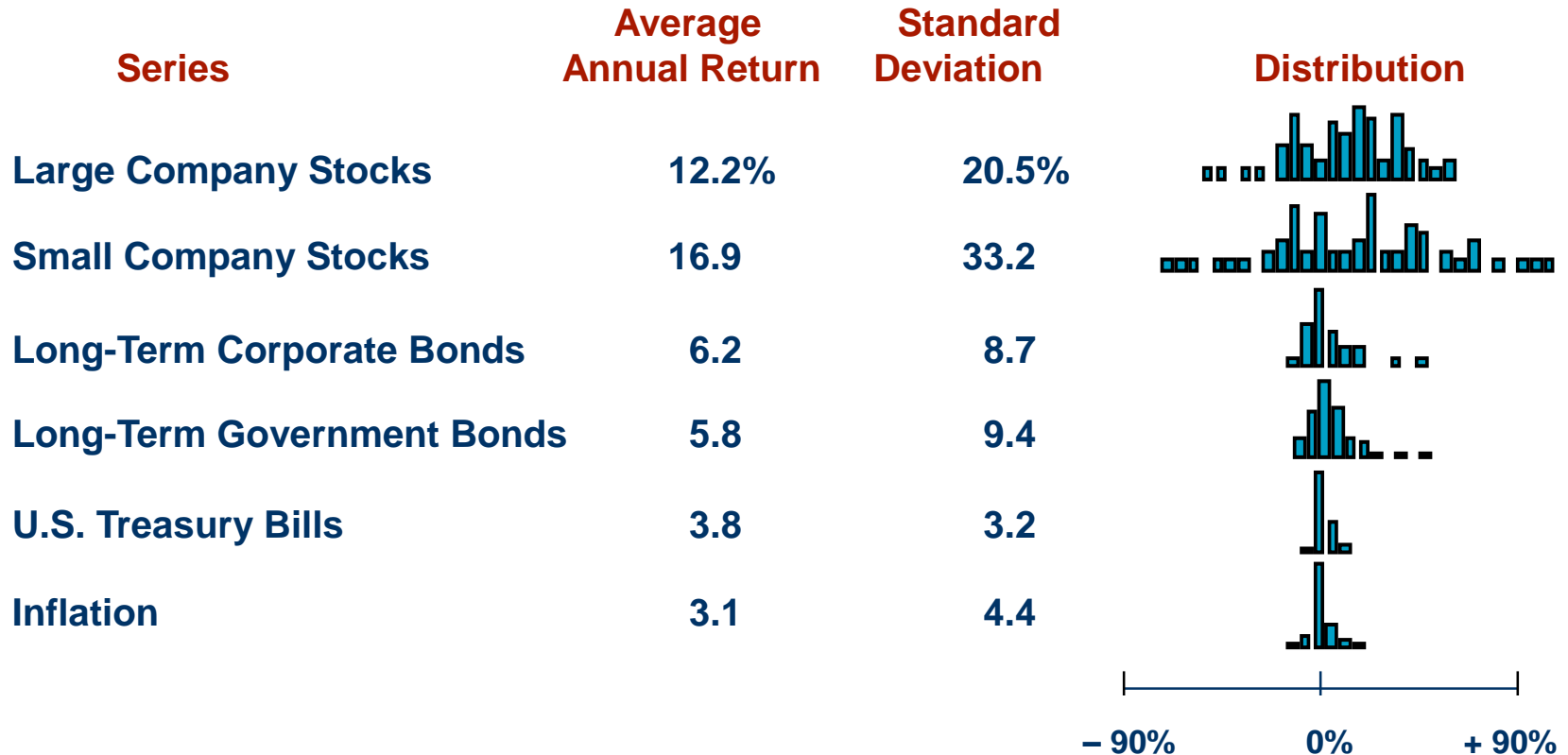
Variance = weighted avg. of squared deviations = $225 + 0 + 225 = 450$

Standard deviation = square of root variance = $\sqrt{450} = 21.2\%$

Expected Return

<u>Instrument</u>	<u>Avg ROR</u>	<u>Risk Prem.</u>	<u>Std. Dev.</u>
T.Bill	3.8	---	2.9
T. Bond	5.3	1.5	9.0
Common Stock	11.5	7.7	19.7

Historical Returns, 1926-2002



Source: © *Stocks, Bonds, Bills, and Inflation 2003 Yearbook*™, Ibbotson Associates, Inc., Chicago (annually updates work by Roger G. Ibbotson and Rex A. Sinquefeld). All rights reserved.

Risk and Diversification

Diversification - Strategy designed to reduce risk by spreading the portfolio across many investments.

Unique Risk - Risk factors affecting only that firm. Also called “diversifiable risk.”

Market Risk - Economy-wide sources of risk that affect the overall stock market. Also called “systematic risk.”

Portfolio Variance

Auto Stock

<u>Scenario</u>	<u>Rate of Return</u>	<u>Deviation from Expected Return</u>	<u>Squared Deviation</u>
Recession	-8	-13	169
Normal	+5	0	0
Boom	+18	13	169

Expected Return = $(-8 + 5 + 18)/3 = 5\%$

Variance = $(169 + 0 + 169)/3 = 112.7$

Standard Deviation = **10.6%**

Gold Stock

<u>Rate of Return</u>	<u>Deviation from Expected Return</u>	<u>Squared Deviation</u>
+20	+19	361
+3	+2	4
-20	-21	441

Expected Return = $(+20 + 3 - 20)/3 = 1\%$

Variance = $(361 + 4 + 441)/3 = 268.7$

Standard Deviation = **16.4%**

Risk and Diversification

$$\begin{aligned} \text{Portfolio rate} & \\ \text{of return} & = \left(\begin{array}{l} \text{fraction of portfolio} \\ \text{in first asset} \end{array} \right) \times \left(\begin{array}{l} \text{rate of return} \\ \text{on first asset} \end{array} \right) \\ & + \left(\begin{array}{l} \text{fraction of portfolio} \\ \text{in second asset} \end{array} \right) \times \left(\begin{array}{l} \text{rate of return} \\ \text{on second asset} \end{array} \right) \end{aligned}$$

Portfolio Worksheet

Consider the following:									
				Returns					
Scenario			Probability	Auto	Gold	Portfolio (75% auto, 25% gold)			
Recession		1/3		-8	+20	$.75(-8) + .25(20) = -1.0\%$			
Normal		1/3		+5	+3	$.75(5) + .25(3) = +4.5\%$			
Boom		1/3		+18	-20	$.75(18) + .25(-20) = +8.5\%$			
Expected Return									
Auto		$(-8+5+18)/3 = 5\%$							
Gold		$(+20+3-20)/3 = 1\%$							
Portfolio		$(-1+4.5+8.5)/3 = 4\%$							
Variance									
Auto		$(169+0+169)/3 = 112.7$ (std. 10.6%)							
Gold		$(361+4+441)/3 = 268.7$ (std. 16.4%)							
Portfolio		$(25+.25 +20.25)/3 = 15.2$ (std 3.9%)							

Risk and Diversification

