Ubiquitous Fine-Grained Computer Vision

Shu Kong

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- 1. Problem definition
- 2. Instantiation
- 3. Challenge and philosophy
- 4. Fine-grained classification with holistic representation
- 5. Fine-grained identification by matching local patches
- 6. Future work and conclusion



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Fine-grained

• marginally different or **subtle**



Fine-grained

- marginally different or **subtle**
- involving great attention to detail (Oxford dictionary)



Fine-grained

- marginally different or subtle
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Fine-grained

- marginally different or **subtle**
- involving great attention to **detail** (Oxford dictionary)

- The devil is in the details!
- ...and everywhere!



Fine-grained computer vision

• distinguish subordinate categories within an entrylevel category



Fine-grained computer vision

- distinguish subordinate categories within an entrylevel category
- tasks are like classification, segmentation, specific case studies, etc.



previously, generic classification -- car vs. bird

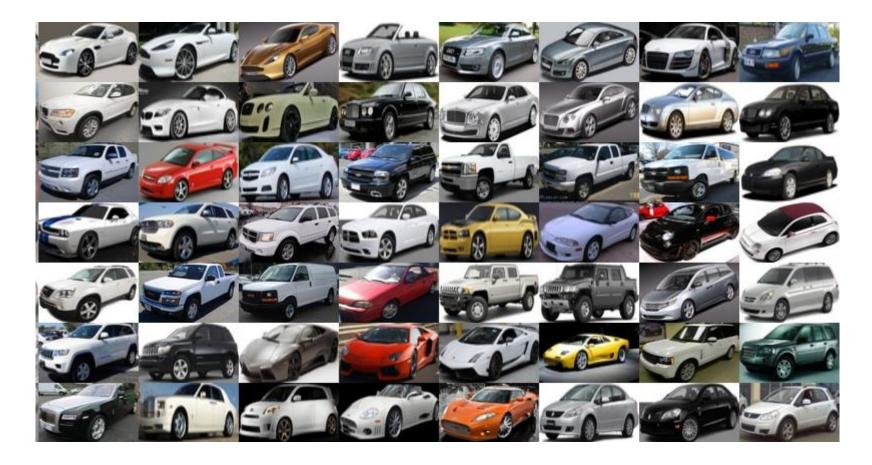






Shu Kong, Charless Fowlkes, "Low-rank Bilinear Pooling for Fine-Grained Classification", arXiv:1611.05109, 2016

now, fine-grained car model classification





Shu Kong, Charless Fowlkes, "Low-rank Bilinear Pooling for Fine-Grained Classification", arXiv:1611.05109, 2016

now, fine-grained bird species classification

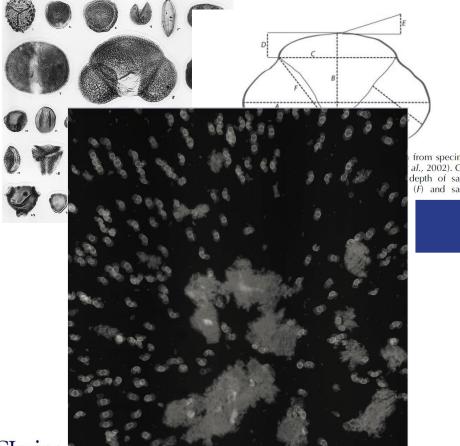




Shu Kong, Charless Fowlkes, "Low-rank Bilinear Pooling for Fine-Grained Classification", arXiv:1611.05109, 2016

Instantiation -- identification

previously, in phytology, identifying by eye



from specimens al., 2002). Grain depth of saccus (F) and saccus



image from Surangi W. Punyasena

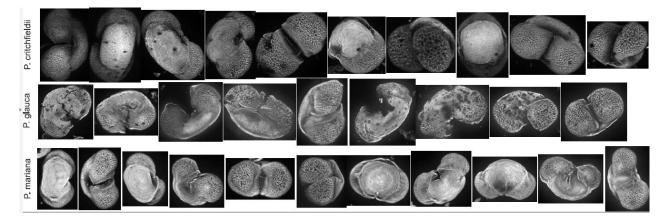
S. Kong, S. Punyasena, C. Fowlkes, "Spatially Aware Dictionary Learning and Coding for Fossil Pollen Identification", CVPR CVMI, 2016

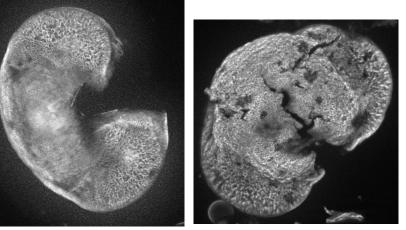
Instantiation -- identification

now, automatically, accurately identifying species-level pollen and matching fossilized pollen grains with modern reference

modern pollen grain from glauca







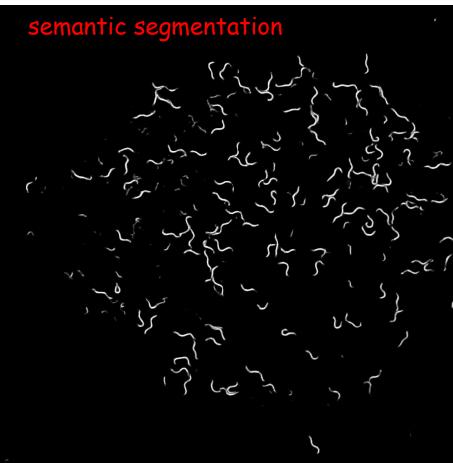
fossil pollen pollen grain from glauca



S. Kong, S. Punyasena, C. Fowlkes, "Spatially Aware Dictionary Learning and Coding for Fossil Pollen Identification", CVPR CVMI, 2016

previously, in biology, semantic segmentation e.g. binary label for biological data of *C. elegans*

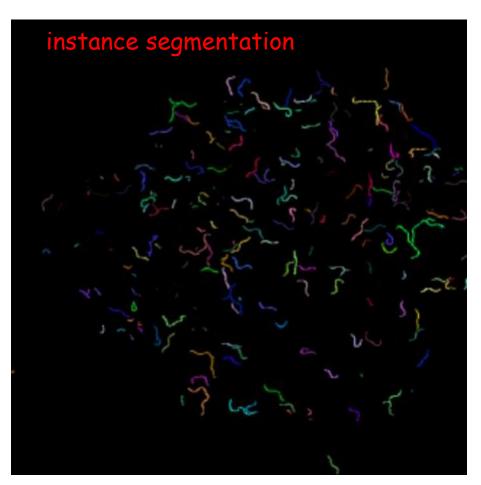






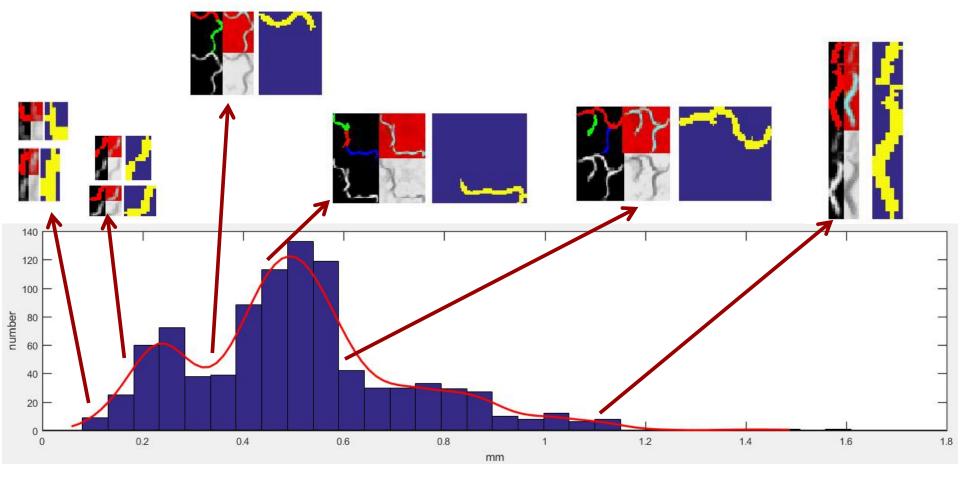
now, instance segmentation enabling study of worm population







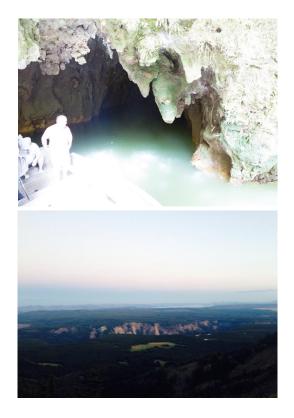
now, instance segmentation enabling study of worm population





S. Kong, "Automated Biological Image Analysis using Computer Vision and Machine Learning", Janelia workshop, 2016

previously, modeling image aesthetics study as binary classification, low- vs. high- aesthetic

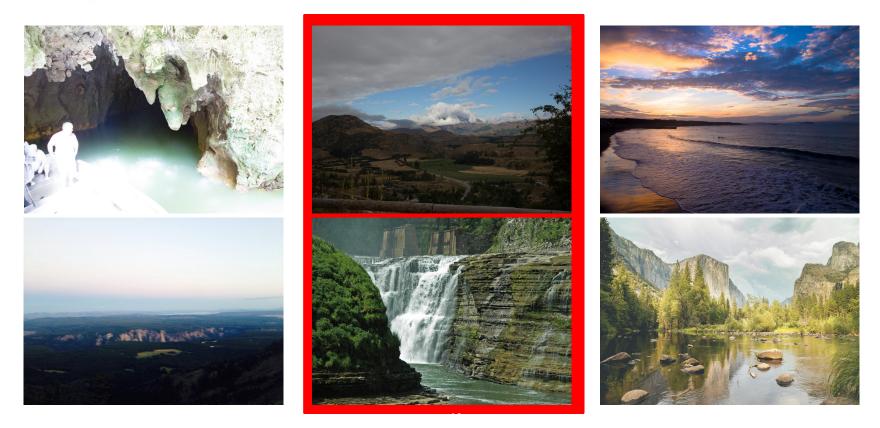






Instantiation -- photo aesthetic ranking

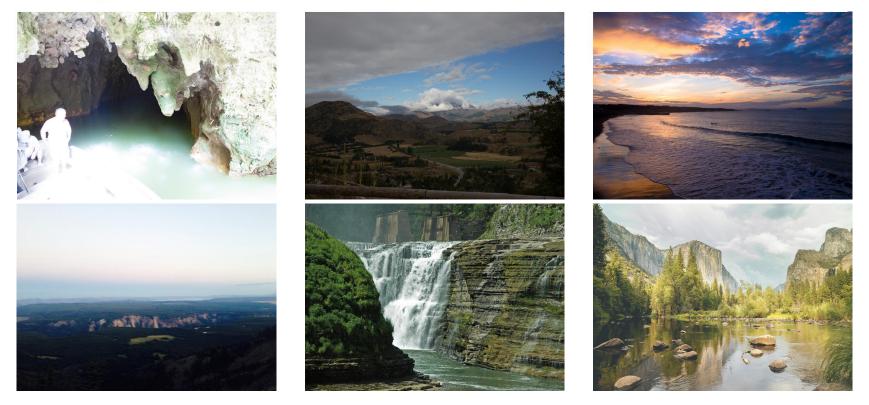
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Instantiation -- photo aesthetic ranking

now, fine-grained ranking for personal photo album management





Instantiation -- photo aesthetic ranking

now, fine-grained ranking for personal photo album management





S. Kong, X. Shen, Z. Lin, R. Mech, C. Fowlkes, "Photo Aesthetics Ranking Network with Attributes and Content Adaptation", ECCV, 2016

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- 5. Fine-grained identification by matching local patches
- 6. Future work and conclusion



- lack of training data
 - costly data collection and annotation



- lack of training data
 - costly data collection and annotation
- large numbers of categories



- lack of training data
 - costly data collection and annotation
- large numbers of categories
 - >14,000 birds
 - >278,000 butterfly&moth
 - >941,000 insects



- lack of training data
 - costly data collection and annotation
- large numbers of categories
- high intra-class vs. low inter-class variance



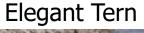
- lack of training data
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Caspian Tern



Caspian Tern









- lack of training data
 - costly data collection and annotation
- large numbers of categories
- high intra-class vs. low inter-class variance
- philosophy
 - finding discriminative parts, and matching them effectively



Holistic representation based method

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- 7. Conclusion



Holistic representation based method

recognizing bird species by seeing the photo

Red_Winged_Blackbird



Yellow_Headed_Blackbird

Brandt_Cormorant



Pelagic_Cormorant



Yellow_Billed_Cuckoo









recognizing bird species by seeing the photo

In literature, detecting keypoint/parts and stacking them as holistic representation

Acadian Flycatcher



Brandt_Cormorant

Pelagic_Cormorant

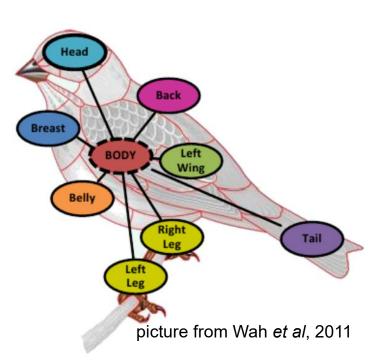


Yellow_Billed_Cuckoo





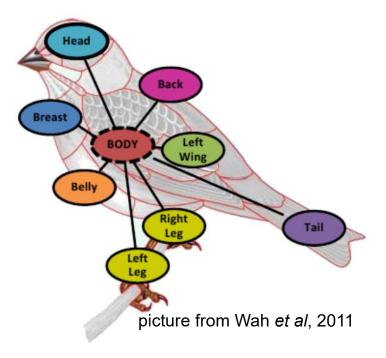






Holistic representation based method

But, this requires strong-supervised annotation, which is expensive to obtain.

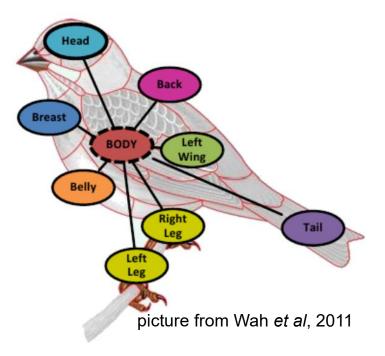




But, this requires strong-supervised annotation, which is expensive to obtain.

Preferably in weakly supervised manner --

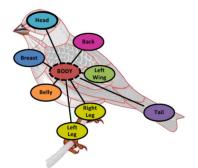
- solely based on category labels
- without any part annotation/masks.





Holistic representation based method

One method for this is called bilinear pooling

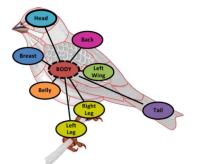




Lin et al., Bilinear CNN models for fine-grained visual recognition, ICCV, 2015

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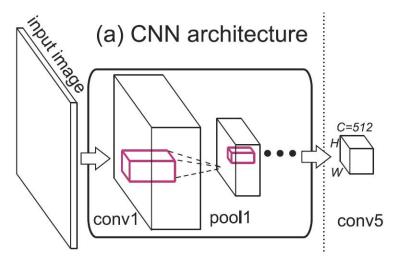
compute second-order statistics of local features, and average them as a single holistic representation

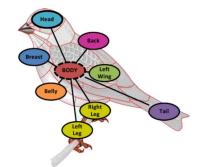




Lin et al., Bilinear CNN models for fine-grained visual recognition, ICCV, 2015

- One method for this is called bilinear pooling
- compute second-order statistics of local features, and average them as a single holistic representation
- The local features can be activations at hidden layers of a convolutional neural network (CNN)

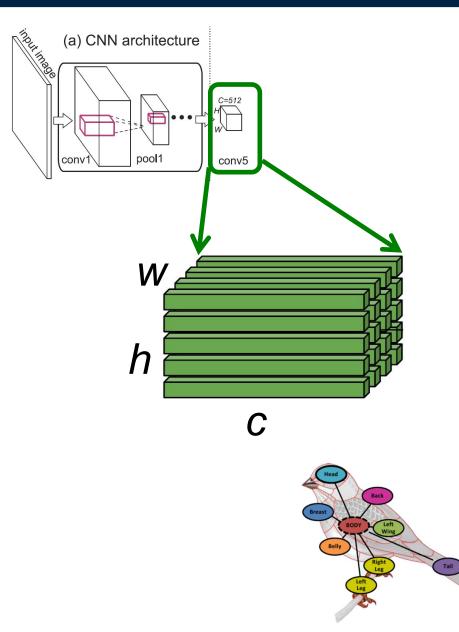






Bilinear Pooling

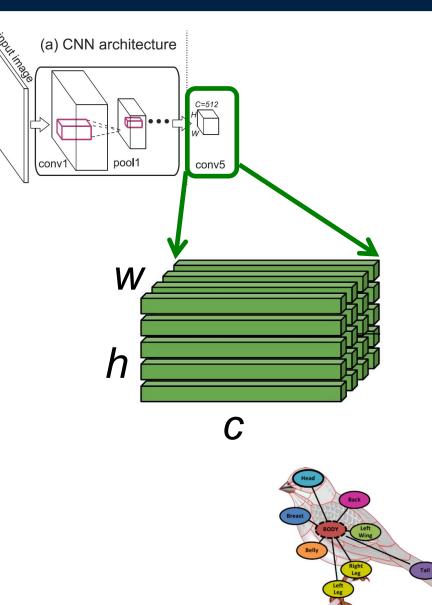
$\mathcal{X} \in \mathbb{R}^{h \times w \times c}$





Bilinear Pooling

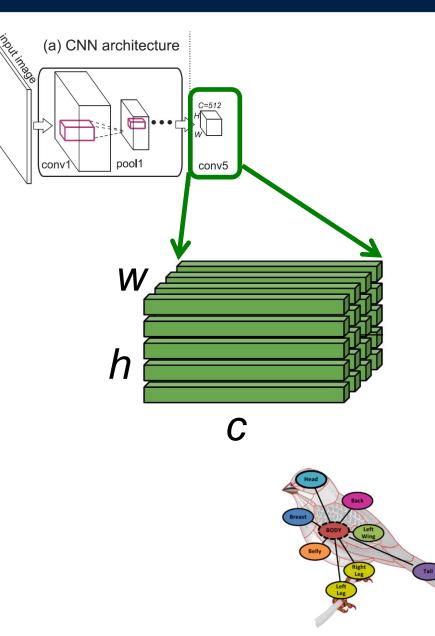
- $\mathcal{X} \in \mathbb{R}^{h imes w imes c}$
- $\mathbf{x}_i \in \mathbb{R}^c \quad i \in [1, hw]$





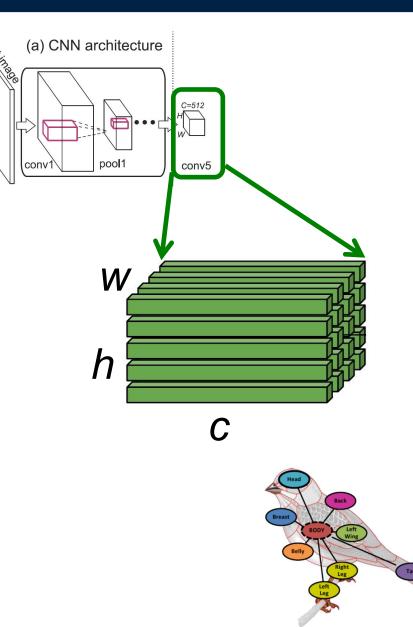
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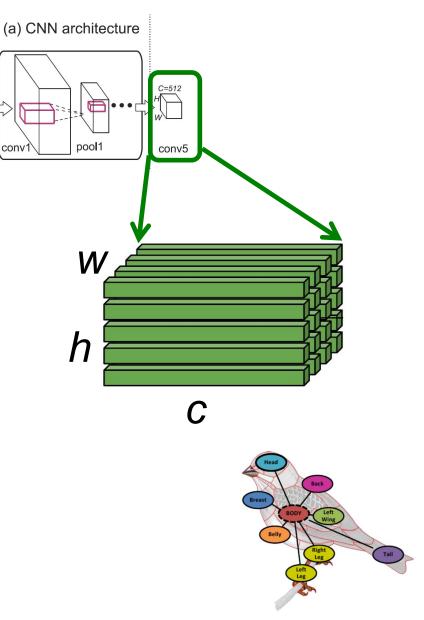


Bilinear Pooling $\mathcal{X} \in \mathbb{R}^{h \times w \times c}$ $\mathbf{x}_i \in \mathbb{R}^c \quad i \in [1, hw]$ $\mathbf{X} \in \mathbb{R}^{c imes hw}$ $\mathbf{X}\mathbf{X}^T = \sum_{i=1}^{hw} \mathbf{x}_i \mathbf{x}_i^T$



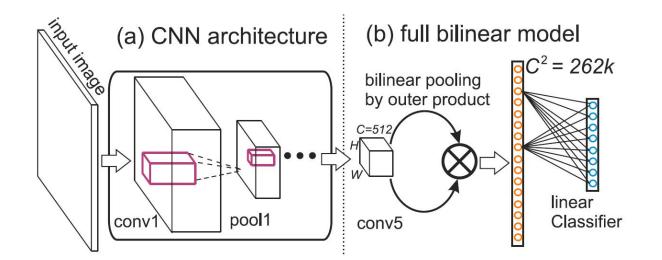


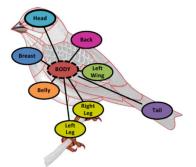
Bilinear Pooling $\mathcal{X} \in \mathbb{R}^{h \times w \times c}$ $\mathbf{x}_i \in \mathbb{R}^c \quad i \in [1, hw]$ $\mathbf{X} \in \mathbb{R}^{c imes hw}$ $\mathbf{X}\mathbf{X}^T = \sum_{i=1}^{hw} \mathbf{x}_i \mathbf{x}_i^T$ $\mathbf{z} = vec(\mathbf{X}\mathbf{X}^T) \in \mathbb{R}^{c^2}$





Bilinear Pooling CNN -- training in an end-to-end manner







Low-rank Bilinear Pooling

$$\mathbf{z} = vec(\mathbf{X}\mathbf{X}^T) \in \mathbb{R}^{c^2}$$



Low-rank Bilinear Pooling $\mathbf{z} = vec(\mathbf{X}\mathbf{X}^T) \in \mathbb{R}^{c^2}$ linear SVM $\max(0, 1 - y_i \mathbf{w}^T \mathbf{z}_i + b)$



Low-rank Bilinear Pooling
$$\mathbf{z} = vec(\mathbf{X}\mathbf{X}^T) \in \mathbb{R}^{c^2}$$

linear SVM $\max(0, 1 - y_i \mathbf{w}^T \mathbf{z}_i + b)$

$$\mathbf{w}^T vec(\mathbf{X}\mathbf{X}^T) \Longleftrightarrow tr(\mathbf{W}^T\mathbf{X}\mathbf{X}^T)$$



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linear SVM in matrix

$$\max(0, 1 - y_i \operatorname{tr}(\mathbf{W}^T \mathbf{X} \ \mathbf{X}^T) + b)$$



Low-rank Bilinear Pooling
$$\mathbf{z} = vec(\mathbf{X}\mathbf{X}^T) \in \mathbb{R}^{c^2}$$
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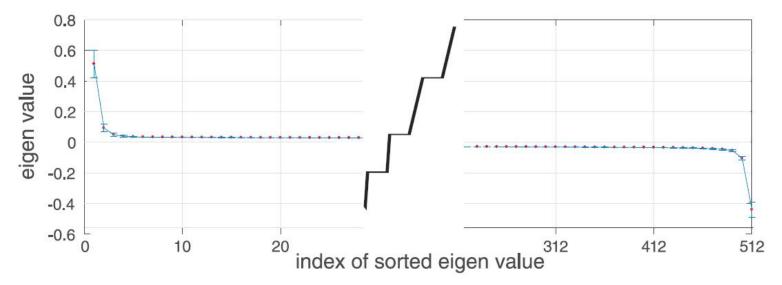
linear SVM in matrix $\max(0, 1 - y_i \operatorname{tr}(\mathbf{W}^T \mathbf{X} \ \mathbf{X}^T) + b)$

rank-*r* SVM

$$\max(0, 1 - y_i \operatorname{tr}(\mathbf{W}_r^T \mathbf{X} \ \mathbf{X}^T) + b)$$



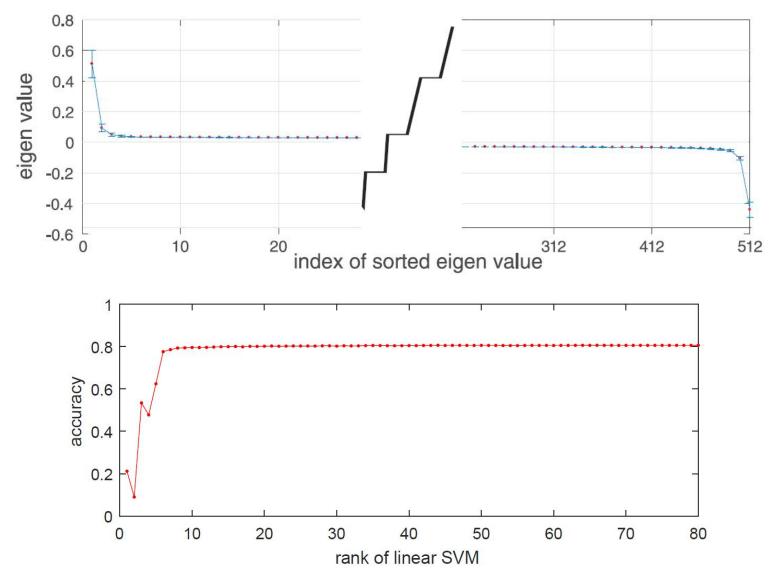
Low-rank SVM





Low-rank SVM

UNIVERSITY OF CALIFORNIA, IRVIN



- **1.** linear SVM $\max(0, 1 y_i \mathbf{w}^T \mathbf{z}_i + b)$
- **2.** linear SVM in matrix $\max(0, 1 y_i \operatorname{tr}(\mathbf{W}^T \mathbf{X}_i \mathbf{X}_i^T) + b)$



- **1.** linear SVM $\max(0, 1 y_i \mathbf{w}^T \mathbf{z}_i + b)$
- 2. linear SVM in matrix $\max(0, 1 y_i \operatorname{tr}(\mathbf{W}^T \mathbf{X}_i \mathbf{X}_i^T) + b)$

Theorem 1 Let $\mathbf{w}^* \in \mathbb{R}^{c^2}$ be the optimal solution of the linear SVM in Equation 1 over bilinear features, then $\mathbf{W}^* = mat(\mathbf{w}^*) \in \mathbb{R}^{c \times c}$ is the optimal solution in Equation 2. Moreover, $\mathbf{W}^* = \mathbf{W}^{*T}$.



- **1.** linear SVM $\max(0, 1 y_i \mathbf{w}^T \mathbf{z}_i + b)$
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$$\mathbf{w}^* = \sum_{y_i=1} \alpha_i \mathbf{z}_i - \sum_{y_i=-1} \alpha_i \mathbf{z}_i$$
$$\mathbf{W}^* = \sum_{y_i=1} \alpha_i \mathbf{X}_i \mathbf{X}_i^T - \sum_{y_i=-1} \alpha_i \mathbf{X}_i \mathbf{X}_i^T$$
where $\alpha_i \ge 0, \forall i = 1, \dots, N$



- **1. linear SVM** $\max(0, 1 y_i \mathbf{w}^T \mathbf{z}_i + b)$
- 2. linear SVM in matrix $\max(0, 1 y_i \operatorname{tr}(\mathbf{W}^T \mathbf{X}_i \mathbf{X}_i^T) + b)$

$$\mathbf{W}^* = \mathbf{\Psi} \mathbf{\Sigma} \mathbf{\Psi}^T = \mathbf{\Psi}_+ \mathbf{\Sigma}_+ \mathbf{\Psi}_+^T + \mathbf{\Psi}_- \mathbf{\Sigma}_- \mathbf{\Psi}_-^T$$
$$= \mathbf{\Psi}_+ \mathbf{\Sigma}_+ \mathbf{\Psi}_+^T - \mathbf{\Psi}_- |\mathbf{\Sigma}_-|\mathbf{\Psi}_-^T$$
$$= \mathbf{U}_+ \mathbf{U}_+^T - \mathbf{U}_- \mathbf{U}_-^T$$

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$$\mathbf{W}^* = \sum_{y_i=1} \alpha_i \mathbf{X}_i \mathbf{X}_i^T - \sum_{y_i=-1} \alpha_i \mathbf{X}_i \mathbf{X}_i^T$$
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- **1.** linear SVM $\max(0, 1 y_i \mathbf{w}^T \mathbf{z}_i + b)$
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$$\mathbf{w}^{T} vec(\mathbf{X}\mathbf{X}^{T}) \Longleftrightarrow tr(\mathbf{W}^{T}\mathbf{X}\mathbf{X}^{T}) \Longleftrightarrow tr(\mathbf{U}\mathbf{U}^{T}\mathbf{X} \mathbf{X}^{T})$$
$$\|\mathbf{U}^{T}\mathbf{X}\|_{F}^{2} \longleftrightarrow tr(\mathbf{U}^{T}\mathbf{X}\mathbf{X}^{T}\mathbf{U})$$

$$\mathbf{w}^* = \sum_{y_i=1} \alpha_i \mathbf{z}_i - \sum_{y_i=-1} \alpha_i \mathbf{z}_i$$
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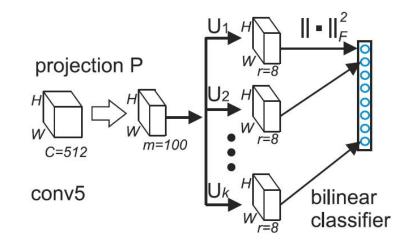
$$\mathbf{w}^{T} vec(\mathbf{X}\mathbf{X}^{T}) \longleftrightarrow tr(\mathbf{W}^{T}\mathbf{X}\mathbf{X}^{T}) \longleftrightarrow tr(\mathbf{U}\mathbf{U}^{T}\mathbf{X} \mathbf{X}^{T})$$
$$\|\mathbf{U}^{T}\mathbf{X}\|_{F}^{2} \longleftrightarrow tr(\mathbf{U}^{T}\mathbf{X}\mathbf{X}^{T}\mathbf{U})$$

$$\max(0, 1 - y_i \{ \|\mathbf{U}_+^T \mathbf{X}_i\|_F^2 - \|\mathbf{U}_-^T \mathbf{X}_i\|_F^2 \} + b) \\\max(0, 1 - y_i \{ \mathsf{tr}(\mathbf{U}_+ \mathbf{U}_+^T \mathbf{X}_i \mathbf{X}_i^T) - \mathsf{tr}(\mathbf{U}_- \mathbf{U}_-^T \mathbf{X}_i \mathbf{X}_i^T) \} + b)$$



maximum Frobenius norm

(d) our model (LRBP-I)



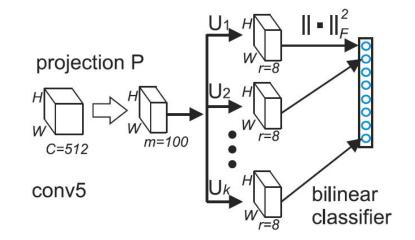
$$\max(0, 1 - y_i \{ \|\mathbf{U}_+^T \mathbf{X}_i\|_F^2 - \|\mathbf{U}_-^T \mathbf{X}_i\|_F^2 \} + b) \max(0, 1 - y_i \{ \mathsf{tr}(\mathbf{U}_+ \mathbf{U}_+^T \mathbf{X}_i \mathbf{X}_i^T) - \mathsf{tr}(\mathbf{U}_- \mathbf{U}_-^T \mathbf{X}_i \mathbf{X}_i^T) \} + b)$$



When bilinear SVM meets bilinear feature

maximum Frobenius norm

no need to compute bilinear features when testing

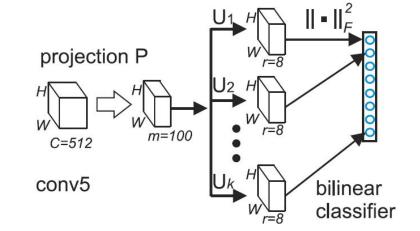


(d) our model (LRBP-I)

$$\max(0, 1 - y_i \{ \|\mathbf{U}_+^T \mathbf{X}_i\|_F^2 - \|\mathbf{U}_-^T \mathbf{X}_i\|_F^2 \} + b) \\ \max(0, 1 - y_i \{ \mathsf{tr}(\mathbf{U}_+ \mathbf{U}_+^T \mathbf{X}_i \mathbf{X}_i^T) - \mathsf{tr}(\mathbf{U}_- \mathbf{U}_-^T \mathbf{X}_i \mathbf{X}_i^T) \} + b)$$



- maximum Frobenius norm
- no need to compute bilinear features when testing
- 200 classes, then param



(d) our model (LRBP-I)

size is reduced from **200*512*512** to **200*512*8**

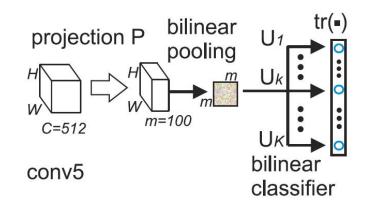
$$\max(0, 1 - y_i \{ \|\mathbf{U}_+^T \mathbf{X}_i\|_F^2 - \|\mathbf{U}_-^T \mathbf{X}_i\|_F^2 \} + b) \max(0, 1 - y_i \{ \operatorname{tr}(\mathbf{U}_+ \mathbf{U}_+^T \mathbf{X}_i \mathbf{X}_i^T) - \operatorname{tr}(\mathbf{U}_- \mathbf{U}_-^T \mathbf{X}_i \mathbf{X}_i^T) \} + b)$$



explicitly computing bilinear features

more efficient useful when hw>m

our model (LRBP-II)





classifier co-decomposition -- learning a common factor and class-specific parameters of smaller size

$$\min_{\mathbf{V}_k, \mathbf{P}} \sum_{k=1}^K \|\mathbf{U}_k - \mathbf{P}\mathbf{V}_k\|_F^2$$

$$\mathbf{U}_k = [\mathbf{U}_{+k}, \mathbf{U}_{-k}] \in \mathbb{R}^{c \times r}$$

$$\mathbf{P} \in \mathbb{R}^{c \times m}$$

$$\mathbf{V}_k \in \mathbb{R}^{m imes r}$$

m < c



classifier co-decomposition -- learning a common factor and class-specific parameters of smaller size

$$\min_{\mathbf{V}_{k},\mathbf{P}} \sum_{k=1}^{K} \|\mathbf{U}_{k} - \mathbf{P}\mathbf{V}_{k}\|_{F}^{2} \qquad \mathbf{U}_{k} = [\mathbf{U}_{+k}, \mathbf{U}_{-k}] \in \mathbb{R}^{c \times r}$$
$$\mathbf{P} \in \mathbb{R}^{c \times m}$$
$$\mathbf{V}_{k} \in \mathbb{R}^{m \times r}$$
$$m < c$$

Theorem 2 The optimal solution of \mathbf{P} to Equation [11] spans the subspace of the singular vectors corresponding of the largest m singular values of $[\mathbf{U}_1, \ldots, \mathbf{U}_K]$.



classifier co-decomposition -- learning a common factor and class-specific parameters of smaller size

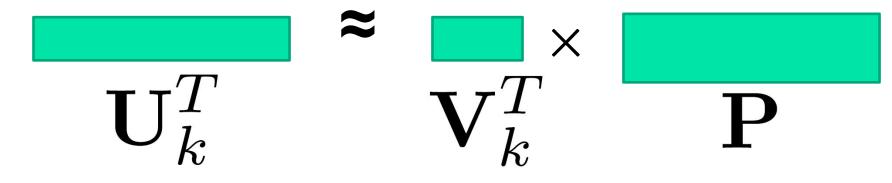
$$\min_{\mathbf{V}_k, \mathbf{P}} \sum_{k=1}^K \|\mathbf{U}_k - \mathbf{P}\mathbf{V}_k\|_F^2$$

$$\mathbf{U}_k = [\mathbf{U}_{+k}, \mathbf{U}_{-k}] \in \mathbb{R}^{c \times r}$$

$$\mathbf{P} \in \mathbb{R}^{c imes m}$$

$$\mathbf{V}_k \in \mathbb{R}^{m imes r}$$

m < c



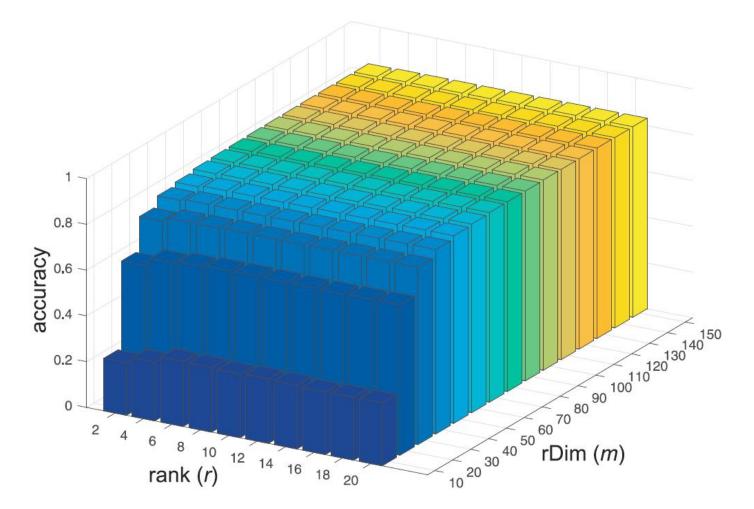


Studying the two hyperparameters

- low dimension m
- low rank r

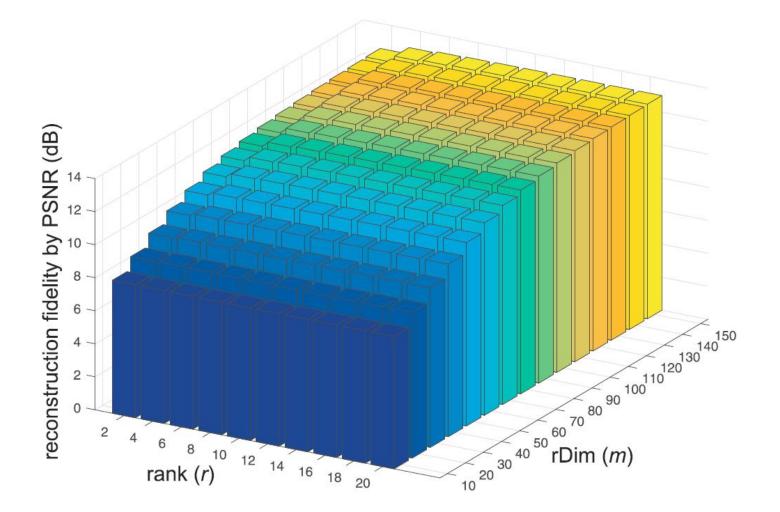


Studying the two hyperparameters -- *m* and *r*



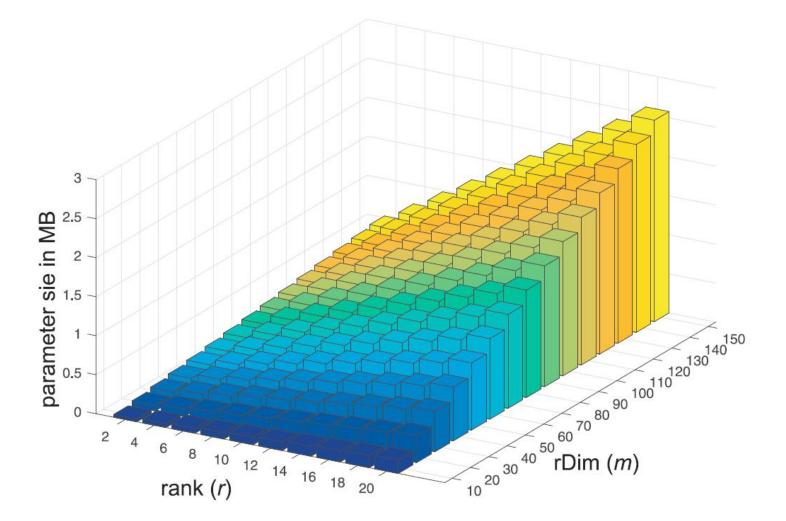


Studying the two hyperparameters -- *m* and *r*





Studying the two hyperparameters -- *m* and *r*





Studying the two hyperparameters -- *m* and *r*

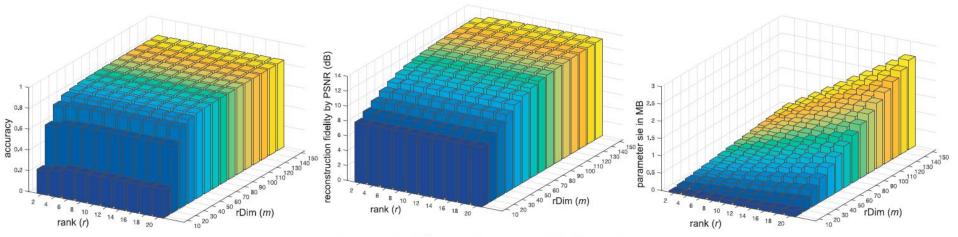


Figure 5: Classification accuracy on CUB-200 dataset [31] vs. reduced dimension (m) and rank (r).

Figure 6: Reconstruction fidelity of classifier parameters measured by peak signal-to-noise ratio versus reduced dimension (m) and rank (r).

Figure 7: The learned parameter size versus reduced dimension (m) and rank (r).



Studying the two hyperparameters -- *m* and *r*

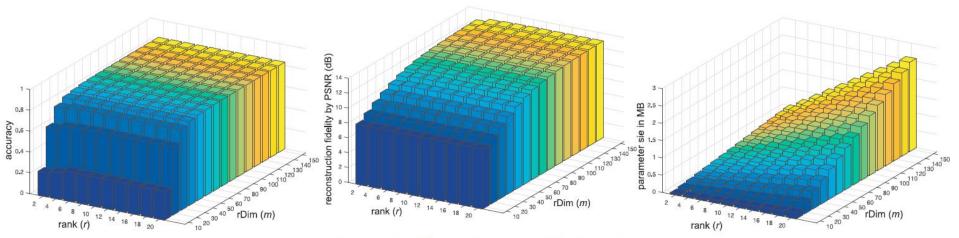


Figure 5: Classification accuracy on CUB-200 dataset [31] vs. reduced dimension (m) and rank (r).

Figure 6: Reconstruction fidelity of classifier parameters measured by peak signal-to-noise ratio versus reduced dimension (m) and rank (r).

Figure 7: The learned parameter size versus reduced dimension (m) and rank (r).

if 200 classes, then param size is reduced from 200*512*512 (~5.2 x 10e7 single precision) to (200*8*100+100*512) (~2.1 x 10e5 single precision)



Details on the complexity

20 20	Full Bilinear	Random Maclaurin	Tensor Sketch	LRBP-I	LRBP-II
Feature Dim	c^2 [262K]	d [10K]	<i>d</i> [10K]	mhw [78K]	m^2 [10K]
Feature computation	$O(hwc^2)$	O(hwcd)	$O(hw(c + d\log d))$	O(hwmc)	$O(hwmc + hwm^2)$
Classification comp.	$O(Kc^2)$	O(Kd)	O(Kd)	O(Krmhw)	$O(Krm^2)$
Feature Param	0	2cd [40MB]	2c [4KB]	<i>cm</i> [200KB]	cm [200KB]
Classifier Param	Kc^2 [KMB]	Kd [$K.32KB$]	Kd [$K \cdot 32KB$]	Krm [K.3KB]	$Krm [K \cdot 3 KB]$
Total ($K = 200$)	Kc^2 [200MB]	2cd + Kd [48MB]	2c + Kd [8MB]	cm + Krm [0.8MB]	cm + Krm [0.8MB]



Quantitative evaluation on benchmark datasets

	# train img.	# test img.	# class
CUB [31]	5994	5794	200
DTD [4]	1880	3760	47
Car [17]	8144	8041	196
Airplane [21]	6667	3333	100

Table 3: Summary statistics of datasets.



Quantitative evaluation on benchmark datasets

	# train img.	# test img.	# class
CUB [31]	5994	5794	200
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Table 3: Summary statistics of datasets.

	FC-VGG16	Fisher	Full Bilinear	Random Maclaurin	Tensor Sketch	LRBP (Ours)
CUB [31]	70.40	74.7	84.01	83.86	84.00	84.21
DTD [4]	59.89	65.53	64.96	65.57	64.51	65.80
Car [17]	76.80	85.70	91.18	89.54	90.19	90.92
Airplane [21]	<mark>74.1</mark> 0	77.60	87.09	87.10	87.18	87.31
param. size (CUB)	67MB	50MB	200MB	48MB	8MB	0.8MB







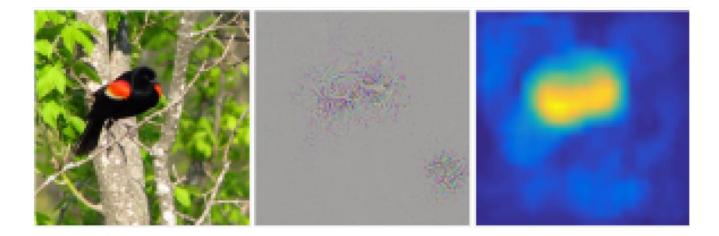
Qualitative evaluation for understanding the model

gradient map --- backpropogating error to input image



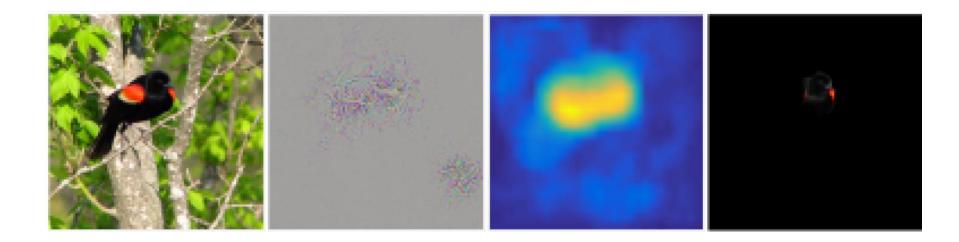


- gradient map ---- backpropogating error to input image
- average activation map

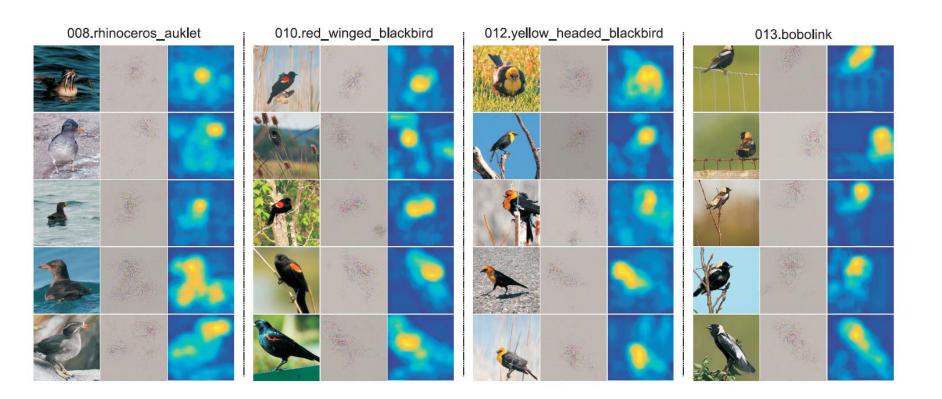




- gradient map --- backpropogating error to input image
- average activation map
- simplying input image by removing superpixels









Conclusion



Conclusion

1. a more compact and powerful model by coupling bilinear classifier and bilinear feature for fine-grained classification



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- 2. a new direction for a weakly supervised visual learning



Conclusion

- 1. a more compact and powerful model by coupling bilinear classifier and bilinear feature for fine-grained classification
- 2. a new direction for a weakly supervised visual learning
- 3. useful for learning interpretable attentions



- 1. Problem definition
- 2. Instantiation
- 3. Challenge and philosophy
- 4. Fine-grained classification with holistic representation
- 5. Fine-grained identification by matching local patches
- 6. Future work and conclusion



patch-match based approach for pollen grain identification



patch-match based approach for pollen grain identification

problem

Skilled experts trained for years have to identify by eye

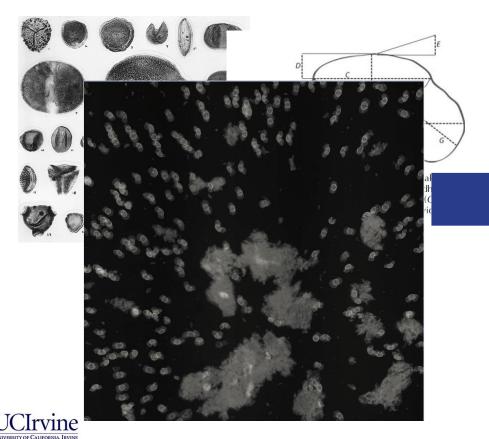
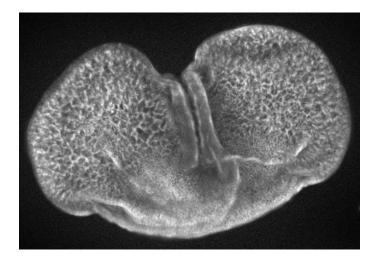




image from Surangi W. Punyasena

Why do we care about identifying pollen?

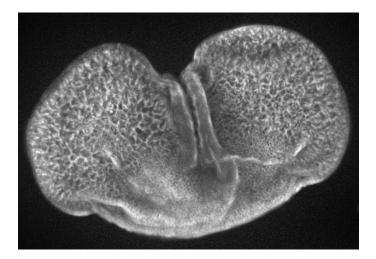
Pollen grains are ubiquitous and well preserved in the fossil record





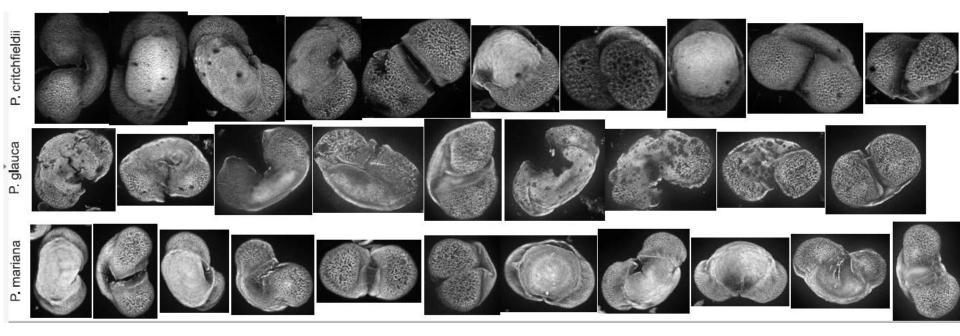
Why do we care about identifying pollen?

- Pollen grains are ubiquitous and well preserved in the fossil record
- Identification of pollen samples allows for analysis of plant biodiversity and evolution, understanding history of long-term climate change, etc...





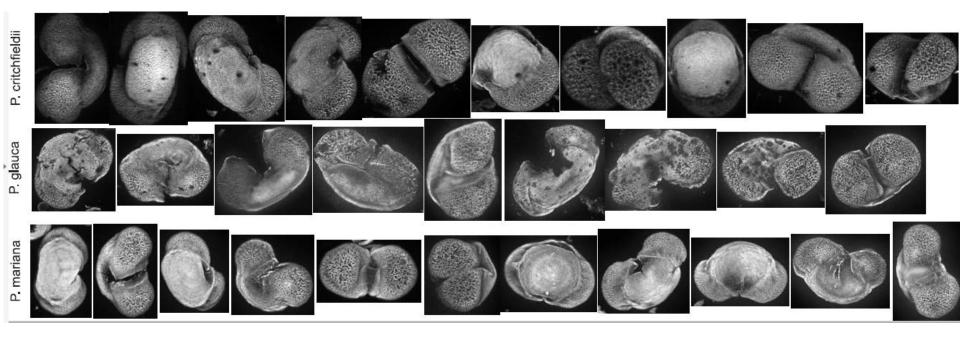
A specific dataset for this exploration



1. arbitrary viewpoint of the pollen grains



A specific dataset for this exploration



1. arbitrary viewpoint of the pollen grains

2. Large intra-class and small inter-class variation



Quantitative Result on Fossil Pollen

Why not holistic representation?



Quantitative Result on Fossil Pollen

Why not holistic representation?

1. It is expensive to collect and annotate data.



S. Kong, S. Punyasena, C. Fowlkes, "Spatially Aware Dictionary Learning and Coding for Fossil Pollen Identification", CVPR CVMI, 2016

Quantitative Result on Fossil Pollen

Why not holistic representation?

1. It is expensive to collect and annotate data.

2. There are not enough training data using holistic representation.



Why not holistic representation?

	#train	#test	#total
P. critchfieldii	65	43	108
P. glauca	65	355	420
P. mariana	65	287	352
Summary	195	685	880

Table 1. Statistics of our fossil pollen grain dataset.

- 1. It is expensive to collect and annotate data.
- 2. There are not enough training data using holistic representation.



Why not holistic representation?

	#train	#test	#total
P. critchfieldii	65	43	108
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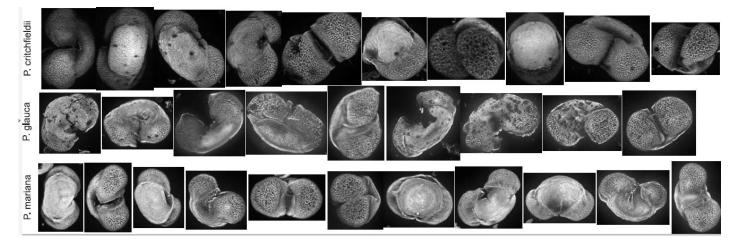
Table 1. Statistics of our fossil pollen grain dataset.

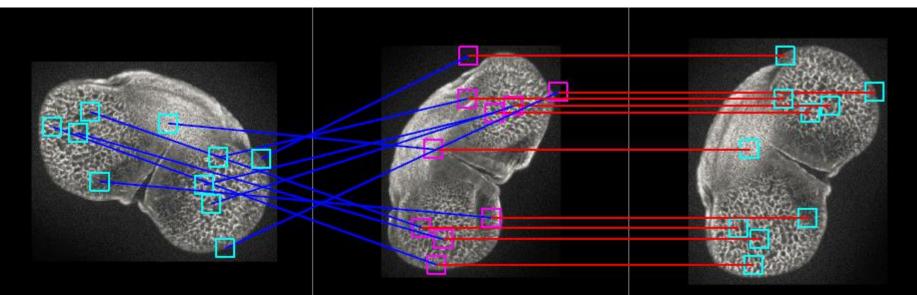
- 1. It is expensive to collect and annotate data.
- 2. There are not enough training data using holistic representation.
- Therefore, it's better to match local patches with geometric constraints.



our patch-match based method

The patch-match method needs images to be alligned





in-plate rotation viewpoint calibration

perform *k*-medoids clustering on an affinity graph of training set,



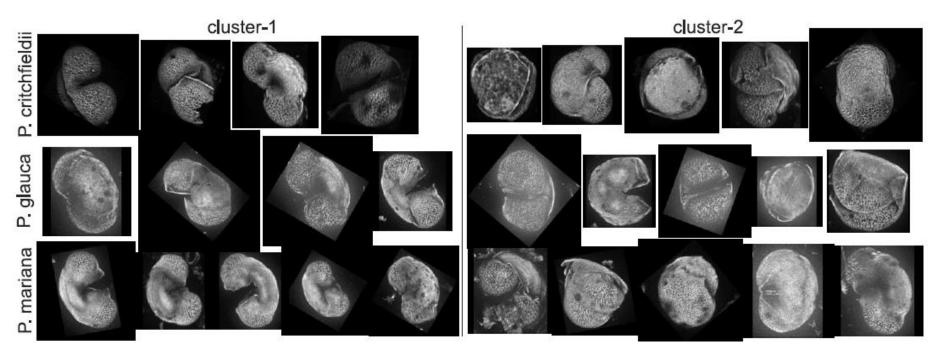
perform *k*-medoids clustering on an affinity graph of training set,

where pairwise similarity is based on Euclidean distance of pollen grain silhouette



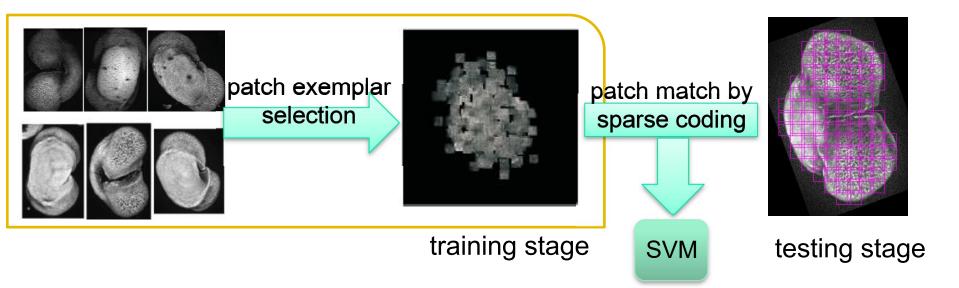
perform *k*-medoids clustering on an affinity graph of training set,

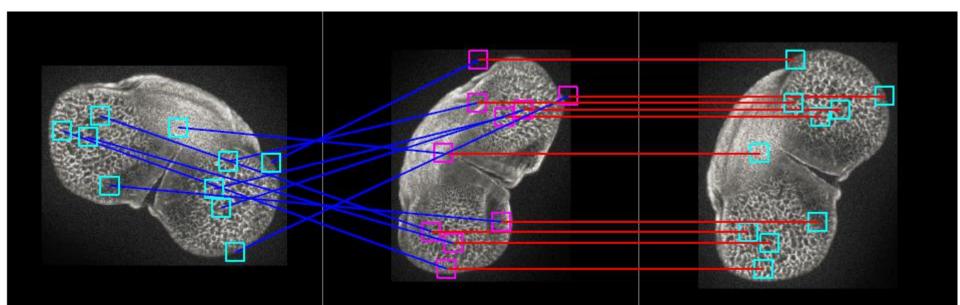
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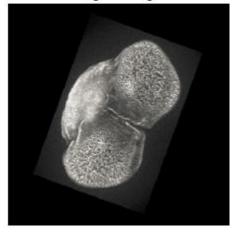
our patch-match based method





discriminative patch selection

original image

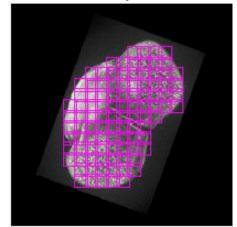


dense patches

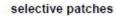
shape mask

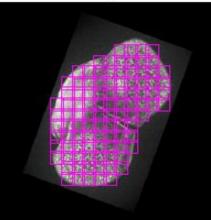


selective patches



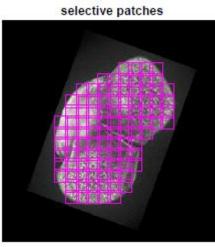






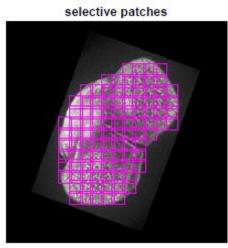


1. representative in feature space



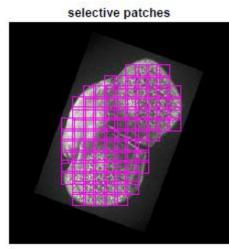


- 1. representative in feature space
- 2. spatially distributed in input space



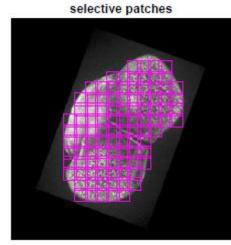


- 1. representative in feature space
- 2. spatially distributed in input space
- 3. discriminative



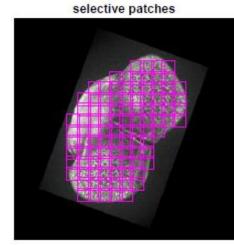


- 1. representative in feature space
- 2. spatially distributed in input space
- 3. discriminative
- 4. class balance





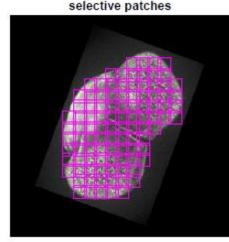
- 1. representative in feature space
- 2. spatially distributed in input space
- 3. discriminative
- 4. class balance
- 5. cluster compactness





- 1. representative in feature space
- 2. spatially distributed in input space
- 3. discriminative
- 4. class balance
- 5. cluster compactness

We index the selected patches by A





example: representational power

Maximizing the following set function is NP-hard.

$$\mathcal{F}_R(A) = \sum_{j \in \mathcal{V}} \max_{i \in A} \mathbf{S}_{ij}$$

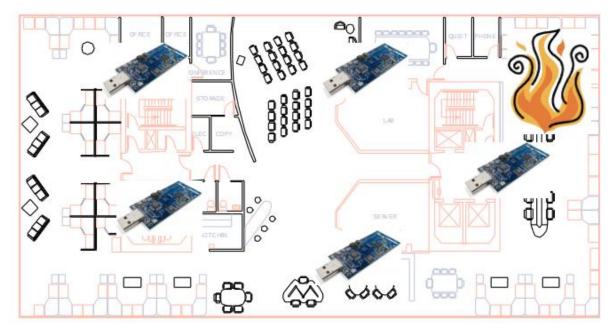


example: representational power

Maximizing the following set function is NP-hard.

$$\mathcal{F}_R(A) = \sum_{j \in \mathcal{V}} \max_{i \in A} \mathbf{S}_{ij}$$

A more general, well-known problem is the facility location problem, for example optimally placing sensors to monitor temperature.





selected discrminative patches

Identification by patch-match sparse coding

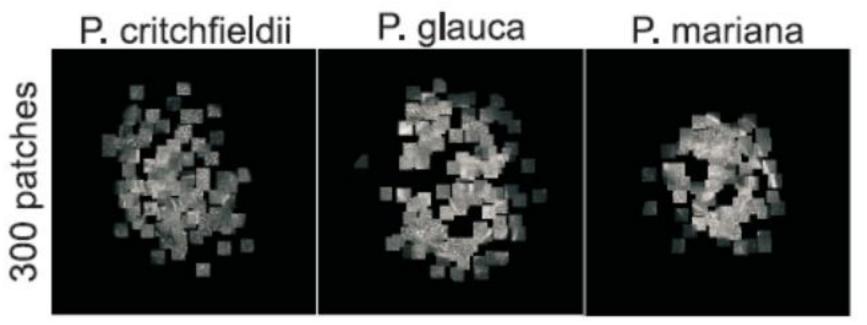
1. Automatic patch exemplar selection (dictionary learning) based on discriminative and generative criteria



selected discrminative patches

Identification by patch-match sparse coding

1. Automatic patch exemplar selection (dictionary learning) based on discriminative and generative criteria



Automatically selected patches



selected discrminative patches

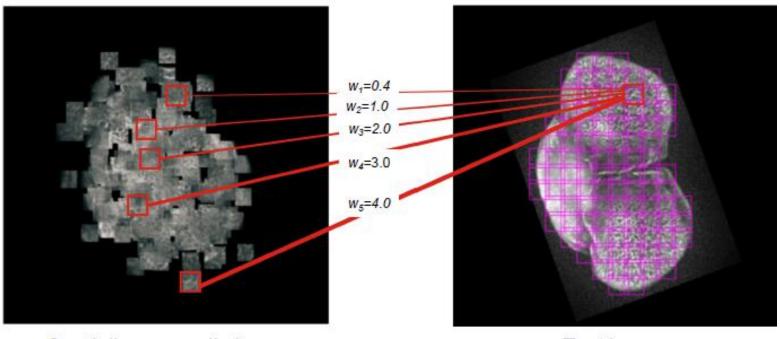
Identification by patch-match sparse coding

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Identification by patch-match sparse coding

- 1. Automatic patch exemplar selection (dictionary learning)
- 2. Spatially-aware sparse coding (SACO)
 - penalize dictionary elements from distant spatial locations

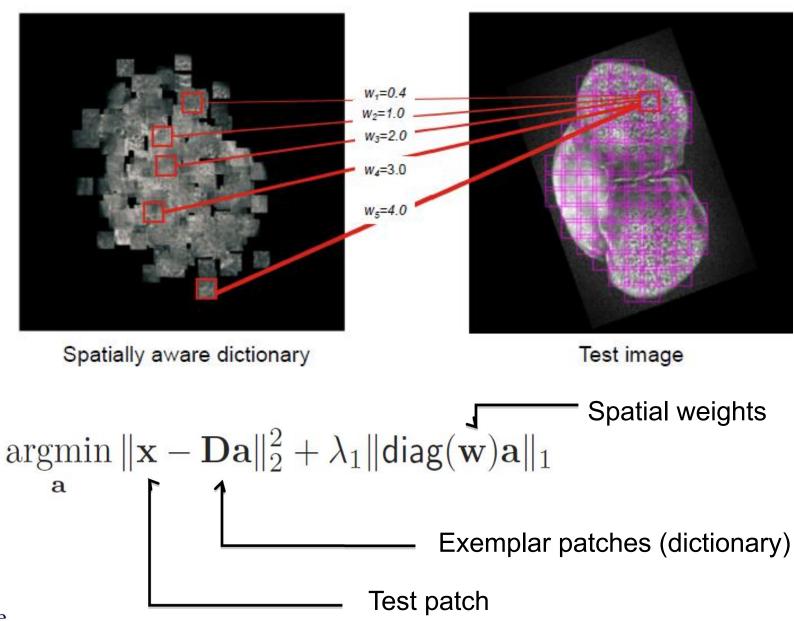




Spatially aware dictionary

Test image

spatially aware coding (SACO)





feedforward shrinkage function by transforming dictionary patches into convolutional filters

$$\underset{\mathbf{a}}{\operatorname{argmin}} \|\mathbf{x} - \mathbf{D}\mathbf{a}\|_{2}^{2} + \lambda_{1} \|\operatorname{diag}(\mathbf{w})\mathbf{a}\|_{1}$$



feedforward shrinkage function by transforming dictionary patches into convolutional filters

$$\operatorname{argmin}_{\mathbf{a}} \|\mathbf{x} - \mathbf{D}\mathbf{a}\|_{2}^{2} + \lambda_{1} \|\operatorname{diag}(\mathbf{w})\mathbf{a}\|_{1}$$
$$\|\mathbf{x} - \mathbf{D}\mathbf{a}\|_{2}^{2} \quad \blacksquare \quad \|\mathbf{\Omega}\mathbf{x} - \mathbf{a}\|_{2}^{2}$$



feedforward shrinkage function by transforming dictionary patches into convolutional filters

$$\underset{\mathbf{a}}{\operatorname{argmin}} \|\mathbf{x} - \mathbf{D}\mathbf{a}\|_{2}^{2} + \lambda_{1} \|\operatorname{diag}(\mathbf{w})\mathbf{a}\|_{1}$$
$$\|\mathbf{x} - \mathbf{D}\mathbf{a}\|_{2}^{2} \qquad \|\mathbf{\Omega}\mathbf{x} - \mathbf{a}\|_{2}^{2}$$
$$\operatorname{SACO-I}$$
$$\underbrace{\mathbf{\Omega} \equiv (\mathbf{D}^{T}\mathbf{D})^{-1}\mathbf{D}^{T}}_{\mathbf{u} = \mathbf{\Omega}\mathbf{x}}$$
$$a_{i}^{*} = \operatorname{sgn}(u_{i}) \cdot \max(0, |u_{i}| - \lambda_{1}w_{i})$$
$$\mathbf{a}^{*} = [a_{1}^{*}, \dots, a_{i}^{*}, \dots, a_{m}^{*}]^{T}$$



feedforward shrinkage function by transforming dictionary patches into convolutional filters



Represent patch using CNN feature extractor (VGG19) Global average pooling of sparse codes by SACO linear SVM

SRC	VGG19+SVM	FV+SVM	SACO-I	SACO-II
62.04	65.11	61.46	83.21	86.13

Table 1. Statistics of our fossil pollen grain dataset.

	#train	#test	#total
P. critchfieldii	65	43	108
P. glauca	65	355	420
P. mariana	65	287	352
Summary	195	685	880

Substantially outperforms standard CNN and Fisher-vector based approaches!



We apply our approach to modern pollen grain identification.

Our method		Actual	
Our method		P. Glauca	P. Mariana
Predicted	P. Glauca	0.969	0.030
Predicted	P. Mariana	0.021	0.980

	Actual	
	P. mariana	P. glauca
P. mariana	0.920	0.005
P. glauca	0.061	0.893



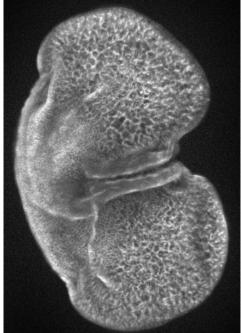
Surangi W Punyasena, David K Tcheng, Cassandra Wesseln, Pietra G Mueller, Classifying black and white spruce pollen using layered machine learning, New Phytologist, 2012

Identifying Fossil Pollen with Modern Reference

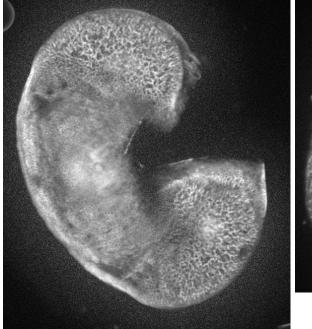
Fossil pollen grains are degraded over time.

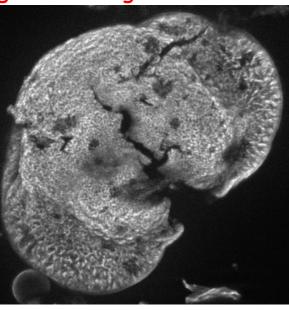
using patches from modern pollen reference to identify fossilized ones

modern pollen grain from glauca



fossil pollen pollen grain from glauca

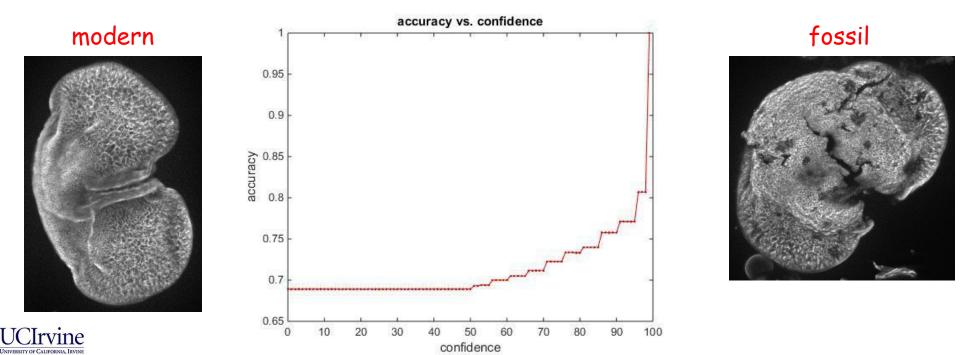






Identifying Fossil Pollen with Modern Reference

- Use our method to select patches from modern pollen grains
- Use the selected modern patches to identify fossil ones
- We achieve 69% accuracy wrt expert labels.





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Content after this page is not suitable for people to watch!

