Name $\qquad$ Mods $\qquad$

## STUDY GUIDE UNIT 6 - VECTORS

| Date | Agenda | Homework |
| :--- | :--- | :--- |
| Tues <br> $11 / 10$ | Conceptual Physics Video <br> "Vectors and Projectiles" (notes <br> on handout) | None |
| Wed <br> $11 / 11$ | Introduce Vectors <br> Activity: New York City Vectors <br> (p. 14-16) | Read Sections 3.1-3.3 and <br> take notes in packet (p. 1-2) |
| Thurs <br> $11 / 12$ | Complete Activity: NYC Vectors | Watch Video 1 and take <br> notes in packet (p. 3) |
| Fri <br> $11 / 13$ | Vector problems-set 1 (p. 7-9) | Watch Video 2 and take <br> notes in packet (p. 10) |
| Mon <br> $11 / 17$ | Vector problems-set 2 (p. 11-12) | Review |
| Tues <br> $11 / 18$ | Quest-vector |  |

## CP Physics

Reading Notes
Section 3.1-3.3

1. In this chapter we will look at nonlinear motion or motion along a $\qquad$
2. This curve is a combination of
a. constant velocity $\qquad$
b. accelerated velocity $\qquad$
3. What happens horizontally $\qquad$ by what happens vertically
4. $\qquad$ are used to represent quantities that have both $\qquad$ and $\qquad$
5. A quantity that required both magnitude and direction for a complete description is called a $\qquad$
6. Velocity and acceleration are both $\qquad$
7. A quantity that is completely described by its magnitude is called a
$\qquad$
8. Examples of scalar quantities are $\qquad$ , $\qquad$ and
$\qquad$
9. An $\qquad$ is used to represent the magnitude and direction of a
$\qquad$
10. This arrow is called a $\qquad$
11. Draw and completely label Figure 3.2
12. List the simple 3 step technique used to find the resultant of a pair of vectors that are at right angles to each other
a.
b.
c.
13. Draw and Label Figure 3.4
14. Draw and Label Figure 3.5
15. Any vector drawn on a piece of paper can be resolved into and components
16. Draw and label Figure 3.6

VIDEO NOTES \# 1 -VECTORS

## Scalars and Vectors

There are a lot of different mathematical quantities used in physics. Examples of these include acceleration, velocity, speed, force, work, and power. These different quantities are often described as being either "scalar" or "vector" quantities. Below we will discuss what these words mean as well as introduce some basic vector math.

What is a scalar?

A scalar is a quantity that is fully described by a magnitude only. It is described by just a single number. Some examples of scalar quantities include speed, volume, mass, temperature, power, energy, and time.

What is a vector?

A vector is a quantity that has both a magnitude and a direction. Vector quantities are important in the study of motion. Some examples of vector quantities include force, velocity, acceleration, displacement, and momentum.

What is the difference between a scalar and vector?

A vector quantity has a direction and a magnitude, while a scalar has only a magnitude. You can tell if a quantity is a vector by whether or not it has a direction associated with it.

## Example:

Speed is a scalar quantity, but velocity is a vector that specifies both a direction as well as a magnitude. The speed is the magnitude of the velocity. A car has a velocity of 40 mph east. It has a speed of 40 mph .

Identify the following as a scalar or vector quantity:

1) The football player was running 10 miles an hour towards the end zone.
2) The volume of that box at the west side of the building is 14 cubic feet.
3) The temperature of the room was 15 degrees Celsius.
4) The car accelerated north at a rate of 4 meters per second squared.

How to Draw a Vector
A vector is drawn as an arrow with a head and a tail. The magnitude of the vector is often described by the length of the arrow. The arrow points in the direction of the vector. See the picture below.


VECTORS, SCALARS, AND VECTOR ADDITION
Define the following:
vector:


scalar:
a


Vectors are represented by arrows. They can be added by placing the arrows head to tail. The arrows that extend from the tail of the first vector to the head of the last vector is called the resultant. It indicated both the magnitude and direction of the vector sum.

Example 1:


40 cm east -10 cm west $=30 \mathrm{~cm}$ east

Example 3:

|  |  |
| :--- | :--- |
| 250 km | 340 km |
| 50 km | $250 \mathrm{~km}+50 \mathrm{~km}+40 \mathrm{~km}$ |
| 40 km |  |

Example 4:


$$
a^{2}+b^{2}=c^{2}
$$

$$
(3 m)^{2}+(4 m)^{2}=c^{2}
$$

$$
9 m^{2}+16 m^{2}=c^{2}
$$

$$
25 \mathrm{~m}^{2}=\mathrm{c}^{2}
$$

$$
\mathrm{c}=5 \mathrm{~m}
$$

Vector Problems - Set 1:

1. Every March, the swallows return to San Juan Capistrano, California after their winter in the south. If the swallows fly due north and cover 200 km on the first day, 300 km on the second day, and 250 km on the third day, draw a vector diagram of their trip and find their total displacement for the three day journey.


$$
R=200 \mathrm{~km}+300 \mathrm{~km}+250 \mathrm{hm}
$$

$$
R=750 \mathrm{~mm} N
$$

2. Some Antarctic explorers heading due south toward the pole travel 50 . Km during the first day. A sudden snow storm slows their progress and they move only 30 Km on the second day. With plenty of rest they travel the final 65 km the last day and reach the pole. What was the explorers' displacement?

$R=50 \mathrm{~km}+30 \mathrm{hm}+65 \mathrm{~km}$

$$
R=145 \mathrm{~km} \mathrm{~s}
$$

3. Rochelle is flying to New York for her big Broadway debut. If the plane heads out of Los Angeles with a velocity of $220 . \mathrm{m} / \mathrm{s}$ in a northeast direction, relative to the ground, and encounters a wind blowing head-on at $45 \mathrm{~m} / \mathrm{s}$, what is the resultant velocity of the plane, relative to the ground?


$$
\begin{gathered}
R=220 \frac{\mathrm{~m}}{\mathrm{~s}}-45 \frac{\mathrm{~m}}{\mathrm{~s}} \\
R=175 \mathrm{~m} \mathrm{~s} N
\end{gathered}
$$

4. Eric is in a canoe and rows at a velocity $4.5 \mathrm{~m} / \mathrm{s}$ due east on the river. If the current on that river is $1.0 \mathrm{~m} / \mathrm{s}$ east, a) draw the vector diagram for this situation $\quad$ b) calculate his resultant velocity.

5. Michael is in a canoe and rows at a velocity of $5.0 \mathrm{~m} / \mathrm{s}$ due east. If the current on that river is $1.0 \mathrm{~m} / \mathrm{s}$ west, a) draw the vector diagram for the situation and b) calculate his resultant velocity.


$$
R=5.0 \frac{m}{J}-1.0 \frac{m}{J}=4.0 \frac{\mathrm{~m}}{\mathrm{~J}} \mathrm{Eact}
$$

6. If St. Louis Cardinals homerun king, Mark McGuire, hit a baseball due west with a speed of $50.0 \mathrm{~m} / \mathrm{s}$ and the ball encountered a wind that blue it north at $5.0 \mathrm{~m} / \mathrm{s}$, a) draw the vector diagram for the situation and b) calculate the resultant velocity.

7. Indiana Jones is trying to cross a raging river in a small motor boat to escape some natives who have decided to invite him to dinner (as the main course). Indy gets into the boat, starts up the engine, and sails due NORTH directly across the river at a speed of $7.9 \mathrm{~km} / \mathrm{hr}$. If the current of the river is due EAST at $4.5 \mathrm{~km} / \mathrm{hr}$, what will be the actual speed and direction of Indiana's boat (with respect to the shore)?


$$
\begin{gathered}
a^{2}+b^{2}=c^{2} \\
\left(7.9 \frac{\mathrm{hm}}{\mathrm{hr}}\right)^{2}+\left(4.5 \frac{\mathrm{hm}}{\mathrm{w}}\right)^{2}=R^{2} \\
62.41+20.25=R^{2} \\
82.66=R^{2} \\
R=9.1 \frac{\mathrm{hm}}{\mathrm{w}} \text { NE }
\end{gathered}
$$

8. James Bond is flying a jet, on route to Vulgaria where Miss Moneypenny is being held captive by the evil Baron Bomburst. He is flying at 270 mph due WEST when he gets a radio message telling him that the wind is blowing due SOUTH at a speed of 15 mph . Help James out by figuring out his true speed and direction.


$$
\begin{gathered}
a^{2}+b^{2}=c^{2} \\
\left(270 \frac{m i}{w}\right)^{2}+\left(15 \frac{m i}{w}\right)^{2}=R^{2} \\
72,900+225=R^{2} \\
73.125 \frac{m i}{h r}=R^{2} \\
R=270.4 \frac{m i}{w} S \omega
\end{gathered}
$$

VIDEO NOTES \# 2 -VECTORS

1. A man in a kayak can paddle at $5 \mathrm{~m} / \mathrm{s}$. If he travels downstream in a current of $3 \mathrm{~m} / \mathrm{s}$ for 5 minutes, how fast is he moving and how far did he travel? Include a vector diagram with your answer.

$$
\begin{aligned}
& \xrightarrow{s \frac{m}{s}>^{3 \frac{m}{s}}} R=5 \frac{m}{s}+3 \frac{m}{s}=8 \frac{m}{5} \\
& u=\frac{d}{t}
\end{aligned}
$$

$$
\begin{aligned}
& =\left(8 \frac{m}{5}\right)(3005)=
\end{aligned}
$$

2. The man then turns around and heads upstream. How long would it take to ge 2400 mm
back to his starting point?

$$
\begin{aligned}
& R=5 \frac{m}{j}-3 \frac{m}{s}=2 \frac{m}{s} \\
& d=2400 \sim \quad V=\frac{d}{t} \\
& u=2 \frac{m}{s} \quad t=\frac{a^{t}}{t} \\
& =\frac{2400 m}{2 \tilde{y}} H 2005
\end{aligned}
$$

3. A man in a kayak can paddle at $10 \mathrm{~m} / \mathrm{s}$. If he travels downstream in a current of $2 \mathrm{~m} / \mathrm{s}$ for 10 minutes, how fast is he moving and how far did he travel? Include a vector diagram with your answer.

$$
\begin{aligned}
& R=10 \frac{\mathrm{~m}}{\mathrm{~s}}+2 \frac{\mathrm{~m}}{\mathrm{~s}} \\
& t=10 \mathrm{~min} \frac{60 \mathrm{se}}{1 \mathrm{mon}}=600 \mathrm{~s} \\
& =12 \frac{\mathrm{~m}}{\mathrm{~s}} \\
& v=\frac{a}{t} \\
& d=v^{z} \cdot t=(12 \mathrm{~m})(6005)=7200 \mathrm{~m}
\end{aligned}
$$

4. The man then turns around and heads upstream. How long would it take to get

$$
\begin{aligned}
& \stackrel{y}{c}_{\substack{\text { back to his staring point? }}}^{\stackrel{\mathrm{m}}{\mathrm{~s}}} \quad t=\frac{d}{\mathrm{~s}}=\frac{7200 \mathrm{~m}}{8 \frac{\mathrm{~m}}{\mathrm{~s}}} \\
& R=10 \frac{\mathrm{~m}}{\mathrm{~s}}-2 \frac{\mathrm{~m}}{\mathrm{~s}}=8 \frac{\mathrm{~m}}{\mathrm{~s}} \quad t=900 \mathrm{~s} . \\
& d=7200 \mathrm{~m} \\
& v=8 \frac{\mathrm{~m}}{}
\end{aligned}
$$

5. A man in a kayak can paddle at $15 \mathrm{~m} / \mathrm{s}$. If he travels downstream in a current of 5 $\mathrm{m} / \mathrm{s}$ for 20 minutes, how fast is he moving and how far did he travel? Include a vector diagram with your answer.


$$
v=20 \frac{\mathrm{~m}}{5}
$$

$$
t=20^{5} \cdots \cdots \frac{605}{10000}=
$$

$$
\begin{aligned}
R & =i 5 \frac{m}{s}+5 \frac{m}{s} \\
& =20 \frac{m}{s}
\end{aligned}
$$

$$
v=\frac{d}{t}
$$

$$
d=v-t
$$

$$
=\left(20 \frac{\mathrm{~m}}{\mathrm{~s}}\right)(1200 \mathrm{~s})=24,000 \mathrm{~m}
$$

6. The man then turns around and heads upstream. How long would it take to get back to his starting point?


$$
R=15 \frac{\mathrm{~m}}{\mathrm{~J}}-5 \frac{\mathrm{~m}}{\mathrm{~s}}
$$

$$
=10 \sim 3
$$

$$
\begin{aligned}
& v=10 \frac{\mathrm{~m}}{\mathrm{~s}} \\
& d=24,000 \mathrm{~m} \\
& t=\frac{d}{\mathrm{~s}}=\frac{24,000 \mathrm{~m}}{10 \frac{\mathrm{~m}}{\mathrm{~s}}} \\
& t=2,400 \mathrm{~s}
\end{aligned}
$$

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Name $\qquad$ Date $\qquad$

## INTRODUCTION TO VECTORS NEW YORK CITY TRIP

This activity will use vectors to map a trip around New York City.
Draw vectors on your map from point to point along the trip through NYC in different colors.

| North Vectors-Red | South Vectors-Blue |
| :--- | :--- |
| East Vectors-Green | West Vectors-Yellow |


| Site | Address |
| :--- | :--- |
| Penn Station | 33 rd St and 7th Ave |
| Empire State Building | 34th St and 5th Ave NY |
| NY Library | 41st and 5th Ave |
| Grand Central Station | 43rd and Park Ave (same as 4th Ave) |
| UN Headquarters | 45th and 1st Ave |
| Rockefeller Center | 49th and 6th Ave |
| Carnegie Hall | 57th and 7th Ave |
| Lincoln Center | 65th St and 10th Ave |
| Javits Center | 36th St and 11th Ave |

Add all the north vectors together:
Add all the south vectors together:

Add all the East vectors together:
Add all the West vectors together:
Subtract your North and South vectors and determine the resultant vector:

Subtract the East and West vectors and determine the resultant vector:

Draw new vectors to determine the resultant vector on the map (in purple) and determine the resultant vector quantity:

Compare the two resultant vectors:


