## Transmission Line Design-Advanced TADP 640



Steel Poles-Design Considerations Miscellaneous Topics

Module 2.11
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## ASCEISEI 48-05 (2006)

- Reference document
- ASCE/SEI 48-05 (2006) Design of Steel Transmission Pole Structures, ASCE Standard, American Society of Civil Engineers, Reston, Virginia


## Discussion Topics

- Anchor bolts design considerations
- Base plate design considerations
- Wood equivalent steel poles
- Wood vs. Steel pole Analysis


## Anchor Bolts Design Considerations

- Anchor bolts
- Structural capability
- They shall be structurally capable of carrying loads such as tensile, compressive and shear loads
- Capability to transfer load to concrete
- They should be the designed to transfer the loads to concrete with enough embedment length


## Anchor Bolts Design Considerations

- Bolts subjected to tension
- Tensile stress in the bolt $=T_{s} / A_{s}$
- Where
- Ts = bolt tensile force
- $A_{s}=$ stress area $=\pi / 4(d-(0.9743 / n))^{2}$
- $\mathrm{d}=$ nominal diameter of the bolt
- $\mathrm{n}=$ number of threads per unit of length


## Anchor Bolts Design Considerations

- Tensile stresses in bolts shall not exceed tensile stress permitted $\left(F_{t}\right)$
- Bolts with no specified proof-load stress or yield stress
- $F_{t}=0.60 F_{u}$
- $F_{u}=$ specified minimum tensile stress of bolt
- In case of bolts with specified proof load stress or yield stress
- other equations recommended by ASCE/SEI 4805


## Anchor Bolts Design Considerations

- Bolts subjected to shear force
$-\mathrm{V} / \mathrm{A}_{\mathrm{s}} \leq \mathrm{F}_{\mathrm{v}}=0.65 \mathrm{~F}_{\mathrm{y}}$
- Where
- $\mathrm{V}=$ shear force on bolt
- $A_{s}=\pi / 4(d-(0.9743 / n))^{2}$
- $F_{v}=$ shear stress permitted
- $F_{y}=$ specified minimum yield stress of bolt material
- $\mathrm{d}=$ nominal diameter of the bolt
- $\mathrm{n}=$ number of threads per unit of length


## Anchor Bolts Design Considerations

- Bolts with combined shear and tension
- Permitted axial tensile stress in conjunction with shear stress $=F_{t(v)}$
$-F_{t(v)}=F_{t}\left[\left(1-\left(f_{v} / F_{v}\right)^{2}\right)\right]^{0.5}$
- Where
- $\mathrm{F}_{\mathrm{v}}=$ shear stress permitted
- $F_{t}=$ tensile stress permitted
- $\mathrm{f}_{\mathrm{v}}=$ shear stress on effective area $\left(\mathrm{V} / \mathrm{A}_{\mathrm{s}}\right)$
- Combined tensile and shear stresses taken at the same cross section of bolt


## Anchor Bolts Design Considerations

- Development length of bolt
- The bars must be embedded in concrete sufficiently so that tensile forces can develop
- If there is inadequate development length
- either the bars will pull out or
- split the surrounding concrete


## Anchor Bolts Design Considerations

- Development length of threaded reinforcing bar $=L_{d}=I_{d} \alpha \beta \gamma$
- Where
- $I_{d}=$ basic development length of anchor bolt
- $\alpha=$
- 1.0 if $\mathrm{Fy}=60 \mathrm{ksi}$
- 1.2 if Fy = 75 ksi
- $\beta=$
- 0.8 if bolt spacing up to and including 6 in. on center
- 1.0 if bolt spacing less than 6 in. on center
- $\gamma=A_{s(r e q ' d)} / A_{g}$
- $A_{g}=$ gross area of anchor bolt
$-\mathrm{A}_{\mathrm{s}\left(\mathrm{req}{ }^{\prime} \mathrm{d}\right)}=$ required tensile stress area of bolt


## Anchor Bolts Design Considerations

- $I_{d}=$ basic development length of anchor bolt for \#18 bars
- $I_{d}=\left(3.52 \Theta F_{y}\right) /\left(\sqrt{ }\left(f_{c}^{\prime}\right)\right)$
- where
- $F_{y}=$ specified minimum yield stress of anchor bolt
- $\mathrm{F}_{\mathrm{c}}=$ specified compressive strength of concrete
- $\Theta=1.00$ for $F_{y}$ and $f_{c}^{\prime}$ in ksi
- For equations of \#11 \& \#14 bars, refer ASCE/SEI 4805


## Base Plates Design Considerations

- No standards for analysis of base plates of tubular pole structures
- Steel pole Fabricators developed
- Guidelines based on empirical results
- A lot testing performed to derive these guidelines and these information is highly proprietary
- Guide lines depends on own specific detailing and manufacturing practices, they differ among fabricators
- If we use a commercial software for analysis of a base plated steel pole, the software result may not represent fabricators' base plate analysis


## Base Plates Design Considerations

Bend lines

- Possible bend lines are sections 1-1, 2-2, 3-3
- Bend line orientation depends on
- magnitude and direction of the resultant overturning moments for different load cases


Source: ASCE/SEI 48-05

## Base Plates Design Considerations

Effective width of bend lines $\left(b_{\text {eff }}\right)$

- Width of base plate that is effective in resisting a specific resultant moment is called effective width of bend lines
- It is not full length of a line that extends from one edge to the other


Source: ASCE/SEI 48-05

## Base Plates Design Considerations

- The bending stress $f_{b}$ for an assumed bend line < yield stress $F_{y}$
- $f_{b}=\left(6 / t^{2} b_{\text {eff }}\right)\left(B L_{1} c_{1}+B L_{2} c_{2}+\ldots . .+..\right)$
- where
- $\mathrm{t}=$ base plate thickness
- BL= bolt load
- $c=$ shortest distance from anchor bolt to bend line
- $b_{\text {eff }}=$ effective width of bend line


Source: ASCE/SEI 48-05

## Base Plates Design Considerations

Calculation of load in anchor bolt (BL)

- Assumption: base plate is infinitely rigid body
- $P=$ total vertical load at the base of the pole
- $M_{x}=$ base bending moment about x-x axis

- $M_{y}=$ base bending moment about $y$-y axis


## Wood Equivalent Steel Poles

- Wood poles classified into different classes
- Steel poles which are approximately equivalent to standard wood pole classes 'in terms load carrying capacity' are known as 'wood equivalent steel poles'
- Examples of wood equivalent steel poles
- T\&B:LD poles
- Valmont: SW poles
- Some advantages of wood equivalent steel poles over wood poles:
- Normally lighter than wood or concrete
- Less maintenance as compared to wood poles
- Longer life than wood poles


## Classification of Wood Poles Based on Size (ANSI Specifications)

- ANSI (American National Standards Institute) classified poles in to different classes
- based on minimum circumference of the pole 6 feet from the butt
- The horizontal loads (see the next slide) at 2 ft from top of pole are basis for the determination of minimum circumference of the pole
- See the file Wood Poles - Geometry in this course material for geometry of wood poles as per ANSI.


## Classification of Wood Poles Based on Size (ANSI Specifications)

| Class | Horizontal load <br> (lbs) | Class | Horizontal load <br> (lbs) |
| :--- | :--- | :--- | :--- |
| H6 | 11,400 | H 1 | 5,400 |
| H5 | 10,000 | 1 | 4,500 |
| H4 | 8,700 | 2 | 3,700 |
| H3 | 7,500 | 3 | 3,000 |
| H2 | 6,400 | 4 | 2,400 |

Note: Horizontal load applied 2 ft from the top of the pole

## Classification of Wood Poles Based on Size (ANSI Specifications)

- The different classes of the poles are
- Class 10, 9,8,7,6,5,4,3,2,1, H1, H2, H3, H4, H5, and H6
- The class 10 pole is smallest in size (diameter or circumference) and hence capacity is low
- whereas class H 6 is relatively largest in size and hence have highest capacity
- Normal sizes of wood poles for transmission application are class 2 or higher


## Wood Equivalent Steel Poles

- ANSI assumes a horizontal force (H) applied at two feet from the top of the pole
- In this classification, pole is assumed to be buried at $10 \%+2$ feet
- Therefore one can calculate the ground line moment due to the horizontal force (applied at 2 ft from top)
- Based on the ground line moment, required section modulus of wood pole section and hence diameter of the pole at ground line can be determined
- Thus the minimum circumference ( $\Pi \times$ diameter) requirement for a given class was established by the ANSI


## Wood Equivalent Steel Poles

- Class of the wood pole $=\mathrm{H} 1$
- Species of the pole = Douglas Fir (rupture bending stress = 8000 psi)
- Length of the pole $=80$ feet
- Depth of embedment $=10 \mathrm{ft}$
- Length of the pole above ground $=80-10=70$ feet
- Horizontal force (H) applied at 2 feet from top $=5.3 \mathrm{kips}$
- Ground line moment $=5.3 \times(70-2)=360.4$ kips-ft $=360.4 \times 1000 \times 12 \mathrm{lb}-\mathrm{in}$


## Wood Equivalent Steel Poles

- Based on ground line moment, one can determine required ground line diameter of pole
- Required section modulus of the pole at ground line= ground line moment / rupture bending stress

$$
=(360.4 \times 1000 \times 12) / 8000=540.6 \mathrm{in}^{3}
$$

- $\Pi \mathrm{d}^{3} / 32=540.6$
- Required ground line diameter $=d=17.66$ in


## Wood Equivalent Steel Poles

- Note: Refer ANSI tables for 80 ft, Douglas Fir, class H1
- Minimum circumference of pole at top $=29$ in
- Minimum circumference at 6 ft from butt $=57$ in
- Diameter at pole top $=29 / \Pi=9.231$ in
- Diameter at 6 ft from butt $=57 / \Pi=18.144 \mathrm{in}$
- Diameter at ground line $=9.231+(18.144-9.231)(80-10) /(80-6)=$ 17.66 in
- ANSI dimensions matching with the derived diameter through load calculation in earlier slide
- Following similar methodology, wood equivalent steel poles developed.


## Wood Equivalent Steel Poles

- In case of steel poles also, H applied at 2 feet from top of the pole
- For a given class of steel pole, H is same for wood poles and wood equivalent steel poles
- However ground line moment for steel poles is calculated by multiplying with a ratio of 2.5/4.0 (Valmont SW series)
- This ratio accounts for the differences in overload factors required by the NESC code for Grade B construction for wood and steel


## Wood Equivalent Steel Poles

- For NESC District load case-Rule250B (Grade B construction)-Transverse load
- NESC(1977)
- Overload factor for wood poles $=4.0$
- Overload factor for steel poles = 2.5
- In this case, strength factor for wood and steel is 1.0


## OR

- NESC (current)
- This is approximately same as applying an overload factor of 2.5 for wood and steel poles and
- strength factor of 0.65 for wood pole
- strength factor of 1.0 for steel pole


## Wood Equivalent Steel Poles

- Class 2 wood pole
- 80 feet wood pole
- Ground line moment $=250.2$ kips-ft
- Class 2 wood equivalent steel pole
- 80 feet wood pole
- Ground line moment $=250.2 \times 2.5 / 4=157 \mathrm{kips}-\mathrm{ft}$
- Determine section of steel pole that provide the capacity at 157 kips-ft at ground line
- Assume that the ground line moment variation from point of horizontal load ( H at 2 ft from top) to ground line is linear
- Both poles rated at the same class


## Wood Equivalent Steel Poles



Source: Valmont SW series

## Wood Equivalent Steel Poles

- Example:
- Pole length $=80 \mathrm{ft}$
- The maximum ground line moment (including overload factors) $=316$ kip-ft
- Select a wood equivalent steel pole with a catalogue no of (Valmont SW series) S 80-319 (class H-3) pole
- Ground line moment capacity of this pole = 319 kip-ft > 316 kip-ft
- Note: Valmont SW series are provided in readings


## Wood vs Steel poles

- Life-cycle costs of poles
- Initial costs
- Maintenance costs and
- Replacement/Rebuild costs
- Reliability costs
- PV analysis of life-cycle costs
- Inflation rate
- Discount rate
- Present value


## Wood vs Steel Poles Analysis

- Inflation
- rise in general level of prices of goods and services over time
- Inflation rate
- rate at which the general level of prices for goods and services are rising
- Calculation of inflated cost
- If cost of a product today = \$C dollars and
- inflation rate is $3 \%$, then
- Cost of the product at ' $n$ ' years from today $=\$ C(1+3 / 100)^{n}$


## Wood vs Steel Poles Analysis

- Present value
- Current worth of a future sum of money or stream of cash flows
- Future cash flows discounted at a certain discount rate
- Discount rate
- Rate of return that could be earned on an investment with similar risk
- Higher the discount rate, the lower the present value of the future cash flows


## Wood vs Steel Poles Analysis

- $P V=\$ C 1 /(1+r)^{n}$
- If C1 dollars are spend at ' $n$ ' years from today (C1 are dollars in spend years, i.e. inflated), and
- the discount rate is ' $r$ '
- then the present value of cost is calculated using the equation shown above


## Wood vs Steel Poles Analysis

## Case Study

- For a given line design, let us say we need class 1 pole. We have a choice of wood or wood equivalent steel pole
- All the costs in today's dollars
- (a) Initial costs:
- Line cost with wood poles $=2.4$ million
- Line cost with steel poles $=2.5$ million
- Wood pole cheaper than steel pole by $\$ 1000$ (including material and construction)
- 100 structures in the line
- Total savings with wood $=\$ 100,000$


## Wood vs Steel Poles Analysis

- (b) Wood poles maintenance costs
- Wood pole ground line inspection cost = \$50 per pole
- Inspections are done for every 10 years after 20 years of the line installation
- (c) Replacement costs
- During inspection, $1 \%$ of the wood poles replaced due to the ground line strength deterioration
- i.e. 1 pole out of 100 poles need to be replaced after inspection
- (d) Line rebuild costs
- Wood pole line has to be rebuilt after 50 years because of end of life of wood poles
- Line rebuilt cost $=2.4$ million costs


## Wood vs Steel Poles Analysis

| Costs in <br> today's dollars | Costs in the <br> year they <br> incurred (with <br> $3 \%$ inflation) | Discounted <br> costs | Present <br> Value <br> (dollars) |
| :--- | :--- | :--- | :--- |
| Initial Costs |  |  |  |
| $\$ 2.4$ million | $\$ 2.4$ million | $\$ 2.4$ million | $\$ 2.4$ million |

## Wood vs Steel Poles Analysis

| Item | Costs in today's dollars | Costs in the year they incurred (with 3\% inflation) | Discounted costs (with 8\% discount factor) | Present Value (dollars) |
| :---: | :---: | :---: | :---: | :---: |
| Inspection costs |  |  |  |  |
| At 20 years | $\begin{aligned} & 100 \\ & \text { poles*\$50/pol } \\ & \mathrm{e}=\$ 5000 \end{aligned}$ | $\begin{aligned} & 5000(1.03)^{20}= \\ & \$ 9030 \end{aligned}$ | $\begin{aligned} & \$ 9030 /(1.08)^{20}= \\ & \$ 1937 \end{aligned}$ | \$1937 |
| At 30 years | $\begin{aligned} & 100 \\ & \text { poles*\$50/pol } \\ & \mathrm{e}=\$ 5000 \end{aligned}$ | $\begin{aligned} & 5000(1.03)^{30}= \\ & \$ 12,136 \end{aligned}$ | $\begin{aligned} & \$ 12,136 /(1.08)^{30} \\ & =\$ 1206 \end{aligned}$ | \$1206 |
| At 40 years | $\begin{aligned} & 100 \\ & \text { poles*\$50/pol } \\ & \mathrm{e}=\$ 5000 \end{aligned}$ | $\begin{aligned} & 5000(1.03)^{40}= \\ & \$ 16,310 \end{aligned}$ | $\begin{aligned} & \$ 16,310 /(1.08)^{40} \\ & =\$ 751 \end{aligned}$ | \$751 |

## Wood vs Steel Poles Analysis

| Item | Costs in <br> today's <br> dollars | Costs in the <br> year they <br> incurred (with <br> 3\% inflation) | Discounted costs <br> (with 8\% discount <br> factor) | Present <br> Value <br> (dollars) |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Replacement costs |  |  |  |  |
| At 20 <br> years | 1 pole $\times \$ 15000$ <br> $=\$ 15000$ | $15000(1.03)^{20}$ <br> $=\$ 27091$ | $\$ 27091 /(1.08)^{20}=$ <br> $\$ 5812$ | $\$ 5812$ |
| At 30 <br> years | 1 pole $\times \$ 15000$ <br> $=\$ 15000$ | $15000(1.03)^{30}$ <br> $=\$ 36409$ | $\$ 36409 /(1.08)^{30}$ <br> $=\$ 3618$ | $\$ 3618$ |
| At 40 <br> years | 1 pole $\times \$ 15000$ |  |  |  |
| $=\$ 15000$ | $15000(1.03)^{40}$ <br> $=\$ 48,930$ | $\$ 48930 /(1.08)^{40}$ | $\$ 2252$ |  |

## Wood vs Steel Poles Analysis

| Costs in <br> today's dollars | Costs in the <br> year they <br> incurred (with <br> $3 \%$ inflation) | Discounted <br> costs | Present <br> Value <br> (dollars) |
| :--- | :--- | :--- | :--- |
| Line rebuild cost at 50 years |  |  |  |
| 2.4 million | $2.4(1.03)^{50}=$ <br> $\$ 10.52$ million | $\$ 10.52 /(1.08)^{50}=$ <br> $\$ 224,299$ | $\$ 224,299$ |

## Wood vs Steel Poles Analysis

- Summary
- Present Value (PV) of life-cycle costs for wood pole line option $=2.4$ million $+\$ 239,875=\$ 2,639,875$
- Against steel pole line PV cost of $\$ 2,500,000$
- Based on life-cycle costs and PV analysis, in this case steel pole option is cheaper
- Please note this is just an example to analyze wood vs. steel option, do not make any GENERAL conclusions out of this example

