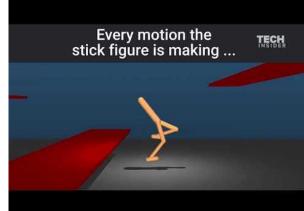


Iretiayo Akinola





#### Iretiayo Akinola

http://www.cs.columbia.edu/~iakinola/



Robotics: see, think, act

Direct programming can be hard for different tasks

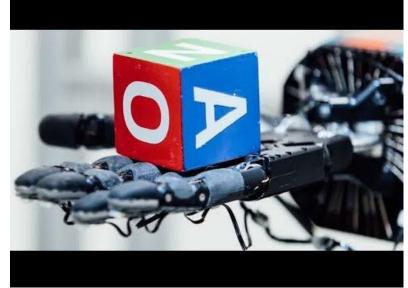
- Degree of structure and consistency
- Perception
- Manipulation
- Deformation

Vacuum robots Lawn mowing Pool cleaning Manufacturing robots Home-cleaning robot Cooking Robot Laundry Robot Warehouse Robot

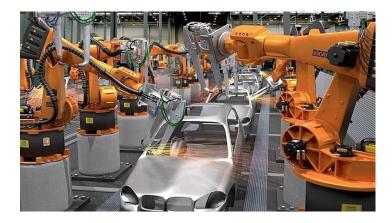
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- Degree of structure and consistency
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Vacuum robots Lawn mowing Pool cleaning Manufacturing robots Home-cleaning robot Cooking Robot Laundry Robot Warehouse Robot





Manufacturing robots

Cooking Robot



- Learning from Demonstration
- Reinforcement Learning

## Learning from Demonstration (LfD)

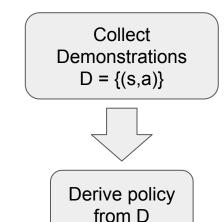
LfD Dataset (D): a set of state-action pairs

Goal: Learn  $\pi(a_t|s_t) - \text{policy}$ 

Assumptions: Human Teacher exists, Demonstration is possible

Key Considerations:

- Demonstration mode
- State representation
- Policy Derivation method
  - Supervised learning/Function approximation





## Learning from Demonstration (LfD)

- Learning from Demonstration data
  - Learns a mapping from state to action
- Demonstration modes
  - Teleoperation
  - Kinesthetic teaching (e.g. in motion trajectory learning)
  - Camera recording a human teacher
  - Robotic teachers



Kinesthetic Teaching



#### Motion Capture





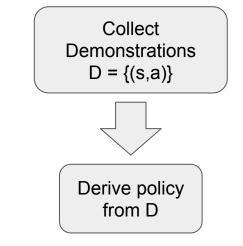
LfD

Pros

- Supervised Learning
- No need for manual reward function
- Exploration not an issue

#### Cons

- Might not generalize well- Covariate shift
- Volume of demonstration
- Some tasks are difficult to demonstrate
- Suboptimal Demonstrations. Limited human patience and inconsistent user input
- Performance of the robot can be limited by that of the teacher.







- Learning from Demonstration
- Reinforcement Learning
- Hybrid





- Learning from Demonstration
- Reinforcement Learning
- Hybrid



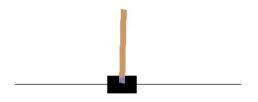


- Learning from Demonstration
- Reinforcement Learning

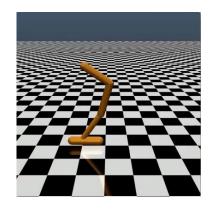
- Learning by trial and Error
- Maximize cumulative rewards
- Learn a policy

**Reinforcement Learning Progress** 

- Classical Control
- Games: Atari, Go
- Robotics
  - continuous space, complex transition dynamics, complex rewards



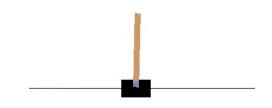




- Learning by trial and Error
- Maximize cumulative rewards
- Learn a policy

**Reinforcement Learning Progress** 

- <u>Classical Control</u>
- Games: Atari, Go
- Robotics
  - continuous space, complex transition dynamics, complex rewards



- Learning by trial and Error
- Maximize cumulative rewards
- Learn a policy

#### **Reinforcement Learning Progress**

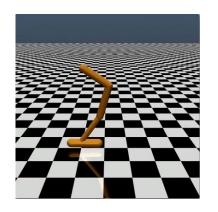
- Classical Control
- Games: Atari, Go
- Robotics
  - continuous space, complex transition dynamics, complex rewards





#### • <u>Robotics</u>

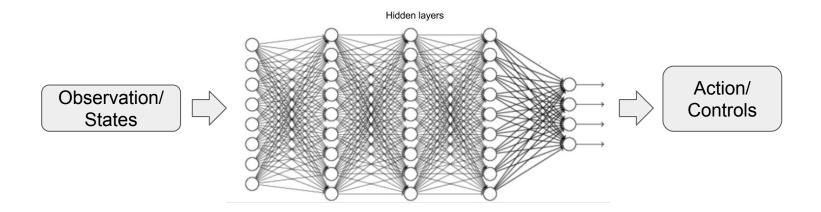
- continuous space
- complex transition dynamics
- complex rewards





Key Elements of recent Success

- Deep Learning
- Simulators (mujoco, bullet, roboschool, dart, gazebo, carsim)

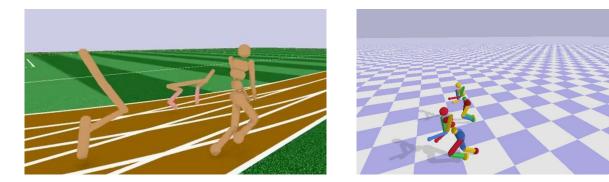


Key Elements of recent Success

- Deep Learning
- Simulators (mujoco, pybullet, roboschool, gazebo)



mujoco

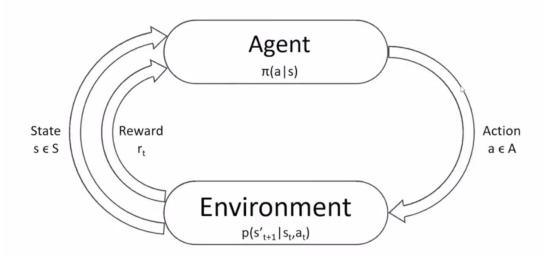


roboschool

pybullet

#### **Reinforcement Learning Formulation**

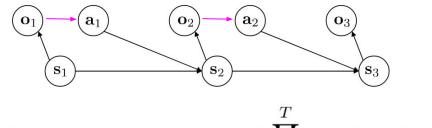
#### Markov Decision Process



## **Reinforcement Learning Formulation**

 $a_t$ 

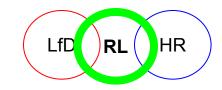
The goal of RL is to get **a policy**:  $s_t \xrightarrow{\pi}$ 



$$\underbrace{p_{\theta}(\mathbf{s}_{1}, \mathbf{a}_{1}, \dots, \mathbf{s}_{T}, \mathbf{a}_{T})}_{\pi_{\theta}(\tau)} = p(\mathbf{s}_{1}) \prod_{t=1} \pi_{\theta}(\mathbf{a}_{t} | \mathbf{s}_{t}) p(\mathbf{s}_{t+1} | \mathbf{s}_{t}, \mathbf{a}_{t})$$

reward function  $r: \mathcal{S} \times \mathcal{A} \to \mathbb{R}$ 

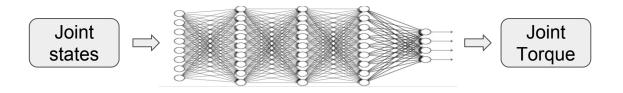
$$\theta^{\star} = \arg\max_{\theta} E_{\tau \sim p_{\theta}(\tau)} \left[ \sum_{t} r(\mathbf{s}_{t}, \mathbf{a}_{t}) \right]$$



## **Reinforcement Learning Formulation**

 $a_t$ 

The goal of RL is to get **a policy**:  $s_t \xrightarrow{\pi}$ 

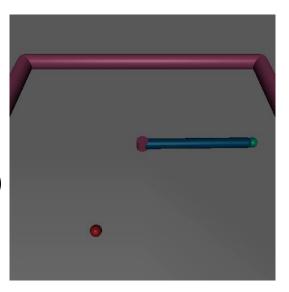


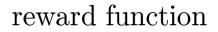
Reward function:

r := - dist(goal, end-effector) -  $\alpha$  magnitude(torque)

$$\theta^{\star} = \arg\max_{\theta} E_{\tau \sim p_{\theta}(\tau)} \left[ \sum_{t} r(\mathbf{s}_{t}, \mathbf{a}_{t}) \right]$$

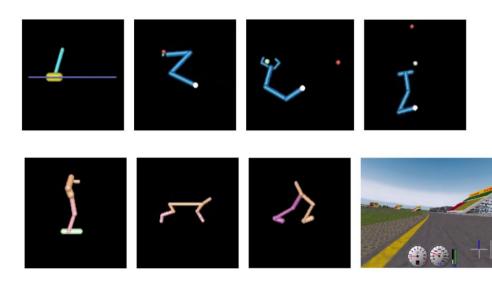








- Deterministic Policy Gradient Algorithms (David Silver et al. 2014)
  - DPG Algorithm
  - Experiments: continuous bandit, **pendulum**, mountain car, 2D puddle world and **Octopus Arm**
- Continuous Control with Deep Reinforcement Learning (Lillicrap et al. 2016)
  - DDPG



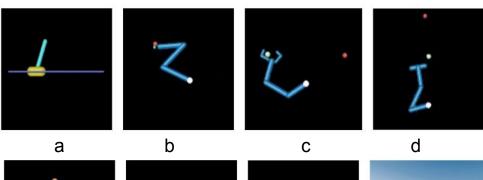
# RL

## Quiz 1: Write down a reward function for each

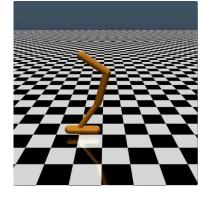
Example:  $r := - \operatorname{dist}(\operatorname{goal}, \operatorname{end-effector})$ 

е



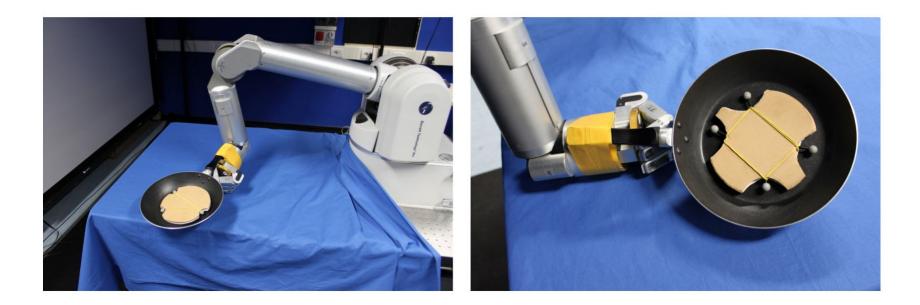


g





Pancake Flipping Task





Pancake Flipping Task





Pancake Flipping Task

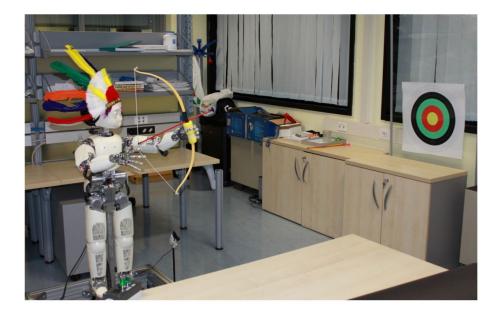
$$R(\tau) = w_1 \left[ \frac{\arccos(v_0 \cdot v_{t_f})}{\pi} \right] + w_2 e^{-||x^p - x^F||} + w_3 x_3^M$$

- Reward
  - Positional reward
  - Orientational reward

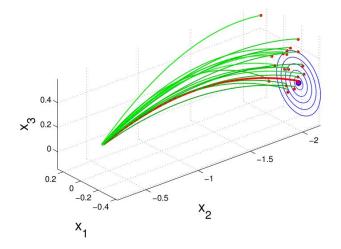




Archery Task



$$R(\tau) = e^{-||\hat{r}_T - \hat{r}_A||}$$





Pros

- Fully autonomous
- Skills not explicit coded
- No demonstration needed

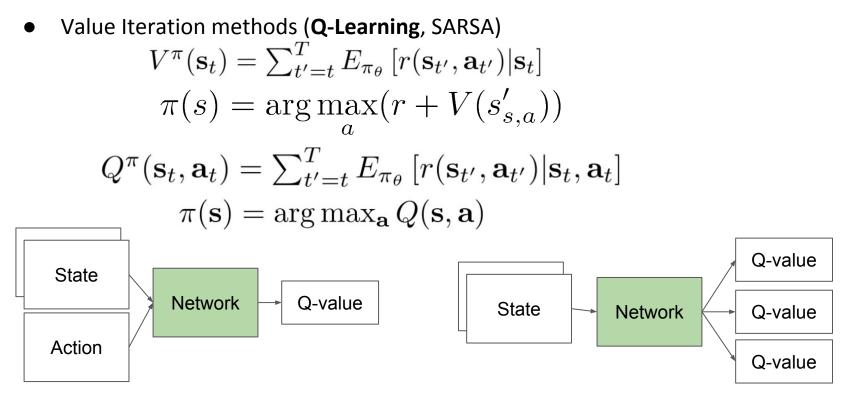
#### Cons

- Reward definition: Where does the R come from?
- Curse of Dimensionality: Exploration cost increases exponentially with dimension
- Generalization issues: Simulation to Real??
- Convergence

RL

- Value Iteration methods (Q-Learning, SARSA)
- Policy Gradient Methods (REINFORCE)
- Actor-Critic Methods (DDPG, TRPO, PPO, A3C)
- Model-based RL (Guided Policy Search, Dyna)





Playing Atari with Deep Reinforcement Learning (Mnih etal 2015)



• Value Iteration methods (Q-Learning, SARSA)

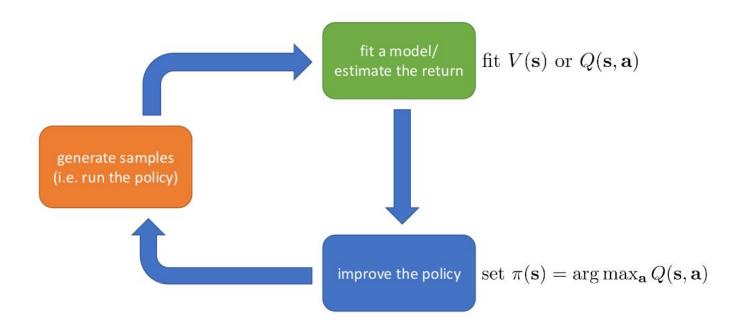
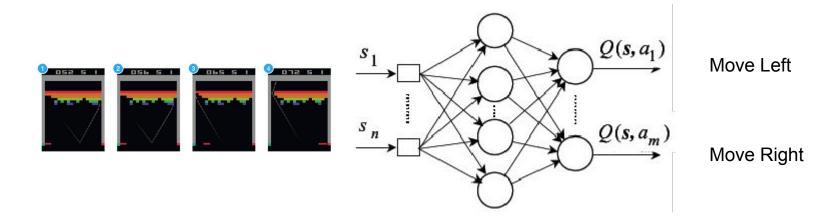


Image from Levine's RL class



- Value Iteration methods (**Q-Learning**, SARSA)
- DQN: Playing Atari with Deep Reinforcement Learning (Mnih etal 2015)



Works well with Games- choose between discrete actions but robotics need continuous actions



• Actor-Critic Methods (**DDPG**, A3C, TRPO, PPO)

Continuous control with deep reinforcement learning (Lillicrap etal Deepmind 2016)



• Actor-Critic Methods (**DDPG**, TRPO, PPO, A3C)

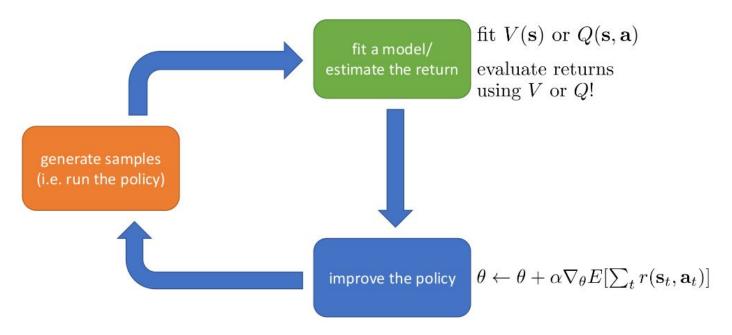
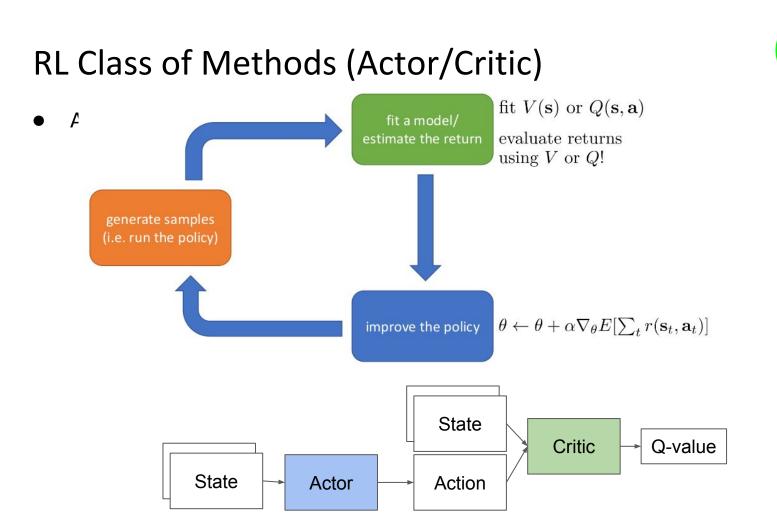


Image from Levine's RL class



RL



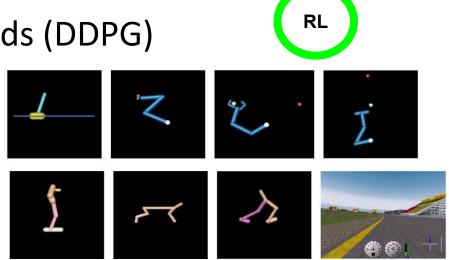
- Actor-Critic Methods (DDPG)
- Deterministic Policy Gradient Algorithms (Silver etal 2014)
  - Critic: linear function, Actor: Gaussian policy
- Continuous control with deep reinforcement learning (Lillicrap etal 2016)
  - Critic: NN, Actor: NN



## Case-Study: Actor-Critic Methods (DDPG)

CONTINUOUS CONTROL WITH DEEP REINFORCEMENT LEARNING

Timothy P. Lillicrap; Jonathan J. Hunt; Alexander Pritzel, Nicolas Heess, Tom Erez, Yuval Tassa, David Silver & Daan Wierstra Google Deepmind London, UK {countzero, jjhunt, apritzel, heess, etom, tassa, davidsilver, wierstra} @ google.com



- 1. Initialize Actor and Critic networks
- > 2. Generate samples from actor policy
- 3. Fit Critic model based on samples
- 4. Calculate actor gradients
- 5. Update actor



• Policy Gradient Methods (REINFORCE)

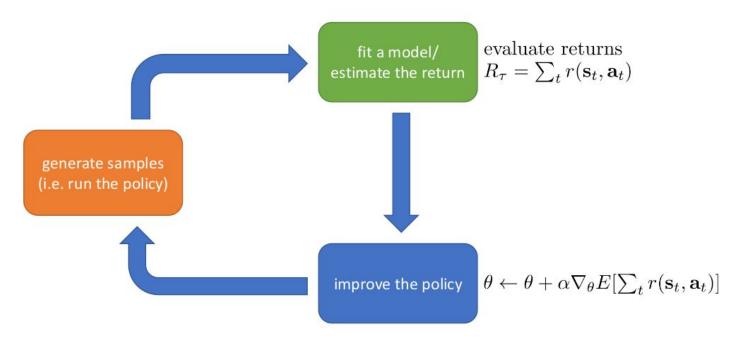


Image from Levine's RL class

• Guided Policy Search

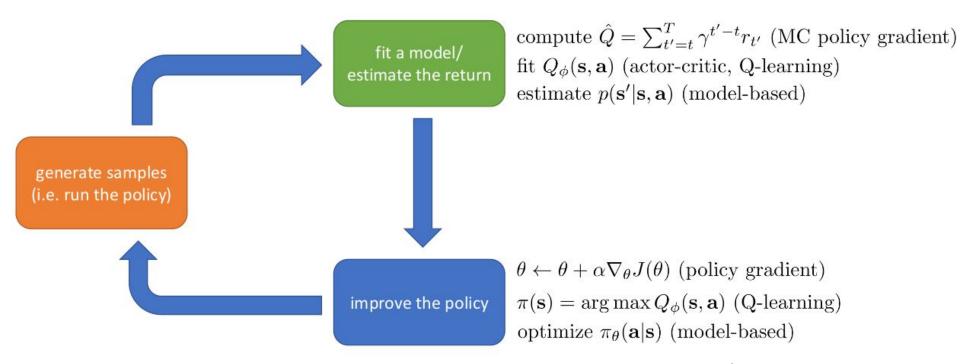


Image from Levine's RL class

# **Reinforcement Learning**

Pros

- Fully autonomous
- No explicit coding needed
- No demonstration needed

#### Cons

- Reward definition: Where does the R come from?
- Curse of Dimensionality: Exploration cost increases exponentially with dimension
- Generalization issues
- Convergence

# **Reinforcement Learning**

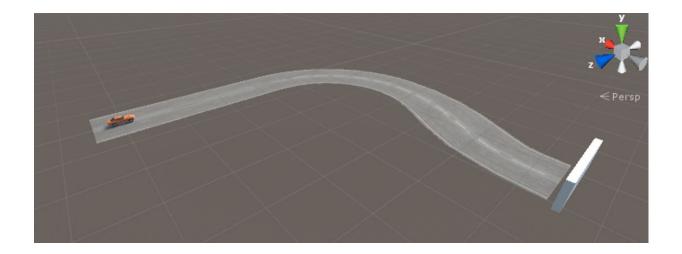
Pros

- Fully autonomous
- No explicit coding needed
- No demonstration needed

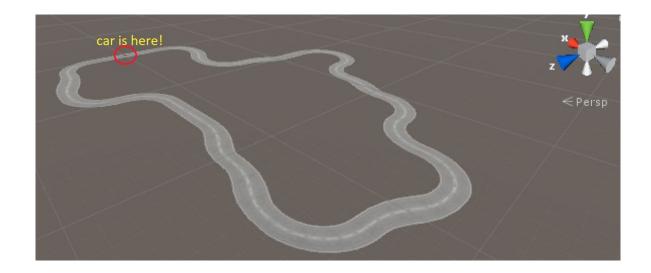
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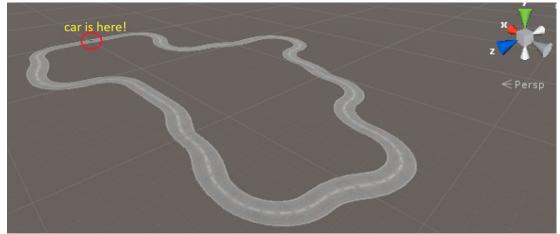
• Quiz 2: Mobile Robot Example



• Quiz 2: Mobile Robot Example

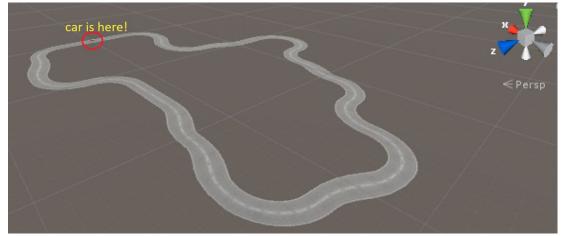


- Quiz 2: Mobile Robot Example
  - State space:
  - Action space:
  - **Reward function:**



#### • Quiz 2: Mobile Robot Example

- State space: image + car velocity
- Action space: gas, wheel
- **Reward function:** forward velocity/5, and -500 if fall off



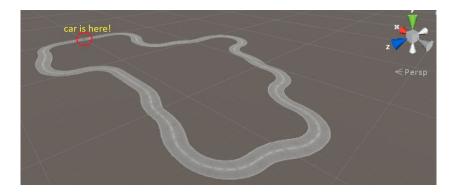
#### • Quiz 2: Mobile Robot Example

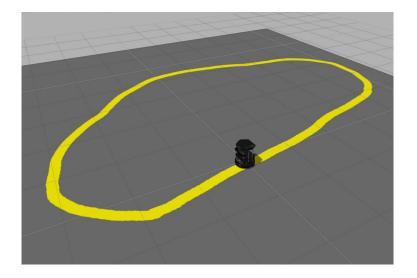
- State space: image + car velocity
- Action space: gas, wheel
- **Reward function:** forward velocity/5, and -500 if fall off

#### • Pedestrians!!! What will you change?



- Quiz 2: Mobile Robot Example
  - Similar to Homework 5?





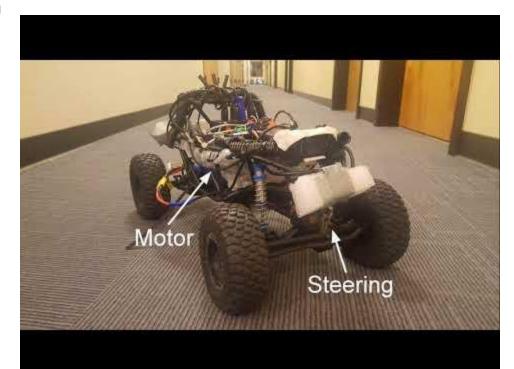
Mobile Robot -> Autonomous Vehicle

• CARLA: An Open Urban Driving Simulator (Dosovitskiy etal 2017) (GitHub)

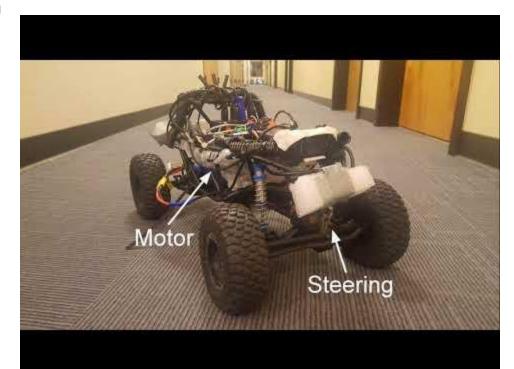
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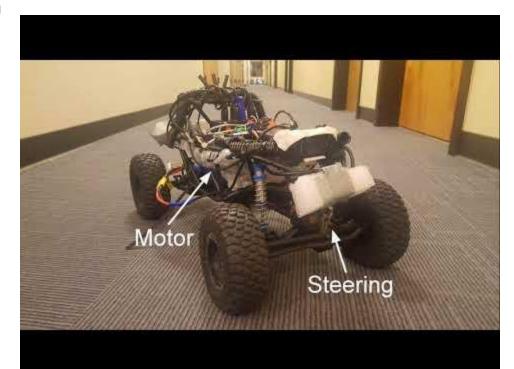
#### **Indoor Navigation**



#### **Indoor Navigation**



#### **Indoor Navigation**



### References

- "Robot Learning From Human Teachers", Sonia Chernova and Andrea L. Thomaz (2014)
- "Deterministic Policy Gradient Algorithms" (David Silver et al. 2014)
- "Continuous control with deep reinforcement learning" (Lillicrap etal Deepmind 2016)
- "CARLA: An open urban driving simulator." Dosovitskiy, Alexey, German Ros, Felipe Codevilla, Antonio Lopez, and Vladlen Koltun. (2017).
- "Self-supervised Deep Reinforcement Learning with Generalized Computation Graphs for Robot Navigation" Kahn, Gregory, Adam Villaflor, Bosen Ding, Pieter Abbeel, and Sergey Levine. (ICRA 2018)

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# Iretiayo Akinola

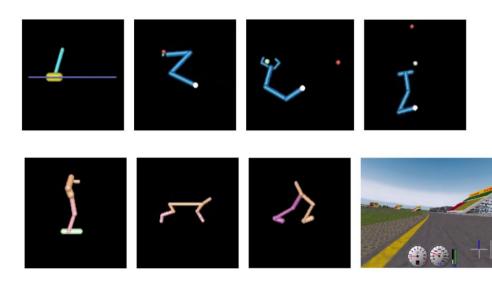
http://www.cs.columbia.edu/~iakinola/



## Thanks



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  - DPG Algorithm
  - Experiments: continuous bandit, **pendulum**, mountain car, 2D puddle world and **Octopus Arm**
- Continuous Control with Deep Reinforcement Learning (Lillicrap et al. 2016)
  - DDPG



# DPG (Silver et al. 2014)



• Deterministic Policy Gradient Algorithms (David Silver et al. 2014)

Total discounted reward 
$$r_t^{\gamma} = \sum_{k=t}^{\infty} \gamma^{k-t} r(s_k, a_k)$$
 where  $0 < \gamma < 1$   
Value functions:  $V^{\pi}(s) = \mathbb{E} [r_1^{\gamma} | S_1 = s; \pi]$   
 $Q^{\pi}(s, a) = \mathbb{E} [r_1^{\gamma} | S_1 = s, A_1 = a; \pi]$   
Performance Objective:  $J(\pi) = \mathbb{E} [r_1^{\gamma} | \pi]$   
 $J(\pi_{\theta}) = \int_{\mathcal{S}} \rho^{\pi}(s) \int_{\mathcal{A}} \pi_{\theta}(s, a) r(s, a) dads = \int_{\mathcal{S}} \int_{\mathcal{A}} \rho^{\beta}(s) \pi_{\theta}(a|s) Q^{\pi}(s, a) dads$   
 $= \mathbb{E}_{s \sim \rho^{\pi}, a \sim \pi_{\theta}} [r(s, a)]$   
Policy Gradient:  $\nabla_{\theta} J(\pi_{\theta})$   $\theta := \theta + \alpha \nabla_{\theta} J(\pi_{\theta})$ 

# DPG (Silver et al. 2014)



Deterministic Policy Gradient Algorithms (David Silver et al. 2014) 

Performance Objective: 
$$J(\pi_{\theta}) = \int_{\mathcal{S}} \int_{\mathcal{A}} \rho^{\beta}(s) \pi_{\theta}(a|s) Q^{\pi}(s,a) dads$$
  
Policy Gradient:  $\nabla_{\theta} J(\pi_{\theta})$ 

**Policy Gradient** 

**Deterministic Policy** Gradient:

# DPG (Silver et al. 2014)



• Deterministic Policy Gradient Algorithms (David Silver et al. 2014)

Actor: 
$$\mu_{ heta}(s)$$
 Critic:  $Q^w(s_t, a_t)$ 

DPG Algorithm:

$$\delta_t = r_t + \gamma Q^w(s_{t+1}, \mu_\theta(s_{t+1})) - Q^w(s_t, a_t)$$
$$w_{t+1} = w_t + \alpha_w \delta_t \nabla_w Q^w(s_t, a_t)$$
$$\theta_{t+1} = \theta_t + \alpha_\theta \nabla_\theta \mu_\theta(s_t) |_{a = \mu_\theta(s)}$$

# DPG (David Silver et al. 2014)



40.0

50.0

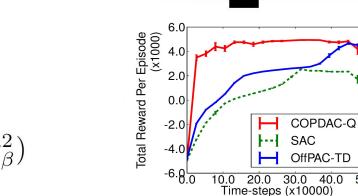
- Experiments:
  - continuous bandit, pendulum, mountain car, 2D puddle world, Octopus Arm Ο

Pendulum:

- State: joint position/velocities
- Action: move left or right
- Reward: +1 for every step while rod is upright
- Critic:  $V(s) = v^{\top} \phi(s)$
- Actor:

Ο

- Target policy:  $\mu_{\theta}(s) = \theta^{\top} \phi(s)$
- Behavior policy:  $\beta(\cdot|s) \sim \mathcal{N}(\theta^{\top}\phi(s), \sigma_{\beta}^2)$ Ο



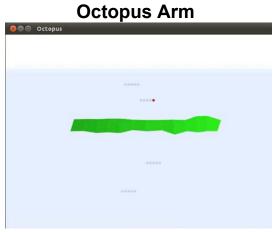
# DPG (David Silver et al. 2014)

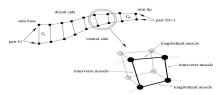
RL

- Experiments:
  - continuous bandit, pendulum, mountain car, 2D puddle world, Octopus Arm

Octopus Arm:

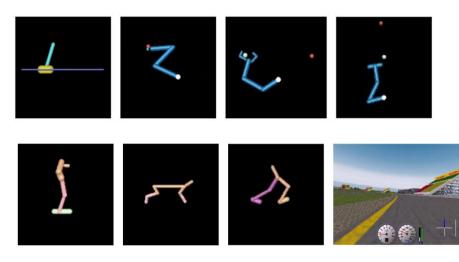
- State: 50 continuous joint state variables
- Action: 20 variables to control muscles
- Reward: change in distance between arm and target
- Critic: NN Multilayer Perceptron (MLP)
- Actor: MLP (8 hidden units)





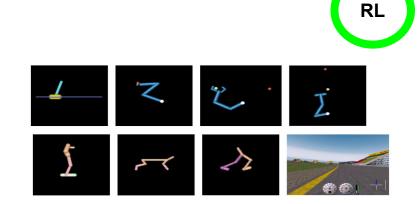


- Deterministic Policy Gradient Algorithms (Silver et al. 2014) **DPG** 
  - Critic: linear function, Actor: Gaussian policy
  - Critic: NN(MLP), Actor: NN(MLP)
- Continuous control with deep reinforcement learning (Lillicrap et al. 2016) **DDPG** 
  - Critic: DNN, Actor: DNN

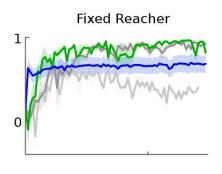


# DDPG (Lillicrap 2016)

- Batch normalization
- Target Networks







- original DDPG with batch normalization (light grey),
- with target network (dark grey),
- with target networks and batch norm (green),
- with target networks from pixel-only inputs (blue)

• Reward definition: Where does R come from?

