## tinyML. Talks

Enabling Ultra-low Power Machine Learning at the Edge

## "Tutorial on micro-kernel based hardware acceleration" <br> Manu Rastogi

[Bay Area Group] - August 13, 2020


## Bay Area/Silicon Valley tinyML Meetup




Manu Rastogi

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## tinyML Talks Sponsors

## Deeplite



## Deeplite

## WE USE AI TO MAKE OTHER AI FASTER, SMALLER AND MORE POWER EFFICIENT

Automatically compress SOTA models like MobileNet to <200KB with little to no drop in accuracy for inference on resource-limited MCUs

Reduce model optimization trial \& error from weeks to days using Deeplite's design space exploration

Deploy more models to your device without sacrificing performance or battery life with our easy-to-use software

## TinyML for all developers




Arduino library


WebAssembly

Dataset

Acquire valuable training data securely

## Edge Device <br> Real sensors in real time

 Open source SDKEmbedded and edge compute deployment options

Test


 real-time device data flows

## (4) <br> maxim integrated

## Maxim Integrated: Enabling Edge Intelligence




The biggest (3MB flash and 1MB SRAM) and the smallest ( 256 KB flash and 96KB SRAM) Cortex M4 microcontrollers enable algorithms and neural networks to run at wearable power levels

Advanced AI Acceleration


Al inferences at a cost and power point that makes sense for the edge. Computation capability to give vision to the IoT, without the power cables. Coming soon!

## Qeexo AutoML for Embedded AI

Automated Machine Learning Platform that builds tinyML solutions for the Edge using sensor data

## Key Features

- Wide range of ML methods: GBM, XGBoost, Random Forest, Logistic Regression, Decision Tree, SVM, CNN, RNN, CRNN, ANN, Local Outlier Factor, and Isolation Forest
- Easy-to-use interface for labeling, recording, validating, and visualizing time-series sensor data
- On-device inference optimized for low latency, low power consumption, and a small memory footprint

- Automates complex and labor-intensive processes of a typical ML workflow - no coding or ML expertise required!


## Target Markets/Applications

- Industrial Predictive Maintenance
- Smart Home
- Wearables

QEEXO AUTOML: END-TO-END MACHINE LEARNING PLATFORM


For a limited time, sign up to use Qeexo AutoML at automl.qeexo.com for FREE to bring intelligence to your devices!

## Reality Al

Engineering Solutions for the Edge

## Next－Generation AI Tools for Product Development

／x Extensive，highly－optimized feature spaces


Super－compact code for MCUs and Gateways
間热韭 Sensor selection and placement analysis
\＄Al－driven component specs
山lla
Automated data quality checks
5
Data collection，augmentation \＆labeling services
No open source－clean licensing


Get started w／a special tinyML Talks offer for corporate customers：https：／／reality．ai／get－started


## SynSense

SynSense (formerly known as aiCTX) builds ultra-low-power (sub-mW) sensing and inference hardware for embedded, mobile and edge devices. We design systems for real-time always-on smart sensing, for audio, vision, bio-signals and more.


## Next tinyML Talks

| Date | Presenter | Topic / Title |
| :--- | :--- | :--- |
| Tuesday | Mark Stubbs | Practical application of tinyML in battery |
| August 18 | CTO and Co-Founder, <br> Shoreline loT Inc. <br> maintenance of industrial assets |  |
|  | Urmish Thakker <br> Senior Research Engineer, <br> Arm ML Research Group | Pushing the limits of RNN Compression <br> using Kronecker Products |

Webcast start time is 8 am Pacific time Each presentation is approximately 30 minutes in length

Please contact talks@tinyml.org if you are interested in presenting

## Manu Rastogi



Manu Rastogi received his B.Tech from India and his MS and Ph.D. from the University of Florida in 2012. Since graduation, he has worked at Qualcomm Research and HP Labs. As a member of the Qualcomm research team, he worked on the Qualcomm Zeroth processor in various capacities and later on the Qualcomm deep learning engine. His roles at Qualcomm varied from developing signal processing algorithms, model development, and deep learning model optimizations. At HP he led the efforts around machine learning at the edge and selfsupervised learning methods using mutual information for speaker identification.

# Tutorial: Micro-kernels for hardware acceleration 

Manu Rastogi

## Outline

## $\overbrace{}^{11}$ Motivation



CNN on a simple processor


Matrix Multiply on a simple processor


ML based
approaches to
compilers

Loop

transformations


Discussion

## Motivation

## - What is a micro kernel?

- Very simply is the assembly code that runs on the processor.


## - Why should anyone care?

- Micro-kernel or micro-code is responsible for orchestrating computation and data movements.
- Performance critical applications are still tuned, tweaked or written manually in micro-code.
- A good understanding of micro-code basics can help choose the right hardware product and/or create more efficient algorithms.


A high-level view of the compilation process.

## A Simple Processor

- A simple processor:
- Three on-chip memories
- A main memory
- A MAC unit
- Some costs:
- Can be Energy, Power, Delay or EDP etc.
- C_mem : Cost of moving 1 number (16 bits) from main memory to Processor
- C_mac : Cost of multiply and add (or any arithmetic operation).
- C_int: Cost of moving data between ALU and internal memory (or for any data movement in the processor)


Processor

## Matrix Multiply

- Multiplying two matrices:

Matrix A

- A of size [32×32]
- B of size [32x1]
- Total MACs: 32x32

Matrix B


## Matrix Multiply on our Processor

- Internal Memories are of size:
- Mem A : [32x1] Mem B : [32x1] Temp [32x1]
- Steps are:
- Transfer row of MatA and MatB to memA, memB
- Multiply and accumulate: A0 x B0

Matrix A
A0
A1
A2
A3

A31

Matrix B

- Store result in temp memory
- Repeat for A1, ...A31
- Store back to main memory
Matrix A
A0
A1
A3
$\cdots$
A31
$32 \times 32$


## Matrix Multiply on our Processor

- Internal Memories are of size:
- Mem A : [32x1] Mem B : [32x1] Temp [32x1]
- Cost:
- Transfer: Cost of 1 row
- Single row of MatA is $32^{*} \mathrm{Cmem}+$ One time transfer of MatB 32*Cmem


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- Compute cost of a single row:
- 32 * Cmac
- Store in memory 1 result:
- $1^{*} \mathrm{Cmem}$
- Total cost:
- Transfer: 32 rows of $A$ * 32 nums/row + 32 rows of B * 1 num/row



## Matrix Multiply with Reduced Memory : Streaming \# 1

- Internal Memories are of size:
- Mem A: [32x1] [16x1] Mem B : [32x1] [16x1] Temp [32x1] [16x1]

Data In Comp Data Out


- Computation cost
- Matrix B is effectively getting streamed 32 times !!
- What about compute?
- Compute cost remains the same (Why?)
- What about the partial products?
- We can just leave them in the MAC.

Total Cost look like

$$
32 * 32 * \mathrm{Cmem}+32^{*} 32^{*} \mathrm{Cmem}+32 * 32^{*} \mathrm{Cmac}+32 * \mathrm{Cmem}
$$

Comparing to prev:
$32 * 32^{*} \mathrm{Cmem}+32^{*} \mathrm{Cmem}+32^{*} 32^{*} \mathrm{Cmac}+32^{*} \mathrm{Cmem}$

## Matrix Multiply with Reduced Memory : Streaming \# 2

- Internal Memories are of size:
- Mem A : [32x1] [16x1] Mem B : [32x1] [16x1] Temp [32x1] [16x1]

Data In Comp Data Out


This approach of streaming partial data is also known as memory tiling

- Computation cost
- Matrix B is streamed once.
- What about compute?
- Compute cost remains the same. Or does it?
- Instruction Set Architecture (ISA) dependent
- There is a hidden cost of moving partials to main memory and back.
- Another second order effect.
- We save energy from the movement of data.
- However, the processor will be idle waiting for next 'A' tile to come.


## Cost vs. On chip Memory

- Key takeaways:
- Cost when memory sizes are:
- [32×1] : 32*32*Cmem + 32*Cmem
$+32^{*} 32^{*} \mathrm{Cmac}+32^{*} \mathrm{Cmem}$
$-[16 \times 1]: 32 * 32^{*}$ Cmem $+32 * 32 *$ Cmem $+32^{*} 32^{*} \mathrm{Cmac}+32$ *Cmem
$-[16 \times 1]: 32^{*} 32^{*}$ Cmem $+32^{*}$ Cmem
$\qquad$
A transfer
B transfer
$+32 * 32^{*} \mathrm{Cmac}+32^{*} \mathrm{Cmem}+32 * \mathrm{Cmem}+32$ ¿たimized tiling

Compute Result transfer Partial product Overhead

Unoptimized tiling

- If we reduce the memory size further to say [4x1] the partial terms become more dominant and it may be beneficial to mix column wise and row wise tiling.



## Memory Tiling as a loop transformation

```
# Matrix multiply
n = 32;
for row_idx in range(0,n):
    for col_idx in range(0,n):
        c[col_idx] += a[row_idx][col_idx]* b[co1_idx]
- Tiling will result in more complicated control logic.
```

```
# Tiled Matrix Multiply
```


# Tiled Matrix Multiply

n = 32
tiles = 2
col_per_tile = n/tiles
for tile_num in range(0,tiles):
for row_idx in range (0,n):
start_col = cols_per_tile *tile_num
end_col = start_col + cols_per_tile
for col_idx in range(start_col, end_col):
C[col_idx] += A[row_idx][col_idx] * B [col_idx]

- Memory access become tricker
- No longer vanilla row-major or column major
- Dedicated memory controller
- Higher silicon cost (and energy)

```

\section*{A few more transformations}
```


# Simple Multiplication

N = 1000
for i in range(O,N):
C[i] = A[i] * B[i]

# vector Multiplier

# Single Instruction Multiple Data (SIMD)

N = 1000
VEC_Len = 100
for i in range(0,N/100):
C[i:VEC_LEN] = A[i:VEC_LEN] * B[i:VEC_LEN]

# Loop Unroling

N = 1000
for i in range(0,4,500):
C[i] = A[i] * B[i]
C[i+1] = A[i+1] * B[i+1]
C[i+2] = A[i+2] * B[i+2]
C[i+3] = A[i+3] * B[i+3]

```
```

```
# Multi Processor System
```

```
# Multi Processor System
N = 1000
N = 1000
#Data dependencies make it a challenge
#Data dependencies make it a challenge
# Processor 0
# Processor 0
for i in range(0,500):
for i in range(0,500):
    C[i] = A[i] * B[i]
    C[i] = A[i] * B[i]
# Processor 1
# Processor 1
for i in range(500,1000):
for i in range(500,1000):
    C[i] = A[i] * B[i]
```

```
    C[i] = A[i] * B[i]
```

```

\section*{Performance Loop Unroll vs. Tiling}
- Mathematical constructs and heuristics are used for applying these.
- Choosing transformations is not trivial.
- Widely researched, studied and used by the compiler community.
- Optimizations are typically stacked.
- GCC for example can make multiple passes to figure out the sequence.


Knijnenburg, P., Kisuki, T., \& O'Boyle, M. (2002). Iterative Compilation. Embedded Processor Design Challenges, 171187. https://doi.org/10.1007/3-540-45874-3_10

Single Layer CNN

Input [5x5]
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}

Output
\begin{tabular}{|c|c|c|}
\hline 0 & 4 & 1 \\
\hline 2 & 3 & -6 \\
\hline 6 & -4 & -2 \\
\hline
\end{tabular}

Kernel [3x3]
\begin{tabular}{|c|c|c|}
\hline 1 & 2 & -1 \\
\hline 1 & 0 & 0 \\
\hline 0 & 1 & 0 \\
\hline & & \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}

Stride \(=1\)
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}

\section*{Single Layer CNN}
- Assume that our processor has the following memory constraints
- A mem = [3x3]
- \(B\) mem \(=[3 \times 3]\) (The entire kernel fits)
-C mem \(=[1 \times 1]\)

Stride \(=1\)
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|}
\hline 1 & 0 & 2 & -1 & -1 \\
\hline 0 & 1 & -1 & -2 & 0 \\
\hline 1 & 1 & -2 & -1 & 0 \\
\hline 0 & -2 & 1 & 1 & 0 \\
\hline-2 & 1 & 0 & 1 & 0 \\
\hline
\end{tabular}

\section*{Single Layer CNN}
\begin{tabular}{|c|c|c|c|c|}
\hline A0 & A0 & A0 & A0 & A0 \\
0 & 1 & 2 & 3 & 4 \\
\hline A1 & A1 & A1 & A1 & A1 \\
0 & 1 & 2 & 3 & 4 \\
\hline A2 & A2 & A2 & A2 & A2 \\
0 & 1 & 2 & 3 & 4 \\
\hline A3 & A3 & A3 & A3 & A3 \\
0 & 1 & 2 & 3 & 4 \\
\hline A4 & A4 & A4 & A4 & A4 \\
0 & 1 & 2 & 3 & 4 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|}
\hline A0 & A0 & A0 & A0 & A0 \\
0 & 1 & 2 & 3 & 4 \\
\hline A1 & A1 & A1 & A1 & A1 \\
0 & 1 & 2 & 3 & 4 \\
\hline A2 & A2 & A2 & A2 & A2 \\
0 & 1 & 2 & 3 & 4 \\
\hline A3 & A3 & A3 & A3 & A3 \\
0 & 1 & 2 & 3 & 4 \\
\hline A4 & A4 & A4 & A4 & A4 \\
0 & 1 & 2 & 3 & 4 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|}
\hline A 0 & A 0 & A 0 & A 0 & A 0 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 1 & A 1 & A 1 & A 1 & A 1 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 2 & A 2 & A 2 & A 2 & A 2 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 3 & A 3 & A 3 & A 3 & A 3 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 4 & A 4 & A 4 & A 4 & A 4 \\
0 & 1 & 2 & 3 & 4 \\
\hline
\end{tabular}
- Naïve solution is reload the matrix under computation (the red part)
- This would be wasteful since there is an overlap.
- Makes sense to load only the new stuff.

\section*{Single Layer CNN}


Output
\begin{tabular}{|l|l|l|}
\hline 0 & 4 & 1 \\
\hline & & \\
\hline & & \\
\hline
\end{tabular}

\section*{Single Layer CNN}


What output should be calculated next?

Output
\begin{tabular}{|l|l|l|}
\hline 0 & 4 & 1 \\
\hline & & \\
\hline & & \\
\hline
\end{tabular}

\section*{Single Layer CNN}

\begin{tabular}{c|c|c|c|c|}
\hline A 0 & A 0 & A 0 & A 0 & A 0 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 1 & A 1 & A 1 & A 1 & A 1 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 2 & A 2 & A 2 & A 2 & A 2 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 3 & A 3 & A 3 & A 3 & A 3 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 4 & A 4 & A 4 & A 4 & A 4 \\
0 & 1 & 2 & 3 & 4 \\
\hline
\end{tabular}

OR
\begin{tabular}{|c|c|c|c|c|}
\hline A 0 & A 0 & A 0 & A 0 & A 0 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 1 & A 1 & A 1 & A 1 & A 1 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 2 & A 2 & A 2 & A 2 & A 2 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 3 & A 3 & A 3 & A 3 & A 3 \\
0 & 1 & 2 & 3 & 4 \\
\hline A 4 & A 4 & A 4 & A 4 & A 4 \\
0 & 1 & 2 & 3 & 4 \\
\hline
\end{tabular}

Output
\begin{tabular}{|l|l|l|}
\hline 0 & 4 & 1 \\
\hline\(?\) & & \(?\) \\
\hline & & \\
\hline
\end{tabular}

\section*{Single Layer CNN}
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline & \multicolumn{4}{|l|}{New Data} & \multicolumn{10}{|c|}{Existing Data} & \\
\hline \[
\begin{gathered}
\text { A0 } \\
0 \\
\hline
\end{gathered}
\] & A0 & A0 & \[
\begin{gathered}
\text { A0 } \\
3 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
4
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
0
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
1 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
2
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
3 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
4 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
0 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
1
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
2
\end{gathered}
\] & A0
3 & \[
\begin{gathered}
\mathrm{AO} \\
4
\end{gathered}
\] & \\
\hline A1 & A1 & A1 & \[
\begin{gathered}
\text { A1 } \\
3
\end{gathered}
\] & A1 & \[
\overline{\mathrm{A} 1}
\] & A1 & \[
\begin{gathered}
\mathrm{A} 1 \\
?
\end{gathered}
\] & \[
\begin{gathered}
\text { A1 } \\
3
\end{gathered}
\] & A1 & A1 & A1 & A1 & A1 & A1 & \\
\hline \[
\begin{gathered}
A 2 \\
0
\end{gathered}
\] & A2 & \[
\begin{gathered}
A 2 \\
2
\end{gathered}
\] & \[
\begin{gathered}
\text { A2 } \\
3 \\
\hline
\end{gathered}
\] & A2 & \[
\begin{gathered}
\text { A2 } \\
0
\end{gathered}
\] & A2 & \[
\begin{gathered}
\mathrm{A} 2 \\
2
\end{gathered}
\] & \[
\begin{gathered}
\text { A2 } \\
3
\end{gathered}
\] & \[
\begin{aligned}
& \text { A2 } \\
& 4 \\
& \hline
\end{aligned}
\] & A2 & A2 & A2
2 & A2
3 & \[
\begin{gathered}
\text { A2 } \\
4
\end{gathered}
\] & \\
\hline & A3 & A3 & A3
3 & A3 & & A3 & A3 & A3
3 & & A3
0 & A3 & A3
2 & A3
3 & \[
\begin{gathered}
\text { A3 } \\
4 \\
\hline
\end{gathered}
\] & \\
\hline & & & & & & & \[
\begin{gathered}
\text { A4 } \\
2
\end{gathered}
\] & \[
\begin{gathered}
\text { A4 } \\
3
\end{gathered}
\] & \[
\begin{gathered}
\text { A4 } \\
4
\end{gathered}
\] & A4 & A4 & A4 & A4
3 & \[
\begin{gathered}
\text { A4 } \\
4
\end{gathered}
\] & \\
\hline \[
\begin{gathered}
\text { A0 } \\
0
\end{gathered}
\] & A0 & \[
\begin{gathered}
\text { A0 } \\
2
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
3
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
4
\end{gathered}
\] & A0 & A0 & \[
\begin{gathered}
\text { A0 } \\
2
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
3
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 0 \mathrm{l} \\
4
\end{gathered}
\] & A0
0 & A0 & A0 & & \[
\begin{gathered}
\text { A0 } \\
4
\end{gathered}
\] & \\
\hline A1
0 & A1 & & & A1
4 & A1
0 & A1 & A1
2 & A1
3 & A1
4 & A1
0 & A1
1 & A1
2 & A1
3 & \[
\begin{gathered}
\mathrm{A} 1 \\
4
\end{gathered}
\] & Output \\
\hline \[
\begin{gathered}
\text { A2 } \\
0
\end{gathered}
\] & A2 & \[
\begin{gathered}
\text { A2 } \\
2 \\
\hline
\end{gathered}
\] & \[
\begin{aligned}
& \text { A2 } \\
& 3 \\
& \hline
\end{aligned}
\] & A2 & \[
\begin{gathered}
\text { A2 } \\
0 \\
\hline
\end{gathered}
\] & A2 & \[
\begin{gathered}
\text { A2 } \\
2
\end{gathered}
\] & \[
\begin{gathered}
\text { A2 } \\
3
\end{gathered}
\] & & A2
0 & A2
1 & A2 & A2
3 & \[
\begin{gathered}
\mathrm{A} 2 \\
4
\end{gathered}
\] & \\
\hline \[
\begin{gathered}
\text { A3 } \\
0 \\
\hline
\end{gathered}
\] & A3 & \[
\begin{gathered}
\text { A3 } \\
2 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A3 } \\
3 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 3 \\
4 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A3 } \\
0 \\
\hline
\end{gathered}
\] & A3 & \[
\begin{gathered}
\text { A3 } \\
2 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A3 } \\
3 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
+ \\
\text { A3 } \\
4 \\
\hline
\end{gathered}
\] & A3 & A3 & A3 & AB
3 & \[
\begin{aligned}
& \text { A3 } \\
& 4 \\
& \hline
\end{aligned}
\] & \\
\hline \[
\begin{gathered}
\text { A4 } \\
0
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 4 \\
1
\end{gathered}
\] & \[
\begin{gathered}
\text { A4 } \\
2
\end{gathered}
\] & \[
\begin{gathered}
\text { A4 } \\
3
\end{gathered}
\] & A4
4 & \[
\begin{gathered}
\text { A4 } \\
0
\end{gathered}
\] & A4 & \[
\begin{aligned}
& \text { A4 } \\
& 2
\end{aligned}
\] & \[
\begin{gathered}
\text { A4 } \\
3 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A4 } \\
4 \\
\hline
\end{gathered}
\] & A4
0 & A4 & A4 & A4
3 & \[
\begin{gathered}
\mathrm{A} 4 \\
4
\end{gathered}
\] & \(\rightarrow\) \\
\hline
\end{tabular}

\section*{Single Layer CNN}
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline & \multicolumn{4}{|l|}{New Data} & \multicolumn{10}{|c|}{Existing Data} & \multicolumn{5}{|r|}{\multirow[b]{2}{*}{Memory Access Pattern}} \\
\hline \[
\begin{gathered}
\text { A0 } \\
0 \\
\hline
\end{gathered}
\] & A0 & \[
\begin{gathered}
\text { A0 } \\
2 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
3 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 0 \\
4 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 0 \\
0 \\
\hline 1
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 0 \\
1 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
2 \\
\hline 1
\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
3 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 0 \\
4 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 0 \\
0 \\
\hline \mathbf{A 1}
\end{gathered}
\] & \begin{tabular}{c} 
A0 \\
1 \\
\hline A1
\end{tabular} & A0
2
2 & \begin{tabular}{c} 
A0 \\
3 \\
\hline
\end{tabular} & \begin{tabular}{|c} 
A0 \\
4 \\
4 \\
4
\end{tabular} & & & & & \\
\hline \[
\begin{gathered}
\text { A1 } \\
0
\end{gathered}
\] & A1 & A1 & \[
\begin{gathered}
\mathrm{A} 1 \\
3
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 1 \\
4
\end{gathered}
\] & \[
\overline{\mathrm{A} 1}
\] & A1 & A1 & A1
3 & A1
4 & A1
0 & A1 & A1 & A1
3 & A1 & AO & A0 & A0 & AO & \\
\hline \[
\begin{gathered}
A 2 \\
0
\end{gathered}
\] & A2 & \[
\begin{gathered}
\mathrm{A} 2 \\
2 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\text { A2 } \\
3 \\
\hline
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 2 \\
4
\end{gathered}
\] & \[
\begin{gathered}
\text { A2 } \\
0 \\
\hline
\end{gathered}
\] & \[
\begin{aligned}
& 12 \\
& \hline 1 \\
& \hline
\end{aligned}
\] & \[
\begin{gathered}
A 2 \\
2
\end{gathered}
\] & \[
\begin{gathered}
\text { A2 } \\
3
\end{gathered}
\] & \[
\begin{gathered}
A_{2} \\
4
\end{gathered}
\] & \[
\begin{gathered}
\text { A2 } \\
0
\end{gathered}
\] & A2
1
1 & \[
\begin{aligned}
& \mathrm{A} 2 \\
& 2 \\
& \hline
\end{aligned}
\] & \[
\begin{gathered}
\mathrm{A} 2 \\
3
\end{gathered}
\] & A2
4
4 & \({ }^{1}\) & & & \(\frac{B}{A}\) & A \\
\hline \[
\begin{gathered}
\text { A3 } \\
0
\end{gathered}
\] & \[
\begin{gathered}
\text { A3 } \\
1
\end{gathered}
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\begin{gathered}
\text { A3 } \\
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\end{gathered}
\] & \[
\begin{gathered}
\text { A3 } \\
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\end{gathered}
\] & \[
\begin{gathered}
\text { A3 } \\
4
\end{gathered}
\] & \[
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\text { A3 } \\
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\end{gathered}
\] & A3 & \[
\begin{gathered}
\text { A3 } \\
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\end{gathered}
\] & \[
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\text { A3 } \\
3
\end{gathered}
\] & A3 & \[
\begin{gathered}
\text { A3 } \\
0
\end{gathered}
\] & A3 & \[
\frac{\mathrm{A}}{\mathrm{~A}}
\] & \[
\begin{gathered}
\text { A3 } \\
3
\end{gathered}
\] & A3 & A2 & & & & \\
\hline \[
\begin{gathered}
\text { A4 } \\
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\end{gathered}
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\begin{aligned}
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& 2
\end{aligned}
\] & \[
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\mathrm{s} 4 \\
\hline 3
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\begin{gathered}
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3 & A4 & A3 & & & & \\
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\begin{gathered}
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\end{gathered}
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\begin{gathered}
\text { A0 } \\
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\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
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\end{gathered}
\] & \[
\begin{gathered}
\text { A0 } \\
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\end{gathered}
\] & \begin{tabular}{c} 
A0 \\
1 \\
\hline 1
\end{tabular} & \[
\begin{aligned}
& \text { A0 } \\
& 2
\end{aligned}
\] & \begin{tabular}{c} 
A0 \\
3 \\
\hline
\end{tabular} & \begin{tabular}{c} 
A0 \\
4 \\
\hline
\end{tabular} & At & A4 & A4 & & \({ }_{4}\) \\
\hline \[
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\text { A1 } \\
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\hline
\end{gathered}
\] & \[
\begin{gathered}
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\end{gathered}
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\begin{gathered}
\text { A1 } \\
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\begin{gathered}
\text { A1 } \\
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\end{gathered}
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\text { A1 } \\
4 \\
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\] & \[
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\text { A1 } \\
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\end{gathered}
\] & \[
\begin{gathered}
\text { A1 } \\
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\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 1 \\
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\end{gathered}
\] & \[
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\end{gathered}
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\begin{aligned}
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& 2 \\
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\end{aligned}
\] & \[
\begin{gathered}
\hline \text { A1 } \\
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\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 1 \\
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\end{gathered}
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\hline A2 & A2 & \[
\begin{gathered}
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\end{gathered}
\] & \[
\begin{gathered}
\text { A2 } \\
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\end{gathered}
\] & \[
\begin{gathered}
\mathrm{A} 2 \\
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\end{gathered}
\] & \[
\begin{gathered}
\text { A2 } \\
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\end{gathered}
\] & A2 & \[
\begin{gathered}
\text { A2 } \\
2
\end{gathered}
\] & \[
\begin{gathered}
\text { A2 } \\
3
\end{gathered}
\] & A2
4 & A2
0 & A2 & A2
2 & A2
3 & A2
4 & & & & & \\
\hline A3 & A3 & A3 & A3
3 & A3 & A3 & A3 & A3 & \[
\begin{gathered}
\text { AB } \\
3
\end{gathered}
\] & A3 & A3 & A3 & A3 & A3
3 & A3 & & & & & \\
\hline A4 & A4 & A4 & A4 & A4 & A4 & A4 & A4 & A4
3 & A4 & A4 & A4 & A4 & A4 & A4 & & & & & \\
\hline
\end{tabular}

\section*{CNN}

Memory Access Pattern


\section*{Output}


\section*{- Realistic scenario}
- Memory access pattern can be very very complicated.
- Depending on the compute constraints and data bus constraints might be beneficial to repeat data, pad data or other tricks.
- Partial products need to be accounted for and stored correctly.
- Can result in significant cost.
- Fueling research in both compression and quantization
- Non-Trivial to evaluate "effective" cost specially when multiple loop optimizations can be performed.

\section*{Machine Learning and Compilers}
- TVM
- https://tvm.apache.org/docs/tutorials/
- FB Glow
- https://ai.facebook.com/tools/glow/
- Survey of ML techniques
- Ashouri, A. H., Killian, W., Cavazos, J., Palermo, G., \& Silvano, C. (2018). A Survey on Compiler Autotuning using Machine Learning. Retrieved from http://arxiv.org/abs/1801.04405
- Other compiler frameworks with interesting optimizations
- LLVM, Halide, Pencil, Poly, Pluto, JIT, Chill
- GEMM Kernels
- https://www.cs.utexas.edu/~flame/pubs/GotoTOMS revision.pdf


Traditional Auto-tuning


AutoTVM


\section*{Key takeaways}
- Memory affects the cost of data movement more than it affects computation in mid-memory range for very low memory on-chip footprints computation cost can become prohibitive.
- Quantization and compression are essential because more data can be moved in between memory and processor on same the same databus.
- The caveat is that the compute engine should be able to take advantage.
- A CNN accelerator can't take advantage of binary network
- unless data bus can shuttle data in 1-bit quantum
- The processor should support an XOR based multiplier.
- Most compute-in-memory accelerators take advantage of binary networks because they can be stored on-chip.
- Automated solutions like TVM and Glow are essential because the exploration space in non-trivial.
- Creating a tinyML product you should have some understanding of:
- Memory patterns supported
- Compute support and flexibility (16bit, 8bit, 4bit).
- Blackbox toolchain support and flexibility to tune kernels.

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